

# Probing Higgs-Portal Dark Matter with VBF Signatures at the HL-LHC

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# Abstract

We investigate current and projected constraints on Higgs-portal dark matter (DM) models, focusing on both scalar and fermionic DM candidates, using vector boson fusion (VBF) production of the Higgs boson at the LHC. By analyzing the parameter space in the plane of DM mass versus the Higgs-DM coupling, we aim to reinterpret existing LHC VBF + MET searches to set bounds on the invisible Higgs decay channels.

To this end, we perform simulations in MadGraph5\_aMC@NLO under LHC conditions to compute cross sections for VBF Higgs production followed by invisible decays. Experimental efficiencies are estimated through a recast of public analyses targeting the process  $pp \rightarrow jj + \text{MET}$ . We then rescale the integrated luminosity to project the reach of the High-Luminosity LHC (HL-LHC), identifying both currently excluded regions and those potentially probed with  $3 \text{ ab}^{-1}$ . Our results provide updated exclusion contours and projections in the Higgs-portal to DM parameter space.

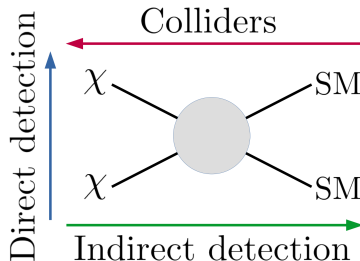


# Dark Matter: A Missing Piece

One of the Main Problems in Contemporary Physics

## Key Properties:

- **26%** of universe's energy density (Planck 2018)
- **Cold & non-relativistic** ( $\Rightarrow$  structure formation)
- **Weakly interacting:** No EM/strong forces
- **Invisible:** Only gravitational evidence



## The Higgs Portal Advantage:



Simplest SM-DM connection via Higgs boson (spin-0 mediator)

# Higgs $\rightarrow$ invisible: a window to new physics

- In the Standard Model (SM), the Higgs is a fundamental scalar with  $m_H = 125.1$  GeV and  $\Gamma_H^{\text{SM}} \approx 4.07$  MeV.
- The current measurement of the total Higgs width is  $\Gamma_H = 3.7_{-1.4}^{+1.9}$  MeV,  
 $\Rightarrow$  **there is still window for non-SM contributions.**
- In SM extensions, the Higgs can couple to the dark sector with a sizable fraction:

$$\text{BR}(H \rightarrow \text{inv}) = \frac{\Gamma_H^{\text{inv}}}{\Gamma_H^{\text{SM}} + \Gamma_H^{\text{inv}}}$$

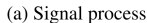
- Experimental limit from VBF + MET:

$$\text{BR}(H \rightarrow \text{inv}) < 0.145$$

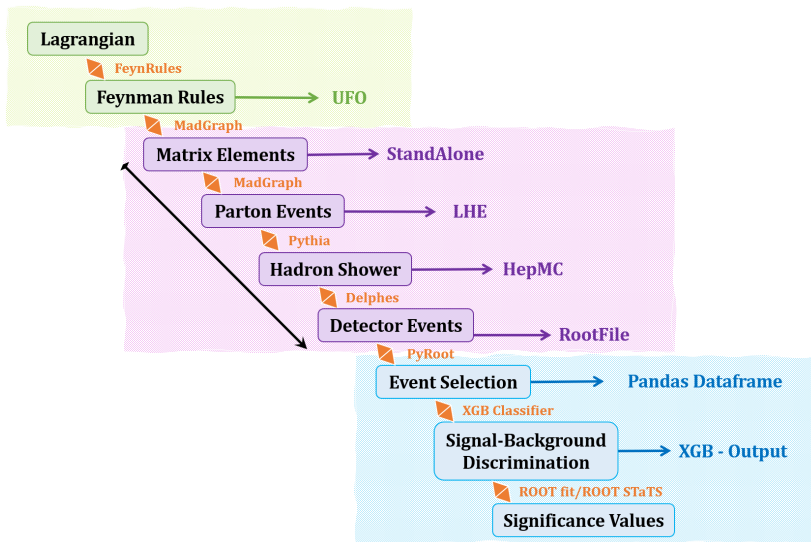
- **Invisible Higgs decays offer a window to explore new physics and hint at the presence of dark particles.**

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In proton-proton collisions, the quark components of the protons interact via the exchange of vector bosons (W or Z), leading to the production of a Higgs boson in association with two forward jets.

