

NAME: _____

DATE: _____

Mastery Assessment of Unit 2 (Practice version 104)**Question 1**

Let f represent a function. If $f[41] = 19$, then there exists a knowable solution to the equation below.

$$y = 6 \cdot (f[8x + 17] - 15)$$

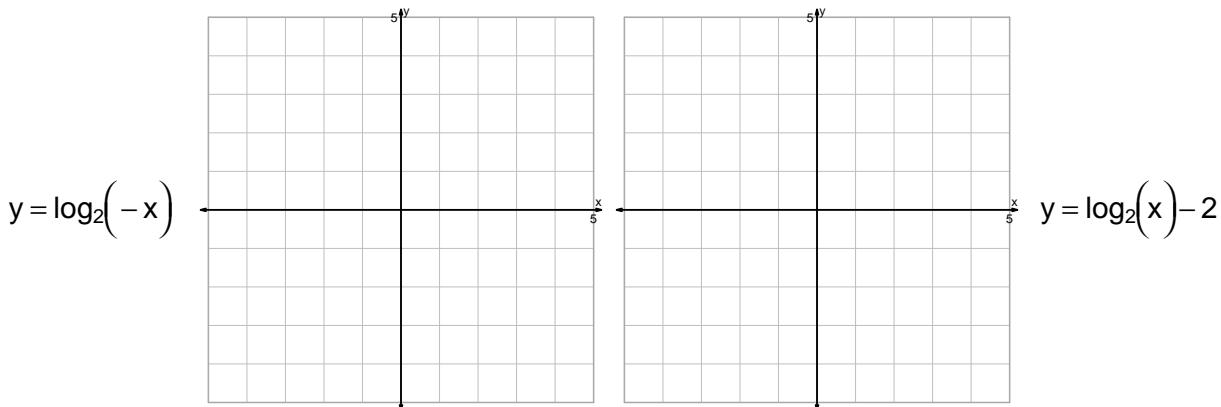
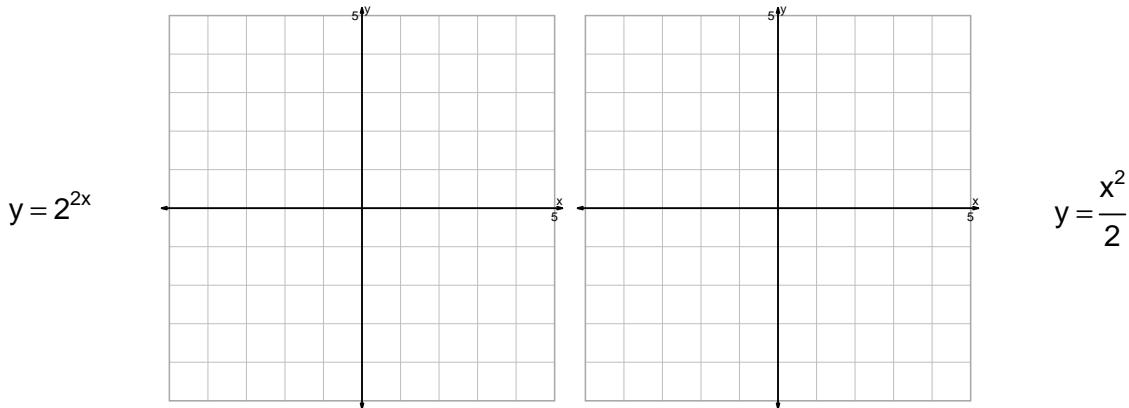
Find the solution.

$$x =$$

$$y =$$

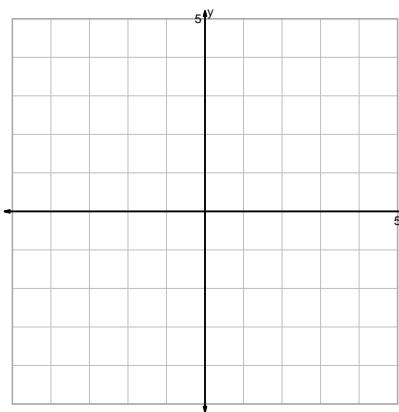
Question 2

Graph the equations accurately. For each integer-integer point on the parent, indicate the corresponding point precisely. Also, with dashed lines, indicate any asymptotes.

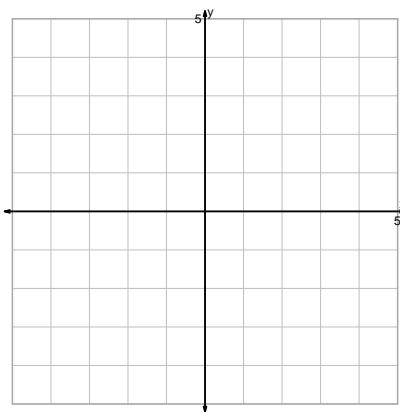


Question 2 continued...

