```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from scipy import stats
import seaborn as sns
import warnings
warnings.simplefilter(action='ignore', category=FutureWarning)
from sklearn.utils import resample
from sklearn.metrics import accuracy_score
import statsmodels.api as sm
```

```
In [727...
```

```
df = pd.read_csv("bike_sharing.csv")
```

Background:

Yulu has recently suffered considerable dips in its revenues. They have contracted a consulting company to understand the factors on which the demand for these shared electric cycles depends. Specifically, they want to understand the factors affecting the demand for these shared electric cycles in the Indian market.

How you can help here?

The company wants to know:

- Which variables are significant in predicting the demand for shared electric cycles in the Indian market?
- How well those variables describe the electric cycle demands

Primary Goal

- Recognizing significant features that will drive demand for shared electric cycles in the Indian market.
- How well those features describe the demand
- Recognizing Demand pattern based on season, weather condition, workingday, usage frequency etc.
- Indentifying customer segments, profiling and formulating markerting strategy
- How to drive sales of products and revenue, across product categories
 - Data driven discounting / offers among customer segments
- Statistical summary
 - More likelihood of purchase
 - Range / Limitation of data
- Long term benefits: Sales growth, Customer acquisition and retention

Basic Analysis

- Analysing metrics Basic metrics
 - Observations on shape of data
 - Data types of all the attributes
 - Conversion of categorical attributes to 'category' (If required)
 - Structure & characteristics of the dataset
 - Statistical summary

Structure & characteristics of the dataset

```
In [728...
        df.info()
        <class 'pandas.core.frame.DataFrame'>
        RangeIndex: 10886 entries, 0 to 10885
        Data columns (total 12 columns):
         # Column Non-Null Count Dtype
                       _____
           datetime 10886 non-null object
         0
           season 10886 non-null int64
holiday 10886 non-null int64
         1
         2 holiday
         3 workingday 10886 non-null int64
           weather 10886 non-null int64
         4
         5
           temp
                      10886 non-null float64
          atemp 10886 non-null float64
         6
          humidity 10886 non-null int64
         7
                       10886 non-null float64
         8
           windspeed
         9 casual 10886 non-null int64
        10 registered 10886 non-null int64
                       10886 non-null int64
        11 count
        dtypes: float64(3), int64(8), object(1)
        memory usage: 1020.7+ KB
```

Observations on shape of data

```
In [729... df.shape
Out[729]: (10886, 12)
```

• Conclusion - Not a small size sample

Statistical summary

```
In [730... df.describe()
```

Out[730]:		season	holiday	workingday	weather	temp	atemp	humidity	winds
	count	10886.000000	10886.000000	10886.000000	10886.000000	10886.00000	10886.000000	10886.000000	10886.00
	mean	2.506614	0.028569	0.680875	1.418427	20.23086	23.655084	61.886460	12.79
	std	1.116174	0.166599	0.466159	0.633839	7.79159	8.474601	19.245033	8.16
	min	1.000000	0.000000	0.000000	1.000000	0.82000	0.760000	0.000000	0.00
	25%	2.000000	0.000000	0.000000	1.000000	13.94000	16.665000	47.000000	7.00
	50%	3.000000	0.000000	1.000000	1.000000	20.50000	24.240000	62.000000	12.99
	75%	4.000000	0.000000	1.000000	2.000000	26.24000	31.060000	77.000000	16.99
	max	4.000000	1.000000	1.000000	4.000000	41.00000	45.455000	100.000000	56.99

```
In [731... df.describe(include=object)
```

```
Out[731]: datetime

count 10886

unique 10886

top 2011-01-01 00:00:00

freq 1
```

Not converting of categorical attributes to 'category' for the interest of statistical hypothesis test.

Converting datetime into month days and year

```
In [732...

df["datetime"]= pd.to_datetime(df["datetime"])

df["rented_year"] = df["datetime"].dt.year

df["rented_month"] = df["datetime"].dt.month_name()

df["rented_weekday"] = df["datetime"].dt.weekday
```

Non-Graphical Analysis

```
In [733...
            df.head()
               datetime season holiday workingday weather temp atemp humidity windspeed casual registered
Out[733]:
               2011-01-
                     01
                              1
                                                   0
                                                                9.84
                                                                     14.395
                                                                                    81
                                                                                               0.0
                                                                                                        3
                                                                                                                  13
                00:00:00
               2011-01-
                                                                                                                  32
                     01
                              1
                                       0
                                                   0
                                                                9.02 13.635
                                                                                    80
                                                                                               0.0
                01:00:00
               2011-01-
                    01
                              1
                                      0
                                                   0
                                                                9.02 13.635
                                                                                    80
                                                                                               0.0
                                                                                                        5
                                                                                                                  27
                02:00:00
               2011-01-
                    01
                                                                9.84 14.395
                                                                                    75
                                                                                               0.0
                                                                                                                  10
                03:00:00
               2011-01-
                                                                9.84 14.395
                                                                                    75
                                                                                               0.0
                                                                                                                   1
                    01
                04:00:00
In [734...
            df["weather"].value counts(normalize=True) *100
                  66.066507
Out[734]:
                  26.033437
```

