# Dr B R AMBEDKAR NATIONAL INSTITUTE OF TECHNOLOGY JALANDHAR

# COMPUTER GRAPHICS AND IMAGE PROCESSING LABORATORY CSPC-423



# DEPARTMENT OF COMPUTER SCIENCE AND ENGINEERING

SUBMITTED BY: SUBMITTED TO:

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# INDEX

plt.ylabel("Y-Axis")

plt.title("DDA Algorithm") #Graph title

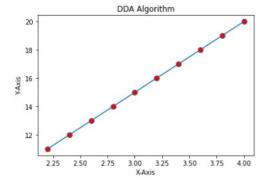
S.NO. AIM	DATE
Implementation of various line drawing algorithms: DDA, Bresenham's, Midpoint. Implementation of various circle drawing algorithms: Bresenham's, Midpoint. Implementation of Midpoint Ellipse drawing Algorithm Implementation of various line clipping algorithms: Cohen Sutherland, Cyrus beck line clipping. Implementation of various translation, rotation and scaling techniques in the 2D plane. Implementation of various composite transformation techniques on an object. Simulation and Display of an Image, Negative of an image (Binary & Grey Scale). Computation of Mean, Median, Variance and Standard Deviation of the given Image. Display of colour images and conversion between colour spaces. Implement image segmentation using histogram thresholding.	11-08-23 25-08-23 01-09-23 08-09-23 29-09-23 06-10-23 13-10-23 20-10-23 03-11-23 17-11-23
LAB – 1	
Implementation of various line drawing algorithms: DDA, Bresenham's, Midpoint.	
1) DDA Line Drawing Algorithm:	
Code:	
import matplotlib.pyplot as plt	
x1 = int(input("Enter the value of x1:"))	
yl = int(input("Enter the value of yl:"))	
x2 = int(input("Enter the value of x2:"))	
y2 = int(input("Enter the value of y2:"))	
dx = x2 - x1	
dy = y2 - y1	
if $abs(dx) > abs(dy)$ :	
steps = abs(dx)	
else:	
steps = abs(dy)	
xincrement = dx/steps	
yincrement = dy/steps	
i = 0	
xcoordinates = []	
ycoordinates = []	
while i < steps:	
i+=1	
x1 = x1 + xincrement	
yl = yl + yincrement	
print("X1:",x1, "Y1:", y1)	
xcoordinates.append(x1)	
ycoordinates.append(y1)	
plt.plot(xcoordinates, ycoordinates, marker="o", markersize=8, markerfacecolor="red")	
plt.xlabel("X-Axis") #Naming the Axis	
r	

REMARKS/ SIGNATURE

```
plt.show() #show the plot
```

# Output:

```
Enter the value of x1: 2
Enter the value of y1: 10
Enter the value of x2: 4
Enter the value of y2: 20
X1: 2.2
           Y1: 11.0
X1: 2.400000000000000004
                          Y1: 12.0
X1: 2.60000000000000005
                          Y1: 13.0
X1: 2.800000000000000007
                          Y1: 14.0
X1: 3.0000000000000001
                         Y1: 15.0
X1: 3.2000000000000001
X1: 3.40000000000000012
X1: 3.60000000000000014
                          Y1: 18.0
X1: 3.8000000000000016
                          Y1: 19.0
X1: 4.0000000000000000
                         Y1: 20.0
```



# 2) Bresenham's Line Drawing Algorithm:

# Code:

```
import matplotlib.pyplot as plt
```

plt.title("Bresenham Algorithm")

plt.xlabel("X Axis")

plt.ylabel("Y Axis")

def bres(x1,y1,x2,y2):

x,y = x1,y1

dx = abs(x2 - x1)

dy = abs(y2 - y1)

gradient = dy/float(dx)

if gradient  $\geq 1$ :

dx, dy = dy, dx

x, y = y, x

x1, y1 = y1, x1

x2, y2 = y2, x2

p = 2\*dy - dx

print(f'x =  $\{x\}$ , y =  $\{y\}$ ")

