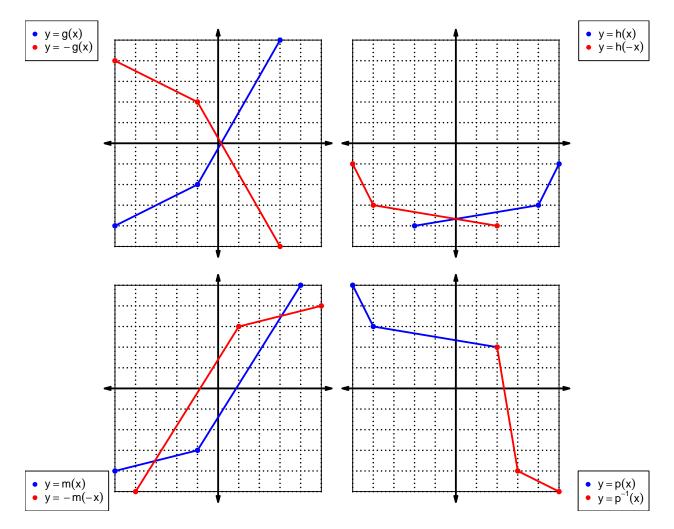
1. Let function f be defined by the polynomial below:

$$f(x) = -9x^5 - 7x^4 + 5x^3 - 2x^2 - 3x + 6$$

Draw lines that match each function reflection with its polynomial:

Reflections	Polynomials	
-f(x) •—	$9x^5 + 7x^4 - 5x^3 + 2x^2 + 3x - 6$	
-f(-x) •	$-9x^5 + 7x^4 + 5x^3 + 2x^2 - 3x - 6$	
f(−x) •	$9x^5 - 7x^4 - 5x^3 - 2x^2 + 3x + 6$	

2. In each xy plane shown below, a function is graphed with blue. Draw the indicated reflections (as a second curve, indicated in legend) with black (or with whatever you have). The x axis is horizontal and the y axis is vertical (as typical), and the scale is equal on both axes.



For all questions on this page, the functions f, g, and h are defined by the table below.

	f()	~(m)	h(m)
x	f(x)	g(x)	h(x)
1	6	3	7
2	8	6	3
3	5	4	5
4	2	9	6
5	7	1	2
6	3	7	9
7	9	8	4
8	4	2	1
9	1	5	8

3. Evaluate g(6).

$$g(6) = 7$$

4. Evaluate $f^{-1}(4)$.

$$f^{-1}(4) = 8$$

5. By filling more rows of the table, it is possible to make function f even. If that were done, what would be the value of f(-5)?

If function f is even, then

$$f(-5) = 7$$

6. By filling more rows of the table, it is possible to make function h **odd**. If that were done, what would be the value of h(-2)?

If function h is odd, then

$$h(-2) = -3$$

7. A function, f, is **even** if f(x) = f(-x) for all x in the domain. A function, g, is **odd** if g(x) = -g(-x) for all x in the domain.

Let polynomial p be defined with the following equation:

$$p(x) = x^2 - 1$$

a. Express p(-x) as a polynomial in standard form.

$$p(-x) = (-x)^{2} - 1$$
$$p(-x) = x^{2} - 1$$

b. Express -p(-x) as a polynomial in standard form.

$$-p(-x) = -(x^2 - 1)$$

 $-p(-x) = -x^2 + 1$

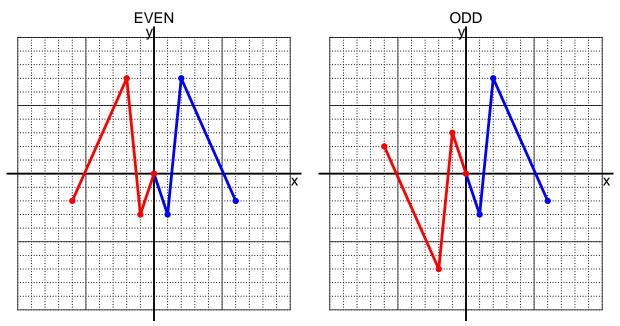
c. Is polynomial p even, odd, or neither?

even

d. Explain how you know the answer to part c.

We see that p(x) = p(-x) for all x because p(x) and p(-x) are equivalent polynomials. Thus function p satisfies the criterion for being an even function.

8. I have drawn half of a function. Draw the other half to make it even or odd.



9. Let function f be defined with the equation below.

$$f(x) = \frac{x}{6} + 8$$

a. Evaluate f(72).

step 1: divide by 6 step 2: add 8

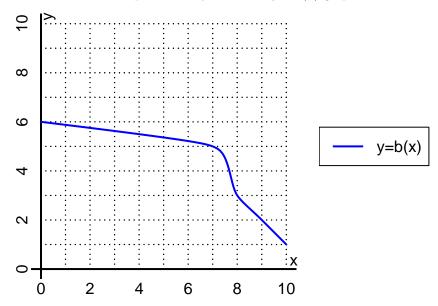
$$f(72) = \frac{(72)}{6} + 8$$
$$f(72) = 20$$

b. Evaluate $f^{-1}(17)$.

step 1: subtract 8 step 2: multiply by 6

$$f^{-1}(x) = 6(x-8)$$
$$f^{-1}(17) = 6((17) - 8)$$
$$f^{-1}(17) = 54$$

10. The function b is represented by the curve y = b(x) graphed below.



a. Evaluate b(9).

$$b(9) = 2$$

b. Evaluate $b^{-1}(3)$.

$$b^{-1}(3) = 8$$

- 11. Function f is defined by the table below.
 - a. Complete the columns for -f(x) and f(-x) and -f(-x).

\overline{x}	f(x)	-f(x)	f(-x)	-f(-x)
-2	-5	5	5	-5
-1	-6	6	-6	6
0	0	0	0	0
1	-6	6	-6	6
2	5	-5	-5	5

b. Is function f even, odd, or neither?

neither

c. How do you know the answer to part b?

Function f is neither because neither column -f(-x) nor column f(-x) matches column f(x) exactly.