Observation

7.890869 0.009186

Name: weather, dtype: float64

- Very less sample of weather 4 (i.e. 0.009%), so we can get rid of that category
- Unbalanced weather categories / groups

```
In [735... df["season"].value_counts(normalize=True)*100
```

```
Out[735]: 4 25.114826
2 25.105640
3 25.105640
1 24.673893
Name: season, dtype: float64
```

Balanced season categories / groups

```
In [859... df["holiday"].value_counts(normalize=True)*100

Out[859]: 0 97.14312
1 2.85688
Name: holiday, dtype: float64
```

Observation

Un-Balanced holiday samples

• Feature types by data type

Missing Value Detection

Missing value detection

	column_name	percent_missing			
datetime	datetime	0.0			
season	season	0.0			
holiday	holiday	0.0			
workingday	workingday	0.0			
weather	weather	0.0			
temp	temp	0.0			
atemp	atemp	0.0			
humidity	humidity	0.0			
windspeed	windspeed	0.0			
casual	casual	0.0			
registered	registered	0.0			
count	count	0.0			
rented_year	rented_year	0.0			
rented_month	rented_month	0.0			
rented_weekday	rented_weekday	0.0			

• Insights:

Out[737]:

- Zero missing values , good quality data
- No missing value treatments required

Outliers by feature name --> count

Outlier Detection & Treatment Consideration

```
In [738...

def find_outliers_IQR(column_name,df_group):
    print("Outliers by feature name --> ",column_name)
    Q1=df_group[column_name].quantile(0.25)
    Q3=df_group[column_name].quantile(0.75)

    IQR=Q3-Q1
    lower = Q1 - 1.5*IQR
    upper = Q3 + 1.5*IQR
    outliers = df_group[((df_group[column_name]<lower) | (df_group[column_name]>upper))]
    return outliers

In [739...

find_outliers_IQR("count",df)
```

Out[739]:		datetime	season	holiday	workingday	weather	temp	atemp	humidity	windspeed	casual	registered
	6611	2012-03- 12 18:00:00	1	0	1	2	24.60	31.060	43	12.9980	89	623
	6634	2012-03- 13 17:00:00	1	0	1	1	28.70	31.820	37	7.0015	62	614
	6635	2012-03- 13 18:00:00	1	0	1	1	28.70	31.820	34	19.9995	96	638
	6649	2012-03- 14 08:00:00	1	0	1	1	18.04	21.970	82	0.0000	34	628
	6658	2012-03- 14 17:00:00	1	0	1	1	28.70	31.820	28	6.0032	140	642
	•••											
	10678	2012-12- 11 08:00:00	4	0	1	2	13.94	15.150	61	19.9995	16	708
	10702	2012-12- 12 08:00:00	4	0	1	2	10.66	12.880	65	11.0014	18	670
	10726	2012-12- 13 08:00:00	4	0	1	1	9.84	11.365	60	12.9980	24	655
	10846	2012-12- 18 08:00:00	4	0	1	1	15.58	19.695	94	0.0000	10	652
	10870	2012-12-	4	0	1	1	9.84	12.880	87	7.0015	13	665

300 rows × 15 columns

08:00:00

Conclusion

- Outliers impacts mean based statistical methods
- Observation during outlier removal
- However, post outlier removal on dependent feature "count", still there are outliers exists in independent feature level e.g. different weather groups and season groups
- Removing those outliers iteratively , can result loss of significant feature
- **Need domain expert consultation** before removing independent feature based outliers
- Hence proceeding with Baseline analysis with outliers
- Moreover, certain deep learning model can work without outliers, hence skipping outlier removal

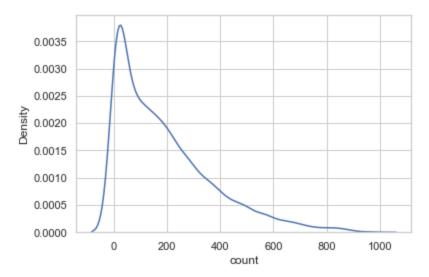
```
In [740... df.shape
```

Out[740]:

(10886, 15)

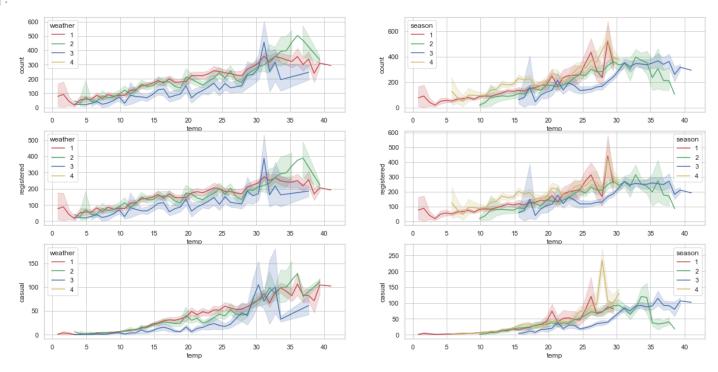
In [741... sns.kdeplot(data=df, x="count")