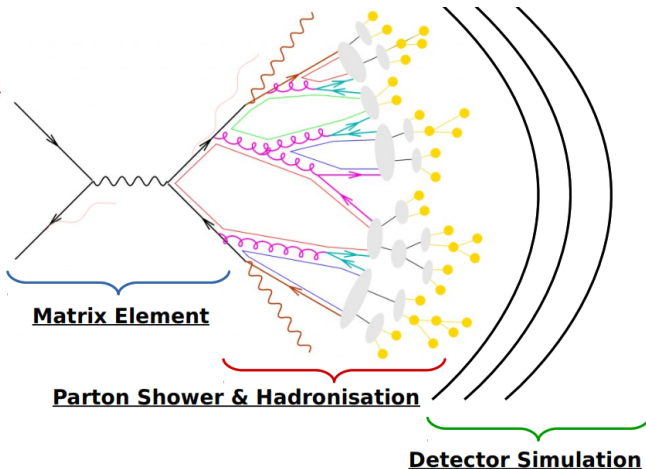
$$\Gamma_h/m_h \sim 3 \times 10^{-5} \quad \Rightarrow \quad \sigma_{\text{total}} \approx \sigma_{\text{prod}}(pp \rightarrow jjh) \times \text{BR}(h \rightarrow \text{inv.})$$


# Monte Carlo Method Workflow



# Madgraph-Pythia8-Delphes for Colliders

- hard scattering
- (QED) initial/final state radiation
- partonic decays, e.g.  $t \rightarrow bW$
- parton shower evolution
- nonperturbative gluon splitting
- colour singlets
- colourless clusters
- cluster fission
- cluster  $\rightarrow$  hadrons
- hadronic decays

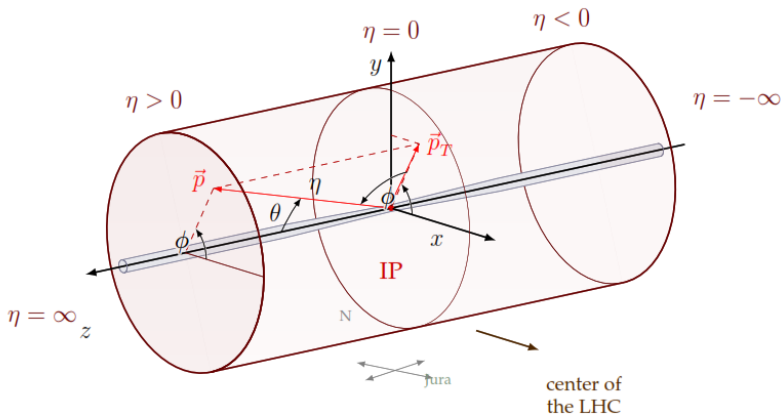




# Kinematic Variables

From Spherical coordinates,

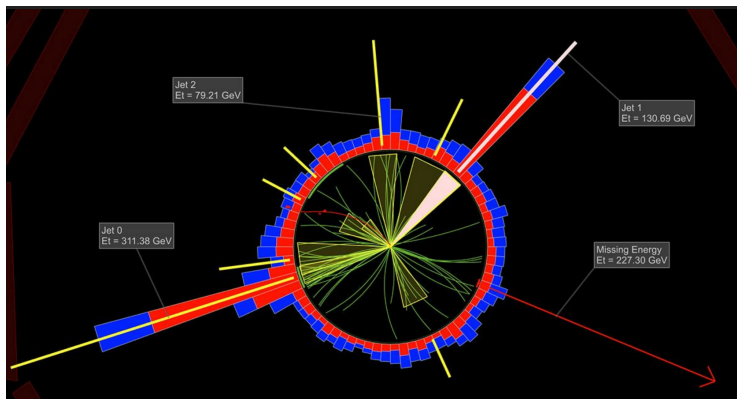
$$\begin{cases} \text{Pseudorapidity: } \eta = -\ln \tan(\theta/2) \\ \text{Transverse momentum: } p_T = p \sin(\theta) \\ \text{Azimuthal angle: } \phi \\ \text{Deposited energy: } E \end{cases}$$



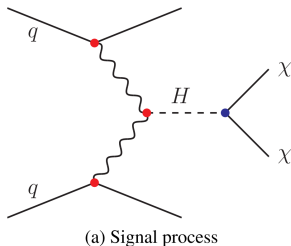
# Example of a VBF + MET Event in the CMS Detector

