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COMPUTER PROGRAMS MANUAL

ANALYTICAL STUDY OF CATALYTIC REACTORS FOR HYDRAZINE DECOMPOSITION

ONE-AND TWO-DIMENSIONAL STEADY-STATE PROGRAMS

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E.J. SMITH, D.B. SMITH and A.S. KESTEN

prepared for

NATIONAL AERONAUTICS AND SPACE ADMINISTRATION

AUGUST, 1968

CONTRACT NAS 7-45



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United Aircraft Research Laboratories



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Computer Program Manual

One- and Two-Dimensional Steady-State Models

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E. J. Smith, D. B. Smith and A. S. Kesten

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ABSTRACT

Two machine computational programs have been developed under NASA Contract NAS 7-456 to calculate the steady-state temperature and reactant concentration distributions in typical catalyzed hydrazine decomposition reaction chambers. One program is based upon a one-dimensional model of the reactor system which describes the behavior of reactors having radially uniform injection profiles and catalyst bed configurations, while the other program is based upon a two-dimensional model which permits consideration of nonuniform radial injection and of catalyst bed configurations exhibiting both radial and axial nonuniformities.

The one- and two-dimensional models and the computer programs developed from these models are described in detail in this computer manual. The manual contains operating instructions for these programs as well as descriptions of input and output formats, including all output messages. Also included is a discussion of possible operational problems which might arise together with appropriate means for solving these problems.

FOREWORD

This work was performed by United Aircraft Research Laboratories for the National Aeronautics and Space Administration under Contract NAS 7-458 initiated April 15, 1966.

Included among those who cooperated in performance of the work under NAS 7-458 were Dr. A. S. Kesten, Program Manager, Dr. W. G. Burwell, Chief, Kinetics and Thermal Sciences Section, Mr. D. B. Smith, Project Analyst, and Mrs. E. J. Smith, Applied Mathematician.

This work was conducted under program management of the NASA Chief, Liquid Propulsion Experimental Engineering Systems, NASA Headquarters, Washington, D. C., and the Technical Manager was Mr. T. W. Price, Jet Propulsion Laboratory, Pasadena, California.

Report G910461-30

Analytical Study of Catalytic Reactors

for Hydrazine Decomposition

Computer Programs Manual

One- and Two-Dimensional Steady-State Models

Contract NAS 7-458

SUMMARY

A description is contained herein of two machine computational programs developed under Contract NAS 7-458 with the National Aeronautics and Space Administration. These programs represent one- and two-dimensional steady-state models of catalyzed hydrazine decomposition reaction chambers. Both of these models consider both thermal and catalytic decomposition of reactants, along with simultaneous heat and mass transfer between the free-gas phase and the gas within the pores of the catalyst pellets. The one-dimensional model of the reactor system describes the behavior of reactors having radially uniform injection profiles and catalyst bed configurations, while the two-dimensional model permits consideration of nonuniform radial injection and of catalyst bed configurations exhibiting both radial and axial nonuniformities.

A general description of the one- and two-dimensional models and a discussion of the machine programs developed from these models are contained in this manual. A description of input and output for both the one- and two-dimensional steady-state programs are included in the discussion together with examples of typical data cases. Also included is a description of several operational problems which might be encountered while using the programs along with appropriate means for solving these problems. In addition, a short write-up of the subroutines contained in each deck is included along with general flow charts of the major routines.

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INTRODUCTION

Under Contract NAS 7-458, the Research Laboratories of United Aircraft Corporation are performing analytical studies of the behavior of distributed-feed catalytic reactors for hydrazine decomposition. The specific objectives of this program are (a) to develop computer programs for predicting the temperature and concentration distributions in monopropellant hydrazine catalytic reactors in which hydrazine can be injected at arbitrary locations in the reaction chamber and (b) to perform calculations using these computer programs to demonstrate the effects of various system parameters on the performance of the reactor.

Progress previously reported in the first annual report (Ref. 1) included the development of a computer program which describes the steady-state behavior of a continuous flow type reactor system in which complete radial mixing in the free-gas (or liquid) phase was assumed. Progress previously reported in the second annual report (Ref. 2) included an extension of the steady-state program to include radial as well as axial variations in temperature and concentrations in order to permit an analysis of various injection schemes and catalyst bed configurations which exhibit radial nonuniformities. These programs had been used to calculate temperature and reactant concentration distributions as functions of feed temperature, chamber pressure, mass flow rate distribution, catalyst size distribution, and embedded injector locations. As part of the third year of contract effort attention has been directed toward preparing a manual describing to potential users the operation of these computer programs. The manual includes a general description of the one- and two-dimensional models as well as a detailed discussion of the machine programs representing these models.

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DESCRIPTION OF ANALYSES

The analysis of a hydrazine engine reaction system carried out to date pertains to a reaction chamber of arbitrary cross section packed with catalyst particles into which liquid hydrazine is injected at arbitrarily selected locations. Catalyst particles are represented as "equivalent" spheres with a diameter taken as a function of the particle size and shape. Both thermal and catalytic vapor phase decomposition of hydrazine and ammonia are considered in developing equations describing the concentration distributions of these reactants. Diffusion of reactants from the free-gas phase to the outside surface of the catalyst pellets is taken into account. Since the catalyst material is impregnated on the interior and exterior surfaces of porous particles, the diffusion of reactants into the porous structure must also be considered. In addition, the conduction of heat within the porous particles must be taken into account since the decomposition reactions are accompanied by the evolution or absorption of heat.

One-Dimensional Steady-State Model

In developing the one-dimensional steady-state model, the temperature and reactant concentrations in the interstitial phase (i.e., the free-fluid phase as distinguished from the gas phase within the porous particles) are assumed to vary only with axial distance along the bed. In the entrance region of the reaction chamber, where the temperature is low enough to permit the existence of liquid hydrazine, vaporization of liquid is assumed to occur as a result of decomposition of vapor hydrazine within the pores of the catalyst particles. That is, catalytic reaction is assumed to be fast enough to keep liquid hydrazine from wetting the pores of the particles; the hydrazine concentration at the surface of the catalyst particles at any axial location in the entrance region is then computed from the vapor pressure of liquid hydrazine in the interstitial phase at the same axial location. Neglecting axial diffusion of heat or mass, the change in enthalpy of the interstitial phase in the region where liquid hydrazine is present (i.e., where $h_i \leq h_i^V$) is related to the concentration gradient at the surface of the porous catalyst particles by

$$G \frac{dh}{dz} + H^{N_2H_4} D_p A_p \left(\frac{dc_{N_2H_4}}{dx} \right)_s + F(h_i - h_F) = 0 \quad (1)$$

for $h_i \leq h_i^V$

The variation of mass flow rate, G, with axial distance is easily computed from the rate of feed of liquid hydrazine from the distributed injectors into the system. In the region where liquid hydrazine exists at temperatures below the vaporization temperature, the temperature may be obtained from

$$T_i = T_F + \frac{h_i - h_F}{C_F} \quad \text{for } h_i < h_i^L \quad (2)$$

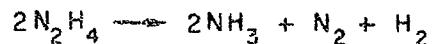
In the two-phase region, where $T_i = T_{vap}$, the weight-fraction of vapor may be computed from

$$\text{WEIGHT - FRACTION VAPOR} = \frac{h_i - h_i^L}{h_i^V - h_i^L} \quad \text{for } h_i^L \leq h_i \leq h_i^V \quad (3)$$

At the axial position at which the enthalpy of the interstitial phase is just equal to the enthalpy of vapor hydrazine at the boiling point ($h_i = h_i^V$), the

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fraction of hydrazine injected upstream of that point which has been decomposed is easily calculated from an overall heat balance. The associated amounts of ammonia, nitrogen, and hydrazine formed from decomposition of hydrazine can then be calculated taking the decomposition reaction as



It should be noted that this is the overall reaction scheme determined experimentally for both homogeneous decomposition of hydrazine (Refs. 3, 4, 5) and low pressure heterogeneous decomposition of hydrazine on platinum surfaces (Ref. 6).*

In the remainder of the reaction chamber, where $h_i > h_i^v$, heat is being supplied to the system by homogeneous as well as heterogeneous decomposition of hydrazine. In addition, at sufficiently high temperature, heat is removed from the system by the endothermic decomposition of ammonia. For $h_i > h_i^v$ then, the change in enthalpy with axial distance is related to the reactant concentrations in the interstitial phase and at the surface of the porous catalyst particles by

$$\frac{dh_i}{dz} = -\frac{1}{G} \left\{ F(h_i - h_F) + A_p A_C [T_i - (T_p)_s] + H^{N_2H_4} r_{hom}^{N_2H_4} \delta \right\} \quad (4)$$

The changes in reactant weight fractions in the interstitial phase with axial distance are related to the reactant concentrations in the interstitial phase and at the surface of the porous catalyst particles by

$$\frac{dw_i}{dz} = \frac{i}{G} \left\{ F - r_{hom}^{N_2H_4} \delta - A_p (k_C c_i)^{N_2H_4} - F \left(\frac{c_i}{\rho_i} \right)^{N_2H_4} \right\} \quad (5)$$

*It is more commonly assumed, without benefit of experimental evidence, that the decomposition reaction is $3\text{N}_2\text{H}_4 \longrightarrow 4\text{NH}_3 + \text{N}_2$, followed by dissociation of one of the four ammonia molecules to nitrogen and hydrogen. This two-step process leads to the same overall reaction cited above but assumes that a minimum of 25 percent of the ammonia produced by hydrazine decomposition also decomposes. The fractional ammonia dissociation, f, calculated assuming the validity of the two-step process is related by the fractional ammonia dissociation calculated in the present report by

$$(f) \text{two-step} = \frac{3(f) \text{present} + 1}{\text{report}}$$

$$\frac{d\dot{x}_i^{NH_3}}{dz} = \frac{1}{G} \left\{ r_{hom}^{N_2H_4} \delta \frac{M^{NH_3}}{M^{N_2H_4}} + A_p (k_C c_i)^{N_2H_4} \frac{M^{NH_3}}{M^{N_2H_4}} \right. \\ \left. - A_p \left(k_C [c_i - (C_p)_S] \right)^{NH_3} - F \left(\frac{c_i}{\rho_i} \right)^{NH_3} \right\} \quad (6)$$

$$\frac{d\dot{x}_i^{N_2}}{dz} = \frac{1}{G} \left\{ \frac{1}{2} r_{hom}^{N_2H_4} \delta \frac{M^{N_2}}{M^{N_2H_4}} + \frac{A_p}{2} (k_C c_i)^{N_2H_4} \frac{M^{N_2}}{M^{N_2H_4}} \right. \\ \left. + \frac{A_p}{2} \left(k_C [c_i - (C_p)_S] \right)^{NH_3} \frac{M^{N_2}}{M^{NH_3}} - F \left(\frac{c_i}{\rho_i} \right)^{N_2} \right\} \quad (7)$$

$$\frac{d\dot{x}_i^{H_2}}{dz} = \frac{1}{G} \left\{ \frac{1}{2} r_{hom}^{N_2H_4} \delta \frac{M^{H_2}}{M^{N_2H_4}} + \frac{A_p}{2} (k_C c_i)^{N_2H_4} \frac{M^{H_2}}{M^{N_2H_4}} \right. \\ \left. + \frac{3A_p}{2} \left(k_C [c_i - (C_p)_S] \right)^{NH_3} \frac{M^{H_2}}{M^{NH_3}} - F \left(\frac{c_i}{\rho_i} \right)^{H_2} \right\} \quad (8)$$

where the film coefficients, k_C and k_{CJ} , may be estimated from (Ref. 7)

$$k_C = 0.74 \left(\frac{G}{A_p \mu} \right)^{-0.41} (\bar{C}_F G) \quad (9)$$

and

$$k_{CJ}^J = \left(\frac{C_6 G J}{\rho_i D_i} \right) \left(\frac{\mu}{\rho_i D_i} \right)^{-0.667} \left(\frac{G}{A_p \mu} \right)^{-0.41} \quad (10)$$

The changes in reactant concentrations with axial distance are then given by

$$\frac{dc_i}{dz} = \rho_i \frac{d\dot{x}_i}{dz} \quad (11)$$

where

$$\frac{dp_i}{dz} = \rho_i \left[\frac{1}{M} \frac{d\bar{M}}{dz} - \frac{1}{T_i} \frac{dT_i}{dz} + \frac{1}{P} \frac{dp}{dz} \right] \quad (12)$$

and

$$\frac{1}{M} \frac{d\bar{M}}{dz} = - \sum_j \frac{w_{ij}}{M_j} \sum_j \frac{1}{M_j} \frac{dw_{ij}}{dz} \quad (13)$$

and

$$\frac{dp}{dz} = - \left(\frac{1-\delta}{\delta^3} \right) \left(175 + \frac{150(1-\delta)}{206\mu} \right) \left(\frac{g^2}{2a\rho_i g_C} \right) \quad (14)$$

The temperature of the interstitial phase in this region is related to the enthalpy by

$$h_i - h_i^v = \int_{T_{vop}}^{T_i} C_F dT_i \quad (15)$$

It should be noted that the hydrazine concentration at the surface of a catalyst particle in the vapor region, $(c_p)_{s,N_2H_4}$, is taken as zero. This reflects the fact that the catalytic reaction is so fast that the rate of decomposition is controlled by the rate of diffusion of hydrazine from the bulk vapor, through a stagnant gas film surrounding the catalyst particles, to the outside surface of the particles. In the case of ammonia, film diffusion is rapid relative to the rate of dissociation of ammonia within the particles. The concentration of ammonia at the surface of the catalyst particles, $(c_p)_{s,NH_3}$, is therefore fairly close to the ammonia concentrations in the bulk vapor phase, $c_i^{NH_3}$. The surface concentration can be calculated, along with the concentration profile in the porous particles, at any axial location by solving simultaneously the equations representing film and pore diffusion of heat and mass. In describing the diffusion of mass within a porous pellet, it is assumed that changes in the mass density of fluid within the particle are negligible relative to changes in concentration of the reacting species. In addition, pressure changes within the particle resulting from nonequimolar diffusion are neglected, as is heat transported by pore diffusion of mass. Assuming constant diffusion coefficients, D_p , and thermal conductivities, K_p , the equations describing heat and mass transfer within a catalyst particle may be written as

$$D_p^{NH_3} \nabla^2 c_p^{NH_3} - r_{het}^{NH_3} = 0 \quad (16)$$

$$k_p \nabla^2 T_p - H^{NH_3} r_{het}^{NH_3} = 0 \quad (17)$$

The boundary conditions which consider diffusion of heat and mass through a film surrounding a spherical particle are

$$D_p^{NH_3} \left(\frac{dc_p}{dx} \right)_S^{NH_3} = k_c^{NH_3} [c_i^{NH_3} - (c_p)_S^{NH_3}] \quad (18)$$

and

$$(H k_c c_i)^{N_2H_4} + H^{NH_3} D_p^{NH_3} \left(\frac{dc_p}{dx} \right)_S^{NH_3} = h_c [T_i - (T_p)_S] \quad (19)$$

Using Eqs. (16) and (17), Prater (Ref. 8) has pointed out that temperature and concentration are related quite simply by

$$T_p - (T_p)_S = \frac{H D_p}{k_p} [(c_p)_S - c_p] \quad (20)$$

The use of this relationship enables the reaction rate, $r_{het}^{NH_3}$, to be written as a function of concentration alone instead of concentration and temperature. In this case, however, the reaction rate is a function of two parameters, $(T_p)_S$ and $(c_p)_S^{NH_3}$, which are yet to be determined. Equation 16 can be solved for the concentration at any point in the porous particle in terms of the reaction rate, $r_{het}^{NH_3}$, and the interstitial concentration, $c_i^{NH_3}$. The solution is derived in Refs. 2 and 9 as an implicit integral equation given by

$$c_p(x)^{NH_3} = c_i^{NH_3} - \left[\frac{1}{x} - \frac{\alpha k_c^{NH_3} - D_p^{NH_3}}{\alpha^2 k_c^{NH_3}} \right] \int_0^x \xi^2 \frac{r_{het}^{NH_3} (c_p)}{D_p^{NH_3}} d\xi \quad (21)$$

$$- \int_x^\infty \left[\frac{1}{\xi} - \frac{\alpha k_c^{NH_3} - D_p^{NH_3}}{\alpha^2 k_c^{NH_3}} \right] \xi^2 \frac{r_{het}^{NH_3} (c_p)}{D_p^{NH_3}} d\xi$$

In order to determine the particle ammonia concentration profile directly in terms of the interstitial temperature and reactant concentrations it is necessary to solve Eqs. 18, 19 and 21 simultaneously.

In the special case of negligible film resistance to heat and mass transfer (i.e. $(T_p)_s = T_i$ and $(c_p)_s = c_i$), Eq. (21) can be written, for any reacting species, as

$$\begin{aligned} c_p(x) = c_i & - \left[\frac{1}{x} - \frac{1}{a} \right] \int_0^x \xi^2 \frac{r_{het}(c_p)}{D_p} d\xi \\ & - \int_x^a \left[\frac{1}{\xi} - \frac{1}{a} \right] \xi^2 \frac{r_{het}(c_p)}{D_p} d\xi \end{aligned} \quad (22)$$

It is Eq. (22) which is used to describe the hydrazine concentration profiles within the catalyst particles located in the liquid region of the reaction chamber. In this liquid region it is assumed that liquid hydrazine wets the outside surface of the catalyst particles so that $(c_p)_{N_2H_4} = c_i^{N_2H_4}$, where $c_i^{N_2H_4}$ is the vapor concentration in equilibrium with liquid hydrazine at temperature T_i . In the liquid-vapor region the situation is somewhat more complicated since it is difficult to predict whether liquid or a combination of liquid and vapor wets the outside surface of the catalyst particles. Both of these options are presently in the computer program representing the steady-state model. In the case in which both the liquid and vapor are taken to wet the particle surface, it is assumed that, at a given axial location, the fraction of the surface covered by vapor is equal to the weight-fraction of vapor present. Decomposition rates, computed assuming pure liquid surface coverage and then pure vapor coverage, are weighted accordingly. Fortunately, for the system considered here, the liquid-vapor region is so narrow that the choice of either of these options has negligible effect on the resulting temperature distributions (Ref. 1).

Finite difference methods have been used to program for digital computation the ordinary differential equations describing the changes in enthalpy and reactant concentrations in the interstitial phase. No iteration is necessary to solve these equations numerically when the incremental axial distances are sufficiently small. The size of a succeeding increment is calculated at each axial position as a function of the rates of change of temperature and fractional ammonia dissociation with axial distance. However, Eqs. (21) and (22), which must be solved simultaneously with the differential equations, are implicit integral equations which require iterative procedures for solution. Hand calculations have indicated that convergence to solutions for $c_p(x)$ are difficult to achieve unless the initial estimates of the concentration distributions are fairly accurate. Methods have been developed for generating these estimates and iterative procedures have been devised which effect rapid conver-

gence over a fairly wide range of conditions. These procedures are presently used as subroutines in the main program representing the steady-state model.

Two-Dimensional Steady-State Model

In developing the two-dimensional steady-state model of a hydrazine reactor system the temperature and reactant concentrations in the bulk fluid phase are permitted to vary with radial and axial position in the reaction chamber. In the entrance region of the reactor, where the temperature is low enough to permit the existence of liquid hydrazine, radial mixing between adjacent layers of liquid is neglected. The equations representing the change in liquid enthalpy and temperature with axial distance at any radial position are the same as those developed for the one-dimensional model described previously. As in the one-dimensional model, catalytic reaction is assumed to be fast enough to keep liquid hydrazine from wetting the pores of the particles; the hydrazine concentration at the surface of the catalyst particles at any location in the entrance region is then computed from the vapor pressure of liquid hydrazine in the interstitial phase at the same location.

In the vapor regions of the reaction chamber, turbulent diffusion of heat and mass is considered as a mechanism for radial mixing. Radial heat and mass fluxes are computed as functions of temperature and reactant concentration gradients. Heat is being supplied to the system by homogeneous as well as heterogeneous decomposition of hydrazine, and is being removed from the system by the catalytic decomposition of ammonia. The change in enthalpy with axial distance at any radial location is related to the reactant concentrations in the interstitial phase and at the surface of the porous catalyst particles by

$$\frac{\partial h_i}{\partial z} = - \frac{1}{G} \left\{ F (h_i - h_F) + A_p h_C [T_i - (T_p)_S] + H^{N_2H_4} r_{hom}^{N_2H_4} \delta + \frac{\partial q_r}{\partial r} \delta + \frac{q_r}{r} \delta + \frac{\partial T_i}{\partial r} \delta \sum_j N_r^j C_F^j \right\} \quad (23)*$$

The changes in reactant weight fractions in the interstitial phase with axial distance at any radial location are related to the reactant concentrations in the interstitial phase and at the surface of the porous catalyst particles by

*Equations of this type are presented in somewhat different form in Ref. 7. The last term on the right-hand side of the equation reflects the heat transferred by the radial diffusion of mass.

$$\frac{\partial w_i^{N_2H_4}}{\partial z} = \frac{1}{G} \left\{ F - r_{hom}^{N_2H_4} \delta - A_p (k_c c_i)^{N_2H_4} \right. \\ \left. - \frac{\partial N_r^{N_2H_4}}{\partial r} \delta - \frac{N_r^{N_2H_4}}{r} \delta - F \left(\frac{c_i}{\rho_i} \right)^{N_2H_4} \right\} \quad (24)$$

$$\frac{\partial w_i^{NH_3}}{\partial z} = \frac{1}{G} \left\{ r_{hom}^{N_2H_4} \delta \frac{M^{NH_3}}{M^{N_2H_4}} + A_p (k_c c_i)^{N_2H_4} \frac{M^{NH_3}}{M^{N_2H_4}} \right. \\ \left. - A_p \left(k_c [c_i - (C_p)_S] \right)^{NH_3} - \frac{\partial N_r^{NH_3}}{\partial r} \delta - \frac{N_r^{NH_3}}{r} \delta - F \left(\frac{c_i}{\rho_i} \right)^{NH_3} \right\} \quad (25)$$

$$\frac{\partial w_i^{N_2}}{\partial z} = \frac{1}{G} \left\{ \frac{1}{2} r_{hom}^{N_2H_4} \delta \frac{M^{N_2}}{M^{N_2H_4}} + \frac{A_p}{2} (k_c c_i)^{N_2H_4} \frac{M^{N_2}}{M^{N_2H_4}} \right. \\ \left. + \frac{A_p}{2} \left(k_c [c_i - (C_p)_S] \right)^{NH_3} \frac{M^{N_2}}{M^{NH_3}} - \frac{\partial N_r^{N_2}}{\partial r} \delta - \frac{N_r^{N_2}}{r} \delta - F \left(\frac{c_i}{\rho_i} \right)^{N_2} \right\} \quad (26)$$

$$\frac{\partial w_i^{H_2}}{\partial z} = \frac{1}{G} \left\{ \frac{1}{2} r_{hom}^{N_2H_4} \delta \frac{M^{H_2}}{M^{N_2H_4}} + \frac{A_p}{2} (k_c c_i)^{N_2H_4} \frac{M^{H_2}}{M^{N_2H_4}} \right. \\ \left. + \frac{3A_p}{2} \left(k_c [c_i - (C_p)_S] \right)^{NH_3} \frac{M^{H_2}}{M^{NH_3}} - \frac{\partial N_r^{H_2}}{\partial r} \delta - \frac{N_r^{H_2}}{r} \delta - F \left(\frac{c_i}{\rho_i} \right)^{H_2} \right\} \quad (27)$$

where

$$q_r = -\lambda (\partial T_i / \partial r) \quad (28)$$

$$N_r^j = -\epsilon (\partial c_i^j / \partial r), \quad (29)$$

$$\lambda_c = 0.74 \left[\frac{G}{A_p \mu} \right]^{-0.41} [\bar{C}_F G] \quad (30)$$

$$k_c^J = \left[\frac{0.61G}{\rho_i} \right] \left[\frac{\mu}{A D_{i^J}} \right]^{0.657} \left[\frac{G}{A_p \mu} \right]^{-0.41} \quad (31)$$

The eddy conductivity and diffusivity may be estimated from (Ref. 11)

$$\lambda = \frac{a \bar{C}_F G}{5\delta} \quad \text{and} \quad \epsilon = \frac{aG}{5\rho_i} \quad (32)$$

The changes in reactant concentrations with axial distance are then given by

$$\frac{\partial C_i^J}{\partial z} = \rho_i \frac{\partial w_i^J}{\partial z} + \frac{c_i^J}{\rho_i} \frac{\partial \rho_i}{\partial z} \quad (33)$$

where

$$\frac{\partial \rho_i}{\partial z} = \rho_i \left[\frac{1}{M} \frac{\partial \bar{M}}{\partial z} - \frac{1}{T_i} \frac{\partial T_i}{\partial z} + \frac{1}{P} \frac{\partial P}{\partial z} \right] \quad (34)$$

$$\frac{1}{M} \frac{\partial \bar{M}}{\partial z} = - \frac{1}{\sum_j (w_i^j / M^j)} \sum_j \frac{1}{M^j} \frac{\partial w_i^j}{\partial z} \quad (35)$$

and the pressure drop may be estimated from the Ergun equation (Ref. 7) as

$$\frac{dP}{dz} = - \left(\frac{1-\delta}{\delta^3} \right) \left(1.75 + \frac{150(1-\delta)}{2aG/\mu} \right) \left(\frac{G^2}{2a\rho_i g_c} \right) \quad (36)$$

The mass flow rate, G , is computed as a function of the rate of feed of liquid hydrazine from the distributed injectors into the system. Bulk radial flow, caused by particle-fluid viscous interaction, is neglected. It is assumed, therefore, that downstream of the injectors the mass flow rate profile remains unchanged.

**DISCUSSION OF ONE- AND TWO-DIMENSIONAL
STEADY-STATE COMPUTER PROGRAMS**

The equations representing the one- and two-dimensional steady-state models have been programmed for the UNIVAC 1108 digital computer. These computer programs are discussed below. Included in this discussion are input and output descriptions and descriptions of common operational problems associated with the programs.

One-Dimensional Steady-State Model

Input Description

The following is a listing of the necessary input for the one-dimensional steady-state computer program. The input format is given in Table I. The coding of a sample data case is shown in Fig. 1 and a listing of the input data punch cards corresponding to this sample data case is shown in Fig. 2. The card numbers in the text below correspond to the card numbers (first column) of Table I. For each run there will be only one card number one. Cards 2 through 16 should be repeated for each data case to be run.

1. The first card contains the number NCASE. This number indicates the number of data cases with each run. $1 \leq \text{NCASE} \leq 999$.
2. The second card is the title card used for individual data case identification. The title may be any alpha numeric information desired.
3. The third card contains the indicators $\emptyset\text{PTION}$ and PRINT and the number N $\emptyset\text{FZ}$. $\emptyset\text{PTION}$ is used to indicate which method of analyzing the liquid-vapor region is desired. If $\emptyset\text{PTION} = 2$, the program will use the method in subroutine LQV2. If $\emptyset\text{PTION} \neq 2$, the program will use the method in subroutine LQVP. These two methods are described in Appendix I. PRINT is used to indicate which type of printout is desired. If PRINT = 0 or is blank, the "standard output" described in the section on output is printed. If PRINT = 1, both the "standard" and "nonstandard output" are printed. "Nonstandard output" is also described in the section on output. N $\emptyset\text{FZ}$ is the number of axial stations (Z's) to be used in the three tables input on cards 8 through 16.
4. The fourth card contains the eight constants Z0, GO, FC, ALPHA3, HF, R, WM4, and WM3.

Z0 is the axial distance to the end of a buried injector in ft. (Ref. 1).

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- GO is the inlet mass flow rate in $\text{lb}/\text{ft}^2\text{-sec}$. It must be greater than zero.
- FC is the rate of feed of hydrazine from buried injectors (Ref. 1) into the system in $\text{lb}/\text{ft}^3\text{-sec}$.
- ALPHA3 is the preexponential factor in the rate equation for the thermal decomposition of hydrazine (See Ref. 1). It equals $2.14 \times 10^{10} \text{ sec}^{-1}$.
- HF is the enthalpy of liquid hydrazine entering the bed in Btu/lb .
- R is a gas constant. It equals $10.73 (\text{psia-ft}^3)/(\text{lb mole-deg R})$.
- WM₄ is the molecular weight of hydrazine. It equals $32.048 \text{ lb/lb mole}$.
- WM₂ is the molecular weight of ammonia. It equals $17.032 \text{ lb/lb mole}$.
5. The fifth card contains the eight constants WM₂, WM₁, ALPHAL, ALPHA2, AGM, BGM, KP, and CGM.
- WM₂ is the molecular weight of nitrogen. It equals $28.016 \text{ lb/lb mole}$.
- WM₁ is the molecular weight of hydrogen. It equals 2.016 lb/lb mole .
- ALPHAL is the preexponential factor in the rate equation for the catalytic decomposition of hydrazine (See Ref. 1). For the Shell 405 catalyst it equals 10^{10} sec^{-1} .
- ALPHA2 is the preexponential factor in the rate equation for the catalytic decomposition of ammonia (See Ref. 1). For the Shell 405 catalyst it equals $10^{11} (\text{lb}/\text{ft}^3)^{1.6} (\text{sec})^{-1}$.
- AGM is the activation energy for the catalytic decomposition of hydrazine, divided by the gas constant. For the Shell 405 catalyst it equals 2500 deg R .
- BGM is the activation energy for the catalytic decomposition of ammonia, divided by the gas constant. For the Shell 405 catalyst it equals $50,000 \text{ deg R}$.

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KP is the thermal conductivity of the porous catalyst particle. For the Shell 405 catalyst it equals 0.4×10^{-4} Btu/ft-sec-deg R.

CGM is the activation energy for the thermal decomposition of hydrazine, divided by the gas constant. It equals 33,000 deg R.

6. The sixth card contains the seven constants TF, CFL, ENMX1, ENMX2, ENMX3, DIF3, DIF⁴, and the inlet value of PRES.

TF is the temperature of liquid hydrazine entering the bed in deg R.

CFL is the specific heat of liquid hydrazine. It equals 0.7332 Btu/lb-deg R.

ENMX1 is the constant used to determine the size of axial station increments in the liquid region. It equals 200. Increasing this number would result in a decrease in size of axial station increments (and an increase in computer run time).

ENMX2 is the constant used to determine the size of axial station increments in the liquid-vapor region. It equals 40. Increasing this number would result in a decrease in size of axial station increments (and an increase in computer run time).

ENMX3 is the constant used to determine the size of axial station increments in the vapor region. It equals 80. Increasing this number would result in a decrease in size of axial station increments (and an increase in computer run time).

DIF3 is the diffusion coefficient of ammonia in the gas phase at STP. It equals $0.17 \times 10^{-3} \text{ ft}^2/\text{sec}$.

DIF⁴ is the diffusion coefficient of hydrazine in the gas phase at STP. It equals $0.95 \times 10^{-4} \text{ ft}^2/\text{sec}$.

PRES is the inlet chamber pressure in psia.

7. The seventh card contains the four constants ZEND, EN1, EN2, and EN3.

ZEND is the catalytic bed length in ft.

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- EN1 is the order of hydrazine catalytic decomposition reaction with respect to hydrazine. For the Shell 405 catalyst it equals 1.0.
- EN2 is the order of ammonia catalytic decomposition reaction with respect to ammonia. For the Shell 405 catalyst it equals 1.0.
- EN3 is the order of ammonia catalytic decomposition reaction with respect to hydrogen. For the Shell 405 catalyst it equals -1.6.
8. Cards 8 through 10 contain ZTBLA(I), the interpolation table used to obtain the catalyst particle radius at any point along the reactor bed. Subroutine UNBAR, an interpolation routine developed at the United Aircraft Research Laboratories, is used to obtain an appropriate particle radius, A, for a given axial station, Z(I), along the bed. For this table there should be a total of (N_Z) Z's and (N_A) A's. The table is set up as follows.
- CARD NO.
- 8 This card contains the four table descriptors used by UNBAR. The first descriptor signifies the table number. For this program it equals 0.0. The second descriptor tells at what location in the array the table starts; the tables in this program are read in such that this number equals 1.0. The third descriptor is the number of independent variables in the table (in this case, the number of Z's). This number equals N_Z. The fourth descriptor for a univariate table such as this one should equal 0.0.
- 9 These cards contain the monotonically increasing Z values. Enough cards should be used to contain N_Z values of Z at the rate of ten per card. For example, if N_Z = 12, 12 values of Z should be input using two cards with ten values on the first card and the 2 remaining values on the second card.
- 10 These cards contain the A's which correspond to the Z's listed on cards 9. Enough cards should be used to contain N_A values of A at the rate of ten per card.
9. Cards 11 through 13 contain ZTBLAP(I), the interpolation table used to obtain the total external catalyst particle surface area per unit volume of bed (AP). These AP values are obtained from UNBAR as func-

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tics of axial distance (Z) as in the ZTBLA table discussed above. For this table there should be a total of ($N_{\bar{F}Z}$) Z's and ($N_{\bar{F}Z}$) AP's. The table is set up as follows:

CARD NO.

- 11 This card is exactly the same as card 8.
- 12 These cards are exactly the same as cards 9.
- 13 These cards contain the AP values which correspond to the Z's listed on cards 12. Enough cards should be used to contain $N_{\bar{F}Z}$ values of AP at the rate of ten per card.
- 10. Cards 14 through 16 contain ZTBLD(I), the interpolation table used to obtain the interparticle void fraction (DELA). These DELA values are obtained from UNBAR as functions of axial distance (Z) as in the ZTBLA table discussed above. For this table there should be a total of ($N_{\bar{F}Z}$) Z's and ($N_{\bar{F}Z}$) DELA's. The table is set up as follows:

CARD NO.

- 14 This card is exactly the same as card 8.
- 15 These cards are exactly the same as cards 9.
- 16 These cards contain the DELA values which correspond to the Z's listed on cards 15. Enough cards should be used to contain $N_{\bar{F}Z}$ values of DELA at the rate of ten per card.

TABLE I
One-Dimensional Steady-State Computer Program
Input Format

CARD NUMBER	NUMBER OF CARDS	FORTRAN II FORMAT	COLUMNS USED	SYMBOL & DESCRIPTION	CORRESPONDING SYMBOL USED IN EQUATIONS	NOMENCLATURE
1	1	I3*	1-3	NCASE	-	No. of cases
2	1	IHA6	1-8C	Title	-	-
3	1	2I2, I3 *	1-2	OPTION PRINT NCFZ	-	Liq.-Vap. Indicator Print Indicator No. of Z's in Input Tables
4	1	8E10.5	1-10 11-20 21-30 31-40 41-50 51-60 61-70 71-80	Z0 GO FC ALPHA3 KT R WM4 WM3	Z0 GO FC ALPHA3 KT R WM4 WM3	Axial distance to injector exit Inlet mass flow rate Distributed feed rate Preexponential factor Entropy of feed Gas constant Molecular wt. of NH ₃ Molecular wt. of NH ₄
5	1	8E10.5	1-10 11-20 21-30 31-40 41-50 51-60 61-70 71-80	WM2 AM1 ALPHAH1 ALPHA2 AGM BGM KP CGM	WM2 AM1 ALPHAH1 ALPHA2 AGM BGM KP CGM	Molecular wt. of N ₂ Molecular wt. of H ₂ Preexponential factor Preexponential factor Activation energy, deg R Activation energy, deg R Thermal conductivity Activation energy, deg R
6	1	8E10.5	1-10 11-20 21-30 31-40 41-50 51-60 61-70 71-80	TF CFL ENMX1 ENMX2 ENMX3 DIF3 DIF4 PRESS	TF CFL ENMX1 ENMX2 ENMX3 DIF3 DIF4 PRESS	Feed temperature Specific heat of liquid NH ₃ Determines step size in liquid region Determines step size in liq-vapor region Determines step size in vapor region Diffusion coef. of NH ₃ Diffusion coef. of NH ₄ Inlet chamber pressure

*All I format numbers should be right adjusted

CARD NUMBER	NUMBER OF CARDS	FORTRAN X FORMAT	COLUMNS USED	SYMBOL, OR DESCRIPTION	CORRESPONDING SYMBOL USED IN EQUATIONS	NOMENCLATURE
7	1	8E0.5	1-10 11-20 21-30 31-40	ZEND EN1 EN2 EN3	- n n n	Bed length Order of decomposition resection Order of decomposition resection Order of decomposition resection
8	1	4E8.5	1-8 9-16 17-24 25-32	O. 1. NDFZ. O.		Table descriptor Table descriptor Table descriptor Table descriptor
9*	*	1.0E8.5	1-18 9-16 17-24	Z(I)	2	Axial station
10**	**	1.0E8.5	1-8 9-16 17-24	A(I)	6	Catalyst Particle Radius
11	1	4E8.5	1-8 9-16 17-24 25-32	O. 1. NDFZ. O.		Table descriptor Table descriptor Table descriptor Table descriptor

*Enough cards should be used to contain NDFZ values of Z at the rate of ten per card.

**Enough cards should be used to contain NDFZ values of A at the rate of ten per card.

TABLE I
(Continued)

CARD NUMBER	NUMBER OF CARDS	FORTRAN II FORMAT	COLUMNS USED	SYMBOL OR DESCRIPTION	CORRESPONDING SYMBOL USED IN EQUATIONS	NOMENCLATURE
12*	*	10E8.5	1-8 9-16 17-24	Z(I)	Z	Axial station
			73-80			
13**	**	10E8.5	1-8 9-16 17-24	AP(I)	AP	Total external catalyst particle surface area per unit vol. or bed
			73-80			
14	1	4E8.5	1-8 9-16 17-24 25-32	O. 1. NDFZ. O.	Table descriptor Table descriptor Table descriptor Table descriptor	Table descriptor
15*	*	10E8.5	1-8 9-16 17-24	Z(I)	Z	Axial station
			73-80			
16**	**	10E8.5	1-8 9-16	DELA(I)	δ	Interparticle void fraction
			73-80			

Enough cards should be used to contain NDFZ values of Z at the rate often per card.

CODING OF A SAMPLE DATA CASE

FIG. 2

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FIG. 2

LISTING OF INPUT DATA PUNCH CARDS: SAMPLE CASE
 One-Dimensional Steady-State Model

Card No.

SAMPLE DATA CASE (1-DIM SS)		MIXED BED & GO = 3.0 * P = 100.					
1	0 20						
0.	3.0	0.	.214 E+11	0.	10.73	32.048	17.032
28.016	2.016	.1 E+11	1. E+11	2500.	50000.	.40 E-4	33000.
530.	.7332	200.	40.	60.	.37 E-3	.95 E-4	100.
.25	1.	1.	-1.6				
0.	1.	20.	0.				
0.	.0055	.0111	.0167	.0168	.0439	.0575	.0711
.1119	.1255	.1391	.1527	.1663	.1799	.1935	.2207
.001	.001	.001	.001	.0064	.0064	.0064	.0064
.0064	.0064	.0064	.0064	.0064	.0064	.0064	.0064
0.	1.	20.	0.				
0.	.0055	.0111	.0167	.0168	.0439	.0575	.0711
.1119	.1255	.1391	.1527	.1663	.1799	.1935	.2207
.2100.	.2100.	.2100.	.2100.	.330.	.330.	.330.	.330.
.330.	.330.	.330.	.330.	.330.	.330.	.330.	.330.
0.	1.	20.	0.				
0.	.0055	.0111	.0167	.0168	.0439	.0575	.0711
.1119	.1255	.1391	.1527	.1663	.1799	.1935	.2207
.34	.34	.34	.34	.34	.34	.34	.34
.34	.34	.34	.34	.34	.34	.34	.34

Output Description

Output from the one-dimensional steady-state program is entirely in printout form. Standard output, which is printed out when input option PRINT = 0, includes all printing normally done during execution of any representative data case, three messages which pertain to calculations which do not follow the normal pattern in a typical run, and one error message which is followed by program termination. Non-standard output is printed in addition to the standard output when PRINT = 1. This non-standard output includes additional calculated values and comments which pertain to intermediate calculations. The print statements associated with each routine in which output is generated are described below.

Standard Output

MAIN program

1. A complete listing of all program input including FORTRAN variable titles for all input variables.
2. Axial position, (Z), temperature, (TEMP), enthalpy, (H), and rate of change of enthalpy with axial distance, (DHDZ), for each axial position in the liquid region.

Subroutine LQVP or LQV2

1. Axial position, (Z), temperature, (TEMP), enthalpy, (H), and weight fraction of vapor, (WFV), for each axial position in the liquid-vapor region.

Subroutine VAPOR

1. Axial position, (Z), temperature, (TEMP), pressure (PRES), enthalpy, (H), and concentrations of hydrogen, (C1), nitrogen, (C2), ammonia, (C3), and hydrazine, (C4), at each axial position in the vapor region.
2. Mole fractions of hydrogen, (MFRAC1), nitrogen, (MFRAC2), ammonia, (MFRAC3), and hydrazine, (MFRAC4), and the fractional dissociation of ammonia, (FRAC3D), at each axial position in the vapor region.
3. All axial positions, (Z values), in the vapor region listed consecutively and MBAR and G values at the end of the reactor for use in preparing input to the transient model computer program.

4. "KOUNT = XX --- THIS INTERVAL HAS BEEN REDIVIDED XXXX TIMES"

For all cases involving a non-zero embedded injector feed rate, a check is made on the Z step size after each calculation. If the increment proves too large to yield satisfactory results, it is halved and re-checked. The procedure continues until a satisfactory interval size is found, and the above message is then printed.

5. "THERE IS A PUDDLE OF COLD HYDRAZINE AT THE LIQUID-VAPOR/VAPOR INTERFACE. --- TRY USING A LARGER VALUE FOR GO"

When using a buried injector scheme it is possible to "flood" the region surrounding the injector tip with cold, liquid hydrazine. A sudden drop in axial temperatures at the liquid-vapor/vapor interface indicates that this has occurred, and in such cases the above message is printed and no further calculations are made.

Subroutine SGRAD

1. "WE HAVE CALCULATED A NEGATIVE XO DURING ITERATION NO. XX. SET XO = 0, CALCULATE TPS = .XXXXX ± XX, AND CONTINUE"

XO represents an approximation of the radial distance to which hydrazine penetrates the catalyst particle before being dissipated. It is determined through an iterative procedure, and in some instances initial guesses do not yield satisfactory results. In this case, corrective measures to yield a better approximation to XO are instituted and the procedure repeated. This message indicates only that corrective calculations to improve on the accuracy of XO are being initiated.

2. "UNABLE TO CONVERGE ON CPS IN 50 TRIES --- CP(X/A) = .XXXXX ± XX"

If subroutine SGRAD cannot calculate a "converged" value for CPS after 50 iterations, the final value for CP at the particle surface is used to approximate CPS. This is a good approximation to CPS, however, and program calculations continue with the above message being printed.

3. "UNABLE TO FIND SUITABLE XO AFTER FOURTRIES OF 25 ITERATIONS EACH --- PROGRAM STOP FOLLOWS"

If after four corrective attempts to approximate XO the procedure still does not yield satisfactory results, this message along with all unacceptable values for XO is printed and further calculations are stopped. An octal dump of core accompanies the program stop.

Non-Standard Output

Subroutine SLOPE

1. "INITIAL CHOICE THROUGH ØRIGIN IS TOØ LARGE"

When iterating to find a satisfactory approximation to the radial depth of penetration of hydrazine in a catalyst particle (X_0 calculation), an initial guess is the particle radius itself. If this proves to be an unsatisfactory choice, the above message is printed and a different initial guess is used.

2. "SATISFACTØRY STARTING CURVE FØUND AFTER XX TRAILS. THE VALUE ØF B (X_0) IS .XXXXXX + XX"

This message indicates that a satisfactory approximation to the radial depth of penetration of hydrazine in a catalyst particle has been found, and appears frequently in calculations involving the liquid region of the reactor.