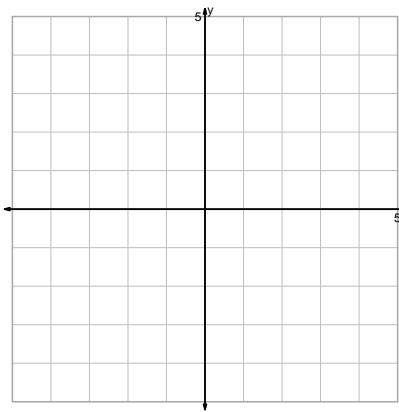
$$y = -2^x$$



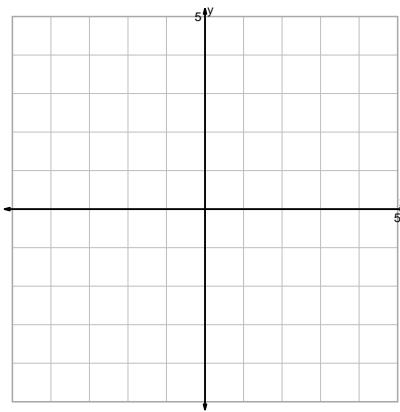
$$y = 2 \cdot x^3$$



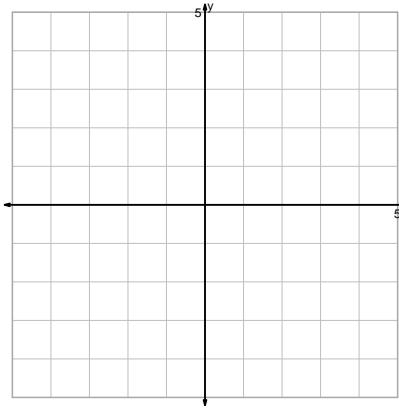
$$y = (x - 2)^2$$



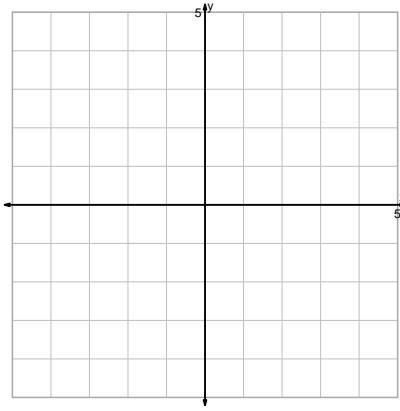
$$y = \sqrt[3]{\frac{x}{2}}$$



$$y = \sqrt[3]{x + 2}$$

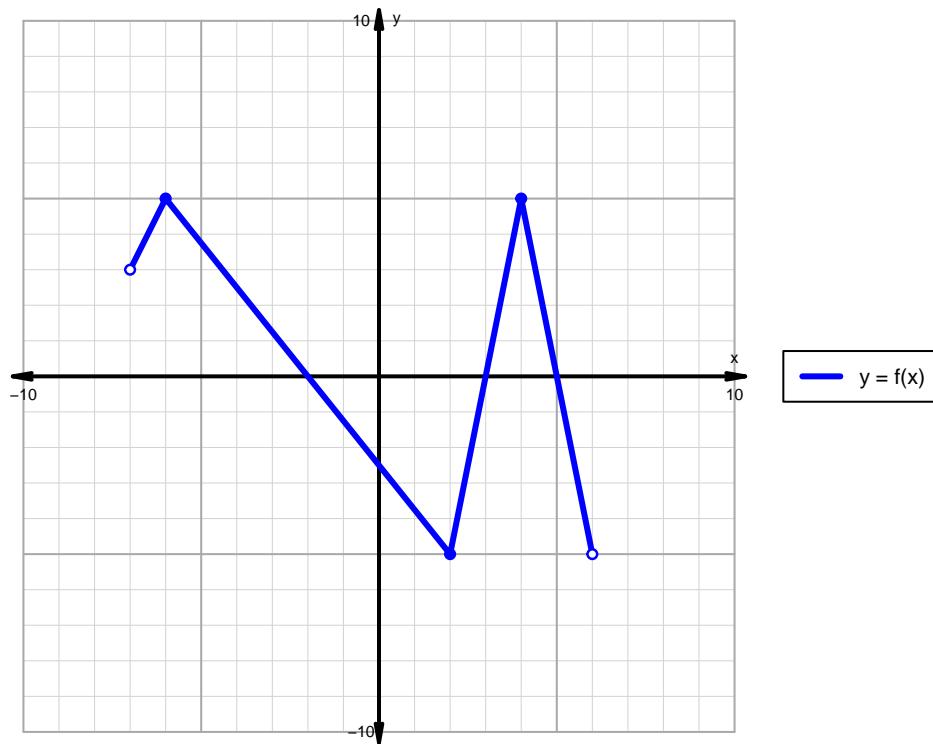


$$y = \sqrt{x} + 2$$



Question 3

A function is graphed below.



