

Figure 1: The bottom flat triangle on the left, and the top flat one on the right. Lines are drawn parallel to segment  $V_2, V_3$ .

## TP6: Rasterization of triangles

The process of rasterization converts a vector image (or a set of analytical shapes) into a set of pixels (call fragments in Computer Graphics). We will here implement a triangle rasterizer using the Bresenham digitization of segments.

**Question** Implement the Bresenham's digitization of an Euclidean segment defined by the origin and the point (in integer coordinates).

## Standard Algorithm

The standard algorithm for rasterizing triangles uses the fact that their exists two easy cases to draw: a flat bottom and a flat top triangle (see Figure 1). The idea of the algorithm is to traverse both legs step by step in the y-direction and draw a straight horizontal line between both endpoints.

**Question** Can you infer the algorithm for an arbitrary triangle  $(V_1, V_2, V_3)$ ?

The idea is now to use the Bresenham algorithm to draw the triangle lines, and connect each fragments that are at the same y-level with a straight line.

**Question** Implement the rasterization algorithm of one triangle.

## z-buffer

We now suppose that we have N triangles and for each triangle a z position (where z = 0 means that the triangle is on the screen).

**Question** Implement a rendering algorithm of N triangles using a z-buffer by sorting them. Display a graph showing the speed of you algorithm regarding the number of input triangles.

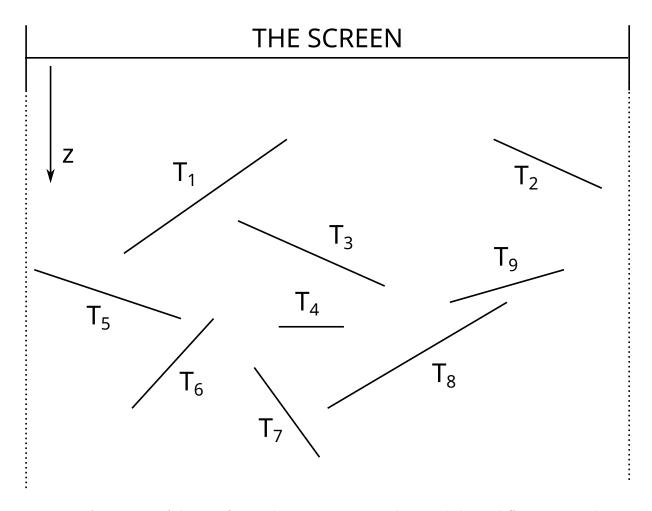


Figure 2: A top view of the set of triangles to rasterize. Each triangle has a different z-coordinate for each of its vertice.

**Question** Implement another rendering algorithm of N triangles using the z-buffer: this time, don't sort the input triangles but instead for each fragment generated by the rasterization algorithm keep in mind the z coordinate of of the fragment and render it only if its closer to the screen than the previous one. It it faster than the previous algorithm?

We suppose now that each triangle has a z coordinate for each of its vertice (ie. that they lie in  $\mathbb{R}^3$ ) and that their projection fits within the screen (see Figure 2).

**Question** Adapt the last algorithm to render N triangles on the screen. You will have to interpolate the z coordinates for each fragment computed during the rasterization.