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## 1 Graph Theorem

## 1.1 Biconnected Component

```
vi a[N+10], bcc[N+10]; int pre[N+10], bccno[N+10], low[N+10]; bool iscut[N+10]; int dfs_clock, bcc_cnt; stack < E > s; void dfs(int i, int fa) pre[i]=low[i]=++dfs_clock; intchild = 0; rep(k, sz(a[i]))intj = a[i][k]; if(!pre[j])s.push 0child == 1)iscut[i] = 0; void find_bcc(intn)dfs_clock = bcc_cnt = 0; clr(pre, 0), clr(iscut, 0), clr(bccno, 0); repf(i, 1, n)if(!pre[i])dfs(i, n)
```

## 1.2 Strongly Connected Componenet

```
vi a[N+10]; int dfn[N+10], low[N+10], num[N+10]; int belong[N+10], s[N+10]; bool inS[N+10]; int Idx, now; void tar(int i) dfn[i]=low[i]=++now, s[++s[0]]=i, inS[i]=true; rep(k, sz(a[i])) int j=a[i][k]; if (!dfn[j]) tar(j), checkmin(low[i], low[j]); elseif(inS[j])checkmin(low[i], dfn[ji] (low[i]==dfn[i]) Idx++; do j=s[s[0]-]; belong[j]=Idx, num[Idx]++; inS[j]=false; while(j!=i); void tar() now=Idx=s[0]=0; clr(dfn, 0), clr(inS, 0), clr(num, 0); repf(i, 1, n) if (!dfn[i]) tar(i);
```

## 1.3 Dijkstra

```
struct P int i, d; P() P(int i, int d):i(i),d(d) bool operator; (const Pp)const return d;p.d;; int d[N+10]; bool done[N+10]; vi a[N+10]; void dijkstra(int s) priority<sub>q</sub>ueue < P > q; clr(d, -1), clr(done, 0); q.push(P(s, 0)), d[s] = 0, done[s] = true; while(!q.empty())Pp = q.top(); q.pop(); inti = p.i; if(done[i])continue; done[i] = true; rep(P(s, 0))
```

# 1.4 Hungray

```
vi a[N+10]; int f[N+10], v[N+10]; bool find
(int i) rep(j, sz(a[i])) int k=a[i][j]; if (!v[k]) v[k]=true; if (!f[k] —
find(f[k])) f[k]=i; return true; return false; int hungray() int ret=0; clr(f, 0); repf(i, 1, n) clr(v, 0); if (find(i)) ret++; return ret;
```

#### 1.5 Dinic

```
struct e_t intto, cap, rev; e_t (intto, intcap, intrev) : to(to), cap(cap), rev(rev); template int SZ_i class Dinic public: vector e_t > a[SZ+10]; intlev[SZ+10], done[SZ+10]; ints, t; bool levelize() queue int e_t q; fill (lev, -1); q.push(s), lev e_t = 0; while (!q.empty()) int i=q.front(); q.pop(); rep(k, sz(a[i])) e_t e = a[i][k]; if (!e.cap||lev[e.to]! = -1) continue; lev [e.to] = lev [i] + 1; q.push(e.to); returnlev [t]! = -1; int augment (int v, int f) if (v==t ——!f) return f; for (; done[v] is z(a[v]); ++done[v]) e_t e = a[v][done[v]]; if (lev [e.to] < lev [v]||!e.cap) continue; intt = augment (e.to, min(f, e.cap)); if (t)e.cap—= t; a[e.to][e.rev].cap+= t; returnt; return0; void clear() rep(i, SZ) a[i].clear(); void add(int i, int j, int c) a[i].pb(e_t(j, c, sz(a[j]))); a[j].pb(e_t(i, 0, sz(a[i]) - 1));
```

```
int maxFlow() int tot=0, tmp; while (levelize()) fill(done, 0); while (tmp = augment(s, INF)) tot += tmp; return tot; ;
```

#### 1.6 Minimun Cost Maximun Flow

```
struct e_t intto, cap, rev, cost; template jint N_i class MCMF public: vectorje_t > a[N*5+10]; intf[N*5+10]; intf[N*5+10]; c[N*5+10]; boolinQ[N*5+10]; e_t*e[N*5+10]; ints, t; void clear() rep(i, t+1) a[i].clear(); void add(int i, int j, int c, int cost) a[i].pb((e_t)j, c, sz(a[j]), cost); a[j].pb((e_t)i, 0, sz(a[i]) - 1, -cost); bool bellmanFord(int flow, int cost) queuejint_i q; clr(f, 0), clr(c, 0x7f), clr(inQ, 0); q.push(s), f[s]=INF, c[s]=0, inQ[s]=1; while (!q.empty()) int i=q.front(); q.pop(); inQ[i]=0; rep(k, sz(a[i])) e_tei = a[i][k]; if(ei.capc[ei.to] > c[i]+ei.cost)f[ei.to] = min(f[i], ei.cap); c[ei.to] = (c[t]=-0x7f7f7f7f) return false; flow+=f[t], cost+=c[t]*f[t]; int i=t; while (i!=s) e[i]-i_cap-=f[t]; a[i][e[i]-i_rev].cap+=f[t]; i=a[i][e[i]-i_rev].to; return true; void minCost(int flow, int cost) while (bellmanFord(flow, cost)); ;
```