# Initialize the plotting points

xcoordinates = [x]

ycoordinates = [y]

for k in range(2, dx + 2):

if p > 0:

y = y + 1 if y < y2 else y - 1

p = p + 2 \* (dy - dx)

else:

p = p + 2 \* dy

x = x + 1 if x < x2 else x - 1

 $print(f'x = \{x\}, y = \{y\}'')$ 

xcoordinates.append(x)

ycoordinates.append(y)

plt.plot(xcoordinates, ycoordinates, marker="o", markersize=8, markerfacecolor="red")

plt.show()

def main(

x1 = int(input("Enter the Starting point of x:"))

y1 = int(input("Enter the Starting point of y:"))

```
main()
Output:
 Enter the Starting point of x: 2
 Enter the Starting point of y: 8
 Enter the end point of x: 4
 Enter the end point of y: 16
 x = 8, y = 2
 x = 9, y = 2
 x = 10, y = 2
 x = 11, y = 3
 x = 12, y = 3
 x = 13, y = 3
 x = 14, y = 3
 x = 15, y = 4
 x = 16, y = 4
                          Bresenham Algorithm
    4.00
     3.75
    3.50
    3.25
  Y Axis
     2.75
     2.50
    2.25
                                                14
                                          13
3) Midpoint Line Drawing Algorithm:
Code:
import matplotlib.pyplot as plt
plt.title("Midpoint Line Algorithm")
plt.xlabel("X Axis")
plt.ylabel("Y Axis")
def midpoint(x1, y1, x2, y2):
dx = x2 - x1
dy = y2 - y1
# Initialize the decision parameter
d = dy - (dx/2)
x = x1
y = y1
print(f'x = \{x\}, y = \{y\}")
# Initialize the plotting points
xcoordinates = [x]
ycoordinates = [y]
while (x \le x2):
x = x + 1
# East is Chosen
if (d<0):
d = d + dy
# North East is Chosen
else:
d = d + (dy - dx)
y = y + 1
xcoordinates.append(x)
ycoordinates.append(y)
print(f'x = \{x\}, y = \{y\}")
plt.plot(xcoordinates, ycoordinates, marker="o", markersize=8, markerfacecolor="red")
plt.show()
if name ==" main ":
```

x2 = int(input("Enter the end point of x: "))y2 = int(input("Enter the end point of y: "))

bres(x1, y1, x2, y2)

if \_\_name\_\_ == "\_\_main\_\_":

```
y2 = int(input("Enter the end point of y: "))
midpoint(x1, y1, x2, y2)
Output:
 Enter the starting point of x: 4
 Enter the starting point of y: 12
 Enter the end point of x: 5
 Enter the end point of y: 15
 x = 4, y = 12
 x = 5, y = 13
                          Midpoint Line Algorithm
    13.0
    12.8
12.6
XAX
    12.2
    12.0
                                    X Axis
LAB - 2
Implementation of various circle drawing algorithms: Bresenham's, Midpoint.
1) Bresenham's Circle Drawing Algorithm:
import matplotlib.pyplot as plt
def draw(xc,yc,x,y):
plt.plot(xc+x, yc+y, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc-x, yc+y, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc+x, yc-y, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc-x, yc-y, marker="o", markersize=8, markerfacecolor="red")\\
plt.plot(xc+y, yc+x, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc-y, yc+x, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc+y, yc-x, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc-y, yc-x, marker="o", markersize=8, markerfacecolor="red")
def circle(xc,yc,r):
x=0
y=r
d=3-2*r;
draw(xc,yc,x,y);
while(y>=x):
x=x+1:
if(d>0):
y=y-1;
d=d+4*(x-y)+10;
else:
d=d+4*x+6;
draw(xc,yc,x,y);
x0 = int(input("Enter x0:"))
y0 = int(input("Enter y0:"))
radius = int(input("Enter Radius : "))
circle(x0,y0,radius)
plt.show()
Output:
```

x1 = int(input("Enter the starting point of x: "))
 y1 = int(input("Enter the starting point of y: "))
 x2 = int(input("Enter the end point of x: "))

```
Enter x0: 50
 Enter y0: 50
 Enter Radius : 80
  120
  100
   80
    60
    40
   20
    0
  -20
2) Midpoint Circle Drawing Algorithm:
Code:
import matplotlib.pyplot as plt
def midpoint(xc,yc,r):
y=0
plt.plot(xc+x,\,yc+y,\,marker="o",\,markersize=8,\,markerfacecolor="red")
```