Out[741]: <AxesSubplot:xlabel='count', ylabel='Density'>



```
In [818...
#Temperature , count wrt. weather and season
fig, axes = plt.subplots(nrows=3, ncols=2, figsize=(20,10))
sns.lineplot(ax=axes[0,0], data=df, x="temp", y="count",hue="weather",palette=['r', 'g',
sns.lineplot(ax=axes[0,1], data=df, x="temp", y="count",hue="season",palette=['r', 'g',
sns.lineplot(ax=axes[1,0], data=df, x="temp", y="registered",hue="weather",palette=['r',
sns.lineplot(ax=axes[1,1], data=df, x="temp", y="registered",hue="season",palette=['r',
sns.lineplot(ax=axes[2,0], data=df, x="temp", y="casual",hue="weather",palette=['r', 'g',
sns.lineplot(ax=axes[2,1], data=df, x="temp", y="casual",hue="season",palette=['r', 'g',
sns.lineplot(ax=axes[2,1], data=df, x="temp", y="casual",
```

Out[818]: <AxesSubplot:xlabel='temp', ylabel='casual'>

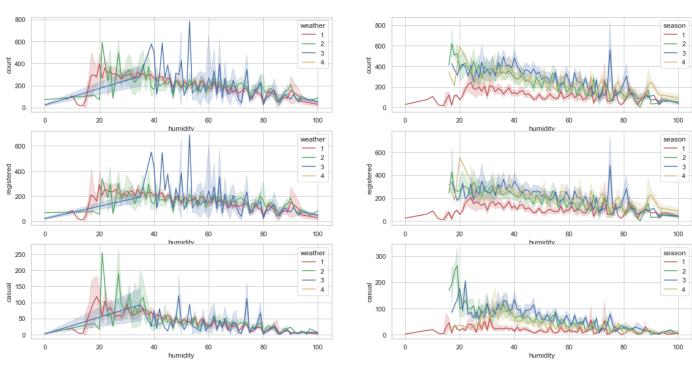


- Insights based on temperature, weather and user categories (i.e. Registered vs Casual user)
 - Weather(2 in green) Mist + Cloudy, Mist + Broken clouds, Mist + Few clouds, Mist
 - Pleasant temperature (between 25 and 35) the average volume of rents were high
 - Trends is consistent for both registered and Casual users

- Weather(3 in blue) Light Snow, Light Rain + Thunderstorm + Scattered clouds, Light Rain + Scattered clouds
 - Registered user High volume rents when temperature between 31 to ~ 33
 - Casual user High volume rents when temperature between ~28 to ~ 31
- On high temperature (beyond 36/37 average volume of rents starts reducing)
- Spring season (i.e. 1 in red) with temp between 25 to ~29 degree high volumes were observed
 - This is **significantly contributed by registered users**
- Fall season (i.e. 3 in blue) with temp between ~27 to ~37 degree moderate volumes were observed
 - This is contributed by both registered and casual users

```
In [821... # Humidity , count wrt. weather and season
fig, axes = plt.subplots(nrows=3, ncols=2, figsize=(20,10))
sns.lineplot(ax=axes[0,0], data=df, x="humidity", y="count",hue="weather",palette=['r',
sns.lineplot(ax=axes[0,1], data=df, x="humidity", y="count",hue="season",palette=['r',
sns.lineplot(ax=axes[1,0], data=df, x="humidity", y="registered",hue="weather",palette=
sns.lineplot(ax=axes[1,1], data=df, x="humidity", y="registered",hue="season",palette=['r',
sns.lineplot(ax=axes[2,0], data=df, x="humidity", y="casual",hue="weather",palette=['r',
sns.lineplot(ax=axes[2,1], data=df, x="humidity", y="casual",hue="season",palette=['r',
sns.lineplot(ax=axes[2,1], data=df, x="humidity", y="casual",hue="season",p
```

Out[821]: <AxesSubplot:xlabel='humidity', ylabel='casual'>

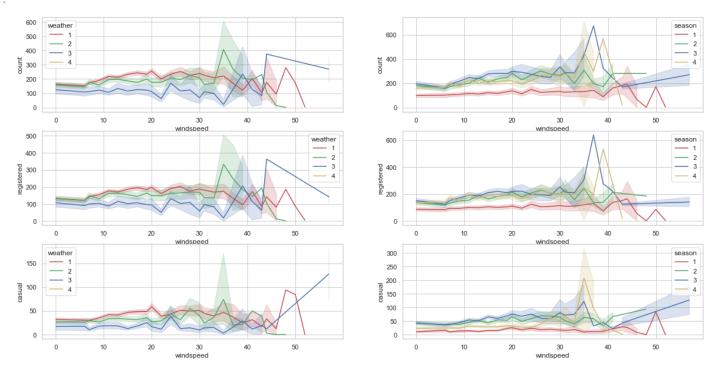


- Insights based on humidity
 - Humidity (close to 60 or more) largely effects average volume of rents
 - However during **fall** around **humidity around 75-78** high volume rents were observed
 - At Low humidity, more aggresive marketing campaign should be targetted
 - Others seasons except Spring , with humidity within 40 should be targeted for more marketing campaign
 - Casual users rents Targeted marketing should be done
 - o more in season 2(i.e. summer) in green and season 3(i.e. fall) in blue
 - o less in season 1(i.e. spring) in red

```
In [822... # Windspeed , count wrt. weather and season
fig, axes = plt.subplots(nrows=3, ncols=2, figsize=(20,10))
```

