
1 Local wind regime induced by giant linear dunes

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8 Abstract

9 Emergence and growth of sand dunes result from the interaction between the
10 topography, which perturbs the wind flow, which itself controls the sediment
11 transport. While these feedbacks are well studied at the scale of a single dune,
12 the average effect of a periodic dune pattern on atmospheric flows remains
13 poorly constrained due to a lack of data in major sand seas. Here, we compare
14 field measurements of surface wind data to the predictions of the ERA5-Land
15 climate reanalysis in four different places in Namibia, inside and north of the
16 giant-dune field of the Namib sand sea. In the flat desert areas to the north,
17 observations and predictions agree well despite the small amount of data in the
18 assimilation process. This is also the case in the interdune areas of the sand
19 sea, except for the weak winds blowing at night in a direction oblique to the

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orientation of the giant dunes. We quantify these similarities and differences and provide a physical understanding of the relevant aerodynamical regimes to relate them to the daily cycle of the turbulent atmospheric boundary layer over a dune pattern of given wavelength. We conclude by identifying the conditions under which the ERA5-Land reanalysis data can or can't be used to study dune morphodynamics. We also propose that, in multidirectional wind regimes, deflections of specific winds could explain the occurrence of secondary dune patterns with a different orientation than the primary structures between which they grow.

Keywords Atmospheric boundary layer · Sand dunes · Fluid-structure interactions

31 1 Introduction

32 The description of turbulent flows over a complex topography is a rich and
33 active subject, that is relevant for a large variety of different environmental
34 systems (Finnigan et al. 2020). For example, the flow over hills is of primary
35 interest for wind power, meteorological and air pollution phenomena (Taylor
36 et al. 1987). The properties of these flows are also key to the understanding of
37 the formation of ocean surface wind-driven waves (Sullivan and McWilliams
38 2010), dissolution bedforms (Claudin et al. 2017), or sedimentary ripples and
39 dunes (Charru et al. 2013; Courrech du Pont 2015). Importantly, the tropo-
40 sphere presents a vertical structure, with a lower convective boundary layer,
41 of typical kilometer-scale thickness, capped by a stably stratified region (Stull
42 1988). The largest topographic obstacles as mountains can therefore interact
43 with this upper region, for example leading to internal wave generation or
44 significant wind disturbances, such as downslope winds in lee sides (Durran
45 1990).

46 Looking at the wind close to the surface, two topographic feedbacks on the
47 flow, although related, can be commented separately. There is a first effect on
48 the wind intensity: the flow accelerates on the upwind slope and slows down
49 on the downwind one (Baddock et al. 2011), with a speed-up factor essentially
50 proportional to the obstacle aspect ratio [here a ref?](#). Importantly, the velocity
51 maximum is typically shifted upwind of the obstacle crest. This behaviour has
52 been theoretically predicted by means of asymptotic analysis of a neutrally
53 stratified boundary-layer flow over an obstacle of vanishing aspect ratio (Jack-
54 son and Hunt 1975; Mason and Sykes 1979; Sykes 1980; Hunt et al. 1988;
55 Belcher and J.C.R. 1998). Experiments in flumes (Zilker et al. 1977; Zilker
56 and Hanratty 1979; Frederick and Hanratty 1988; Poggi et al. 2007), in wind
57 tunnel (Gong and Ibbetson 1989; Finnigan et al. 1990; Gong et al. 1996) and
58 in field conditions (Taylor and Teunissen 1987; Claudin et al. 2013; Fernando
59 et al. 2019; Lü et al. 2021), have also documented this effect. Interestingly, a
60 similar behaviour exists for the pressure perturbation, but with a slight down-
61 wind shift for the pressure minimum (Claudin et al. 2021). The second effect
62 is the flow deflection that occurs when the incident wind direction is not per-
63 pendicular to the ridge crest. While predicted to be small (less than 10°) in
64 the linear regime valid for shallow topography (Gadal et al. 2019), significant
65 flow steering has been reported in the field on the downwind side of steep
66 enough obstacles, such as mountain ranges (Kim et al. 2000; Lewis et al. 2008;
67 Fernando et al. 2019) or well developed sand dunes (Walker et al. 2009; Hesp
68 et al. 2015; Walker et al. 2017; Smith et al. 2017).

69 For practical reasons, wind measurement over sand dunes have been per-
70 formed over rather small bedforms, typically a few meters high only – that is
71 tens of meters in length. Giant dunes, with kilometer-scale wavelengths and
72 heights of tens of meters, are more difficult to investigate although they pro-
73 vide, for several reasons, a choice configuration for the study of turbulent flows
74 over a complex topography. First of all, one expects larger wind disturbances
75 for larger obstacles. Second, their large size make them interact with the verti-

76 cal structure of the atmosphere (Andreotti et al. 2009). Also, they usually form
77 large patterns in sand seas and thus behave as rather clean periodic pertur-
78 bations, in contrast with isolated hills. Finally, because the morphodynamics
79 of aeolian bedforms are strongly dependent on the local wind regime (Living-
80 stone and Warren 1996), one can expect to see the consequences of the wind
81 disturbances on smaller dunes, in a similar way as what has been reported for
82 the effect of dunes on impact ripples (Howard 1977; Hood et al. 2021).

83 Arid areas have been much studied at the desert scale from climate re-
84 analyses based on global atmospheric models (Blumberg and Greeley 1996;
85 Livingstone et al. 2010; Ashkenazy et al. 2012; Jolivet et al. 2021; Hu et al.
86 2021), such as ERA-40, ERA-Interim or ERA-5 (Uppala et al. 2005; Dee et al.
87 2011; Hersbach et al. 2020). However, the spatial resolution (tens of kilometers)
88 of these reanalyses implies average quantities that do not resolve the smaller
89 scales, ranging from individual dunes to the border of mountains (Livingstone
90 et al. 2010). Lately, the release of ERA5-Land allows to push back this limita-
91 tion by providing up to 70 years of hourly wind predictions at a 9 km spatial
92 resolution (Muñoz-Sabater et al. 2021). However, its validity remains to be
93 studied, especially in areas where data assimilation is low (such as deserts).

94 In this work, we compare local wind speeds and directions measured in four
95 different places inside and north of the giant-dune field of the Namib sand
96 sea to the regional predictions of the ERA5-Land climate reanalysis. When
97 the meteorological stations are surrounded by a relatively flat environment,
98 we show that local measurements and regional predictions agree well with
99 each other. We find that the agreement is also good in the interdune areas
100 of the sand sea, except for the weak winds blowing at night in a direction
101 oblique to the orientation of the giant dunes (section 2). Furthermore, we are
102 able to link the magnitude of these differences to the circadian cycle of the
103 atmospheric boundary layer (section 3). Finally, we draw implications of the
104 wind disturbances on smaller-scale dunes (section 4).

105 **2 Wind regimes across the Namib Sand Sea**

106 We have measured the wind regime in four different sites of Namibia, repre-
107 sentative of various environments across and nearby the Namib desert (Fig. 1).
108 The Adamax station is located near the Adamax salt pan, in a highly vege-
109 tated area. The Huab station, on the coast at the outlet of the Huab river, is in
110 an arid place where 60-m scale barchan dunes develop. These two stations are
111 located in a relatively flat [quantify how flat is flat ?](#) environment. In contrast,
112 the Deep Sea and South Namib stations are located in the interdune between
113 tens of meters high giant linear dunes with kilometer-scale wavelengths and
114 superimposed patterns. In this section, we describe and compare winds from
115 local measurements and climate reanalysis predictions.

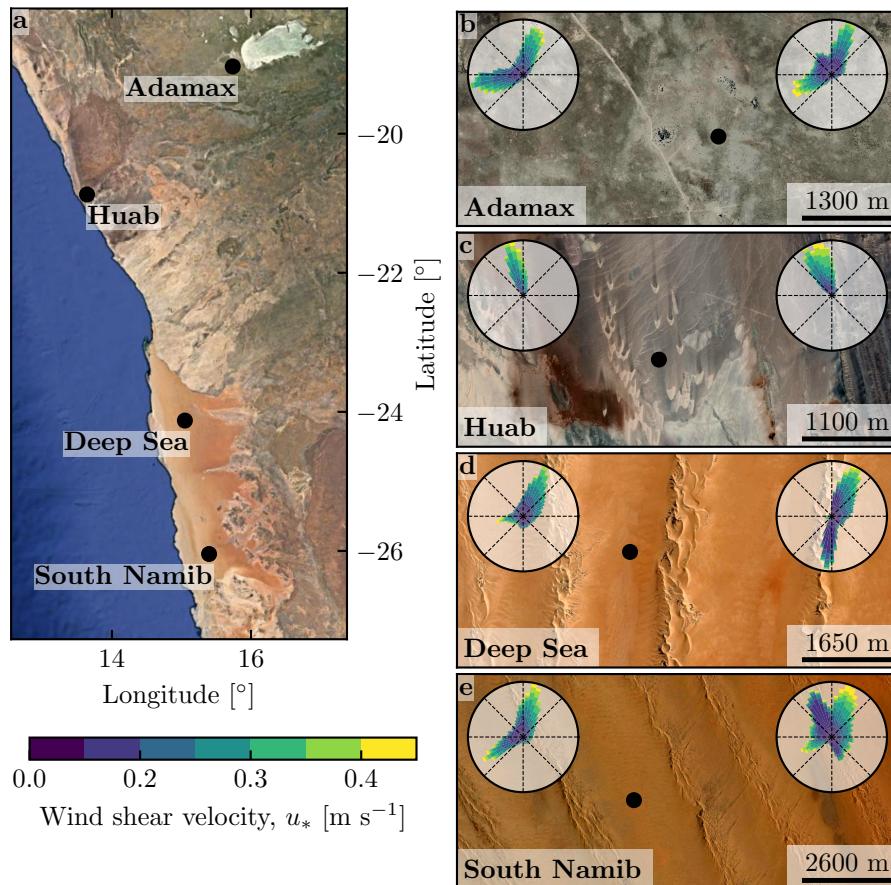


Fig. 1 Wind data used in this study **a:** Location of the different sites in Namibia. **b-e:** Satellite images of these different environments (Google-Earth, Maxar Technologies, CNES/Airbus). In each subplot, the left and right wind roses represent the data from the ERA5-Land climate reanalysis and the local wind stations, respectively. Note that the bars show the direction towards which the wind blows. The black dots show the location of local wind stations.

116 2.1 Wind and elevation data

117 Local winds are measured at meteorological stations located in these four
 118 different places (black dots in Fig. 1). The wind strength and direction are
 119 sampled every 10 minutes by cup anemometers and wind vanes, at heights
 120 between 2 m and 3 m depending on the station. The available period of mea-
 121 surements ranges from 1 to 5 discontinuous years distributed between 2012 and
 122 2020 (Suppl. Fig. S1). We checked that at least one complete seasonal cycle is
 123 available at each station. Regional winds are extracted at the same locations
 124 and periods from the ERA5-Land dataset, which is a replay at a smaller spatial
 125 resolution of ERA5, the latest climate reanalysis from the ECMWF (Hers-

¹²⁶ bach et al. 2020; Muñoz-Sabater et al. 2021). It provides hourly predictions
¹²⁷ of the 10-m wind velocity and direction at a spatial resolution of $0.1^\circ \times 0.1^\circ$
¹²⁸ (≈ 9 km in Namibia).

¹²⁹ For comparison, the local measurements are averaged into 1-hr bins cen-
¹³⁰ tered on the temporal scale of the ERA5-Land estimates (Suppl. Fig. S2). As
¹³¹ the wind velocities of both datasets are provided at different heights, we con-
¹³² vert them into shear velocities (Suppl. Mat. section 1), characteristic of the
¹³³ turbulent wind profile, which are then used together with the wind direction
¹³⁴ for further analysis. Wind roses in Fig. 1(b–e) show the resulting wind data.

¹³⁵ Dune properties are computed using autocorrelation on the 30-m Digital
¹³⁶ Elevation Models (DEMs) of the shuttle radar topography mission (Farr et al.
¹³⁷ 2007). For the South Namib and Deep Sea stations, we obtain respectively
¹³⁸ orientations of 85° and 125° with respect to the North, wavelengths of 2.6 km
¹³⁹ and 2.3 km and amplitudes of 45 m and 20 m (Suppl. Fig. S4 for more details).