## 2 Data Structure

#### 2.1 Union-Find Set

template;int SZ; class UFS int f[SZ+10]; public: void clear() rep(i, SZ+10) f[i]=i; int find(int i) if (f[i]==i) return i; return f[i]=find(f[i]); void unions(int i, int j) i=find(i), j=find(j); f[i]=j; ;

#### 2.2 Hash Table

char str[N+10][S+10];

 $\label{eq:continuous_struct_struct} $$\operatorname{template}_{i} \ SZ_{i} \ \operatorname{struct} \ Hash \ \operatorname{int} \ h[SZ+10]; \ H() \ \operatorname{clr}(h, \ -1); \ \operatorname{int} \ \operatorname{gao}(\operatorname{char} *s) \ \operatorname{int} \ \operatorname{ret}=0, \ n=\operatorname{strlen}(s); \ \operatorname{rep}(i, \ n) \ \operatorname{ret}=(\operatorname{ret}*131+s[i])\operatorname{return} \ \operatorname{ret}; \ \operatorname{int} \ \operatorname{find}(\operatorname{char} *s) \ \operatorname{int} \ k=\operatorname{gao}(s); \ \operatorname{while} \ (h[k]!=-1 \ \operatorname{strcmp}(\operatorname{str}[h[k]], \ s)!=0) \ k=(k+1)\operatorname{n}[k]=i; ;$ 

## 2.3 Binary Indexed Tree

template jint SZ $\$  struct BIT int a[SZ+10]; public: void clear() clr(a, 0); void ins(int x, int k) while (xj=n) a[x]+=k, x+=x-x; int qry(int x) int ret=0; while (x $\$ 0) ret+=a[x], x-=x-x; return ret; ;

## 2.4 Segment Tree

define lson i\*2, x, z define rson i\*2+1, z+1, y

template;int SZ; class SegTree int a[SZ\*4+10], mod[SZ\*4+10]; void update(int i) a[i\*2]=a[i\*2+1]=mod[i\*2]=mod[i\*2+1]=mod[i]; mod[i]=0; public: void clear() clr(a, 0), clr(mod, 0); void ins(int i, int x, int y, int l, int r, int c) if (x==l y==r) a[i]=c; mod[i]=c; return; if (mod[i]) update(i);

int z=mid(x,y); if (r<sub>i</sub>=z) ins(lson, l, r, c); else if (l<sub>i</sub>z) ins(rson, l, r, c); else ins(lson, l, z, c); ins(rson, z+1, r, c); a[i]=a[i\*2] — a[i\*2+1]; int query(int i, int x, int y, int l, int r) if (x==l y==r) return a[i]; if (mod[i]) update(i);

int z=mid(x, y); if  $(r_i=z)$  return query(lson, l, r); else if  $(l_iz)$  return query(rson, l, r); else return query(lson, l, z) — query(rson, z+1, r); ;

#### 2.5 KMP

char s[N+10]; int f[N+10]; void getFail(char \*s, int \*f, int n) f[0]=f[1]=0; repf(i, 1, n-1) int j=f[i]; while (j s[i]!=s[j]) j=f[j]; f[i+1]=s[i]==s[j]? j+1: 0;

## 3 Math

## 3.1 Extended Eucild

template ¡class T; T exgcd(T a, T b, T x, T y) if (b==0) return x=1, y=0, a; T ret=exgcd(b, ax=y, y=t-a/b\*y; return ret;

## 3.2 Mod Class C

templatejclass T; struct C static const T M=1000000007; T x; C(T  $_x$ ) $x = (xTanti()constT_x, _y; exgcd(x, M, _x, _y; exgcd(x, M, _x; exgcd(x, M,$ 

#### 3.3 Guess

 $\label{eq:continue} \begin{array}{l} \mbox{void Guess(int $n$ ,int $m$) int $k=0$; $\mbox{rep(i, $n$) repf(j, $k$, $m-1$) if $(a[j][i])$ $\mbox{rep(l, $n+1$)}$ $\mbox{swap}(a[k][i], a[j][i])$; $\mbox{break}; $\mbox{ if $(a[k][i]==0)$ continue; $\mbox{rep(j, $m$) if $(j!=k$ $a[j][i])$ int $x=a[j][i], $y=a[k][i]$; $\mbox{rep(l, $n+1$)}$ $a[j][l]=$ $((a[j][l]^*y-a[k][l]^*x)$ $k++$; $\mbox{repf(i, $k$, $m-1$) if $(a[i][n])$ puts("Inconsistent data."); $\mbox{return}; $\mbox{ if $(kin)$ puts("Multiple solutions."); $\mbox{return}; $\mbox{ vi ans; $\mbox{rep(i, $n$)}$ ans.pb($(a[i][n]^*op[a[i][i]])$ out(ans); } \end{array}$ 

# 4 Computational Geometry

#### 4.1 Intersection

bool Intersection(P p1, P p2, P p3, P p4, P c) double d1=(p2-p1)\*(p3-p1), d2=(p2-p1)\*(p4-p1); double d3=(p4-p3)\*(p1-p3), d4=(p4-p3)\*(p2-p3); int s1=sgn(d1), s2=sgn(d2), s3=sgn(d3), s4=sgn(d4); if (s1\*s2 $_{\stackrel{\cdot}{\iota}}$ 0 — s3\*s4 $_{\stackrel{\cdot}{\iota}}$ 0) return false; c=P((p3.x\*d2-p4.x\*d1)/(d2-d1), (p3.y\*d2-p4.y\*d1)/(d2-d1)); return true;

## 4.2 Point to Segment

double point2segment(P a, P b, P p) if (a==b) return (p-a).len(); if (sgn((p-a)^(b-a)) < 0)return(p-a).len(); elseif(sgn((p-b)^(a-b)) < 0)return(p-b).len(); elsereturnfabs((p-a)\*(a-b))/(a-b).len();

## 4.3 Point at Polygon

 $bool\ is Point In Polygon (P\ p,\ vp\ a)\ int\ w=0;\ rep(i,\ n)\ int\ k=sgn((a[i+1]-a[i])*(p-a[i]));\ int\ d1=sgn(a[i].y-p.y);\ int\ d2=sgn(a[i+1].y-p.y);\ if\ (k;0\ d1;=0\ d2;0)\ w++;\ if\ (k;0\ d2;=0\ d1;0)\ w-;\ if\ (w!=0)\ return\ 1;\ return\ 0;$ 

#### 4.4 Convex Hull

void ConvexHull(vp a, vp b) sort(all(a)); rep(i, n) while (sz(b);1 (b[sz(b)-1]-b[sz(b)-2])\*(a[i]-b[sz(b)-2]);=0) b.pop<sub>b</sub>ack(); b.pb(a[i]); intk = sz(b); repd(i, n - 2,0)while(sz(b) > k(b[sz(b) - 1] - b[sz(b) - 2]) \* (a[i] - b[sz(b) - 2]) <= 0)b.pop<sub>b</sub>ack(); b.pb(a[i]); if(sz(b) > 1)b.pop<sub>b</sub>ack();

## 5 Others

## 5.1 Big Number

struct bigNum static const int L=1000; int it[L+10]; bigNum() fill(it, 0), it[0]=1; bigNum(int n) fill(it, 0); while (n) it[++it[0]]=nn/=10; if (!it[0]) it[0]=1; bigNum operator +(const bigNum b)const bigNum ret; ret.it[0]=max(it[0], b.it[0])+1; repf(i, 1, ret.it[0]) ret.it[i]+=it[i]+b.it[i]; ret.it[i+1]+=ret.it[i]/10; ret.it[i] while (ret.it[0] $\downarrow$ 1 ret.it[ret.it[0]]==0) ret.it[0]-; return ret; bigNum operator -(const bigNum b)const bigNum ret; ret.it[0]=it[0]; repf(i, 1, ret.it[0]) ret.it[i]+=it[i]-b.it[i]; if (ret.it[i] $\downarrow$ 0) ret.it[i]+=10, ret.it[i+1]-; while (ret.it[0] $\downarrow$ 1 ret.it[ret.it[0]]==0) ret.it[0]-; return ret; bigNum operator \*(const bigNum b)const bigNum ret; ret.it[0]=it[0]+b.it[0]; repf(i, 1, it[0]) repf(j, 1, b.it[0]) ret.it[i+j-1]+=it[i]\*b.it[j]; repf(i, 1, ret.it[0]) ret.it[i+1]+=ret.it[i]/10, ret.it[i]while (ret.it[0] $\downarrow$ 1 ret.it[ret.it[0]]==0) ret.it[0]-; return ret; void out() repd(i, it[0], 1) printf("putchar("); ;

## 5.2 vimrc

set mouse=a set nu set history=4000 set backspace=2 set sw=4 set ts=4 set cindent syntax on

func! R() exec ":w" exec "!clearg++ exec "!./endfunc :map;F9 $\xi$  :call R();CR $\xi$