s19 Matrix Exam (practice v121)

Let the 2×4 matrix U represent four points in the xy-plane (so each column represents a point). When those four points are connected as a convex polygon, matrix U represents a unit square. Also, let the 2×2 matrix L represent a linear transformation.

$$U = \begin{bmatrix} 0 & 1 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix} \qquad L = \begin{bmatrix} 5 & 4 \\ 1 & 7 \end{bmatrix}$$

Let matrix $P = L \cdot U$, so P is found by matrix multiplication of L times U. Matrix P also represents 4 points of a polygon. Use the diagram below to calculate the elements of P. Then, draw the polygon represented by matrix P on the xy-plane below. Notice I have already drawn the unit square represented by matrix U.

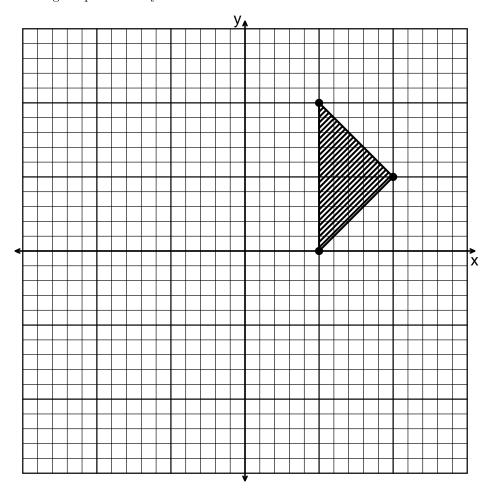
1. Multiply $L \cdot U$ and draw resulting polygon.

		0	1	1	0
		0	0	1	1
5	4				
1	7				



The triangle shown below is composed of the three points represented by matrix $A = \begin{bmatrix} 10 & 5 & 5 \\ 5 & 0 & 10 \end{bmatrix}$. In order to reflect over the x axis and then rotate by 323.13° counterclockwise we can multiply by the transformation matrix $R = \begin{bmatrix} 0.8 & -0.6 \\ -0.6 & -0.8 \end{bmatrix}$.

3. Calculate the matrix $R \cdot A$.



s19 Matrix Exam (practice v122)

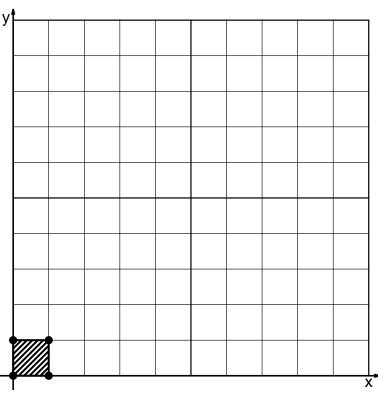
Let the 2×4 matrix U represent four points in the xy-plane (so each column represents a point). When those four points are connected as a convex polygon, matrix U represents a unit square. Also, let the 2×2 matrix L represent a linear transformation.

$$U = \begin{bmatrix} 0 & 1 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix} \qquad L = \begin{bmatrix} 7 & 1 \\ 4 & 2 \end{bmatrix}$$

Let matrix $P = L \cdot U$, so P is found by matrix multiplication of L times U. Matrix P also represents 4 points of a polygon. Use the diagram below to calculate the elements of P. Then, draw the polygon represented by matrix P on the xy-plane below. Notice I have already drawn the unit square represented by matrix U.

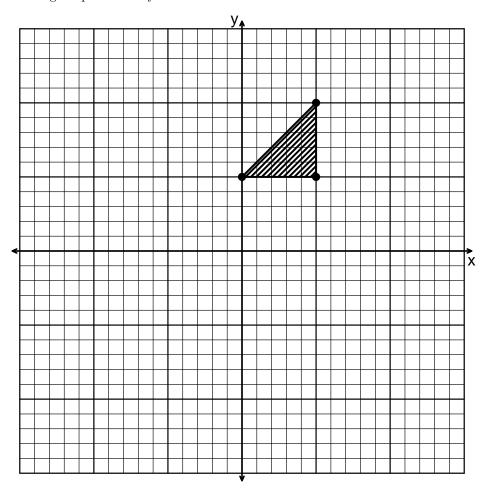
1. Multiply $L \cdot U$ and draw resulting polygon.