There is not initial momentum in the transverse plane, so from the conservation of momentum, we define the missing transverse momentum as

$$\vec{p}_T^{\text{mis}} = - \sum_i \vec{p}_{T,i}^{\text{vis}}$$



# Current Results from VBF + MET Searches

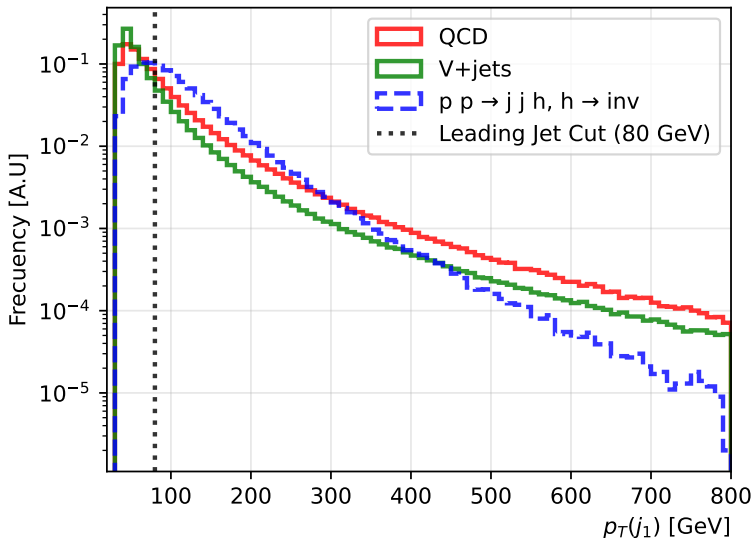


Based on Criteria from

- CMS: Tumasyan et al., “Search for invisible decays of the Higgs boson produced via vector boson fusion in proton-proton collisions at  $s=13$  TeV” (2022)
- ATLAS: Aad et al., “Search for invisible Higgs-boson decays in events with vector-boson fusion signatures using  $139 \text{ fb}^{-1}$  of proton-proton data recorded by the ATLAS experiment” (2022)

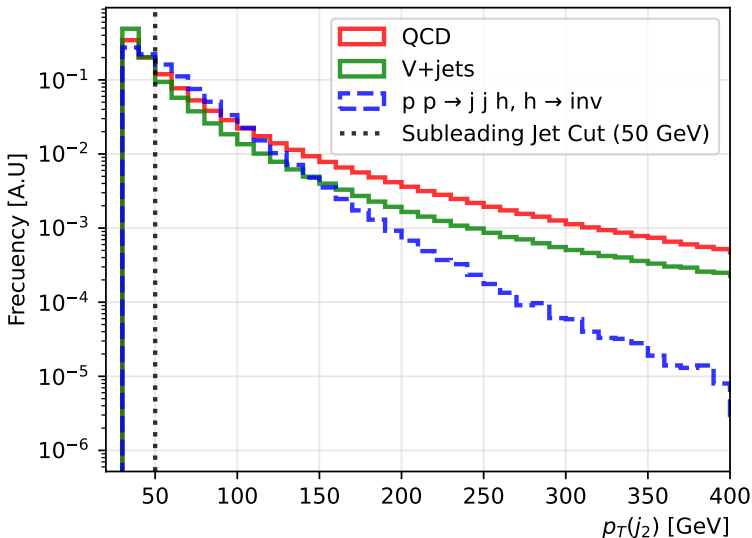
# VBF Jets are boosted with High-PT signatures