¹⁴⁰ 2.2 Comparison of local and regional winds

¹⁴¹ The obtained wind regimes are shown in figure 1. In the Namib, the regional
¹⁴² wind patterns are essentially controlled by the sea breeze, resulting in strong
¹⁴³ northward components (sometimes slightly deviated by the large scale topog-
¹⁴⁴ raphy mountain?) present in all regional wind roses (Lancaster 1985). These
¹⁴⁵ daytime winds are dominant during the second-half of the year (September-
¹⁴⁶ January). In winter, an additional easterly component can be recorded during
¹⁴⁷ the night, induced by the combination of katabatic winds forming in the moun-
¹⁴⁸ tains, and infrequent ‘berg’ winds, which are responsible of the high wind ve-
¹⁴⁹ locities observed (Lancaster et al. 1984). The frequency of these easterly com-
¹⁵⁰ ponents decreases from the inland to the coast. As a result, bidirectional wind
¹⁵¹ regimes within the Namib Sand Sea and at the Adamax salt pan (Fig. 1b,d,e)
¹⁵² and a unidirectional wind regime on the coast at the outlet of the Huab River
¹⁵³ (Fig. 1c) are observed.

¹⁵⁴ In the case of the Adamax and Huab stations, the time series of wind speed
¹⁵⁵ and direction from the regional predictions quantitatively match those corre-
¹⁵⁶ sponding to the local measurements (Fig. 2a,b) and Suppl. Fig. S5). For the
¹⁵⁷ Deep Sea and South Namib stations within the giant dune field, we observe
¹⁵⁸ that this agreement is also good, but limited to the September-January time
¹⁵⁹ period (Fig. 2c,d). As a matter of fact, the measured wind roses exhibit addi-
¹⁶⁰ tional wind components aligned with the giant dune orientation, as evidenced
¹⁶¹ on the satellite images (Fig. 1c,d).

¹⁶² More precisely, during the February-August period, the local and regional
¹⁶³ winds in the interdune match during daytime only, i.e when the southerly/southwesterly
¹⁶⁴ sea breeze dominates (Figs. 2(e,f) and 3, Suppl. Fig. S6). In the late afternoon
¹⁶⁵ and during the night, when the northwesterly ‘berg’ and katabatic winds blow,
¹⁶⁶ measurements and predictions differ. In this case, the angular wind distribu-
¹⁶⁷ tion of the local measurements exhibits two additional modes corresponding
¹⁶⁸ to reversing winds aligned with the giant dune orientation (purple frame in

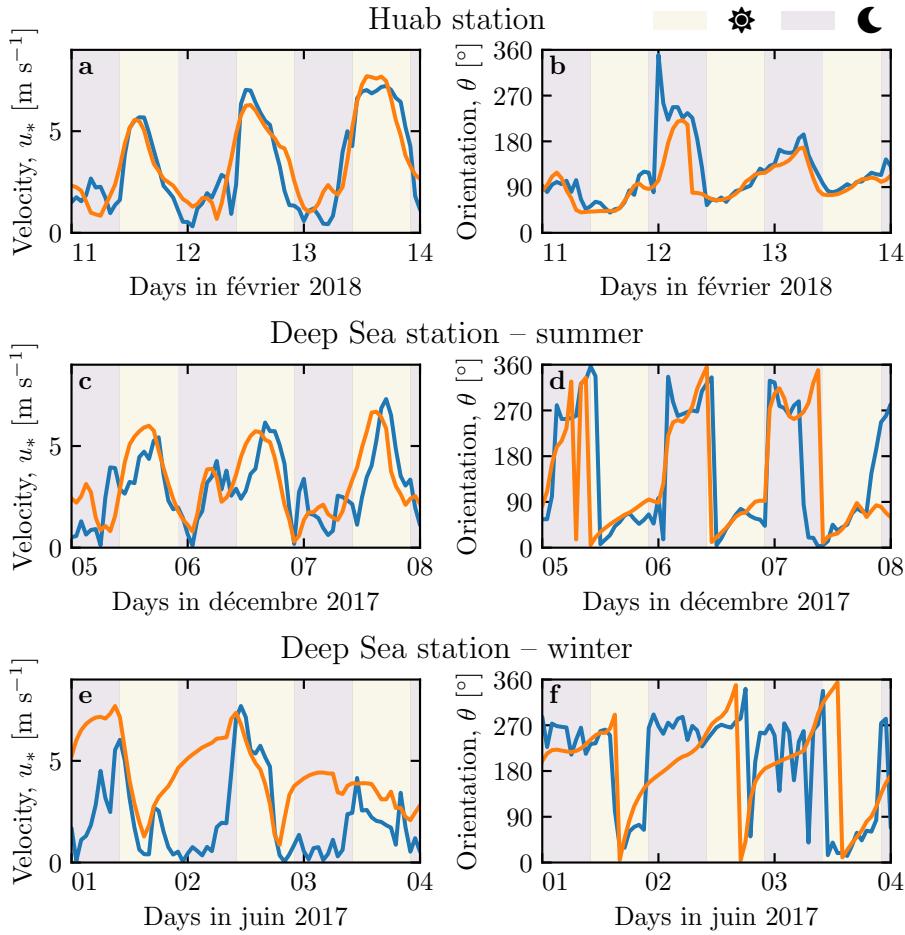


Fig. 2 Temporal comparison between the wind data coming from the ERA5-Land climate reanalysis (orange lines) and from the local measurements (blue lines). Coloured swathes indicate day (between 1000 UTC and 2200 UTC) and night (before 1000 UTC or after 2200 UTC) **a-b:** Huab station. **c-d:** Deep Sea station in winter. **e-f:** Deep Sea station in summer.

169 Fig. 3, Suppl. Figs. S6 and S7). This deviation is also associated with a global
 170 attenuation of the wind strength (Suppl. Fig. S8). Remarkably, all these figures
 171 show that this wind reorientation and attenuation processes typically occur at
 172 low wind velocities, typically for $u_* \lesssim 0.1 \text{ m s}^{-1}$. For shear velocities larger
 173 than $\simeq 0.25 \text{ m s}^{-1}$, the wind reorientation is not significant. Finally, for inter-
 174 mediate shear velocities, moments of reorientation along the dune crest and
 175 others with no reorientation can both be observed (Suppl. Fig. S7). **CHECK**
 176 the above lines cf. δu

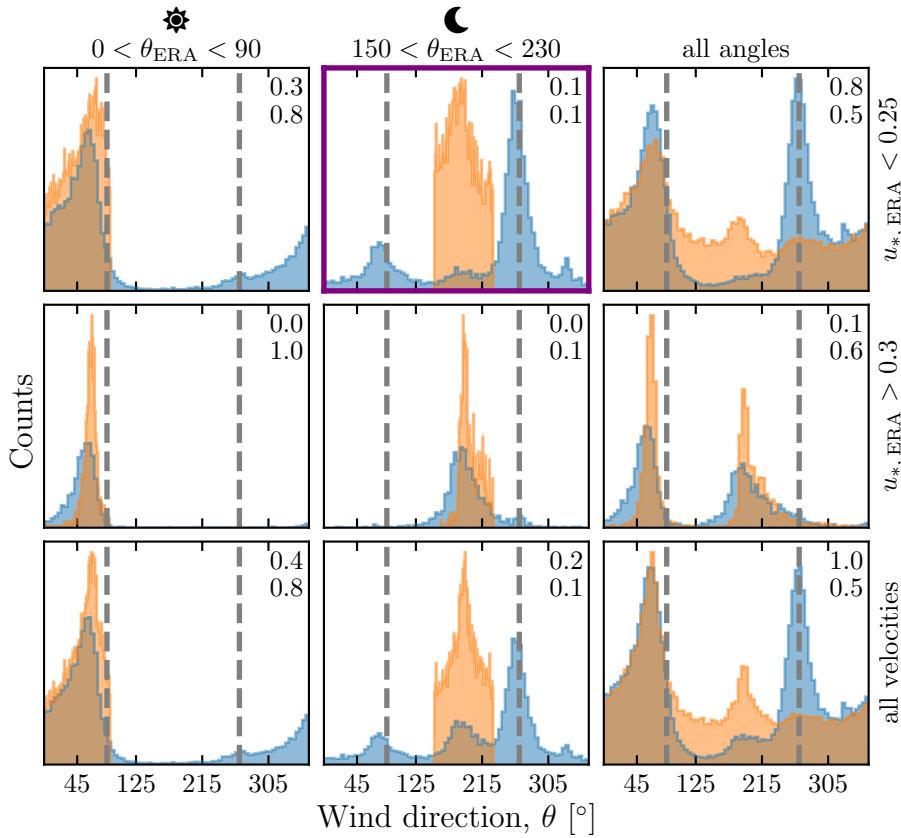


Fig. 3 Distributions of wind direction at the Deep Sea Station for the ERA5-Land climate reanalysis (orange) and the local measurements (blue). In each subplot, both distributions are plotted from the same time steps, selected with constraints on the wind direction (columns) and/or wind velocity (rows) of the ERA5-Land dataset. The gray vertical dashed lines indicate the dune orientation. The numbers at the top right give the percentage of time steps selected in each sub-range, as well as the percentage of them corresponding to the day (between 1000 UTC and 2200 UTC). The purple frame highlights the regime (small wind velocities, nocturnal summer wind) in which the data from both datasets differ. A similar figure can be obtained for the Deep Sea station (Suppl. Fig. S6).

177 **3 Influence of wind speed and circadian cycle on the atmospheric
178 boundary layer**

179 The wind deflection induced by linear dunes has so far mainly been related
180 to the angle between wind direction and crest orientation, with a maximum
181 deflection for angles between 30° and 70° (Walker et al. 2009; Hesp et al.
182 2015). In the analysed data, the most deflected wind at both Deep Sean and
183 South Namib stations is the most perpendicular to the giant dunes (Fig. ??).
184 The incident wind direction then does not seem to be the only parameter
185 controlling the wind deflection. In contrast, a different behaviour is observed

186 between low and high wind velocities, suggesting a change in hydrodynamical
187 regime. In this section, we discuss the relevant parameters associated with the
188 dynamical mechanisms that govern the interactions between the atmospheric
189 boundary layer flow and topographical obstacles. This analysis allows us to
190 provide a physics-based interpretation the observations.

191 3.1 Flow over a modulated bed

192 Taking as a reference the turbulent flow over a flat bed, the general framework
193 of this study is the understanding and the description of the flow response to
194 a bed modulation. Without loss of generality, we can consider in this con-
195 text an idealised bed elevation in the form of parallel sinusoidal ridges, with
196 wavelength λ (or wavenumber $k = 2\pi/\lambda$) and amplitude ξ_0 , and where the
197 reference flow direction makes a given angle with respect to the ridge crest
198 (Andreotti et al. 2012). Part of this response, on which we focus here, is the
199 flow deflection by the ridges. In a simplified way, it can be understood from
200 the Bernoulli principle (Hesp et al. 2015): as the flow approaches the ridge
201 crest, the compression of the streamlines results in larger flow velocities, and
202 thus lower pressures (Rubin and Hunter 1987). An incident flow oblique to
203 the ridge is then deflected towards lower pressure zones, i.e towards the crest.
204 Turbulent dissipation tends to increase this effect downstream, resulting in
205 along the crest wind deflection in the lee side (Gadal et al. 2019).