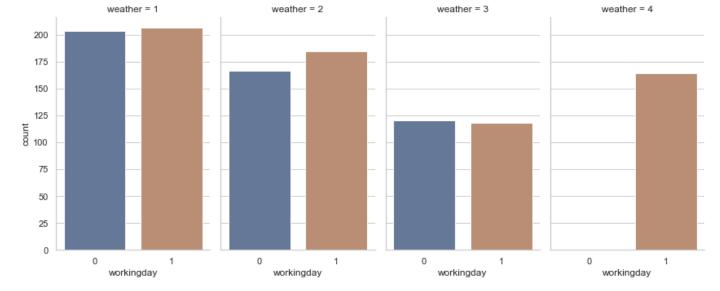
```
sns.lineplot(ax=axes[0,0], data=df, x="windspeed", y="count", hue="weather", palette=['r',
sns.lineplot(ax=axes[0,1], data=df, x="windspeed", y="count", hue="season", palette=['r',
sns.lineplot(ax=axes[1,0], data=df, x="windspeed", y="registered", hue="weather", palette=
sns.lineplot(ax=axes[1,1], data=df, x="windspeed", y="registered", hue="season", palette=
sns.lineplot(ax=axes[2,0], data=df, x="windspeed", y="casual", hue="weather", palette=['r',
sns.lineplot(ax=axes[2,1], data=df, x="windspeed", y="casual", hue="season", palette=['r',
```

Out[822]: <AxesSubplot:xlabel='windspeed', ylabel='casual'>



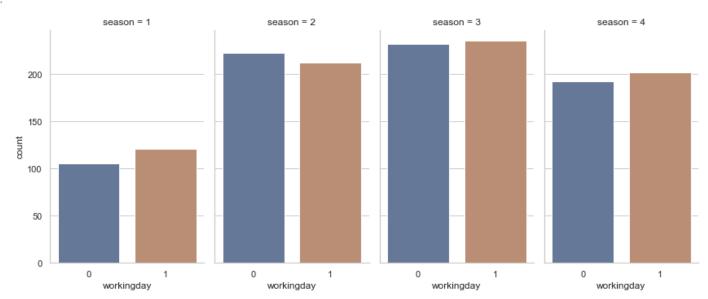
- Insights based on windspeed
 - Windspeed between ~33 to 40 high volume rents were observed
 - Majorly contributed by registered users
 - Specially for weather = 2 (in green) i.e. Mist + Cloudy, Mist + Broken clouds, Mist + Few clouds, Mist
 - **Specially in season fall** (i.e. 3 in blue) and **winter**(i.e. 4 in yellow)
 - Registered users rents more in both fall and winter season
 - Casual users rents more in winter season
 - Windspeed beyond 46 or more, volumes are very low. Hence some attractive deals should be released for specific customer profiles

Out[860]:



In [861... sns.catplot(x="workingday", y="count", col="season",data=df, saturation=.5,kind="bar",

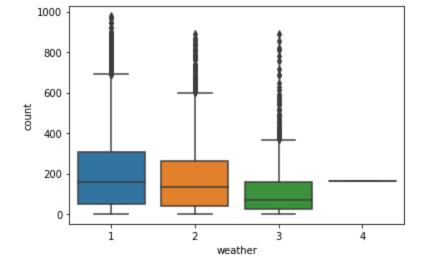
Out[861]: <seaborn.axisgrid.FacetGrid at 0x1705109ba60>



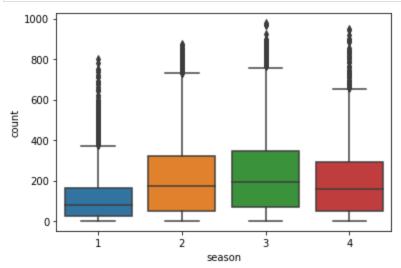
- Insights on other factors
 - More cycles rented when weather is either "Clear, Few clouds, partly cloudy, partly cloudy" or
 "Mist + Cloudy, Mist + Broken clouds, Mist + Few clouds, Mist"
 - More cycles rented when season is either "Summer" or "Fall"
 - Month, year and weekday doesn't have much impact on cycles being rented

Rental Analysis

```
In [628...
sns.boxplot(x = "weather", y="count", data=df)
plt.show()
```



```
In [629...
sns.boxplot(x = "season", y="count", data=df)
plt.show()
```



- Observation Outliers still exist post removal of outliers on overall samples
 - High outliers
 - season = 1 samples
 - weather = 3 samples

df_season_2 = df[df["season"] == 2]
df_season_3 = df[df["season"] == 3]
df season 4 = df[df["season"] == 4]

- Season 2 and 3 doesn't have outliers
- Season 4 has outliers too
- weather 2 has outliers too