3. "INITIAL CHOICE THRU ØRIGIN SEEMINGLY ØK, BUT RESULTS RØTTEN AFTER 99 ITERATIONS --- SET $X_0 = .000001 * A$ AND USE MØRE REFINED TECHNIQUE"

When calculating a concentration vs radial position profile within the catalyst particle, an initial guess at the profile is used assuming a linear profile from the center of the particle to the surface. It can happen that this appears to be a satisfactory first guess, but ultimately yields unsatisfactory results for the final "converged" values of CPA. In such instances the above message is printed and the iteration procedure is repeated using a new initial guess.

4. "ITERATØN = XX

X/A	CPA	X/A	CPA	X/A	CPA	X/A	CPA
XXXX							
XXXX							
:	:	:	:	:	:	:	:
XXXX							

THE SLOPE CONVERGES TO .XXXXXXXX + XX"

When a converged value for the slope of the concentration profile curve at the catalyst particle surface has been calculated, the above "concentration profile" will be printed. The word "ITERATION" refers to the

iteration count at the time of convergence. X/A is the normalized distance from the center of the catalyst particle of radius A to the surface. CPA is the concentration of hydrazine within the particle at the corresponding normalized radial distance. The final message indicates the final converged value of the slope. This block will be printed for each axial station of the liquid region.

5. "THE SLOPE CONVERGES TO .XXXXX + XX"

This message indicates that the iterative procedure has achieved convergence on a value of the hydrazine concentration gradient at the catalyst particle surface, and appears frequently in calculations involving the liquid region of the reactor.

Subroutine SCRAD
=====

1. A listing of converged reactant concentration ($CP(X/A)$) versus normalized radial distance within the catalyst particle (X/A) at each axial position in the vapor region.

2. (a) "CONCENTRATION GRADIENT FOUND AFTER XXX TRIES"

(b) "CP(X) AT PARTICLE SURFACE = .XXXXX + XX"

(c) "KC3* (CI3-CPS) = .XXXXX + XX"

(d) "HC* (T-TPS) = .XXXXX + XX"

Print message (a) indicates the number of iterations that were needed to find a converged value for the concentration gradient.

Print message (b) gives the converged value for the concentration at the particle surface (cp_s).

Print messages (c) and (d) give calculated values where KC3 is the mass transfer coefficient for ammonia, CI3 is the interstitial concentration of ammonia at the catalyst surface, HC is the heat transfer coefficient, T is the interstitial temperature, and TPS is the temperature at the surface of the catalyst.

Print messages (a), (b), (c), and (d) appear at each axial position in the vapor region.

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3. "SATISFACTORY XO FOUND AFTER XXX TRIES, XO = .XXXXXX ± XX"

When calculating an ammonia concentration radial profile within a catalyst particle it is necessary to determine the radial depth of penetration of ammonia. The approximate radial position of "zero" concentration is referred to as XO in subroutine SGRAD, and when the iterative procedure employed has successfully determined a value of XO, the above message, with iteration count, is printed.

A sample listing of the output for a typical one-dimensional steady-state data case is shown in Figs. 3a through 3f.

RESAMPLE DATA CASE (1-DIM SS)*** MIXED REO & EO = 3.0 * P = 100.

MIXED GEODESIC POLYHEDRA 1003

LISTING OF OUTPUT FOR SAMPLE DATA CASE ONE-DIMENSIONAL STEADY-STATE

FIG. 3a

Z VS A TABLE					
		1000000±01	2100000±02	0000000	
0000000	.550000-02	.111000-01	.167000-01	.439000-01	.711000-01
1110000	.125300-00	.139100-00	.152700-00	.166300-00	.179900-00
2500000-00				.193500-00	.207100-00
1000000-02	.100000-02	.300000-02	.100000-02	.640000-02	.640000-02
6400000-02	.640000-02	.640000-02	.640000-02	.640000-02	.640000-02

Z VS AP TABLE					
000C00	• 550000-02	• 111000-01	• 000000+01	• 100000+02	• 000000
111900+00	• 125500-00	• 139100-00	• 157000-01	• 168000-01	• 439000-01
250000-00			• 166300-00	• 152700-00	• 179900-00
210000+04	• 210000+04	• 210000+04	• 330000+03	• 330000+03	• 330000+03
330000+03	• 330000+03	• 330000+03	• 330000+03	• 330000+03	• 330000+03

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FIG. 3b

ENTERING LIQUID REGION						
Z	TEMP	H	DHDZ	DHDZ	TEMP	H
.0000000	.5300000+03	.0100000	.3775417+05	.3775417+05		
2	TEMP	H	DHDZ	DHDZ		
.257216+03	.542936+03	.948446+01	.538926+05	.538926+05		
2	TEMP	H	DHDZ	DHDZ		
.427074+03	.555062+03	.189619+02	.945157+05	.945157+05		
2	TEMP	H	DHDZ	DHDZ		
.527238+03	.563781+03	.284366+02	.143787+06	.143787+06		
2	TEMP	H	DHDZ	DHDZ		
.593145+03	.581695+03	.379026+02	.221126+06	.221126+06		
2	TEMP	H	DHDZ	DHDZ		
.635941+03	.594602+03	.473658+02	.322530+06	.322530+06		
2	TEMP	H	DHDZ	DHDZ		
.665267+03	.607502+03	.568244+02	.467775+06	.467775+06		
2	TEMP	H	DHDZ	DHDZ		
.685477+03	.620396+03	.662782+02	.675305+06	.675305+06		
2	TEMP	H	DHDZ	DHDZ		
.699470+03	.633283+03	.757274+02	.962125+06	.962125+06		
2	TEMP	H	DHDZ	DHDZ		
.709286+03	.646164+03	.851718+02	.132107+07	.132107+07		
2	TEMP	H	DHDZ	DHDZ		
.716432+03	.659039+03	.996115+02	.163241+07	.163241+07		
2	TEMP	H	DHDZ	DHDZ		
.721580+03	.671907+03	.104047+03	.996115+02	.996115+02		
2	TEMP	H	DHDZ	DHDZ		
.725474+03	.684765+03	.115477+03	.316562+07	.316562+07		
2	TEMP	H	DHDZ	DHDZ		
.730734+03	.710474+03	.132323+03	.577362+07	.577362+07		
2	TEMP	H	DHDZ	DHDZ		

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FIG. 3c

2	TEMP	H	H	DHD2
•752365-03	•723316+03	•141468+03	•750974+07	
2	TEMP	H	H	DHD2
•733618-03	•736154+03	•151152+03	•933122+07	
2	TEMP	H	H	DHD2
•734627-03	•745969+03	•160983+03	•117621+08	
2	TEMP	H	H	DHD2
•735427-03	•764822+03	•169972+03	•157622+08	
2	TEMP	H	H	DHD2
•736046-03	•774653+03	•170388+03	•167623+08	
2	TEMP	H	H	DHD2
•736447-03	•787462+03	•188788+03	•235211+08	
2	TEMP	H	H	DHD2
•736966-03	•800308+03	•198190+03	•2699346+08	
2	TEMP	H	H	DHD2
•737313-03	•813133+03	•207593+03	•342904+08	
2	TEMP	H	H	DHD2
•737459-03	•820000+03	•212628+03	•385323+08	

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FIG. 3d

ENTERING LIQUID-VAPOR REGION	
2	H
73770-03	.25963+03
73893-03	.30663+03
74016-03	.35363+03
74138-03	.40064+03
74261-03	.44764+03
74384-03	.49464+03
74506-03	.54164+03
74629-03	.58865+03
74751-03	.63565+03
74874-03	.68265+03
75082-03	.71568+03

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FIG. 3e

ENTERING VAPOR NESTON

Z	TEMP	PRES	H	C1	C2	C3	C4
0.75002274-03	.02000000+03	.100000000+03	.715677930+03	.115797018-02	.43865062-01	.533560777-01	.1674315A-01
MFRAC1	MFRAC2	MFRAC3	MFRAC4	MFRAC5	MFRAC6	MFRAC7	MFRAC8
.13782592-00	.13782592-00	.27363384-00	.44862231-00	.00000000	.00000000	.00000000	.00000000
2	TEMP	PRES	H	C1	C2	C3	C4
.90740574-03	.866645369+03	.99981377+02	.73897909+03	.32506140-02	.43334869-01	.50454650-01	.14735426-01
MFRAC1	MFRAC2	MFRAC3	MFRAC4	MFRAC5	MFRAC6	MFRAC7	MFRAC8
.15041867-00	.14429730-00	.27635167-00	.42693217-00	.21670607-01	.21670607-01	.21670607-01	.21670607-01
2	TEMP	PRES	H	C1	C2	C3	C4
.10665796-02	.91158767+03	.99960899+02	.76246590+03	.33173817-02	.42790974-01	.480038A1-01	.1315610A-01
MFRAC1	MFRAC2	MFRAC3	MFRAC4	MFRAC5	MFRAC6	MFRAC7	MFRAC8
.16197901-00	.15034A78-00	.27743711-00	.41023511-00	.40233626-01	.40233626-01	.40233626-01	.40233626-01
2	TEMP	PRES	H	C1	C2	C3	C4
.12278735-02	.95559712+03	.99938571+02	.70594348+03	.33603019-02	.42236826-01	.45931101-01	.1216222A+01
MFRAC1	MFRAC2	MFRAC3	MFRAC4	MFRAC5	MFRAC6	MFRAC7	MFRAC8
.17243814-00	.15596528-00	.27898662-00	.39260577-00	.55749761-01	.55749761-01	.55749761-01	.55749761-01

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FIG. 3f

Z	TEMP	PRES	H	C1	C2	C3	C4
.17155202-00	.19507243+04	.78863929+02	.14092872+04	.39861221-02	.31522408-01	.96198352-02	.00000000

Z	TEMP	PRES	H	C1	C2	C3	C4
.53774555-00	.30538424+04	.71683713+02	.13780029+04	.30096090-02	.29667359-01	.77733879-02	.00000000

Z	TEMP	PRES	H	C1	C2	C3	C4
.24993333-00	.19053842+04	.71683713+02	.13780029+04	.30096090-02	.29667359-01	.77733879-02	.00000000

Z	TEMP	PRES	H	C1	C2	C3	C4
.55496933-00	.31099391-00	.13403673-00	.3794C3	FRAC3D	FRAC4	FRAC5D	FRAC6D

2° S FROM VAPOR REGION

.7503227-03	.9074057-03	.1056580-02	.1227074-02	.1559578-02	.1730142-02	.1905576-02	.2004807-02	.2269192-02
.2459269-02	.2655209-02	.2858234-02	.3068889-02	.3516443-02	.3755323-02	.4005A66-02	.4269497-02	.4547698-02
.4861469-02	.5157416-02	.5493980-02	.5856422-02	.6249361-02	.6678468-02	.7151910-02	.8276725-02	.8971330-02
.9777432-02	.1083580-01	.1225605-01	.1465560-01	.1487130-01	.1497891-01	.1530174-01	.1562457-01	.1659306-01
.1756156-01	.2046704-01	.2337252-01	.3208896-01	.4080545-01	.6695473-01	.9310405-01	.11127160+00	.1519400-00
.1715520-00	.1911630-00	.2107760-00	.2503800-00	.2500000-00	.2500000-00	.1323260-00	.1127160+00	.1323260-00

STEADY STATE VALUES FOR MBAR AND G AT END OF STD
MBAR = .12115+02 G = .30000+01

***** OPERATIONS COMPLETE *****

Common Operational Problems

Many different data cases have been run with the one-dimensional steady-state computer program. During these runs, most of the problems which have developed have been eliminated through program modification. However, two problems which may still occur are noted below, together with appropriate techniques for solving them.

1. "UNABLE TO FIND SUITABLE X0 AFTER FOUR TRIES OF 25 ITERATIONS EACH ...
PROGRAM STOP FOLLOWS"

If a satisfactory value for X_0 cannot be found after four attempts, this message is printed and program execution is terminated. An appropriate solution to this problem would be to try different values for f_i [Eq. (I-11) in discussion of SGRAD, Appendix I]. These values could be greater than 0.95. To make this change, subroutine SGRAD would have to be recompiled using the new values of f_i .

2. "THERE IS A PUDDLE OF COLD HYDRAZINE AT THE LIQUID-VAPOR/VAPOR INTERFACE --- TRY USING A LARGER VALUE FOR GO"

When using a buried injector scheme it is possible to "flood" the region surrounding the injector tip with cold, liquid hydrazine. A sudden drop in axial temperatures at the liquid-vapor/vapor interface indicates that this has occurred, and in such cases the above message is printed and no further calculations are made. An appropriate solution to this problem would be to try a larger input value for GO and rerun the program with the revised input.

Two-Dimensional Steady-State Model

Input Description

The following is a description of the necessary input for the two-dimensional steady-state computer program. The input format is given in Table II. The coding of the sample data case for this program is shown in Figs. 4a and 4b, and a listing of the input data punch cards corresponding to this sample data case is shown in Figs. 5a and 5b. The statement numbers in the text below refer to the card numbers (first column) of Table II. For each run there will be only one card number one. Cards two through twenty-one should be included for each data case to be run.

1. The first card contains the number NCASE. This number indicates the number of data cases with each run. $1 \leq \text{NCASE} \leq 999$.
2. The second card is the title card used for individual data case identification. The title may be any alpha numeric information desired.
3. The third card contains the indicators NRINGS and NOFZ. NRINGS indicates the number of evenly spaced radial stations at which calculations are to be made where radial station number one is that one nearest the center of the reactor and radial station number (NRINGS) is that station nearest the reactor wall. For typical runs, NRINGS = 10 was found adequate to insure good results. Increasing this number would allow more detailed radial analysis, but it would also increase computer run time. NOFZ is the number of axial stations (Z's) to be used in the three tables input on cards 10 through 21.
4. Cards four contain the values of F(I), (the rates of feed of hydrazine from buried injectors (Ref. 1) into the system in $\text{lb}/\text{ft}^3\text{-sec}$). One value of F for each radial station (total number of radial stations = NRINGS) should be input. Ten numbers are allowed to a card. For the suggested NRINGS of 10, there would be one card with ten values of F.
5. Cards five contain the values of GO(I), (the inlet mass flow rates in $\text{lb}/\text{ft}^2\text{-sec}$) for each radial station. Ten numbers are allowed to a card. For the suggested NRINGS of 10, there would be one card with ten values of GO. All values of GO must be greater than zero.
6. Cards six contain the values of ZO(I), (the axial distance to the end of a buried injector in ft) for each radial station. Ten numbers are allowed to a card. For the suggested NRINGS of 10, there would be one card with ten values of ZO.
7. The seventh card contains the eight constants ALPHA3, HF, R, MN2N4, MNH3, MN2, MH2, and ALPHAL.

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ALPHA3 is the preexponential factor in the rate equation for the thermal decomposition of hydrazine. It equals $2.14 \times 10^{10} \text{ sec}^{-1}$.

HF is the enthalpy of liquid hydrazine entering the bed in deg R.

R is the gas constant. It equals $10.73 (\text{psia-ft}^3)/(1\text{b-mole-deg R})$.

MN2H4 is the molecular weight of hydrazine. It equals 32.048 lb/lb mole.

MNH3 is the molecular weight of ammonia. It equals 17.032 lb/lb mole.

MN2 is the molecular weight of nitrogen. It equals 28.016 lb/lb mole.

MH2 is the molecular weight of hydrogen. It equals 2.016 lb/lb mole.

ALPHA1 is the preexponential factor in the rate equation for the catalytic decomposition of hydrazine. For the Shell 405 catalyst it equals 10^{10} sec^{-1} .

8. The eighth card contains the eight constants ALPHA2, AGM, BGM, KP, TF, CF, NMAX1, and NMAX2.

ALPHA2 is the preexponential factor in the rate equation for the catalytic decomposition of ammonia. For the Shell 405 catalyst it equals 10^{11} sec^{-1} .

AGM is the activation energy for the catalytic decomposition of hydrazine, divided by the gas constant. For the Shell 405 catalyst it equals 2,500 deg R.

BGM is the activation energy for the catalytic decomposition of ammonia, divided by the gas constant. For the Shell 405 catalyst it equals 50,000 deg R.

KP is the effective thermal conductivity of the porous catalyst particle. For the Shell 405 catalyst it equals 0.4×10^{-4} Btu/ft-sec-deg R.

TF is the temperature of liquid hydrazine entering the bed in deg R.

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CF is the specific heat of liquid hydrazine. It equals 0.7332 Btu/lb-deg R.

NMAX1 is the constant used to determine the size of axial station increments in the liquid region. It equals 200. Increasing this number would result in a decrease in size of axial station increments (and an increase in computer run time).

NMAX2 is the constant used to determine the size of axial station increments in the liquid-vapor region. It equals 40. Increasing this number would result in a decrease in size of axial station increments (and an increase in computer run time).

9. The ninth card contains the inlet value of P and five constants ZEND, DON2H⁴, DONH3, CGM, and RADIUS.

P is the inlet chamber pressure in psia.

ZEND is the catalyst bed length in feet.

DON2H⁴ is the diffusion coefficient of hydrazine in the gas phase at STP. It equals $0.95 \times 10^{-4} \text{ ft}^2/\text{sec}$.

DONH3 is the diffusion coefficient of ammonia in the gas phase at STP. It equals $0.17 \times 10^{-3} \text{ ft}^2/\text{sec}$.

CGM is the activation energy for the thermal decomposition of hydrazine, divided by the gas constant. It equals 33,000 deg R.

RADIUS is the radius of the catalyst bed in feet.

10. Cards ten through thirteen contain AVSZ(I), the bivariate interpolation table used to obtain the catalyst particle radius, A(z,r)*. These A values are obtained from subroutine UNBAR, an interpolation routine developed at the United Aircraft Research Laboratories, as functions of axial distance, Z, and radial distance, RAD. For this table there should be a total of (NDFZ) Z's, (NRINGS) RAD's and (NDFZ x NRINGS) A's. The table is set up as follows:

*This variable is not subscripted in the program. This notation is used to show that the variable is a function of both axial distance and radial distance and to clarify the way the table is set up.

CARD NO.

- 10 This card contains the four table descriptors used by UNBAR. The first descriptor signifies the table number. For this program it equals 0.0. The second descriptor signifies the location in the array at which the table starts; the tables in this program are read in such that this number equals 1.0. The third descriptor for a bivariate table such as this one is the number of elements in the first set of independent variables in the table (in this case, the number of Z's). This number equals N_{FZ}. The fourth descriptor is the number of elements in the second set of independent variables in the table (in this case, the number of RAD's). This number equals NRINGS.
- 11 These cards contain the monotonically increasing Z values. Enough cards should be used to contain N_{FZ} values of Z at the rate of ten per card. For example, if N_{FZ} = 12, 12 values of Z should be input using 2 cards with ten values on the first card and the 2 remaining values on the second card.
- 12 These cards contain the monotonically increasing RAD's. Enough cards should be used to contain NRINGS values of RAD at the rate of ten per card.
- 13 These cards contain the values for A(z, r). The A values are input at each Z value for all RAD's (i.e., (NRINGS) values of A for each Z) at the rate of ten per card.

Example 1: if N_{FZ} = 10 and NRINGS = 5, the first card would contain five A values corresponding to the five RAD's on card 12 for Z(1); the second card would contain the five A values corresponding to the five RAD's for Z(2); ... etc. ...; the 10th card would contain the five A values corresponding to the five RAD's for Z(10).

Example 2: if N_{FZ} = 10 and NRINGS = 12, the first card would contain 10 A values corresponding to the first ten RAD's (on card 12a) for Z(1); the second card would contain the two remaining A's corresponding to the last two RAD's (on card 12b) for Z(1); the third card would contain the 10 A's corresponding to the first ten RAD's for Z(2); the fourth card would contain the 2 remaining A's for Z(2); ... etc. ...; the 19th card would contain the ten A's corresponding to the first ten RAD's at Z(10); the 20th card would contain the two A's corresponding to the last two RAD's at Z(10).

11. Cards 14 through 17 contain APVSZ(I), the bivariate interpolation table used to obtain the catalyst particle surface area, AP(z,r)*. These AP values are obtained from UNBAR as functions of axial distance, Z, and radial distance, RAD, as in the AVSZ table discussed above. For this table there should be a total of (NDFZ) Z's, (NRINGS) RAD's, and (NDFZ x NRINGS) AP's. The table is set up as follows:

CARD NO.

- 14 This card is exactly the same as card 10.
- 15 These cards are exactly the same as cards 11.
- 16 These cards are exactly the same as cards 12.
- 17 These cards contain the values for AP(z,r). These values are input at each Z value for all RAD's at the rate of ten values per card. (See examples in the discussion of the AVSZ table as the table setup is the same.)

12. Cards 18 through 21 contain DELVSZ(I), the bivariate interpolation table used to obtain the interparticle void fraction, DELTA (z,r)*. These DELTA values are obtained from UNBAR as functions of axial distance, Z, and radial distance, RAD, as in the AVSZ table discussed above. For this table there should be a total of (NDFZ) Z's, (NRINGS) RAD's, and (NDFZ x NRINGS) DELTA's. The table is set up as follows:

CARD NO.

- 18 This card is exactly the same as card 10.
- 19 These cards are exactly the same as cards 11.
- 20 These cards are exactly the same as cards 12.
- 21 These cards contain the values for DELTA (z,r). These values are input at each Z value for all RAD's at the rate of ten values per card. (See examples in the discussion of the AVSZ table as the table setup is the same).

NOTE: The values for the orders of the decomposition reactions (called EN1, EN2, and EN3 in the one-dimensional model) are included in the equations in the two-dimensional model and therefore are not input.

*This variable is not subscripted in the program. This notation is used to show that the variable is a function of both axial distance and radial distance and to clarify the way the table is set up.

TABLE II
Two-Dimensional Computer Program: Input Format

CARD NUMBER	NUMBER OF CARDS	FORTRAN X	COLUMNS USED	SYMBOL OR DESCRIPTION	CORRESPONDING SYMBOL USED IN EQUATIONS	NOMENCLATURE
1	1	I3*	1-3	NCASE		Number of data cases
2	1	I4A6	1-80	Title		
3	1	213*	1-3 4-6	NRINGS NDFZ		Number of radial stations Number of z's in input tables
4	**	10E8.4	1-8 9-16 ↓ 73-80	F(I)	F	Distributed Feed Rate
5	**	10E8.4	1-8 9-16 ↓ 73-80	GO(I)	GO	Inlet mass flow rate
6	**	10E8.4	1-8 9-16 ↓ 73-80	ZO(I)	ZO	Axial distance to injector end

* All I format numbers should be right adjusted.

**Enough cards should be used to contain (NRINGS) values of F(I), GO(I) or ZO(I) at the rate of ten per card.

CARD NUMBER	NUMBER OF CARDS	FORTRAN IV FORMAT	COLUMNS USED	SYMBOL OR DESCRIPTION	CORRESPONDING SYMBOL USED IN EQUATIONS	NOMENCLATURE
1	1	8E10.5	1-10 11-20 21-30 31-40 41-50 51-60 61-70 71-80	ALPHA3 HF R MN2H4 MNH3 MN2 MH2 ALPHAI	α_{holn} hf R $MN2F_4$ MNH_3 $MN2$ MH_2 α_{N2H_4}	Constant in rate equation Enthalpy of feed Gas constant Molecular weight of N_2H_4 Molecular weight of NH_3 Mole weight of N_2 Mole weight of H_2 Preexponential factor
8	1	8E10.5	1-10 11-20 21-30 31-40 41-50 51-60 61-70 71-80	ALPHA2 AGM BGM KP TF CF NMAX1 NMAX2	α_{NH_3} $Q_{net,N2H_4}$ IR Q_{net,NH_3} IR Kp Tf Cf -	Preexponential factor Activation energy, deg R Activation energy, deg R Thermal conductivity Feed temperature Specific heat of liquid N_2H_4 Determ. axial step size (liq. reg.) Determ. axial step size (liq.vap.reg.)
9	1	8E10.5	1-10 11-20 21-30 31-40 41-50 51-60	P ZEND DON2H4 DONH3 CGM RADIUS	P - N_2H_4 D_{O,NH_3} $D_{O,N2H_4/R}$ Qnom	Inlet chamber pressure Bed length Diffusion coefficient of N_2H_4 Diffusion coefficient of NH_3 Activation energy, deg R Bed radius
10	1	4E8.4	1-8 9-16 17-24 25-32	0. 1. NPFZ. NRINGS.	Z Z(I)	Table descriptor Table descriptor Table descriptor Table descriptor
11	1	10E8.4	1-8 9-16 73-80	Z(I)	Z	Axial station

*Enough cards should be used to contain (NPFZ) values of z at the rate of ten per unit.

TABLE II (Cont.)

CARD NUMBER	NUMBER OF CARDS	FORTRAN FORMAT	COLUMNS USED	SYMBOL OR DESCRIPTION	CORRESPONDING SYMBOL USED IN EQUATIONS	NOMENCLATURE
17	**	10E8.4	1-8 9-16 73-80	RAD(I)	π	Radial station
18	***	10E8.4	1-8 9-16 73-80	A(z,r)	a	catalyst particle radius
19	1	4E8.4	1-8 9-16 17-24 25-32	O. 1. NDFZ. NRINGS.	Table descriptor Table descriptor Table descriptor Table descriptor	
20	*	10E8.4	1-8 9-16 73-80	Z(I)	z	Axial station
21	**	10E8.4	1-8 9-16 73-80	RAD(I)	π	Radial station
22	***	10E8.4	1-8 9-16 73-80	AP(z,r)	Ap	Note: external catalyst particle surface area per unit volume of bed
23						

*Enough cards should be used to contain (NDFZ) values of 2 at the rate of ten per card.

**Enough cards should be used to contain (NRINGS) values of RAD at the rate of ten per card.

***Enough cards should be used to contain (NRINGS) values of A and AP for each z at the rate of ten per card (see detailed example in text).

CARD NUMBER	NUMBER OF CARDS	FORTRAN Z FORMAT	COLUMNS USED	SYMBOL OR DESCRIPTION	CORRESPONDING SYMBOL USED IN EQUATIONS	NOMENCLATURE
18	1	4E8.4	1-8 9-16 17-24 25-32	0. 1. NDFZ. NRINGS.		Table descriptor Table descriptor Table descriptor Table descriptor
19	*	10E8.4	1-8 9-16 ↓ 73-80	Z(I)	Z	Axial station
20	**	10E8.4	1-8 9-16 ↓ 73-80	RAD(I)	X	Radial station
21	***	10E8.4	1-8 9-16 ↓ 73-80	DELTA(z,x)	δ	Interparticle void fraction

*Enough cards should be used to contain (NDFZ) values of z at the rate of ten per card.

**Enough cards should be used to contain (NRINGS) values of RAD at the rate of ten per card.

***Enough cards should be used to contain (NRINGS) values of DELTA for each z at the rate of ten per card.

**CODING OF A SAMPLE DATA CASE
TWO - DIMENSIONAL STEADY - STATE MODEL**

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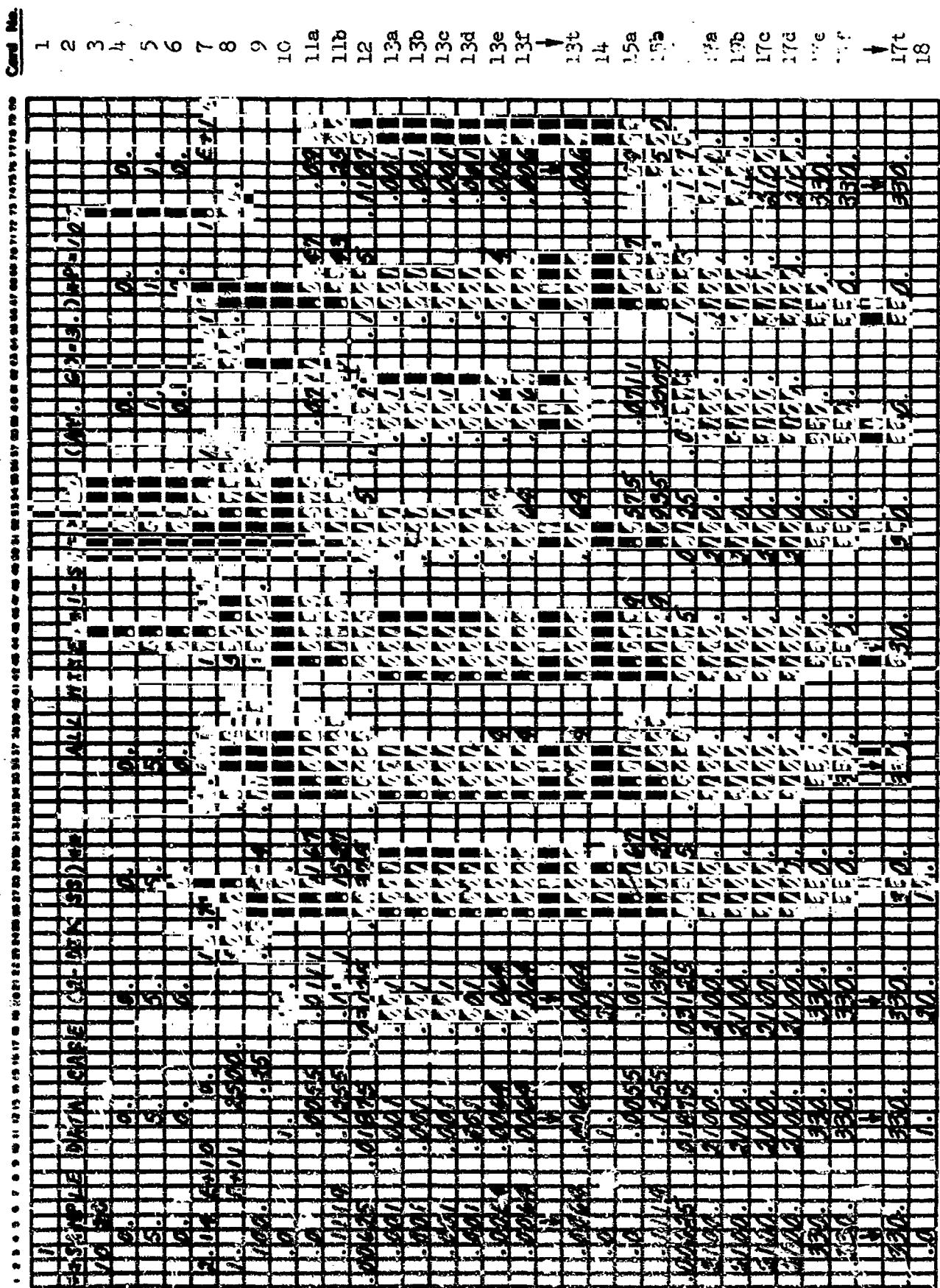
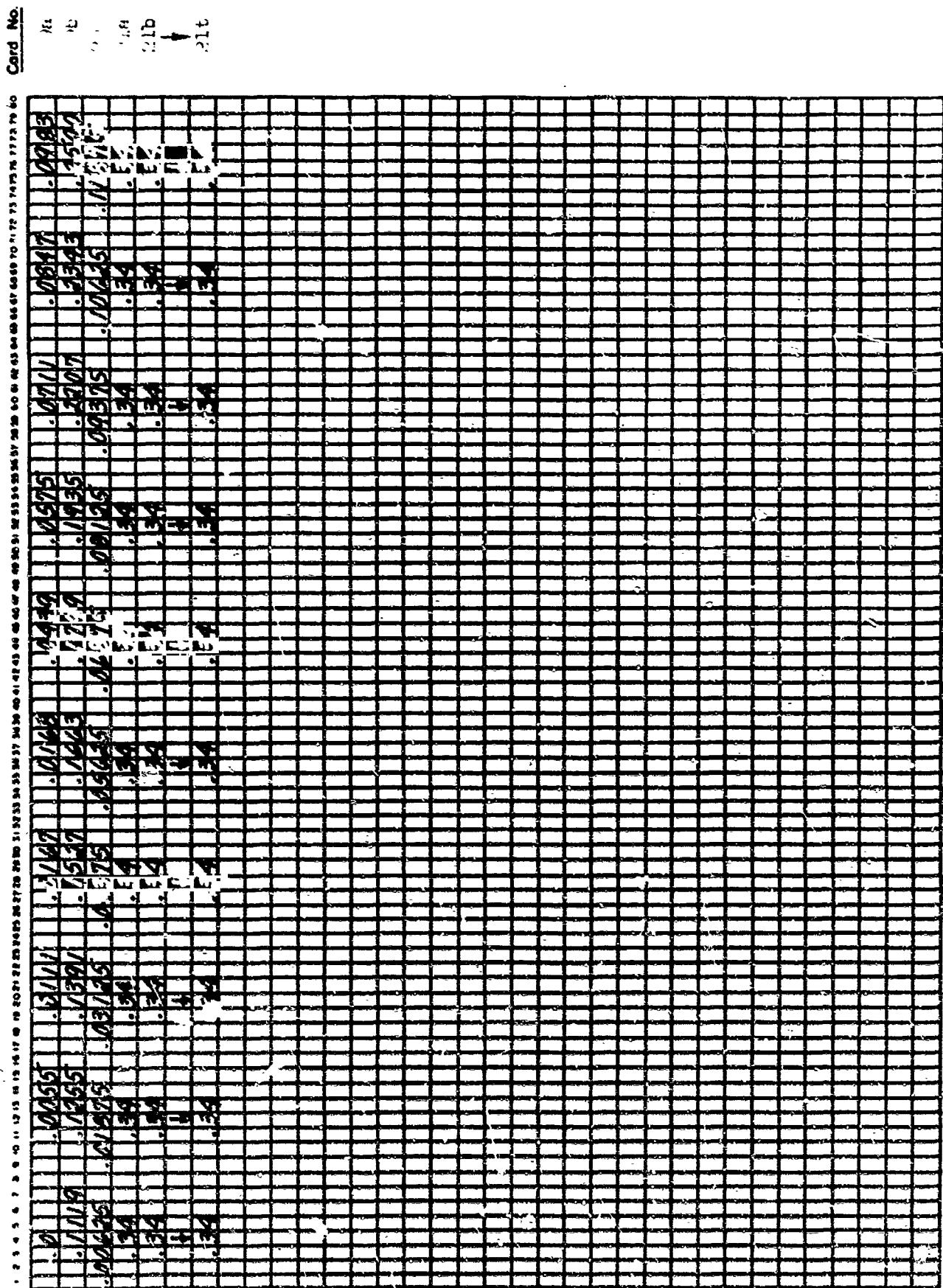


FIG. 4a

(CONT.)

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FIG. 4b



**LISTING OF INPUT DATA PURCHASE CARDS : SAMPLE CASE
TWO-DIMENSIONAL STEADY-STATE MODEL**

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ALL MIXED-STEP GO (AV. C(3,3)*P=100

10

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FIG. 5a

LISTING OF INPUT DATA PUNCH CARDS : SAMPLE CASE (CONTINUED)

Card No.

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FIG. 5 b

Output Description

Output from the two-dimensional steady-state program is entirely in print-out form. There is no print option as in the one-dimensional program; therefore, all printing described below is "standard" and could possibly occur with each data case run. The print statements generated from each routine are described below; they include all printing normally done during execution of any representative data case, error messages, and certain comments pertaining to calculations which do not follow the normal pattern in a typical run.

Standard Output

MAIN Program

1. A complete listing of the punch card input with appropriate headings and FORTRAN variable titles for all input variables.
2. Axial positions, (Z), and temperatures, (T), in each annular region for both liquid and liquid-vapor regions.
3. Axial position, radial position and temperature at the liquid/liquid-vapor interface for each annular region.
4. Axial position, radial position and temperature at the liquid-vapor/vapor interface for each annular region.

Subroutine VAZDR

1. Concentrations of hydrazine, (C4), ammonia, (C3), nitrogen, (C2), and hydrogen, (C1), and mole fractions of hydrazine, (MFRAC4), ammonia, (MFRAC3), nitrogen, (MFRAC2), and hydrogen, (MFRAC1), at the liquid-vapor/vapor interfaces (these values will be identical for each ring).
2. Axial position, (Z), temperature, (TEMP), and concentrations of hydrazine, (N2H4), ammonia, (NH3), nitrogen, (N2), and hydrogen, (H2), for each annular region at every axial increment along the reactor.
3. Assumed uniform pressure (calculated by averaging the pressure drop calculated for each ring over the reactor cross-section) in the reactor at each axial increment.

4. Mole fractions of hydrazine, (MFRAC4), ammonia, (MFRAC3), nitrogen, (MFRAC2), and hydrogen, (MFRAC1), and the equivalent fractional ammonia dissociation, (EQUIVALENT FRAC3D), for each annular ring at every axial increment.
5. "THERE IS A PUDDLE OF COLD HYDRAZINE AT THE LIQUID-VAPOR/VAPOR INTERFACE --- TRY USING A LARGER VALUE FOR Q0"
When using a buried injector scheme it is possible to "flood" the region surrounding the injector tip with cold, liquid hydrazine. A sudden drop in axial temperatures at the liquid-vapor/vapor interface in any annular ring indicates that this has occurred, and in such cases the above message is printed and no further calculations are made.
6. "THE PROGRAM HAS CALCULATED A NEGATIVE PRESSURE --- RETURN AND TERMINATE"
If a negative pressure is calculated at some axial station, further calculations for the current data case are stopped and this message is printed out.
7. "THE PROGRAM HAS CALCULATED A NEGATIVE TEMPERATURE IN RING XX --- RETURN AND TERMINATE"
If a negative temperature is calculated in any annular region at any axial station, further calculations are stopped and this message, including the current annular ring, is printed.

Subroutine SGRAD

1. "WE HAVE CALCULATED A NEGATIVE XO DURING ITERATION NO. XX. SET XO = 0, CALCULATE TPS = .XXXXXX + XX, AND CONTINUE"

XO represents an approximation of the radial distance to which hydrazine penetrates the catalyst particle before being dissipated. It is determined through an iterative procedure, and in some instances initial guesses do not yield satisfactory results. In this case, corrective measures to yield a better approximation to XO are instituted and the procedure repeated. This message indicates only that corrective calculations to improve on the accuracy of XO are being initiated.

2. "UNABLE TO FIND SUITABLE XO AFTER FOUR TRIES OF 25 ITERATIONS EACH --- PROGRAM STOP FOLLOWS"

If after four corrective attempts to approximate XO the procedure still does not yield satisfactory results, this message along with all unacceptable values for XO is printed and further calculations are stopped. An overall dump of core accompanies the program stop.

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3. "UNABLE TO CONVERGE ON CPS IN 50 TRIES --- CP(X/A) = .XXXXXX XX"

If subroutine SGRAD cannot calculate a "converged" value for CPS after 50 iterations, the final value for CP at the particle surface is used to approximate CPS. This is a good approximation to CPS, however, and program calculations continue with the above message being printed.

A listing of typical output for the two-dimensional sample data case is shown in Figs. 6a through 6l.

LISTING OF OUTPUT FOR SAMPLE DATA CASE TWO-DIMENSIONAL STEADY-STATE

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10. $\text{P}(\text{H}_2) = \frac{1}{2} \cdot \text{P}(\text{H}_2\text{O})$ 11. $\text{P}(\text{H}_2) = \frac{1}{2} \cdot \text{P}(\text{H}_2\text{O})$
 12. $\text{P}(\text{H}_2) = \frac{1}{2} \cdot 10 \cdot 10^{-12}$ 13. $\text{P}(\text{H}_2) = 5 \cdot 10^{-13}$

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AP VS 2 TABLE

DELTAS VS Z TABLE

FIG. 6 B

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FIG. 6.