Leading Jet

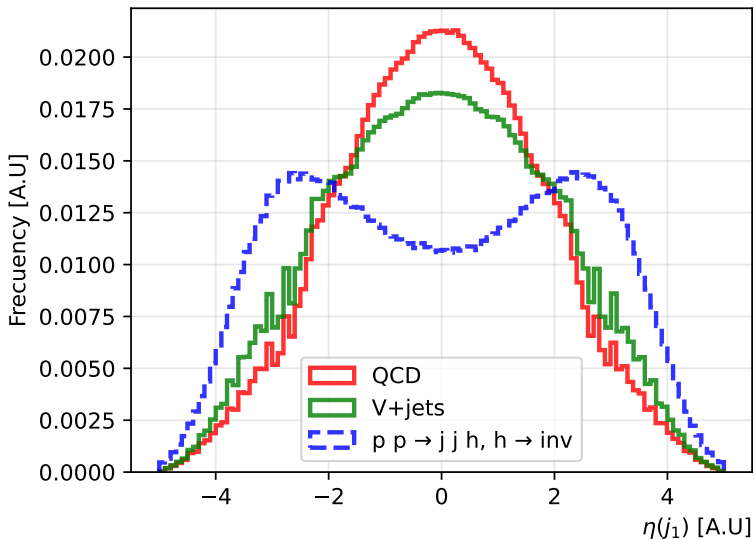


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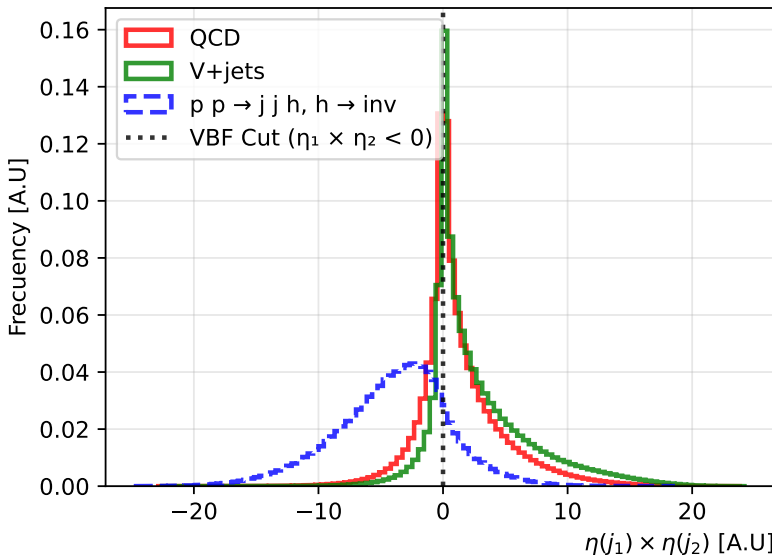
Subleading Jet