206 Flow confinement below a capping surface, which enhances streamline com-
207 pression, has a strong effect on the hydrodynamic response and typically in-
208 creases flow deflection. This is the case for bedforms forming in open channel
209 flows such as rivers (Fourrière et al. 2010; Unsworth et al. 2018). This is also
210 relevant for aeolian dunes as they evolve in the turbulent atmospheric bound-
211 ary layer (ABL) capped by the stratified free atmosphere (FA) (Andreotti et al.
212 2009). Two main mechanisms, associated with dimensionless numbers, must
213 then be considered (Fig. 4). First, topographic obstacles typically disturb the
214 flow over a characteristic height similar to their length. As flow confinement
215 is characterised by a thickness H , the interaction between the dunes and the
216 wind in the ABL is well captured by the parameter kH . The height H is di-
217 rectly related to the radiative fluxes at the Earth surface. It is typically on the
218 order of a kilometre, but significantly varies with the circadian and seasonal
219 cycles. Emerging and small dunes, with wavelengths in the range 20 to 100 m,
220 are not affected by the confinement, corresponding to $kH \gg 1$. For giant
221 dunes with kilometric wavelengths, however, their interaction with the FA is
222 significant (Andreotti et al. 2009). This translates into a parameter kH in the
223 range 0.02–5, depending on the moment of the day and the season. A second
224 important mechanism is associated with the existence of a thin intermediate
225 so-called capping layer between the ABL and the FA. It is characterised by a
226 density jump $\Delta\rho$, which controls the ‘rigidity’ of this interface, i.e. how much
227 its deformation affects streamline compression. This is usually quantified using
228 the Froude number (Vosper 2004; Stull 2006; Sheridan and Vosper 2006; Hunt

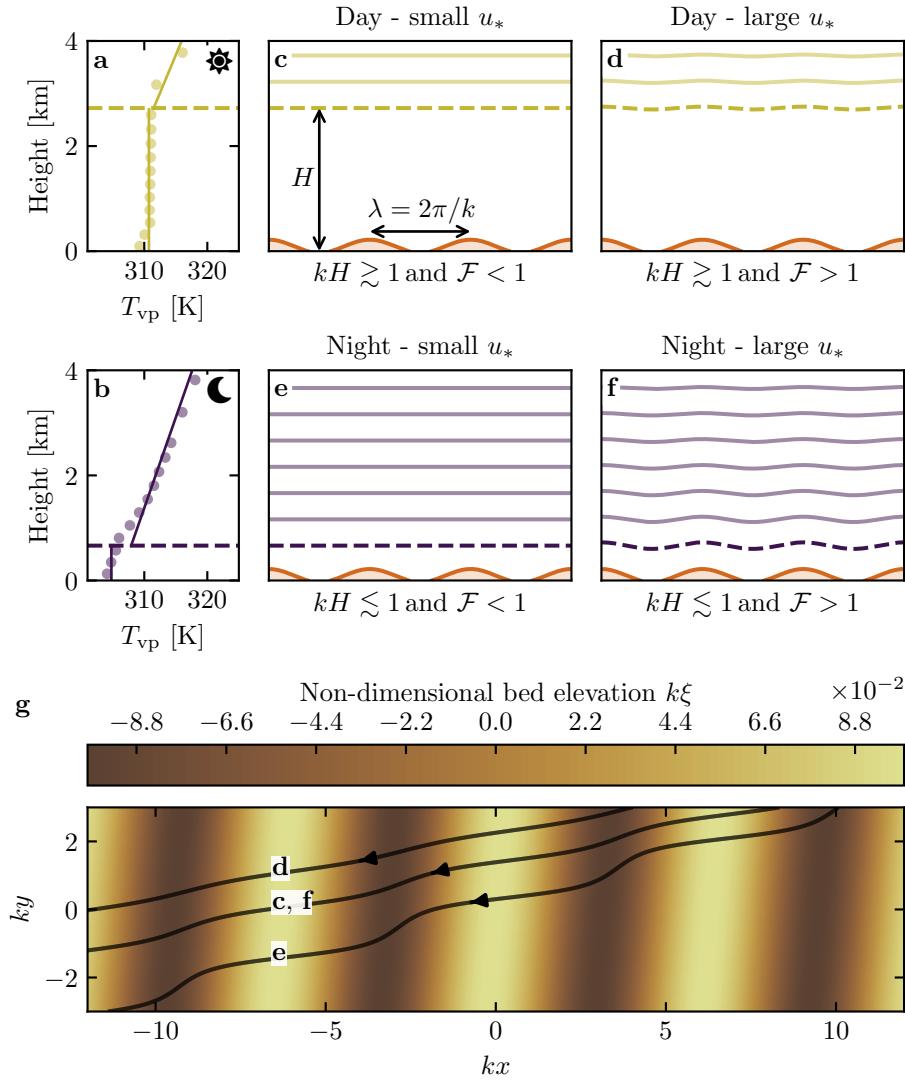


Fig. 4 **a-b:** Vertical profiles of the virtual potential temperature at 2 different time steps (day - 03/11/2015 - 1200 UTC, night - 01/13/2013 - 0900 UTC) at the Deep Sea station. Dots: data from the ERA5 reanalysis. Dashed lines: boundary layer height given by the ERA5 reanalysis (Suppl. Mat. section 2). Plain lines: vertical (boundary layer) and linear (free atmosphere) fits to estimate the stratification properties. **c-f:** Sketches representing the interaction between the giant dunes and the atmospheric flow for different meteorological conditions. **g:** Streamlines over a sinusoidal topography $\xi(x, y)$ qualitatively representing the effect of low, medium and strong flow confinement, in relation to the above panels (see Appendix 1 for more details). [add arrow with reference wind](#)

²²⁹ et al. 2006; Jiang 2014):

$$\mathcal{F} = \frac{U}{\sqrt{\frac{\Delta\rho}{\rho_0} g H}}, \quad (1)$$

²³⁰ where U is the wind velocity at the top of the ABL and ρ_0 its average den-
²³¹ sity. The intensity of the stratification, i.e. the amplitude of the gradient $|\partial_z \rho|$,
²³² also impact ability to deform the capping layer under the presence of an un-
²³³ derlying obstacle, and thus affects the influence of flow confinement. This
²³⁴ can be quantified using the internal Froude number (Vosper 2004; Stull 2006;
²³⁵ Sheridan and Vosper 2006; Hunt et al. 2006; Jiang 2014) $\mathcal{F}_I = kU/N$, where
²³⁶ $N = \sqrt{-g\partial_z \rho/\rho_0}$ is the the Brunt-Väisälä frequency (Stull 1988). Both Froude
²³⁷ numbers have in practice the same qualitative effect on flow confinement, and
²³⁸ we shall restrict the main discussion to \mathcal{F} only.

²³⁹ This theoretical framework in mind, the smallest wind disturbances are
²⁴⁰ expected to occur during the day, when the ABL depth is the largest and
²⁴¹ comparable to the dune wavelength ($kH \gtrsim 1$), which correspond to a weak
²⁴² confinement situation (Fig. 4c,d). On the contrary, large wind disturbances
²⁴³ are expected to occur during the night, when the confinement is mainly in-
²⁴⁴ duced by a shallow ABL (Fig. 4e). However, this strong confinement can be
²⁴⁵ somewhat reduced in the case of strong winds, corresponding to large values
²⁴⁶ of the Froude number (Fig. 4f). This is qualitative agreement with the trans-
²⁴⁷ ition from deflected to non-deflected winds related to low and high velocities
²⁴⁸ observed in the data (Sec. 2.2).

²⁴⁹ 3.2 Flow regime diagrams

²⁵⁰ We can go one step further and analyse how our data quantitatively spread
²⁵¹ over the different regimes discussed above. For that purpose, one needs to
²⁵² compute kH and \mathcal{F} from the time series. H , U and the other atmospheric
²⁵³ parameters can be deduced from the various vertical profiles (temperature,
²⁵⁴ humidity) available in the ERA5 climate reanalysis (Suppl. Mat. section 2).
²⁵⁵ We quantify the flow deflection δ_θ as the minimal angle between the wind
²⁵⁶ orientations comparing the local measurements and the regional predictions.
²⁵⁷ We also compute the relative velocity modulation as

$$\delta_u = \frac{u_*^{\text{ERA}} - u_*^{\text{station}}}{u_*^{\text{ERA}}}. \quad (2)$$

²⁵⁸ These two quantities are represented as maps in the plane (\mathcal{F}, kH) (Fig. 5a,b),
²⁵⁹ and one can clearly identify different regions in these graphs. Small wind dis-
²⁶⁰ turbances (small δ_θ and δ_u) are located in the top-right part of the diagrams,
²⁶¹ corresponding to a regime with low-interaction as well as low-confinement (kH
²⁶² and \mathcal{F} large enough, Fig. 4d). Lower values of kH (stronger interaction) or of
²⁶³ Froude number (stronger confinement) both lead to an increase in wind dis-
²⁶⁴ turbances, both in terms of orientation and velocity. Below a crossover value

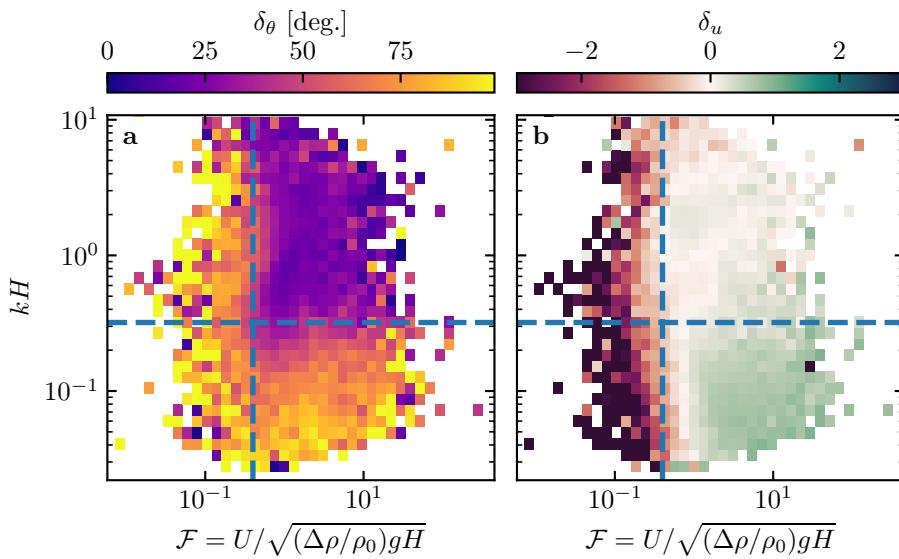


Fig. 5 Regime diagrams of the wind deviation δ_θ (a) and relative attenuation/amplification δ_u (b) in the space (\mathcal{F}, kH) , containing the data from both the Deep Sea and South Namib stations. Blue dashed lines empirically delimit the different regimes. The point density in each bin of the diagrams is shown in Suppl. Fig. S11. Similar regime diagrams in the spaces (\mathcal{F}_l, kH) and $(\mathcal{F}_l, \mathcal{F})$ are shown in Suppl. Fig. S12. ticks on x-axis ?

265 $kH \simeq 0.3$, wind disturbance is less sensitive to the \mathcal{F} -value, probably due to
 266 enhanced non-linear effects linked to strong flow modulation by the obstacle
 267 when confinement is strong more precise arguments?. The Froude number also
 268 controls a transition from damped to amplified wind velocities in the inter-
 269 dune, with a crossover around $\mathcal{F} \simeq 0.4$ (Fig. 5b). Such an amplification is
 270 rather unexpected. Checking the occurrence of the corresponding data, it ap-
 271 pears that they are mainly associated with the wind coming from the South,
 272 when it blows at the end of day, but in summer time only although it is also
 273 present in winter an additional suppl. fig.? This effect may be linked to a
 274 change in the flow behaviour in the lee side of the obstacle (lee waves, hy-
 275 draulic jumps, rotors) but further measurements are clearly needed in order
 276 to assess the different possibilities (Baines 1995; Vosper 2004).

