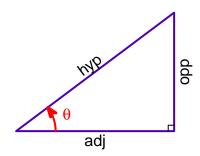
Right-triangle trigonometry cheat sheet

- On a right triangle with a marked acute angle, we can identify the leg **opposite** the marked angle by starting at the angle, drawing a line through the center of mass of the triangle, and continuing until hitting a side.
- The **hypotenuse** is opposite the right angle, and the hypotenuse is always the longest side of a right triangle.
- The adjacent leg is the leg (not hypotenuse) that touches the marked angle.
- Below I've drawn a right triangle in standard orientation, but in problems, the right triangle is often
 rotated and reflected, so it is important to have a process for identifying the hypotenuse, and whether
 a leg is opposite a given angle or adjacent a given angle.



SOHCAHTOA

$$\sin(\theta) \; = \; \frac{\mathrm{opp}}{\mathrm{hyp}} \hspace{1cm} \mathrm{opp} \; = \; \mathrm{hyp} \cdot \sin(\theta) \hspace{1cm} \mathrm{hyp} \; = \; \frac{\mathrm{opp}}{\sin(\theta)} \hspace{1cm} \theta \; = \; \arcsin\left(\frac{\mathrm{opp}}{\mathrm{hyp}}\right)$$

$$\cos(\theta) \ = \ \frac{\mathrm{adj}}{\mathrm{hyp}} \hspace{1cm} \mathrm{adj} \ = \ \mathrm{hyp} \cdot \cos(\theta) \hspace{1cm} \mathrm{hyp} \ = \ \frac{\mathrm{adj}}{\cos(\theta)} \hspace{1cm} \theta \ = \ \arccos\left(\frac{\mathrm{adj}}{\mathrm{hyp}}\right)$$

$$\tan(\theta) \ = \ \frac{\mathrm{opp}}{\mathrm{adj}} \hspace{1cm} \mathrm{opp} \ = \ \mathrm{adj} \cdot \tan(\theta) \hspace{1cm} \mathrm{adj} \ = \ \frac{\mathrm{opp}}{\tan(\theta)} \hspace{1cm} \theta \ = \ \arctan\left(\frac{\mathrm{opp}}{\mathrm{adj}}\right)$$