# y=0 plt.plot(xc+x, yc+y, marker="o", markersize=8, markerfacecolor="red") plt.plot(xc+x, yc-y, marker="o", markersize=8, markerfacecolor="red") plt.plot(xc+y, yc+x, marker="o", markersize=8, markerfacecolor="red") plt.plot(xc-y, yc+x, marker="o", markersize=8, markerfacecolor="red") p=1-r while x>y: y+=1 if p<=0: p=p+2\*y+1

p=p+2\*y-2\*x+1

if(x<y):

break

plt.plot(xc+x, yc+y, marker="o", markersize=8, markerfacecolor="red")

plt.plot(xc-x, yc+y, marker="o", markersize=8, markerfacecolor="red")

plt.plot(xc+x, yc-y, marker="o", markersize=8, markerfacecolor="red")

plt.plot(xc-x, yc-y, marker="o", markersize=8, markerfacecolor="red")

if(x!=v):

if(x!=y):

plt.plot(xc+y, yc+x, marker="o", markersize=8, markerfacecolor="red")

plt.plot(xc-y, yc+x, marker="o", markersize=8, markerfacecolor="red")

plt.plot(xc+y, yc-x, marker="o", markersize=8, markerfacecolor="red")

plt.plot(xc-y, yc-x, marker="o", markersize=8, markerfacecolor="red")

x0 = int(input("Enter x0: "))

y0 = int(input("Enter y0: "))

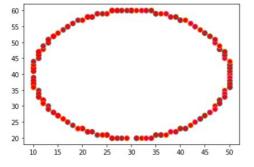
radius = int(input("Enter Radius: "))

midpoint(x0, y0, radius)

# Output:

else:

Enter x0: 30 Enter y0: 40 Enter Radius : 20



```
LAB-3
```

Implementation of Mid Point Ellipse drawing Algorithm

Mid Point Ellipse Drawing Algorithm:

Code:
import matplotlib.pyplot as plt
def midptellipse(rx, ry, xc, yc):

```
x = 0:
y = ry;
\# Initial decision parameter of region 1
d1 = ((ry * ry) - (rx * rx * ry) + (0.25 * rx * rx));
dx = 2 * ry * ry * x;
dy = 2 * rx * rx * y;
# For region 1
while (dx < dy): # Print points based on 4-way symmetry
plt.plot(xc+x, yc+y, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc-x, yc+y, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc+x, yc-y, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc-x, yc-y, marker="o", markersize=8, markerfacecolor="red")
# Checking and updating value of
# decision parameter based on algorithm
if (d1 < 0):
x += 1;
dx = dx + (2 * ry * ry);
d1 = d1 + dx + (ry * ry);
else:
x += 1;
y = 1;
dx = dx + (2 * ry * ry);
dy = dy - (2 * rx * rx);
d1 = d1 + dx - dy + (ry * ry);
# Decision parameter of region 2
d2 = (((ry * ry) * ((x + 0.5) * (x + 0.5))) + ((rx * rx) * ((y - 1) * (y - 1))) - (rx * rx * ry * ry));
# Plotting points of region 2
while (y \ge 0):
# printing points based on 4-way symmetry
plt.plot(xc+x, yc+y, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc-x, yc+y, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc+x, yc-y, marker="o", markersize=8, markerfacecolor="red")
plt.plot(xc-x, yc-y, marker="o", markersize=8, markerfacecolor="red")
# Checking and updating parameter
# value based on algorithm
if (d2 > 0):
y -= 1;
dy = dy - (2 * rx * rx);
d2 = d2 + (rx * rx) - dy;
y -= 1;
x += 1;
dx = dx + (2 * ry * ry);
dy = dy - (2 * rx * rx);
d2 = d2 + dx - dy + (rx * rx);
rx = int(input("Enter radius along x-axis:"))
ry = int(input("Enter radius along y-axis: "))
```