277 4 Discussion

278 The comparison of local (direct measurements) and regional (climate reanaly-
 279 sis) wind data reveals the giant dune feedback on the wind flow. In flat areas,
 280 the agreement between the two confirms the ability of the ERA5-Land cli-
 281 mate reanalysis to predict the wind regime down to scales ~ 10 km, i.e the
 282 model grid. When smaller scale topographies are present (giant dunes in our
 283 case), locally measured winds can significantly differ from the regionally pre-
 284 dicted ones. This is the case when the disturbances induced by the dunes

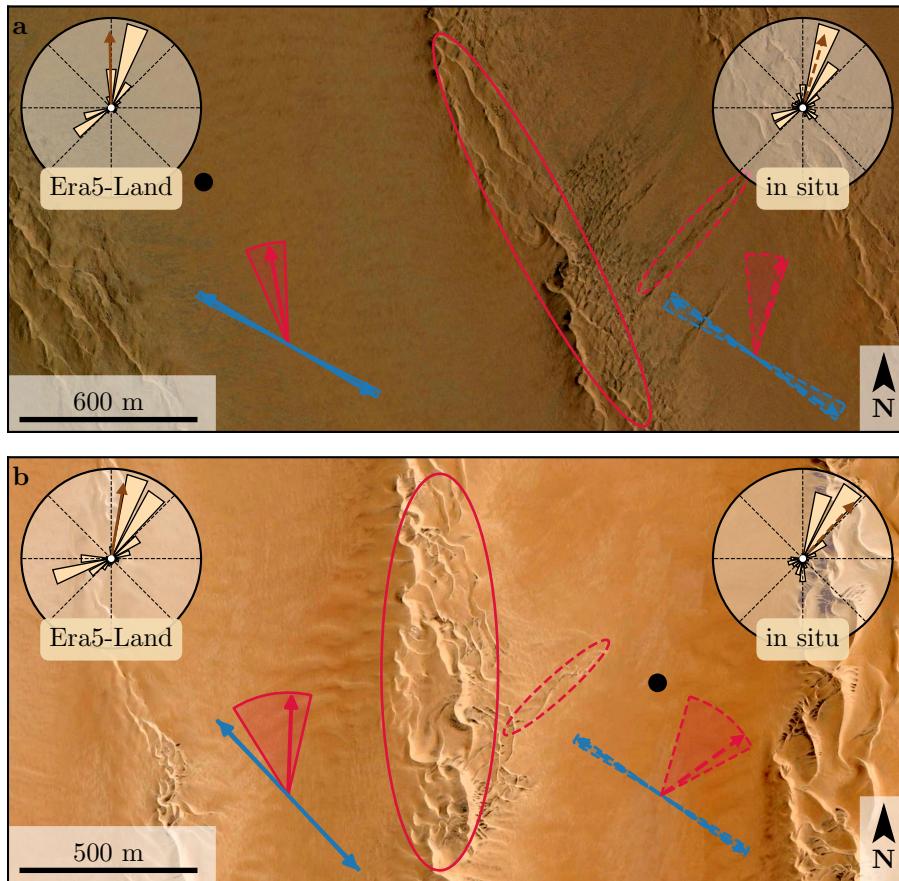


Fig. 6 Implications for smaller scale patterns in (a) the South Namib and (b) Deep Sea. The ellipses indicate the different types of elongating dunes, at large (plain line) and small (dashed line) scales. Dune orientation are predicted using the model of Courrech du Pont et al. (2014) from the sand flux angular distributions, shown here (roses and resultant transport direction) for typical values (grain size $180 \mu\text{m}$, flux-up ratio of 1.6). Code for corresponding arrows: use of ERA5-Land data (plain line), use of local measurements (dashed line), prediction for the bed instability growth mechanism (blue), prediction for the elongation growth mechanism (red). Wedges show the uncertainty on the orientation calculation when parameters are varied. The black dots indicate the location of the meteorological stations with respect to the dunes. See Appendix 2 for additional details.

285 interact with the lower part of the ABL vertical structure, which presents circadian variations. During the day, when the capping layer is typically high, this interaction is small, and the ERA5-Land predictions are also quantitatively consistent with the local data. During the night, however, the presence 286 of a shallow atmospheric boundary layer induces a strong confinement of the flow, and is associated with large wind deflection by the dunes. Importantly, 287 we find that this effect can be counterbalanced for large wind velocities, which 288

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292 are capable of deforming the capping layer, thus decreasing the influence of
293 the confinement.

294 The theoretical computation of the wind disturbances induced by sinu-
295 soidal ridges under flow confinement has been performed in the linear limit
296 (Andreotti et al. 2009, 2012), i.e. when the aspect ration of these ridges is
297 small ($k\xi_0 \ll 1$). These models are able to qualitatively reproduce the observed
298 wind deflection (Appendix 1, Suppl. Figs. S12 and S13), and thus provide the
299 physical support for the hydrodynamic picture we propose here. They how-
300 ever cannot reach the magnitude of these observations, probably due to the
301 presence of expected non-linearities in high confinement situations linked to
302 strong flow modulations. Besides, these linear calculations only predict wind
303 attenuation in the interdune, in contrast with the observed enhanced veloci-
304 ties associated with particular summer evening winds from the South. Some
305 other models also predict different spatial flow structures such as lee waves
306 and rotors (Baines 1995; Vosper 2004), which of course cannot be observed by
307 our single point measurements. Data at different places along and across the
308 ridges are needed to investigate and possibly map such flow structures, and
309 for further comparisons with the models.

310 This study highlights the interaction between giant dunes and the atmo-
311 spheric boundary layer. It then supports the debated idea that the capping
312 layer acts as a bounding surface impacting the dune dynamics, and limit-
313 ing dune growth in particular (Andreotti et al. 2009), as opposed to an un-
314 constrained growth ever-slower with size (Eastwood et al. 2011; Gunn et al.
315 2021). Interestingly, this mechanism would allow for the inference of the ABL
316 depth from the giant bedforms spacing where measurements are not feasible
317 or available, as e.g. performed by Lorenz et al. (2010) on Titan.

318 This interaction also has important implications for smaller scales bed-
319 forms, as illustrated in Fig. 6. In the Namib Sand Sea, small linear dunes
320 (~ 50 m -wide) are present in the interdune between giant linear dunes (~ 2 km
321 -wide). Strangely enough, the small dunes do not have the same orientation
322 as the large ones, and sometimes denotes as ‘crossing dunes’. While differ-
323 ences between large and small scale dune patterns are observed ubiquitously,
324 they are now largely attributed to the presence of two different dune growth
325 mechanisms, leading to two different dune patterns (orientations and/or mor-
326 phologies) for the same wind regime (Courrech du Pont et al. 2014; Runyon
327 et al. 2017; Lü et al. 2017; Song et al. 2019; Gadal et al. 2020; Hu et al. 2021).
328 Here, however, we can get the orientations of the small and giant linear dunes
329 from the same dune growth mechanism (elongating mode), respectively using
330 the locally measured and regionally predicted winds (red arrows in Fig. 6).
331 The feedback of the giant dunes on the wind described in this study then pro-
332 vides an explanation for the existence of these small linear dunes elongating
333 across the interdune, as yet unresolved. Further studies are of course needed
334 to confirm this hypothesis. These crossing dunes could provide additional con-
335 straints for the inference of local winds from bedforms, similarly to what is
336 currently performed on Mars using ripple orientations (Liu and Zimbelman
337 2015; Hood et al. 2021).

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 341 research in Python.

342 ERA5 and ERA5-Land datasets are publicly available at the Copernicus Climate Change
 343 Service (C3S) Climate Data Store. The locally measured wind data can be found at [up-](#)
 344 [load on public data repository](#). The digital elevation models from the Shuttle Radar To-
 345 graphy Mission are publicly available from Nasa servers, and can be downloaded at
 346 <https://dwtkns.com/srtm30m/>. Fully documented codes used to analyse this study are
 347 available at <https://github.com/Cgadal/GiantDunes> (will be made public upon acceptance
 348 of this manuscript for publication).

349 [citing all grants ...] [TOAD](#)

350 Appendix 1: Linear theory of wind response to topographic pertur- 351 bation

352 Following the work of Fourrière et al. (2010), Andreotti et al. (2012) and
 353 Andreotti et al. (2009), we briefly expose in this appendix the framework of
 354 the linear response of a turbulent flow to a topographic perturbation of small
 355 aspect ratio. As a general bed elevation can be decomposed into Fourier modes,
 356 we focus here on a sinusoidal topography:

$$\xi = \xi_0 \cos [k (\cos(\alpha)x + \sin(\alpha)y)], \quad (3)$$

357 which is also a good approximation for the giant dunes observed in the Deep
 358 Sea and South Namib Station (Fig. 1 and Suppl. Fig. S4). x and y are the
 359 streamwise and spanwise coordinates, $k = 2\pi/\lambda$ the wavenumber of the sinu-
 360 soidal perturbation, and α its crest orientation with respect to the y -direction.
 361 The two components of the basal shear stress $\tau = \rho_0 u_* \mathbf{u}_*$, constant in the flat
 362 bottom reference case, can then be generically written as:

$$\tau_x = \tau_0 \left(1 + k \xi_0 \sqrt{\mathcal{A}_x^2 + \mathcal{B}_x^2} \cos [k (\cos(\alpha)x + \sin(\alpha)y) + \phi_x] \right), \quad (4)$$

$$\tau_y = \tau_0 k \xi_0 \sqrt{\mathcal{A}_y^2 + \mathcal{B}_y^2} \cos [k (\cos(\alpha)x + \sin(\alpha)y) + \phi_y], \quad (5)$$

363 where τ_0 is the reference basal shear stress on a flat bed. We have defined
 364 the phase $\phi_{x,y} = \tan^{-1}(\mathcal{B}_{x,y}/\mathcal{A}_{x,y})$ from the in-phase and in-quadrature hy-
 365 drodynamical coefficients $\mathcal{A}_{x,y}$ and $\mathcal{B}_{x,y}$. They are functions of k and of the
 366 flow conditions, i.e the bottom roughness, the vertical flow structure and the
 367 incident flow direction, and the theoretical framework developed in the above
 368 cited papers proposes methods to compute them in the linear regime.

369 Following Andreotti et al. (2012), the effect of the incident wind direction
 370 can be approximated by the following expressions:

$$\mathcal{A}_x = \mathcal{A}_0 \cos^2 \alpha, \quad (6)$$

$$\mathcal{B}_x = \mathcal{B}_0 \cos^2 \alpha, \quad (7)$$

$$\mathcal{A}_y = \frac{1}{2} \mathcal{A}_0 \cos \alpha \sin \alpha, \quad (8)$$

$$\mathcal{B}_y = \frac{1}{2} \mathcal{B}_0 \cos \alpha \sin \alpha, \quad (9)$$

where \mathcal{A}_0 and \mathcal{B}_0 are now two coefficients independent of the dune orientation α , corresponding to the transverse case ($\alpha = 0$). For a fully turbulent boundary layer capped by a stratified atmosphere, these coefficients depend on kH , kz_0 , \mathcal{F} and \mathcal{F}_1 (Andreotti et al. 2009). In this study, we assume a constant hydrodynamic roughness $z_0 \simeq 1$ mm (Suppl. Mat. section 1). For the considered giant dunes, this leads to $kz_0 \simeq 2 \cdot 10^{-6}$, as their wavelength is $\lambda \simeq 2.4$ km (or $k \simeq 2 \cdot 10^{-3} \text{ m}^{-1}$). Values of z_0 extracted from field data indeed typically fall between 0.1 mm and 10 mm (Sherman and Farrell 2008; Field and Pelletier 2018). Importantly, \mathcal{A}_0 and \mathcal{B}_0 do not vary much in the corresponding range of kz_0 (Fourrière et al. 2010), and the results presented here are robust with respect to this choice.

With capping a layer height and Froude numbers computed from the ERA5-Land time series, the corresponding \mathcal{A}_0 and \mathcal{B}_0 can be deduced, allowing to produce maps as displayed in Suppl. Fig. S13. Interestingly, it shows similar regimes as in the diagrams of Fig. 5 and Fig. S12a,b, supporting the physics picture. However, the matching remains qualitative only. As a matter of fact, the linearity assumption of the theoretical framework requires $(|\tau| - \tau_0) / \tau_0 \ll 1$, which translates into $k\xi\sqrt{\mathcal{A}_0^2 + \mathcal{B}_0^2} \ll 1$. In our case, the giant dune morphology gives $k\xi_0 \simeq 0.1$, which means that one quits the regime of validity of the linear theory when the coefficient modulus $\sqrt{\mathcal{A}_0^2 + \mathcal{B}_0^2}$ becomes larger than a few units. In accordance with the theoretical expectations, these coefficients present values on the order of unity ($\mathcal{A}_0 \simeq 3$ and $\mathcal{B}_0 \simeq 1$) in unconfined situations (Claudin et al. 2013; Lü et al. 2021). In contrast and as illustrated in Suppl. Fig. S12a,b, larger values are predicted in case of strong confinement, which does not allow us to proceed to further quantitative comparison with the data.

Finally, the linear model is also able to reproduce the enhancement of the flow deflection over the sinusoidal ridges when $\sqrt{\mathcal{A}_0^2 + \mathcal{B}_0^2}$ is increased (Suppl. Fig. S13). Here, using $k\xi_0 \simeq 0.1$ to be representative of the amplitude of the giant dunes at the Deep Sea station, the coefficient modulus is bounded to 10.

Appendix 2: Sediment transport and dune morphodynamics

We summarise in this appendix the sediment transport and dune morphodynamics theoretical framework leading to the prediction of sand fluxes and dune orientations from wind data.

