## Hanoi Algorithm Design, Complexity, & Implementation Analysis by Carlos Flores

Implement an algorithm and program it to solve a Tower of Hanoi puzzle for the following graph  $\mathcal{G} = (\mathcal{V}, \mathcal{E})$  with the Vertices,  $\mathcal{V} = \{\text{Start}, \text{Aux 1}, \text{Aux 2}, \text{Aux 3}, \text{Aux 4}, \text{and Dest}\}$ , and Directed Edges  $\mathcal{E} = \{(\text{Start}, \text{Aux 1}), (\text{Aux 1}, \text{Aux 2}), (\text{Aux 2}, \text{Aux 3}), (\text{Aux 3}, \text{Aux 4}), (\text{Aux 4}, \text{Aux 1}), \text{and } (\text{Aux 1}, \text{Dest})\}$ .

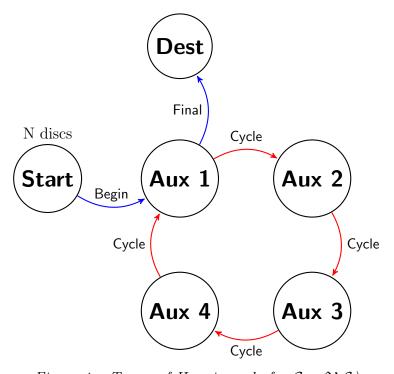


Figure 1.a Tower of Hanoi puzzle for  $\mathcal{G} = (\mathcal{V}, \mathcal{E})$ .

## Design Rationale

Our goal is to move a stack of N number of discs from Start to Dest. In order to move N number of discs from Start to Dest we must move (N-1) discs to access the last disc. This can be achieved by the following recursive pattern:

Move N-1 discs from Start to Aux 3 (this frees up the largest disc on Start). Move the largest disc from Start to Dest Move N-1 discs from Aux 3 to Dest (this remakes the original pile on Dest).