Split season and weather data into groups

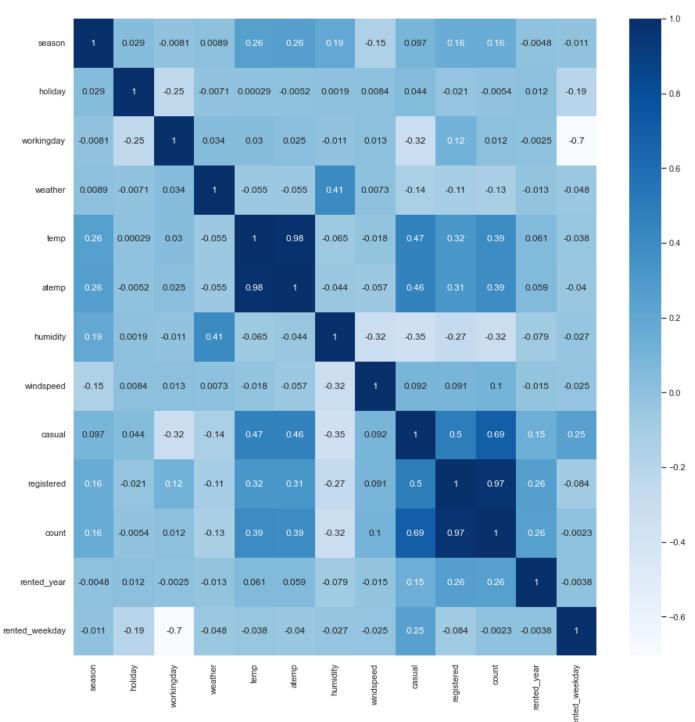
• Heatmap

Person correlation

- Pearson's correlation coefficient, r, is very sensitive to outliers
- It can have a very large effect on the line of best fit and the Pearson correlation coefficient.
- This means including outliers in your analysis can lead to misleading results.

```
fig, ax = plt.subplots(figsize=(15,15))
sns.heatmap(df.corr(method='pearson'), cmap="Blues", annot=True)
```

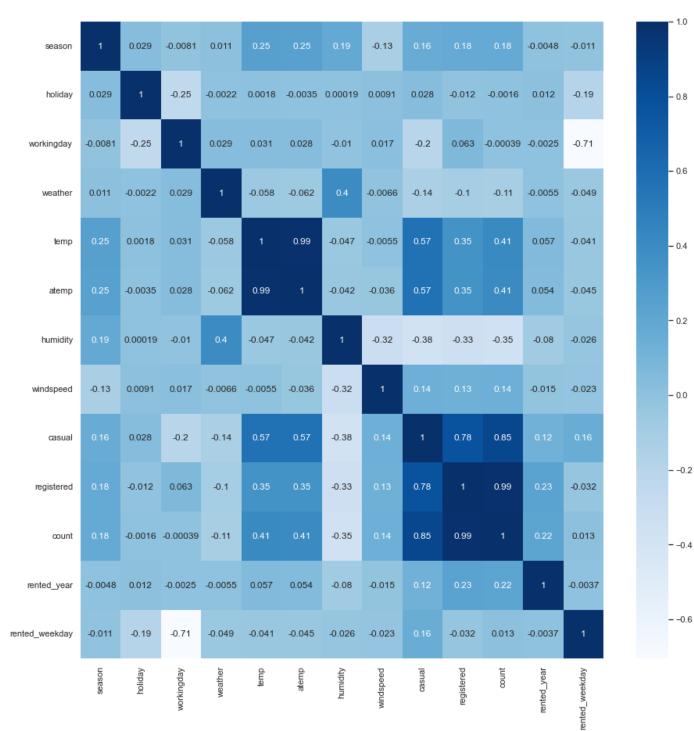
Out[828]: <AxesSubplot:>



Spearman correlation - Better measure as there are multiple outliers in each groups

```
In [832...
fig, ax = plt.subplots(figsize=(15,15))
sns.heatmap(df.corr(method='spearman'), cmap="Blues", annot=True)
```

Out[832]: <AxesSubplot:>



Insights:

- High correlation between following variables
 - o temp and atemp
 - o registered and count
 - o casual and count
- Slight correlation between following variables
 - o humidity and weather
 - casual and temp
 - temp and register
 - atemp and register
 - o temp/atemp and season

. .

Sample T-Test

- Sample T-Test to check if Working Day has an effect on the number of electric cycles rented
 - Define H0 and Ha
 - Null hypothesis (H0): Group means of Number of electric cycles, and Working days are equal
 - Alternate hypothesis (Ha): Group means of Number of electric cycles, and Working days are NOT equal**
 - Define experiment and "sensible" (i.e. distribution of test under H0) test statistics
 - Two sample T-test (Independent) .
 - Note: Could have used z-test as well because sample size is more than 30. However, T-test will be turnout to Z-Test as sample size is large (i.e. more than 10k)
 - o Independent T-Test: Two diffrent random variable (i.e. count and workingday) being tested
 - Decide One sided / two-sided tail test
 - Two-sided as in Ha the measure is "not equal", we're neither checking greater nor lesser
 - Define alfa (significance level)
 - Let's assume significance level(alpha value) as 5%
 - Calculate p-value

```
In [633... stats.ttest_ind(df["count"],df["workingday"])
Out[633]: Ttest_indResult(statistic=109.95076974934595, pvalue=0.0)
```

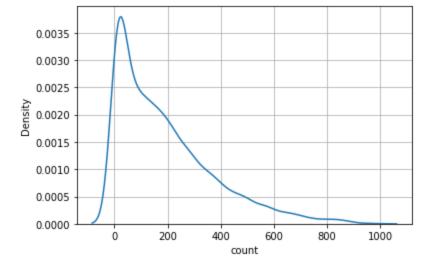
- T-Test Analysis
 - Conclusion
 - Failed to accept Null hupothesis as p value is 0 i.e. less than alpha value .05
 - o Can't reject that working day has no effect on number of electric cycles rented