Sediment transport — The prediction of sand fluxes from wind data has been a long standing issue in aeolian geomorphological studies (Fryberger and Dean 1979; Pearce and Walker 2005; Sherman and Li 2012; Shen et al. 2019). Based on laboratory studies in wind tunnels (Rasmussen et al. 1996; Iversen and Rasmussen 1999; Creyssels et al. 2009; Ho et al. 2011), as well as physical considerations (Ungar and Haff 1987; Andreotti 2004; Durán et al. 2011; Pähzt and Durán 2020), it has been shown that the steady saturated saltation flux

412 over a flat sand bed depends linearly on the shear stress:

$$\frac{q_{\text{sat}}}{Q} = \Omega \sqrt{\Theta_{\text{th}}} (\Theta - \Theta_{\text{th}}), \quad (10)$$

413 where Ω is a proportionality constant, $Q = d\sqrt{(\rho_s - \rho_0)gd/\rho_0}$ is a character-
 414 istic flux, $\Theta = \rho_0 u_*^2 / (\rho_s - \rho_0)gd$ the Shields number, and Θ_{th} its threshold
 415 value below which saltation vanishes. $\rho_s = 2.6 \text{ g cm}^{-3}$ and $d = 180 \mu\text{m}$ are
 416 the grain density and diameter, and g is the gravitational acceleration. The
 417 shear velocity, and consequently the Shields number as well as the sediment
 418 flux, are time dependent.

419 Recently, Pähzt and Durán (2020) suggested an additional quadratic term
 420 in Shields to account for grain-grain interactions within the transport layer at
 421 strong wind velocities:

$$\frac{q_{\text{sat}, t}}{Q} = \frac{2\sqrt{\Theta_{\text{th}}}}{\kappa\mu} (\Theta - \Theta_{\text{th}}) \left(1 + \frac{C_M}{\mu} [\Theta - \Theta_{\text{th}}] \right), \quad (11)$$

422 where $\kappa = 0.4$ is the von Kármán constant, $C_M \simeq 1.7$ a constant and $\mu \simeq 0.6$ is
 423 a friction coefficient, taken to be the avalanche slope of the granular material.
 424 The fit of this law to the experimental data of Creyssels et al. (2009) and Ho
 425 et al. (2011) gives $\Theta_{\text{th}} = 0.0035$. The fit of Eq. 10 on these same data similarly
 426 gives $\Omega \simeq 8$ and $\Theta_{\text{th}} = 0.005$. The sand flux angular distributions and the
 427 dune orientations in Fig. 6 are calculated using this law (11). We have checked
 428 that using the ordinary linear relationship (10) instead does not change the
 429 predicted dune orientations by more than a few degrees.

430 *Dune orientations* — Dune orientations are predicted with the dimensional
 431 model of Courrech du Pont et al. (2014), from the sand flux time series com-
 432 puted with the above transport law. Two orientations are possible depending
 433 on the mechanism dominating the dune growth: elongation or bed instabil-
 434 ity. The orientation α corresponding the bed instability is then the one that
 435 maximises the following growth rate (Rubin and Hunter 1987):

$$\sigma \propto \frac{1}{H_d W_d T} \int_0^T q_{\text{crest}} |\sin(\theta - \alpha)| dt, \quad (12)$$

436 where θ is the wind orientation measured with respect to the same reference
 437 as α , and H_d and W_d are dimensional constants respectively representing the
 438 dune height and width. The integral runs over a time T , which must be repre-
 439 sentative of the characteristic period of the wind regime. The flux at the crest
 440 is expressed as:

$$q_{\text{crest}} = q_{\text{sat}} [1 + \gamma |\sin(\theta - \alpha)|], \quad (13)$$

441 where the flux-up ratio γ has been calibrated to 1.6 using field studies, under-
 442 water laboratory experiments and numerical simulations. Predictions of the
 443 linear analysis of Gadal et al. (2019) give similar results.

⁴⁴⁴ Similarly, the dune orientation corresponding to the elongation mechanism
⁴⁴⁵ is the one that verifies:

$$\tan(\alpha) = \frac{\langle q_{\text{crest}}(\alpha) \mathbf{e}_\theta \rangle \cdot \mathbf{e}_{WE}}{\langle q_{\text{crest}}(\alpha) \mathbf{e}_\theta \rangle \cdot \mathbf{e}_{SN}}, \quad (14)$$

⁴⁴⁶ where $\langle \cdot \rangle$ denotes a vectorial time average. The unitary vectors \mathbf{e}_{WE} , \mathbf{e}_{SN} and
⁴⁴⁷ \mathbf{e}_θ are in the West-East, South-North and wind directions, respectively.

⁴⁴⁸ The resulting computed dune orientations, blue and red arrows in Fig. 6,
⁴⁴⁹ then depend on a certain number of parameters (grain properties, flux-up ratio,
⁴⁵⁰ etc.), for which we take typical values for aeolian sandy deserts. Due to the lack
⁴⁵¹ of measurements in the studied places, some uncertainties can be expected. We
⁴⁵² therefore run a sensibility test by calculating the dune orientations for grain
⁴⁵³ diameters ranging from 100 μm to 400 μm and for a speed-up ratio between
⁴⁵⁴ 0.1 and 10 (wedges in Fig. 6).

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685 **Local wind regime induced by giant linear dunes**
 686 — Supplementary Material —

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693 **1. Shear velocity and calibration of the hydrodynamical roughness**

694 As the regionally predicted and locally measured velocities are available at
 695 different heights, we can not compare them directly. We then convert all ve-
 696 locities into shear velocities u_* , characteristic of the turbulent velocity profile
 697 (Spalding 1961; Stull 1988):

$$\frac{u(z)}{u_*} = \frac{1}{\kappa} \ln \left(\frac{z}{z_0} \right), \quad (15)$$

698 where z is the vertical coordinate, $\kappa = 0.4$ the von Kármán constant and
 699 z_0 the hydrodynamic roughness. Several field measurements of hydrodynamic
 700 roughnesses are available [Here cite a few old/general papers on roughness](#). In
 701 the absence of sediment transport, it scales with the geometric features of the
 702 bed (Pelletier and Field 2016) [too specific paper? other older papers?](#). When
 703 transport occurs, it rather typically scales with the thickness of the transport
 704 layer. For aeolian saltation, this is controlled by the altitude of Bagnold's
 705 focal point (Durán et al. 2011; Valance et al. 2015), which depends on the
 706 wind velocity and grain properties (Sherman and Farrell 2008; Zhang et al.
 707 2016; Field and Pelletier 2018). Whether associated with geometric features
 708 or with sediment transport, its typical order of magnitude is the millimetre
 709 scale.

710 We do not have precise velocity vertical profiles to be able to deduce an
 711 accurate value of z_0 in the various environments of the meteorological stations
 712 (vegetated, arid, sandy). Our approach is to rather select the hydrodynamic
 713 roughness which allows for the best possible matching between the regionally
 714 predicted and locally measured winds, i.e. minimising the relative difference δ
 715 between the wind vectors of both datasets:

$$\delta = \frac{\sqrt{\langle \| \mathbf{u}_{*,\text{era}} - \mathbf{u}_{*,\text{station}} \|^2 \rangle}}{\sqrt{\langle \| \mathbf{u}_{*,\text{era}} \|^2 \rangle \langle \| \mathbf{u}_{*,\text{station}} \|^2 \rangle}}, \quad (16)$$

716 where $\langle \cdot \rangle$ denotes time average. This parameter is computed for values of z_0
 717 in ERA5-Land analysis ranging from 10^{-5} m to 10^{-2} m for the four different
 718 stations. Note that for the Deep Sea and South Namib stations, where the
 719 giant dunes feedback presumably affect the wind, we take into account the
 720 non-deflected winds only in the calculation of δ (with a 15° tolerance).

As shown in Suppl. Fig. S3, the minimum values of δ in the space (z_0^{ERA5Land} , z_0^{local}) form a line. We thus set the roughness in the ERA5-Land analysis to the typical value $z_0 = 10^{-3}$ m, and deduce the corresponding ones for the local stations. It leads to 2.7, 0.8, 0.1 and 0.5 mm for the Adamax, Deep Sea, Huab and South Namib stations, respectively. Importantly, this approach somewhat impacts the calculation of the shear velocities, but not that of the wind directions. As such, most of our conclusions are independent of such a choice. However, it may affect the magnitude of the wind velocity attenuation/amplification in flow confinement situations.

2. Computation of the ABL characteristics

The estimation of the non-dimensional numbers associated with the ABL requires the computation of representative meteorological quantities. In arid areas, the vertical structure of the atmosphere can be approximated by a well mixed convective boundary layer of height H , topped by the stratified free atmosphere (Stull 1988; Shao 2008). In this context, one usually introduces the virtual potential temperature T_{vp} , which is a constant T_0 inside the boundary layer, and increases linearly in the FA (Suppl. Fig. S9a):

$$T_{\text{vp}}(z) = \begin{cases} T_0 & \text{for } z \leq H, \\ T_0 \left(1 + \frac{\Delta T_{\text{vp}}}{T_0} + \frac{N^2}{g}(z - H) \right) & \text{for } z \geq H, \end{cases} \quad (17)$$

where ΔT_{vp} is the temperature discontinuity at the capping layer and $N = \sqrt{g\partial_z T_{\text{vp}}/T_0}$ is the Brunt-Väisälä frequency, characteristic of the stratification. Note that, under the usual Boussinesq approximation, temperature and air density variations are simply related by $\delta T_{\text{vp}}/T_0 \simeq -\delta\rho/\rho_0$ (see Suppl. Mat. of Andreotti et al. (2009)), so that N can equivalently be defined from the density gradient as next to Eq. 1.

The ERA5 dataset provides vertical profiles of the geopotential ϕ , the actual temperature T and the specific humidity η at given pressure levels P . The vertical coordinate is then calculated as:

$$z = \frac{\phi R_t}{g R_t - \phi}, \quad (18)$$

where $R_t = 6371229$ m is the reference Earth radius and $g = 9.81$ m s⁻² is the gravitational acceleration. One also computes the virtual potential temperature as:

$$T_{\text{vp}} = T \left[1 + \left(\frac{M_d}{M_w} - 1 \right) \eta \right] \left(\frac{P_0}{P} \right)^{R/C_p}, \quad (19)$$

where $P_0 = 10^5$ Pa is the standard pressure, $R = 8.31$ J/K is the ideal gas constant, $C_p \simeq 29.1$ J/K is the air molar heat capacity, and $M_w = 0.018$ kg/Mol

752 and $M_d = 0.029 \text{ kg/Mol}$ are the molecular masses of water and dry air respectively.
 753 The specific humidity is related to the vapour pressure p_w as

$$\eta = \frac{\frac{M_w}{M_d} p_w}{p - \left(1 - \frac{M_w}{M_d}\right) p_w}. \quad (20)$$

754 The ERA5 dataset also provides an estimate of the ABL depth H , based
 755 on the behaviour of the Richardson vertical profile. This dimensionless num-
 756 ber is defined as the ratio of buoyancy and flow shear terms, and can be
 757 expressed as $\text{Ri} = N^2 / (\partial_z u)^2$. It vanishes in the lower well-mixed layer where
 758 T_{vp} is constant, and increases in the stratified FA. Following the method and
 759 calibration of Vogelegang and Holtslag (1996); Seidel et al. (2012), the value
 760 $\text{Ri}(z) \simeq 0.25$ has been shown to be a good empirical criterion to give $z \simeq H$
 761 within a precision varying from 50% for the shallower ABL (e.g. at night) to
 762 20% for situations of stronger convection.

763 Examples of vertical profiles of the virtual potential temperature deduced
 764 from ERA5 are shown in Suppl. Fig. S9a. For each of them, an average tem-
 765 perature is computed below the ABL depth ($z < H$), and a linear function is
 766 fitted above, allowing us to extract the temperature jump ΔT_{vp} . Importantly,
 767 some profiles display a vertical structure that cannot be approximated by the
 768 simple form (17) used here (Suppl. Fig. S9b). In practice, we removed from
 769 the analysis all of those leading to the unphysical case $\Delta T_{\text{vp}} < 0$. We have
 770 noticed that these ‘ill-processed’ profiles dominantly occur in winter and are
 771 evenly spread across the hours of the day. Importantly, they represent $\simeq 12\%$
 772 of the data only (Suppl. Fig. S9c,d), and we are thus confident that this data
 773 treatment does not affect our conclusions.