			•		
		0	1	1	0
		0	0	1	1
7	1				
4	2				



The triangle shown below is composed of the three points represented by matrix $A = \begin{bmatrix} 5 & 0 & 5 \\ 10 & 5 & 5 \end{bmatrix}$. In order to reflect over the x axis and then rotate by 306.87° counterclockwise we can multiply by the transformation matrix $R = \begin{bmatrix} 0.6 & -0.8 \\ -0.8 & -0.6 \end{bmatrix}$.

3. Calculate the matrix $R \cdot A$.



s19 Matrix Exam (practice v123)

Let the 2×4 matrix U represent four points in the xy-plane (so each column represents a point). When those four points are connected as a convex polygon, matrix U represents a unit square. Also, let the 2×2 matrix L represent a linear transformation.

$$U = \begin{bmatrix} 0 & 1 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix} \qquad L = \begin{bmatrix} 6 & 2 \\ 1 & 8 \end{bmatrix}$$

Let matrix $P = L \cdot U$, so P is found by matrix multiplication of L times U. Matrix P also represents 4 points of a polygon. Use the diagram below to calculate the elements of P. Then, draw the polygon represented by matrix P on the xy-plane below. Notice I have already drawn the unit square represented by matrix U.

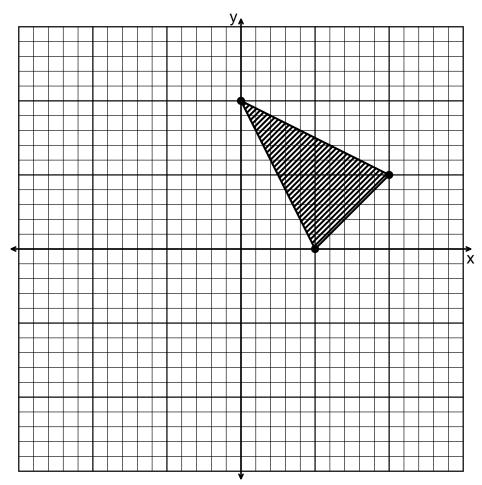
1. Multiply $L \cdot U$ and draw resulting polygon.

		I	Ī	I	
		0	1	1	0
		0	0	1	1
6	2				
1	8				



The triangle shown below is composed of the three points represented by matrix $A = \begin{bmatrix} 5 & 0 & 10 \\ 0 & 10 & 5 \end{bmatrix}$. In order to reflect over the x axis and then rotate by 306.87° counterclockwise we can multiply by the transformation matrix $R = \begin{bmatrix} 0.6 & -0.8 \\ -0.8 & -0.6 \end{bmatrix}$.

3. Calculate the matrix $R \cdot A$.



s19 Matrix Exam (practice v124)

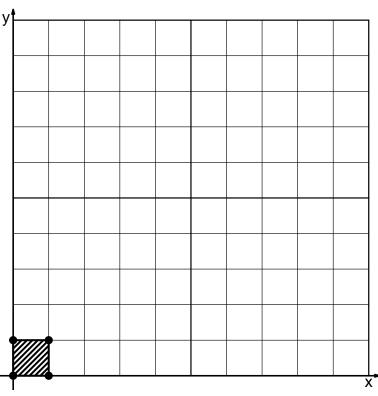
Let the 2×4 matrix U represent four points in the xy-plane (so each column represents a point). When those four points are connected as a convex polygon, matrix U represents a unit square. Also, let the 2×2 matrix L represent a linear transformation.

$$U = \begin{bmatrix} 0 & 1 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix} \qquad L = \begin{bmatrix} 7 & 3 \\ 1 & 2 \end{bmatrix}$$

Let matrix $P = L \cdot U$, so P is found by matrix multiplication of L times U. Matrix P also represents 4 points of a polygon. Use the diagram below to calculate the elements of P. Then, draw the polygon represented by matrix P on the xy-plane below. Notice I have already drawn the unit square represented by matrix U.