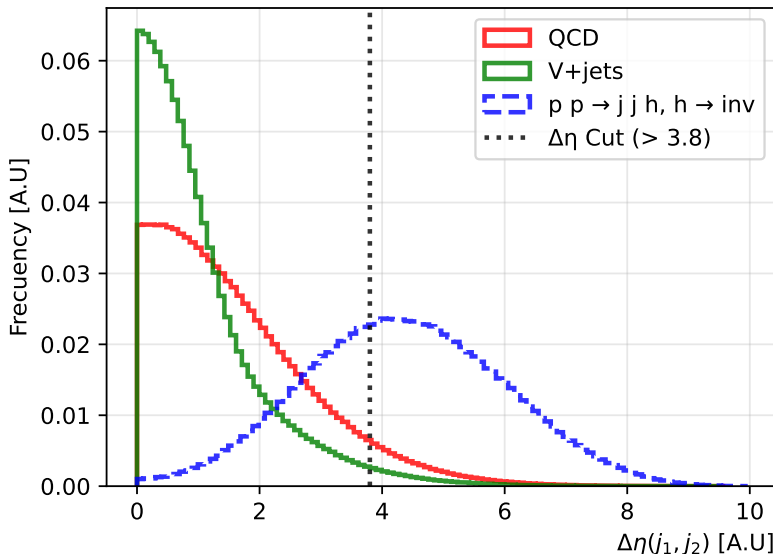
# VBF Jets are forward



# VBF Jets are in opposite longitudinal hemispheres

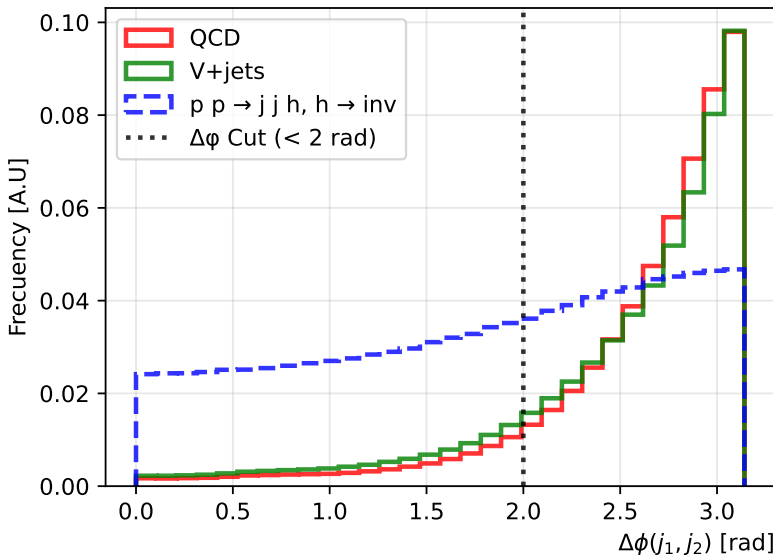


# VBF Jets have a large Delta- $\eta$ separation

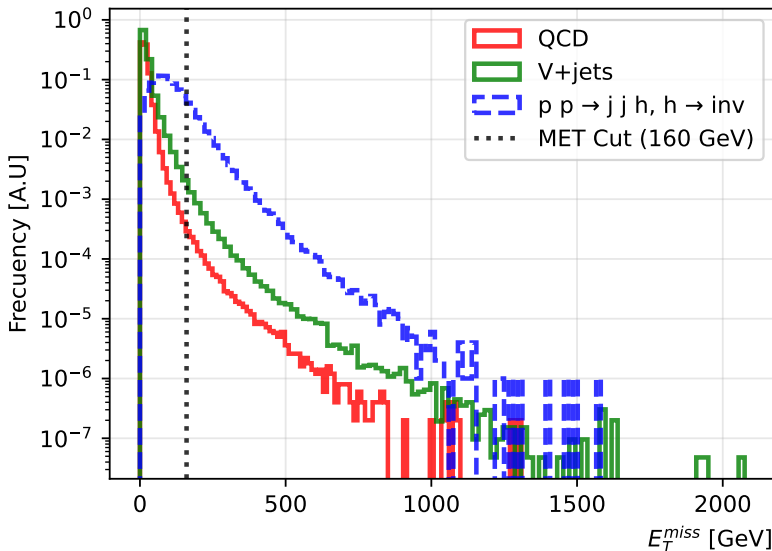




# VBF Jets are not back-to-back

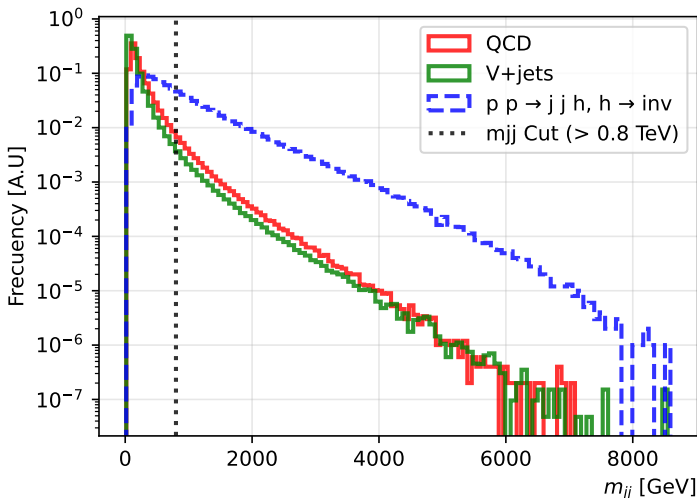


# The Higgs-to-invisible decay left a High-MET signature



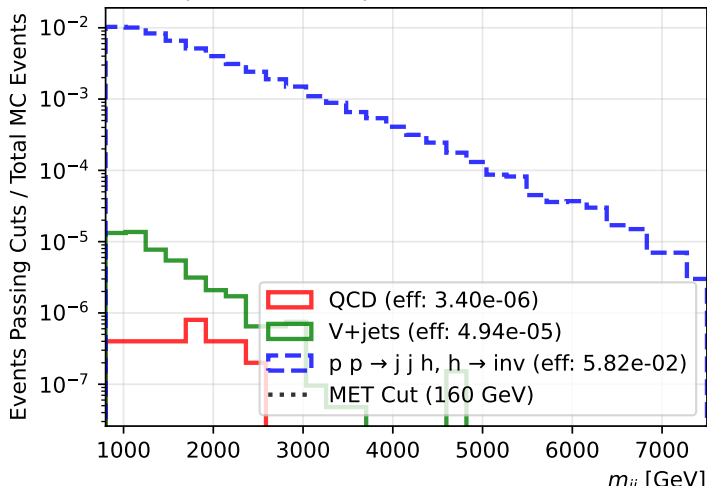
# VBF Jets have a large invariant mass

$$m_{jj} = \sqrt{2p_{T,1}p_{T,2}(\cosh(\Delta\eta) - \cos(\Delta\phi))} \approx \sqrt{2p_{T,1}p_{T,2} \cosh(\Delta\eta)}$$