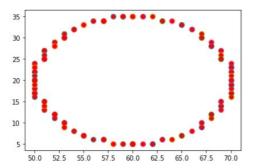
xc = int(input("Enter x coordinate of center:"))

yc = int(input("Enter y coordinate of center: "))

midptellipse(rx, ry, xc, yc);

# Output:

```
Enter radius along x-axis: 10
Enter radius along y-axis: 15
Enter x coordinate of center: 60
Enter y coordinate of center: 20
```



LAB – 4

Implementation of various line clipping algorithms: Cohen Sutherland, Cyrus beck line clipping.

# 1) Cohen Sutherland Line Clipping Algorithm:

## Code:

# Defining region codes

INSIDE = 0 # 0000

LEFT = 1 # 0001

RIGHT = 2 # 0010

BOTTOM = 4 # 0100

TOP = 8 # 1000

# Defining x\_max, y\_max and x\_min, y\_min for rectangle

#Since diagonal points are enough to define a rectangle

x\_max = 10.0

 $y_max = 8.0$ 

 $x_min = 4.0$ 

 $y_min = 4.0$ 

# Function to compute region code for a point(x, y)

def computeCode(x, y):

code = INSIDE

if  $x \le x$ \_min: # to the left of rectangle

code |= LEFT

elif  $x > x_max$ : # to the right of rectangle

code |= RIGHT

if  $y < y_min: # below the rectangle$ 

code |= BOTTOM

elif  $y > y_max$ : # above the rectangle

code |= TOP

# Implementing Cohen-Sutherland algorithm

# Clipping a line from P1 = (x1, y1) to P2 = (x2, y2)

 $def\,cohenSutherlandClip(x1,\,y1,\,x2,\,y2) :$ 

# Compute region codes for P1, P2

code1 = computeCode(x1, y1)

code2 = computeCode(x2, y2)

accept = False

while True:

# If both endpoints lie within rectangle

if code1 == 0 and code2 == 0:

accept = True

break

# If both endpoints are outside rectangle

```
elif (code1 & code2) != 0:
# Some segment lies within the rectangle
else:
# Line needs clipping
# At least one of the points is outside,
# select it
x = 1.0
y = 1.0
if code1 != 0:
code\_out = code1
code\_out = code2
# Find intersection point
# using formulas y = y1 + slope * (x - x1),
\# x = x1 + (1 / slope) * (y - y1)
if code_out & TOP:
# Point is above the clip rectangle
x = x1 + (x2 - x1) * (y_max - y1) / (y2 - y1)
y = y_max
elif code_out & BOTTOM:
# Point is below the clip rectangle
x = x1 + (x2 - x1) * (y_min - y1) / (y2 - y1)
y = y_min
elif code_out & RIGHT:
# Point is to the right of the clip rectangle
y = y1 + (y2 - y1) * (x_max - x1) / (x2 - x1)
x = x_max
elif code_out & LEFT:
# Point is to the left of the clip rectangle
y = y1 + (y2 - y1) * (x_min - x1) / (x2 - x1)
x = x_min
# Now intersection point (x, y) is found
# We replace point outside clipping rectangle
# by intersection point
if code_out == code1:
x1 = x
code1 = computeCode(x1, y1)
x2 = x
y2 = y
code2 = computeCode(x2, y2)
print("Line accepted from %.2f, %.2f to %.2f, %.2f" % (x1, y1, x2, y2))
# Here the user can add code to display the rectangle
# along with the accepted (portion of) lines
print("Line rejected")
cohenSutherlandClip(2,\,1,\,9,\,8)
cohenSutherlandClip(11,\,11,\,5,\,9)
cohenSutherlandClip (1,\, 6,\, 7,\, 3)
Output:
```

```
Line accepted from 5.00, 4.00 to 9.00, 8.00
Line rejected
Line accepted from 4.00, 4.50 to 5.00, 4.00

2) Cyrus Beck Line Clipping Algorithm:

Code:
import numpy as np

# Define the polygon as a list of vertices in clockwise order

polygon = [(100, 100), (200, 50), (300, 100), (250, 200), (150, 200)]
```