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•102224-02	•65904+03	•10290-02	•67191+03	•10343-02	•68477+03	•10368-02	•69762+03	•10426-02	•71047+03
•10453-02	•72332+03	•10474-02	•73615+03	•10491-02	•74899+03	•10505-02	•76182+03	•10515-02	•77465+03
•10520-02	•78748+03	•10530-02	•80031+03	•10536-02	•81313+03	•10534-02	•82001+03	•10557-02	•82001+03
•10574-02	•82330+03	•10602-02	•82000+03	•10625-02	•82488+03	•10647-02	•82004+03	•10670-02	•82004+03
•10643-02	•82000+03	•10716-02	•82000+03	•10738-02	•82000+03	•10761-02	•82000+03	•10777-02	•82000+03

RING 7									
ζ	τ	ζ	τ	ζ	τ	ζ	τ	ζ	τ
•40446	•63006+03	•41918-03	•54294+03	•66709-03	•55586+03	•76786-03	•56978+03	•87086-03	•58169+03
•91773-03	•59460+03	•95120-03	•60750+03	•98024-03	•62040+03	•99989-03	•63328+03	•10119-02	•64616+03
•102222-02	•63904+03	•10290-02	•67191+03	•10345-02	•68477+03	•10388-02	•69762+03	•10426-02	•71047+03
•10453-02	•72332+03	•10474-02	•73615+03	•10491-02	•74899+03	•10505-02	•76182+03	•10515-02	•77465+03
•10520-02	•78748+03	•10530-02	•80031+03	•10536-02	•81313+03	•10534-02	•82001+03	•10557-02	•82000+03
•10574-02	•82330+03	•10602-02	•82000+03	•10625-02	•82000+03	•10647-02	•82000+03	•10670-02	•82000+03
•10643-02	•82000+03	•10716-02	•82000+03	•10738-02	•82000+03	•10761-02	•82000+03	•10777-02	•82000+03

RING 8									
ζ	τ								
•10000	•53000+03	•83036-04	•54294+03	•13358-03	•55586+03	•15758-03	•56873+03	•17418-03	•58169+03
•10445-03	•59460+03	•10025-03	•60750+03	•19606-03	•62040+03	•19999-03	•63328+03	•20239-03	•64616+03
•20582-03	•65904+03	•20582-03	•67191+03	•20688-03	•68477+03	•20778-03	•69762+03	•20854-03	•71047+03
•20959-03	•72332+03	•20951-03	•73615+03	•20984-03	•74899+03	•21011-03	•76182+03	•21032-03	•77465+03
•21104-03	•78748+03	•21062-03	•80031+03	•21074-03	•81313+03	•21070-03	•82001+03	•21115-03	•82000+03
•21161-03	•82000+03	•21206-03	•82000+03	•21251-03	•82000+03	•21297-03	•82000+03	•21342-03	•82000+03
•21386-03	•82000+03	•21433-03	•82000+03	•21479-03	•82000+03	•21524-03	•82000+03	•21556-03	•82000+03

RING 9									
ζ	τ								
•10000	•53000+03	•83036-04	•54294+03	•13358-03	•55586+03	•15758-03	•56873+03	•17418-03	•58169+03
•10445-03	•59460+03	•10025-03	•60750+03	•19606-03	•62040+03	•19999-03	•63328+03	•20239-03	•64616+03
•20582-03	•65904+03	•20582-03	•67191+03	•20688-03	•68477+03	•20778-03	•69762+03	•20854-03	•71047+03
•20959-03	•72332+03	•20951-03	•73615+03	•20984-03	•74899+03	•21011-03	•76182+03	•21032-03	•77465+03
•21104-03	•78748+03	•21062-03	•80031+03	•21074-03	•81313+03	•21070-03	•82000+03	•21115-03	•82000+03
•21161-03	•82000+03	•21206-03	•82000+03	•21251-03	•82000+03	•21297-03	•82000+03	•21342-03	•82000+03
•21386-03	•82000+03	•21433-03	•82000+03	•21479-03	•82000+03	•21524-03	•82000+03	•21556-03	•82000+03

RING 10									
ζ	τ								
•10000	•53000+03	•83036-04	•54294+03	•13358-03	•55586+03	•15758-03	•56873+03	•17418-03	•58169+03
•10445-03	•59460+03	•10025-03	•60750+03	•19606-03	•62040+03	•19999-03	•63328+03	•20239-03	•64616+03
•20582-03	•65904+03	•20582-03	•67191+03	•20688-03	•68477+03	•20778-03	•69762+03	•20854-03	•71047+03
•20959-03	•72332+03	•20951-03	•73615+03	•20984-03	•74899+03	•21011-03	•76182+03	•21032-03	•77465+03
•21104-03	•78748+03	•21062-03	•80031+03	•21074-03	•81313+03	•21070-03	•82000+03	•21115-03	•82000+03
•21161-03	•82000+03	•21206-03	•82000+03	•21251-03	•82000+03	•21297-03	•82000+03	•21342-03	•82000+03
•21386-03	•82000+03	•21433-03	•82000+03	•21479-03	•82000+03	•21524-03	•82000+03	•21556-03	•82000+03

FIG. 6d

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POSITION AND TEMPERATURE AT LIQUID - LIQUID VAPOR INTERFACE FOR EACH ANNULAR REGION

RING	AXIAL POSITION	RADIAL POSITION	TEMPERATURE
1	*10534-02	*62500-02	*820000+03
2	*10534-02	*18750-01	*820000+03
3	*10534-02	*31250-01	*820000+03
4	*10534-02	*45750-01	*820000+03
5	*10534-02	*56250-01	*820000+03
6	*10534-02	*68750-01	*820000+03
7	*10534-02	*81250-01	*820000+03
8	*21070-03	*93750-01	*820000+03
9	*21070-03	*10625+00	*820000+03
10	*21070-03	*11875+00	*820000+03

***** LIQUID-VAPOR REGION *****

POSITION AND TEMPERATURE AT LIQUID VAPOR - VAPOR INTERFACE FOR EACH ANNULAR REGION

RING	AXIAL POSITION	RADIAL POSITION	TEMPERATURE
1	*10777-02	*62500-02	*820000+03
2	*10777-02	*18750-01	*820000+03
3	*10777-02	*31250-01	*820000+03
4	*10777-02	*43750-01	*820000+03
5	*10777-02	*56250-01	*820000+03
6	*10777-02	*68750-01	*820000+03
7	*10777-02	*81250-01	*820000+03
8	*21556-03	*93750-01	*820000+03
9	*21556-03	*10625+00	*820000+03
10	*21556-03	*11875+00	*820000+03

FIG. 6e

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VAPOR REGION

CONCENTRATIONS AT LIQUID-VAPOR INTERFACE			
NH4	NH3	N2	H2
•1343-00	•53360-01	•43880-01	•31580-02

MEHAG-1 MEHAG-2 MEHAG-3 MEHAG-4 MEHAG-5 FRM-C39

RING	Z	TEMP	N2H4	NH3	N2	H2
1	-244443	.39493	.99448	.99448	.99448	.99448
2	.00000	.00000	.00000	.00000	.00000	.00000
3	.00000	.00000	.00000	.00000	.00000	.00000
4	.00000	.00000	.00000	.00000	.00000	.00000
5	.00000	.00000	.00000	.00000	.00000	.00000
6	.00000	.00000	.00000	.00000	.00000	.00000
7	.00000	.00000	.00000	.00000	.00000	.00000
8	.25034-03	.83487+03	.15007-00	.52357-01	.43798-01	.32447-02
9	.25034-03	.83487+03	.15307-00	.52357-01	.43798-01	.32447-02
10	.25004-03	.83487+03	.15307-00	.52357-01	.43798-01	.32447-02

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RING	Z	TEMP	N2r14	NH3	N2	H2
-	-	-	-	-	-	-
1	.00000	.00000	.00000	.00000	.00000	.00000
2	.00000	.00000	.00000	.00000	.00000	.00000
3	.00000	.00000	.00000	.00000	.00000	.00000
4	.00000	.00000	.00000	.00000	.00000	.00000
5	.00000	.00000	.00000	.00000	.00000	.00000
6	.00000	.00000	.00000	.00000	.00000	.00000
7	.00000	.00000	.00000	.00000	.00000	.00000
8	.28453-.03	.842559+.03	.15297-.00	.51410-.01	.43099-.01	.32446-.02
9	.28453-.03	.842559+.03	.15297-.00	.51410-.01	.43099-.01	.32446-.02
10	.28453-.03	.842559+.03	.15297-.00	.51410-.01	.43099-.01	.32446-.02

FIG. 6f

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MERAC1	MERAC2	MERAC3	MERAC4	FACID
•00000	•00000	•00000	•00000	•00000
•00003	•00000	•00000	•00000	•00000
•00000	•00000	•00000	•00000	•00000
•00000	•00000	•00000	•00000	•00000
•00000	•00000	•00000	•00000	•00000
•00000	•00000	•00000	•00000	•00000
•00000	•00000	•00000	•00000	•00000
•00000	•00000	•00000	•00000	•00000
•00000	•00000	•00000	•00000	•00000
•00000	•00000	•00000	•00000	•00000
•00000	•00000	•00000	•00000	•00000
•14691-30	•14229-00	•27535-00	•3544-00	•16485-01
•14691-00	•14229-00	•27535-00	•3544-00	•16485-01
•14691-00	•14229-00	•27535-00	•3544-00	•16485-01

卷之三

RING	-Z	TEMP	N2H4	NH3	N2	H2
1	00000	00000	00000	00000	00000	00000
2	00000	00000	00000	00000	00000	00000
3	00000	00000	00000	00000	00000	00000
4	00000	00000	00000	00000	00000	00000
5	00000	00000	00000	00000	00000	00000
6	00000	00000	00000	00000	00000	00000
7	00000	00000	00000	00000	00000	00000
8	31901-03	66423+03	14813-00	50520-01	43565-01	32828-02
9	31901-03	86423+03	14813-00	50520-01	43565-01	32828-02
10	31901-03	86423+03	14813-00	50520-01	43565-01	32828-02

प्रेस्क्रिप्शन - ०९९९९९५५२८

MFRAC1	MFRAC2	MFRAC3	MFRAC4	EQUIVALENT FRACT3D
* 00000	* 00000	* 00000	* 00000	* 00000
* 00000	* 00000	* 00000	* 00000	* 00000
* 00000	* 00000	* 00000	* 00000	* 00000
* 00000	* 00000	* 00000	* 00000	* 00000
* 00000	* 00000	* 00000	* 00000	* 00000
* 00000	* 00000	* 00000	* 00000	* 00000
* 00000	* 00000	* 00000	* 00000	* 00000
* 00000	* 00000	* 00000	* 00000	* 00000
* 15116-34	* 14442-00	* 27535-00	* 42907-00	* 23903-01
* 15116-00	* 14442-00	* 27535-00	* 42907-00	* 23903-01
* 15116-04	* 14442-00	* 27535-00	* 42907-00	* 23903-01

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FIG. 6g

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FIG. 6h

RING	Z	TEMP	N2H4	NH3	N2	H2
1	.24607-00	.19963+04	.33006-05	.70498-02	.21648-01	.269R3-02
2	.24607-00	.19959+04	.22659-05	.70381-02	.21658-01	.27004-02
3	.24607-00	.19939+04	.31893-05	.69988-02	.21694-01	.27079-02
4	.24607-00	.19888+04	.24045-05	.69042-02	.21784-01	.27265-02
5	.24607-00	.19770+04	.31228-05	.67054-02	.21985-01	.27671-02
6	.24607-00	.19536+04	.18765-05	.63345-02	.22378-01	.28457-02
7	.24607-00	.19127+04	.25429-05	.57225-02	.23071-01	.29817-02
8	.24607-00	.18513+04	.00000	.48489-02	.24240-01	.32016-02
9	.24607-00	.18224+04	.14423-05	.44166-02	.24762-01	.33023-02
10	.24607-00	.18108+04	.00000	.42343-02	.24980-01	.33u -02

PRESSURE = .55026+02						
NERAC1	NERAC2	NERAC3	NERAC4	EQUIVALENT FRAC3D		
.53004-00	.30600-00	.16392-00	.+0785-04	.57749-00		
.53031-00	.30606-00	.16300-00	.27992-04	.57819-00		
.53121-00	.30623-00	.16251-00	.39345-04	.58061-00		
.53341-00	.30668-00	.15988-00	.29592-04	.58646-00		
.53804-00	.30760-00	.15432-00	.38196-04	.59891-00		
.54663-10	.30932-00	.14403-10	.422675-04	.62231-00		
.56053-00	.31210-00	.12734-00	.33072-04	.66113-00		
.58002-00	.31600-00	.10398+00	.000000	.71744-00		
.58896-00	.31779-00	.93237-01	.161m1-04	.744i4-00		
.59266-00	.31853-00	.888d14-01	.000000	.75329-00		

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RI:46	Z	TEMP	N214	NH3	N2	H2
1	.25000-00	.19944+04	.36099-05	.69183-02	.21362-01	.20649-02
2	.25000-00	.19939+04	.22178-05	.69062-02	.21372-01	.20671-02
3	.25000-00	.19929+04	.29393-05	.68667-02	.21408-01	.20746-02
4	.25000-00	.19867+04	.23224-05	.67723-02	.21498-01	.20932-02
5	.25000-00	.19748+04	.28764-05	.65756-02	.21698-01	.27335-02
6	.25000-00	.19515+04	.18411-05	.62114-02	.22085-01	.29108-02
7	.25000-00	.19108+04	.22974-05	.56117-02	.22765-01	.29442-02
8	.25000-00	.18501+04	.13439-06	.47590-02	.23908-01	.31592-02
9	.25000-00	.18213+04	.32229-05	.43853-02	.24420-01	.32579-02
10	.25000-00	.18097+04	.46398-07	.41570-02	.24634-01	.32992-02

PRESSURE = .54222+02

MFKAC1	MFRAC2	MFKAC3	MFRAC4	EQUIVALENT
.53073-00	.30614-00	.16309-00	.37709-04	FHAC3D
.53102-00	.30620-00	.16276-00	.27777-34	.57933-00
.53194-00	.30638-00	.16165-00	.36780-04	.58006-00
.53446-00	.30683-00	.15899-00	.28975-04	.58252-00
.53880-00	.30775-00	.15342-00	.35365-04	.60096-00
.54734-00	.30946-00	.14317-30	.22552-04	.62427-00
.56115-00	.31222-00	.12660-00	.27545-04	.66287-00
.58042-00	.31608-00	.10349+30	.15532-05	.71564-00
.58931-00	.31786-00	.92822-01	.13915-04	.74518-00
.58297-00	.31853-00	.88434-01	.52458-06	.75625-00

***** OPERATIONS COMPLETE *****

FIG. 6i

Common Operational Problems

The two-dimensional steady-state computer program has been run with a large variety of data cases. During these runs, most of the problems which developed were eliminated by modifying the program. However, a few problems may still remain; these problems are outlined below together with appropriate techniques for solving them.

1. "THE PROGRAM HAS CALCULATED A NEGATIVE PRESSURE---RETURN AND TERMINATE"

If a negative pressure is calculated at some axial station in the vapor region, further calculations for the current data case are stopped and this message is printed out. This diagnostic statement indicates that a physical limitation of the reactor system has been exceeded. Therefore, this particular case cannot be run. A lower mass flow rate or a higher feed pressure should work.

2. "THE PROGRAM HAS CALCULATED A NEGATIVE TEMPERATURE IN RING XX--- RETURN AND TERMINATE"

If a negative temperature is calcualted in any annular region at any axial station in the vapor region, further calculations are stopped and this message, including the current annular ring, is printed. An appropriate solution to this problem would be to increase the number of radial regions into which the reactor is divided.

3. "UNABLE TO FIND SUITABLE X0 AFTER FOUR TRIES OF 25 ITERATIONS EACH --- PROGRAM STOP FOLLOWS"

If a satisfactory value for X0 cannot be found after four attempts, this message is printed and program execution is terminated. An appropriate solution to this problem would be to try different values for f_1 [Eq. (I-11) in discussion of SGRAD, Appendix I]. These values could be greater than 0.95. To make this change, subroutine SGRAD would have to be recompiled using the new values of f_1 .

4. "THERE IS A PUDDLE OF COLD HYDRAZINE AT THE LIQUID-VAPOR/VAPOR INTERFACE --- TRY USING A LARGER VALUE FOR GO"

When using a buried injector scheme it is possible to "flood" the region surrounding the injector tip with cold, liquid hydrazine. A sudden drop in axial temperatures at the liquid-vapor/vapor interface in any annular ring indicates that this has occurred, and in such cases the above message is printed and no further calculations are made. An appropriate solution to this problem would be to try a larger input value for GO, and rerun the program with the revised input.

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LIST OF SYMBOLS

a	Radius of spherical particle, ft
A_p	Total external surface of catalyst particle per unit volume of bed, ft^{-1}
c_i	Reactant concentration in interstitial fluid, lb/ft^3
c_p	Reactant concentration in gas phase within the porous particle, lb/ft^3
C_F	Specific heat of fluid in the interstitial phase, $\text{Btu}/\text{lb} - \text{deg R}$
\bar{C}_F	Average specific heat of fluid in the interstitial phase, $\text{Btu}/\text{lb} - \text{deg R}$
D_i	Diffusion coefficient of reactant gas in the interstitial fluid, ft^2/sec
D_o	Diffusion coefficient of reactant gas in the interstitial fluid at STP, ft^2/sec
D_p	Diffusion coefficient of reactant gas in the porous particle, ft^2/sec
f_i	Weighting factor in Eq. (I-11)
F	Rate of feed of hydrazine from buried injectors into the system (Ref. 1), $\text{lb}/\text{ft}^3\text{-sec}$
g_C	Conversion factor, $(\text{lb}_m/\text{lb}_f) \text{ ft/sec}^2$
G	Mass flow rate, $\text{lb}/\text{ft}^2\text{-sec}$
h	Enthalpy, Btu/lb
h_c	Heat transfer coefficient, $\text{Btu}/\text{ft}^2\text{-sec-deg R}$
H	Heat of reaction (negative for exothermic reaction), Btu/lb
k_c	Mass transfer coefficient, ft/sec
k_o	Reaction rate constant, equals $\alpha e^{-\gamma}$
K_p	Thermal conductivity of the porous catalyst particle, $\text{Btu}/\text{ft}\text{-sec-deg R}$

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M	Molecular weight, lb/lb mole
\bar{M}	Average molecular weight, lb/lb mole
n	Order of decomposition reaction
N_r	Radial mass flux, lb/ft ² -sec
P	Chamber pressure, psia
q_r	Radial heat flux, Btu/ft ² -sec
Q_{het}	Activation energy for (heterogeneous) chemical reaction on the catalyst surfaces, Btu/lb mole
Q_{hom}	Activation energy for (homogeneous) chemical reaction in the interstitial phase, Btu/lb mole
r	Radial distance from the center of the cylindrical reaction chamber, ft
r_{het}	Rate of (heterogeneous) chemical reaction on the catalyst surfaces, lb/ft ³ -sec
r_{hom}	Rate of (homogeneous) chemical reaction in the interstitial phase, lb/ft ³ -sec
R	Gas constant, equals 10.73 psia - ft ³ /lb mole - deg R, or, Radius of reactor
T	Temperature, deg R
T_{vap}	Vaporization temperature, deg R
w_i	Weight fraction of reactant in interstitial phase
x	Radial distance from the center of the spherical catalyst particle, ft
X_O	Defined in Appendix I (Discussion of Subroutine SGRAD)
z	Axial distance, ft
z_0	Axial distance to the end of buried injectors, ft
a	Preexponential factor in rate equation

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β Equals $[-(C_p)_s \cdot HD_p] / [K_p (T_p)_s]$

γ Equals $Q_{net}/R (T_p)_s$

δ Interparticle void fraction

ϵ Eddy diffusivity, ft^2/sec

λ Eddy conductivity, $Btu/ft\text{-sec-deg R}$

μ Viscosity of interstitial fluid, $lb/ft\text{-sec}$

ρ_i Density of interstitial fluid, lb/ft^3

Subscripts

F Refers to feed

i Refers to interstitial phase

p Refers to gas within the porous catalyst particle

s Refers to surface of catalyst particle

Superscripts

J Refers to chemical species

L Refers to liquid at vaporization temperature

V Refers to vapor at vaporization temperature

APPENDIX I

Description of Subroutines

The following is a list and brief description of the subroutines which comprise the UNIVAC 1108 computer programs describing the one- and two-dimensional steady-state models of a hydrazine catalytic reactor. Subroutine SGRAD, since it is the key subroutine in each program is described in detail. The flow charts for the main programs and major subroutines are included immediately after this list in Figs. I-1 through I-8. The number outside of and next to any block on the flow charts indicates the approximate statement number in that routine at which that particular operation occurs.

One-Dimensional Model

MAIN (Fig. I-1)	Controls input and calculates concentrations and temperatures in the liquid region of the reactor.
SL0PE (Fig. I-1)	Calculates concentration and temperature profiles within the catalyst particles for the liquid and liquid vapor regions of the reactor. This subroutine is similar to SGRAD which is described in detail later in this section.
LQVP (Fig. I-2)	Calculates enthalpy during the liquid vapor region of the reactor (concentration of N_2H_4 and temperature remain constant).
LQV2 (Fig. I-2)	Calculates hydrazine concentration, enthalpy and temperatures during the liquid-liquid vapor region of the reactor (concentration of hydrazine varies).
VAP0R (Figs. I-3 & I-4)	Calculates concentrations, temperatures and pressures in the vapor region of the reactor.
PARAM (Fig. I-5)	Calculates parameters needed for calculations done in subroutine SL0PE.
C0NC (Fig. I-5)	Calculates reactant concentrations at the liquid vapor-vapor interface of the reactor.
UNBAR	Interpolation routine used to obtain values from a table.
BL0CK DATA TABLES	Tables of: (1) temperature vs. viscosity (2) temperature vs. vapor pressure

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- (3) temperature vs. heats of reaction
- (4) temperature vs. specific heat
- (5) vapor pressure vs. temperature
- (6) enthalpy vs. temperature

SGRAD (Fig. I-5)

This routine is the same as it is in the two-dimensional model. For a detailed description, see the section describing two-dimensional subroutines.

Two-Dimensional Model

MAIN (Fig. I-6)

Controls input and calculates concentrations and temperatures in the liquid region of the reactor for all annular regions.

SLØPE (Fig. I-6)

Calculates concentration and temperature profiles within the catalyst particles for the liquid and liquid vapor regions of the reactor for all annular regions. This subroutine is similar to SGRAD which is described in detail later in this section.

LQVP (Fig. I-6)

Calculates enthalpy during the liquid vapor region of the reactor for all annular regions (concentration of N_2H_4 and temperature remain constant).

VAPØR (Fig. I-7)

Calculates concentrations, temperatures and pressures in the vapor region of the reactor for all annualr regions.

DELTAZ (Fig. I-8)

Calculates axial increments for the vapor region.

ØRDER (Fig. I-8)

Arranges an array of numbers in ascending order

UNBAR

Interpolation routine used to cbtain values from a table.

BLOCK DATA TABLES

Tables of:

- (1) temperature vs. viscosity
- (2) temperature vs. vapor pressure
- (3) temperature vs. heats of reaction
- (4) temperature vs. specific heat
- (5) vapor pressure vs. temperature
- (6) enthalpy vs. temperature

SGRAD (Fig. I-8)

Detailed description follows:

SGRAD (Fig. I-8)

The purpose of subroutine SGRAD is to solve the implicit integral equations describing reactant concentration and temperature profiles in the porous catalyst particles and to calculate the slope of the reactant concentration gradient at the surface of the catalyst particles. This routine is used for calculations in the vapor region of the reactor only. In the hydrazine catalytic reactor system, ammonia concentration profiles are calculated but the subroutine is very general and can be used for many other reactants. The key equation to be solved is an implicit integral equation of the form (Refs. 2 and 9):

$$c_p^{\text{NH}_3}(x/a) = c_i^{\text{NH}_3} - a^2 \left[\frac{1}{x/a} - \frac{ak_c^{\text{NH}_3} D_p^{\text{NH}_3}}{ak_c^{\text{NH}_3}} \right] \int_{x_0/a}^{x/a} \xi^2 \frac{r_{\text{het}}^{\text{NH}_3} [c_p^{\text{NH}_3}(x/a)]}{D_p^{\text{NH}_3}} d\xi . \quad (\text{I-1})$$

$$- a^2 \int_{x/a}^1 \left[\frac{1}{\xi} - \frac{ak_c^{\text{NH}_3} - D_p^{\text{NH}_3}}{ak_c^{\text{NH}_3}} \right] \xi^2 \frac{r_{\text{het}}^{\text{NH}_3} [c_p^{\text{NH}_3}(x/a)]}{D_p^{\text{NH}_3}} d\xi$$

where $c_p^{\text{NH}_3}(x)$ is the reactant (ammonia) concentration as a function of x (the radial position within the catalyst particle), $c_i^{\text{NH}_3}$ is the interstitial reactant concentration and a is the radius of the spherical catalyst particle. To solve this equation, a two-phase iterative scheme is used. First, an initial estimate for $c_p^{\text{NH}_3}(x)$ is found through an iterative method of calculating successively better approximations. Second, using the good initial estimate found in the first phase, a similar iterative method is used to arrive at converged values of the actual $c_p^{\text{NH}_3}(x)$ distribution.

Phase I

It was found through hand calculation that solutions of Eq. (I-1) were very likely to diverge if the initial estimate was not a very good estimate. Therefore, in the first phase of this subroutine the iterative scheme is used to find this good first estimate. A linear function of the type shown in Fig. I-9 was found to be a fairly close approximation to the actual concentration distribution. The point at which the reactant concentration profile changes slope is referred to as x_0 .

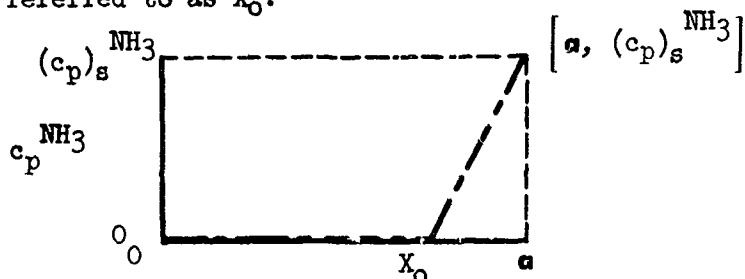


Fig. (I-9)

The final solution to Phase I is a distribution of this type.

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Iterative Procedure: Phase I

1. First a guess is made at a value for the reactant concentration at the surface of the catalyst particle: $(c_p)_s^{NH_3} = c_i^{NH_3}/2$.
2. Using this value, a value is found for the slope of the concentration profile at the surface, $[dc_p^{NH_3}/dx]_{x=a}$.

$$[dc_p^{NH_3}/dx]_{x=a} = \frac{k_c^{NH_3}}{D_p^{NH_3}} [c_i - (c_p)_s^{NH_3}] \quad (I-2)$$

where $k_c^{NH_3}$ is calculated from an equation given in Ref. 1 and $D_p^{NH_3}$ is calculated from Eq. (I-3).

$$D_p^{NH_3} = D_0^{NH_3} \left\{ \left(\frac{(T_p)_s}{492} \right)^{1.823} \cdot \left(\frac{14.7}{P} \right) \cdot \left[1 - e^{-0.0672(P/14.7)(492/(T_p)_s)} \right] \right\} \quad (I-3)$$

3. The temperature at the particle surface, $(T_p)_s$, is calculated from

$$(T_p)_s = T_i - \frac{1}{k_c} \left[(H \cdot k_c \cdot c_i)^{N_2H_4} + (H \cdot D_p \cdot [dc_p/dx]_{x=a})^{NH_3} \right] \quad (I-4)$$

where T_i and $c_i^{N_2H_4}$ are input to the subroutine, $H^{N_2H_4}$ and H^{NH_3} are taken from tables in the computer program, and k_c and $k_c^{N_2H_4}$ are calculated according to the equations in Ref. 1.

4. Using the point $[a, (c_p)_s^{NH_3}]$ and the slope $[dc_p^{NH_3}/dx]_{x=a}$, a line is established and extrapolated to the $c_p^{NH_3} = 0$ axis line, intersecting the axis line at x_0 (as in Fig. I-9).
5. The value for x_0 is calculated from

$$x_0 = a - \left\{ (c_p)_s / [dc_p/dx]_{x=a} \right\}^{NH_3} \quad (I-5)$$

Since the region of primary interest is the particle surface, it is at this point that convergence on a value for $c_p^{NH_3}(x)$ is tested. To test for convergence, a new $(c_p)_s^{NH_3}$ is calculated and compared to the previous $(c_p)_s^{NH_3}$. The new value for $(c_p)_s^{NH_3}$ can be calculated from Eq.(I-1) by noting that, at the catalyst particle surface, where $x=a$, the second integral term in Eq. (I-1) drops out leaving

$$(c_p)_s^{NH_3} = c_i^{NH_3} \left[\frac{1}{x} - \frac{\alpha k_c - D_p^{NH_3}}{\alpha^2 k_c^{NH_3}} \right] \int_0^a \xi^2 \frac{r_{het}[c_p^{NH_3}(x)]}{D_p^{NH_3}} d\xi \quad (I-6)$$

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As can be seen in Fig. (I-9) in distributions of this type all values of $c_p^{NH_3}(x)$ between 0 and X_0 are zero. Therefore, in evaluating the integrals, all points between 0 and X_0 can be ignored. If this is done and if x is normalized by dividing by a , Eq. (I-6) reduces to

$$(c_p)_s^{NH_3} = c_i^{NH_3} - a^2 \left[1 - \frac{ak_c^{NH_3} - D_p^{NH_3}}{ak_c^{NH_3}} \right] \int_{X_0/a}^1 \xi^2 \frac{r_{het} [c_p^{NH_3}(x)]}{D_p^{NH_3}} d\xi \quad (I-7)$$

where all terms have been previously determined except r_{het} which is calculated from

$$r_{het}^{NH_3} = k_o (c_i^{NH_3})^{1-n} \cdot [c_p^{NH_3}(x)]^n \exp \left\{ \gamma \beta (1 - c_p^{NH_3}(x)/c_i^{NH_3}) \right. \\ \left. / [1 + \beta (1 - c_p^{NH_3}(x)/c_i^{NH_3})] \right\} \quad (I-8)$$

where n , k_o , γ , and β are defined in the List of Symbols.

6. A new value for $(c_p)_s^{NH_3}$ is calculated using Eq. (I-7) where the integral is evaluated numerically using the trapezoidal method.
7. A new value for $[dc_p^{NH_3}/dx]_{x=a}$ is calculated from Eq. (I-3) using the newly calculated $(c_p)_s^{NH_3}$.
8. New values are calculated for $(T_p)_s$, $D_p^{NH_3}$, γ , β , k_o .
9. The following convergence tests are made:

$$\left| \frac{[T_i - (T_p)_s]_{OLD} - [T_i - (T_p)_s]_{NEW}}{[T_i - (T_p)_s]_{NEW}} \right| \stackrel{?}{\leq} 0.05 \quad (I-9)$$

and

$$\left| \frac{[c_i - (c_p)_s]_{OLD}^{NH_3} - [c_i - (c_p)_s]_{NEW}^{NH_3}}{[c_i - (c_p)_s]_{NEW}^{NH_3}} \right| \stackrel{?}{\leq} 0.05 \quad (I-10)$$

If these tests are both satisfied, the value of X_0 calculated in Eq. (I-5) is saved and the program moves on to Phase II.

If both tests are not satisfied, an averaged value of $(c_p)_s^{NH_3}$ is calculated using as many as three averaging techniques to insure rapid convergence.

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Using this new value of $(c_p)_s^{NH_3}$, steps 2 through 9 are repeated up to a maximum of twenty-five times. If no convergence is reached after twenty-five iterations, a "weighted" estimate of X_o is tried:

$$X_o = f_i \cdot (X_o) \text{ previously calculated} + (1-f_i) \cdot (X_o) \text{ last calculated} \quad (I-11)$$

Steps 1 through 9 are repeated up to twenty-five times. Succeeding values $f_i = 0.80, 0.85, 0.90, \text{ and } 0.95$ are tried until convergence is reached. If convergence still is not reached and therefore a satisfactory X_o is not found, a program termination with an appropriate error message follows.

Phase II

Using as an initial approximation the straight line determined by the convergent X_o and $[dc_p^{NH_3}/dx]_{x=a}$ found in Phase I, an iterative scheme similar to that in Phase I is now employed to find convergent values for the entire $c_p^{NH_3}(x)$ distribution within the catalyst particle. It was found through hand calculations that the convergent values of $c_p^{NH_3}(x)$ near the surface were not changed by more than 5 percent when the values of $c_p^{NH_3}(x)$ between 0 and X_o were not considered in the iterative procedure. Therefore, the points in this range are ignored.

Iterative Procedure: Phase II

The values of $c_p^{NH_3}(x)$, $(T_p)_s$, $k_o^{NH_3}$, β^{NH_3} , γ^{NH_3} , etc. found in the last iteration in Phase I are the initial input to the following iteration.

1. A new $c_p^{NH_3}(x)$ profile is calculated from Eq. (I-12).

$$c_p^{NH_3}(x/a) = c_i^{NH_3} - a^2 \left[\frac{1}{x/a} - \frac{ak_c^{NH_3} - D_p^{NH_3}}{ak_c^{NH_3}} \right] \int_{X_o/a}^{x/a} \xi^2 \frac{r_{het}^{NH_3} [c_p^{NH_3}(\xi)]}{D_p^{NH_3}} d\xi \\ - a^2 \int_{X_o/a}^1 \left[\frac{1}{\xi} - \frac{ak_c^{NH_3} - D_p^{NH_3}}{ak_c^{NH_3}} \right] \xi^2 \frac{r_{het}^{NH_3} [c_p^{NH_3}(\xi)]}{D_p^{NH_3}} d\xi \quad (I-12)$$

As before, the limits of the integral have been normalized by dividing by a . The integrals are evaluated numerically using the finite sum approximation described below.

To evaluate the integral terms in Eq. (I-12) the following procedure, using a finite sum approximation, is used:

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(a) the interval $x_0/a \leq x/a \leq 1$ is divided into 24 equally spaced subdivisions, and an average value for $r_{\text{het}} [c_p^{\text{NH}_3}(x/a)]$ is calculated for each of these divisions.

(b) treating $r_{\text{het}} [c_p^{\text{NH}_3}(x/a)]$ as constant over each of these subdivisions, Eq. (I-12) can be approximated by

$$\begin{aligned}
 c_p^{\text{NH}_3}(x/a) &= c_i^{\text{NH}_3} - \frac{a}{D_p^{\text{NH}_3}} \left[\frac{1}{x/a} - \frac{ak_c^{\text{NH}_3} - D_p^{\text{NH}_3}}{ak_c^{\text{NH}_3}} \right] \left\{ r_{\text{het}} \int_{x_0/a}^{x_0/a + \Delta x/a} \xi d\xi \right. \\
 &\quad + r_{\text{het}}^2 \int_{x_0/a + \Delta x/a}^{x_0/a + 2\Delta x/a} \xi d\xi + \dots + r_{\text{het}}^{24} \int_{x_0/a + (k-1)\Delta x/a}^{x_0/a + k\Delta x/a} \xi d\xi \Big\} \\
 &- \frac{a^2}{D_p^{\text{NH}_3}} \left\{ r_{\text{het}} \int_{x_0/a + k\Delta x/a}^{x_0/a + (k+1)\Delta x/a} \left[\frac{1}{\xi} - \frac{ak_c^{\text{NH}_3} - D_p^{\text{NH}_3}}{ak_c^{\text{NH}_3}} \right] \xi^2 d\xi \right. \\
 &\quad + r_{\text{het}}^2 \int_{x_0/a + (k+1)\Delta x/a}^{x_0/a + (k+2)\Delta x/a} \left[\frac{1}{\xi} - \frac{ak_c^{\text{NH}_3} - D_p^{\text{NH}_3}}{ak_c^{\text{NH}_3}} \right] \xi^2 d\xi + \dots \\
 &\quad \left. + r_{\text{het}}^{24} \int_{x_0/a + 23\Delta x/a}^{x_0/a + 24\Delta x/a} \left[\frac{1}{\xi} - \frac{ak_c^{\text{NH}_3} - D_p^{\text{NH}_3}}{ak_c^{\text{NH}_3}} \right] \xi^2 d\xi \right\} \tag{I-13}
 \end{aligned}$$

where $k = 1, 2, \dots, 24$

(c) the integrals in Eq. (I-13) can now be evaluated directly

$$\text{viz } \int_a^b \xi d\xi = \frac{\xi^2}{2} \Big|_a^b = \frac{b^2}{2} - \frac{a^2}{2}$$

$$\int_a^b \text{CONSTANT} \cdot \xi^2 d\xi = \text{CONSTANT} \cdot \frac{\xi^3}{3} \Big|_a^b = \text{CONSTANT} \left(\frac{b^3}{3} - \frac{a^3}{3} \right)$$

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- (d) rearranging and integrating term by term in Eq. (I-13) yields the finite sum approximation for $c_p^{NH_3}(x/a)$ at each subdivision of the interval from x_0/a to 1:

$$c_p^{NH_3}(x/a)_{k+1} = c_i^{NH_3} - \frac{a^2}{D_p^{NH_3}} \left\{ \left(\frac{1}{x_k/a} - \frac{av + 1}{av} \right) \cdot \sum_{j=1}^k \frac{r_{het}^j}{3} \left[\left(\frac{x_j}{a} \right)^3 - \left(\frac{x_{j-1}}{a} \right)^3 \right] + \sum_{j=k}^{24} \frac{r_{het}^{j+1}}{2} \left[\left(\frac{x_{j+1}}{a} \right)^2 - \left(\frac{x_j}{a} \right)^2 \right] - \left(\frac{av + 1}{av} \right) \cdot \sum_{j=k}^{24} \frac{r_{het}^{j+1}}{3} \left[\left(\frac{x_{j+1}}{a} \right)^3 - \left(\frac{x_j}{a} \right)^3 \right] \right\} \quad (I-14)$$

where $v = (ak_c - D_p)^{NH_3} / ak_c^{NH_3}$ and $K = 1, 2, \dots, 24$.

- (e) the values for $c_p^{NH_3}(x/a)|_{x=x_0}$ and $c_p^{NH_3}(x/a)|_{x=a}$ are special cases where one or the other of the integral terms in Eq. (I-12) vanishes. Evaluation follows from a simple reduction of Eq. (I-14).

2. A new value for $\left[\frac{dc_p^{NH_3}}{dx} \right]_{x=a}$ is calculated from Eq. (I-3) using the newly calculated $(c_p)_s^{NH_3}$.
3. A new value for $(T_p)_s$ is calculated from Eq. (I-4).
4. Convergence tests are made (as they were in Phase I) using Eqs. (I-9) and (I-10).
 - (a) If the convergence tests are both satisfied, the quantities GRAD and TGRAD are calculated according to Eqs. (I-15) and (I-16), and the program returns to the point from which the subroutine was called.

$$GRAD = \left[\frac{dc_p^{NH_3}}{dx} \right]_{x=0} \cdot D_p^{NH_3} \quad (I-15)$$

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$$TGRAD = \lambda_c [T_i - (T_p)_s] \quad (I-16)$$

- (b) If the tests are not both satisfied, a new $c_p^{NH_3}(x)$ distribution is calculated using one of various averaging techniques. Corresponding $[dc_p^{NH_3}/dx]_{x=a}$, $(T_p)_s$, k_o , γ , β , etc. are also calculated. Then steps 1 through 4 are repeated up to a maximum of 50 times. If convergence criteria are not met after 50 iterations, approximations to acceptable values of GRAD and TGRAD are made using the results of the Phase I iterative procedure, an appropriate message is printed, and the program returns to the point from which the subroutine was called.

Distributions of the type shown in Fig. (I-10) are typical of those found in this iterative procedure.

- (1) converged linear approximation from Phase I
- (2) curve calculated from curve (1) using Eq. (I-11) (Phase II, step 1)
- (3) averaged curve calculated from curves (1) and (2) (Phase II, step 4b)

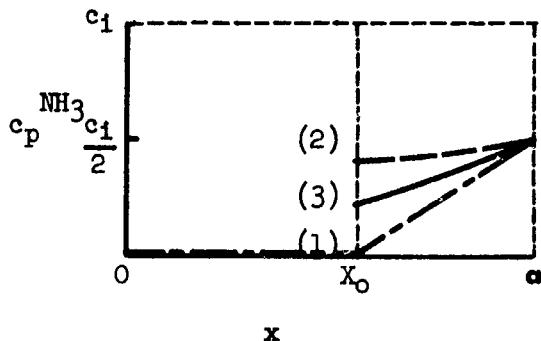
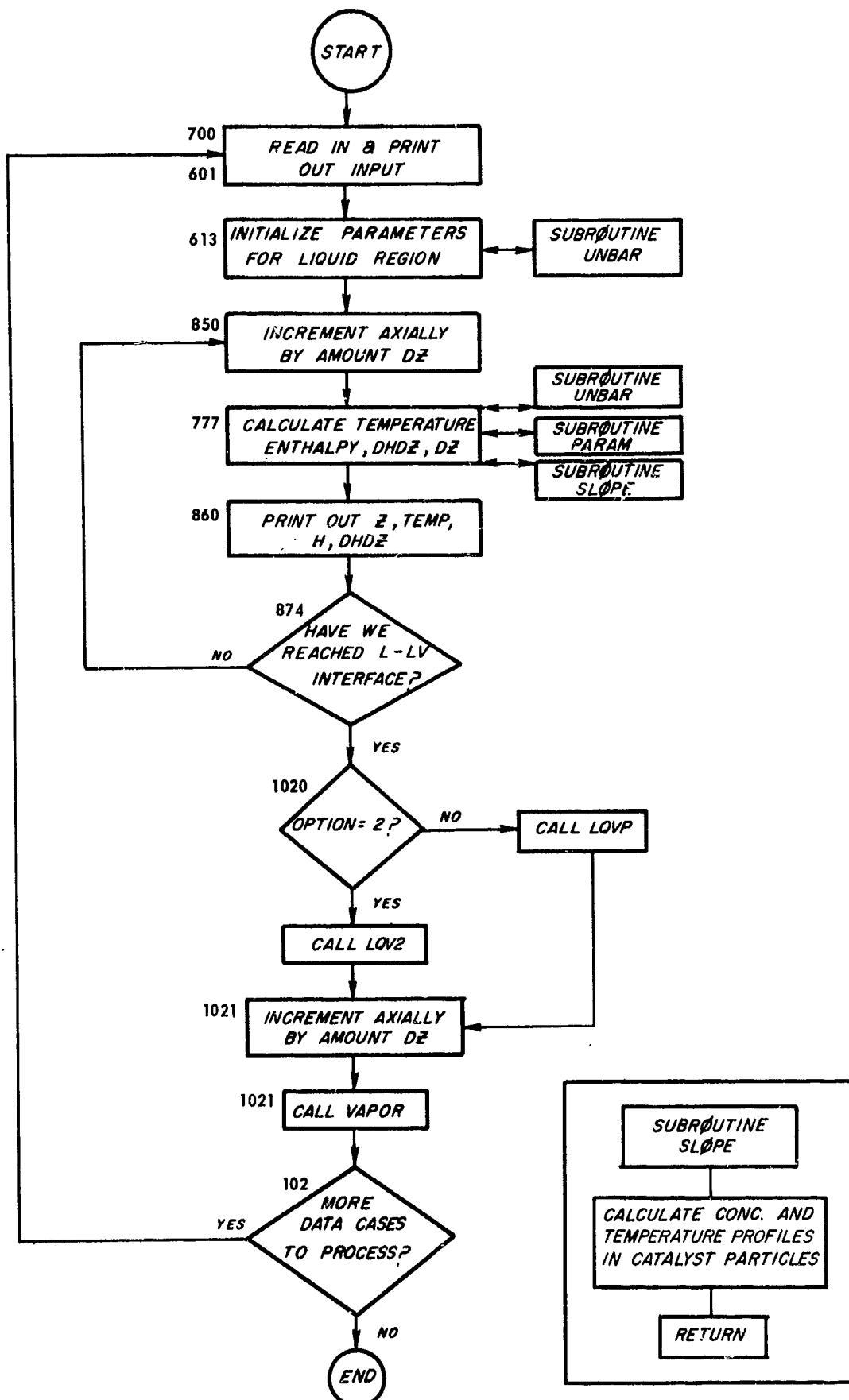


Fig. (I-10)

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FIG.I-1

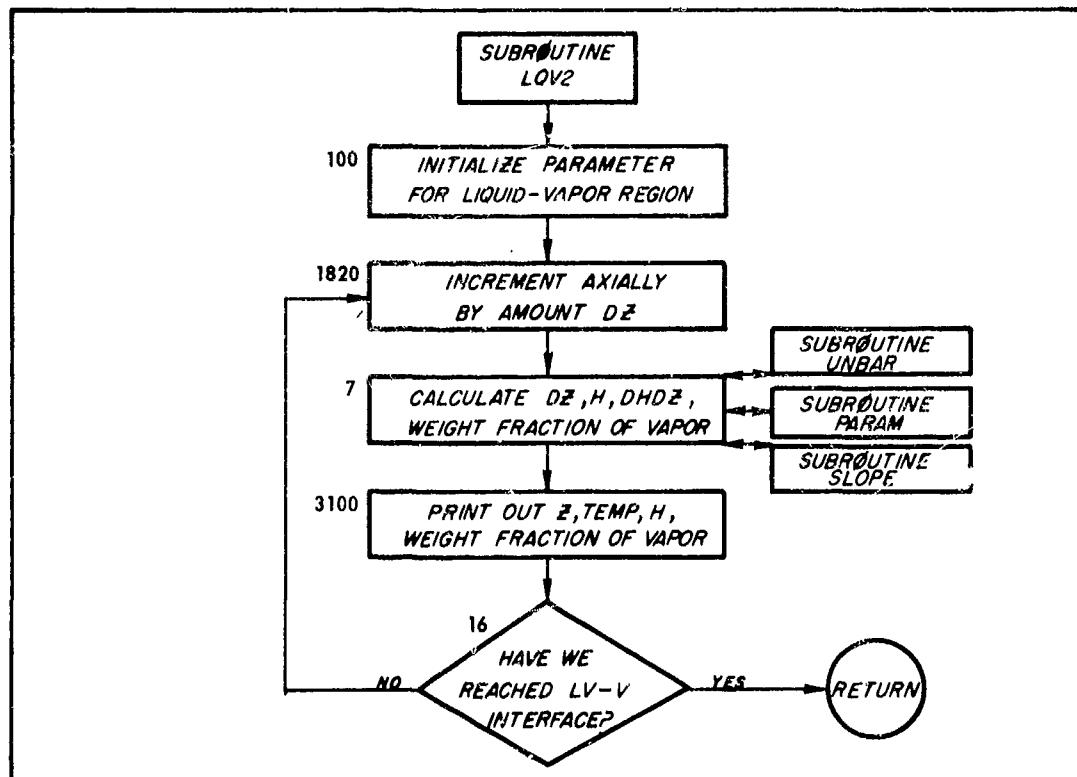
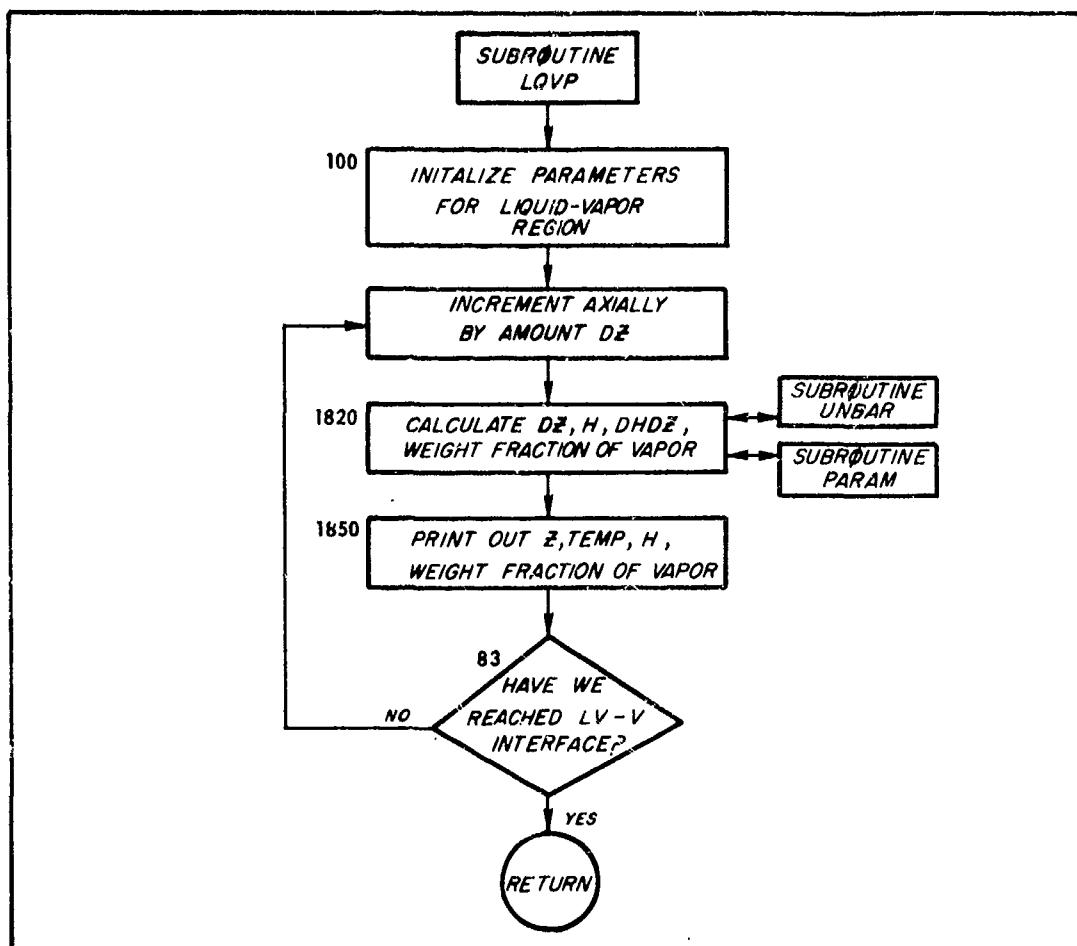
**ONE-DIMENSIONAL STEADY-STATE COMPUTER PROGRAM
MAIN PROGRAM and SUBROUTINE SLØPE: Flow Diagrams**