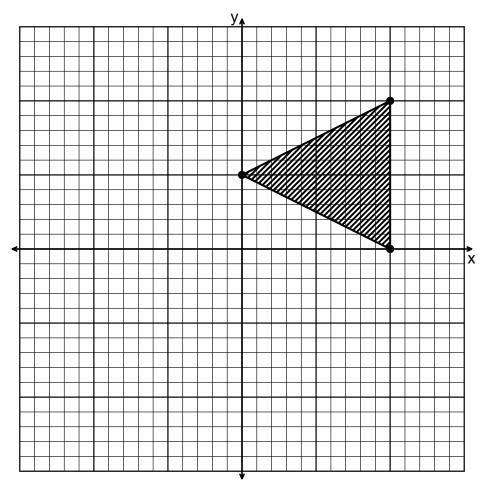
1. Multiply $L \cdot U$ and draw resulting polygon.

		ı	1	ı	
		0	1	1	0
		0	0	1	1
7	3				
1	2				



The triangle shown below is composed of the three points represented by matrix $A = \begin{bmatrix} 0 & 10 & 10 \\ 5 & 10 & 0 \end{bmatrix}$. In order to reflect over the y axis and then rotate by 53.13° counterclockwise we can multiply by the transformation matrix $R = \begin{bmatrix} -0.6 & -0.8 \\ -0.8 & 0.6 \end{bmatrix}$.

3. Calculate the matrix $R \cdot A$.



s19 Matrix Exam (practice v125)

Let the 2×4 matrix U represent four points in the xy-plane (so each column represents a point). When those four points are connected as a convex polygon, matrix U represents a unit square. Also, let the 2×2 matrix L represent a linear transformation.

$$U = \begin{bmatrix} 0 & 1 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix} \qquad L = \begin{bmatrix} 4 & 5 \\ 2 & 6 \end{bmatrix}$$

Let matrix $P = L \cdot U$, so P is found by matrix multiplication of L times U. Matrix P also represents 4 points of a polygon. Use the diagram below to calculate the elements of P. Then, draw the polygon represented by matrix P on the xy-plane below. Notice I have already drawn the unit square represented by matrix U.

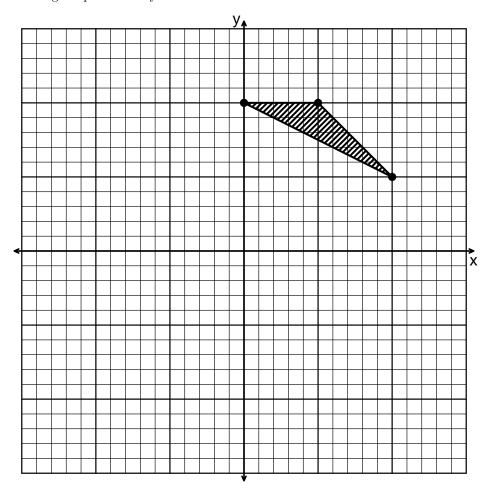
1. Multiply $L \cdot U$ and draw resulting polygon.

		0	1	1	0
		0	0	1	1
4	5				
2	6				



The triangle shown below is composed of the three points represented by matrix $A = \begin{bmatrix} 5 & 0 & 10 \\ 10 & 10 & 5 \end{bmatrix}$. In order to reflect over the y axis and then rotate by 36.87° counterclockwise we can multiply by the transformation matrix $R = \begin{bmatrix} -0.8 & -0.6 \\ -0.6 & 0.8 \end{bmatrix}$.