def cyrus\_beck\_line\_clip(p1, p2, polygon):

return vector / np.linalg.norm(vector)

return sum(x \* y for x, y in zip(a, b))

 $\begin{aligned} & num = dot_product(polygon[0] - p1, d) \\ & den = dot_product(p2 - p1, d) \end{aligned}$ 

def normalize(vector):

def dot\_product(a, b):

def clip\_t(p, d):

if den == 0: if num < 0:

t = num / denreturn t, t n = len(polygon) d = np.array([0, 0])for i in range(n):

return float('-inf'), float('inf')

return float('-inf'), float('-inf')

e2 = p1 - np.array(polygon[i])

 $if dot\_product(e1, d) == 0:$ 

if  $dot_product(e2, ni) \le 0$ :

return None # Line is outside the polygon

 $t1, t2 = clip_t(np.array(polygon[i]), d)$   $t3, t4 = clip_t(np.array(polygon[i]) + e1, d)$ 

return None # Line is outside the polygon

# Clip the line segment against the polygon

print(f'Clipped Line: {clipped\_line} ")

clipped\_line = cyrus\_beck\_line\_clip(p1, p2, polygon)

print("Line is completely outside the polygon, rejected.")

Line is completely outside the polygon, rejected.

$$\begin{split} p1 &= np.array(p1) + t1 * (np.array(p2) - np.array(p1)) \\ p2 &= np.array(p1) + (t2 - t1) * (np.array(p2) - np.array(p1)) \end{split}$$

 $t1, t2 = \max(t1, t3), \min(t2, t4)$ 

if t1 > t2:

d = normalize(e1)

p1 = (18, 36)p2 = (54, 27)

if clipped\_line:

else:

Output:

LAB - 5

return tuple(p1), tuple(p2)

 $e1 = np.array(polygon[(i+1)\ \%\ n]) - np.array(polygon[i])$ 

# Line is parallel to this edge, check if it's outside or inside

ni = np.array([-e1[1], e1[0]]) # Normal vector of the polygon edge

```
Implementation of various translation, rotation and scaling techniques in the 2D plane.
Translation, Rotation, and Scaling techniques in the 2D plane:
Code:
import matplotlib.pyplot as plt
import numpy as np
# Define the 2D object as a list of points (x, y)
xcordinates=[2,1,3,4,5]
ycordinates=[3,4,2,1,3]
#plot the original object
plt.title("original object")
plt.xlim(-1, 7)
plt.ylim(0,6)
plt.xlabel("X Axis")
plt.ylabel("Y Axis")
plt.plot(xcordinates, ycordinates, marker="o", markersize=8, markerfacecolor="red")\\
plt.show()
# Function to apply translation to the object
def translate(xcordinates, ycordinates, tx, ty):
translated x = [x + tx \text{ for } x \text{ in xcordinates}]
translated_y=[y+ty for y in ycordinates]
#plot the translated object
plt.title("translated object")
plt.xlim(0, 7)
plt.ylim(0,6)
plt.xlabel("X Axis")
plt.ylabel("Y Axis")
plt.plot(translated\_x, translated\_y, marker="o", markersize=8, markerfacecolor="red")
plt.show()
# Function to apply scaling to the object
def scale(xcordinates, ycordinates, sx, sy):
scale x = [x*sx \text{ for } x \text{ in xcordinates}]
scale_y=[y*sy for y in ycordinates]
#plot the scaled object
plt.title("scaled object")
plt.xlim(0, 15)
plt.ylim(0,10)
plt.xlabel("X Axis")
plt.ylabel("Y Axis")
plt.plot(scale\_x, scale\_y, marker="o", markersize=8, markerfacecolor="red")
plt.show()
# Function to apply rotation to the object
def rotate(xcordinates, ycordinates, angle_degrees):
angle_rad = np.deg2rad(angle_degrees)
object_points = [(2, 3), (1, 4), (3, 2), (4, 1), (5,3)]
rotate\_x = [x* np.cos(angle\_rad) - y* np.sin(angle\_rad) \ for \ x,y \ in \ object\_points]
rotate_y=[x * np.sin(angle_rad) + y * np.cos(angle_rad) for x,y in object_points]
#plot the rotated object
plt.title("rotated object")
```