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ONE-DIMENSIONAL STEADY-STATE COMPUTER PROGRAM
SUBROUTINES LQVP and LQV2 : Flow Diagrams

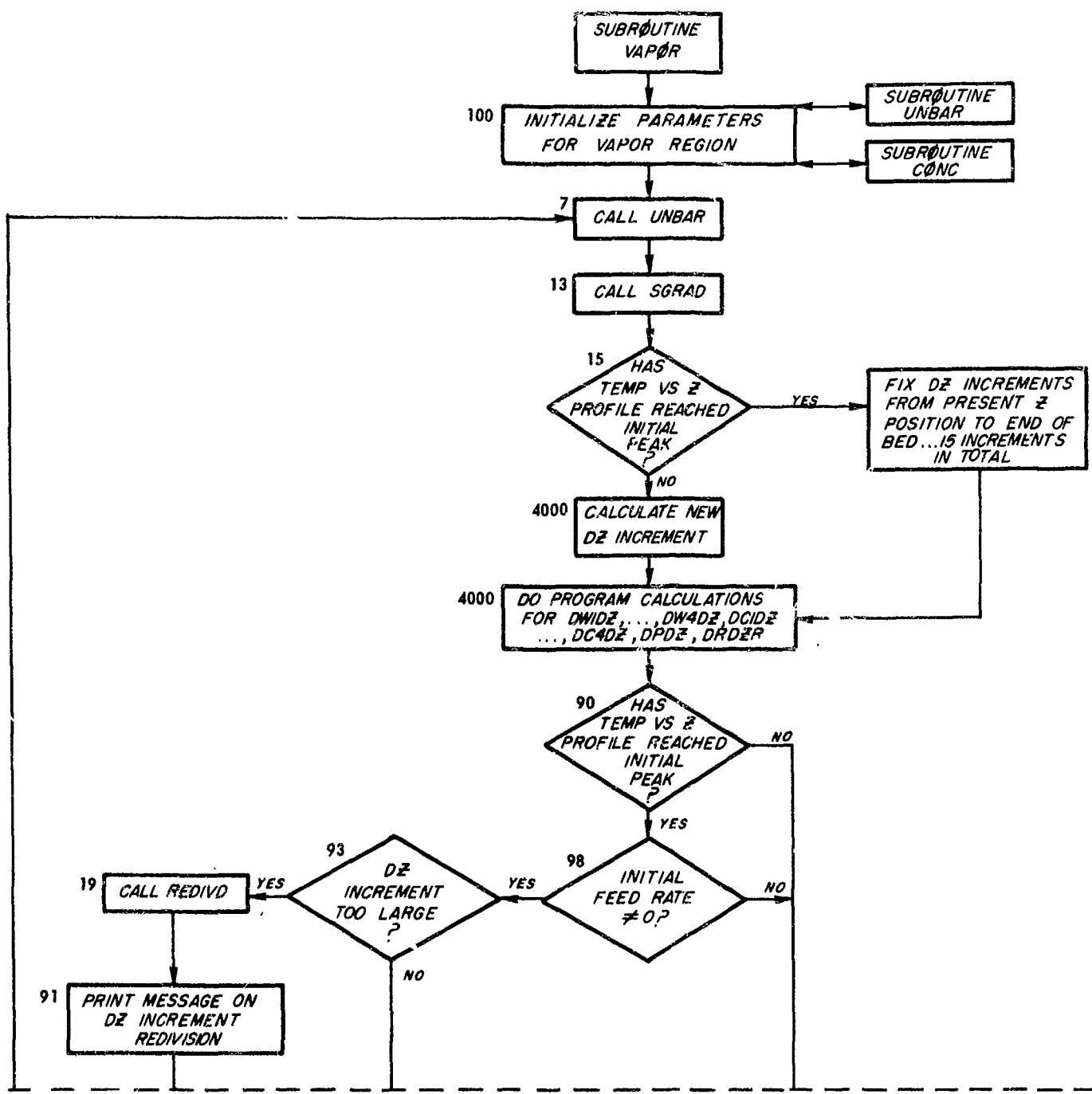
FIG.I-2



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ONE-DIMENSIONAL STEADY-STATE COMPUTER PROGRAM
SUBROUTINE VAPØR: Flow Diagram

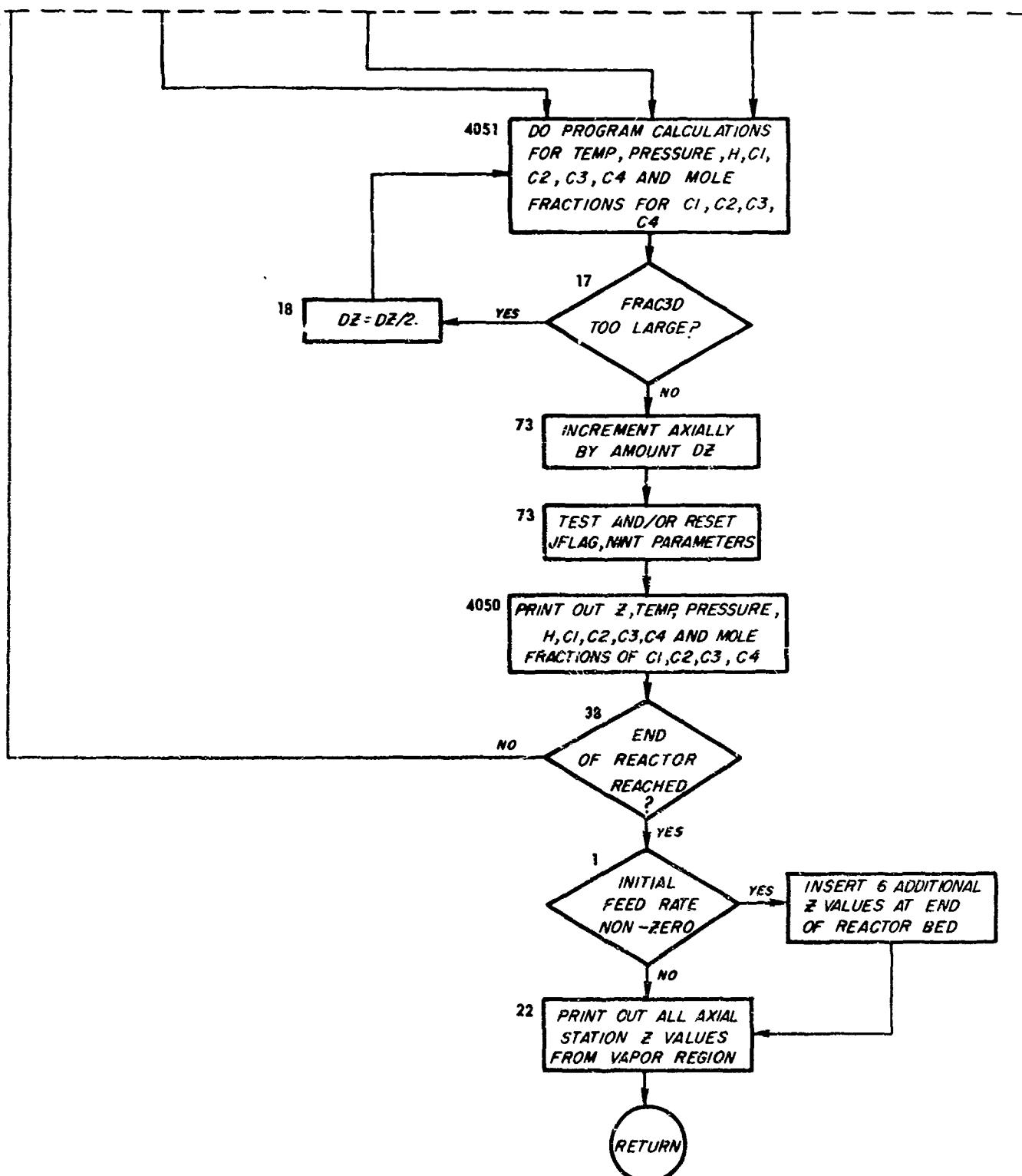
FIG. I-3



(CONTINUED ON PAGE 82)

G910461-30 ONE-DIMENSIONAL STEADY-STATE COMPUTER PROGRAM
SUBROUTINE VAPOR (cont.)

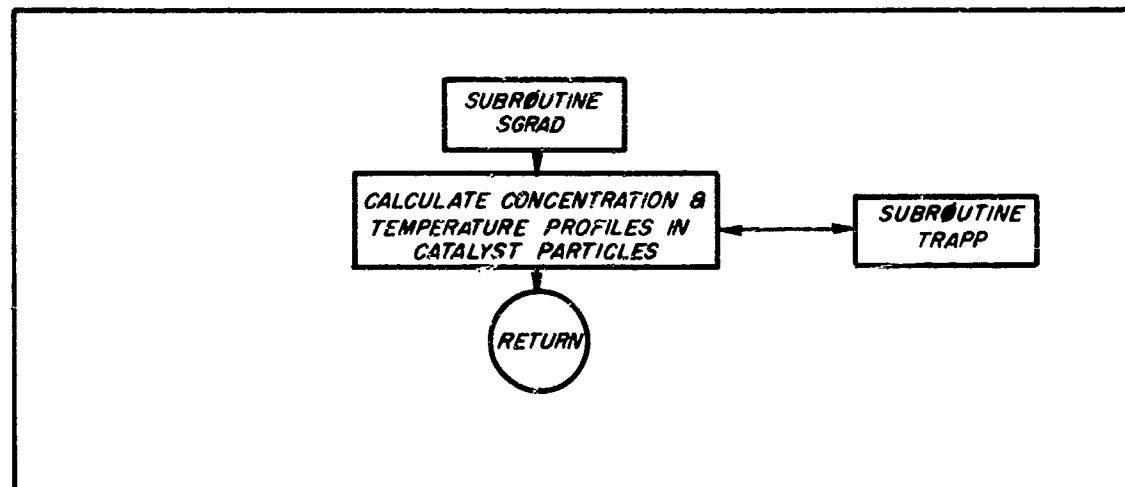
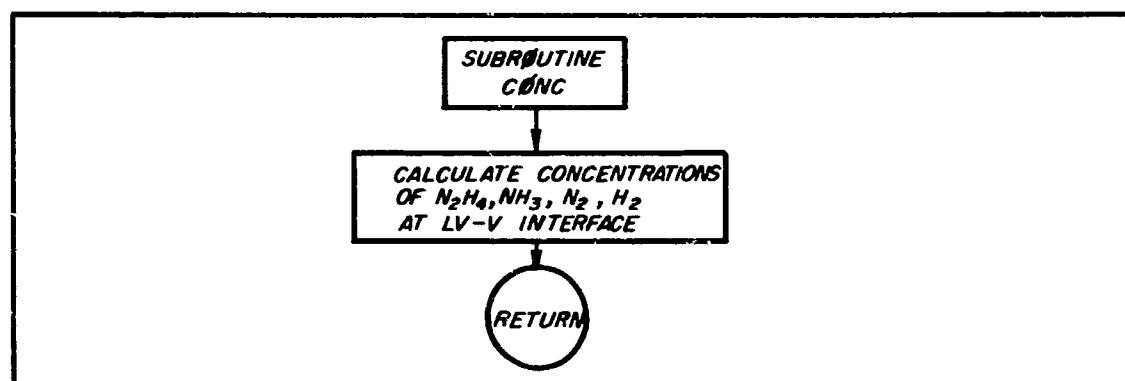
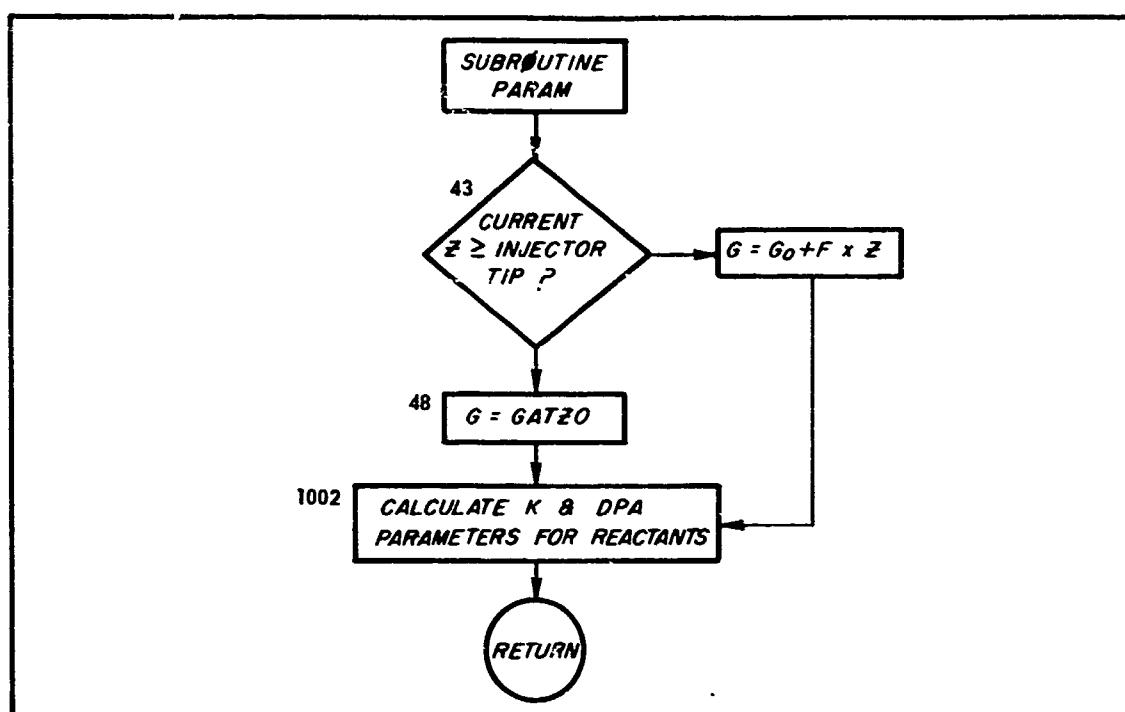
FIG. I-4



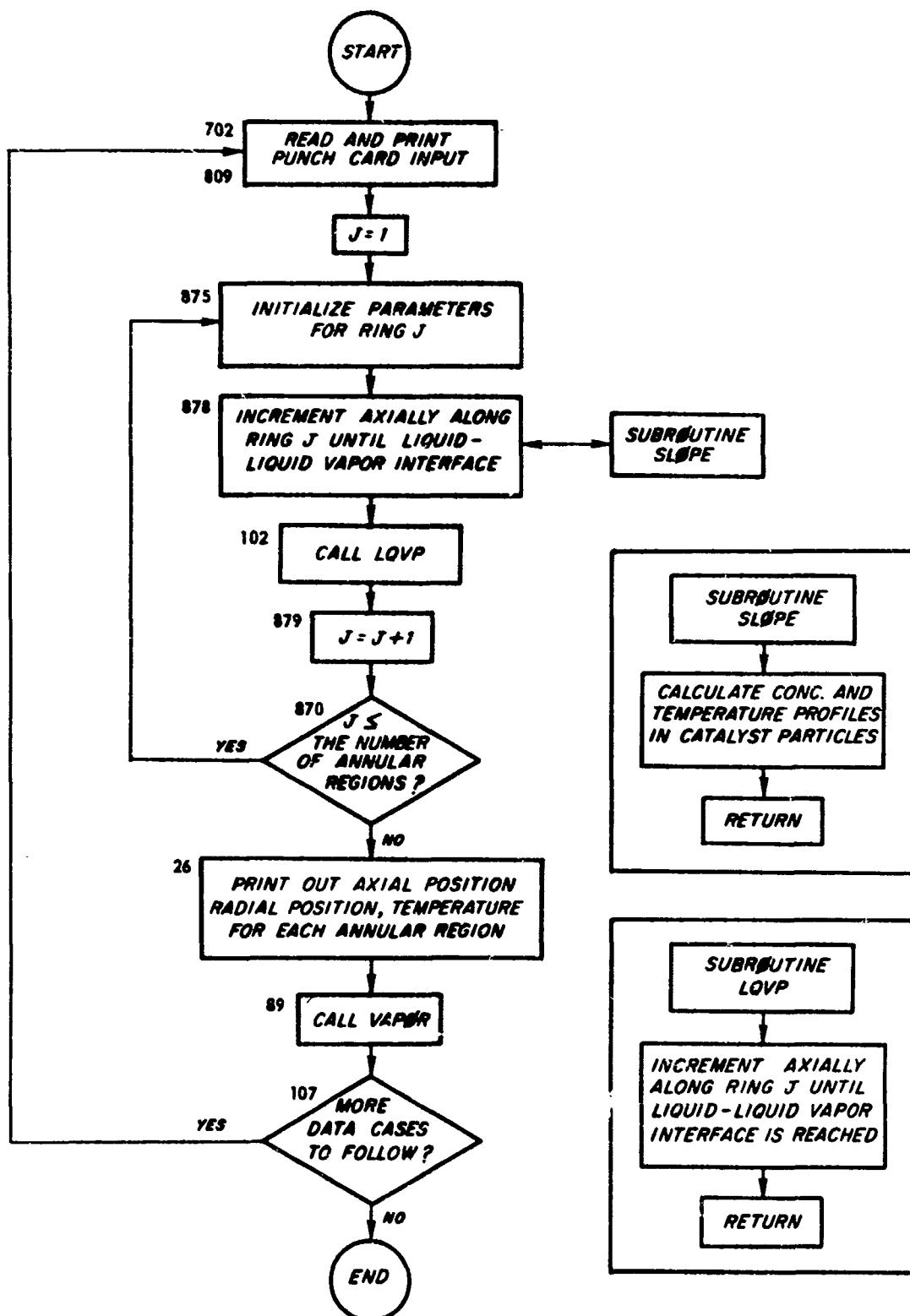
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ONE-DIMENSIONAL STEADY-STATE COMPUTER PROGRAM
SUBROUTINES PARAM, CONC, and SGRAD: Flow Diagrams

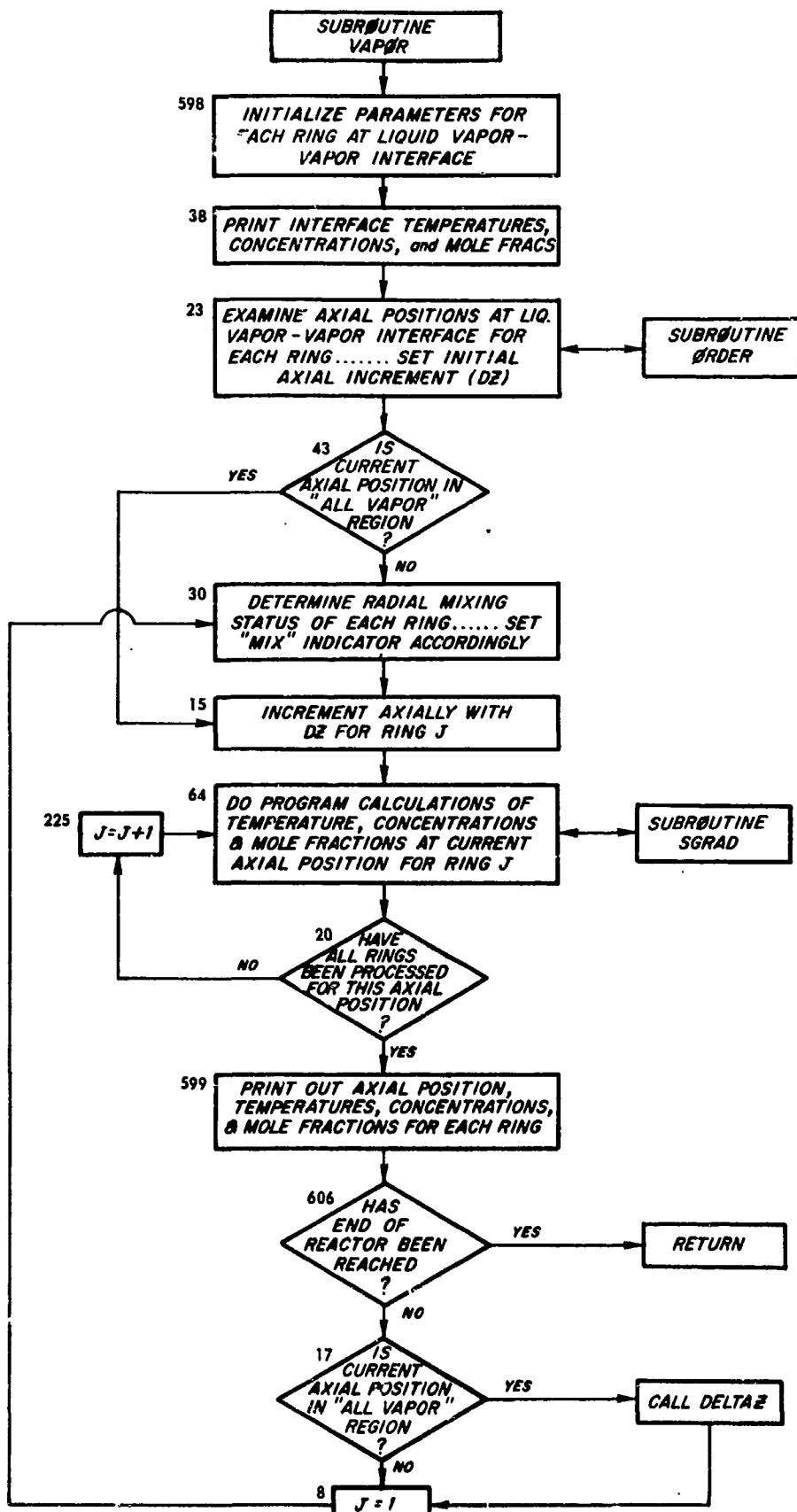
FIG.I-5



TWO-DIMENSIONAL STEADY-STATE COMPUTER PROGRAM
MAIN PROGRAM
FLOW DIAGRAM

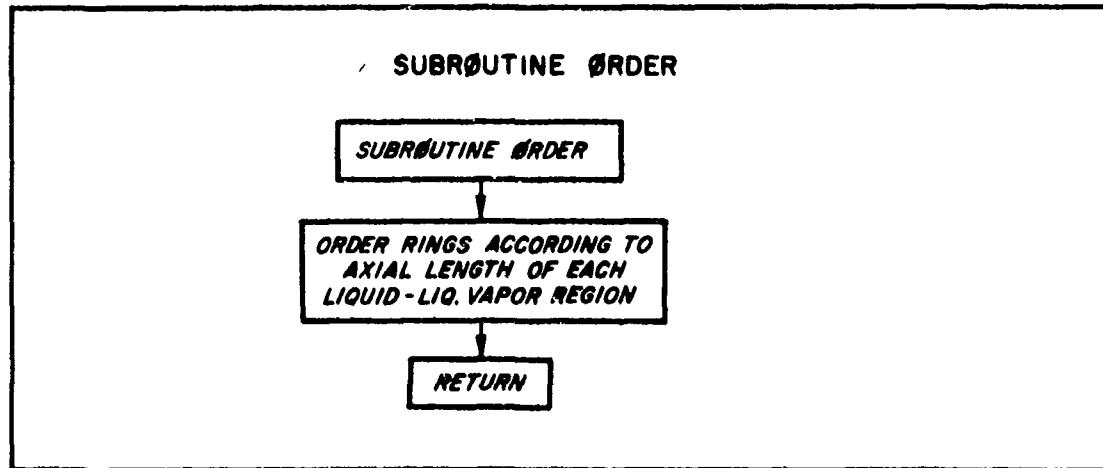
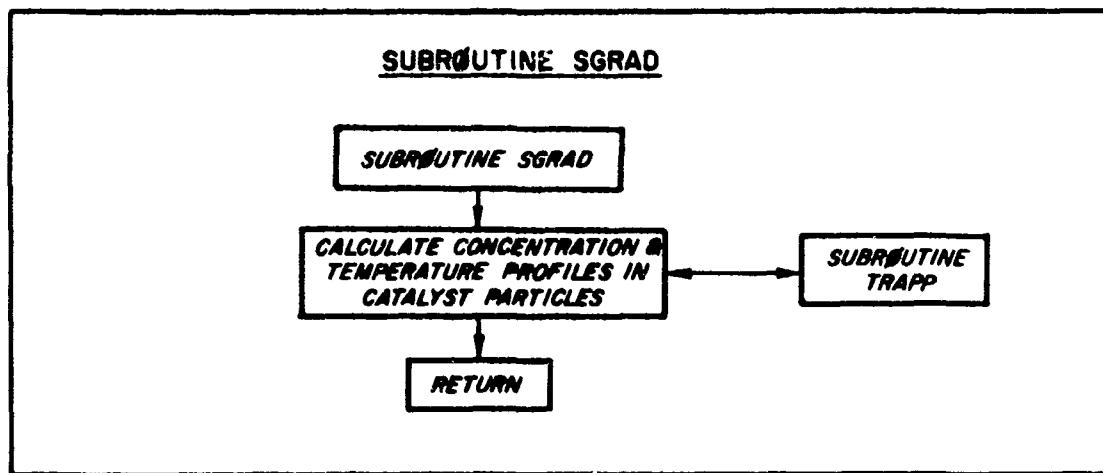
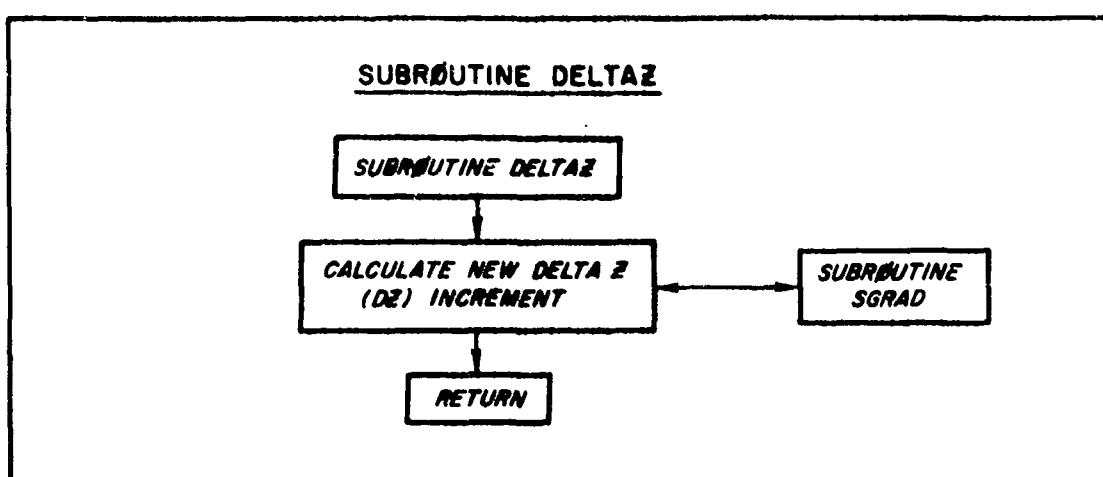


TWO-DIMENSIONAL STEADY-STATE COMPUTER PROGRAM
SUBROUTINE VAPØR: Flow Diagram



TWO-DIMENSIONAL STEADY-STATE COMPUTER PROGRAM
SUBROUTINES DELTAZ, SGRAD, and ØRDER

Flow Diagrams



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APPENDIX II

LISTING OF COMPUTER PROGRAMS

G910461-30

ONE-DIMENSIONAL STEADY-STATE MODEL

DESCRIPTION OF INPUT DATA PUNCH CARDS FOLLOWS ...				
CARD 1	COL'S 1-3	CONTAIN INCASE	(ONLY ONE CARD L PER RUN)	FORMAT (13)
CARD 2	COL'S 1-80	TITLE CARD ...	ANY ALPHANUMERIC INFORMATION DESIRED	(14AB)
CARD 3	COL'S 1-2	CONTAIN OPTION		(12)
	COL'S 3-4	CONTAIN PRINT		(12)
	COL'S 5-7	CONTAIN NOFZ		(13)
CARD 4	COL'S 1-10	CONTAIN Z0	(E10.5)
	11-20	CONTAIN G0	(E10.5)
	21-30	CONTAIN FC	(E10.5)
	31-40	CONTAIN ALPHA3	(E10.5)
	41-50	CONTAIN HF	(E10.5)
	51-60	CONTAIN R	(E10.5)
	61-70	CONTAIN WM4	(E10.5)
	71-80	CONTAIN WM3	(E10.5)
CARD 5	COL'S 1-10	CONTAIN WM2	(E10.5)
	11-20	CONTAIN WM1	(E10.5)
	21-30	CONTAIN ALPHA1	(E10.5)
	31-40	CONTAIN ALPHA2	(E10.5)
	41-50	CONTAIN AGM	(E10.5)
	51-60	CONTAIN BGM	(E10.5)
	61-70	CONTAIN KP	(E10.5)
	71-80	CONTAIN CGM	(E10.5)
CARD 6	COL'S 1-10	CONTAIN TF	(E10.5)
	11-20	CONTAIN CFL	(E10.5)
	21-30	CONTAIN ENMX1	(E10.5)
	31-40	CONTAIN ENMX2	(E10.5)
	41-50	CONTAIN ENMX3	(E10.5)
	51-60	CONTAIN DIF3	(E10.5)
	61-70	CONTAIN DIF4	(E10.5)
	71-80	CONTAIN PRES	(E10.5)
CARD 7	COL'S 1-10	CONTAIN ZEND	(E10.5)
	11-20	CONTAIN LM1	(E10.5)
	21-30	CONTAIN EN2	(E10.5)
	31-40	CONTAIN EN3	(E10.5)
(THE TABLE FOR CATALYST PARTICLE RADIUS VS AXIAL DISTANCE ALONG REACTOR BED FOLLOWS)				
CARD 8	COL'S 1-8	CONTAIN THE NUMBER 0.0		(E8.4)
	COL'S 9-10	CONTAIN THE NUMBER 1.0		(E8.4)
	COL'S 17-24	CONTAIN NOFZ (FLOATING POINT)		(E8.4)
	COL'S 25-32	CONTAIN THE NUMBER 0.0		(E8.4)
CARD 9 & 9b, ...,		CONTAIN THE AXIAL STATION Z VALUES		

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C Z(1),Z(2),...,Z(NOFZ)
C 10 PER CARD, COL'S 1-80 (10E8.4)

C CARDS 10A,10B,... CONTAIN THE CATALYST PARTICLE RADII

C A(1),A(2),...,A(NOFZ)
C 10 PER CARD, COL'S 1-80 (10E8.4)

C (THE TABLE FOR CATALYST PARTICLE SURFACE AREA
C VS AXIAL DISTANCE ALONG REACTOR BED FOLLOWS)

C CARD 11 THIS CARD IS IDENTICAL TO CARD 8

C CARDS 12A,12B,... THESE CARDS (OR SINGLE CARD) ARE IDENTICAL
C TO CARDS 9A,9B,...

C CARDS 13A,13B,... CONTAIN THE CATALYST PARTICLE SURFACE AREAS
C AP(1),AP(2),...,AP(NOFZ)
C 10 PER CARD, COL'S 1-80 (10E8.4)

C (THE TABLE FOR INTERPARTICLE VOID FRACTION VS
C AXIAL DISTANCE ALONG REACTOR BED FOLLOWS)

C CARD 14 THIS CARD IS IDENTICAL TO CARD 8

C CARDS 15A,15B,... THESE CARDS (OR SINGLE CARD) ARE IDENTICAL
C TO CARDS 9A,9B,...

C CARDS 16A,16B,... CONTAIN THE INTERPARTICLE VOID FRACTIONS
C DELA(1),DELA(2),...,DELA(NOFZ)
C 10 PER CARD, COL'S 1-80 (10E8.4)

REAL KP,K	0
INTEGER OPTION,PRINT	10
COMMON /FTZ/TBLVP(70),TBLH4(42),TBLH3(42),SHTBL1(34),SHTBL2(34),	20
1 SHTBL3(34),SHTBL4(34),ZTBLU(46),ZTBLAP(46),ZTBLA(46)	30
COMMON /CO/HL,HV,FC,CFL,CGM,ENMX1,AGM,DIF3,DIF4,KP,PRES,GO,	40
1 WM4,WM3,WM2,WM1,ALPHA3,R,TVALP,ZEND,BOM,HF,DZ,ALPHA1,ALPHA2	50
2 ,ENMX2,ENMX3,EN1,EN2,EN3,H,RAT,MI	60
COMMON /VAR/DERIV(250),DHDZ(250),Z(250)	70
COMMON /TOLL/ALIM,OPTION,C1,C2,C3,C4,CAV,G,TEMP,AP,WMAV,Z0,	80
COMMON /MUVST/VISVST(30)	90
COMMON /FLAGS/MFLAG,KFLAG,PRINT	100
COMMON /IFCE00/IFC,GATZ0	110
COMMON /LIZTBL/DHVST(18),DHLVST(18)	120
COMMON /DAVTBL/VPYBL(44)	130
DIMENSION TITLE(14)	140
HEAD(5,700)-NCASE	150
700 FORMAT (I3)	160
KOUNT=1	170
705 READ (5,608) TITLE	180
608 FORMAT (14A6)	190
WRITE (6,609) TITLE	200
609 FORMAT (1H1,14A6//)	210
IFC=1	220
READ (5,809) OPTION,PRINT,NOFZ	230
809 FORMAT (2I2,I3)	240

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```
READ (5,800) Z0, GO, FC, ALPHA3, MF, R, WM4, WM3, WM2, WM1, ALPHA1, ALPHA2,  
X     AGM, BGM, KP, CGM, TF, CFL, ENMX1, ENMX2, ENMX3, DIF3, DIF4, PRES, ZEND,  
X     EN1, EN2, EN3,  
800 FORMAT (8E10.5)  
N2TBL = 2*NOFZ**  
NOFZ4 = NOFZ+4  
NOFZ5 = NOFZ4+1  
CALL UNBAR (VPTOL(1), 1, PRES, 0., TVAP, KK)  
CALL UNBAR (DHVST(1), 1, TVAP, 0., DELHV, KK)  
CALL JIDAR (JHLVST(1), 1, TVAP, 0., DELHL, KK)  
HL=TFVAP-TF+CFL  
HV=HL+DELHV-DELHL  
GATZ0=GO+FC*Z0  
IF(FC.GT.0.) GO TO 637  
IFC=0  
637 WRITE (6,600)  
600 FORMAT (52X,10H INPUT CONSTANTS/TX,102H MF          HL          HV  
X     1F      TVAP    CFL      PRESSURE   KP      F  
X     00 )  
WRITE (6,601) MF, HL, HV, TF, TVAP, CFL, PRES, KP, FC, GO  
601 FORMAT (3X,10E11.6//)  
WRITE (6,602)  
602 FORMAT (7X,1H3) <    ALPHA3      CGM      DIF3      DIF4  
X     WM4      WM3      WM2      WM1      ZEND )  
WRITE (6,601) R, ALPHA3, CGM, DIF3, DIF4, WM4, WM3, WM2, WM1, ZEND  
WRITE (6,603)  
603 FORMAT (6X,113H AGM      BGM      ALPHA1      ALPHA2      N1  
X     V2      V3      ENMX1     ENMX2     ENMX3      )  
WRITE (6,601) AGM, BGM, ALPHA1, ALPHA2, EN1, EN2, EN3, ENMX1, ENMX2, ENMX3  
WRITE (6,617) Z0  
617 FORMAT (// 6X, 'Z0' / 3X, E11.6)  
READ (5,20) (ZTBLA(I), I=1,4)  
20 FORMAT (4E8.4)  
READ (5,21) (ZTBLA(I), I=5,NOFZ4)  
21 FORMAT (10E8.4)  
READ (5,21) (ZTBLA(I), I=NOFZ5,NZTBL)  
READ (5,20) (ZTBLAP(I), I=1,4)  
READ (5,21) (ZTBLAP(I), I=5,NOFZ4)  
READ (5,21) (ZTBLAP(I), I=NOFZ5,NZTBL)  
READ (5,21) (ZTBLJ(I), I=1,4)  
READ (5,21) (ZTBLJ(I), I=5,NOFZ4)  
READ (5,21) (ZTBLD(I), I=NOFZ5,NZTBL)  
WRITE (6,604)  
604 FORMAT (//55X,13H Z VS A TABLE)  
WRITE (6,22) (ZTBLA(I), I=1,4)  
22 FORMAT (40X,4E13.5)  
WRITE (6,23) (ZTBLA(I), I=5,NOFZ4)  
23 FORMAT (1X,10E13.5)  
WRITE (6,25)  
25 FORMAT ( / )  
WRITE (6,23) (ZTBLA(I), I=NOFZ5,NZTBL)  
WRITE (6,24)  
24 FORMAT ( // )  
WRITE (6,606)  
606 FORMAT (54X,14H Z VS AP TABLE )  
WRITE (6,22) (ZTBLAP(I), I=1,4)  
WRITE (6,23) (ZTBLAP(I), I=5,NOFZ4)  
WRITE (6,25)  
WRITE (6,23) (ZTBLAP(I), I=NOFZ5,NZTBL)  
WRITE (6,24)
```

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```

      WRITE (6,607)                                     850
607  FORMAT (52X,17H Z V, DELTA TABLE )             860
      WRITE (6,621) (ZTBLO(I),I=1,4)                 870
      WRITE (6,623) (ZTBL0(I),I=5,N0FZ4)              880
      WRITE (6,625)                                     890
      WRITE (6,623) (ZTBL0(I),I=N0FZ5,NZTBL)          900
      WRITE (6,613)                                     910
613  FORMAT ('1'18A,'*****'*)                      ENTERING LIQUID 920
      A REGION   *****'*)                           930
      NPLAUS=0                                         940
      DZ=0.0                                           950
      Z(1)=0.0                                         960
      H=H1                                           970
      II=2                                           980
850  Z(II)=Z(II-1)+DZ                               990
      TLM=TF+(H-HF)/CFL                            1000
      CALL UNBAR (TBLH4(1),1,TEMP,0.,H4,KK)           1010
      CN2H4=(VP4*W4)/(R*TEMP)                         1020
      CALL UNBAR (TBLAP(1),1,Z(II),0.,AP,KK)           1030
      CALL UNBAR (TBLA(1),1,Z(II),0.,A,KK)             1040
      CALL PAKAM(TLMP,Z(II),1,CN2H4,H4,0,G,GMMA,K,DPA,BETA) 1050
      CALL SCUPF (CN2H4,GMMA,K,HETA,EN1,DERIV(II),DPAT,A,DIF4) 1060
      IF (H-HL)777,776,777                           1070
776  IF (H1.GT.20) DERIV(II)=DERIV(II-1)            1080
777  DHDZ(II)=-(H4*DPA*AP+DLRIV(II)+FC*(H-HF))/G  1090
      DZ=-H4/(ENMA1*DHDZ(II))                        1100
      WRITE (6,820)                                     1110
820  FORMAT (/30X,4DH2.2) TEMP H DHDZ               1120
      WRITE (6,820) Z(II),TEMP,H,DHDZ(II)             1130
860  FORMAT (/30X,4E15.6)                           1140
      IF (H-HL)874,1020,874                           1150
874  H=H+DHDZ(II)*DZ                               1160
      IF (H-HL)875,1020,1000                           1170
875  II=II+1                                         1180
      GO TO 850                                       1190
C     BACKSTEP TO L-L-V-BOUNDARY
1000 DZ=(HL-H)/DHDZ(II)+DZ                         1210
      H=HL                                         1220
      II=II+1                                       1230
      GO TO 850                                       1240
1020 IF (OPTION.EQ.2) CALL LQV2(H,Z(II),DERIV(II),II,DHDZ(II),TEMP,CN2H4) 1250
      IF (OPTION.EQ.2) GO TO 1021                   1260
      CALL LQVP(II,Z(II),DLRIV(II),II,DHDZ(II),TEMP) 1270
C     START VAPOR REGION
1021 DZ=-H4/(ENMA3*DHDZ(II))                       1280
      CALL VAPOR(TEMP,Z(II),II,DHDZ(II),DERIV(II),H) 1290
      KOUNT=KOUNT+1                                 1300
      IF (KOUNT.LE.NCASE) GO TO 705                  1310
      WRITE (6,102)                                     1320
102  FORMAT (//41X,30H **** OPERATIONS COMPLETE **** ) 1330
      STOP                                         1340
      END                                           1350

```

SUBROUTINE LQVP (H,ZLV,Q,JJ,Q1,TEMP)

