Polynomial Factoring solution (version 671)

1. The quadratic formula says if $ax^2 + bx + c = 0$ then $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$. Use the quadratic formula to solve the following equation.

$$x^2 - 6x + 27 = 0$$

Simplify your answer(s) as much as possible.

Solution

$$x = \frac{-(-6) \pm \sqrt{(-6)^2 - 4(1)(27)}}{2(1)}$$

$$x = \frac{-(-6) \pm \sqrt{36 - 108}}{2(1)}$$

$$x = \frac{6 \pm \sqrt{-72}}{2}$$

$$x = \frac{6 \pm \sqrt{-36 \cdot 2}}{2}$$

$$x = \frac{6 \pm 6\sqrt{2}i}{2}$$

$$x = 3 \pm 3\sqrt{2}i$$

Notice that *i* in NOT under the square-root radical symbol!!

2. Express the product of -2-7i and -8-9i in standard form (a+bi).

Solution

$$(-2-7i) \cdot (-8-9i)$$

$$16+18i+56i+63i^{2}$$

$$16+18i+56i-63$$

$$16-63+18i+56i$$

$$-47+74i$$

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3. Write function $f(x) = x^3 - 3x^2 - 16x - 12$ in factored form. I'll give you a hint: one factor is (x+1).

Solution

$$f(x) = (x+1)(x^2 - 4x - 12)$$

$$f(x) = (x+1)(x+2)(x-6)$$

4. Polynomial p is defined below in factored form.

$$p(x) = (x+8) \cdot (x+4) \cdot (x+1)^2$$

Sketch a graph of polynomial y = p(x).