plt.xlim(-5, 3)
plt.ylim(0,10)
plt.xlabel("X Axis")
plt.ylabel("Y Axis")

plt.show()

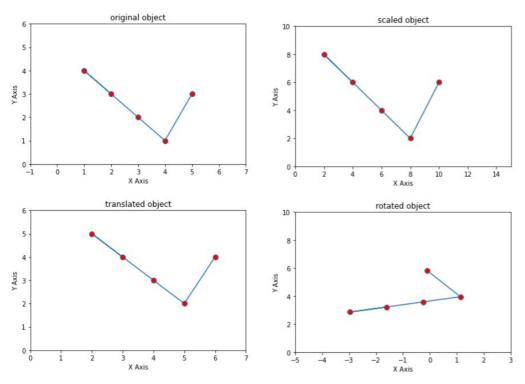
plt.plot(rotate\_x, rotate\_y,marker="o", markersize=8, markerfacecolor="red")

# Apply transformations translate(xcordinates,ycordinates, 1, 1)

scale(xcordinates, ycordinates, 2, 2)

rotate(xcordinates, ycordinates, 60)

# Output:



 $\label{label} LAB-6$  Implementation of various composite transformation techniques on an object

# Composite transformation by applying rotation and reflection on an object:

# Code:

```
import matplotlib.pyplot as plt
```

import numpy as np

# Define the 2D object as a list of points (x, y)

xcordinates=[2,3,2,4,2]

ycordinates=[2,2,3,2,1]

# Function to plot the original object

plt.title("original object")

plt.xlim(0,5)

plt.ylim(0,4)

plt.xlabel("X Axis")

plt.ylabel("Y Axis")

plt.plot(xcordinates, ycordinates, marker="o", markersize=8, markerfacecolor="red")

plt.show()

# Function to apply rotation and reflection to the object

 $def\ rotate and reflect (xcordinates, ycordinates,\ angle\_degrees, axis):$ 

 $angle\_rad = np.deg2rad(angle\_degrees)$ 

object\_points = [(2, 2), (3, 2), (2, 3), (4, 2), (2, 1)]

 $rotate\_x = [x* np.cos(angle\_rad) - y* np.sin(angle\_rad) \ for \ x,y \ in \ object\_points]$ 

 $rotate\_y\!\!=\!\![x*np.sin(angle\_rad)+y*np.cos(angle\_rad) \text{ for } x\!,\!y \text{ in object\_points}]$ 

if axis == 'x':

 $reflected_x = [x \text{ for } x \text{ in rotate}_x]$ 

reflected\_y=[-y for y in rotate\_y]

elif axis == 'y':