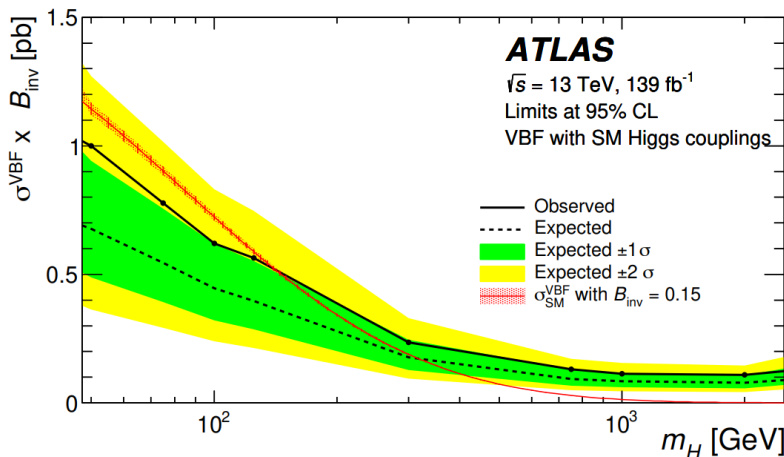


# All the cuts suppress the background

## Dijet Mass Comparison After VBF Cuts



# Higgs-Portal Dark Matter Models



$$BR(H \rightarrow \text{inv}) < 0.145 \quad (\text{ATLAS, 2019, 95\% CL})$$

# Statistical Significance

The statistical significance is

$$\kappa = \frac{\langle t \rangle_B - \langle t \rangle_{S+B}}{\sigma_{S+B}} \quad (1)$$

where the optimal statistical test is  $t = -2 \ln \frac{\mathcal{L}(n|S+B)}{\mathcal{L}(n|B)}$ , with  $n$  the number expected of events in each hypothesis,  $\mathcal{L}$  the likelihood function for  $N$  a independent Poissonic distribution. so

$$\kappa = \frac{\sum_i s_i w_i}{\sqrt{\sum_i (s_i + b_i + \delta_{sys}^2)^2 w_i^2}} \quad (2)$$

where  $s_i$  and  $b_i$  are the signal and background events in the  $i$ -th bin,  $w_i \sim \ln\left(1 + \frac{s_i}{b_i}\right)$  is the weight of the  $i$ -th bin, and  $\delta_{sys}$  is the systematic uncertainty in the background estimation.

Hypothesis with a significance of  $\kappa \leq 1.69\sigma$  will be excluded in searches with a 95% confidence level (CL).

# Statistical Significance

The contribution to the number of events is of the form  $N_i = \sigma_i \cdot \mathcal{L} \cdot \epsilon_i$ , where  $\sigma_i$  is the cross section of the process,  $\mathcal{L}$  is the integrated luminosity, and  $\epsilon_i$  is the efficiency of the selection cuts in the  $i$ -th bin.

To improve the sensitivity of the search,

$$\kappa = \frac{\sum_i s_i w_i}{\sqrt{\sum_i (s_i + b_i + \delta_{sys}^2)^2 w_i^2}} = \frac{\sum_i \sigma_{s_i} \epsilon_{s_i} w_i}{\sqrt{\sum_i (\sigma_{s_i} \epsilon_{s_i} + \sigma_{b_i} \epsilon_{b_i} + \delta_{\sigma_{sys}}^2)^2 w_i^2}} \sqrt{\mathcal{L}} \quad (3)$$

We can

- Increase the integrated luminosity  $\mathcal{L}$ .
- Optimize the selection cuts to increase the efficiency  $\epsilon_i$  of the signal and reduce the background.
- increase the cross section  $\sigma_i$  of the signal process increasing the center-of-mass energy  $\sqrt{s}$  of the collisions.
- Add information from the correlation between bins of the histogram.
- Select a observable that optimize the form of the  $w_i$  weights (e.g. a BDT classifier).
- Reduce the systematic uncertainties  $\delta_{sys}$  in the background estimation.