0

REAL-KPK

10

INTEGER PRINT

20

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```

COMMON /FTZ/TBLAP(70),TBLH4(42),TBLH9(42),SHTBL1(34),SHTBL2(34),      30
1      SHTBL3(34),SHTBL4(34),ZTBLD(46),ZTBLAP(46),ZTBLA(46)      40
COMMON /CO/HL,HV,FC,TF,CFL,CGM,ENMX1,AGM,DIF3,DIF4,KP,PRES,GU,      50
1      WM4,WM3,WM2,WM1,ALPHA3,R,TVAP,ZEND,BGM,HF,U2,ALPHA1,ALPHA2      60
2      ,ENMX2,ENMX3,EN1,EN2,EN3,H,RAT,MI      70
COMMON /VAR/DERIV(250),DH0Z(250),Z(250)      80
COMMON /TOLL/ALIM,OPTION,C1,C2,C3,C4,CAV,G,TEMP,AP,WMAV,Z0,      90
COMMON /MUVST/VISVST(30)      100
COMMON /FLAGS/MFLAG,KFLAG,PRINT      110
WRITE(6,100)      120
100 FORMAT(109H1 *****) ENTERING L      130
110 LIQUID-VAPOR REGION ***** //)      140
120 DERIV(JJ)=Q      150
130 DH0Z(JJ)=01      160
140 WRITE(6,1750)      170
1750 FORMAT(//30X, 3H Z , 11X,5H TEMP 11X, 3H H 12X, 3HWFV)
Z(JJ)=ZLV      180
JJ=JJ+1      190
1800 CONTINUE      200
1820 DERIV(JJ)=DERIV(JJ-1)      210
Z(JJ)=Z(JJ-1)+DZ      220
TEMP=TVAP      230
CALL UNBAR (FHLM4(1),1,TEMP,0.,H4,KK)      240
CALL JNBAK (ZTBLAP(1),1,Z(JJ),0.,AP,KK)      250
CALL PARAM(TEMP,Z(JJ),1,0.0,0.0,0,0,G,GMMA,K,DPA,BETA)      260
DH0Z(JJ)=-(H4*DPA*AP*DERIV(JJ)+FC*(H-HF))/G      270
DZ=-H4/(ENMX2*DHOZ(JJ))      280
1F(H-HV)82,1050,82      290
82 H=H+DH0Z(JJ)+DZ      300
IF(H-HV) 1850,1850,2000      310
1850 WFV=(H-HL)/(HV-HL)      320
WRITE (6,1900) Z(JJ),TEMP,H,WVF      330
1900 FORMAT(22X,E14.5,1X,E14.5,1X,E14.5,1X,E14.5)      340
IF(H-HV)83,1950,83      350
83 JJ=JJ+1      360
30 TO 1800      370
2000 DZ=(HV-H)/DHOZ(JJ)+DZ      380
H=HV      390
JJ=JJ+1      400
50 TO 1820      410
1950 RETURN      420
END      430

```

```

SUBROUTINE LUV2 (ITZLV, JDT01, TEMP, CN24H)
1      INTEGER PRINT
2      COMMON /FTZ/TBLVP(70),TBLH4(42),TBLH3(42),SHTBL1(34),SHTBL2(34),
3           SHTBL3(34),SHTBL4(34),ZTHLD(46),ZTBLAP(46),ZTBLA(46)
4      COMMON /CO/HL,HV,FC,CFL,CGM,ENMX1,AGM,DIF3,DIF4,KP,PRES,G0,
5           WM4,WM3,WM2,WM1,ALPHA3,R,TVAP,ZEND,BGM,HF,DZ,ALPHA1,ALPHA2
6           ,ENMX2,ENMX3,EN1,EN2,EN3,TRAT,MI
7      COMMON /VAR/DERIV(250),DHDZ(250),Z(250)
8      COMMON /TOLL/AL1M,OPTION,C1,C2,C3,C4,CAV,G,TEMP,AP,WMAV,Z0,
9      COMMON /MUVST/VISVST(30)
10     COMMON /FLAGS/MFLAG,KFLAG,PRINT
11     WRITE(6,100)
12     FORMAT(1A8H1) **** ENTERING L
13     LIQUID-VAPOR REGION ***** //)

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```

DERIV(JJ)=Q
DHDZ(JJ)=Q1
Z(JJ)=ZLV
CALL UNBAR (TBLH4(1),1,TEMP,0.,H4,KK)
C4=CM2114*((H4-HF+HL)/(H4+HF-HL))
WF V=0.
JJ=JJ+1
3101 CONTINUL
1820 Z(JJ)=Z(JJ-1)+DZ
FLNP=TVAP
CALL UNBAR (TBLSH(1),1,TEMP,0.,H4,KK)
CALL UNBAR (TBLAP(1),1,Z(JJ),0.,AP,KK)
CALL UNBAR (TBLA(1),1,Z(JJ),0.,A,KK)
CALL PARAM (TEMP,Z(JJ),1,0.0,0.0,0.0,G,GMMA,K,DPA,BETA)
IF (MFLAG.EQ.1) GO TO 7
CALL SLOPE (C4,GMMA,K,BETA,EH1,DERIV(JJ),DPA,A,DIF4)
GO TO 6
7 DIF4=DIF4*((TEMP/492.)**1.823)*14.7/PRES
CALL UNBAR (VISVST(1),1,TEMP,0.,VIS,KK)
RH0=PRES*WM4/(R*TEMP)
AKC=.61*G/RH0*((VIS/(RH0*DIFN))**-.667)*((G/(AP*VIS))**-.41)
DERIV(JJ)=AKC*C4/DPA
6 DERIV(JJ)=Q*(1.-WFV)+DERIV(JJ)*WFV
DHDZ(JJ)=-(H4*DPA*AP*DERIV(JJ)+FC*(H-HF))/G
DZ=-H4/(EHMX2*DHDZ(JJ))
IF (H-HV)15,3050,15
25 H=H+DHDZ(JJ)*DZ
IF (H-HV)3050,3050,3500
3050 WFV=(H-HV)/(HV-HL)
XLV=(HF-H)/H4
C4=PRES*WM4/(R*TEMP)*((1.-XLV)/(1.+XLV))
3160 WRITE(h,3000)
3000 FORMAT(1730X, 3H Z , 11X,5H TEMP 11X, 3H H 12X, 3F5V)
WRITE(h,3100) Z(JJ),TEMP,H,WFV
3100 FORMAT(22X,E14.5,1X,E14.5,1X,E14.5,1X,E14.5//)
IF (H-HV)16,3150,10
-16 JJ=JJ+1
GO TO 3101
-3500 DZ=(HV-H)/DHDZ(JJ)+DZ
H=HV
JJ=JJ+1
GO TO 1820
-3150 RETURN
END

```

SUBROUTINE CONC (C1,C2,C3,C4,ZC,H,T)

THIS ROUTINE CALCULATES INITIAL N2H4,NH3,N2,H2 CONCENTRATIONS FOR
VAPOR REGION OF THE REACTOR BED

WINTER EDITION

COMMON ATTACH

```

COMMON /TBL3/ SHTBL3(34),SHTBL4(34),ZTBLD(46),ZTBLAP(46),ZTBLA(46)      30
COMMON /CO/HL,HV,FC,TF,CFL,CGM,ENMX1,AGM,DIF3,DIF4,KP,PRES,GO,        40
1   WM4,WM3,WM2,WM1,ALPHA3,R,TVAP,ZEND,BGM,HF,DZ,ALPHA1,ALPHA2      50
2   ,ENMX2,ENMX3,EN1,E12,EN3,H,RAT,MI                                60
COMMON /VAR/DENIV(250),DHDL(250),Z(250)                                70
COMMON /TOLL/ALIM,OPTION,C1,C2,C3,C4,CAV,G,TEMP,TAP,WMAV,Z0,          80
COMMON /MUVT/VISVST(30)                                                 90

```

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```
COMMON /FLAGS/MFLAG,KFLAG,PRINT          100
CALL UNBAR (TBLH4(1),1,T,0.,H4,KK)       110
XV=(H-HF)/H4                            120
C4=((PRES*WM4)/(R*TVAP))*((1.-XV)/(1.+XV)) 130
C3=((PRES*WM3)/(R*TVAP))*((XV/(1.+XV)) 140
C2=((PRES*WM2)/(2.*R*TVAP))*((XV/(1.+XV)) 150
C1=((PRES*WM1)/(2.*R*TVAP))*((XV/(1.+XV)) 160
RETURN                                170
END                                    180
```

```
SUBROUTINE PARAM (T,ZA,LOP,CC,HR,LVOP,G,GMMA,K,DPA,BETA)      0
REAL KP,K
INTEGER PRINT
COMMON /FTZ/TBLVP(70),TBLH4(42),TBLH3(42),SHTBL1(34),SHTBL2(34),
1      SHTBL3(34),SHTBL4(34),ZTRLD(46),ZTBLAP(46),ZTBLA(40)    10
COMMON /CG/HL,HV,FC,TF,CFL,CGM,ENMX1,AGM,DIF3,DIF4,KP,PRES,GO,
1      WM4,WM3,WM2,WM1,ALPHA3,R,TVAP,ZEND,BGM,HF,DZ,ALPHA1,ALPHA2   20
2      ,ENMX2,ENMX3,EN1,EN2,EN3,H,RAT,MI                           30
COMMON /VAR/DERIV(250),DHDZ(250),Z(250)
COMMON /TOL/ALIM,OPTION,C1,C2,C3,C4,CAV,G,TEMP,DPA,VMAS,Z0
COMMON /MUVST/VISVST(30)
COMMON /FLAGS/MFLAG,KFLAG,PRINT
COMMON /IFCE/0/IFC,GATZ0
IF(ZA<=0) GOTO 48
43  G=GO+FC*ZA
      GO TO 52
C      Z HAS EXCEEDED HYDRAZINE INJECTOR TUBE LENGTH      - G CONSTANT FROM
C      HERE TO END OF HEU
50  G=GATZ0
      FC=0.
52  IF(LVOP.EQ.1) GOTO 1004
      GMMA=AGM/T
C      CALCULATE K,DPA FOR N2H4
      K=ALPHA1*EXP(-GMMA)
1001 DPL=DIF4*(T/492.)**1.832 *(14.7/PRES)*(1.-EXP(-.0672*(PRES*492.)/(1
      14.7*T)))
      DPA=DPL
1002 DPA=CC*HR*DPA/(KP*T)
      GO TO 1003
1004 GMMA=BGM/T
C      CALCULATE K,DPA FOR NH3
      K=ALPHA2*EXP(-GMMA)/C1**1.6
      DPV=DIF3*(T/492.)**1.832 *(14.7/PRES)*(1.-EXP(-.0672*(PRES*492.)/(1
      14.7*T)))
      DPA=DPV
      GO TO 1002
1003 RETURN
END
```

```
SUBROUTINE VAPOR (TEMP,ZV,LL,Q1,Q,H)          0
REAL KP,K
REAL MBS5
INTEGER PRINT
COMMON /FTZ/TBLVP(70),TBLH4(42),TBLH3(42),SHTBL1(34),SHTBL2(34), 10
                                         20
                                         30
                                         40
```

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1	SHTBL3(34),SHTBL4(34),ZTBLU(46),ZTBLAP(46),ZTBLA(46)	50	
1	COMMON /CO/HL,HV,FC,TF,CFL,CGM,ENMX1,AGM,DIF3,DIF4,KP,PRES,G0,	60	
1	WM4,WM3,WM2,WM1,ALPHA3,R,TVAP,ZEND,BGM,HF,UZ,ALPHA1,ALPHA2	70	
2	,ENMX2,ENMX3,EN1,EN2,EN3,H,RAT,MI	80	
COMMON /VAR/DERIV(Z2501)DHDZ(Z2501),Z(Z2501)		90	
COMMON /TOLL/ALIM,OPTION,C1,C2,C3,C4,CAV,G,TEMP,AP,WMAV,Z0,		100	
COMMON /MUVST/VISVST(30)		110	
COMMON /FLAGS/MFLAG,KFLAG,PRINT		120	
COMMON /IFCEON/IFC,GATZ0		130	
COMMON /B500/UP3,A,KC3,KU,XOA,CPS,CI3,GAMMA,BETA		140	
COMMON /CCC/M4THL(+4)+M3TL(+4)		150	
COMMON /DDU/CFTBL4(34),CFTBL3(34),CFTBL2(34),CFTBL1(34)		160	
JZ=LL		170	
Z(LL)=ZV		180	
TEMP=TVAP		190	
PFRG3D=0.		200	
ZHOTND=ZEND		210	
KFLAG=0		220	
JFLAG=0		230	
KOUNT=0		240	
INJECT=0		250	
NET		260	
THREE=3.		270	
WR1TE(n,100)		280	
100 FORMAT(109H1	*****	ENTE	290
1RING VAPOR REGION	*****		300
CALL CONC(C1,C2,C3,C4,Z(LL),H,TEMP)	*****		310
SUM=C1/WM1+C2/WM2+C3/WM3+C4/WM4			320
FRAC1=C1/(WM1+SUM)			330
FRAC2=C2/(WM2+SUM)			340
FRAC3=C3/(WM3+SUM)			350
FRAC4=C4/(WM4+SUM)			360
FRAC3D=(FRAC1/FRAC2-1.)/(3.-FRAC1/FRAC2)			370
WR1TE(6,4059)			380
WRITE(6,4058) Z(LL),TEMP,PRES,H,C1,C2,C3,C4			390
WRITE(6,37)			400
WRITE(6,38) FRAC1,FRAC2,FRAC3,FRAC4,FRAC3D			410
3990 CALL UNBAR(SHTBL1(1),1,TEMP,0.,CP4,KK)			420
CALL UNBAR(SHTBL2(1),1,TEMP,0.,CP3,KK)			430
CALL UNBAR(SHTBL3(1),1,TEMP,0.,CP2,KK)			440
CALL UNBAR(SHTBL4(1),1,TEMP,0.,CP1,KK)			450
CAV=(C4*CP4+C3*CP3+C2*CP2+C1*CP1)/(C4+C3+C2+C1)			460
WMAV=(C1+CP1+C2+CP2+C3+CP3+C4)/WM4			470
CALL UNBAR(TBLH4(1),1,TEMP,0.,H4,KK)			480
CALL UNBAR(ZTEL0(1)+1,Z(LL),0.,DELA,KK)			490
CALL UNBAR(ZTBLAP(1),1,Z(LL),0.,AP,KK)			500
CALL UNBAR(ZTBLA(1),1,Z(LL),0.,AK,KK)			510
CALL PAKAM(TEMP,Z(LL),1,C4,H4,0,G,GMMA,K,DPA,BETA)			520
IF(C4>7,29,7			530
7 DIFN=DIF4*((TEMP/492.)**1.623)*14.7/PRES			540
CALL UNBAR(VISVST(1),1,TEMP,0.,VIS,KK)			550
RHO=PRES*WMAV/(R*TEMP)			560
AKC=.67*G/RHO+((VIS/(RHO*DIFN))**-.667)*(16/(AP*VIS))**-.41)			570
DERIV(LL)=AKC*C4/DPA			580
6 T4=AP*DPA*DERIV(LL)			590
GO TO 31			600
29 T4=0.			610
31 CALL UNBAR(TBLH3(1),1,TEMP,0.,H3,KK)			620
CALL PAKAM(TEMP,Z(LL),1,C3,H3,1,G,GMMA,K,DPA,BETA)			630
IF(C3)13,30,13			640

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13 CALL SGRAD (GRAD,TGRAD) 650
DERIV(LL)=GRAD/DPA 660
T3=AP*DPA*DERIV(LL) 670
GO TO 32 680
30 T3=0. 690
32 RHUM = ALPHA3*C4*EXP(-CGM/TEMP) 700
T1=PRES*WMAV/(R*TEMP*G) 710
T2=RHOM*DELA 720
WMUZ(LL)=-H4/G*(T2+T4)-H3/6*T3-FC/G*(H-HF) 730
C KFLAG IS SLOPE INDICATOR
C =0 --- SLOPE MOVING TOWARDS FIRST PEAK
C =1 --- SLOPE HAS REACHED FIRST PEAK
IF(KFLAG.EQ.1)GO TO 4000 740
Z1=-H4/(ENMX3*DHDZ(LL)) 750
Z2=.05*(ZEND-Z(LL)) 760
IF(WHDZ(LL)*(1.-Z1/Z2)>4060,4060,15 770
15 DZ=Z1 780
4000 WTDZ=DHDZ(LL)/CAV 790
W1=C1/RHO 800
W2=C2/RHO 810
W3=C3/RHO 820
W4=C4/RHO 830
S1=1.70 840
S5=FC/(G*RHO) 850
W4DZ=S1*(FC-T2-T4)-C4*S5 860
W3DZ=S1*(T2*WM3/WM4+T4*WM3/WM4-T3)-C3*S5 870
W2DZ=S1*(.5*T2*WM1/WM4+.5*T4*WM2/WM4+.5*T3*WM2/WM3)-C2*S5 880
W1DZ=S1*(.5*T2*WM1/WM4+.5*T4*WM1/WM4+1.5*T3*WM1/WM3)-C1*S5 890
SUMWM=W1/WM1+W2/WM2+W3/WM3+W4/WM4 900
SMWDZ=W1DZ/WM1+W2DZ/WM2+DW3DZ/WM3+DW4DZ/WM4 910
WMUZ=-WMAV/SUMWM*SMUDZ 920
DPDZ=(DELA-1.)/ULLA**3*(1.75+75.*VIS*(1.-DELA)/(A*G))*G**2/ 930
A (64.4*A*RHO) 940
DPDZ=DPDZ/144. 950
DWDRZ=DMUZ/WMAV-DHDZ/TEMP+DPDZ/PRES 960
T5=FC/G-DRDZR 970
DC4DZ=T1*(FC-T2-T4)-C4*T5 980
DC3DZ=T1*(T2*WM3/WM4+T4*WM3/WM4-T3)-C3*T5 990
DC2DZ=T1*(.5*T2*WM2/WM4+.5*T4*WM2/WM4+.5*T3*WM2/WM3)-C2*T5 1000
DC1DZ=T1*(.5*T2*WM1/WM4+.5*T4*WM1/WM4+1.5*T3*WM1/WM3)-C1*T5 1010
IF(KFLAG.EQ.0)GO TO 16 1020
C JFLAG IS DZ INDICATOR FOR NON-ZERO FEED RATE CASES
C =0 --- DZ INCREMENT O.K.
C =1 --- INCREMENT INITIALLY TOO SMALL
IF(JFLAG.EQ.1)GO TO 93 1030
90 IF(KOUNT.EQ.4,OR,KOUNT.EQ.6,OR,KOUNT.EQ.8,OR,KOUNT.EQ.10,OR,KOUNT. 1040
* E0,12,OR,KOUNT.E0,14)N=N-1 1050
KOUNT=KOUNT+1 1060
DZ=DELTAZ/(THREE**N) 1070
IF(FC)98,98,93 1080
9d IF(IFC.EQ.0)GO TO 16 1090
C IF FEED RATE IS NON-ZERO WE MUST MAKE ADDITIONAL CHECKS ON STEP
C SIZE OF Z
93 IF(ABS(DTDZ)*DZ.GT..01*TEMP)GO TO 19 1100
C CHECK IF WE HAVE REACHED THE END OF THE INJECTOR
IF((1.+DZ/(Z(LL)-Z0)+.01*Z0/ABS(Z(LL)-Z0)).GT.0.)GO TO 16 1110
19 DZ1=DZ 1120
CALL REDIVD (DZ1,DTDZ,NINT,JFLAG,I,LL) 1130
*WRITE(6,91)KOUNT,NINT 1140
91 FORMAT (//7H KOUNT=I2 ,37H --- THIS INTERVAL HAS BEEN REDIVIDED), 1150

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```
4060 DELTAZ=ZEND-Z(LL) 1710
      ZBOUND=ZEND+DELTAZ/3. 1720
      KFLAG=1 1730
      KOUNT=KOUNT+1 1740
      GO TO 4000 1750
1   IF(1FC.EQ.1)GO TO 22 1760
C   FOR ZERO FEED RATE CASES WE ADD IN 6 ADDITIONAL Z'S FOR USE IN
C   TRANSIENT MODEL 1770
C   ZGAP=Z(LL)-Z(LL-2) 1780
C   DZZ=ZGAP/6. 1790
C   JJ1=LL-1 1800
C   JJ2=LL+6 1810
C   DO 27 I=JJ1,JJ2 1820
C   Z(I)=Z(I-1)+DZZ 1830
27  CONTINUE 1840
C   LL=LL+6
C   PRINT OUT VAPOR REGION Z VALUES FOR USE IN TRANSIENT MODEL
22  WRITE (6,62) 1850
62  FORMAT (1H1,54X,22H Z'S FROM VAPOR REGION) 1860
      WRITE (6,63) (Z(I),I=JZ,LL) 1870
63  FORMAT (1A,10E13.7) 1880
      MUSS = (C1+C2+C3+C4)/(C1/WM1+C2/WM2+C3/WM3+C4/WM4) 1890
      WRITE (6,64) MUSS 1900
8001 FORMAT (//42X*STEADY STATE VALUES FOR MBAR AND G AT END OF BED*/ 1910
      47X*MBAR = 'E12.5,5X,'G = 'E12.5) 1920
      ^ GO TO 999 1930
106  WRITE (6,107) 1940
107  FORMAT (//15X*THERE IS A PUDDLE OF COLD HYDRAZINE AT THE LIQUID- 1950
      VAPOR/VAPOR INTERFACE TRY USING A LARGER VALUE FOR GO+7 1960
999  RETURN 1970
      END 1980
```

```
C   SUBROUTINE REDIVD (DZ1,DTDZ,NINT,JFLAG,I,LL) 0
C   THIS ROUTINE REDIVIDES Z INCREMENTS TO COMPENSATE FOR RADICAL
C   CHANGES IN TEMP, CONCENTRATION, AND OTHER PARAMETERS WHICH OCCUR IN
C   THAT REGION OF THE REACTOR BED FOLLOWING THE TEMPERATURE PEAK
C   THIS ROUTINE IS USED ONLY WHEN INITIAL HYDRAZINE FEED RATE IS NON-
C   ZERO
C   INTEGER PRINT
C   COMMON /FTZ/TBLVP(70),TBLH4(42),TBLH3(42),SHTBL1(34),SHTBL2(34),
C   SHTBL3(34),SHTBL4(34),ZTBLD(46),ZTBLAP(46),ZTBLA(46) 10
C   COMMON /CO/HL,HV,FC,CFL,CGM,ENMX1,AGM,DIF3,DIF4,KP,PRES,GO, 20
C   WM4,WM3,WM2,WM1,ALPHA3,R,TVAP,ZEND,BGM,RF,DZ,ALPHA1,ALPHA2 30
C   ENMX2,ENMX3,EN1,EN2,EN3,H,RAT,M1 40
C   COMMON /VAR/DERIV(250),DHDZ(250),Z(250) 50
C   COMMON /TOLL/ALIM,OPTION,C1,C2,C3,C4,CAV,G,TEMP,AP,WMAV,Z0, 60
C   MUVST/VISV,T(30) 70
C   COMMON /FLAGS/MFLAG,KFLAG,PRINT 80
C   COMMON /IFCEUM/IFC,GATZ0 90
I=0 100
      NESTCT=1 110
C   IF A REDIVISION OCCURS WITHIN A PREVIOUS REDIVISION,NESTCT IS USED 120
C   TO OBTAIN A NEW INTERVAL COUNT 130
      IF(NINT-1)1,1,2 140
2   NESTCT=NINT 150
I=I+1 160
      XSIZE=?,*I 170
```

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NINT=XSIZE	180
DZ=DZ/XSIZE	190
IF(ABS(DTDZ)*DZ.GT..01*TEMP)GO TO 1	200
IF((1.+DZ/(Z(LL)-Z0)+.01*Z0/ABS(Z(LL)-Z0)).LT.0.)GO TO 1	210
<u>NINT=NINT+NESTCT</u>	220
JFLAUE1	230
RETURN	240
END	250

SUBROUTINE SLOPE (CG,GMMA,K,BETA,EN12,RATE,DPA,A,DIFF)	C
REAL KP,K	10
INTEGER PRINT	20
DIMENSION K(1), GMMA(1),BETA(1),DPA(1),CG(1),S(210),FST(210), 1SET(210),DT210,EPAT210,CPH(210),L(210),A(1),TERM1(210), 2TERM2(210),C(210),XXX(210),XOA(210)	30
COMMON /FTZ/TBLVP(70),TBLH4(42),TBLH3(42),SHTBL1(34),SHTBL2(34), 1 SHTBL3(34),SHTBL4(34),ZTBLD(46),ZTBLAP(46),ZTBLA(46)	40
COMMON /CO/HL,HV,FC,TF,CFL,CGM,ENMX1,AGM,DIF3,DIF4,KP,PRES,GO, 1 WM4,WM3,WM2,WM1,ALPHA3,R,TVAP,ZEND,BGM,HF,DZ,ALPHA1,ALPHA2	50
2 ,ENMX2,ENMX3,EN1,EN2,EN3,H,RAT,MI	60
COMMON /VAR/DERIV(250),JHDZ(250),Z(250)	70
COMMON /TOLL/ALIM,OPTION,C1,C2,C3,C4,CAV,G,TEMP,AP,MMAV,Z0,	80
COMMON /MUVST/V1SVST(30)	90
COMMON /FLAGS/MFLAG,KFLAG,PRINT	100
IFLAG=0	110
JFLAG=0	120
FRAC=.99	130
12 B=0.0	140
702 I=1	150
NOT=0	160
ADIV=100.	170
BDIV=100.	180
TOL=.01	190
STORE=1.0	200
KJ=0	210
HOLD=0.	220
NI=0	230
13 MI=0	240
IL=0	250
IK=0	260
MM=0	270
IM=0	280
F=0.5	290
20 MM=MM+1	300
DR=B/ADIV	310
BDR=(A(I)-B)/BDIV	320
JINT=BDIV	330
INIT=ADIV	340
IF(MM.EQ.1) GO TO 15	350
GO TO 16	360
15 MMAX=INIT+1	370
MAX=MMAX-1	380
MINT=0	390
GO TO 17	400
16 MMAX=INIT+JINT+1	410
MINT=INIT+1	420
MAX=MMAX-1	430
GO TO 18	440
17 MMAX=INIT+1	450
MINT=INIT+1	460
MAX=MMAX-1	470

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```
17 X=0.0 480
    DO 40 IJ=1,MMAX 490
    IF(IJ.GT.MINT) GO TO 49 500
    X=FLOAT(IJ-1)*DR 510
    GO TO 23 520
49 KMJ=IJ-MINT 530
    X=B+FLOAT(KMJ)*BDR 540
23 CP=CG(I)*(A(I)-B)-(B/(A(I)-B))*CG(I) 550
    IF(CL.PLT.0.0) CP=0.0 560
C THIS IS THE GENERAL EQUATION FOR A LINE WITH NEGATIVE Y-INTERCEPT
24 FACT1=K(I)*(CG(I))**1.-EN12+CP*EN12 570
    FACT2=EXP(GMMA(I)*BETA(I)*(1.-CP/CG(I))/(1.+BETA(I)*(1.-CP/CG(I))) 580
    1)
    IF(X) .37,40,.37 590
37 RCP=FACT1*FACT2 600
35 S(IJ)=(1./X-1./A(I))*X*X*RCP 610
40 CONTINUE 620
    GO TO 50 630
50 SUM=0.0 640
    SUMA=0.0 650
    DO 60 IL=2,MAX 660
    IF(IL.GT.MINT) GO TO 61 670
    SUM=SUM+S(IL) 680
    GO TO 60 690
61 SUMA=SUMA+S(IL) 700
60 CONTINUE 710
    S(1) =0. 720
    GMMA=(S(1)+2.0*SUM)+(DR/(2.0*DPA(I)))+(S(MMAX)+2.0*SUMA)*(HDR/(2. 730
    10*DPA(I))) 740
    D2=SGMMA-FRAC*CG(I) 750
    TOT=D2+TOL*CG(I)
    IF(MM-1) 110,110,112
112 IF(D2) 1,1+2 760
1 1F(TOT)2,230,230 770
2 GO TO 115 780
110 IF(IFLAG.EQ.1) GO TO 115 790
1F(D2)150+115,115 800
115 IF(MM-1) 20,120+140 810
120 XOLD=8 820
    IF (PRINT.EQ.1) WRITE(6,125) 830
125 FORMAT(4,I1)INITIAL CHOICE THRU ORIGIN IS TOO LARGE 840
    J1=D2 850
C CHANGE THE EQUATION OF THE LINE 860
    B=.999999 *A(I) 870
    GO TO 2A 880
C USE PREC EDING RESULTS TO ESTIMATE B FOR NEW LINE
140 TUMP=B 890
    M1=MI+1 900
    B=B+(D2-(D1))*(XOLD-B) 910
1741 XOLD=TUMP 920
    D1=D2 930
143 IF(MI-20) 145,145,147 940
145 GO TO 2A 950
147 IF (JFLAG.EQ.1) GO TO 230 960
    B = .9*A(I) 970
    JFLAG = 1 980
    GO TO 702 990
C INITIAL CHOICE THRU ORIGIN IS SATISFACTORY 1000
150 Kd=1 1010
    IFLAG=1 1020
    1030
```

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x=0. 1040
C CALCULATE THE VALUE OF THE TWO INTEGRALS FOR ALL DR (101 POINTS) 1040
DO 170 II=1,MMAX 1050
X=FLOAT(II-1)*BDR 1060
CP=CB(I)*X*(A(I)-B)/(A(I)-B)*CG(I) 1070
TERM1(II)=K(I)*(CG(I))**1.0-EN12)*(CP)**EN12 1080
TERM2(II)=EXP(GMMA(I)*BETA(I)*(1.0-CP/CG(I))/(1.0+BETA(I)*(1.0-CP/CG(I))) 1090
XXX(II)=X 1100
XXA(II)=XXX(II)/A(I) 1110
RCP=TERM1(II)*TERM2(II) 1120
FST(II)=X*X*RCP 1130
IF(X) 165,170,165 1140
165 SEC(II)=(1.0/X-1.0/A(I))*X*X*RCP 1150
170 CONTINUE 1160
C THE TRAPEZOIDAL RULE IS USED TO EVALUATE BOTH INTEGRALS 1170
172 C(I)=0. 1180
173 DO 175 JJ=2,MMAX 1190
IF(JJ.GT.MINT) GO TO 176 1200
C(JJ)=C(JJ-1)+(FST(JJ)+FST(JJ-1))*(DR/(2.0*DPA(I))) 1210
GO TO 175 1220
176 C(JJ)=C(JJ-1)+(FST(JJ)+FST(JJ-1))*(BDR/(2.0*DPA(I))) 1230
175 CONTINUE 1240
SEC(1)=0. 1250
D(1)=0. 1260
DO 180 KK=2,MMAX 1270
IF(KK.GT.MINT) GO TO 179 1280
D(KK)=D(KK-1)+(SEC(KK-1)+SEC(KK))*(DR/(2.0*DPA(I))) 1290
GO TO 180 1300
179 D(KK)=D(KK-1)+(SEC(KK-1)+SEC(KK))*(BDR/(2.0*DPA(I))) 1310
180 CONTINUE 1320
C THE VALUE OF CP AT X=0 IS CG -D(101) 1330
E(1)=D(MMAX) 1340
186 CPA(1)=0.0
C NEGATIVE VALUES OF CPA(1)=CP(0) CANNOT BE USED
C STORE THE CPA(1) VALUE IN CASE A NEW F FACTOR MUST BE USED 1350
184 SFURE=CPA(1)
IF(KJ.EQ.1) GO TO 185 1360
IF(IM.EQ.0) GO TO 185 1370
IF(NI.EQ.1) GO TO 368 1380
185 SAM=0.0 1390
DO 190 LL=2,MMAX 1400
IF(LL.GT.MINT) GO TO 188 1410
E(LL)=E(LL-1)-(SEC(LL)+SEC(LL-1))*(DR/(2.0*DPA(I))) 1420
SAM=FLOAT(LL-1)*DR 1430
GO TO 189 1440
188 E(LL)=E(LL-1)-(SEC(LL)+SEC(LL-1))*(BDR/(2.0*DPA(I))) 1450
SAM=SA+DR 1460
189 CPA(LL)=CG(I)-((1.0/SAM)-(1.0/A(I)))*C(LL)-E(LL) 1470
IF(LL.LT.MINT) CPA(LL)=0.0 1480
IF(CPA(LL).LT.0.0) CPA(LL)=0.0 1490
190 CONTINUE 1500
IF(KJ.EQ.1) GO TO 280 1510
X=0. 1520
IF(IM.EQ.0) GO TO 250 1530
IK=1 1540
GO TO 280 1550
C THE NEXT ITERATION USES THE VALUES OF CP JUST CALCULATED 1560
192 DO 290 LI=1,MMAX 1570
IF(LI.GT.MINT) GO TO 195

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X=FLOAT(LI-1)*BDR 1580
GO TO 199 1590
195 KLK=LI-MINT 1600
X=B+FLOAT(KLK)*BDR 1610
199 CONTINUE 1620
TERM1(LI)=K(I)*(CG(I))**(1.-EN12)*(CPA(LI))**EN12 1630
TERM2(LI)= EXP(GMMA(I)*BETA(I)*(1.-CPA(LI)/CG(I))/(1.+BETA(I)*(1.-
1CPA(LI)/CG(I)))) 1640
XXX(LI)=X 1650
XOA(LI)=XXX(LI)/A(I) 1660
RCP=TERM1(LI)*TERM2(LI) 1670
FST(LI)=X*X*RCP 1680
IF(X) 200,200,193 1690
193 SEC(LI)=(1./X-1./A(I))*X*X*RCP 1700
200 CONTINUE 1710
GO TO 172 1720
1730
~~C THIS IS FOR THE CASE WHERE THE INITIAL GUESS WAS TOO LARGE~~
230 IF (PRINT.EQ.1) WRITE(6,235)MI,B 1740
235 FORMAT(41H SATISFACTORY STARTING CURVE FOUND AFTER I2,31H TRIALS T 1750
1HE VALUE OF B (X0) IS E12.7) 1760
1F(B.GT.,998*A(I))DERIF=2.6*CG(I)/(A(I)-B) 1770
1F(B.GT.,998*A(I)) GO TO 322 1780
~~C THE RANGE OF X FROM ZERO TO A IS USED~~
237 X=0. 1790
N1=1 1800
DO 240 NN=1,MMAX 1810
IF(NN.GT.MINT) GO TO 246 1820
X=FLOAT(NN-1)*BDR 1830
GO TO 354 1840
246 KJK=NN-MINT 1850
X=B+FLOAT(KJK)*BDR 1860
354 IF(IM.LE.1) GO TO 353 1870
238 CPB(NN)= CG(I)*X/(A(I)-B) - (B/(A(I)-B))*CG(I) 1880
1F(CPB(NN).LT.0.0) CPB(NN)=0.0 1890
353 TERM1(NN)=K(I)+EG(I)**+*(1.-EN12)*(CPB(NN))**EN12 1900
TERM2(NN)= LXP(GMMA(I)*BETA(I)*(1.-CPB(NN)/CG(I))/(1.+BETA(I)*(1.-
1CPB(NN)/CG(I)))) 1910
XXX(NN)=X 1920
XOA(NN)=XXX(NN)/A(I) 1930
RCP = TERM1(NN)*TERM2(NN) 1940
FST(NN)=X*X*RCP 1950
IF(X) 240,240,247 1960
247 SEC(NN) = (1./X-1./A(I))*X*X*RCP 1970
240 CONTINUE 1980
GO TO 172 1990
2000
368 DO 370 NL=1,MMAX 2010
CPB(NL)=CPA(NL) 2020
370 CONTINUE 2030
GO TO 185 2040
250 DO 260 IL=1,MMAX 2050
252 CPA(IL)=F*CPA(IL)+(1.-F)*CPB(IL) 2060
260 CONTINUE 2070
IK=0 2080
~~C THE VALUES OF X AT A AND NEAREST A ARE USED IN FINDING THE DERIVATIVE~~
280 DER1F=(EG(I)-CPA(MAX))/BDR 2090
IM=IM+1 2100
IF(IM.GT.99,AND,IFLAG.EQ.1)GO TO 701 2110
IF(IM.GT.99)GO TO 328 2120
310 IF(IK.EQ.1) IK=1 2130
IF(ABS(DERIF-HOLD)= 0.05*DERIF)3,3,321 2140

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3	IF (IK.EQ.1) GO TO 322	2150
321	HOLD=DERIF	2160
	IF (KJ.EQ.1) GO TO 192	2170
	IF (IK.EQ.1) GO TO 250	2180
	<u>GO TO 192</u>	2190
322	RATE=DERIF	2200
	IF (C4-C6(1)) 777,4,777	2210
4	IF (H-HL) 777,777,5	2220
5	DIFN=DIFF*((TEMP/492.)**1.823)*14.7/PRES	2230
	CALL UNBAR (V1SVST(1),1,TEMP,0.,VIS,KK)	2240
	RHO=PRES*WMAV/(R*TEMP)	2250
	AKC=(.61*G)/(RHO)*((VIS/(RHO*DIFN))**-.667)*((G/(AP*VIS))**-.41)	2260
	RATE=AKC+C6(1)/UPA(I)	2270
	IF (RATE-RAT) 778,776,6	2280
6	MFLAG=1	2290
	RATE=RAT	2300
	<u>GO TO 777</u>	2310
778	MFLAG=0	2320
777	IF (B.GT..998*A(1)) GO TO 888	2330
	IF (PRINT.EQ.1) WRITE(6,182)IM	2340
182	FORMAT (/1H ITERATION=,I3)	2350
	IF (PRINT.EQ.1) WRITE(6,336)	2360
336	FORMAT(13X,1HSM X/A CPA X/A CPA X/A CPA)	2370
	IF (PRINT.EQ.1) WRITE(6,183)(XOA(I),CPA(I),I=1,MMAX,4)	2380
183	FORMAT(9X,L12.7,1X,L12.7,1X,E12.7,1X,E12.7,1X,E12.7,1X,E12.7,1X,E12.7,1X,E12.7)	2390
888	IF (PRINT.EQ.1) WRITE(6,323)RATE	2400
323	FORMAT(/24H THE SLOPE CONVERGES TO E12.7)	2410
327	RETURN	2420
328	PERC=(ABS(DERIF-HOLD)/DERIF)*100.	2430
	ALL = 5.	2440
	GO TO 322	2450
C	SIMPLIFIED VERSION DOES NOT "CONVERGE" IN 99 ITERATIONS	2460
C	SET B=.000001*A AND START OVER	2470
701	B=.000001*A(I)	2480
	IF (PRINT.EQ.1) WRITE(6,700)	2490
700	FORMAT (/ 84H INITIAL CHOICE THRU ORIGIN SEEMINGLY OK, BUT RESULTS	2500
	X ROTTEN AFTER 99 ITERATIONS .../48H SET X0=.000001*A AND USE MORE	2510
	REFINED TECHNIQUE /)	2520
	DR=B/A01V	2530
	DR=(A(I)-B)/BDIV	2540
	MMAX=INIT+JINT+1	2550
	MINT=INIT+1	2560
	MAX=MMAX-1	2570
	IM=0	2580
	KJ=0	2590
	<u>GO TO 257</u>	2600
	END	2610

SUBROUTINE SGRAD (GRAD,TGRAD)		0
REAL	K0,KP,KC3,KC4,MU	10
INTEGER	PRINT	20
COMMON	/FTZ/TBLVP(70),TBLH4(42),TBLH3(42),SHTBL1(34),SHTBL2(34),	30
1	SHTBL3(34),SHTBL4(34),ZTBL0(46),ZTBLAP(46),ZTBLA(46)	40
COMMON	/CC/HL,HV,FG,CFL,CCM,ENMX1,AGM,DIF3,DIF4,KP,PRES,60,	50
1	NM4,WM3,WM12,WM1,ALPHA3,R,TVAP,ZEND,BGM,HF,UZ,ALPHA1,ALPHA2	60

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2 ,ENMX2,ENMX3,EN1,EN2,EN3,M,RAT,MI
COMMON /VAR/DERIV(250),DHDZ(250),Z(250) 70
COMMON /TOLL/ALIM,OPTION,C1,C2,C3,C4,CAV,G,TEMP,AP,WMAV,Z0, 80
COMMON /BBBB/DP3,A,KC3,K0,XOA,CPS,CI3,GAMMA,BETA 90
COMMON /DDD/CFTBL4(34),CFTBL3(34),CFTBL2(34),CFTBL1(34) 100
COMMON /MUVST/ VISVST(30) 110
COMMON /FLAGS/MFLAG,KFLAG,PRINT 120
COMMON /CCC/H4TBL(40),H3TBL(40) 130
DIMENSION CPOX(101),PCPOX(101),DX(101),CPX(101),RHET(101) 140
C DEFINE DP FUNCTION 150
DP3F(X,Y,Z)=14.7*Y/Z*(X/492.)**1.823*(1.-EXP(-.0672*Z*492./
X 14.7*X))) 160
C DEFINE KC FUNCTION 170
KCF(A,B,C,D,E)=.61*A/B*(C/(B*D))**-.667*(A/(E*C))**-.41 180
C ANALYTIC INTEGRATION FUNCTIONS FROM INTEGRAL EQUATION 190
EVAL1(A,B)=B**3/3.-A**3/3.
EVAL2(A,B)=B**2/2.-A**2/2. 200
WAF1=.8 210
WAF2=.2 220
1 LTFLG=0 230
P=PRES 240
T=TEMP 250
ALPH2=ALPHA2 260
C11=C1 270
C12=C2 280
C13=C3 290
C14=C4 300
D03=DIF3 310
D04=DIF4 320
I=LNI 330
NPART=50 340
LP1=1 350
TPSP=0. 360
RHO=C11+C12+C13+C14 370
DI3=0.3*14.7/P*(T/492.)**1.823 380
DI4=D04*14.7/P*(T/492.)**1.823 390
CALL UNBAR(VISVST,1,T,0.,MU,KK) 400
CALL UNBAR(CFTBL4,1,T,0.,CF4,KK) 410
CALL UNBAR(CFTBL3,1,T,0.,CF3,KK) 420
CALL UNBAR(CFTBL2,1,T,0.,CF2,KK) 430
CALL UNBAR(CFTBL1,1,T,0.,CF1,KK) 440
KC3=KCF(G,RHO,MU,DI3,AP) 450
KC4=KCF(G,RHO,MU,DI4,AP) 460
CFBAR=(CI1*CF1+CI2*CF2+CI3*CF3+CI4*CF4)/RHO 470
HC=.74*G*CFBAR*(G/(AP*MU))**-.41 480
C
C LOCATE SUITABLE X0 490
C
DP3=DP3F(T,D03,P)
C CHOOSE STARTING VALUE FOR CPS TO BE = CI3/2. 500
CPS=CI3/P.
CMCPN=CI3-CPS 510
DCPDX=KC3/DP3*(CI3-CPS) 520
C H4 CONSTANT FOR EACH ENTRY TO THIS ROUTINE
C H3 VARIES WITH TEMP AT EACH ITERATION
CALL UNBAR(H4TBL,1,T,0.,H4,KK) 530
CALL UNBAR(H3TBL,1,T,0.,H3,KK) 540
IF(LP1.EQ.1) GO TO 6 550
40 TPSHP=TPSP 560
TPSP=TPS 570