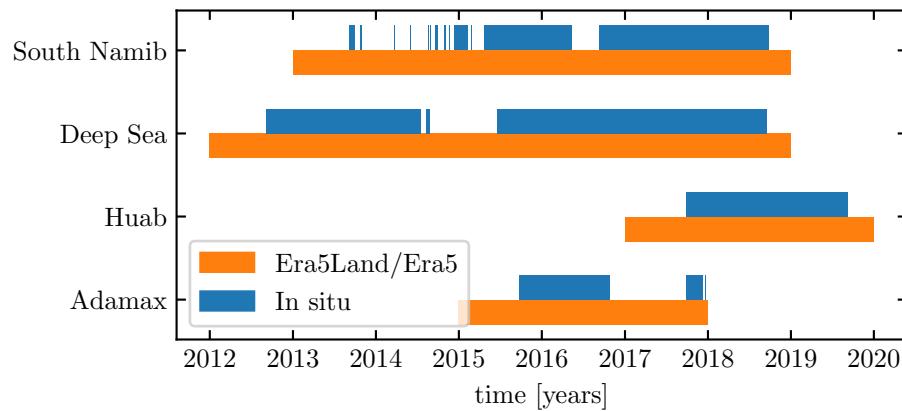


Fig. S1 Gant chart representing the valid time steps for the two data sets, for all stations.

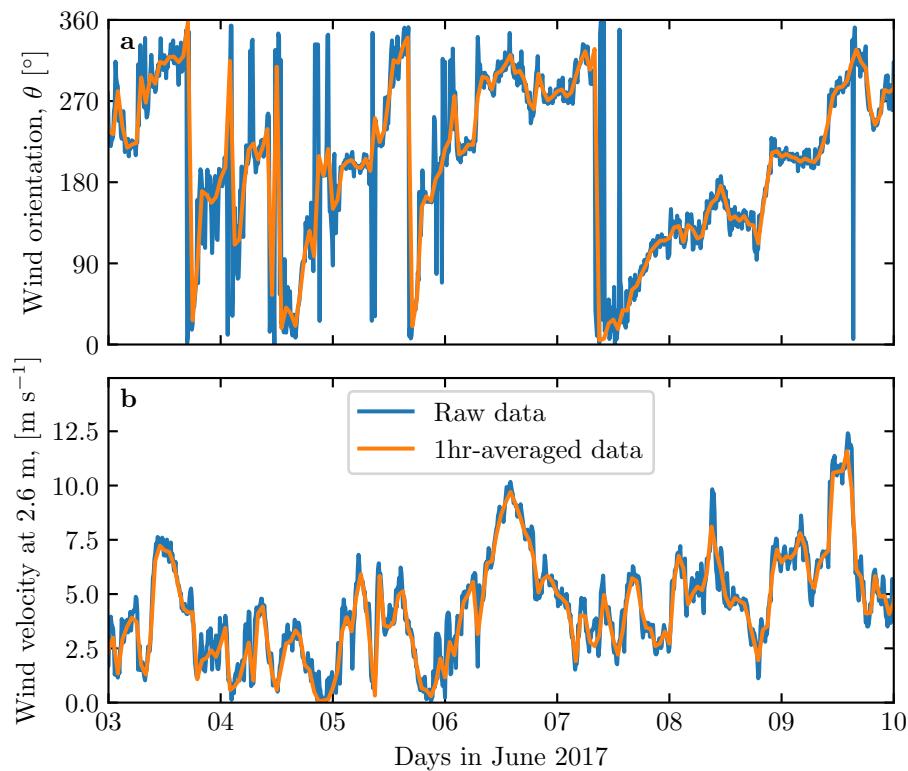


Fig. S2 Comparison between raw local wind measurements, and hourly-averaged data for South Namib station. **a:** wind direction. **b:** wind velocity at height 2.6 m.

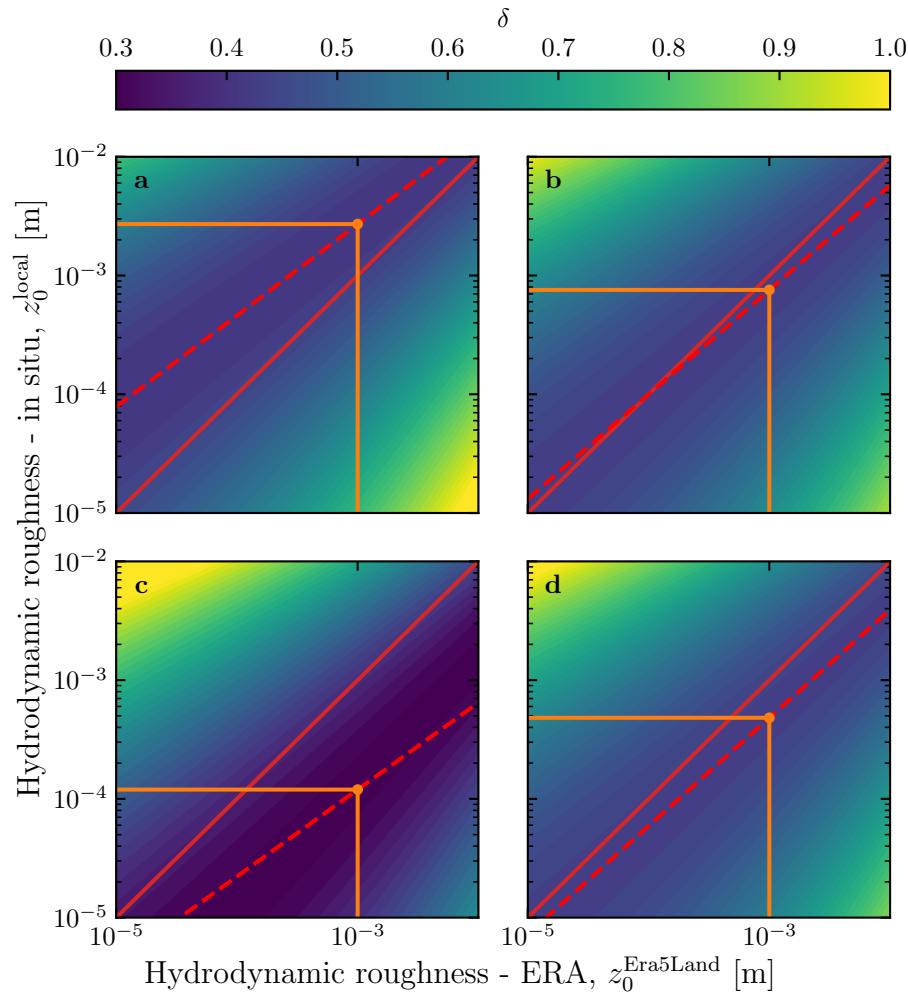


Fig. S3 Calibration of hydrodynamic roughness. The parameter δ (Eq. 16) quantifying the difference between local and predicted winds is shown in colorscale as a function of the hydrodynamic roughnesses chosen for the ERA5-Land and for local winds, for the (a) Adamax, (b) Deep Sea, (c) Huab and (d) South Namib stations. The red dashed and plain lines shows the minima of δ and the identity line, respectively. The orange lines and dots highlight the chosen hydrodynamic roughnesses for the local winds deduced from setting $z_0^{\text{ERA5Land}} = 1$ mm.

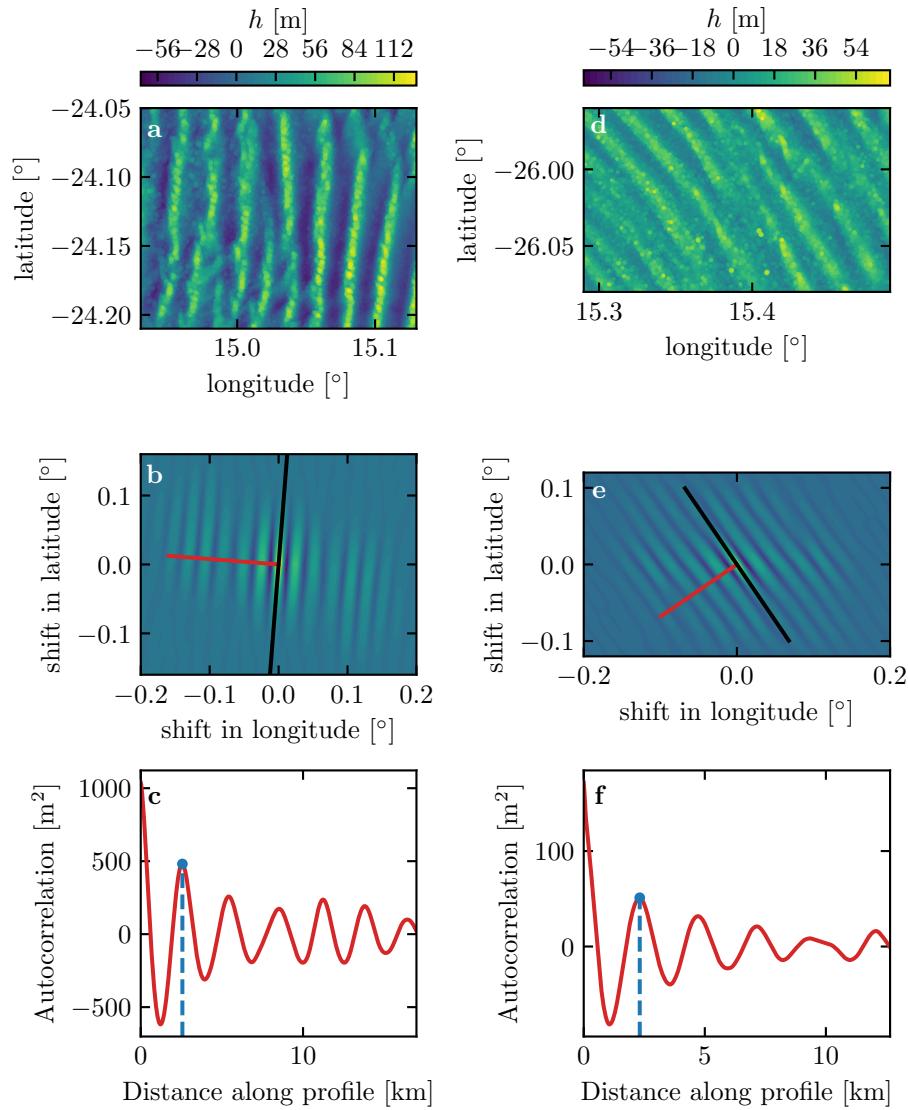


Fig. S4 Analysis of the DEMs of the Deep Sea (left column – panels **a**, **b**, **c**) and South Namib (right column – panels **d**, **e**, **f**) stations. **a-d**: Bed elevation detrended by a fitted second order polynomial base-line. **b-e**: Autocorrelation matrix shown in colorscale. The black line shows the detected dune orientation, and the red line represents the autocorrelation profile along which the dune wavelength is calculated, displayed in **c-f**. The blue lines and dots show the first peak of the autocorrelation profile, whose abscissa gives the characteristic wavelength of the dune pattern.

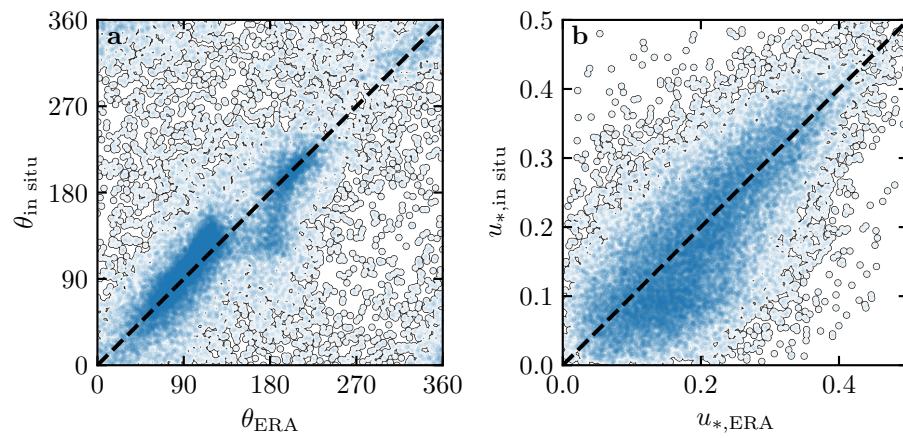


Fig. S5 Statistical comparison of the wind orientation (a) and velocity (b) between the ERA5-Land dataset and the local measurements for the Huab and Adamax stations. Data point clustering around identity lines (dashed and black) provide evidence for agreement of the two sets.