# Projections on the Higgs-to-invisible decay

So, taking  $\kappa = 1.69$  we have

$$\frac{\sum_i \sigma_{s_i} \epsilon_{s_i} w_i}{\sqrt{\sum_i (\sigma_{s_i} \epsilon_{s_i} + \sigma_{b_i} \epsilon_{b_i} + \delta_{\sigma_{sys}}^2)^2 w_i^2}} = \frac{\sum_i \sigma_{s_i}^{\text{VBF}}(\text{BR}) \epsilon_{s_i} w_i}{\sqrt{\sum_i (\sigma_{s_i}^{\text{VBF}}(\text{BR}) + \sigma_{b_i} \epsilon_{b_i} + \delta_{\sigma_{sys}}^2)^2 w_i^2}} = \frac{1.69}{\sqrt{\mathcal{L}}} \quad (4)$$

In a conservative approach if we assume that the efficiencies and systematic uncertainties are constant, for future searches the limit on the Branching Ratio (BR) will scale inversely with the integrated luminosity  $\mathcal{L}$ .

- The current limit, at  $139 \text{ fb}^{-1}$  on the Higgs-to-invisible decay is  $\text{BR}(H \rightarrow \text{inv}) < 0.145$ .



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- Today the luminosity in ATLAS and CMS are around  $300 \text{ fb}^{-1}$  by the end of Run 3. So, in the near future we expect that LHC reach a sensitivity of  $\text{BR}(H \rightarrow \text{inv}) < 0.08$ .

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- For FCC, the expected integrated luminosity is  $30 \text{ ab}^{-1}$ , which will allow us to improve the sensitivity to  $\text{BR}(H \rightarrow \text{inv}) < \mathcal{O}(10^{-3})$ .

# Higgs Portals

We assume the minimal Higgs portal setup with singlet DM of spin 0 or spin 1/2. In that follows, we consider these options separately and allow for both CP-even and CP-odd couplings of the DM fermion to the Higgs field. The Lagrangian reads

$$\mathcal{L}_{hs} = \frac{\lambda_{hs}}{2} \mathcal{H}^\dagger \mathcal{H} S S$$

$$\mathcal{L}_{h\chi} = \frac{1}{\Lambda} \mathcal{H}^\dagger \mathcal{H} \bar{\chi} \chi, \quad \mathcal{L}_{h\chi}^{\gamma_5} = \frac{1}{\Lambda_5} \mathcal{H}^\dagger \mathcal{H} \bar{\chi} i \gamma_5 \chi,$$

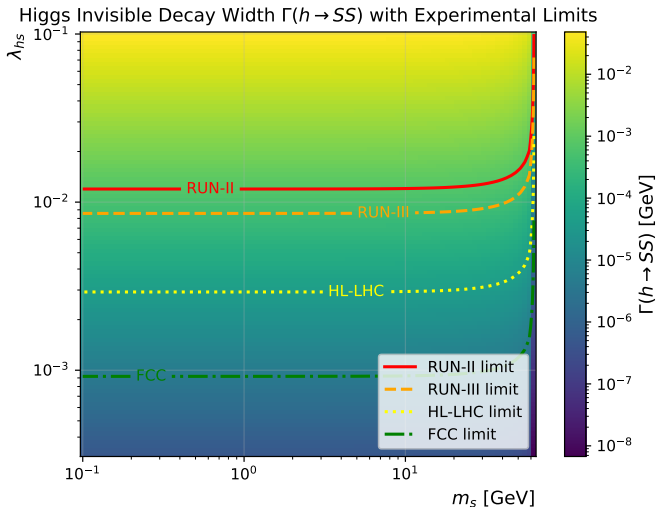
where  $\mathcal{H}$  is the Higgs doublet,  $S$  is a real scalar singlet with mass  $m_s$ , and  $\chi$  is a Dirac fermion with mass  $m_\chi$ .

$$\Gamma(h \rightarrow SS) = \frac{\lambda_{hs}^2 v^2}{32\pi m_h} \sqrt{1 - \frac{4m_s^2}{m_h^2}}$$