 $reflected_x = [-x \text{ for } x \text{ in rotate}_x]$ 

 $reflected\_y\!\!=\!\![y \text{ for } y \text{ in } rotate\_y]$ 

else: # No reflection for invalid axis

 $reflected_x = [x \text{ for } x \text{ in rotate}_x]$ 

plt.xlabel("X Axis") plt.ylabel("Y Axis") plt.plot(reflected\_x, reflected\_y, marker="o", markersize=8, markerfacecolor="red") plt.show() #apply transformation rotate and reflect (x cordinates, y cordinates, 45, 'x')Output: original object 4.0 3.5 3.0 2.5 Y Axis 1.5 1.0 0.5 0.0 rotated and reflected object -1.0 -1.5-2.0 -2.5 -3.0 -3.5 -4.5 0.5 X Axis 1.0 1.5 -0.5 0.0 -1.0 2.0 LAB - 7Simulation and Display of an Image, Negative of an image (Binary & Grey Scale). a) Negative of an image (Grey Scale). Code: #Step 1: Import the required libraries import cv2 import numpy as np import matplotlib.pyplot as plt #Step 2: Load and display the grayscale image image\_path="img.jpg"  $color\_image = cv2.imread(image\_path)$  $color\_image\_rgb = cv2.cvtColor(color\_image, cv2.COLOR\_BGR2RGB)$ plt.imshow(color\_image\_rgb) plt.title("ORIGINAL IMAGE") plt.axis('off') plt.show() # Replace with the path to your grayscale image  $gray\_image = cv2.imread(image\_path, cv2.IMREAD\_GRAYSCALE)$ #Step 3: Store the grayscale image in a matrix gray\_matrix = np.array(gray\_image) print("GRAY SCALE MATRIX") print(gray\_matrix) #Step 4: Negate the matrix  $negated\_matrix = 255 \text{ - } gray\_matrix \#S imple \ negation \ by \ subtracting \ from \ 255$ 

reflected\_y=[y for y in rotate\_y]

#plot the transformed object

plt.title("rotated and reflected object")

plt.xlim(-1,2) plt.ylim(-5,-1)

```
#Step 5: Display the grayscale image
plt.imshow(gray image, cmap='gray')
plt.title("GRAYSCALE IMAGE")
plt.axis('off')
plt.show()
#Step 6: Display the negated image
negated_image = negated_matrix
plt.imshow(negated_image, cmap = 'gray')
plt.title("NEGATED IMAGE (GRAY SCALE)")
plt.axis('off')
plt.show()
Output:
                     ORIGINAL IMAGE
```

print("\nGRAY NEGATED MATRIX")

print(negated\_matrix)



GRAY SCALE MATRIX [[63 63 63 ... 63 63 63] [63 63 63 ... 63 63 63] [63 63 63 ... 64 64 64] [13 13 13 ... 24 28 25] [19 16 11 ... 21 25 22] [23 20 14 ... 16 20 17]]

[192 192 192 ... 192 192 192] [192 192 192 ... 191 191 191] [242 242 242 ... 231 227 230]

GRAY NEGATED MATRIX [[192 192 192 ... 192 192 192] [236 239 244 ... 234 230 233] [232 235 241 ... 239 235 238]]

GRAYSCALE IMAGE

NEGATED IMAGE (GRAY SCALE)

b) Negative of an image (Binary).

# Code:

# Step 1: Import the required libraries

import cv2 import numpy as np

import matplotlib.pyplot as plt

# Step 2: Load and display the original color image

image\_path = "img.jpg"

 $color\_image = cv2.imread(image\_path)$ 

# Convert the color image to grayscale

 $gray\_image = cv2.cvtColor(color\_image, cv2.COLOR\_BGR2GRAY)$ 

# Step 3: Threshold the grayscale image to create a binary image

\_, binary\_image = cv2.threshold(gray\_image, 128, 255, cv2.THRESH\_BINARY)

# Step 4: Store the binary image in a matrix

binary\_matrix = np.array(binary\_image)

print("\nBINARY SCALE MATRIX")

print(binary\_matrix)

# Step 5: Negate the binary matrix

 $binary\_negated\_matrix = 255 - binary\_matrix$ 

print("\nBINARY NEGATED MATRIX")

print(binary\_negated\_matrix)

# Step 6: Display the binary image

```
plt.axis('off')
plt.show()
# Step 7: Display the negated binary image
plt.imshow(binary_negated_matrix, cmap='binary')
plt.title("NEGATED BINARY IMAGE")
plt.axis('off')
plt.show()
Output:
                                                                         BINARY IMAGE
```