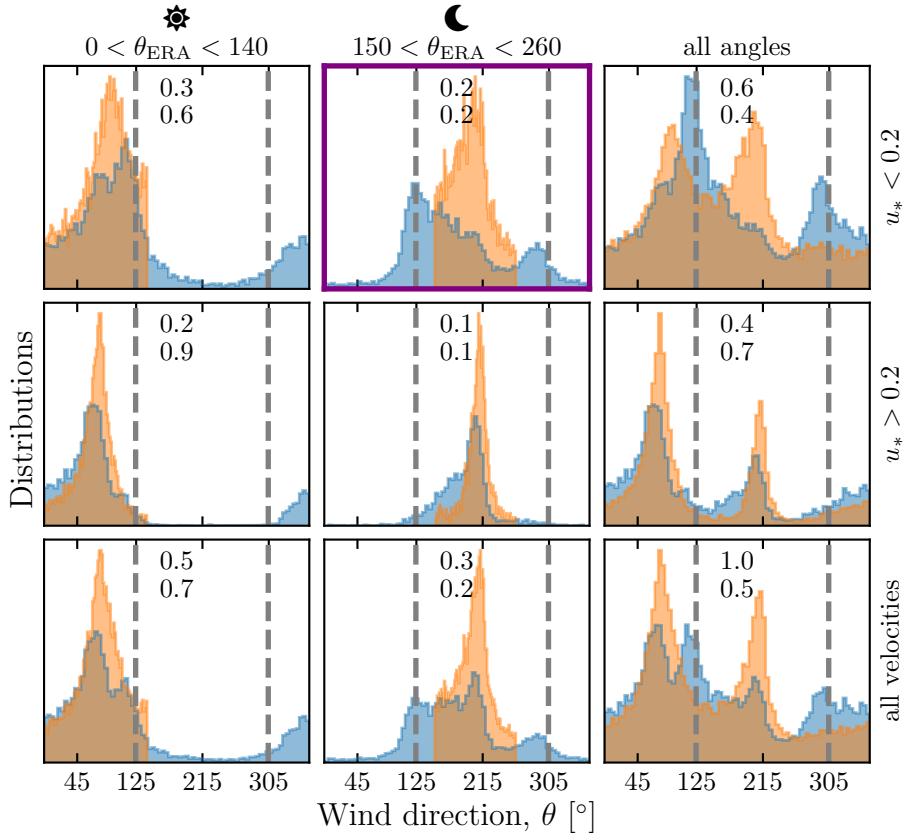


Fig. S6 Distributions of wind direction at the South Namib Station for the ERA5-Land climate reanalysis (orange) and the local measurements (blue) – equivalent of Fig. 3. In each subplot, both distributions are plotted from the same time steps, selected with constraints on the wind direction (columns) and/or wind velocity (rows) in the ERA5-Land dataset. The gray vertical dashed lines indicate the dune orientation. The numbers at the top centre give the percentage of time steps selected in each sub-range, as well as the percentage of them corresponding to the day (between 1000 UTC and 2200 UTC). The purple frame highlights the regime (small wind velocities, nocturnal summer wind) during which the wind data from both datasets differ.

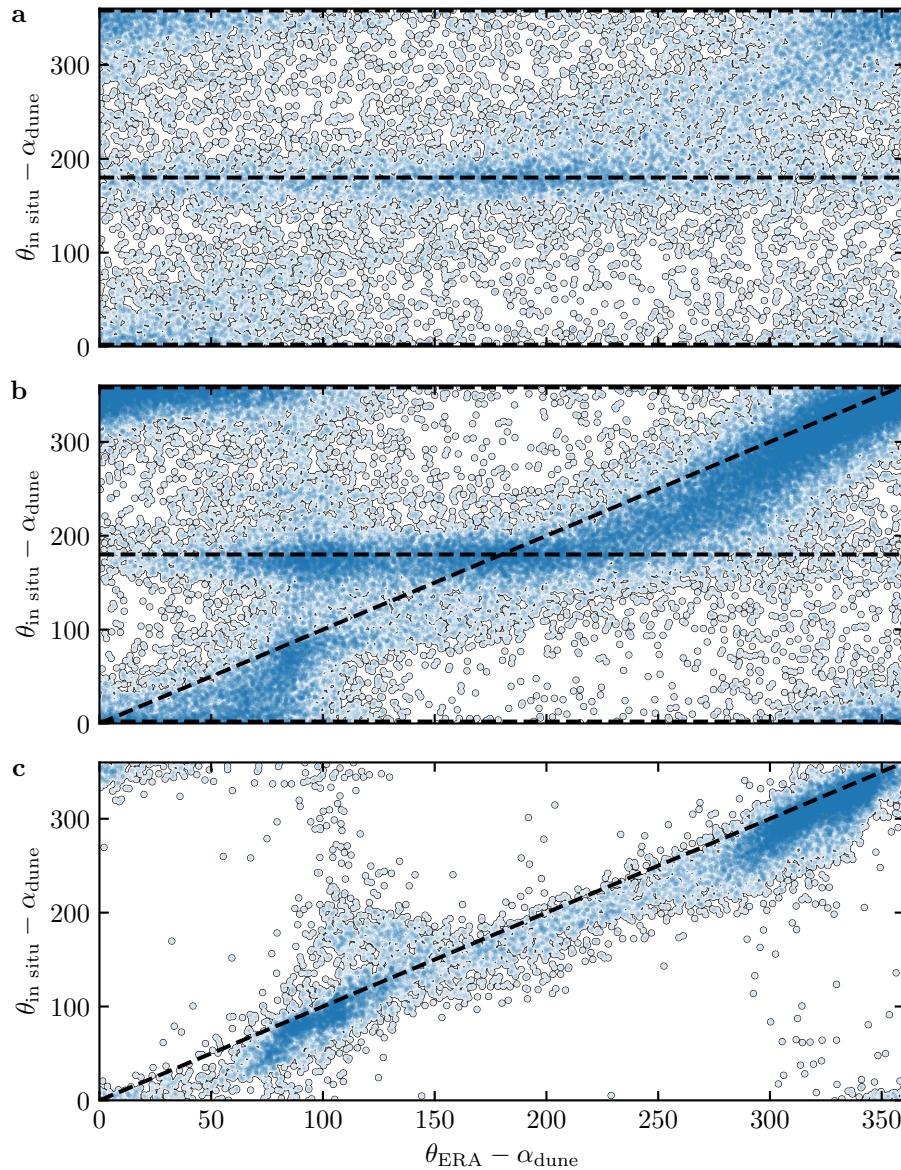


Fig. S7 Statistical comparison of the wind orientation between the ERA5-Land dataset and the local measurements for the South Namib and Deep Sea stations, for different velocity ranges. **a:** $u_{*,\text{ERA}} < 0.1 \text{ m s}^{-1}$. **b:** $0.1 < u_{*,\text{ERA}} \leq 0.25 \text{ m s}^{-1}$. **c:** $u_{*,\text{ERA}} \geq 0.25 \text{ m s}^{-1}$. The measured dune orientations are subtracted to the wind orientation, which allows us to plot both stations on the same graph. Black dashed lines indicate locally measured orientations aligned with the dune crests (here 0°, 180° and 360° – panels a, b), as well as the identity lines (panels b, c).

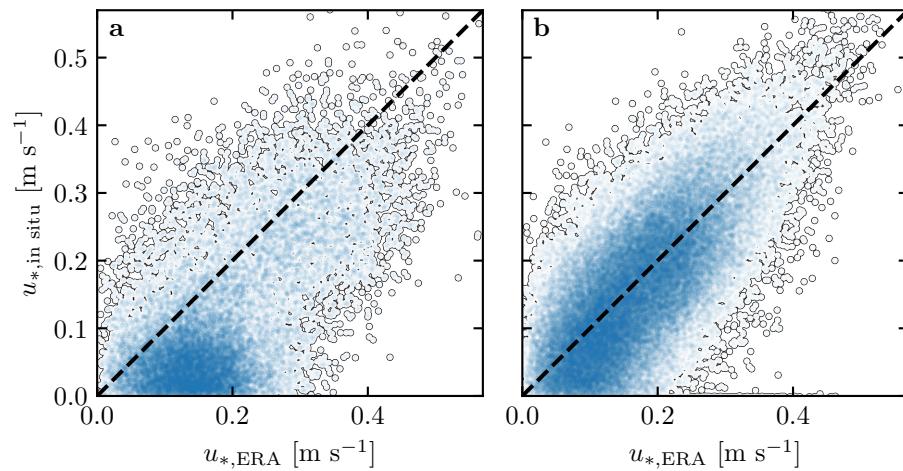


Fig. S8 Statistical comparison of the wind velocity between the ERA5-Land dataset and the local measurements for the South Namib and Deep Sea stations. **a:** Nocturnal summer easterly wind. **b:** Diurnal southerly wind. Black dashed lines are identity lines. The angle ranges used to select diurnal and nocturnal summer winds are the same as those in Fig. 3 and Suppl. Fig. S6.

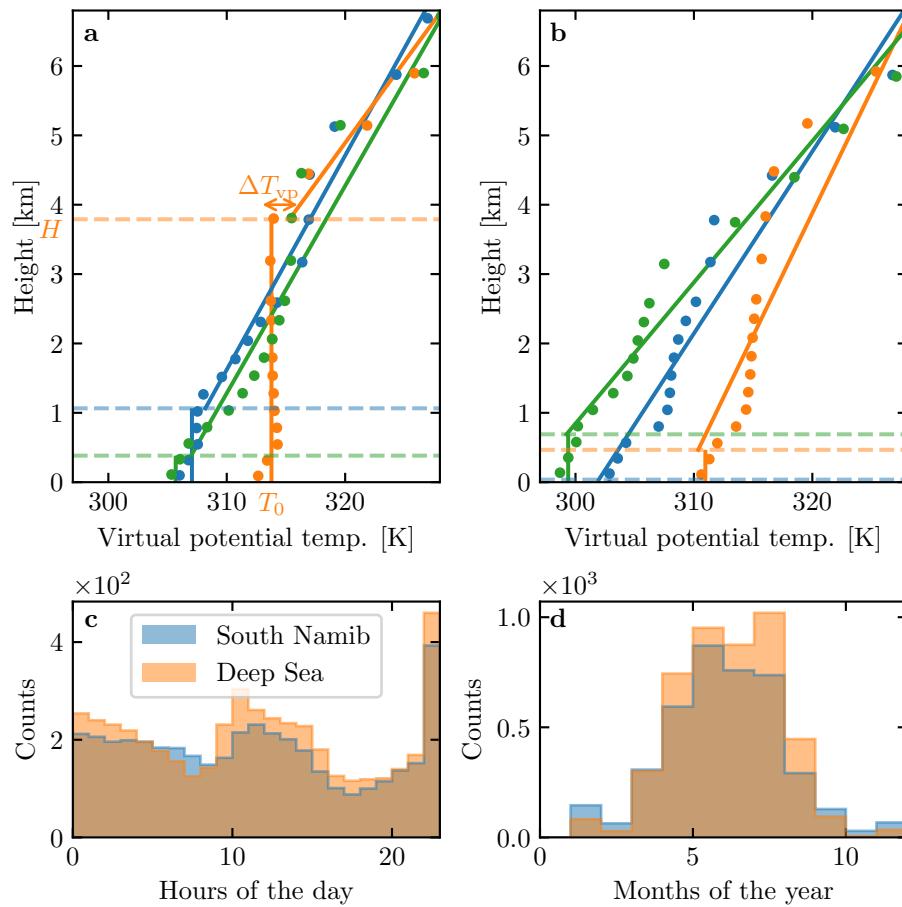


Fig. S9 **a:** Vertical profiles of the virtual potential temperature at three different times (blue: 29/11/2012 - 1100 UTC, orange: 21/03/2017 - 1200 UTC, green: 21/03/2017 - 2000 UTC) at the South Namib station. Dots: data from the ERA5 reanalysis. Dashed lines: boundary layer height given by the ERA5 reanalysis. Plain lines: vertical (ABL) and linear (FA) fits to estimate the quantities displayed in Suppl. Fig. S10. **b:** Examples of ill-processed vertical profiles at three different times (blue: 2/12/2013 - 2300 UTC, orange: 20/03/2017 - 0000 UTC, green: 14/07/2017 - 1400 UTC) at the South Namib station. **c:** Hourly distribution of ill-processed vertical profiles. **d:** Monthly distribution of ill-processed vertical profiles.