3. Calculate the matrix $R \cdot A$.



s19 Matrix Exam (practice v126)

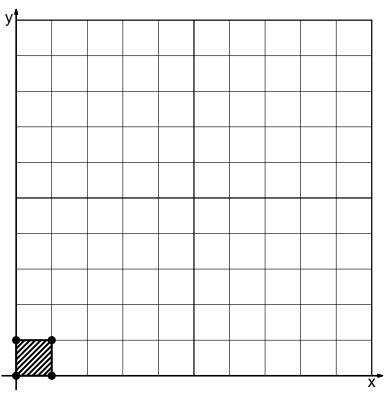
Let the 2×4 matrix U represent four points in the xy-plane (so each column represents a point). When those four points are connected as a convex polygon, matrix U represents a unit square. Also, let the 2×2 matrix L represent a linear transformation.

$$U = \begin{bmatrix} 0 & 1 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix} \qquad L = \begin{bmatrix} 5 & 2 \\ 1 & 3 \end{bmatrix}$$

Let matrix $P = L \cdot U$, so P is found by matrix multiplication of L times U. Matrix P also represents 4 points of a polygon. Use the diagram below to calculate the elements of P. Then, draw the polygon represented by matrix P on the xy-plane below. Notice I have already drawn the unit square represented by matrix U.

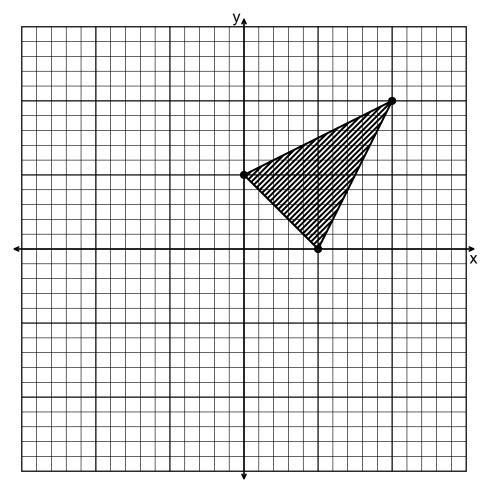
1. Multiply $L \cdot U$ and draw resulting polygon.

		ı		ı	
		0	1	1	0
		0	0	1	1
5	2				
1	3				



The triangle shown below is composed of the three points represented by matrix $A = \begin{bmatrix} 5 & 0 & 10 \\ 0 & 5 & 10 \end{bmatrix}$. In order to reflect over the x axis, reflect over the y axis, and then rotate by 36.87° counterclockwise we can multiply by the transformation matrix $R = \begin{bmatrix} -0.8 & 0.6 \\ -0.6 & -0.8 \end{bmatrix}$.

3. Calculate the matrix $R \cdot A$.



s19 Matrix Exam (practice v127)

Let the 2×4 matrix U represent four points in the xy-plane (so each column represents a point). When those four points are connected as a convex polygon, matrix U represents a unit square. Also, let the 2×2 matrix L represent a linear transformation.

$$U = \begin{bmatrix} 0 & 1 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix} \qquad L = \begin{bmatrix} 4 & 6 \\ 2 & 8 \end{bmatrix}$$

Let matrix $P = L \cdot U$, so P is found by matrix multiplication of L times U. Matrix P also represents 4 points of a polygon. Use the diagram below to calculate the elements of P. Then, draw the polygon represented by matrix P on the xy-plane below. Notice I have already drawn the unit square represented by matrix U.

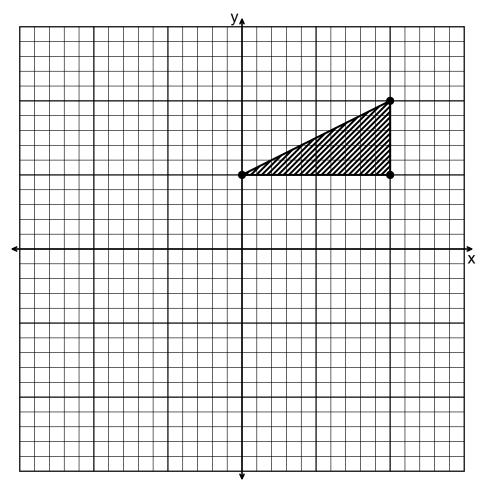
1. Multiply $L \cdot U$ and draw resulting polygon.

