Stone Division



Consider the following game:

- There are two players, *First* and *Second*, sitting in front of a pile of *n* stones. *First* always plays first.
- There is a set, S, of m distinct integers defined as $S = \{s_0, s_1, \ldots, s_{m-1}\}$.
- The players move in alternating turns. During each turn, a player chooses some $s_i \in S$ and splits one of the piles into exactly s_i smaller piles of equal size. If no s_i exists that will split one of the available piles into exactly s_i equal smaller piles, the player loses.
- Both players always play optimally.

Given n, m, and the contents of S, find and print the winner of the game. If First wins, print Second.

Input Format

The first line contains two space-separated integers describing the respective values of n (the size of the initial pile) and m (the size of the set).

The second line contains m distinct space-separated integers describing the respective values of $s_0, s_1, \ldots, s_{m-1}$.

Constraints

- $1 \le n \le 10^{18}$
- $1 \le m \le 10$
- $2 < s_i < 10^{18}$

Output Format

Print First if the First player wins the game; otherwise, print Second.

Sample Input

15 3 5 2 3

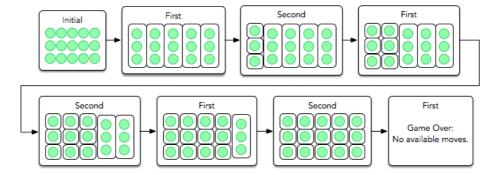
Sample Output

Second

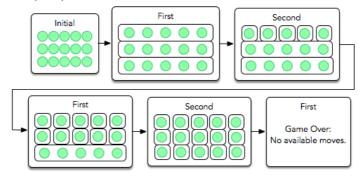
Explanation

The initial pile has n=15 stones, and $S=\{5,2,3\}$. During First's initial turn, they have two options:

1. Split the initial pile into **5** equal piles, which forces them to lose after the following sequence of turns:



2. Split the initial pile into $\bf 3$ equal piles, which forces them to lose after the following sequence of turns:



Because *First* never has any possible move that puts them on the path to winning, we print Second as our answer.