

Estimating the Empirical Cost Function of Routines with Dynamic Workloads

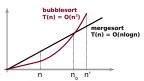
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February 18, 2014

Performance Scalability Analysis



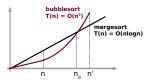
Theory: **Asymptotic Analysis**



Performance Scalability Analysis



Theory: **Asymptotic Analysis**





Practice: Performance Profiling

%time	%self	%children	function	
99.9	2.00	16.29	main	
52.2	5.82	3.70	foo	
31.3	2.81	2.90	bar	
20.3	3.70	0.00	foobar	

Performance Scalability Analysis



Theory: **Asymptotic Analysis**

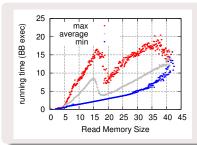


Practice: Performance Profiling

bubblesort T(n) = O(n²)	
mergesort T(n) = O(nl	ogn)
n n n'	



%time	%self	%children	function
99.9	2.00	16.29	main
52.2	5.82	3.70	foo
31.3	2.81	2.90	bar
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Our goal:

Predicting how code scales w.r.t. its workload size

Analyzing the scalability of routines

A possible solution:

Ohoose workloads of increasing sizes

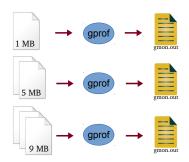


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Analyzing the scalability of routines

A possible solution:

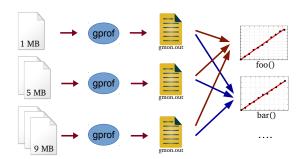
- Choose workloads of increasing sizes
- For each workload: run your application under gprof



Analyzing the scalability of routines

A possible solution:

- Choose workloads of increasing sizes
- For each workload: run your application under gprof
- Plot and analyze the results



Drawbacks of gprof-like experiments

Need to have different workloads for different routines:

application's workload \neq routine's workloads

Wrong assumptions can easily lead to misleading conclusions:



See case studies in [CDF12]

Workload-dependent profiling

Recent works investigate how an application's performance scales as a function of its input data:

Main sources of dynamic workloads

	Input Size Estimation	I/O & Syscall	Thread Intercom
	input Size Estillation	1/0 & Systall	Tilleau ilitercolli.
GAW07 Manual			
ZH12	Automatic	No	No
CDF12	Automatic	No	No

- GAW07 Goldsmith, Aiken, and Wilkerson, Measuring empirical computational complexity, ESEC/FSE 2007
 - ZH12 Zaparanuks and Hauswirth, Algorithmic profiling, PLDI 2012
 - CDF12 Coppa, Demetrescu, and Finocchi, Input-Sensitive Profiling, PLDI 2012

Dynamic workloads are ubiquitous!

Many routines dynamically receive input values during their activations:

- Thread intercommunications: e.g., producer-consumer pattern
- I/O operations via syscalls: e.g., buffered read operations

If ignoring dynamic workloads, then input size estimation may be wrong



analysis of profiling data may be misleading

Our contribution

Main sources of dynamic workloads

		,	•
	Input Size Estimation	I/O & Syscall	Thread Intercom.
GAW07	Manual		
ZH12	Automatic	No	No
CDF12	Automatic	No	No
CDFM14	Automatic	Yes	Yes

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Estimating the input size: previous approaches

[ZH12] Input size \approx Size of (Java) Data Structures

Input size definition depends on the specific data structure (e.g., if array, then array size). Not suitable for low-level programming languages.

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[CDF12] Input size \approx Read memory size (RMS)

Read memory size of an execution of a routine r

number of distinct memory cells first accessed by r (or by a descendant of r in the call tree) with a read operation

This work extends the RMS metric

```
call f
   read x
   write y
   call g
       read x
       read y
       read z
       write w
       return
   read w
   return
```

Fn	Accessed cells (first-read green)	RMS

```
call f
   read x
   write y
   call g
       read x
       read y
       read z
       write w
       return
   read w
```

Fn	Accessed cells (first-read green)	RMS
f		

call f

read x

write y

call g

read x

read y

read z

write w

return

read w

Fn	Accessed cells (first-read green)	RMS
f	x	1

```
call f
   read x
   write y
   call g
       read x
       read y
       read z
       write w
       return
   read w
```

Fn	Accessed cells (first-read green)	RMS
f	х у	1

```
call f
read x
write y

call g
read x
read y
read z
write w
return
read w
```

Fn	Accessed cells (first-read green)	RMS
f	х у	1
g		

```
call f
read x
write y
call g
read x
read y
read z
write w
return
read w
```

Fn	Accessed cells (first-read green)	RMS
f	х у	1
g	x	1

```
call f
read x
write y
call g
read x
read y
read z
write w
return
read w
```

Fn	Accessed cells (first-read green)	RMS
f	х у	1
g	ху	2

```
call f
read x
write y
call g
read x
read y
read z
write w
return
read w
```

Fn	Accessed cells (first-read green)	RMS	
f	x y z	2	
g	x y z	3	

```
call f
read x
write y
call g
read x
read y
read z
write w
return
read w
```

Fn	Accessed cells (first-read green)	RMS
f	x y z w	2
g	xyz w	3

```
call f
read x
write y
call g
read x
read y
read z
write w
return
read w
```

Fn	Accessed cells (first-read green)	RMS	
f	x y z w	2	
g	x y z w	3	

```
call f
read x
write y
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read x
read y
read z
write w
return
```

Fn	Accessed cells (first-read green)	RMS
f	x y z w	2
g	x y z w	3

→ read w

```
call f
read x
write y
call g
read x
read y
read z
write w
return
read w
```

Fn	Accessed cells (first-read green)	RMS
f	x y z w	2
g	xyz w	3

When RMS does not work: an example

Multithreading may be an issue: gets a value produced by another thread $\frac{\text{call f read x return}}{T_1}$

 $RMS_f = 1$, but actual input size is 2!

RMS fails to properly characterize the input size of routine activations under dynamic workloads

From RMS to Dynamic Read Memory Size (DRMS)

r = routine activation

t = thread

 $\ell = \mathsf{memory} \mathsf{location}$

A read operation on ℓ is:

First-read

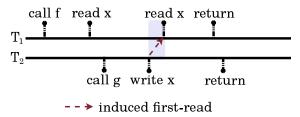
if ℓ has never been accessed before by r or by any of its descendants in the call tree of thread t.

Induced first-read

if no previous access to ℓ has been made by t since the latest write to ℓ performed by a thread different from t, if any.

Induced first-read example

 T_1 did not access location x since the latest write to x performed by T_2



The second read x is an induced first-read

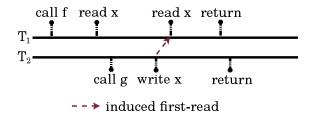
Dynamic Read Memory Size (DRMS)

Input size ≈ Dynamic Read Memory Size

 $DRMS_{r,t} := \# \text{ of first-reads or induced first-reads}$

Notice that:

$$\mathsf{RMS}_{r,t} := \# \text{ of first-reads}$$



First read x: first-read

Second read x: induced first-read



 $\mathsf{DRMS}_{f,T_1} = 2$

These kinds of patterns occur frequently in real applications

Pattern 1: producer-consumer

always the same procedure consumer() procedure producer() memory location 1: while (1) do 1: while (1) do across iterations! wait(empty) wait(full) 2: 3: wait(mutex) wait(mutex) 3: 4: consumeData (x)4: x = produceData()signal(mutex) signal(mutex) 5: 5: signal(full) 6: 6: signal(empty)

When producer has generated n values:

$$RMS_{consumer} = 1$$
 while $DRMS_{consumer} = n$

Pattern 2: data streaming

procedure streamReader()

- 1: **for** i = 1 to n **do**
- 2: fill x with external data from the network
- 3: consumeData(x)

always the same memory location across iterations!

At the end of the execution:

$$RMS_{streamReader,t} = 1$$

while

$$DRMS_{streamReader,t} = n$$





r= routine activation t= thread $\ell=$ memory location $\ell=$ set of locations accessed by r=

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$\mathtt{read}_t(\ell)$	if $\ell \not\in L_{r,t}$ then DRMS _{r,t} ++	
	$L_{r,t} \leftarrow L_{r,t} \cup \{\ell\}$	
$write_t(\ell)$ $L_{r,t} \leftarrow L_{r,t} \cup \{\ell\}$		
$\mathtt{write}_{t'}(\ell),\ t' eq t$	$L_{r,t} \leftarrow L_{r,t} \setminus \{\ell\}$	

```
r= routine activation t= thread \ell= memory location t= thread t= set of locations accessed by t=
```

$\mathtt{read}_t(\ell)$		if $\ell \not\in L_{r,t}$ then DRMS _{r,t} ++		
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'	$ ext{write}_{t'}(\ell)$, $t' eq t$	$L_{r,t} \leftarrow L_{r,t} \setminus \{\ell\}$		

Repeat for all pending rtn activations in the call stack

```
r = routine activation
                                           t = thread
                                           L_{r,t} = \text{set of locations accessed by } r
\ell = \mathsf{memory} \mathsf{location}
```

$\mathtt{read}_t(\ell)$		if $\ell \not\in L_{r,t}$ then DRMS _{r,t} ++		
		$L_{r,t} \leftarrow L_{r,t} \cup \{\ell\}$		
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- Repeat for all pending rtn activations in the call stack
 Repeat for all rtn activations in any stack

$$r=$$
 routine activation $t=$ thread $\ell=$ memory location $L_{r,t}=$ set of locations accessed by r