ANOVA

- ANOVA Assumptions: Following assumptions must be verified before applying ANNOVA
 - 1 Each group's observations are Gaussian (Can be verified using **distplot**)
 - 2 Each group's variance is roughly the same (Can be verified using histplot and levene's test)
 - 3 Each observation is independent (can be verified **using Chi-square test**)

(STEP 1) Verify ANOVA Assumption # 1 - Group's observations are Gaussian or not

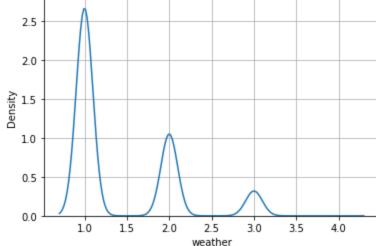
```
In [634...
sns.distplot(df["count"], hist=False)
plt.grid()
```



- Observation (on count):
 - Doesn't follow Gaussian
 - Conclusion: Can't apply ANOVA directly, need to apply transform or split the data into independent group before using ANOVA

(STEP 1.1) Split the data to seperate groups

• **Weather** - Analysis of weather by splitting it into independent sub groups - weather 1, 2, 3 (Ignoring 4 as there only 1 sample)

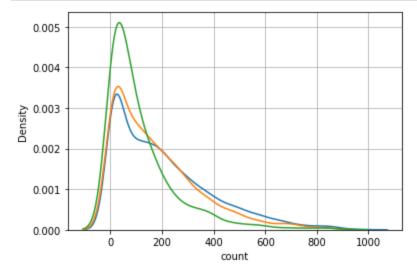


- Observation (on Weather):
 - Weather is a discreate random variable, this distribution won't be useful, need to focus on
 "count" distribution of each weather groups, instead of overall weather sample

- It also follows multi modal distribution(will not follow Gaussian ever as Gaussian is applicable for continious random variable)
- Multi modal often means that data has a combination of many different subsets of observations
- Next approach Split the data to seperate groups and see that follows Gaussian and then apply ANOVA if it follows Gaussian

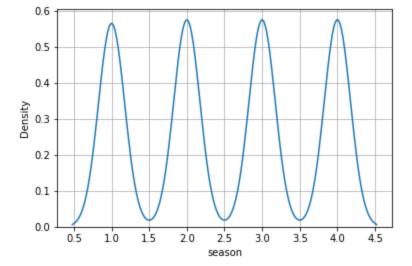
```
In [637...
     df_weather_1 = df[df["weather"] == 1]
     df_weather_2 = df[df["weather"] == 2]
     df_weather_3 = df[df["weather"] == 3]
```

```
In [638...
sns.distplot(df_weather_1["count"], hist=False)
sns.distplot(df_weather_2["count"], hist=False)
sns.distplot(df_weather_3["count"], hist=False)
plt.grid()
```



- Further Observation (on Weather):
 - Doesn't follow Gaussian even with individual weather groups
 - Conclusion : Can't apply ANOVA directly , need to apply transform before using ANOVA
- Season Analysis of weather by splitting it into independent sub groups 1, 2, 3, 4

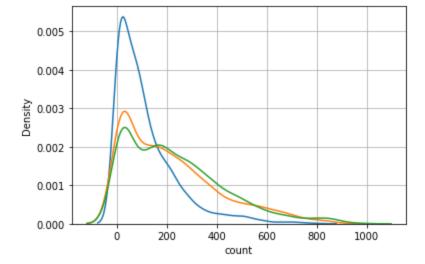
```
In [639...
sns.distplot(df["season"], hist=False)
plt.grid()
```



• Observation (on Season):

- Season is a discreate random variable, this distribution won't be useful, need to focus on "count" distribution of each season groups, instead of overall season sample
- It also follows multi modal distribution(will not follow Gaussian ever as Gaussian is applicable for continious random variable)
- Multi modal often means that data has a combination of many different subsets of observations
- Next approach Split the data to seperate groups and see that follows Gaussian and then apply ANOVA if it follows Gaussian

```
In [640...
          df["season"].value counts()
               2734
Out[640]:
               2733
               2733
          3
               2686
          Name: season, dtype: int64
In [641...
          df season 1 = df[df["season"] == 1]
          df season 2 = df[df["season"] == 2]
          df season 3 = df[df["season"] == 3]
In [642...
          sns.distplot(df season 1["count"], hist=False)
          sns.distplot(df season 2["count"], hist=False)
          sns.distplot(df season 3["count"], hist=False)
          plt.grid()
```



- Further Observation (on Season):
 - Doesn't follow Gaussian even with individual season groups
 - season 3 has bimodal distribution it seems

10

15

■ Conclusion : Can't apply ANNOVA directly , need to apply transform before using ANOVA

(STEP 1.2) Transform distribution to covert to Gaussian

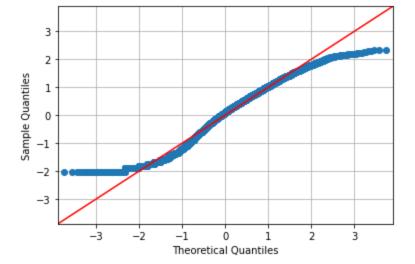
• Box-Cox Transformation (combined groups)

QQplot normality check

0.00

```
In [645...
fig = sm.qqplot(fitted_data, line='45', fit=True)
plt.grid()
```

20



```
In [646...

df_weather1_selected = df_weather_1[["weather","count"]]

df_weather2_selected = df_weather_2[["weather","count"]]

df_weather3_selected = df_weather_3[["weather","count"]]

df_season1_selected = df_season_1[["season","count"]]

df_season2_selected = df_season_2[["season","count"]]

df_season3_selected = df_season_3[["season","count"]]
```

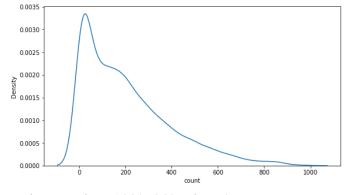
• Box-Cox Transformation (Individual groups)

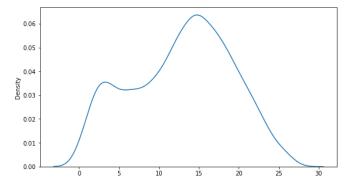
```
In [647... # transform data & save lambda value

df_weather1_boxcox_transformed, df_weather1_boxcox_fitted_lambda = stats.boxcox(df_weather1_weather2_boxcox_transformed, df_weather2_boxcox_fitted_lambda = stats.boxcox(df_weather2_weather3_boxcox_transformed, df_weather3_boxcox_fitted_lambda = stats.boxcox(df_weather3_weather3_boxcox_transformed, df_season1_boxcox_fitted_lambda = stats.boxcox(df_season1_df_season2_boxcox_transformed, df_season2_boxcox_fitted_lambda = stats.boxcox(df_season2_df_season3_boxcox_transformed, df_season3_boxcox_fitted_lambda = stats.boxcox(df_season3_df_season3_boxcox_transformed, df_season3_boxcox_fitted_lambda = stats.boxcox(df_season3_df_season3_boxcox_transformed, df_season3_boxcox_fitted_lambda = stats.boxcox(df_season3_df_season3_boxcox_fitted_lambda = stats.boxcox(df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_season3_df_seaso
```

• Weather 1 - Before and After Boxcox transformation

```
fig, ax = plt.subplots(1, 2)
plt.figure(figsize=(15,5))
sns.distplot(df_weather1_selected["count"], hist=False,ax = ax[0])
sns.distplot(df_weather1_boxcox_transformed, hist=False,ax = ax[1])
# rescaling the subplots
fig.set_figheight(5)
fig.set_figwidth(20)
```

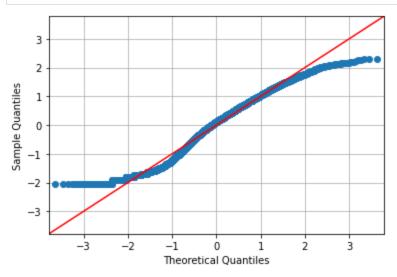




<Figure size 1080x360 with 0 Axes>

QQplot weather = 1

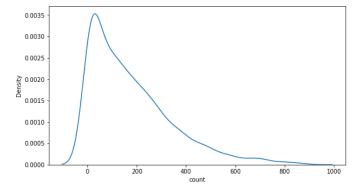
in [649... fig = sm.qqplot(df_weather1_boxcox_transformed, line='45', fit=True)
plt.grid()

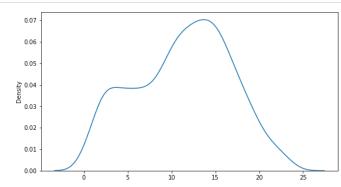


Observations

- Post transform weather == 1 category doesn't follow Gaussian distribution
- Need to check normality using other statistical methods such as Kolmogorov Smirnov test (kstest) or Anderson-Darling Normality Test (AD)
- Weather 2 Before and After Boxcox transformation

```
fig, ax = plt.subplots(1, 2)
plt.figure(figsize=(15,5))
sns.distplot(df_weather2_selected["count"], hist=False,ax = ax[0])
sns.distplot(df_weather2_boxcox_transformed, hist=False,ax = ax[1])
# rescaling the subplots
fig.set_figheight(5)
fig.set_figwidth(20)
```

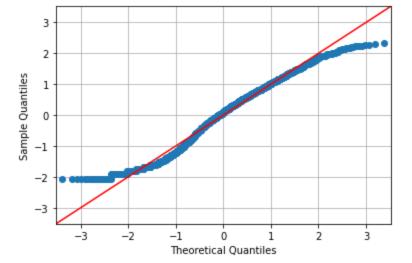




<Figure size 1080x360 with 0 Axes>

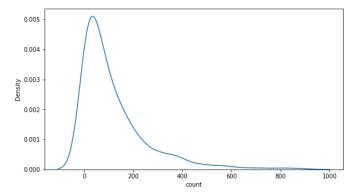
QQplot weather = 2

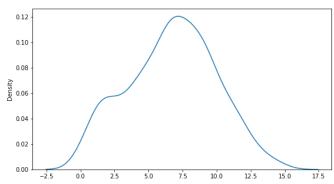
```
In [651... fig = sm.qqplot(df_weather2_boxcox_transformed, line='45', fit=True)
    plt.grid()
```