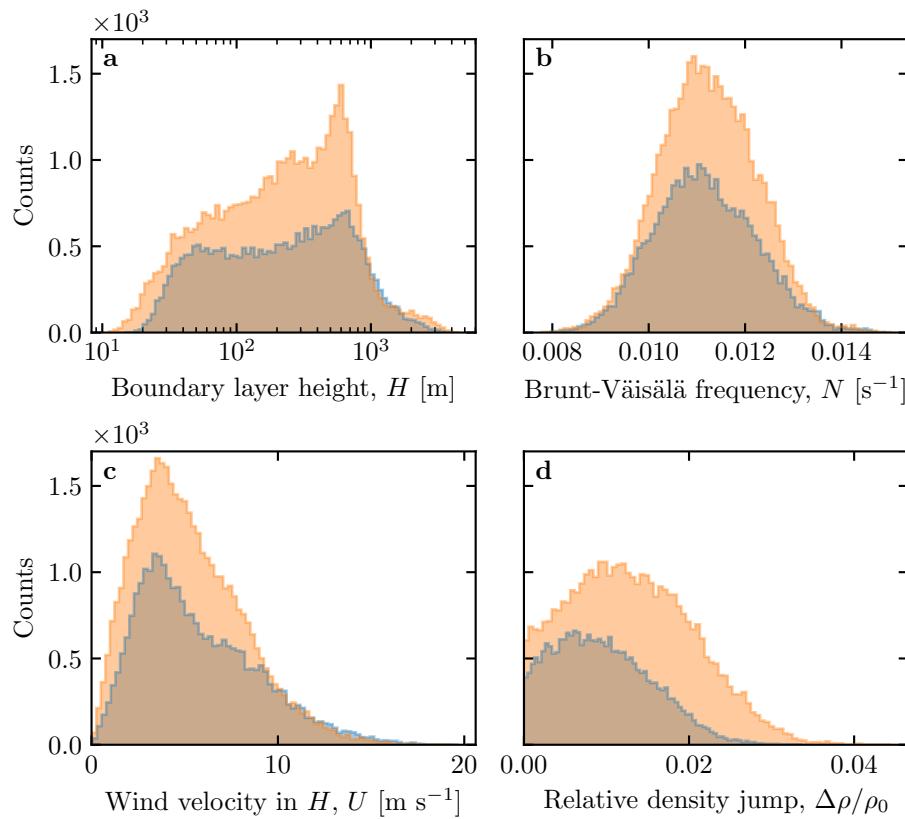


Fig. S10 Distributions of the meteorological parameters resulting from the processing of the ERA5-Land data for the South Namib (blue) and the Deep Sea (orange) stations. **axis** label : panel c -velocity at (height) H. Is this for all day/night/seasons ?

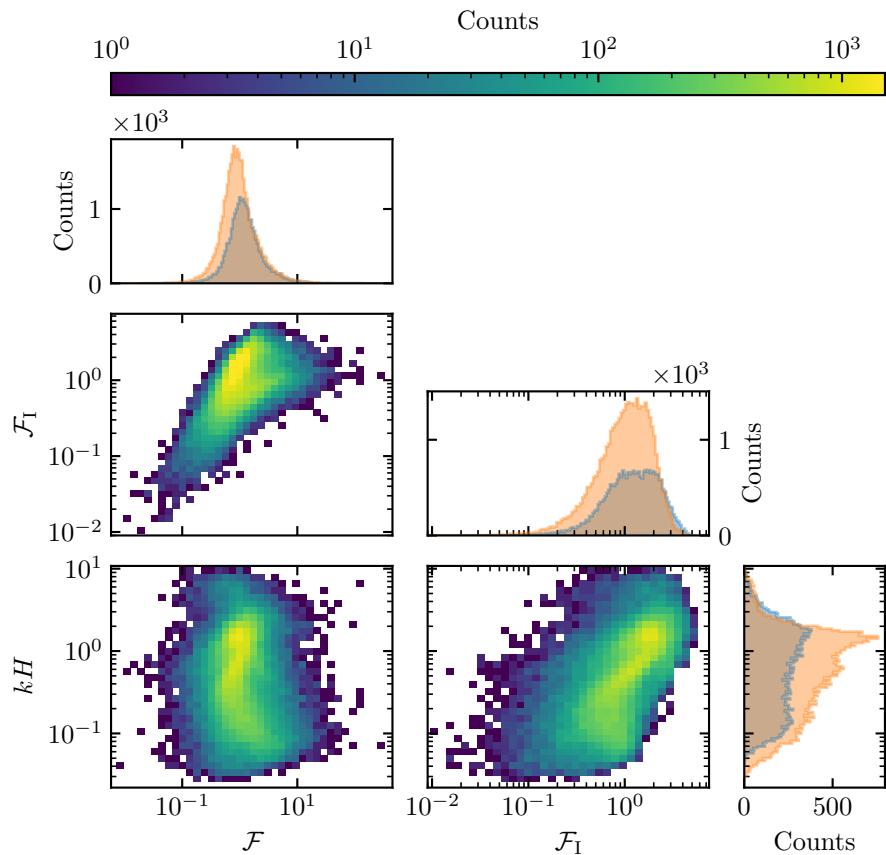


Fig. S11 Non-dimensional parameters distributions. For the marginal ?? distributions, the orange correspond to the South Namib station, and the blue to the Deep Sea station.

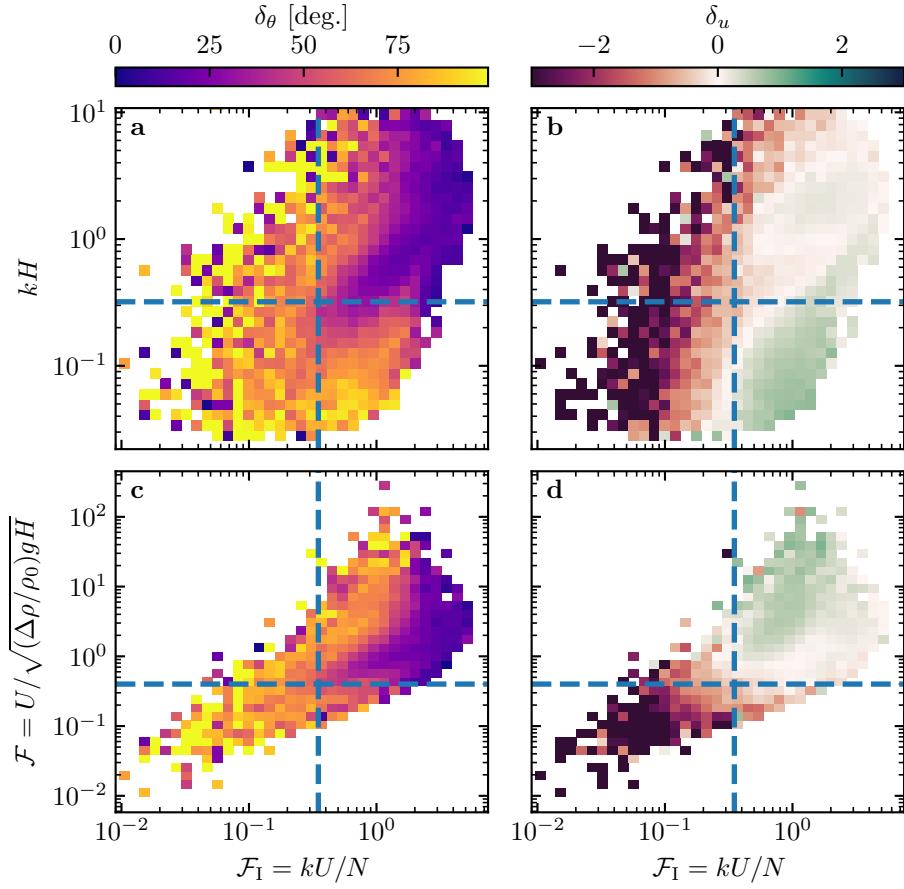


Fig. S12 Regime diagrams of the wind deviation δ_θ and relative attenuation/amplification δ_u in the spaces (\mathcal{F}_I, kH) and $(\mathcal{F}_I, \mathcal{F})$, containing the data from both the Deep Sea and South Namib stations. Blue dashed lines empirically delimit the different regimes. The point density in each bin of the diagrams is shown in Suppl. Fig. S11. The similar regime diagrams in the space (\mathcal{F}, kH) are shown in Fig. 5.

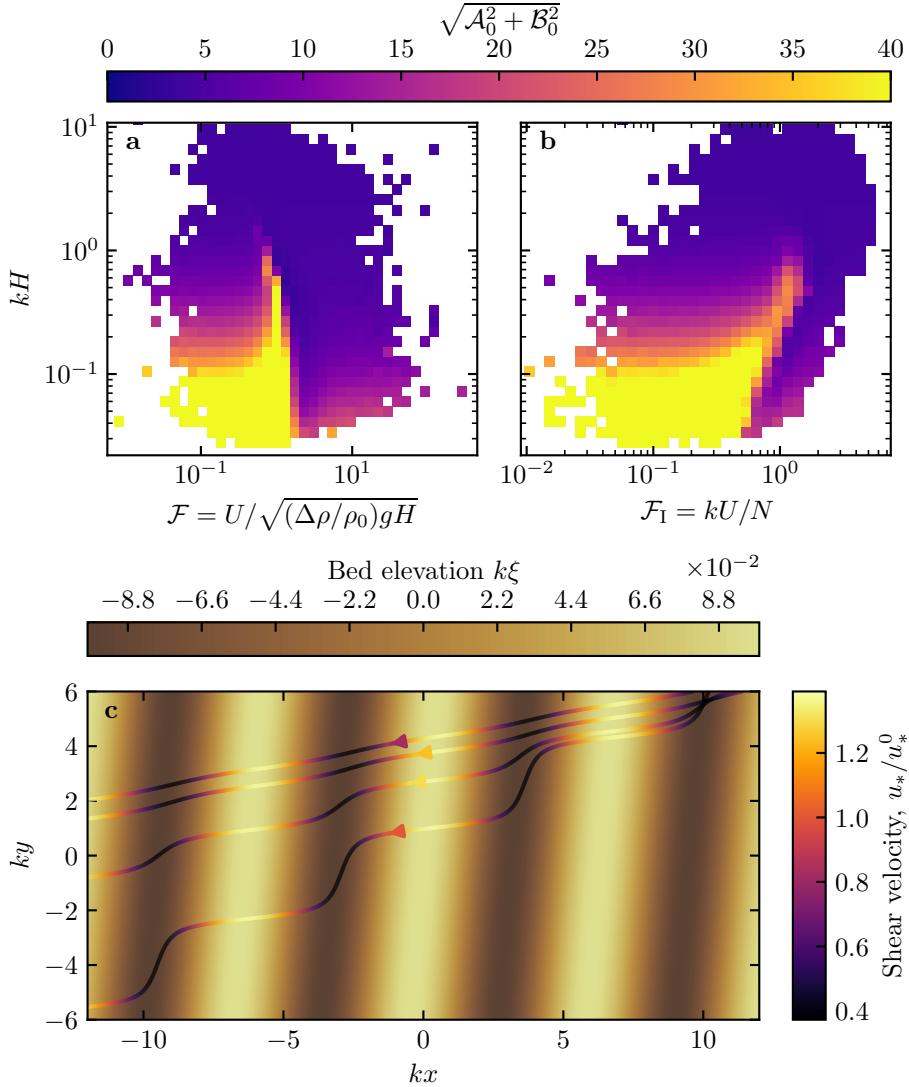


Fig. S13 Computation of the flow disturbance with the linear model of Andreotti et al. (2009). (a) and (b) Magnitude of the hydrodynamic coefficients A_0 and B_0 , calculated from the values of the non-dimensional numbers corresponding to the ERA5-Land time series presented in Figs. 4 and 5. (c) Shear velocity streamlines over sinusoidal ridges of amplitude $k\xi_0 = 0.1$ and for increasing values of $\sqrt{A_0^2 + B_0^2}$. From the upper to the lower streamline, values of $(kH, \mathcal{F}, \mathcal{F}_I, A_0, B_0, \sqrt{A_0^2 + B_0^2})$ are $(1.9, 0.6, 1.5, 3.4, 1.0, 3.5)$, $(1.5, 0.3, 0.4, 4.8, 1.4, 5.0)$, $(0.1, 3.5, 1.0, 8.6, 0.1, 8.6)$, $(0.5, 0.05, 0.04, 9.6, 2.5, 9.9)$.