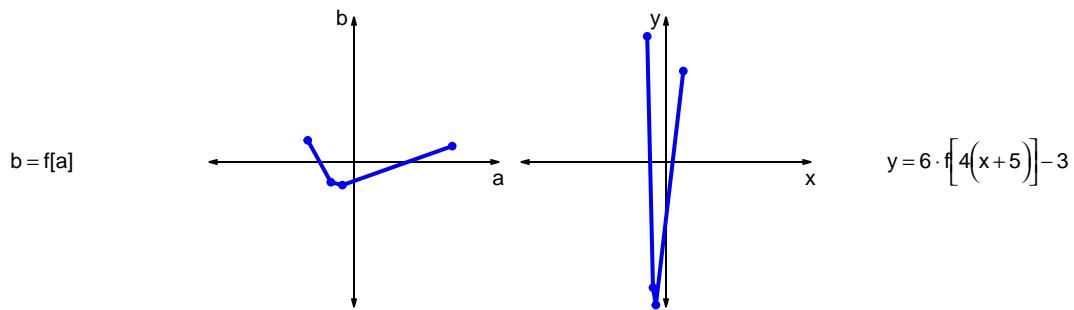
Indicate the following intervals using interval notation.

Feature	Where
Positive	
Negative	
Increasing	
Decreasing	
Domain	
Range	

Question 4

Let f represent a function. The curves $b = f[a]$ and $y = 6 \cdot f[4(x + 5)] - 3$ are represented below in a table and on graphs.

a	b	x	y
-32	15	-13	87
-16	-14	-9	-87
-8	-16	-7	-99
68	11	12	63



- a. Write formulas for calculating x from a and calculating y from b . (Or, write the coordinate transformation formula.)

b. What geometric transformations (using words like translation, stretch, and shrink), and in what order, would transform the first curve $y = f[x]$ into the second curve $y = 6 \cdot f[4(x + 5)] - 3$?

Question 5

A parent square-root function is transformed in the following ways:

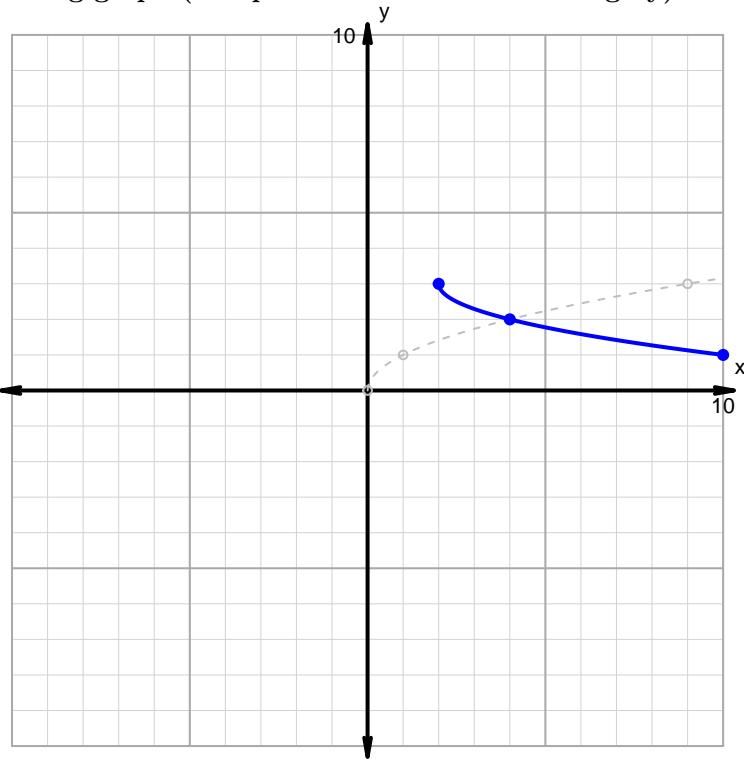
Horizontal transformations

1. Translate right by distance 1.
2. Horizontal stretch by factor 2.

Vertical transformations

1. Translate down by distance 3.
2. Vertical reflection over x axis.

Resulting graph (and parent function in dashed grey):



- What is the equation for the curve shown above?

Question 6

Make an accurate graph, and describe locations of features.

$$y = \frac{1}{3} \cdot |x - 2| - 1$$



Feature	Where
Domain	
Range	
Positive	
Negative	
Increasing	
Decreasing	