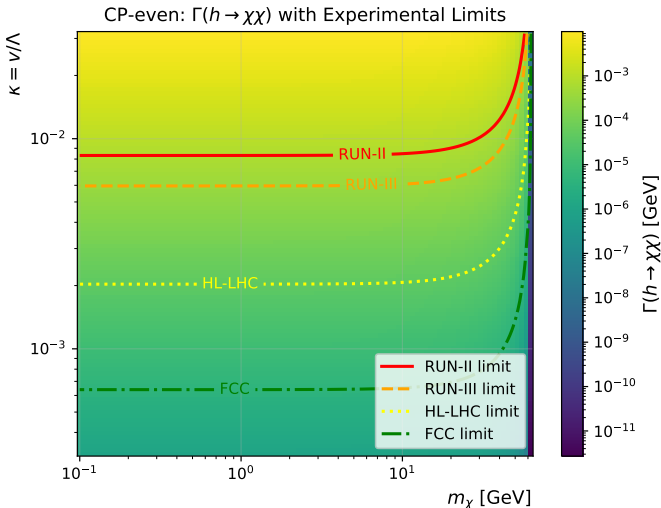
$$\Gamma_{\text{CP-even}}(h \rightarrow \chi\chi) = \frac{m_h}{4\pi} \frac{v^2}{\Lambda^2} \left(1 - \frac{4m_\chi^2}{m_h^2}\right)^{3/2}; \quad \Gamma_{\text{CP-odd}}(h \rightarrow \chi\chi) = \frac{m_h}{4\pi} \frac{v^2}{\Lambda_5^2} \left(1 - \frac{4m_\chi^2}{m_h^2}\right)^{1/2}$$

These states are assumed to be stable and thus can be considered as DM candidates. In the fermionic case, the couplings are non-renormalizable and thus are understood as effective operators with  $\Lambda$  and  $\Lambda_5$  being the cut-off scales.

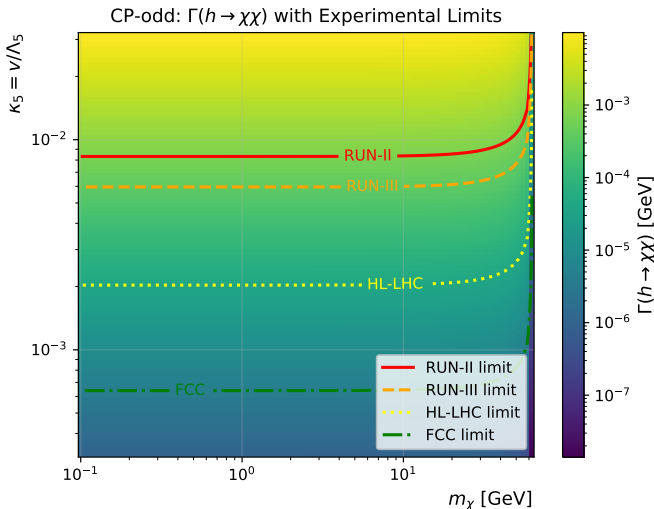
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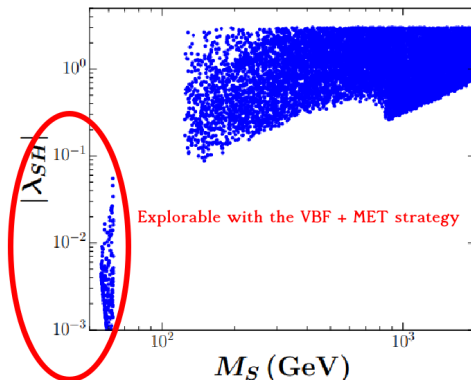
$$\Gamma_{\text{CP-odd}}(h \rightarrow \chi\chi) = \frac{m_h}{4\pi} \frac{v^2}{\Lambda_5^2} \left(1 - \frac{4m_\chi^2}{m_h^2}\right)^{1/2}$$



## Example: Scalar-Fermion Z4 model

$$\mathcal{L} = \frac{1}{2}\mu_S^2 S^2 + \lambda_S S^4 + \frac{1}{2}\lambda_{SH}|H|^2 S^2 + M_\psi \bar{\psi}\psi + \frac{1}{2} \left[ y_s \bar{\psi}^c \psi + y_p \bar{\psi}^c \gamma_5 \psi + \text{h.c.} \right] S,$$

In the  $M_S < M_\psi$  regime,



Yaguna and Zapata, "Fermion and scalar two-component dark matter from a Z4 symmetry" (2022)



Thank you for your attention!

Questions?