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6   TPS = T-(H4*KC4*CI4+H3*DP3*DCPDX)/HC      580
    IF (TPS.LT.0.) TPS=1.                         590
    CALL UNBAR (H3TBL,1,TPS,0.,H3,KK)             600
    DP3 = DP3F(TPS,D03,P)                         610
    DP3P = DP3                                620
    H3P = H3                                      630
    TMTPN = T-TPS                                 640
61   GAMMA = BGM/TPS                            650
    BETA = -CPS*H3*DP3/(KP*TPS)                  660
    K0 = ALPH2*EXP(-GAMMA)*CI1**EN3            670
C   LINEAR EXTRAPOLATION USED TO GUESS AT X0
    XNP = X0                                     680
    XN = A-CPS/DCPDX                           690
    XUA = XN/A                                  700
    IF (XN) 11,12,12                           710
11   XN = 0.                                    720
    XUA = 0.                                    730
    CPS = CI3/(DP3/(A*KC3)+1.)                 740
    DCPDX = CI3/A                               750
    TPS = T-(H4*KC4*CI4+H3*DP3*DCPDX)/HC      760
    IF (TPS.LT.0.) TPS=1.                         770
    WRITE (6,132) LP1,TPS                        780
132  FORMAT F7.3 * WE HAVE CALCULATED A NEGATIVE X0 DURING ITERATION
C   INTEGRATE FOR CP EQUATION
12   CALL TRAPP (XUA,1.,NPART,RIESUM)           630
C   CALCULATE NEW CPS ...
    CPSP = CPS                                   640
    CMCP0 = CMCP1                               650
    CPS = CI3-A*RIESUM/KC3                     660
    IF (LTFLG-1) 80,84,80                      670
80   IF (CPS-(.25*CI3)) 81,81,130            880
81   LTFLG=1                                  890
    GO TO 82                                  900
84   LTFLG=0                                  910
    IF (CPS) 89,130,130                      920
89   CPS=0.                                    930
    GO TO 46                                  940
130  CMCPN = CI3-CPS                          950
C   CALCULATE NEW TP
13   DCPDX = KC3/DP3*(CI3-CPS)                960
    GRAD = DCPDX*BH3                           970
    TGRAD = HC*(T-TPS)                         980
    TPSPP = TPSP                                990
    TPSP = TPS                                 1000
    TMTP0 = TMTPN                             1010
51   TPS = T-(H4*KC4*CI4+H3*DP3*DCPDX)/HC      1020
    IF (TPS.LT.0.) TPS=1.                         1030
    CALL UNBAR (H3TBL,1,TPS,0.,H3,KK)             1040
    DP3 = DP3F(TPS,D03,P)                         1050
    TMTPN = T-TPS                               1060
    GAMMA = BGM/TPS                            1070
    BETA = -CPS*H3*DP3/(KP*TPS)                  1080
    K0 = ALPH2*EXP(-GAMMA)*CI1**EN3            1090
C   TEST TEMP, CONCENTRATION FOR 5% LIMIT
    IF (ABS(TMTP0-TMTPN)/TMTPN = .05) 41,41,43 1100
41   IF (ABS(CMCP0-CMCPN)/CMCPN = .05) 70,70,43 1110
C   TEST FOR TEMPERATURE LOOP ... COMPARE LAST 3 TEMPS
43   IF (AMIN1(TPS,TPSP,TPSPP) = TPSP) 60,71,60 1120
60   IF (AMAX1(TPS,TPSP,TPSPP) = TPSP) 46,71,46 1130
C   TEMPERATURE HAS FLUCTUATED ... TAKE AVERAGE AND RECALCULATE CPS

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71 $T_{PSPP} = T_{PSP}$ 1140
 $T_{PSP} = T_{PS}$ 1150
 $T_{MTP0} = T_{MTPN}$ 1160
 $T_{PS} = (T_{PSP} + T_{PSPP})/2.$ 1170
CALL UMBAR (H3,BL1,TPS,0,H3,KK) 1180
 $DP3 = DP3F(TPS,U03,P)$ 1190
 $DP3P = DP3$ 1200
 $T_{MTPN} = T - T_{PS}$ 1210
 $UCPDX = (HC*(T - T_{PS}) - H4*KC4*CI4)/(H3*DP3)$ 1220
 $CPS = CPS$ 1230
 $CMPN = CMPN$ 1240
 $CPS = CI3 - DP3/KC3*UCPDX$ 1250
IF (CPS.LT.0.) CPS=0. 1260
 $CMPN = CI3 - CPS$ 1270
 $LP1 = LP1+1$ 1280
IF (LP1>50) GO TO 44 1290
C NO CONVERGENCE YET ... AVERAGE THE CPS'S FOR LAST TWO CALC'S AND REPEAT
46 $CPS = .2*CPS+.8*CPS$ 1300
GO TO 53 1310
22 $X00 = WAF1*X0P + WAF2*X0$ 1320
 $CPS = CI3/(1.+LP1/3/(KC3*A-KC3*X00))$ 1330
53 $UCPDX = KC3/DP3P*(CI3-CPS)$ 1340
 $CMPN = CPS$ 1350
 $H3 = H3P$ 1360
42 $LP1 = LP1+1$ 1370
IF (LP1>25) GO TO 44 1380
44 $WAF1 = WAF1+.05$ 1390
IF (WAF1.GT.0.95) GO TO 99 1400
~~WAF2 = 1 - WAF1~~ 1410
C NO CONVERGENCE WITH PRESET WEIGHTED AVERAGE FACTORS FOR X0
C REPEAT ITERATION PROCEDURE WITH NEW FACTORS
GO TO 1 1420
99 WRITE (6,98) 1430
95 FORMAT (//,20X,'UNABLE TO FIND SUITABLE X0 AFTER FOUR TRIES OF 25') 1440
X ITERATIONS EACH PROGRAM STOP FOLLOWS 1450
CALL EXIT 1460
C SATISFACTORY X0 HAS BEEN FOUND
70 IF (PRINT.EQ.1) WRITE(6,16)LP1,X0 1470
16 FORMAT (//,46X,27HSATISFACTORY X0 FOUND AFTER,I3,7H TRIES / 1480
X 57X,5H X0 =,E12.5) 1490
C
C CALCULATE GRADIENT
C
131 $LP2 = 1$ 1500
 $NX = 24$ 1510
 $NX1 = NX+1$ 1520
 $NXM1 = NX-1$ 1530
291 $XOA = X0/A$ 1540
 $VNU = -KC3/DP3$ 1550
 $INII = 1$ 1560
 $K = 2$ 1570
 $R1 = 0.$ 1580
 $R2 = 0.$ 1590
 $PS1 = 0.$ 1600
 $PS2 = A.$ 1610
 $DELXOA = (1.-XOA)/FLOAT(NX)$ 1620
C CALCULATE PROFILE CURVES FOR INTEGRAND FUNCTIONS
 $XA = XOA$ 1630
GO TO 1,I=1,NX1 1640
C CP(X/A) IS A LINEAR PROFILE DURING FIRST APPROXIMATION

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```
IF (LP2.GT.1) GO TO 664 1650
CPX(I) = (XA-XOA)/(1.-XOA)*CPS 1660
664 RHET(I) = K0*CI3*(1-N)*CPX(I)**N*EXP(GAMMA*BETA*(1.-CPX(I)/CI3)/ 1670
X (1.+BETA*(1.-CPX(I)/CI3))) 1680
DX(I) = XA 1690
XA = XA+DELXOA 1700
770 CONTINUE 1710
C TAKE INTERVAL FUNCT'N MIDPTS AS CONSTANT VALUE FOR CP(X/A) AND RHET
DO 771 I=1,NX 1720
CPX(I) = (CPX(I)+CPX(I+1))/2. 1730
RHET(I) = (RHET(I)+RHET(I+1))/2. 1740
771 CONTINUE 1750
XA = XOA+DELXOA 1760
CTRM = (A*VNU+1.)/(A*VNU) 1770
C INTEGRAL EQUATION FOLLOWS
C CPOX(1) IS SPECIAL CASE ... X=X0
DXL = XOA 1780
DXU = DXL+DELXOA 1790
RR1 = 0. 1800
DO 377 I=1,NX 1810
RK1 = RK1+RHET(I)*(EVAL2(DXL,DXU)-CTRM*EVAL1(DXL,DXU)) 1820
DXL = DXU 1830
DXU = DXU+DELXOA 1840
377 CONTINUE 1850
CPUX(1) = CI3-A*A/DP3*RR1 1860
IF (CPOX(1).LT.0.) CPOX(1)=0. 1870
C SOLVE GENERAL EQUATION OF TWO INTEGRALS FOR CP(X/A)
769 DO 772 I=1,INT1 1880
R1 = R1+RHET(I)*EVAL1(XOA,XA) 1890
XA = XA+DELXOA 1900
772 CONTINUE 1910
R1 = R1*(1./XA-CTRM) 1920
XAD = XA 1930
XA = XA+DELXOA 1940
DO 773 I=INT1,NXM1 1950
PS1 = PS1+RHET(I+1)*EVAL2(XA,XAD) 1960
PS2 = PS2+RHET(I+1)*EVAL1(XA,XAD) 1970
XA = XAD 1980
XAD = XAD+DELXOA 1990
773 CONTINUE 2000
R2 = PS1-CTRM*PS2 2010
INT1 = INT1+1 2020
CPOX(K) = CI3-A*A/DP3*(R1+R2) 2030
IF (CPOX(K).LT.0.) CPOX(K)=0. 2040
XA = X0/A 2050
XA = XOA+DELXOA 2060
K = K+1 2070
R1 = 0. 2080
R2 = 0. 2090
PS1 = 0. 2100
PS2 = 0. 2110
IF (K.LE.NX) GO TO 769 2120
2130
C CPOX(NX1) IS SPECIAL CASE ... X=A
DXL = XOA 2140
DXU = DXL+DELXOA 2150
RR2 = 0. 2160
DO 378 I=1,NX 2170
RR2 = RR2+RHET(I)*EVAL1(DXL,DXU) 2180
DXL = DXU 2190
```

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DXU = DXU+DELX0A 2200
378 CONTINUE 2210
CP0X(NX1) = CI3-A*A/DP3*(1.-CTRM)*RR2 2220
IF (CP0X(NX1).LT.0.) CP0X(NX1)=0. 2230

C CALCULATE A NEW TPS
DCPDX = KC3/DP3*(CI3-CP0X(NX1)) 2240
H3P = H3 2250
DP3P = DP3 2260
TPS = T-(H4*KC4*CI4+H3*DP3*DCPDX)/HC 2270
CALL UNBAR (H3TBL,1,TPS,0.,H3,KK) 2280
DP3 = DP3F(TPS,DO3,P) 2290
TMTP0 = TMTPN 2300
TMTPN = T-TPS 2310

C TWO PASSES NEEDED BEFORE CHECK ON TEMP, CONC CAN BE MADE
35 IF (LP2.EQ.1) GO TO 27 2320
CMCPO = CMCPN 2330
CMCPN = CI3-CP0X(NX1) 2340
IF (ABS(TMTP0-TMTPN)/TMTPN = .05) 26,26,27 2350
26 IF (ABS(CMCPO-CMCPN)/CMCPN = .05) 88,88,27 2360

C CALCULATE NEW CPX(I) PROFILE FOR NEXT PASS
C
27 DO 55 I=1,NX1 2370
IF (MOD(LP2,5)) 34,57,34 2380

C CALCULATE WEIGHTED AVERAGE OF OLD AVERAGED AND CALCULATED PROFILES
34 CPX(I) = .8*CPX(I)+.2*CP0X(I) 2390
GO TO 56 2400

C AVERAGE PRESENT AND PAST CALCULATED PROFILES EVERY 5TH PASS TO SMOOTH
57 CPX(I) = (CP0X(I)+CP0X(I))/2 2410

C STORE PRESENT CALCULATED PROFILE
56 PCPDX(I) = CP0X(I) 2420
55 CONTINUE 2430
CMCPN = CI3-CPX(NX1) 2440
DCPDX = KC3/DP3P*(CI3-CPX(NX1)) 2450
TPS = T-(H4*KC4*CI4+H3P*DP3P*DCPDX)/HC 2460
IF (TPS.LT.0.) TPS=1. 2470
CALL UNBAR (H3TBL,1,TPS,0.,H3,KK) 2480
DP3 = DP3F(TPS,DO3,P) 2490
TMTP0 = TMTPN 2500
TMTPN = T-TPS 2510
LP2 = LP2+1 2520
IF (LP2=50) 29,29,30 2530
30 WRITE (6,16) CP0X(NX1) 2540
18 FORMAT (//31X,52HUNABLE TO CONVERGE ON CPS IN 50 TRIES ... CP(X/
XA) =,E12.5) 2550
WRITE (6,522) GRAD,TGRAD 2560
522 FORMAT (51X,"KC3*(CI3-CP5)"//,E12.5 / 54X,"HC*(T-TPS)"//,E12.5) 2570
GO TO 28 2580
29 GAMMA = BGM/TPS 2590
BETA = -CPX(NX1)*H3*DP3/(KP*TPS) 2600
K0 = ALPH2*EXP(-GAMMA)*CI1**EN3 2610
GO TO 291 2620
88 IF (PRINT.EQ.1) WRITE(6,19)DX(I),CP0X(I),I=1,NX1 2630
19 FORMAT (//31X,114HX/A CP(X/A) X/A CP(X/A) 2640
X X/A CP(X/A) X/A CP(X/A) X/A CP(X/A)
X / (5X,10E12.6)) 2650
IF (PRINT.EQ.1) WRITE(6,82)LP2,CP0X(NX1) 2660
82 FORMAT (//41X,34HCONCENTRATION GRADIENT FOUND AFTER,13,0H TRIES /
X 45X,27HCP(X) AT PARTICLE SURFACE //,E12.5) 2670
GRAD = DCPDX*DP3 2680
2710

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```
TGRAD = HC*(T-TPS) 2720
IF (PRINT.EQ.1) WRITE(6,83) GRAD,TGRAD 2730
83 FORMAT (51X,'KC3*(CI3-CPS) =',E12.5 / 54X,'HC*(T-TPS) =',E12.5) 2740
28 RETURN 2750
END 2760
```

```
SUBROUTINE TRAPP (U,V,NPART,RIESUM) 0
C NUMERICAL INTEGRATION USING TRAPEZOIDAL METHOD
REAL K0,KC3 10
COMMON /BBB/DP3,A,KC3,KU,XOA,CPS,CI3,GAMMA,BETA 20
C DEFINE RHET FOR VARIABLE CP,CPS,TP
RHETF(A,B,C,D,E,N) = E*A**((1-N)*B**N*EXP(C*D*(1.-B/A)/(1.+D*(1.-
X
B/A))) 30
40
C FUNCTIONS DEFINING INTEGRANDS 50
FOXI1(X,R)=X**2*R
C FUNCTION DEFINING CP(X) FOR RHET FUNCTION
C CP(X) IS ASSUMED TO VARY LINEARLY WITH X
CPXF(X,Y,Z)=(X-Y)/(1.-Y)*Z 60
N=NPART-1 70
PART=NPART 80
H=(V-U)/NPART 90
UPH=U+H 100
SUM=0. 110
CPX1=CPXF(U,XOA,CPS) 120
CPX2=CPXF(V,XOA,CPS) 130
RHET1=RHETF(CI3,CPX1,GAMMA,BETA,K0,1) 140
RHET2=RHETF(CI3,CPX2,GAMMA,BETA,K0,1) 150
C CALCULATE FIRST, LAST TERMS OF RIEMANN SUM FIRST
4 TRM1=FOXI1(U,RHET1)/2. 160
5 TRM2=FOXI1(V,RHET2)/2. 170
6 DO 8 I=1,N 180
CPX=CPXF(UPH,XOA,CPS)
RHET = RHETF(CI3,CPX,GAMMA,BETA,K0,1) 200
SUM=SUM+FOXI1(UPH,RHET) 210
UPH = UPH+H 220
8 CONTINUE 230
9 RIESUM=H*(TRM1+SUM+TRM2) 240
99 RETURN 250
END 260
```

```
SUBROUTINE UNBAR (T,IK,XIN,YIN,ZZ,KK) 0
DIMENSION T(1),X(6),Y(6),A(6)
C ----- MARCH 4, 1961 ----- 10
C ----- MODIFIED 7/62 ----- UNBAR004
C ----- TO DO QUADRATIC AND LINEAR INTERPOLATION ALSO UNBAR005
C
II = IK+1 20
N = 3 30
N2= 40
IF (T(II)-3.) 700,701,702 50
700 IF (T(II)+0.) 60,701,704 60
704 IF (T(II)-2.) 705,706,701 70
705 N = 1 80
GO TO 707 90
```

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706	N = 2	100
707	N2= 1	110
701	II = II+1	120
702	N1 = N +1	130
<hr/>		140
DO 50 L = II+II		150
IF (T(L) + 0.) 60,60,51		160
60	KK = -1	170
	ZZ = 0.	180
	GO TO 9999	190
51	NX = T(L)	200
<hr/>		210
52	NY = 0	220
	GO TO 53	230
50	NY = T(L+1)	240
53	CONTINUE	250
	KK = 0	260
<hr/>		270
	KY = 0	280
	XX = XIN	290
	YY = YIN	300
	J1 = II+2	310
	J2 = NX+II+1	320
	IF(XX-T(J1)) 301,306,400	330
400	<hr/> DO 302 J=J1,J2	340
	IF (XX-T(J1)) 304,304,302	350
302	CONTINUE	360
309	KK = 2	370
	XX = T(J2)	380
308	JX1 = J2-N	390
<hr/>		400
301	KK = 1	410
	XX = T(J1)	420
306	JX1 = J1	430
	GO TO 305	440
304	IF (J-J1-1) 301,306,307	450
307	<hr/> IF (J-J2) 303,308,309	460
303	JX1 = J-J2	470
305	CONTINUE	480
	XINT = XX	490
	IF (NY) 1500, 1500, 3000	500
1500	<hr/> DO 1599 L=1,N1	510
	X(L) = T(JX1)	520
	LY = JX1 + NX	530
	Y(L) = T(LY)	540
1599	JX1 = JX1+1	550
	I = I	560
	GO TO 54	570
3000	<hr/> J1 = J1+NX	580
	J2 = J2+NY	590
	IF(YY-T(J1)) 311,316,401	600
401	<hr/> DO 312 J=J1,J2	610
	IF (YY-T(J)) 314,314,312	620
312	CONTINUE	630
319	KY = 0	640
	YY = T(J2)	650
318	JY1 = J2-N	660
	GO TO 315	670
311	KY = 3	680
	YY = T(J1)	690
316	JY1 = J1	
	GO TO 315	

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314	IF (J=J1-1) 311,316,317	700
317	IF (J-J2) 313,318,319	710
313	JY1 = J-N2	720
315	CONTINUE	730
<hr/>		740
JX2	= JX1	750
LY	= JY1 + NY*(JX2-II-1)	760
LY1	= LY	770
DO 3099 L=1,N1		780
X(L)	= T(JX2)	790
Y(L)	= T(LY1)	800
LY1	= LY1+NY	810
3099	JX2 = JX2+1	820
I	= 0	830
GO TO 54		840
3098	Y(1) = ZZ	850
DO 4400 I=1,N		860
LY1	= LY+1	870
Y(I+1)	= 0.	880
DO 4050 MM=1,N1		890
Y(I+1)	= Y(I+1) + T(LY1)*X(MM)	900
4050	LY1 = LY1+NY	910
4400	CONTINUE	920
<hr/>		930
DO 4199 L=1,N1		940
X(L)	= T(JY1)	950
4199	JY1 = JY1+1	960
XINT	= YY	970
I	= 1	980
54	D = 1.	990
X(N+2)	= X(1)	1000
X(N+3)	= X(2)	1010
DO 55 J=1,N1		1020
A(J+1)	= X(J+1) - X(J)	1030
TPAL1	= XINT - X(J)	1040
IF (TPAL1) 57,58,57		1050
58	ZZ = Y(J)	1060
X(1)	= 0.	1070
X(2)	= 0.	1080
X(3)	= 0.	1090
X(4)	= 0.	1100
X(J)	= 1.0	1110
<hr/>		1120
57	D = D * TPAL1	1130
GO TO (711,712,713),N		1140
711	X(J) = TPAL1/A(J+1)	1150
GO TO 55		1160
712	X(J) = -TPAL1	1170
<hr/>		1180
713	X(J) = (X(J+2)-X(J))*TPAL1	1190
-55	CONTINUE	1200
A(1)	= A(N+2)	1210
ZZ	= 0.	1220
DO 56 J=1,N1		1230
X(J) = D*(A(J)+A(J+1)* X(J))		1240
56	ZZ = ZZ + V(J)* X(J)	1250
59	36 .. 3198,9999	1260
9999	KK	1270
<hr/>		1280

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BLOCK DATA		0
COMMON /MUVST/VISVST(30)		10
C	BLOCK DATA FOR VISCOSITY VS TEMPERATURE	
	DATA (VISVST(I), I=1,30) / 0.0, 1., 13., 0.0,	20
X	360., 540., 720., 900., 1080., 1260., 1440., 1620., 1800., 1980.,	30
X	2160., 2340., 2520.,	40
X	.048 E-4, .070 E-4, .093 E-4, .117 E-4, .141 E-4, .164 E-4,	50
X	.186 E-4, .217 E-4, .228 E-4, .247 E-4, .266 E-4, .285 E-4,	60
X	.302 E-4/	70
	END	80

BLOCK DATA		0
COMMON /FTZ/TBLVP(70),TBLH4(42),TBLH3(42),SHTBL1(34),SHTBL2(34),		10
1	SHTBL3(34),SHTBL4(34),ZTBLD(46),ZTBLAP(46),ZTBLA(46)	20
C	BLOCK DATA FOR FUNCTIONS OF TEMPERATURE	
	DATA (TBLVP(I), I=1,70) / 10.0, 1., 33.0, 0.0, 492., 519., 528.37, 529.08, 5	30
	134.110, 134.71, 138.34, 143.91, 145.73, 150.20, 159.98, 159.26, 159.48, 159.5	40
	234.610, 13.614, 0.08, 618.07, 627.49, 628.82, 645.68, 650.76, 665.57, 674.99,	50
	3686.13, 692.39, 697.47, 744., 798., 852., 942., 1032., 1122., 1176., 0520.,	60
	41479., 2011., 2069., 2398., 2436., 2823., 2920., 3539., 5453., 7367., 9727.,	70
	59823., 1.510, 2.204, 2.462, 2.740, 3.407, 3.562, 5.240, 5.971, 8.065, 9.711, 1	80
	01.91, 13.46, 14.70, 33.80, 73, 48.147, 0.382, 1.823, 0.1528, 0.2131./	90
	DATA (TBLH4(I), I=1,42) / 0.0, 1., 19.0, 0.0, 0.0, 180., 360., 536.4, 540.,	100
	6720., 900., 1060., 1260., 1440., 1620., 1800., 1980., 2150., 2340., 2520., 27	110
	900.0, 2880., 3060., -1991.34, -1951.02, -1919.50, -1896.04, -1895.70, -188	120
	X2.55, -1878.12, -1879.46, -1884.63, -1892.38, -1901.94, -1912.38, -1924.8	130
	X5, -1937.54, -1950.74, -1964.45, -1978.32, -1992.36, -2006.62/	140
	DATA (TBLH3(I), I=1,42) / 0.0, 1., 19.0, 0.0, 0.0, 180., 360., 536.4, 540.,	150
	X720., 900., 1060., 1260., 1440., 1620., 1800., 1980., 2160., 2340., 2520., 27	160
	X00., 2880., 3060., 393.07, 1055.57, 1103.97, 1159.35, 1160.40, 1213.46, 125	170
	X9.64, 1298.00, 1329.71, 1355.28, 1375.57, 1391.11, 1402.52, 1410.13, 1414.	180
	X57, 1416.37, 1416.05, 1414.15, 1410.56/	190
	DATA (SHTBL1(I), I=1,34) / 0.0, 1., 15.0, 0.0, 540., 720., 900., 1080., 1260	200
	1., 1440., 1620., 1800., 1980., 2160., 2340., 2520., 2700., 2880., 3060., 380	210
	24., 4601., 5261., 5784., 6212., 6577., 6899., 7185., 7442., 7673., 7879., 800	220
	33., 8226., 8373., 8503/	230
	DATA (SHTBL2(I), I=1,34) / 0.0, 1., 15.0, 0.0, 540., 720., 900., 1080., 1260	240
	5., 1440., 1620., 1800., 1980., 2160., 2340., 2520., 2700., 2880., 3060., 500	250
	65., 5424., 5891., 6344., 6773., 7176., 7553., 7905., 8236., 8541., 8823., 907	260
	75., 9304., 9512., 9697/	270
	DATA (SHTBL3(I), I=1,34) / 0.0, 1., 15.0, 0.0, 540., 720., 900., 1080., 1260	280
	9., 1440., 1620., 1800., 1980., 2160., 2340., 2520., 2700., 2880., 3060., 248	290
	X5., 2495., 2524., 2669., 2624., 2682., 2738., 2790., 2836., 2878., 2914., 294	300
	X6., 2974., 2998., 3019/	310
	DATA (SHTBL4(I), I=1,34) / 0.0, 1., 15.0, 0.0, 540., 720., 900., 1080., 1260	320
	X., 1440., 1620., 1800., 1980., 2160., 2340., 2520., 2700., 2880., 3060., 3.41	330
	X94., 3.4496, 3.4685, 3.4765, 3.4899, 3.5151, 3.5454, 3.5866, 3.6208, 3.6654/	340
	X3.7150, 3.7696, 3.8291, 3.8802, 3.9288/	350
	END	360

BLOCK DATA	0
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C BLOCK DATA FOR SPECIFIC HEAT VS TEMPERATURE
COMMON /DDU/CFTBL4(34),CFTBL3(34),CFTBL2(34),CFTBL1(34) 10
DATA (CFTBL1(I),I=1,34) / 0., 1., 15., 0., 20
C TEMPERATURES
~~X 540., 720., 900., 1080., 1260., 1440., 1620., 1800., 30~~
~~X 1980., 2160., 2340., 2520., 2700., 2880., 3060., 40~~
C SPECIFIC HEATS
~~X 3.4194, 3.4596, 3.4685, 3.4765, 3.4899, 3.5151, 3.5454, 3.5006, 50~~
~~X 3.6208, 3.6654, 3.7150, 3.7696, 3.8291, 3.8802, 3.9288 / 60~~
DATA (CFTBL2(I),I=1,34) / 0., 1., 15., .. 70
C TEMPERATURES
~~X 540., 720., 900., 1080., 1260., 1440., 1620., 1800., 80~~
~~X 1980., 2160., 2340., 2520., 2700., 2880., 3060., 90~~
C SPECIFIC HEATS
~~X .2465, .2495, .2524, .2569, .2624, .2682, .2738, .2790, 100~~
~~X .2836, .2878, .2914, .2946, .2974, .2998, .3019 / 110~~
DATA (CFTBL3(I),I=1,34) / 0., 1., 15., 0., 120
C TEMPERATURES
~~X 540., 720., 900., 1080., 1260., 1440., 1620., 1800., 130~~
~~X 1980., 2160., 2340., 2520., 2700., 2880., 3060., 140~~
C SPECIFIC HEATS
~~X .5005, .5424, .5891, .6344, .6773, .7176, .7553, .7905, 150~~
~~X .6236, .6541, .6823, .9075, .9304, .9512, .9697 / 160~~
DATA (CFTBL4(I),I=1,34) / 0., 1., 15., 0., 170
C TEMPERATURES
~~X 540., 720., 900., 1080., 1260., 1440., 1620., 1800., 180~~
~~X 1980., 2160., 2340., 2520., 2700., 2880., 3060., 190~~
C SPECIFIC HEATS
~~X .3604, .4601, .5261, .5784, .6212, .6577, .6899, .7185, 200~~
~~X .7442, .7673, .7879, .8063, .8226, .8373, .8503 / 210~~
END 220

C BLOCK DATA 0
C BLOCK DATA FOR HEAT OF REACTION VS TEMPERATURE
COMMON /CCC/H4TBL(40),H3TBL(40) 10
DATA (H4TBL(I),I=1,40) / 0., 1., 18., 0., 20
C TEMPERATURES
~~X 160., 360., 536.4, 540., 720., 900., 1080., 30~~
~~X 1260., 1440., 1620., 1800., 1980., 2160., 2340., 40~~
~~X 2520., 2700., 2880., 3060., .. 50~~
C HEATS OF REACTION
~~X-1951.82,-1919.50,-1896.04,-1895.70,-1882.55,-1878.12,-1879.46, 60~~
~~X-1884.63,-1892.38,-1901.94,-1912.88,-1924.85,-1937.54,-1950.74, 70~~
~~X-1964.45,-1970.32,-1992.36,-2006.62 / 80~~
DATA (H3TBL(I),I=1,40) / 0., 1., 18., 0., 90
C TEMPERATURES
~~X 160., 360., 536.4, 540., 720., 900., 1080., 100~~
~~X 1260., 1440., 1620., 1800., 1980., 2160., 2340., 110~~
~~X 2520., 2700., 2880., 3060., .. 120~~
C HEATS OF REACTION
~~X1055.57,1103.97,1159.35,1160.40,1213.46,1259.64,1298.00, 130~~
~~X1329.71,1355.28,1375.57,1391.11,1402.52,1410.13,1414.57, 140~~
~~X1416.37,1416.05,1414.15,1410.56 / 150~~
END 160

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BLOCK DATA		0
COMMON /DAVTBL/VPTBL(44)		10
C	BLOCK DATA TABLE OF VAPOR PRESSURE VS TEMP (USED TO FIND TVAP)	
DATA (VPTBL(I),I=1,44) / 0., 1., 20., 0.,		20
X	50., 100., 150., 200., 250., 300., 350., 400.,	30
X	450., 500., 550., 600., 650., 700., 750., 800.,	40
^	850., 900., 950., 1000.,	50
^	770., 820., 855., 880., 905., 925., 945., 965.,	60
X	980., 995., 1010., 1025., 1035., 1050., 1060., 1070.,	70
X	1080., 1090., 1100., 1110.,	80
END		90
BLOCK DATA		0
COMMON /LIZTBL/DHVST(16),DHLVST(18)		10
C	BLOCK DATA TABLES FOR DELHV AND DELHL VS TEMP (USED TO FIND HV)	
DATA (DHVST(I),I=1,18) / 0., 1., 7., 0.,		20
X	160., 360., 534.6, 540., 720., 900., 1080.,	30
^	1390.16, 1332.82, 1260.02, 1279.12, 1237.79, 1208.80,	40
X	1169.76,	50
DATA (DHLVST(I);I=1,18) / 0., 1., 7., 0.,		60
^	160., 360., 534.6, 540., 720., 900., 1080.,	70
X	652.14, 665.96, 679.61, 679.89, 700.89, 733.19, 777.22	80
X	/	90
END		100

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TWO-DIMENSIONAL STEADY-STATE MODEL

C MAIN PROGRAM DOES REACTOR CALCULATIONS FOR LIQUID REGIONS

C
C
C DESCRIPTION OF INPUT DATA PUNCH CARDS FOLLOWS
C

C CARD 1	COL'S 1-3	CONTAIN NCASE	(ONLY ONE CARD 1 PER RUN)	FORMAT
C				(I3)
C			(CARDS 2 THRU 21 SHOULD BE REPEATED FOR EACH CASE)	
C CARD 2	COL'S 1-80	TITLE CARD ... ANY ALPHANUMERIC INFORMATION DESIRED		(14A6)
C				
C CARD 3	COL'S 1-3	CONTAIN NRINGS		(I3)
C	COL'S 4-6	CONTAIN NOFZ		(I3)
C				
C CARD 4	COL'S 1-8	CONTAIN F(1)		(E8.4)
C	9-16	F(2)		(E8.4)
C	17-24	F(3)		(E8.4)
C	25-32	F(4)		(E8.4)
C	33-40	F(5)		(E8.4)
C	41-48	F(6)		(E8.4)
C	49-56	F(7)		(E8.4)
C	57-64	F(8)		(E8.4)
C	65-72	F(9)		(E8.4)
C	72-80	F(10)		(E8.4)
C		(WHERE THE SUBSCRIPT INDICATES THE RING NUMBER)		
C				
C CARD 5	... CONTAINS GN'S ...	FORMAT EXACTLY AS IN CARD 4		
C				
C CARD 6	... CONTAINS ZN'S ...	FORMAT EXACTLY AS IN CARD 5		
C				
C CARD 7	COL'S 1-10	CONTAIN ALPHA3		(E10.5)
C	11-20	HF		(E10.5)
C	21-30	R		(E10.5)
C	31-40	MN2H4		(E10.5)
C	41-50	MNH3		(E10.5)
C	51-60	MN2		(E10.5)
C	61-70	MH2		(E10.5)
C	71-80	ALPHA1		(E10.5)
C				
C CARD 8	COL'S 1-10	CONTAIN ALPHA2		(E10.5)
C	11-20	AGM		(E10.5)
C	21-30	BGM		(E10.5)
C	31-40	KP		(E10.5)
C	41-50	TF		(E10.5)
C	51-60	CF		(E10.5)
C	61-70	NMAX1		(E10.5)
C	71-80	NMAX2		(E10.5)
C				
C				
C CARD 9	COL'S 1-10	CONTAIN P		(E10.5)
C	11-20	ZEND		(E10.5)
C	21-30	DON2H4		(E10.5)
C	31-40	DONH3		(E10.5)

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C 41-50 COM (E10.5)
C 51-60 RADIUS (E10.5)

C C (THE TABLE FOR CATALYST PARTICLE RADIUS
C VS AXIAL POSITION AND RADIAL POSITION FOLLOWS)

C C CARD 10 COL'S 1-8 CONTAIN THE NUMBER 0. (E8.4)
C 9-16 CONTAIN THE NUMBER 1. (E8.4)
C 17-24 CONTAIN NOFZ (FLOATING PT.) (E8.4)
C 25-32 CONTAIN NRINGS (FLOATING PT.) (E8.4)

C C (THESE NUMBERS ARE THE TABLE DESCRIPTORS
C FOR THE INTERPOLATION TABLE USED TO OBTAIN
C THE CAT. PARTICLE RADIUS AS A FUNCTION OF
C AXIAL DISTANCE AND RADIAL DISTANCE ****

C C CARDS 11A,11B,... CONTAIN THE AXIAL STATION Z VALUES
C Z(1),Z(2),...,Z(NOFZ)
C 10 PER CARD, COL'S 1-80 (10E8.4)

C C CARDS 12A,12B,... CONTAIN THE RADIAL STATION RAD VALUES
C RAD(1),RAD(2),...,RAD(NRINGS)
C 10 PER CARD, COL'S 1-80 (10E8.4)

C C CARDS 13A,13B,... CONTAIN THE CATALYST PARTICLE RADII AS FUNCTIONS
C OF AXIAL AND RADIAL POSITION WITHIN THE REACTOR
C A(1,1),A(1,2),...,A(1,NRINGS)
C A(2,1),A(2,2),...,A(2,NRINGS)

C C
C C A(NOFZ,1),A(NOFZ,2),...,A(NOFZ,NRINGS)
C 10 PER CARD, COL'S 1-80 (10E8.4)

C C (THE TABLE FOR CATALYST PARTICLE SURFACE AREA
C VS AXIAL DISTANCE AND RADIAL DISTANCE FOLLOWS)
C TABLE IS IDENTICAL TO THAT FOR PARTICLE RADIUS VS
C AXIAL AND RADIAL POSITION EXCEPT THAT THE RADII
C ARE REPLACED BY PARTICLE SURFACE AREAS

C C CARD 14 THIS CARD IS IDENTICAL TO CARD 10

C C CARDS 15A,15B,... THESE CARDS ARE IDENTICAL TO CARDS 11A,11B,...

C C CARDS 16A,16B,... THESE CARDS ARE IDENTICAL TO CARDS 12A,12B,...

C C CARDS 17A,17B,... CONTAIN THE CATALYST PARTICLE SURFACE AREAS (AP) AS A
C FUNCTION OF AXIAL AND RADIAL POSITION WITHIN THE
C REACTOR ... SAME FORMAT AS CARDS 13A,13B,...

C C (THE TABLE FOR INTERPARTICLE VOID FRACTION OF CATALYST
C PARTICLES VS AXIAL AND RADIAL POSITION FOLLOWS)
C TABLE IS IDENTICAL TO THAT FOR PARTICLE RADIUS VS
C AXIAL AND RADIAL POSITION EXCEPT THAT THE RADII
C ARE REPLACED BY INTERPARTICLE VOID FRACTIONS

C C CARD 18 THIS CARD IS IDENTICAL TO CARD 10

C C CARDS 19A,19B,... THESE CARDS ARE IDENTICAL TO CARDS 11A,11B,...

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C CARDS 20A,20B,... THESE CARDS ARE IDENTICAL TO CARDS 12A,12B,...
C
C CARDS 21A,21B,... CONTAIN THE INTERPARTICLE VOID FRACTION (DELTA) AS A
C FUNCTION OF AXIAL AND RADIAL POSITION WITHIN THE
C REACTOR ... SAME FORMAT AS CARDS 13A,13B,...
C
C *****
REAL MH2,MN2,MNH3,MN2H4,NMAX1,NMAX2,K,KP [
COMMON /BLOK1/F(25),H(25),RAD(25),GAT20(25),GO(25),Z0(25) 10
COMMON /BLOK2/A,APT,DELTA,DR,DFA,DON2H4,DONH3,R,CGM,RADIUS,NMAX1, 20
X NMAX2,ALPHA1,ALPHA2,BETA,AGM,BGM,P,ZEND,MH2,MN2,MNH3,MN2H4 30
COMMON /BLOK3/K,K0,KP,KC3,KC4,HF,HL,MV,TF,CF,CFBAR,GAMMA,C4,NRINGS 40
COMMON /BVTBLS/AVSZ(234),APVSZ(234),BELVSZ(234) 50
COMMON /AAA/VISYST(50),TBLVP(68) 60
COMMON /CCC/H4TBL(40),H3TBL(40) 70
COMMON /LIZTBL/DHVST(18),DHLVST(18) 80
COMMON /DAVTBL/VPTBL(44) 90
COMMON /MMMM/MI 100
DIMENSION ZL(25),TL(25),ZLV(25),TLV(25),JZ(25),ZZ(25,75),TT(25,75) 110
DIMENSION TITLE(14) 120
READ (5,702) NCASE 130
702 FORMAT (13) 140
KOUNT = 1 150
705 READ (5,608) TITLE 160
608 FORMAT (14A6) 170
WRITE (6,609) TITLE 180
609 FORMAT ('1',28X,14A6//) 190
C READ INPUT CONSTANTS
READ (5,810) NRINGS,NOFZ 200
READ (5,811) (F(I),I=1,NRINGS) 210
READ (5,811) (GU(I),I=1,NRINGS) 220
READ (5,811) (Z0(I),I=1,NRINGS) 230
810 FORMAT (2I3) 240
811 FORMAT (4E8.4) 250
C THE SUBSCRIPT 'I' REFERS TO THE ANNULAR REGIONS
C REGIONS ARE NUMBERED 1,2,...,NRINGS FROM THE CENTER OUTWARD
I = 0 260
READ (5,800) ALPHA3,HF,R,MN2H4,MNH3,MN2,MH2,ALPHA1,ALPHA2,AGM,BGM, 270
X KP,TF,CF,NMAX1,NMAX2,P,ZEND,DON2H4,DONH3,CGM,RADIUS 280
800 FORMAT (8E10.5) 290
WRITE (6,36) (J,F(J),GU(J),Z0(J),J=1,NRINGS) 300
36 FORMAT (1//,6IX,'PROGRAM INPUT' /46X,'RING',11X,'F',11X,'GO',10X,' 310
X Z0' /(47X,I2,5X,3E12.5)) 320
WRITE (6,37) ALPHA3,HF,R,MN2H4,MNH3,MN2,MH2,ALPHA1,ALPHA2,AGM,BGM, 330
X KP,TF,CF,NMAX1,NMAX2,P,ZEND,DON2H4,DONH3,CGM,RADIUS 340
37 FORMAT (1//5X,'ALPHA3' //E10.4,3X,'HF' //E10.4,3X,'R' //E10.4,3X,'MN2H 350
X4 ='E10.4,3X,'MNH3 ='E10.4,3X,'MN2 ='E10.4,3X,'MH2 ='E10.4 // 360
X - 3X,'ALPHA1' //E10.4,3X,'ALPHA2' //E10.4,3X,'AGM' //E10.4,3X, 370
X 'BGM' //E10.4,3X,'KP' //E10.4,3X,'TF' //E10.4,3X,'CF' //E10.4 // 380
X - 5X,'NMAX1' //E10.4,3X,'NMAX2' //E10.4,3X,'P' //E10.4,3X, 390
X 'ZEND' //E10.4,3X,'D04' //E10.4,3X,'D03' //E10.4,3X,'CGM' //E10. 400
X4 //3X,'RADIUS' //E10.4 //) 410
NZTBL = NOFZ+NRINGS+NOFZ*NRINGS+4 420
NOFZ4 = NOFZ+4 430
NOFZ5 = NOFZ+1 440
NOFZ6 = NOFZ+NRINGS 450
C READ IN A,AP,DELTA & 2 TABLES (DIVARIATE)
READ (5,401) (AVSZ(1),Z0(1)) 460
40 FORMAT (4E8.4) 470

3

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	READ (5,41) (AVSZ(I), I=5,NOFZ4)	480
41	FORMAT (10E8.4)	490
	READ (5,41) (AVSZ(I), I=NOFZ5,NOFZ6)	500
	I1 = NOFZ6+1	510
	I2 = NOFZ6+NRINGS	520
	DO 42 J=1,NOFZ	530
	READ (5,41) (AVSZ(I), I=I1,I2)	540
	I1 = I2+1	550
	I2 = I1+NRINGS-1	560
42	CONTINUE	570
	READ (5,40) (APVSZ(I), I=1,4)	580
	READ (5,41) (APVSZ(I), I=5,NOFZ4)	590
	READ (5,41) (APVSZ(I), I=NOFZ5,NOFZ6)	600
	I1 = NOFZ6+1	610
	I2 = NOFZ6+NRINGS	620
	DO 43 J=1,NOFZ	630
	READ (5,41) (APVSZ(I), I=I1,I2)	640
	I1 = I2+1	650
	I2 = I1+NRINGS-1	660
43	CONTINUE	670
	READ (5,40) (DELVSZ(I), I=1,4)	680
	READ (5,41) (DELVSZ(I), I=5,NOFZ4)	690
	READ (5,41) (DELVSZ(I), I=NOFZ5,NOFZ6)	700
	I1 = NOFZ6+1	710
	I2 = NOFZ6+NRINGS	720
	DO 44 J=1,NOFZ	730
	READ (5,41) (DELVSZ(I), I=I1,I2)	740
	I1 = I2+1	750
	I2 = I1+NRINGS-1	760
44	CONTINUE	770
	WRITE (6,604)	780
604	FORMAT (//59X,13H A VS Z TABLE)	790
	WRITE (6,45) (AVSZ(I), I=1,4)	800
	WRITE (6,50)	810
50	FORMAT (/)	820
	WRITE (6,46) (AVSZ(I), I=5,NOFZ4)	830
	WRITE (6,50)	840
	WRITE (6,46) (AVSZ(I), I=NOFZ5,NOFZ6)	850
	WRITE (6,50)	860
45	FORMAT (39X,4E13.5)	870
46	FORMAT (10E13.5)	880
	I1 = NOFZ6+1	890
	I2 = NOFZ6+NRINGS	900
	DO 47 J=1,NOFZ	910
	WRITE (6,46) (AVSZ(I), I=I1,I2)	920
	I1 = I2+1	930
	I2 = I1+NRINGS-1	940
47	CONTINUE	950
	WRITE (6,606)	960
606	FORMAT (//59X,13HAP VS Z TABLE)	970
	WRITE (6,45) (APVSZ(I), I=1,4)	980
	WRITE (6,50)	990
	WRITE (6,46) (APVSZ(I), I=5,NOFZ4)	1000
	WRITE (6,50)	1010
	WRITE (6,46) (APVSZ(I), I=NOFZ5,NOFZ6)	1020
	WRITE (6,50)	1030
	I1 = NOFZ6+1	1040
	I2 = NOFZ6+NRINGS	1050
	DO 48 J=1,NOFZ	1060
	WRITE (6,46) (APVSZ(I), I=I1,I2)	1070