# BINARY SCALE MATRIX [[0 0 0 ... 0 0 0] [0 0 0 ... 0 0 0] [0 0 0 ... 0 0 0] [0 0 0 ... 0 0 0] [0 0 0 ... 0 0 0] [0 0 0 ... 0 0 0]] BINARY NEGATED MATRIX [[255 255 255 ... 255 255 255] [255 255 255 ... 255 255 255] [255 255 255 ... 255 255 255] [255 255 255 ... 255 255 255] [255 255 255 ... 255 255 255] [255 255 255 ... 255 255 255]]

plt.imshow(binary\_image, cmap='binary')

plt.title("BINARY IMAGE")



# LAB - 8Computation of Mean, Median, Variance and Standard Deviation of the given Image. Code: import numpy as np import matplotlib.pyplot as plt # Load image img = plt.imread('img.jpg') # Compute mean, median, variance, and standard deviation mean = np.mean(img) median = np.median(img) variance = np.var(img)

# Print results print('Mean: ', mean) print('Median: ', median) print('Variance: ', variance) print('Standard Deviation: ', std dev) Output:

 $std_dev = np.std(img)$ 

Mean: 89.62031425891182 Median: 77.0

Variance: 3667.774505091983

Standard Deviation: 60.56215406581889

# LAB - 9

Display of colour images and conversion between colour spaces.

# Code:

import cv2

import matplotlib.pyplot as plt

# Load and Display Image

```
plt.imshow(cv2.cvtColor(image, cv2.COLOR_BGR2RGB))
plt.title('Original Image')
gray image = cv2.cvtColor(image, cv2.COLOR BGR2GRAY)
hsv_image = cv2.cvtColor(image, cv2.COLOR_BGR2HSV)
lab_image = cv2.cvtColor(image, cv2.COLOR_BGR2LAB)
# Display the original and converted images
plt.figure(figsize=(12, 4))
#Grayscale image
plt.subplot(1, 3, 1)
plt.imshow(gray_image, cmap='gray')
plt.title('Grayscale')
#HSV color space
plt.subplot(1, 3,2)
plt.imshow(cv2.cvtColor(hsv\_image, cv2.COLOR\_HSV2RGB))
plt.title('HSV Color Space')
#LAB color space
plt.subplot(1, 3,3)
plt.imshow(cv2.cvtColor(lab\_image, cv2.COLOR\_LAB2RGB))
plt.title('LAB Color Space')
plt.show()
Output:
                           Original Image
  100
                                        500
                   200
                                               600
                  Grayscale
                                                       HSV Color Space
                                                                                                LAB Color Space
  100
                                           100
                                                                                   100
                                                                                   200
                                                                                    300
  400
                                           400
                                                                                   400
                      400
                              600
                                                                       600
LAB - 10
Implement image segmentation using histogram thresholding.
Code:
import cv2
import numpy as np
import matplotlib.pyplot as plt
#Load the image
image = cv2.imread('shapes.jpg')
#Convert the image to grayscale
gray_image = cv2.cvtColor(image, cv2.COLOR_BGR2GRAY)
#Calculate histogram
hist = cv2.calcHist([gray_image], [0], None, [256], [0, 256])
# Plot the histogram
plt.plot(hist)
plt.title('Histogram')
plt.xlabel('Pixel Value')
plt.ylabel('Frequency')
plt.show()
```

image = cv2.imread('img.jpg')

# Apply thresholding (adjust the threshold value as needed)  $\_, segmented\_image = cv2.threshold(gray\_image, 0, 255, cv2.THRESH\_BINARY + cv2.THRESH\_OTSU)$ #Invert the pixel values to make background black and object white segmented\_image = cv2.bitwise\_not(segmented\_image) # Display the original and segmented images plt.subplot(1, 2, 1) plt.imshow(cv2.cvtColor(image, cv2.COLOR\_BGR2RGB)) plt.title('Original Image') plt.subplot(1, 2, 2)

plt.imshow(segmented\_image, cmap='gray')

plt.title('Segmented Image')

plt.show()

# Output:

