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# SUPPORTING INFORMATION TEXT S1
#~~~~~~*#
# Author: Brian Lee
# This script is used for dataset generation for
# the manuscript "Weight trimming and propensity score weighting"
# in PLoS ONE 2011.
# The study design is based on methods printed in
# Setoguchi et al., "Evaluating uses of data mining
# techniques in propensity score estimation: a
# simulation study." Pharmacoepi Drug Saf 2008.
#~~~~~~~~~~~~~~Functions~~~~~~~~~~~~~~~~~~
# function: generate continuous random variable correlated to variable x by rho
# invoked by the "F.generate" function
# Parameters -
    x - data vector
    rho - correlation coefficient
# Returns -
    a correlated data vector of the same length as x
   F.sample.cor <- function(x, rho) {
            y \leftarrow (rho * (x - mean(x)))/sqrt(var(x)) + sqrt(1 - rho^2) * rnorm(length(x))
            \#cat("Sample corr = ", cor(x, y), "\n")
            return(y)
# function: generate simulation datasets
# inputs: sample size N, scenario
# outputs: 1 dataset of size N
    # binary variables: w1, w3, w5, w6, w8, w9
    # continous variables: w2, w4, w7, w10
    # confounders: w1, w2, w3, w4
    # exposure predictors only: w5, w6, w7
    # outcome predictors only: w8, w9, w10
   \# correlations: (w1, w5) = 0.2, (w2, w6) = 0.9, (w3, w8) = 0.2, (w4, w9) = 0.9
   F.generate <- function(size, scenario) {</pre>
        w1 <- rnorm(size, mean=0, sd=1)</pre>
        w2 <- rnorm(size, mean=0, sd=1)</pre>
        w3 <- rnorm(size, mean=0, sd=1)
        w4 <- rnorm(size, mean=0, sd=1)
        w5 \leftarrow F.sample.cor(w1, 0.2)
        w6 <- F.sample.cor(w2, 0.9)</pre>
        w7 <- rnorm(size, mean=0, sd=1)
        w8 <- F.sample.cor(w3, 0.2)
        w9 \leftarrow F.sample.cor(w4, 0.9)
        w10 <- rnorm(size, mean=0, sd=1)
     #~~ dichotomize variables (will attenuate correlations above)
        w1 \leftarrow ifelse(w1 > mean(w1), 1, 0)
        w3 \leftarrow ifelse(w3 > mean(w3), 1, 0)
        w5 \leftarrow ifelse(w5 > mean(w5), 1, 0)
        w6 \leftarrow ifelse(w6 > mean(w6), 1, 0)
        w8 \leftarrow ifelse(w8 > mean(w8), 1, 0)
        w9 < -ifelse(w9 > mean(w9), 1, 0)
     #~~ scenarios for data generation models
        # A: model with additivity and linearity
        # B: mild non-linearity
        # C: moderate non-linearity
        # D: mild non-additivity
        # E: mild non-additivity and non-linearity
        # F: moderate non-additivity
        # G: moderate non-additivity and non-linearity
    # binary exposure modeling
        if (scenario == "A") {
            z.a_trueps < -(1 + exp(-(0 + b1*w1 + b2*w2 + b3*w3 + b4*w4 + b5*w5 + b6*w6 + b7*w7))
        if (scenario == "B") {
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z.a_trueps < -(1 + exp(-(0 + b1*w1 + b2*w2 + b3*w3 + b4*w4 + b5*w5 + b6*w6 + b7*w7)
               + b2*w2*w2) )^{-1}
            } else
       if (scenario == "C") {
           z.a\_trueps \leftarrow (1 + exp(-(0 + b1*w1 + b2*w2 + b3*w3 + b4*w4 + b5*w5 + b6*w6 + b7*w7)
               + b2*w2*w2 + b4*w4*w4 + b7*w7*w7))^{-1}
            } else
       if (scenario == "D") {
            z.a trueps <-(1 + \exp(-(0 + b1*w1 + b2*w2 + b3*w3 + b4*w4 + b5*w5 + b6*w6 + b7*w7)
               + b1*0.5*w1*w3 + b2*0.7*w2*w4 + b4*0.5*w4*w5 + b5*0.5*w5*w6) ))^{-1}
            } else
       if (scenario == "E") {
            z.a_{trueps} \leftarrow (1 + exp(-(0 + b1*w1 + b2*w2 + b3*w3 + b4*w4 + b5*w5 + b6*w6 + b7*w7)
                + b2*w2*w2 + b1*0.5*w1*w3 + b2*0.7*w2*w4 + b4*0.5*w4*w5 + b5*0.5*w5*w6)))^{-1}
            } else
       if (scenario == "F") {
            z.a\_trueps \leftarrow (1 + exp(-(0 + b1*w1 + b2*w2 + b3*w3 + b4*w4 + b5*w5 + b6*w6 + b7*w7)
                + b1*0.5*w1*w3 + b2*0.7*w2*w4 + b3*0.5*w3*w5 + b4*0.7*w4*w6 + b5*0.5*w5*w7
                + b1*0.5*w1*w6 + b2*0.7*w2*w3 + b3*0.5*w3*w4 + b4*0.5*w4*w5 + b5*0.5*w5*w6) ))^{-1}
            } else
        # scenario G
           z.a_trueps < -(1 + exp(-(0 + b1*w1 + b2*w2 + b3*w3 + b4*w4 + b5*w5 + b6*w6 + b7*w7)
               + b2*w2*w2 + b4*w4*w4 + b7*w7*w7 + b1*0.5*w1*w3 + b2*0.7*w2*w4 + b3*0.5*w3*w5
               + b4*0.7*w4*w6 + b5*0.5*w5*w7 + b1*0.5*w1*w6 + b2*0.7*w2*w3 + b3*0.5*w3*w4
               + b4*0.5*w4*w5 + b5*0.5*w5*w6) ) ^-1
       # probability of exposure: random number betw 0 and 1
        # if estimated true ps > prob.exposure, than received exposure (z.a=1)
           prob.exposure <- runif(size)</pre>
            z.a <- ifelse(z.a_trueps > prob.exposure, 1, 0)
       # continuous outcome modeling
           y.a < -a0 + a1*w1 + a2*w2 + a3*w3 + a4*w4 + a5*w8 + a6*w9 + a7*w10 + g1*z.a
        # create simulation dataset
           sim <- as.data.frame(cbind(w1, w2, w3, w4, w5, w6, w7, w8, w9, w10, z.a, y.a))
           return(sim)
    }
#~~~~Global Variables~~~~~**
    #~~ coefficients for data generation models
       b0 <- 0
       b1 < -0.8
       b2 < -0.25
       b3 <- 0.6
       b4 < -0.4
       b5 <- -0.8
       b6 < -0.5
       b7 < -0.7
       a0 < -3.85
       a1 <- 0.3
       a2 < -0.36
       a3 < -0.73
       a4 < -0.2
       a5 < -0.71
       a6 <- -0.19
       a7 <- 0.26
       g1 < -0.4 \# effect of exposure
#~~~~~~~#
    # this generates datasets
   # Example: Generate 1000 datasets of N=500 in scenario G
   simdata <- replicate(1000, F.generate(500, "G"))</pre>
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