

DAA-LAB-3① ALGORITHM: LINEAR.

// This algo returns minimum and max values of salaries

// I/P: array of net-salaries

// O/P: minimum, maximum salary with employee name

def linear(net\_sal[]):

min, max = 0, 0

for i in net\_sal[]:

if min > net\_sal[i]:

min = net\_sal[i]

if max < net\_sal[i]:

max = net\_sal[i]

return min, max

② ALGORITHM: DIVIDE & CONQUER.

def divide-and-conquer(net\_sal[], left, right):

→ if left == right:

return left, left

→ if ~~left~~ left + 1 == right:

if net\_sal[left] < net\_sal[right]:

return left, right

else

return right, left

→ mid = (left + right) // 2

min\_left, max\_left = divide & conquer(net\_sal, left, mid)

min\_right, max\_right = divide & conquer(net\_sal, mid + 1, right)

→ If  $\text{netsal}[\text{minleft}] < \text{net\_sal}[\text{minright}]$

$\text{min} = \text{min\_left}$

else

$\text{min} = \text{min\_right}$

→ If  $\text{netsal}[\text{maxleft}] > \text{netsal}[\text{maxright}]$

$\text{max} = \text{max\_left}$

else

$\text{max} = \text{max\_right}$

→ return ~~max~~ min, max

$i = \text{min}$

if  $\text{max} > \text{net\_sal}[i]$

$i = \text{max}$

→ FORMULA for Net-salary

$\text{Net\_Salary} = \text{Gross\_Salary} - \text{tax} - \text{Pf}$

where:

$\text{tax} = 0.2 * \text{Gross\_Salary}$

$\text{pf} = 0.1 * \text{Gross\_Salary}$

get  $\text{gross}(\text{net\_sal})$

if  $\text{len}(\text{net\_sal}) > 1$ :

$\text{min} = \text{net\_sal}[0]$

for  $i$  in  $\text{net\_sal}$ :

if  $i > \text{min}$ :

$\text{gross} = \text{net\_sal}[i]$

$\text{net\_sal} = \text{net\_sal} - \text{gross}$

return  $\text{net\_sal}$



## TIME COMPLEXITY:

## ① LINEAR:

Let size of array be  $n$

checking / comparison takes  $O(1)$  times.

at every index we check twice for min & max.

$\therefore$  Time complexity =  $T(n)$

$$T(n) = \sum_{i=1}^n 2(O(1))$$

$$T(n) = 2(n-1+1)$$

$$T(n) = 2n$$

$$\therefore T(n) = O(n)$$

## ② DIVIDE AND CONQUER:

At every instant we divide the array into 2 parts. ~~Thus~~ we also make 2 comparisons with

$$T(n) = 2T(n/2) + 2O(1)$$

On applying master's theorem

$$a=2, b=2, c=0$$

$$\therefore T(n) = n^{\log_b a} = n^{\log_2 2} = n^1 = n$$

$$\therefore T(n) = O(n)$$

## Testcases:

### - POSITIVE:

If all the values are present in the file and are non-negative numbers, the test case is considered as positive  
⇒ DISPLAY employee with resp. Salaries.

### - NEGATIVE:

If filename of CSV is incorrect:

⇒ DISPLAY ERROR:

"Incorrect filename"

If negative value of Gross Salary:

⇒ Display ERROR:

"Value of Salary is Negative at row {i}"

If gross salary is missing:

⇒ Display ERROR:

"Value of Gross salary is missing"