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I1 = I2+1	1080
I2 = I1+NRINGS-1	1090
48 CONTINUE	1100
WRITE (6,607)	1110
607 FORMAT (7775T,17H DELTA VS Z TABLE)	1120
WRITE (6,45) (DELVSZ(I),I=1,4)	1130
WRITE (6,50)	1140
WRITE (6,46) (DELVSZ(I),I=5,NOFZ4)	1150
WRITE (6,50)	1160
WRITE (6,46) (DELVSZ(I),I=NOFZ5,NOFZ6)	1170
WRITE (6,50)	1180
I1 = NOFZ6+1	1190
I2 = NOFZ6+NRINGS	1200
DO 49 J=1,NOFZ	1210
WRITE (6,46) (DELVSZ(I),I=I1,I2)	1220
I1 = I2+1	1230
I2 = I1+NRINGS-1	1240
49 CONTINUE	1250
WRITE (6,27)	1260
27 FORMAT (11',22X,'POSITIONS AND TEMPERATURES AT EACH AXIAL STATION	1270
X --- LIQUID AND LIQUID-VAPOR REGIONS')	1280
DR = RADIUS/FLOAT(NRINGS)	1290
C OBTAIN MIDPOINTS OF ANNULAR RINGS	
RAD(1) = DR/2.	1300
DO 101 J=2,NRINGS	1310
RAD(J) = RAD(J-1)+DR	1320
101 CONTINUE	1330
CALL UNBAR (VPTBL,1,P,0.,TVAP,KK)	1340
CALL UNBAR (DHLVST,1,TVAP,0.,DELHV,KK)	1350
CALL UNBAR (DHLVST,1,TVAP,0.,DELHL,KK)	1360
HL = (TVAP-TF)*CF	1370
HV = HL+DELHV-DELHL	1380
875 I = I+1	1390
LIQVP = 0	1400
J = 0	1410
Z = 0.	1420
DZ = 0.	1430
DERIV = 0.	1440
H(I) = HF	1450
GATZ0(I) = GU(I)+F(I)*Z0(I)	1460
879 Z = Z+DZ	1470
J = J+1	1480
C STORE CURRENT Z IN OUTPUT BLOCK	
ZZ(I,J) = Z	1490
C CHECK IF WE HAVE REACHED THE END OF THE INJECTOR FOR THIS RING	
IF (Z-Z0(I)) 34,34,35	1500
34 G = GU(I)+F(I)*Z	1510
GO TO 78	1520
35 G = GATZ0(I)	1530
F(I) = 0.	1540
78 T = TF+(H(I)-HF)/CF	1550
C STORE CURRENT TEMP IN OUTPUT BLOCK	
TT(I,J) = T	1560
C CHECK IF WE HAVE REACHED LIQUID-LIQUID VAPOR INTERFACE	
IF (LIQVP,EQ,1) GO TO 102	1570
CALL UNBAR (TBLVP,1,T,0.,VPR,KK)	1580
CALL UNBAR (H4TBL,1,T,0.,H4,KK)	1590
CALL UNBAR (AVSZ,1,Z,RAD(I),A,KK)	1600
CALL UNBAR (APVZ,1,Z+RAD(I),AP,KK)	1610
C4 = VPR*MN214/(R*T)	1620

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GAMMA = AGM/T 1630
K = ALPHA1*EXP(-GAMMA) 1640
DPA = D0N2H#*(T/492.)**1.832*14.7/P*(1.-EXP(-.067*P*492./
X (14.7*T))) 1650
~~X~~ 1660
BETA = -C4*M#*DPA/(TKP*T) 1670
DERIVO = DERIV 1680
CALL SLOPE (DERIV) 1690
IF (MI.GT.20) DERIV=DERIVO 1700
DHDZ = -(H4*DPA*AP*DERIV+F(I)*(H(I)-HF))/G 1710
DZ = -H4/(NMAX1*DHDZ) 1720
~~H(I) = H(I)+DHDZ*DZ~~ 1730
IF (H(I)-HL) 879,877,878 1740
C WE HAVE EXCEEDED LIQUID-LIQUID VAPOR INTERFACE FOR THIS RING ---
C BACKSTEP TO L-LV BOUNDARY
878 DZ = (HL-H(I))/DHDZ 1750
H(I) = HL 1760
~~C SET FLAG TO INDICATE INTERFACE HAS BEEN REACHED~~
877 LIQVP = 1 1770
GO TO 879 1780
C WE HAVE REACHED THE LIQUID-LIQUID VAPOR INTERFACE FOR THIS RING
102 TL(I) = T 1790
ZL(I) = Z 1800
~~CALL LIQVP (ITJ,DERIV,T,0,Z,ZZ,TT,DZ)~~ 1810
TLV(I) = T 1820
ZLV(I) = Z 1830
JZ(I) = J 1840
C CHECK IF ALL RINGS HAVE BEEN PROCESSED
IF (I-NRINGS) 875,870,870 1850
~~670 DO 25 I=1,NRINGS~~
JN = JZ(I) 1860
WRITE (6,28) I 1870
WRITE (6,26) (ZZ(I,J),TT(I,J),J=1,JN) 1880
1890
25 CONTINUE 1900
26 FORMAT (9X,'Z',12X,'T',4(12X,'Z',12X,'T') / (1X,10E13.5)) 1910
~~20 FORMAT (//65X,'RING',I5)~~ 1920
WRITE (6,613) 1930
613 FORMAT (1H1,27A,75H*****) LIQUID REGION 1940
X ***** 1950
LAST = NRINGS-1 1960
C IF THERE IS LESS THAN A ONE PERCENT DIFFERENCE IN INTERFACE Z VALUES
~~C FOR ANY TWO RINGS , THEN SET THESE INTERFACE VALUES EQUAL~~
DO 700 I=1,LAST 1970
IF (ABS(ZL(I)-ZL(I+1)).LT..01*ZL(I)) ZL(I+1)=ZL(I) 1980
IF (ABS(ZLV(I)-ZLV(I+1)).LT..01*ZLV(I)) ZLV(I+1)=ZLV(I) 1990
700 CONTINUE 2000
WRITE (6,68) (I,ZL(I),RAD(I),TL(I),I=1,NRINGS) 2010
~~88 FORMAT (//23X,'POSITION AND TEMPERATURE AT LIQUID-LIQUID VAPOR I~~ 2020
XNTFACE FOR EACH ANNULAR REGION' / 2030
X 36X,57H RING AXIAL POSITION RADIAL POSITION TEMPERA 2040
XTURE / 2050
X (38X,I2,6X,E12.5,6X,E12.5,4X,E12.5)) 2060
WRITE (6,90) 2070
~~90 FORMAT (//27X,75H***** LIQUID-VAPOR REGION~~ 2080
X ***** 2090
WRITE (6,80) (I,ZLV(I),RAD(I),TLV(I),I=1,NRINGS) 2100
89 FORMAT (//24X,'POSITION AND TEMPERATURE AT LIQUID VAPOR - VAPOR IN 2110
XTERFACE FOR EACH ANNULAR REGION' / 2120
X 36X,57H RING AXIAL POSITION RADIAL POSITION TEMPERA 2130
XFUNE / 2140
X (38X,I2,6X,E12.5,6X,E12.5,4X,E12.5)) 2150

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C	PROCEED ON TO VAPOR REGION	
	CALL VAPOR (ALPHA3,ZLV,TLV)	2160
	KOUNT = KOUNT+1	2170
	IF (KOUNT.LE.NCASE) GO TO 705	2180
	WRITE (6,107)	2190
107	FORMAT (////48X,35H***** OPERATIONS COMPLETE *****)	2200
	STOP	2210
	END	2220

C	SUBROUTINE LVVP (I,J,DERIV,T,G,Z,ZZ,TT,DZ)	
C	THIS ROUTINE HANDLES REACTOR CALCULATIONS FOR LIQUID VAPOR REGIONS	
C	OF EACH ANNULAR RING	
	REAL NMAX2	10
	COMMON /BLOK1/F(25),H(25),RAD(25),GATZ0(25),G0(25),Z0(25)	20
	COMMON /BLOK2/A,AP,DELTA,DR,DPA,DON2H4,DONH3,R,CGM,RADIUS,NMAX1,	30
X	NMAX2,ALPHA1,ALPHA2,BETA,AGM,BGM,P,ZEND,MH2,MN2,MNH3,MN2H4	40
	COMMON /BLOK3/K,KD,KP,KC3,KC4,HF,HL,HV,TF,CF,CFBAR,GAMMA,C4,NRINGS	50
	COMMON /BVTBL5/AVSZ(234),APVSZ(234),DELVSZ(234)	60
	COMMON /CCC/H4TBL(40),H3TBL(40)	70
	DIMENSION ZZ(25,75),TT(25,75)	80
C	ASSUME TEMPERATURE CONSTANT IN LIQUID VAPOR REGION	
	CALL UNBAR (H4TBL,1,T,0.,H4,KK)	90
182	CALL UNBAR (APVSZ,1,Z,RAD(I),AP,KK)	100
	DPA = DON2H4*(T/492.)**1.832*14.7/P*(1.-EXP(-.067*P*492./	110
X	(14.7*T)))	120
	DHDZ = (H4*DPA*AP*DERIV+F(I)*(H(I)-HF))/G	130
	DZ = -H4/(NMAX2*DHDZ)	140
Z	= Z+DZ	150
J	= J+1	160
C	STORE CURRENT Z IN OUTPUT BLOCK	
	ZZ(I,J) = Z	170
	TT(I,J) = T	180
C	CHECK IF WE HAVE REACHED THE INJECTOR TIP FOR THIS RING	
	IF (Z-Z0(I)) .GT. 34,34,35	190
34	G = G0(I)+F(I)*Z	200
	GO TO 78	210
35	G = GATZ0(I)	220
	F(I) = 0.	230
78	H(I) = H(I)+DHDZ*DZ	240
	IF (H(I)-HV) .LT. 182,195,184	250
C	WE HAVE EXCEEDED LIQUID VAPOR-VAPOR INTERFACE FOR THIS RING ---	
C	BACKSTEP TO LV-V BOUNDARY	
184	DZ = (HV-H(I))/DHDZ	260
	Z = Z+DZ	270
	ZZ(I,J) = Z	280
	H(I) = HV	290
195	RETURN	300
	END	310

C	SUBROUTINE VAPOR (ALPHA3,ZLV,TLV)	
C	THIS ROUTINE HANDLES REACTOR CALCULATIONS FOR VAPOR REGION OF EACH	
C	ANNULAR RING	
	REAL LAMBDA,NH1,NRH1,NR2,NKR2,NR3,NRR3,NR4,NRR4,KC4,MH2,MN2,MNH3,	10
X	MN2H4,MBAR	20

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INTEGER VAPOR, VP
COMMON /BLOK1/F(25),H(25),RAD(25),GATZ0(25),G0(25),Z0(25)          30
COMMON /BLOK2/A,AP,DELTA,DR,DPA,DDN2H4,DDNH3,R,CGM,RADIUS,NMAX1,      40
X     NMAX2,ALPHA1,ALPHA2,BETA,AGM,BGM,P,ZEND,MH2,MN2,MNH3,MN2H4      50
COMMON /BLOK3/KTKPTKC3,KC4,MP,MLV,TFT,CFTBL3,CFBART,GAMMA,C4,NRINGS   60
COMMON /BVTBLS/AVSZ(234),APVSZ(234),DELVSZ(234)                      70
COMMON /AAA/VISVST(30),TBLVP(68)                                         80
COMMON /CCC/H4TBL(40),H3TBL(40)                                         90
COMMON /DDD/CFTBL4(34),CFTBL3(34),CFTBL2(34),CFTBL1(34)           100
DIMENSION HH4(25),XV(25),TLV(25),CI1(25),CI2(25),CI3(25),CI4(25),    110
X     NH0(25),RHOM(25),TT(25),ZLV(25),ZV0(25),IPN(25),MIX(10),       120
X     G(25),ZZ(25),F1(25),F2(25),F3(25),F4(25),F3D(25)             130
DIMENSION TT(25),C1(25),C2(25),C3(25),C5(25),GR(25),TGR(25),        140
X     CK4(25),DPDZ(25),Z00(25),NZ0(25)                           150
VAPOR = 0                                                               160
IFFLG = 0                                                               170
VP = VAPOR+1                                                 180
M = 2                                                               190
N = 1                                                               200
NM1 = NRINGS-1                                         210
WRITE (6,598)                                         220
598 FORMAT ('1',29X,'*****')                                VAPOR REGION ** 230
*****                                         240
*****                                         250
C CALCULATE CONCENTRATIONS AT INTERFACES FOR EACH RING
DO 37 I=1,NRINGS                                         260
CALL UNBAR (H4TBL,1,TLV(I),0.,MH4(I),KK)               270
XV(I) = (HF-H(I))/MH4(I)                               280
X1 = (1.-XV(I))/(1.+XV(I))                           290
X2 = XV(I)/(1.+XV(I))                               300
PRT = P/(R*TLV(I))                                 310
CI1(I) = .5*PRT*MH2*X2                            320
CI2(I) = .5*PRT*MN2*X2                            330
CI3(I) = PRT*MNH3*X2                            340
CI4(I) = PRT*MN2H4*X1                            350
RH6(I) = CI1(I)+CI2(I)+CI3(I)+CI4(I)                360
RHOM(I) = ALPHA3*CI4(I)*EXP(-CGM/TLV(I))            370
T(I) = TLV(I)                                         380
C SET INITIAL VAPOR REGION VALUES FOR G
IF (ZLV(I)-Z0(I)) 590,590,591                     390
590 G(I) = G0(I)+F(I)*ZLV(I)
GO TO 37                                         400
410
591 G(I) = GATZ0(I)                                420
F(I) = A.                                         430
37 CONTINUE                                         440
WRITE (6,38) CI4(1),CI3(1),CI2(1),CI1(1)           450
38 FORMAT (//43X,'CONCENTRATIONS AT LIQUID VAPOR - VAPOR INTERFACE'/
460
X     47X,'N2H4'          NH3          N2          H2+41X,4E12.5 ) 470
SUM = CI1(1)/MH2+CI2(1)/MN2+CI3(1)/MNH3+CI4(1)/MN2H4          480
FRAC1 = CI1(1)/(MH2*SUM)                                490
FRAC2 = CI2(1)/(MN2*SUM)                                500
FRAC3 = CI3(1)/(MNH3*SUM)                                510
FRAC4 = CI4(1)/(MN2H4*SUM)                                520
FRAC30 = -(FRAC1/FRAC2-1.)/(3.-FRAC1/FRAC2)           530
WRITE (6,39) FRAC1,FRAC2,FRAC3,FRAC4,FRAC30          540
39 FORMAT (//40X,'MFRAC1' 6X,'MFRAC2' 6X,'MFRAC3' 6X,'MFRAC4' 6X,
X     'FRAC30' / 35X,5E12.5 )                         550
DPDZ = 0.                                              560
570
C SUBROUTINE ORDER STORES INTERFACE AXIAL STATIONS IN ASCENDING ORDER
CALL ORDER-TZLV,ZV0)                                     580
Z = ZV0(1)                                              590

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C GET Z0'S STORED IN ASCENDING ORDER
CALL ORDER (Z0,Z00) 600

C SET N (ZA INDICATOR) TO IGNORE INJECTOR TIPS IF LESS THAN SMALLEST ZVAP
IF (Z00(NRINGS).LT.ZV0(1)) N=NRINGS+1 610

~~C FIND AND LABEL ALL DISTINCT INTERFACES~~

J = 1 620
IFACE = 1 630
IFN(I) = 1 640
DO 74 I=2,NRINGS 650
IF (ZV0(J)-ZV0(I)) 72,73,72 660

73 J = 1 670
GO TO 74 680

72 J = 1 690

C IFACE = TOTAL NUMBER OF DISTINCT INTERFACES
IFACE = IFACE+1 700
IFN(IFACE) = J 710

~~74 CONTINUE~~ 720

C FIND AND LABEL ALL DISTINCT Z0'S
J = 1 730
NZ0 = 1 740
NZ0(1) = 1 750
DO 227 I=2,NRINGS 760
IF (Z00(J)-Z00(I)) 228,229,228 770

229 J = 1 780
GO TO 227 790

228 J = 1 800

C NOZ0 = TOTAL NUMBER OF DISTINCT Z0'S
NOZ0 = NOZ0+1 810
NZ0(NOZ0) = J 820

~~227 CONTINUE~~ 830

C IF INTERFACE AXIAL POSITIONS FOR ALL RINGS ARE IDENTICAL (IFACE=1),
THEN SET VAPOR=1 TO INDICATE ENTRANCE INTO ALL-VAPOR REGION

78 IF (IFACE-1) 23,22,23 840
22 VAPOR = 1 850
~~VP = VP+1~~ 860
CALL DELTAZ (CI1,CI2,CI3,CI4,T,G,RHO,RHOM,CK4,GR,TGR,Z,DZ) 870
GO TO 8 880

C USE CONSTANT DZ VALUE FOR INITIAL PORTIONS OF VAPOR REGION
23 DZZ = (ZV0(NRINGS)-ZV0(1))/25. 890
DZ = DZZ 900

~~8 ZP = Z~~ 910
IF (VAPOR.EQ.1) GO TO 15 920
IF (IFFLG-1) 40,42,40 930
40 IF (DZ.LT.DZZ) DZ=DZZ 940
GO TO 15 950
42 DZ = DELZ 960
~~IFFLG = 0~~ 970

15 Z = Z+DZ 980

C TEST IF WE HAVE REACHED THE END OF THE REACTOR
IF (Z-ZEND) 43,43,44 990

44 Z = ZEND 1000
DZ = ZEND-ZP 1010

~~C TEST IF ALL INTERFACES HAVE BEEN ENCOUNTERED~~

43 IF (VAPOR-1) 28,33,28 1020

C STILL WITHIN REGION OF VARIOUS ANNULAR INTERFACES --- NOW MUST TEST
C FOR CURRENT Z EXCEEDING NEXT INTERFACE POSITION

28 MM = IFN(M) 1030
IF (Z-ZV0(MM)) 30,30,31 1040

~~C WE HAVE EXCEEDED NEXT LARGEST INTERFACE Z VALUE --- BACKSTEP TO~~

~~C INTERFACE AND ADJUST DZ FOR NEXT PASS~~

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31 DELZ = Z-ZVO(MM) 1050
DZ = ZVO(MM)-ZP 1060
Z = ZVO(MM) 1070
IFFLG = 1 1080
M = MM1 1090

C WAS ZVO(MM) THE LAST INTERFACE
C YES --- ALL RINGS ARE VAPOR FROM NOW ON SO SET VAPOR=1
C NO --- PROCEED
IF (M=IFACE) 30,3A,32 1100
32 VAPOR = 1 1110

C SET UP MIXING TERM INDICATOR FOR EACH RING AT THIS AXIAL STATION
30 DO 10 J=1,NRINGS 1120

C MIX IS STATUS INDICATOR FOR RING J
C MIX = 1 ... NO RADIAL MIXING
C MIX = 2 ... INNER ADJACENT RADIAL MIXING
C MIX = 3 ... OUTER ADJACENT RADIAL MIXING
C MIX = 4 ... BOTH INNER & OUTER ADJACENT RADIAL MIXING

MIX(J) = 1 1130
C TEST IF WE ARE IN FIRST OR LAST RING
IF (J=1) 1,11,1 1140
1 IF (J=NRINGS) 2,12,2 1150
C IF Z<ZVAP FOR THIS RING THEN WE ARE STILL IN LIQUID AREA
2 IF (Z-ZLV(J)) 10,10,10 1160
16 IF (Z-ZLV(J-1)) 3,3,4 1170
4 MIX(J) = 2 1180
3 IF (Z-ZLV(J+1)) 10,10,5 1190
5 IF (MIX(J)=2) 6,7,6 1200
6 MIX(J) = 3 1210

GO TO 10 1220
7 MIX(J) = 4 1230
GO TO 10 1240

C FIRST AND LAST RINGS ARE SPECIAL CASES
11 IF (Z-ZLV(2)) 10,10,13 1250
13 MIX(J) = 3 1260

GO TO 10 1270
12 IF (Z-ZLV(NRINGS-1)) 10,10,14 1280
14 MIX(J) = 2 1290
10 CONTINUE 1300
33 IF (N.GT.NOZU) GO TO 225 1310
NN = NZU(N) 1320

C IF SMALLEST CURRENT ZA IS ZERO MOVE ON TO PROGRAM CALC'S
IF (Z00(NN)) 225,225,230 1330

C TEST IF CURRENT Z EXCEEDS SMALLEST REMAINING Z0
C YES --- BACKSTEP TO INJECTOR TIP
230 IF (Z-Z00(NN)) 225,225,226 1340
226 DZ = Z-Z00(NN) 1350

Z = Z00(NN) 1360
N = N+1 1370

C SET UP CALCULATIONS FOR TEMP AND CONCENTRATION
225 DO 20 J=1,NRINGS 1380

C TEST IF WE ARE PRECISELY AT LAST INTERFACE
IF (Z-ZVO(NRINGS)) 41,41,77 1390

C YES --- NOT YET IN ALL-VAPOR REGION
C NO --- VP INDICATOR HANDLES CASES WHERE Z IS GREATER
77 GO TO (27,29,27), VP 1400

C WE ARE IN THE ALL-VAPOR REGION OF THE REACTOR --- MIX PARAMETER NOW
C FIXED FOR ALL RINGS
29 MIX(1) = 3 1410

MIX(NRINGS) = 2 1420
DO 9 I=2,NM1 1430

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MIX(1) = 4	1440	
9	CONTINUE	1450
C INCREMENT VP TO AVOID REDUNDANT SETTINGS OF 'MIX'		
VP = VP+1	1460	
GO TO 27	1470	
C COMPARE CURRENT Z WITH INTERFACE Z FOR THIS RING		
Z<ZVAP --- MOVE ON TO NEXT RING		
Z>ZVAP --- CONTINUE ON WITH CALCULATIONS		
41 IF (Z-ZLV(J)) 96,96,27	1480	
C SET UP PRELIMINARY CALCULATIONS FOR DWDZ TERMS		
27 CALL UNBAR (AVSZ,1,ZP,RAD(J),AT,KK)	1490	
CALL UNBAR (APVSZ,1,ZP,RAD(J),AP,KK)	1500	
CALL UNBAR (DELVSZ,1,ZP,RAD(J),DELTA,KK)	1510	
CALL UNBAR (H4TBL,1,T(J),U,,H4,KK)	1520	
CALL UNBAR (CFTBL4,1,T(J),0,,CF4,KK)	1530	
CALL UNBAR (CFTBL3,1,T(J),0,,CF3,KK)	1540	
CALL UNBAR (CFTBL2,1,T(J),0,,CF2,KK)	1550	
CALL UNBAR (CFTBL1,1,T(J),0,,CF1,KK)	1560	
C TEST IF Z HAS EXCEEDED INJECTOR TIP FOR THIS RING		
IF (Z-Z0(J)) 34,34,35	1570	
34 G(J) = GO(J)+F(J)*2P	1580	
GO TO 63	1590	
35 G(J) = GATZ0(J)	1600	
F(J) = 0.	1610	
63 CFBAR = (CF1*CI1(J)+CF2*CI2(J)+CF3*CI3(J)+CF4*CI4(J))/(CI1(J)+	1620	
X CI2(J)+CI3(J)+CI4(J))	1630	
RHOM(J) = ALPHA3*CI4(J)*EXP(-CGM/T(J))	1640	
EPSLN = -A*G(J)/(5.*RH0(J)*DELTA)	1650	
LAMDA = -A*CFBAR*G(J)/(5.*DELTA)	1660	
MX = MIX(J)	1670	
GO TO (56,57,58,59), MX	1680	
C STATEMENT 56 --- NO MIXING TERMS USED		
56 NR1 = 0.	1690	
NR2 = 0.	1700	
NR3 = 0.	1710	
NR4 = 0.	1720	
QR1 = 0.	1730	
QRN = 0.	1740	
NRR1 = 0.	1750	
NRR2 = 0.	1760	
NRR3 = 0.	1770	
NRR4 = 0.	1780	
QRR1 = 0.	1790	
GO TO 60	1800	
- C STATEMENT 57 --- INWARD MIXING ONLY		
57 NR1 = EPSLN*(CI1(J)-CI1P)/DR	1810	
NR2 = EPSLN*(CI2(J)-CI2P)/DR	1820	
NR3 = EPSLN*(CI3(J)-CI3P)/DR	1830	
NR4 = EPSLN*(CI4(J)-CI4P)/DR	1840	
QR1 = LAMDA*(T(J)-TP)/DR	1850	
QRN = (NR1*CF1+NR2*CF2+NR3*CF3+NR4*CF4)*(T(J)-TP)/DR	1860	
NRR1 = 0.	1870	
NRR2 = 0.	1880	
NRR3 = 0.	1890	
NRR4 = 0.	1900	
QRR1 = 0.	1910	
GO TO 60	1920	
C STATEMENT 58 --- OUTWARD MIXING ONLY		
58 NR1 = 0.	1930	
NR2 = 0.	1940	

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NR3 = 0.	1950
NR4 = 0.	1960
QR1 = 0.	1970
GRN = 0.	1980
220 NRR1 = EPSLN*(CI1(J+1)-CI1(J))/DR	1990
NRR2 = EPSLN*(CI2(J+1)-CI2(J))/DR	2000
NRR3 = EPSLN*(CI3(J+1)-CI3(J))/DR	2010
NRR4 = EPSLN*(CI4(J+1)-CI4(J))/DR	2020
QRR1 = LAMDA*(T(J+1)-T(J))/DR	2030
GO TO 60	2040
<hr/>	
C STATEMENT 59 BOTH INWARD AND OUTWARD MIXING	
59 NR1 = EPSLN*(CI1(J)-CI1P)/DR	2050
NR2 = EPSLN*(CI2(J)-CI2P)/DR	2060
NR3 = EPSLN*(CI3(J)-CI3P)/DR	2070
NR4 = EPSLN*(CI4(J)-CI4P)/DR	2080
QRI = LAMDA*(T(J)-TP)/DR	2090
WRR = ((NR1*CF1+NR2*CF2+NR3*CF3+NR4*CF4)*(T(J)-TP))/UR	2100
223 NRR1 = EPSLN*(CI1(J+1)-CI1(J))/DR	2110
NRR2 = EPSLN*(CI2(J+1)-CI2(J))/DR	2120
NRR3 = EPSLN*(CI3(J+1)-CI3(J))/DR	2130
NRR4 = EPSLN*(CI4(J+1)-CI4(J))/DR	2140
QRR1 = LAMDA*(T(J+1)-T(J))/DR	2150
<hr/>	
C CHECK IF WE ARE IN ALL-VAPOR REGION	
60 IF (Z-ZVU(NRINGS)) .NE. 61,62	2160
C YES --- SKIP CALL TO SUBROUTINE SGRAD (THIS WAS DONE IN DELTAZ)	
C NO --- CONTINUE AS BEFORE	
61 CALL SGRAD (CI1(J),CI2(J),CI3(J),CI4(J),G(J),T(J),GRAD,TGRAD,J)	2170
62 GO TO 64	2180
62 GRAD = GR(J)	2190
GRAD = TGR(J)	2200
KC4 = CK4(J)	2210
64 W1 = CI1(J)/RHOM(J)	2220
W2 = CI2(J)/RHOM(J)	2230
W3 = CI3(J)/RHOM(J)	2240
W4 = CI4(J)/RHOM(J)	2250
DW1DZ = (.5*MH2/MN2H4*(RHOM(J)*DELTA+AP*KC4*CI4(J))+1.5*AP*GRAD*	2260
X MH2/MNH3+(NR1-NRR1)*DELTA/UR-NRR1*DELTA/RAD(J)-F(J)*W1)/	2270
X G(J)	2280
DW2DZ = (.5*MN2/MN2H4*(RHOM(J)*DELTA+AP*KC4*CI4(J))+.5*AP*GRAD*	2290
X MN2/MNH3+(NR2-NRR2)*DELTA/UR-NRR2*DELTA/RAD(J)-F(J)*W2)/	2300
X G(J)	2310
DW3DZ = (MN13/MN2H4*(RHOM(J)*DELTA+AP*KC4*CI4(J))-AP*GRAD)+(NR3-	2320
X NRR3)*DELTA/UR-NRR3*DELTA/RAD(J)-F(J)*W3)/G(J)	2330
DW4DZ = (F(J)-RHOM(J)*DELTA-AP*KC4*CI4(J)+(NR4-NRR4)*DELTA/UR-	2340
X NRR4*DELTA/RAD(J)-F(J)*W4)/G(J)	2350
<hr/>	
C READY PROGRAM FOR TEMP, CONCENTRATION CALCULATIONS	
MBAR = (CI1(J)+CI2(J)+CI3(J)+CI4(J))/(CI1(J)/MH2+CI2(J)/MN2H4+	2360
X CI3(J)/MNH3+CI4(J)/MN2H4)	2370
WMSM = w1/MH2+w2/MN2+w3/MNH3+w4/MN2H4	2380
DMDZ = -MBAR/WMSM*(DW1DZ/MH2+DW2DZ/MN2+DW3DZ/MNH3+DW4DZ/MN2H4)	2390
DH0Z = -(F(J)*(H(J)-HF)+AP*TGRAD+DELTA*(H4*RHOM(J)-(QR1-QRR1)/UR)+	2400
X QRR1*DELTA/RAD(J)+GRN*DELTA)/G(J)	2410
DT0Z = DH0Z/CFBAR	2420
DR0DZ = RH0(J)*(DM0Z/MBAR-DT0Z/T(J)+DPBDZ/(144.*P))	2430
DC1DZ = RH0(J)*DW1DZ+W1*DRODZ	2440
DC2DZ = RH0(J)*DW2DZ+W2*DRODZ	2450
DC3DZ = RH0(J)*DW3DZ+W3*DRODZ	2460
DC4DZ = RH0(J)*DW4DZ+W4*DRODZ	2470
<hr/>	
C STORE TEMP, CONCENTRATIONS FOR INWARD RADIAL MIX CALCS IN NEXT RING	
CI1P = CI1(J)	2480

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C12P = CI2(J)	2490
C13P = CI3(J)	2500
C14P = CI4(J)	2510
TP = T(J)	2520
CI1(J) = CI1(J)+DC1DZ*DZ	2530
CI2(J) = CI2(J)+DC2DZ*DZ	2540
CI3(J) = CI3(J)+DC3DZ*DZ	2550
CI4(J) = CI4(J)+DC4DZ*DZ	2560
IF (CI1(J).LT.0.) CI1(J)=0.	2570
IF (CI2(J).LT.0.) CI2(J)=0.	2580
IF (CI3(J).LT.0.) CI3(J)=0.	2590
IF (CI4(J).LT.0.) CI4(J)=0.	2600
T(J) = T(J)+DTUZ*DZ	2610
IF (T(J).LT.0.) GO TO 98	2620
H(J) = H(J)+DHUZ*DZ	2630
C STORE Z, TEMP, AND CONCENTRATIONS IN OUTPUT BLOCK	
ZZ(J) = Z	2640
TT(J) = T(J)	2650
C1(J) = CI1(J)	2660
C2(J) = CI2(J)	2670
C3(J) = CI3(J)	2680
C5(J) = CI4(J)	2690
SUM = CI1(J)/MN2+CI2(J)/MN2+CI3(J)/MNH3+CI4(J)/MN2H4	2700
IF (CI4(J).LT.0.) SUM=SUM-CI4(J)/MN2H4	2710
IF (CI3(J).LT.0.) SUM=SUM-CI3(J)/MNH3	2720
FRAC1 = CI1(J)/(MN2*SUM)	2730
FRAC2 = CI2(J)/(MN2*SUM)	2740
FRAC3 = CI3(J)/(MNH3*SUM)	2750
FRAC4 = CI4(J)/(MN2H4*SUM)	2760
FRAC3D = (FRAC1/FRAC2-1.)/(3.-FRAC1/FRAC2)	2770
F1(J) = FRAC1	2780
F2(J) = FRAC2	2790
F3(J) = FRAC3	2800
F4(J) = FRAC4	2810
F3D(J) = FRAC3D	2820
GO TO 20	2830
C NO FURTHER CALCULATIONS FOLLOW FOR THIS RING --- ZERO OUT OUTPUT BLOCK	
C AND MOVE ON TO NEXT RING	
96 ZZ(J) = 0.	2840
TT(J) = 0.	2850
C1(J) = 0.	2860
C2(J) = 0.	2870
C3(J) = 0.	2880
C5(J) = 0.	2890
F1(J) = 0.	2900
F2(J) = 0.	2910
F3(J) = 0.	2920
F4(J) = 0.	2930
F3D(J) = 0.	2940
20 CONTINUE	2950
P = P+DPBDZ*DZ/144.	2960
IF (P.LT.0.) GO TO 94	2970
C CALCULATE DPBDZ FOR PRESSURE CHANGES IN EACH RING	
SUMP = 0.	2980
DO 75 J=1,NRINGS	2990
CALL UNBAR (VISVST,1,T(J),0.,VIS,KK)	3000
CALL UNBAR (AVSZ,1,Z,RAD(J),A,KK)	3010
CALL UNBAR (DELVSZ,1,Z,RAD(J),DELTA,KK)	3020
RH0(J) = CI1(J)+CI2(J)+CI3(J)+CI4(J)	3030
RH0(J) = ALPHA3*CI4(J)*EXP(-CGM/T(J))	3040

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    UPDZ(J) = -(1.-DELT A)/DELT A**3*(1.75+75.*VIS*(1.-DELT A)/(A*G(J)))*      3050
    X          G(J)**2/(64.4*A*RHO(J))      3060
    SUMP = SUMP+UPDZ(J)*RAD(J)      3070
75   CONTINUE      3080
    UPBDZ = 2.*DR*SUMP/RADIUS**2      3090
    WRITE (6,599)      3100
599   FORMAT ( // 28X,'RING',11X,'Z',10X,'TEMP',8X,'N2H4',9X,'NH3',
    X           SX,'N2',10X,'H2' )      3110
    WRITE (6,600) (J,ZZ(J),TT(J),C5(J),C3(J),C2(J),C1(J),J=1,NRINGS)      3120
600   FORMAT (29X,12,5X,6E12.5)      3130
    WRITE (6,97) P      3140
97   FORMAT (//54X,'PRESSURE =',E12.5)      3150
    WRITE (6,36) (F1(J),F2(J),F3(J),F4(J),F3D(J),J=1,NRINGS)      3160
36   FORMAT (//86X,'EQUIVALENT' / 40X,'MFRAC1',6X,'MFRAC2',6X,'MFRAC3',
    X           6X,'MFRAC4',6X,'FRAC3D' / (35X,5E12.5))      3170
    WRITE (6,606)      3180
606   FORMAT (//25X,'*****')
    X*****      3190
    DO 108 J=1,NRINGS      3200
    IF (TT(J).LT.TLV(J)) GO TO 106      3210
108   CONTINUE      3220
C   CHECK IF WE HAVE REACHED THE END OF THE REACTOR      3230
    IF (Z-ZEND)=799,99      3240
C   CHECK IF WE HAVE REACHED ALL-VAPOR REGION      3250
17   IF (Z-ZVO(NRINGS)) 8,21,21      3260
C   YES --- CALL DELTAZ TO CALCULATE A NEW DZ      3270
21   CALL DELTAZ (CI1,CI2,CI3,CI4,T,G,RHO,RHOM,CK4,GR,TGR,Z,DZ)
    VAPOR = 1      3280
    VP = VP+1      3290
    IF (VP.GT.3) VP=3      3300
    GO TO 8      3310
94   WRITE (6,95)
95   FORMAT (//30X,'THE PROGRAM HAS CALCULATED A NEGATIVE PRESSURE ---      3320
    XRETURN AND TERMINATE' )      3330
    GO TO 99      3340
98   WRITE (6,103) J      3350
103  FORMAT (//23X,'THE PROGRAM HAS CALCULATED A NEGATIVE TEMPERATURE I      3360
    XIN RING',I3,' --- RETURN AND TERMINATE' )
    GO TO 8      3370
106  WRITE (6,107) J      3380
107  FORMAT (//7X,'THERE IS A PUDDLE OF COLD HYDRAZINE AT THE LIQUID-V      3390
    XAPOR/VAPOR INTERFACE IN RING',I3,' --- TRY USING A LARGER VALUE FO
    XR GO')      3400
99   RETURN      3410
    END      3420
    3430
    3440
    3450
    3460
```

SUBROUTINE ORDER (ZV,ZVO)

```
C   THIS ROUTINE PLACES THE NUMBERS OF THE FIRST ARGUMENT ARRAY IN      0
C   ASCENDING ORDER AND STORES THEM IN THE SECOND ARGUMENT ARRAY
COMMON /BLOK3/K,KP,KC,KC3,KC4,HF,HL,HV,TF,GF,CFBAR,GAMMA,C4,NRINGS      10
DIMENSION ZV(100),ZVO(100)
LAST = NRINGS-1      20
DO 10 I=1,NRINGS      30
ZVO(I) = ZV(I)      40
10   CONTINUE      50
DO 20 J=1,LAST      60
DO 15 I=1,LAST      70
15
```

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4	IF (ZVO(I)-ZVO(I+1)) .LT. 15.15,4	90
1EMP = ZVO(I)	100	
ZVO(I) = ZVO(I+1)	110	
ZVO(I+1) = TEMP	120	
15	CONTINUE	130
20	CONTINUE	140
	RETURN	150
	END	160

C	SUBROUTINE DELTAZ (CI1,CI2,CI3,CI4,T,G,RHO,RHOM,CK4,GR,TGR,Z,DZ)	0
C	THIS ROUTINE CALCULATES A SUITABLE DZ INCREMENT FOR THE ALL-VAPOR	
C	PORTION OF THE REACTOR	
	REAL LAMDA,HR1,NR1,NR2,NR3,NR4,KC4,MH2,MN2,MNH3,MN2H4	10
	COMMON /BLOK1/F(25),H(25),RAD(25),GATZ0(25),G0T251,Z0T251	20
	COMMON /BLOK2/A,AP,DELTA,DR,DPA,DON2H4,DONH3,R,CGM,RAI,IUS,NMAX1,	30
X	NMAX2,ALPHA1,ALPHA2,BETA,AGM,BGM,P,ZEND,MH2,MN2,MNH3,MN2H4	40
	COMMON /BLOK3/K,K0,KP,KC3,KC4,HF,HL,HV,TF,CF,CFBAR,GAMMA,C4,NRINGS	50
	COMMON /BV1BLS/AVSZ(234),APVSZ(234),BELVSZ(234)	60
	COMMON /CCC/H4TBL(40),H3TBL(40)	70
	COMMON /DDD/CFTBL4(34),CFTBL3(34),CFTBL2(34),CFTBL1(34)	80
	DIMENSION T(25),CI1(25),CI2(25),CI3(25),CI4(25),G(25),RHO(25),	90
A	PHOM(25),DWDZ(25),DWDZ0(25),DTDZ(25),DTUZ0(25),GR(25),	100
A	CK4(25)	110
DO 20 J=1,NRINGS		120
CALL UNBAR (AVSZ,1,Z,RAD(J),A,KK)		130
CALL UNBAR (APVSZ,1,Z,RAD(J),AP,KK)		140
CALL UNBAR (DELVSZ,1,Z,RAD(J),DELTA,KK)		150
CALL UNBAR (H4TBL,1,T(J),0.,H4,KK)		160
CALL UNBAR (CFTBL4,1,T(J),0.,CF4,KK)		170
CALL UNBAR (CFTBL3,1,T(J),0.,CF3,KK)		180
CALL UNBAR (CFTBL2,1,T(J),0.,CF2,KK)		190
CALL UNBAR (CFTBL1,1,T(J),0.,CF1,KK)		200
C	CHECK CURRENT Z WITH INJECTOR TIP FOR EACH RING	
	IF (Z-Z0(J)) .LT. 11,12,12	210
11	G(J) = G0(J)+F(J)*Z	220
	GO TO 13	230
12	G(J) = GATZ0(J)	240
	F(J) = 0.	250
13	CFBAR = (CF1*CI1(J)+CF2*CI2(J)+CF3*CI3(J)+CF4*CI4(J))/(CI1(J)+	260
X	CI2(J)+CI3(J)+CI4(J))	270
	EPSLN = -A*G(J)/(5.*RHO(J)*DELTA)	280
	LAMDA = -A*CFBAR*G(J)/(5.*DELTA)	290
C	FIRST AND LAST RINGS ARE SPECIAL CASES	
	IF (J-1) .LT. 1,2,1	300
1	IF (J-NRINGS) .LT. 3,4,3	310
C	STANDARD MODE --- BOTH INWARD AND OUTWARD MIXING	
3	NR1 = EPSLN*(CI1(J)-CI1(J-1))/DR	320
	NR2 = EPSLN*(CI2(J)-CI2(J-1))/DR	330
	NR3 = EPSLN*(CI3(J)-CI3(J-1))/DR	340
	NR4 = EPSLN*(CI4(J)-CI4(J-1))/DR	350
	QR1 = LAMDA*(T(J)-T(J-1))/DR	360
	QRN = (NR1*CF1+NR2*CF2+NR3*CF3+NR4*CF4)*(T(J)-T(J-1))/DR	370
	NRR1 = EPSLN*(CI1(J+1)-CI1(J))/DR	380
	QRR1 = LAMDA*(T(J+1)-T(J))/DR	390
	GO TO 10	400
C	FIRST RING --- OUTWARD MIXING ONLY	
2	NR1 = 0.	410

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NR2 = 0.	420
NR3 = 0.	430
NR4 = 0.	440
QR1 = 0.	450
QRN = 0.	460
NRR1 = EPSLN*(CI1(J+1)-CI1(J))/DR	470
QRR1 = LAMDA*(T(J+1)-T(J))/DR	480
GO TO 10	490
C LAST RING --- INWARD MIXING ONLY	
4 NR1 = EPSLN*(CI1(J)-CI1(J-1))/DR	500
NR2 = EPSLN*(CI2(J)-CI2(J-1))/DR	510
NR3 = EPSLN*(CI3(J)-CI3(J-1))/DR	520
NR4 = EPSLN*(CI4(J)-CI4(J-1))/DR	530
QR1 = LAMDA*(T(J)-T(J-1))/DR	540
QRN = (NR1*CF1+NR2*CF2+NR3*CF3+NR4*CF4)*(T(J)-T(J-1))/DR	550
NRR1 = 0.	560
QRR1 = 0.	570
10 CALL SGRAD (CI1(J),CI2(J),CI3(J),CI4(J),G(J),T(J),GR(J),TGR(J),J)	580
GRAD = GR(J)	590
TGRAD = TGR(J)	600
CK4(J) = KC4	610
W1 = CI1(J)/RHO(J)	620
X DWDZ(J) = (-5*MH2/MNH3*H4*(RHOM(J)*DELTA+AP*KC4*CI4(J)))+1.5*AP*GRAD*	630
X MH2/MNH3*(NR1-NRR1)*DELTA/DR-NRR1*DELTA/RAD(J)-F(J)*W1)	640
X /G(J)	650
X DHDZ = -(F(J)*(H(J)-HF)+AP*TGRAD+DELTA*(H4*RHOM(J)-(GR1-QRR1)/DR)+	660
X QRR1*DELTA/RAD(J)+QRN*DELTA)/G(J)	670
X DTdz(J) = ABS(DHDZ)/CFBAR	680
2A CONTINUE	690
C FIND LARGEST OF DWDZ'S	
CALL ORDER (DWDZ,DWDZ0)	700
C FIND LARGEST OF DTdz'S	
CALL ORDER (DTdz,DTdz0)	710
C CALCULATE NEW DZ	
X DZ1 = .81/DWDZ0(NRINGS)	720
X DZ2 = 30./DTdz0(NRINGS)	730
C TAKE DELTAZ AS THE SMALLER OF DZ1 AND DZ2	
DZ = AMIN1(DZ1,DZ2)	740
RETURN	750
END	760

SUBROUTINE SLOPE (RATE)	0
REAL K	10
COMMON /BLOK2/AP,AP,DELTA,DR,BPA,BON2H4,BONH3,R,CGM,RADIUS,NMAX1,	20
X NMAX2,ALPHA1,ALPHA2,BETA,AGM,BGM,P,ZEND,MH2,MN2,MNH3,MN2H4	30
COMMON /BLOK3/K,KP,KP,KC3,KC4,HF,HL,HV,TF,CF,CFBAR,GAMMA,C4,NRINGS	40
COMMON /MMM/MI	50
DIMENSION K(1), GMMA(1),BETA(1),BPA(1),CG(1),S(210),FST(210),	60
ISLC(210),D(210),CPA(210),CPB(210),E(210),A(1),TERM1(210),	70
TERM2(210),C(210),XXX(210),XOA(210)	80
CG(1)=C4	90
GMMA(1)=GAMMA	100
PRES=P	110
E112=1	120
UIFF=BON2H4	130
IFLAG#0	140
JFLAG = 0	150

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ALLOW = .05	160
FRAUC=.99	170
12 B=0.0	180
702 I=1	190
NOT=0	200
ADIV=100.	210
BDIV=100.	220
TOL=.01	230
STURE=1.0	240
KJ=0	250
HOLD=0.	260
NI=0	270
13 MI=0	280
IL=0	290
IK=0	300
MM=0	310
IM=0	320
F=0.5	330
20 MM=MM+1	340
ADRB/ADIV	350
BDR=(A(I)-B)/BDIV	360
JINT=BDIV	370
INIT=ADIV	380
IF(MM.EQ.1) GO TO 15	390
GO TO 16	400
15 MMA=JINT+1	410
MAX=MMAX-1	420
MINT=0	430
GO TO 17	440
16 MMA=INIT+JINT+1	450
MINT=INIT+1	460
MAX=MMAX-1	470
17 X=0.0	480
DO 40 IJ=1,MMAX	490
IF(IJ.GT.MINT) GO TO 49	500
X=FLOAT(IJ-1)*ADR	510
GO TO 23	520
49 KMJ=IJ-MINT	530
X=B+FLOAT(KMJ)*BDR	540
23 CP=CG(I)*X/(A(I)-B)-(B/(A(I)-B))*CG(I)	550
IF(CP.LT.0.0) CP=0.0	560
C THIS IS THE GENERAL EQUATION FOR A LINE WITH NEGATIVE Y-INTERCEPT	
-24 FACT1=K(I)*(CG(I))**(1.-EN12)*(CP)**EN12	570
EFACT=GMMA(I)*BETA(I)*(1.-CP/CG(I))/(1.+BETA(I)*(1.-CP/CG(I)))	580
IF(EFACT.GT.88.)EFACT=88.	590
FACT2=EXP(EFACT)	600
IF(X).LT.40.37	610
37 RCP=FACT1*FACT2	620
35 S(IJ)=(1./X-1./A(I))*X*X*RCP	630
40 CONTINUE	640
50 SUMD=0.0	650
SUMA=0.0	660
DO 40 IL=2,MAX	670
IF(IL.GT.MINT) GO TO 61	680
SUM=SUM+S(IL)	690
GO TO 60	700
61 SUMA=SUMA+S(IL)	710
60 CONTINUE	720
S(1)=0.	730
SGMA=(S(1)+2.*SUM)*(ADR/(2.*DPA(I)))+(S(MMAX)+2.*SUMA)*(BDR/(2.	740

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```
10*DPA(I))}          750
D2=SGMA-FRAC*CG(I)  760
TOT=D2+TOL*CG(I)   770
IF(MM-1) 110,110,112 780
112 IF(D2)>1,172      790
1 IF(TOT)>2,230,230 800
2 GO TO 115          810
110 IF(IFLAG.EQ.1)GO TO 115 820
1F(D2)>150,115,115 830
115 IF(MM-1)>20,120,140 840
120 XOLD=B           850
U1=D2               860
C CHANGE THE EQUATION OF THE LINE
B=.999999 *A(I)     870
GO TO 20             880
C USE PRECEDING RESULTS TO ESTIMATE B FOR NEW LINE
140 TUMP=B           890
M1=M1+1             900
B=B+(B2/(D2-U1))*(XOLD-B) 910
1741 XOLD=TUMP       920
U1=D2               930
143 IF(M1>20) 145,145,147 940
145 GO TO 20          950
147 IF (JFLAG.EQ.1) GO TO 230 960
B = .9*A(I)         970
JFLAG = 1            980
GO TO 702            990
C INITIAL CHOICE THRU ORIGIN IS SATISFACTORY
150 K0=1              1000
IFLAG=1              1010
X=0.                 1020
C CALCULATE THE VALUE OF THE TWO INTEGRALS FOR ALL DR (101 POINTS)
DO 170 II=1,MMAX      1030
X=FLUAT(II-1)*BDR    1040
CP=CG(I)*X*(A(I)-B)-(B/(A(I)-B))*C0(I) 1050
TERM1(II)=K(I)*(CG(I)**(1.-EN12)*(CP)**EN12 1060
TERM2(II)=EXP(GMMA(I)*BETA(I)*(1.-CP/CG(I))/(1.+BETA(I)*(1.-CP/CG( 1070
II))) )
XXX(II)=X
XOA(II)=XXX(II)/A(I) 1080
RCP=TERM1(II)*TERM2(II) 1090
FST(II)=X*X*RCP      1100
IF(X) 165,170,165      1110
165 SEC(II)=(1./X-1./A(I))*X*X*RCP      1120
170 CONTINUE           1130
C THE TRAPEZOIDAL RULE IS USED TO EVALUATE BOTH INTEGRALS
172 C(1)=0.             1140
173 DO 175 JJ=2,MMAX    1150
IF(JJ.GT.MINT) GO TO 176 1160
C(JJ)=C(JJ-1)+(FST(JJ)+FST(JJ-1))*(ADR/(2.*DPA(I))) 1170
GO TO 175             1180
176 C(JJ)=C(JJ-1)+(FST(JJ)+FST(JJ-1))*(BDR/(2.*DPA(I))) 1190
175 CONTINUE           1200
SEC(1)=0.               1210
D(1) = 0.               1220
DO 180 KK=2,MMAX        1230
IF(KK.GT.MINT) GO TO 179 1240
D(KK)=D(KK-1)+(SEC(KK-1)+SEC(KK))*(ADR/(2.*DPA(I))) 1250
GO TO 180             1260
179 D(KK)=D(KK-1)+(SEC(KK-1)+SEC(KK))*(BDR/(2.*DPA(I))) 1270
                               1280
179 D(KK)=D(KK-1)+(SEC(KK-1)+SEC(KK))*(BDR/(2.*DPA(I))) 1290
```

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180 CONTINUE 130C
C THE VALUE OF CP AT X=0 IS CG -D(101)
E(1)=D(MMAX) 131C
186 CPA(1)=0.0 132C
~~C NEGATIVE VALUES OF CPA(1)=CP(0) CANNOT BE USED~~
C STORE THE CPA(1) VALUE IN CASE A NEW F FACTOR MUST BE USED
184 STORE = CPA(1) 133C
IF(KJ.EQ.1) GO TO 185 134C
IF(IM.EQ.0) GO TO 185 135C
IF(NI.EQ.1) GO TO 368 136C
~~185 SAME=A~~ 137C
DO 190 LL=2,MMAX 138C
IF(LL.GT.MINT) GO TO 188 139C
E(LL)=E(LL-1)-(SEC(LL)+SEC(LL-1))*(DR/(2.*DPA(I))) 140C
SAME=FLOAT(LL-1)*ADR 141C
GO TO 189 142C
~~188 E(I,I)=E(I,I)-(SEC(I,I)+SEC(I,I-1))*(BDR/(2.*DPA(I)))~~ 143C
SAME=SAM+BDK 144C
189 CPA(LL)=CG(I)-((1./SAM)-(1./A(I)))*C(LL)-E(LL) 145C
IF(LL.LT.MINT) CPA(LL)=0.0 146C
IF(CPA(LL).LT.0.0) CPA(LL)=0.0 147C
190 CONTINUE 148C
~~IF(KJ.EQ.1) GO TO 280~~ 149C
X=0. 150C
IF(IM.EQ.0) GO TO 250 151C
IK=1 152C
GO TO 280 153C
C THE NEXT ITERATION USES THE VALUES OF CP JUST CALCULATED
192 DO 200 LI=1,MMAX 154C
IF(LI.GT.MINT) GO TO 195 155C
X=FLOAT(LI-1)*ADR 156C
GO TO 199 157C
195 KJK=LI-MINT 158C
X=B+FLOAT(KJK)*BDR 159C
~~199 CONTINUE~~ 160C
TERM1(LI)=K(I)*(CG(I))**(1.-EN12)*(CPA(LI))**EN12 161C
TERM2(LI)= EXP(GMMA(I)*BETA(I)*(1.-CPA(LI)/CG(I))/(1.+BETA(I)*(1.-
1CPA(LI)/CG(I)))) 162C
XXX(LI)=X 163C
XOA(LI)=XXX(LI)/A(I) 164C
RCP=TERM1(LI)+TERM2(LI) 165C
FST(LI)=X*X*RCP 166C
IF(X>200,200,193) 167C
193 SEC(LI)=(1./X-1./A(I))*X*X*RCP 168C
200 CONTINUE 169C
GO TO 172 170C
~~C THIS IS FOR THE CASE WHERE THE INITIAL GUESS WAS TOO LARGE~~ 171C
230 IF(L.GT..998*A(I)) DERIF=2.6*CG(I)/(A(I)-B) 172C
IF(B.GT..998*A(I)) GO TO 322 173C
C THE RANGE OF X FROM ZERO TO A IS USED
237 X=0. 174C
NI=1 175C
DO 240 NN=1,MMAX 176C
IF(NN.GT.MINT) GO TO 246 177C
X=FLOAT(NN-1)*ADR 178C
GO TO 354 179C
246 KJK=NN-MINT 180C
X=B+FLOAT(KJK)*BDR 181C
~~354 IF(IM.GE.1) GO TO 355~~ 182C
238 CPA(NN)=CG(I)*X/(A(I)-B)-(B/(A(I)-B))*CG(I) 183C

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```
IF(CPB(NN).LT.0.0) CPB(NN)=0.0 1840
353 TERM1(NN)=K(I)*(CG(I))**(1.-EN12)*(CPB(NN))**EN12 1850
TERM2(NN)= EXP(GMMA(I)*BETA(I)*(1.-CPB(NN)/CG(I))/(1.+BETA(I)*(1.- 1860
1CPB(NN)/CG(I)))) 1870
XXX(NN)=X 1880
XOA(NN)=XXX(NN)/A(I) 1890
RCP = TERM1(NN)*TERM2(NN) 1900
FST(NN)=X*X*RCP 1910
IF(X) 240,240,247 1920
247 SEC(NN) = (1./X-1./A(I))*X*X*RCP 1930
248 CONTINUE 1940
GO TO 172 1950
368 DO 370 NL=1,MMAX 1960
CPB(NL)=CPA(NL) 1970
370 CONTINUE 1980
GO TO 165 1990
250 DO 260 IL=1,MMAX 2000
252 CPA(IL)=.5*CPA(IL)+.5*CPB(IL) 2010
260 CONTINUE 2020
IK=0 2030
C THE VALUES OF X AT A AND NEAREST A ARE USED IN FINDING THE DERIVATIVE
280 DERIF=(CG(I)-CPA(MAX))/BDR 2040
IM=IM+1 2050
IF(IM.GT.99,AND.IFLAG.EQ.1)GO TO 701 2060
IF(IM.GT.99)GO TO 328 2070
310 IF(KJ.EQ.1) IK=1 2080
IF(ABS(DERIF-HOLD)-ALLOW*DERIF)3,3,321 2090
3 IF(IK.EQ.1)GO TO 322 2100
321 HOLD=DERIF 2110
IF(KJ.EQ.1) GO TO 192 2120
IF(IK.EQ.1) GO TO 250 2130
GO TO 192 2140
322 RATE=DERIF 2150
777 IF (B.GT..998*A(I)) GO TO 327 2160
327 RETURN 2170
328 PERC=(ABS(DERIF-HOLD)/DERIF)*100. 2180
ALL=100.*ALLOW 2190
GO TO 322 2200
C SIMPLIFIED VERSION DOES NOT "CONVERGE" IN 99 ITERATIONS
C SET B=.000001*A , AND START OVER
701 B=.000001*A(I) 2210
WRITE (6,700) 2220
700 FORMAT (/ 84H INITIAL CHOICE THRU ORIGIN SEEMINGLY OK, BUT RESULTS 2230
X ROTTEN AFTER 99 ITERATIONS .../48H SET X0=.000001*A AND USE MORE 2240
XREFINED TECHNIQUE /)
ADR=B/ADIV 2250
BDR=(A(I)-B)/ADIV 2260
MMAX=INIT+JINT+1 2270
MINT=INIT+1 2280
MAX=MMAX-1 2290
IM=0 2300
KJ=0 2310
GO TO 237 2320
END 2330
2340
```

SUBROUTINE SGRAD (G11,G12,G13,G14,G,T,GRAD,TGRAD,IRING)
C THIS ROUTINE CALCULATES THE CONCENTRATION GRADIENT AT THE SURFACE

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C UF OF THE LOCAL CATALYST PARTICLES
REAL KB,KP,KC3,KC4,MU
COMMON /AAAA/DP3,XA,XOA,CPS
COMMON /BLOK1/F(25),H(25),RAD(25),GATZ0(25),G0(25),Z0(25)
~~COMMON /BLOK2/AP,DELTA,DR,DPAT,DDNH3,R,CGM,RADIUS,NMAX1,~~
X NMAX2,ALPHA1,ALPHA2,BETA,AGM,BGM,P,ZEND,MH2,MN2,MNH3,MN2H4
COMMON /BLOK3/K,KB,KP,KC3,KC4,HF,HL,HV,TF,CF,CFBAR,GAMMA,C4,NRINGS
COMMON /AAA/VISVST(30),TBLVP(68)
COMMON /CCC/H4TBL(40),H3TBL(40)
DIMENSION CPOX(101),PCPOX(101),DX(101),CPX(101),RHET(101)
~~DIMENSION XUBLOK(100)~~
10
20
30
40
50
60
70
80
90
100
C DEFINE DP FUNCTION
DP3F(X,Y,Z) = 14.7*Y/Z*(X/492.)**1.823*(1.-EXP(-.0072*Z*492.)/(
X 14.7*X))
110
120
C DEFINE KC FUNCTION
KCF(A,B,C,D,E) = .61*A/B*(C/(B*D))**-.667*(A/(E*C))**-.41
130
C ANALYTIC INTEGRATION FUNCTIONS FROM INTEGRAL EQUATION
EVAL1(A,B) = B**3/3.-A**3/3.
140
EVAL2(A,B) = B**2/2.-A**2/2.
150
L = 1
160
X0 = 0.
170
WAF1 = .8
180
WAF2 = .2
190
1 LTFLG = 0
200
ALPH2 = ALPHA2
210
D03 = D0NH3
220
D04 = D0N2H4
230
TPSP = 0.
240
N = 1
250
NPART = 50
260
LP1 = 1
270
RHO = CI1+CI2+CI3+CI4
280
DI3 = D03*14.7/P*(T/492.)**1.823
290
DI4 = D04*14.7/P*(T/492.)**1.823
300
CALL UNBAR (VISVST,1,T,0.,MU,KK)
310
KC3 = KCF(G,RHO,MU,DI3,AP)
320
KC4 = KCF(G,RHO,MU,DI4,AP)
330
HC = .74*G*CFBAR*(G/(AP*MU))**-.41
340
C
C LOCATE SUITABLE XU
C
DP3 = DP3F(T,D03,P)
350
C CHOOSE STARTING VALUE FOR CPS TO BE = CI3/2.
CPS = CI3/2.
360
GMCPN = CI3-CPS
370
DCPODX = KC3/DP3*(CI3-CPS)
380
C H4 CONSTANT FOR EACH ENTRY TO THIS ROUTINE
C H3 VARIES WITH TEMP AT EACH ITERATION
CALL UNBAR (H4TBL,1,T,0.,H4,KK)
390
CALL UNBAR (H3TBL,1,T,0.,H3,KK)
400
IF (LP1.EQ.1) GO TO 6
410
40 TPSPP = TPSP
420
TPSP = TPS
430
6 TPS = T-(H4*KC4*CI4+H3*DP3*DCPODX)/HC
440
IF (TPS.LT.0.) TPS=1.
450
8 CALL UNBAR (H3TBL,1,TPS,0.,H3,KK)
460
DP3 = DP3F(TPS,D03,P)
470
DP3P = DP3
480
H3P = H3
490
TMTPN = T-TPS
500

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```
61  GAMMA = BGM/TPS      510
    BLFA = -CPS*H3*DP3/(KP*TPS) 520
    K0 = ALPH2*EXP(-GAMMA)/CI1**1.6 530
C   LINEAR EXTRAPOLATION USED TO GUESS AT X0
    X0P = X0      540
    X0 = A-CPS/DCPDX 550
    X0BLOK(L) = X0 560
    X0A = X0/A 570
    IF (X0) 11,12,12 580
11  X0 = 0. 590
    X0A = A. 600
    CPS = CI3/(DP3/(A*KC3)+1.) 610
    DCPDX = CI3/A 620
    TPS = T-(H4*KC4*CI4+H3*DP3*DCPDX)/HC 630
    IF (TPS.LT.0.) TPS=1. 640
    CALL UNBAR (H3TBL,1,TPS,0.,H3,KK) 650
    DP3 = DP3F(TPS,D03,P) 660
    DP3P = DP3 670
    H3P = H3 680
    TMTPN = T-TPS 690
    GAMMA = BGM/TPS 700
    BETA = -CPS*H3*DP3/(KP*TPS) 710
    K0 = ALPH2*EXP(-GAMMA)/CI1**1.6 720
    WRITE (6,132) LP1,TPS 730
132 FORMAT (//37X,'WE HAVE CALCULATED A NEGATIVE X0 DURING ITERATION' 740
    X00',I3,/,39X,'SET X0 = 0. , CALCULATE TPS =',E11.6,',' , AND CONTINUE' 750
    X ') 760
    GO TO 131 770
C   INTEGRATE FOR CP EQUATION
12  CALL TRAPP (X0A,1.,NPART,RIESUM,CI3) 780
C   CALCULATE NEW CPS ...
    CPSP = CPS 790
    CMCP0 = CMCPN 800
    CPS = CI3-A*KIESUM/KC3 810
    IF (LTFLG-1) 80,84,80 820
80  IF (CPS-(.25*CI3)) 81,81,87 830
81  LTFLG = 1 840
    GO TO 22 850
84  LTFLG = 0 860
    IF (CPS) 89,87,87 870
89  CPS = A. 880
    GO TO 46 890
87  CMCPN = CI3-CPS 900
C   CALCULATE NEW TP
13  DCPDX = KC3/DP3*(CI3-CPS) 910
    GRAD = DCPDX*DP3 920
    TGRAD = HC*(T-TPS) 930
    TPSPP = TPS 940
    TPSP = TPS 950
    TMTP0 = TMTPN 960
51  TPS = T-(H4*KC4*CI4+H3*DP3*DCPDX)/HC 970
    IF (TPS.LT.0.) TPS=1. 980
2   CALL UNBAR (H3TBL,1,TPS,0.,H3,KK) 990
    DP3 = DP3F(TPS,D03,P) 1000
    TMTPN = T-TPS 1010
    GAMMA = BGM/TPS 1020
    BETA = -CPS*H3*DP3/(KP*TPS) 1030
    K0 = ALPH2*EXP(-GAMMA)/CI1**1.6 1040
C   TEST TEMP CONCENTRATION FOR 5% LIMIT
    IF (ABS(TMTP0-TMTPN)/TMTPN - .05) 41,41,43 1050
```

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41 IF (ABS(CMCPO-CMCPN)/CMCPN = .05) 131,131,43 106
C TEST FOR TEMPERATURE LOOP ... COMPARE LAST 3 TEMPS
43 IF (AMIN1(TPS,TPSP,TPSPP) = TPS) 60,71,60 107
60 IF (AMAX1(TPS,TPSP,TPSPP) = TPS) 46,71,46 108
C TEMPERATURE HAS FLUCTUATED ... TAKE AVERAGE AND RECALCULATE CPS
71 TPSPP = TPS 109
TPSP = TPS 110
TMTPO = TMTPN 111
TPS = (TPSP+TPSPP)/2. 112
CALL UNBAR (H3THL,1,TPS,0.,H3,KK) 113
DP3 = DP3F(TPS,DP3,P) 114
DP3P = DP3 115
TMTPN = T-TPS 116
DCPDX = (HC*(T-TPS)-H4*KC4*CI4)/(H3*DP3) 117
CPSM = CPS 118
CMCPO = CMCPN 119
CPS = CI3*DP3/KC3*DCPDX 120
IF (CPS.LT.0.) CPS=0. 121
CMCPN = CI3-CPS 122
LP1 = LP1+1 123
L = L+1 124
IF (LP1=25) 61,61,44 125
C NO CONVERGENCE YET ... AVERAGE THE CPS'S FOR LAST TWO CALC'S AND REPEAT
5 CPS = .2*CPS+.8*CPSP 126
GO TO 53 127
C CALCULATE WEIGHTED AVERAGE OF PRESENT AND PREVIOUS X0
22 X00 = WAF1*X0P+WAF2*X0 128
CPS = CI3/(1.+DP3/(KC3*A-KC3*X0)) 129
53 DCPDX = KC3/DP3P*(C/3-CPS) 130
CMCPN = CI3-CPS 131
H3 = H3P 132
42 LP1 = LP1+1 133
L = L+1 134
IF (LP1=25) 40,40,44 135
44 WAF1 = WAF1+.05 136
IF (WAF1.GT..95) GO TO 99 137
WAF2 = 1.-WAF1 138
C NO CONVERGENCE WITH PRESENT WEIGHTED AVERAGE FACTORS FOR X0 ---
C REPEAT ITERATION PROCEDURE WITH NEW
GO TO 1 139
99 LM1 = L-1 140
WRITE (6,98) 141
98 FORMAT (//120X,'UNABLE TO FIND SUITAB ER FOUR TRIES OF 25 142
XITERATIONS EACH --- PROGRAM STOP FOLLO 143
WRITE (6,96) (XUBLOK(I),I=1,LM1) 144
96 FORMAT (//52X,'X0 VALUES CALCULATED IN SGRADE / (10E13.5)) 145
CALL DUMP 146
C
-C SATISFACTORY X0 HAS BEEN FOUND
C CALCULATE GRADIENT
-C
131 LP2 = 1 147
NX = 24 148
NX1 = NX+1 149
NXM1 = NX-1 150
291 XOA = X0/A 151
VNU = -KC3/DP3 152
INT1 = 1 153
L = 2 154
R1 = 0. 155

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R2 = 0. 1560
PS1 = 0. 1570
PS2 = 0. 1580
DELXOA = (1.-XOA)/FLOAT(NX) 1590

~~CALCULATE PROFILE CURVES FOR INTEGRAND FUNCTIONS~~

XA = XOA 1600
DO 770 I=1,NX1 1610
CP(X/A) IS A LINEAR PROFILE DURING FIRST APPROXIMATION
IF (LP2.GT.1) GO TO 664 1620
CPX(I) = (XA-XOA)/(1.-XOA)*CPS 1630
64 RHET(I) = K0*C13**((I-N)*CPX(I))**N*EXP(GAMMA*BETA*(1.-CPX(I))/C13)) 1640
X (1.+BETA*(1.-CPX(I)/C13)) 1650
DX(I) = XA 1660
XA = XA+DELXOA 1670
70 CONTINUE 1680
TAKE INTERVAL FUNCT'N MIDPTS AS CONSTANT VALUE FOR CP(X/A) AND RHET
DO 771 I=1,NX 1690
CPX(I) = (CPX(I)+CPX(I+1))/2. 1700
RHET(I) = (RHET(I)+RHET(I+1))/2. 1710
71 CONTINUE 1720
XA = XOA+DELXOA 1730
CTRIM = (A*VNU+1.)/(A*VNU) 1740

~~INTEGRAL EQUATION FOLLOWS~~

CP0X(1) IS SPECIAL CASE ... X=XO
DXL = XOA 1750
DXU = DXL+DELXOA 1760
RR1 = 0. 1770
DO 377 I=1,NX 1780
RR1 = RR1+RHET(I)*(EVAL2(DXL,DXU)-CTRIM*EVAL1(DXL,DXU)) 1790
DXL = DXU 1800
DXU = DXU+DELXOA 1810
577 CONTINUE 1820
CP0X(1) = C13-A*A/DP3*RR1 1830
IF (CP0X(1).LT.0.) CP0X(1)=0. 1840

~~SOLVE GENERAL EQUATION OF TWO INTEGRALS FOR CP(X/A)~~

769 DO 772 I=1,INT1 1850
R1 = R1+RHET(I)*EVAL1(XOA,XA) 1860
XOA = XA 1870
XA = XA+DELXOA 1880
772 CONTINUE 1890
R1 = R1*(1./XOA-CTRIM) 1900
XAD = XA 1910
XA = XA-DELXOA 1920
DO 773 I=INT1,NXM1 1930
PS1 = PS1+RHET(I+1)*EVAL2(XA,XAD) 1940
PS2 = PS2+RHET(I+1)*EVAL1(XA,XAD) 1950
XA = XAD 1960
XAD = XAD+DELXOA 1970
773 CONTINUE 1980
R2 = PS1-CTRIM*PS2 1990
INT1 = INT1+1 2000
CP0X(L) = C13-A*A/DP3*(R1+R2) 2010
IF (CP0X(L).LT.0.) CP0X(L)=0. 2020
XOA = X0/A 2030
XA = XOA+DELXOA 2040
L = L+1 2050
R1 = 0. 2060
R2 = 0. 2070
PS1 = 0. 2080
PS2 = 0. 2090

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IF (L,LT,NX) GO TO 769 2100
C CPOX(NX1) IS SPECIAL CASE ... X=A
DXL = X0A 2110
DXU = DXL+DELXOA 2120
RR2 = 0. 2130
DO 378 I=1,NX 2140
RR2 = RR2+RMET(I)*EVAL1(DXL,DXU) 2150
DXL = DXU 2160
DXU = DXU+DELXOA 2170
378 CONTINUE 2180
CPOX(NX1) = CI3-A*A/DP3*(1.-CTRM)*RR2 2190
IF (CPOX(NX1).LT.0.) CPOX(NX1)=0. 2200
C CALCULATE A NEW TPS
DCPDX = KC3/DP3*(CI3-CPOX(NX1)) 2210
H3P = H3 2220
DP3P = DP3 2230
TPS = T-(H4*KC4*C14+H3*DP3*DCPDX)/HC 2240
IF (TPS.LT.0.) TPS=1. 2250
CALL UNBAR (H3TBL,1,TPS,0.,H3,KK) 2260
DP3 = DP3F(TPS,D03,P) 2270
TMTPO = TMTPN 2280
TMTPN = T-TPS 2290
C TWO PASSES NEEDED BEFORE CHECK ON TEMP, CONC CAN BE MADE
33 IF (LP2.EQ.1) GO TO 27 2300
CMCPO = CMCPN 2310
CMCPN = CI3-CPOX(NX1) 2320
IF (ABS(TMTPO-TMTPN) / TMTPN = .05) 26,26,27 2330
26 IF (ABS(CMCPO-CMCPN) / CMCPN = .05) 49,49,27 2340
C CALCULATE NEW CPX(I) PROFILE FOR NEXT PASS
27 DO 55 I=1,NX1 2350
IF (MOD(LP2,5)) 34,57,34 2360
C CALCULATE WEIGHTED AVERAGE OF OLD AVERAGED AND CALCULATED PROFILES
34 CPX(I) = .8*CPX(I)+.2*CPOX(I) 2370
GO TO 50 2380
C AVERAGE PRESENT AND PAST CALCULATED PROFILES EVERY 5TH PASS TO SMOOTH
57 CPX(I) = (CPOX(I)+PCPOX(I))/2. 2390
C STORE PRESENT CALCULATED PROFILE
56 PCPOX(I) = CPOX(I) 2400
55 CONTINUE 2410
CMCPN = CI3-CPX(NX1) 2420
DCPDX = KC3/DP3P*(CI3-CPX(NX1)) 2430
TPS = T-(H4*KC4*C14+H3P*DP3P*DCPDX)/HC 2440
IF (TPS.LT.0.) TPS=1. 2450
CALL UNBAR (H3TBL,1,TPS,0.,H3,KK) 2460
DP3 = DP3F(TPS,D03,P) 2470
TMTPO = TMTPN 2480
TMTPN = T-TPS 2490
LP2 = LP2+1 2500
IF (LP2=50) 29,29,30 2510
30 WRITE (6,18) CPOX(NX1) 2520
18 FORMAT (//,31X,52HUNABLE TO CONVERGE ON CPS IN 50 TRIES ... CP(X/
XA) =,E12.5) 2530
2540
WRITE (6,521) GRAD,TGRAD 2550
522 FORMAT (51X,'KC3*(CI3-CPS) =',E12.5 / 54X,'HC*(T-TPS) =',E12.5) 2560
GO TO 28 2570
29 GAMMA = BGM/TPS 2580
BETA = -CPX(NX1)*H3*DP3/(KP*TPS) 2590
KO = ALPH2*EXP(-GAMMA)/CI1**1.6 2600
GO TO 291 2610
49 GRAD = DCPDX*DP3 2620

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28 TGRAD = MC*(T-TPS) 2630
RET'RN 2640
END 2650

```

C SUBROUTINE TRAPP (U,W,NPART,RIESUM,CI3)
C NUMERICAL INTEGRATION USING TRAPEZOIDAL METHOD
      REAL K0,KC3
      COMMON /RAAA/DP3,X0,XOA,CPS
      COMMON /BLOK2/A,AP,DELTA,DR,DPA,D0N2H4,D0NH3,R,CGM,RADIUS,NMAX1,
      X NMAX2,ALPHA1,ALPHA2,BETA,AGM,BGM,P,ZEND,MH2,MN2,MNH3,MN2H4
      COMMON /BLOK3/K,K0,KP,KC3,KC4,HF,HL,HV,TF,CF,CFBAR,GAMMA,C4,NRINGS
C DEFINE RHET FOR VARIABLE CP,CPS,TP
      RHETF(A,B,C,D,E,N) = E*A***(1-N)*B**N*EXP(C*D*(1.-B/A)/(1.+D*(1.-
      A/A)))
C FUNCTIONS DEFINING INTEGRANDS
      FOXI1(X,R)=X**2*R
C FUNCTION DEFINING CP(X) FOR RHET FUNCTION
C CP(X) IS ASSUMED TO VARY LINEARLY WITH X
      CPAF(X,Y,Z)=(X-Y)/(1.-Y)*Z
      NPART=1
      PART=NPART
      D=(W-U)/PART
      UPH=U+D
      SUM=0.
      CPX1=CPXF(U,XOA,CPS)
      CPX2=CPXF(W,XOA,CPS)
      RHET1=RHETF(CI3,CPX1,GAMMA,BETA,K0,1)
      RHET2=RHETF(CI3,CPX2,GAMMA,BETA,K0,1)
C CALCULATE FIRST, LAST TERMS OF RIEMANN SUM FIRST
      4 TRM1=FOXI1(U,RHET1)/2.
      TRM2=FOXI1(W,RHET2)/2.
      6 DO H I=1,N
      CPAF=CPAF(UPH,XOA,CPS)
      RHET = RHETF(CI3,CPA,GA,BA,K0,1)
      SUM=SUM+FOXI1(UPH,RHET)
      UPH=UPH+D
      8 CONTINUE
      9 RIESUM=D*(TRM1+SUM+TRM2)
      99 RETURN
      END

```

```

      SUBROUTINE UNBAR(T,IK,XIN,YIN,ZZ,KK)          0
      DIMENSION T(1),X(6),Y(6),A(6)
C
C----- MARCH 4, 1961 -----
C----- MODIFIED 7/62 -----
C----- TO DO QUADRATIC AND LINEAR INTERPOLATION ALSO -----
C
      II = IK+1                                     20
      N = 3                                         30
      N2= 2                                         40
      IF (T(II)-3.) 700,701,702                   50
      700   IF (T(II)+0.) 60,701,704               60
      704   IF (T(II)-2.) 705,706,701             70

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705	N = 1	80
	GO TO 707	90
706	N = 2	100
707	N2= 1	110
701	II = II+1	120
702	N1 = N +1	130
	DO 50 L = II,II	140
	IF (T(L) + 0.) 60,60,51	150
60	KK = -1	160
	ZL = 0.	170
	60 TO 9999	180
51	NX = T(L)	190
	IF (T(L+1) + 0.) 60,52,50	200
52	NY = 0	210
	60 TO 53	220
50	NY = T(L+1)	230
53	CONTINUE	240
	KK = 0	250
	KY = 0	260
	XX = X1N	270
	YY = Y1N	280
	J1 = II+2	290
	J2 = NX+II+1	300
	IF(XX-T(J1))301,306,401	310
400	DO 302 J=J1,J2	320
	IF (XX-T(J)) 304,304,302	330
302	CONTINUE	340
309	KK = 2	350
	XX = T(J2)	360
308	JX1 = J2-N	370
	60 TO 305	380
301	KK = 1	390
	X1 = T(J1)	400
306	JX1 = J1	410
	60 TO 305	420
304	IF (J-J1-1) 301,306,307	430
307	IF (J-J2) 303,308,309	440
303	JX1 = J-N2	450
305	CONTINUE	460
	XINT = XX	470
	IF (NY) 1500, 150A, 3000	480
1500	DO 1599 L=1,N1	490
	X(L) = T(JX1)	500
	LY = JX1 + NX	510
	Y(L) = T(LY)	520
1599	JX1 = JX1+1	530
	I = 1	540
	GO TO 54	550
3000	J1 = J1+NX	560
	J2 = J2+NY	570
	IF(YY-T(J1))311,316,401	580
401	DO 312 J=J1,J2	590
	IF (YY-T(J)) 314,314,312	600
312	CONTINUE	610
319	KY = -6	620
	YY = T(J2)	630
318	JY1 = J2-N	640
	60 TO 315	650
311	KY = 3	660
	YY = T(J1)	670

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316	JY1 = J1	680
	GO TO 315	690
314	IF (J=J1-1) 311,316,317	700
317	IF (J-J2) 313,318,319	710
313	JY1 = J-N2	720
315	CONTINUE	730
	JX2 = JX1	740
	LY = JY1 + NY*(JX2-I1-1)	750
	LY1 = LY	760
	DO 3099 L=1,N1	770
	X(L) = T(JX2)	780
	Y(L) = T(LY1)	790
	LY1 = LY1+NY	800
3094	JX2 = JX2+1	810
	I = 0	820
	GO TO 54	830
3090	Y(I) = ZZ	840
	DO 4400 I=1,N	850
	LY1 = LY+I	860
	Y(I+1) = 0.	870
	DO 4050 MM=1,N1	880
	Y(I+1) = Y(I+1) + T(LY1)*X(MM)	890
4050	LY1 = LY1+NY	900
4400	CONTINUE	910
	DO 4199 L=1,N1	920
	X(L) = T(JY1)	930
4199	JY1 = JY1+1	940
	XIN1 = YY	950
	I = 1	960
54	D = 1.	970
	X(N+2) = X(1)	980
	A(N+3) = X(2)	990
	DO 55 J=1,N1	1000
	A(J+1) = X(J+1) - X(J)	1010
	TPAL1 = XINT - X(J)	1020
	IF (TPAL1) 57,58,57	1030
58	ZZ = Y(J)	1040
	X(1) = 0.	1050
	X(2) = 0.	1060
	A(3) = 0.	1070
	X(4) = 0.	1080
	X(5) = 1.0	1090
	GO TO 59	1100
57	D = D * TPAL1	1110
	GO TO (711,712,713),N	1120
711	X(J) = TPAL1/A(J+1)	1130
	GO TO 55	1140
712	X(J) = -TPAL1	1150
	GO TO 55	1160
713	X(J) = (X(J+2)-X(J))*TPAL1	1170
55	CONTINUE	1180
	A(1) = A(N+2)	1190
	ZZ = 0.	1200
	DO 56 J=1,N1	1210
	A(J) = D/(A(J)*A(J+1)* X(J))	1220
	ZZ = ZZ + Y(J)* X(J)	1230
56	CONTINUE	1240
59	IF (I) 3098,3098,9999	1250
9999	KK = KK+KY	1260
	RETURN	1270

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END

1280

BLOCK DATA										0
C	BLOCK DATA FOR VISCOSITY VS TEMPERATURE									10
COMMON /AAA/VISVST(30),TBLVP(68)										20
DATA (VISVST(I),I=1,30) / 0., 1., 13., 0.,										
C	TEMPERATURES									
X	340.	, 540.	, 720.	, 900.	, 1080.	, 1260.	, 1440.	,	30	
X	1620.	, 1800.	, 1980.	, 2160.	, 2340.	, 2520.	,		40	
C	VISCOSITIES									
X	.048 E-4	, .070 E-4	, .093 E-4	, .117 E-4	, .141 E-4	, .164 E-4	, .186 E-4	,	50	
X	.207 E-4	, .228 E-4	, .247 E-4	, .266 E-4	, .285 E-4	, .302 E-4	/		60	
C	BLOCK DATA FOR VAPOR PRESSURE AS FUNCTION OF TEMPERATURE									
DATA (TBLVP(I),I=1,68) / 0., 1., 32., 0.,										70
C	TEMPERATURES									
X	492.	, 519.	, 528.4	, 529.1	, 534.6	, 534.7	, 538.8	, 543.9	80	
X	545.7	, 560.2	, 570.0	, 579.3	, 579.5	, 595.3	, 610.1	, 614.1	90	
X	618.1	, 627.5	, 628.8	, 645.7	, 650.8	, 665.6	, 675.0	, 692.4	100	
X	697.5	, 744.0	, 798.0	, 852.0	, 942.0	, 1032.0	, 1122.0	, 1176.0	110	
C	VAPOR PRESSURES									
X	.052	, .148	, .201	, .207	, .240	, .282	, .292	, .354	,	120
X	.545	, .737	, .973	, .982	, 1.51	, 2.20	, 2.46	, 2.74	,	130
X	3.41	, 3.56	, 5.24	, 5.97	, 8.07	, 9.71	, 11.91	, 13.46	,	140
X	14.70	, 33.81	, 73.48	, 147.	, 382.	, 823.	, 1528.	, 2131.	,	150
END										160

BLOCK DATA										0
C	BLOCK DATA FOR SPECIFIC HEAT VS TEMPERATURE									10
COMMON /BBB/CFTBL4(34),CFTBL3(34),CFTBL2(34),CFTBL1(34)										20
DATA (CFTBL1(I),I=1,34) / 0., 1., 15., 0.,										
C	TEMPERATURES									
X	540.	, 720.	, 900.	, 1080.	, 1260.	, 1440.	, 1620.	, 1800.	,	30
X	1980.	, 2160.	, 2340.	, 2520.	, 2700.	, 2880.	, 3060.	,		40
C	SPECIFIC HEATS									
X	3.4194	, 3.4596	, 3.4685	, 3.4765	, 3.4899	, 3.5151	, 3.5454	, 3.5006	,	50
X	3.6208	, 3.6654	, 3.7150	, 3.7696	, 3.8291	, 3.8802	, 3.9288	/		60
DATA (CFTBL2(I),I=1,34) / 0., 1., 15., 0.,										70
C	TEMPERATURES									
X	540.	, 720.	, 900.	, 1080.	, 1260.	, 1440.	, 1620.	, 1800.	,	80
X	1980.	, 2160.	, 2340.	, 2520.	, 2700.	, 2880.	, 3060.	,		90
C	SPECIFIC HEATS									
X	.2485	, .2495	, .2524	, .2569	, .2624	, .2682	, .2738	, .2790	,	100
X	.2836	, .2878	, .2914	, .2946	, .2974	, .2998	, .3019	/		110
DATA (CFTBL3(I),I=1,34) / 0., 1., 15., 0.,										120
C	TEMPERATURES									
X	540.	, 720.	, 900.	, 1080.	, 1260.	, 1440.	, 1620.	, 1800.	,	130
X	1980.	, 2160.	, 2340.	, 2520.	, 2700.	, 2880.	, 3060.	,		140
C	SPECIFIC HEATS									
X	.5005	, .5424	, .5891	, .6344	, .6773	, .7176	, .7553	, .7905	,	150
X	.8236	, .8541	, .8823	, .9075	, .9304	, .9512	, .9697	/		160
DATA (CFTBL4(I),I=1,34) / 0., 1., 15., 0.,										170
C	TEMPERATURES									
X	540.	, 720.	, 900.	, 1080.	, 1260.	, 1440.	, 1620.	, 1800.	,	180
X	1980.	, 2160.	, 2340.	, 2520.	, 2700.	, 2880.	, 3060.	,		190

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SPECIFIC HEATS

X .3804 , .4601 , .5261 , .5784 , .6212 , .6577 , .6899 , .7185 ,	200
X .7442 , .7673 , .7879 , .8063 , .8226 , .8373 , .8503 ,	210
END	220

BLOCK DATA

BLOCK DATA FOR HEAT OF REACTION VS TEMPERATURE

COMMON /CCC/M4TBL(40),M3TBL(40)	10
DATA (M4TBL(I),I=1,40) / 0., 1., 18., 0.,	20

TEMPERATURES

X 180. , 360. , 536.4 , 540. , 720. , 900. , 1080. ,	30
X 1260. , 1440. , 1620. , 1800. , 1980. , 2160. , 2340. ,	40
X 2520. , 2700. , 2880. , 3060. ,	50

HEATS OF REACTION

X-1951.02,-1919.50,-1896.04,-1895.70,-1882.55,-1878.12,-1879.46,	60
X-1684.63,-1892.38,-1901.94,-1912.88,-1924.85,-1937.54,-1950.74,	70
X-1464.45,-1978.32,-1992.36,-2006.62 ,	80

DATA (M3TBL(I),I=1,40) / 0., 1., 18., 0.,	90
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TEMPERATURES

X 180. , 360. , 536.4 , 540. , 720. , 900. , 1080. ,	100
X 1260. , 1440. , 1620. , 1800. , 1980. , 2160. , 2340. ,	110
X 2520. , 2700. , 2880. , 3060. ,	120

HEATS OF REACTION

X1055.57 ,1103.97 ,1159.35 ,1160.40 ,1213.46 ,1259.64 ,1298.00 ,	130
X1329.71 ,1355.28 ,1375.57 ,1391.11 ,1402.52 ,1410.13 ,1414.57 ,	140
X1416.37 ,1416.05 ,1414.15 ,1410.56 ,	150

END	160
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BLOCK DATA

COMMON /DAVTBL/VPTBL(44)	0
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BLOCK DATA TABLE OF VAPOR PRESSURE VS TEMP (USED TO FIND TVAP)	10
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DATA (VPTBL(I),I=1,44) / 0. , 1. , 20. , 0. ,	20
X 50. , 100. , 150. , 200. , 250. , 300. , 350. , 400. ,	30
X 450. , 500. , 550. , 600. , 650. , 700. , 750. , 800. ,	40
X 850. , 900. , 950. , 1000. ,	50
X 770. , 820. , 855. , 880. , 905. , 925. , 945. , 965. ,	60
X 980. , 995. , 1010. , 1025. , 1035. , 1050. , 1060. , 1070. ,	70
X 1080. , 1090. , 1100. , 1110. ,	80

END	90
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BLOCK DATA

COMMON /LIZTBL/DHVST(18),DHLVST(18)	0
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BLOCK DATA TABLES FOR DELHV AND DHLHV VS TEMP (USED TO FIND HV)	10
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DATA (LHVST(I),I=1,18) / 0. , 1. , 7. , 0. ,	20
X 180. , 360. , 534.6 , 540. , 720. , 900. , 1080. ,	30
X 1390.16 , 1332.82 , 1280.02 , 1279.12 , 1237.79 , 1208.80 ,	40
X 1189.76 ,	50

DATA (DHLVST(I),I=1,18) / 0. , 1. , 7. , 0. ,	60
X 180. , 360. , 534.6 , 540. , 720. , 900. , 1080. ,	70
X 652.14 , 665.96 , 679.61 , 679.89 , 700.89 , 733.19 , 777.22 ,	80

X /	90
END	100