$\mathtt{read}_t(\ell)$	if $\ell \not\in L_{r,t}$ then DRMS _{r,t} ++	
	$L_{r,t} \leftarrow L_{r,t} \cup \{\ell\}$	
$\mathtt{write}_t(\ell)$	$L_{r,t} \leftarrow L_{r,t} \cup \{\ell\}$	
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- Repeat for all pending rtn activations in the call stack
- Repeat for all rtn activations in any stack (on a write)

$$O\left(\sum_{t \in \mathit{Threads}} |\mathit{Stack}_t|\right) \qquad O\left(\sum_{t \in \mathit{Threads}} \cdot \sum_{r \in \mathit{Stack}_t} |L_{r,t}|\right)$$
 time per access current memory footprint

Computing DRMS efficiently

Our solution based on:

- a timestamp algorithm
- a global shadow memory
- thread-private shadow memory for each thread
- periodic global renumbering algorithm

time per access:

 $O(\log |S_{currentThread}|)$

memory footprint:

$$O\left(\sum_{t \in Threads} |accessed locations by t|\right)$$

Details in the paper

Implementation

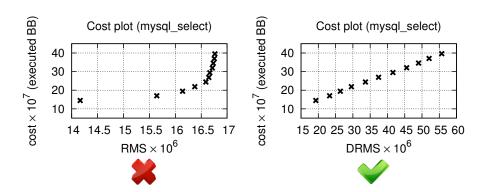


aprof-drms is based on the Valgrind framework, a dynamic instrumentation infrastructure that translates the binary code into an architecture-neutral intermediate representation (VEX)

Events	Instrumentation	Data structures
memory accesses	easy	shadow memory
threads	easy	thread state
function calls/returns	hard	shadow stack
system calls	easy	shadow memory

A case study on MySQL

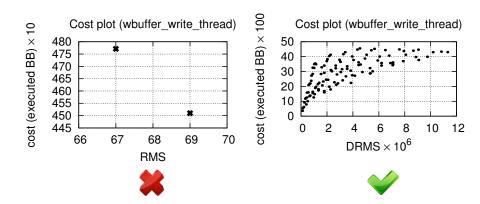
Repeating a select query on tables of increasing sizes:



RMS may be misleading with I/O bound or multithreaded applications!

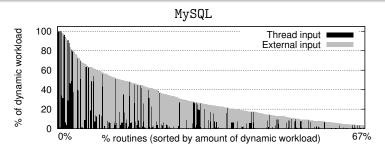
A case study on vips

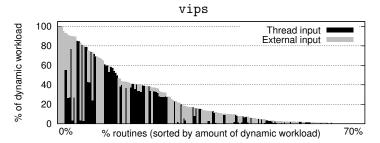
Processing some images of increasing sizes:



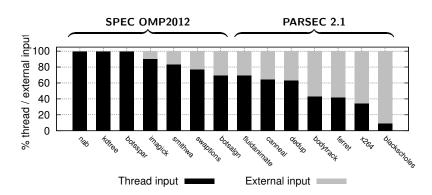
DRMS tipically yields richer profiles than RMS

Routine-by-routine thread and external input



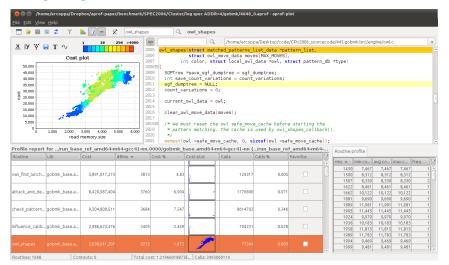


Characterization of induced first-reads



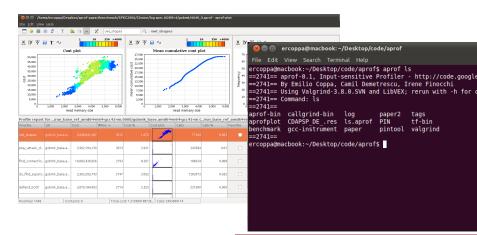
Advertisement $\stackrel{\bullet}{\circ}$

aprof-plot: interactive graphical viewer for aprof profiles



Thanks!

Download aprof at: http://code.google.com/p/aprof/



Slowdown & space overhead

Both benchmark suites were set up for running 4 threads:

	memcheck	helgrind	aprof	aprof-drms
Slowdown (Geom. Mean)				
SPEC OMP	94.1×	179.4×	101.5×	140.8×
PARSEC 2.1	51.8×	153.3×	57.1×	68.2×
Space overhead (Geom. Mean)				
SPEC OMP	2.0×	4.5×	2.8×	3.3×
PARSEC 2.1	2.9×	8.4×	4.6×	6.1×

- All tools suffer Valgrind serialization
- aprof-drms delivers comparable perfomance wrt other Valgrind tools