		0	1	1	0
		0	0	1	1
4	6				
2	8				



The triangle shown below is composed of the three points represented by matrix $A = \begin{bmatrix} 10 & 10 & 0 \\ 5 & 10 & 5 \end{bmatrix}$. In order to reflect over the x axis, reflect over the y axis, and then rotate by 323.13° counterclockwise we can multiply by the transformation matrix $R = \begin{bmatrix} -0.8 & -0.6 \\ 0.6 & -0.8 \end{bmatrix}$.

3. Calculate the matrix $R \cdot A$.



s19 Matrix Exam (practice v128)

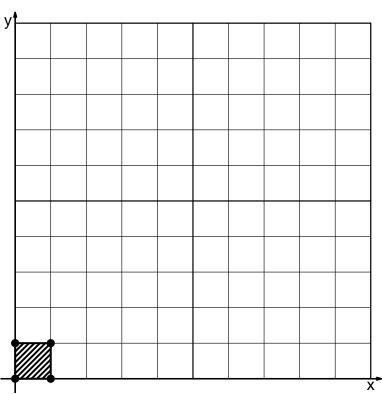
Let the 2×4 matrix U represent four points in the xy-plane (so each column represents a point). When those four points are connected as a convex polygon, matrix U represents a unit square. Also, let the 2×2 matrix L represent a linear transformation.

$$U = \begin{bmatrix} 0 & 1 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix} \qquad L = \begin{bmatrix} 7 & 1 \\ 2 & 4 \end{bmatrix}$$

Let matrix $P = L \cdot U$, so P is found by matrix multiplication of L times U. Matrix P also represents 4 points of a polygon. Use the diagram below to calculate the elements of P. Then, draw the polygon represented by matrix P on the xy-plane below. Notice I have already drawn the unit square represented by matrix U.

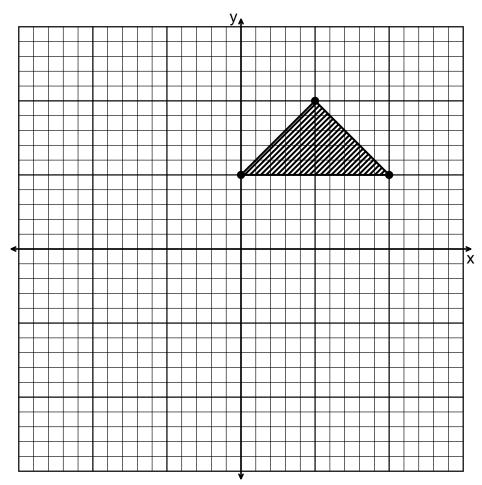
1. Multiply $L \cdot U$ and draw resulting polygon.

		l	1	l I	
		0	1	1	0
		0	0	1	1
7	1				
2	4				



The triangle shown below is composed of the three points represented by matrix $A = \begin{bmatrix} 0 & 10 & 5 \\ 5 & 5 & 10 \end{bmatrix}$. In order to reflect over the x axis and then rotate by 233.13° counterclockwise we can multiply by the transformation matrix $R = \begin{bmatrix} -0.6 & -0.8 \\ -0.8 & 0.6 \end{bmatrix}$.

3. Calculate the matrix $R \cdot A$.



s19 Matrix Exam (practice v129)

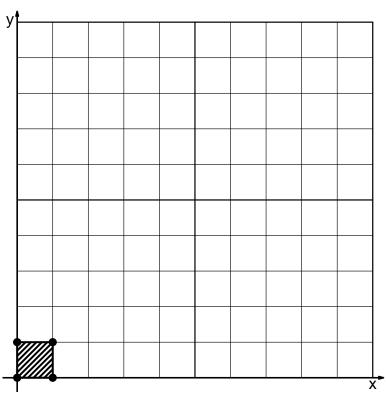
Let the 2×4 matrix U represent four points in the xy-plane (so each column represents a point). When those four points are connected as a convex polygon, matrix U represents a unit square. Also, let the 2×2 matrix L represent a linear transformation.

$$U = \begin{bmatrix} 0 & 1 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix} \qquad L = \begin{bmatrix} 8 & 1 \\ 4 & 3 \end{bmatrix}$$

Let matrix $P = L \cdot U$, so P is found by matrix multiplication of L times U. Matrix P also represents 4 points of a polygon. Use the diagram below to calculate the elements of P. Then, draw the polygon represented by matrix P on the xy-plane below. Notice I have already drawn the unit square represented by matrix U.

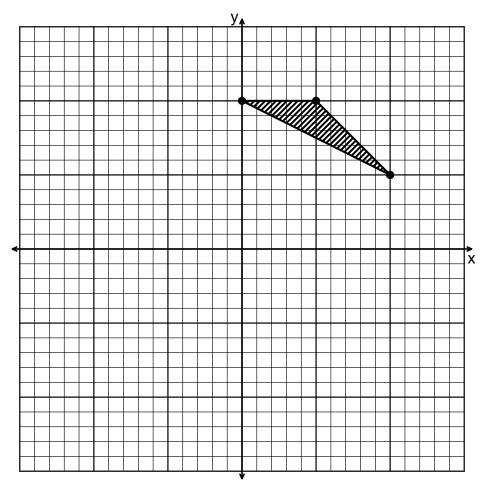
1. Multiply $L \cdot U$ and draw resulting polygon.

		I	I	I	
		0	1	1	0
		0	0	1	1
8	1				
4	3				



The triangle shown below is composed of the three points represented by matrix $A = \begin{bmatrix} 10 & 0 & 5 \\ 5 & 10 & 10 \end{bmatrix}$. In order to reflect over the x axis, reflect over the y axis, and then rotate by 53.13° counterclockwise we can multiply by the transformation matrix $R = \begin{bmatrix} -0.6 & 0.8 \\ -0.8 & -0.6 \end{bmatrix}$.

3. Calculate the matrix $R \cdot A$.



s19 Matrix Exam (practice v130)

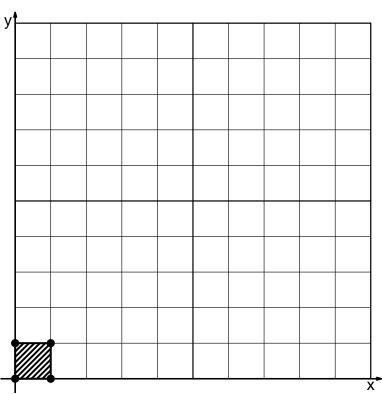
Let the 2×4 matrix U represent four points in the xy-plane (so each column represents a point). When those four points are connected as a convex polygon, matrix U represents a unit square. Also, let the 2×2 matrix L represent a linear transformation.

$$U = \begin{bmatrix} 0 & 1 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix} \qquad L = \begin{bmatrix} 5 & 1 \\ 7 & 3 \end{bmatrix}$$

Let matrix $P = L \cdot U$, so P is found by matrix multiplication of L times U. Matrix P also represents 4 points of a polygon. Use the diagram below to calculate the elements of P. Then, draw the polygon represented by matrix P on the xy-plane below. Notice I have already drawn the unit square represented by matrix U.

1. Multiply $L \cdot U$ and draw resulting polygon.

		ı	ı	ı	ı
		0	1	1	0
		0	0	1	1
5	1				
7	3				



The triangle shown below is composed of the three points represented by matrix $A = \begin{bmatrix} 0 & 0 & 5 \\ 5 & 10 & 10 \end{bmatrix}$. In order to reflect over the x axis and then rotate by 53.13° counterclockwise we can multiply by the transformation matrix $R = \begin{bmatrix} 0.6 & 0.8 \\ 0.8 & -0.6 \end{bmatrix}$.

3. Calculate the matrix $R \cdot A$.