- Post transform **weather** == **2** category **doesn't follow** Gaussian distribution
- Need to check normality using other statistical methods such as Kolmogorov Smirnov test (kstest) or Anderson-Darling Normality Test (AD)
- Weather 3 Before and After Boxcox transformation

```
fig, ax = plt.subplots(1, 2)
plt.figure(figsize=(15,5))
sns.distplot(df_weather3_selected["count"], hist=False,ax = ax[0])
sns.distplot(df_weather3_boxcox_transformed, hist=False,ax = ax[1])
# rescaling the subplots
fig.set_figheight(5)
fig.set_figwidth(20)
```

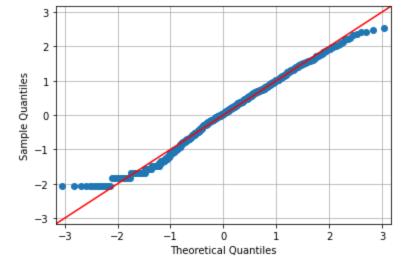




<Figure size 1080x360 with 0 Axes>

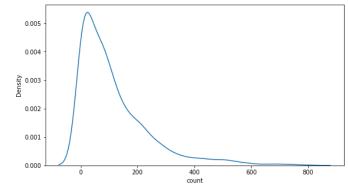
QQplot weather = 3

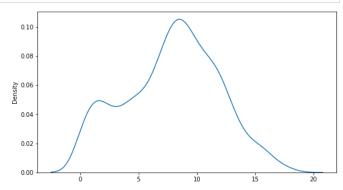
```
In [653...
    fig = sm.qqplot(df_weather3_boxcox_transformed, line='45', fit=True)
    plt.grid()
```



- Post transform weather == 3 category doesn't follow Gaussian distribution
- Need to check normality using other statistical methods such as Kolmogorov Smirnov test (kstest) or Anderson-Darling Normality Test (AD)
- Season 1 Before and After Boxcox transformation

```
fig, ax = plt.subplots(1, 2)
plt.figure(figsize=(15,5))
sns.distplot(df_season1_selected["count"], hist=False,ax = ax[0])
sns.distplot(df_season1_boxcox_transformed, hist=False,ax = ax[1])
# rescaling the subplots
fig.set_figheight(5)
fig.set_figwidth(20)
```

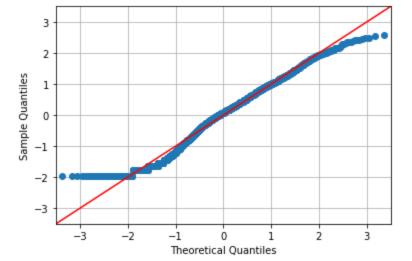




<Figure size 1080x360 with 0 Axes>

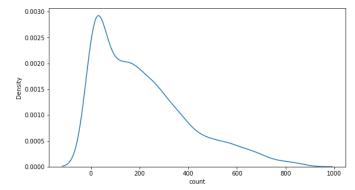
QQplot season = 1

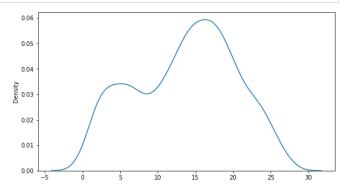
```
In [655...
    fig = sm.qqplot(df_season1_boxcox_transformed, line='45', fit=True)
    plt.grid()
```



- Post transform **season** == **1** category **doesn't follow Gaussian** distribution
- Need to check normality using other statistical methods such as Kolmogorov Smirnov test (kstest) or Anderson-Darling Normality Test (AD)
- Season 2 Before and After Boxcox transformation

```
fig, ax = plt.subplots(1, 2)
plt.figure(figsize=(15,5))
sns.distplot(df_season2_selected["count"], hist=False,ax = ax[0])
sns.distplot(df_season2_boxcox_transformed, hist=False,ax = ax[1])
# rescaling the subplots
fig.set_figheight(5)
fig.set_figwidth(20)
```

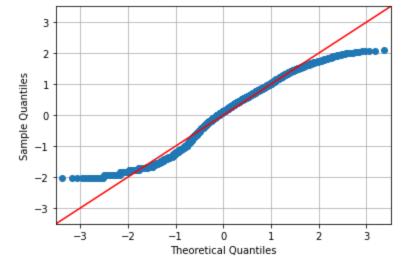




<Figure size 1080x360 with 0 Axes>

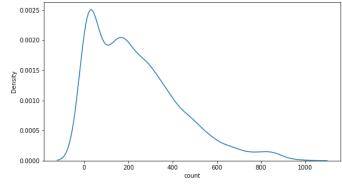
QQplot season = 2

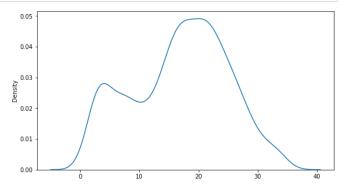
```
In [657...
    fig = sm.qqplot(df_season2_boxcox_transformed, line='45', fit=True)
    plt.grid()
```



- Post transform **season** == **2** category **doesn't follow** Gaussian distribution
- Need to check normality using other statistical methods such as Kolmogorov Smirnov test (kstest) or Anderson-Darling Normality Test (AD)
- Season 3 Before and After Boxcox transformation

```
fig, ax = plt.subplots(1, 2)
plt.figure(figsize=(15,5))
sns.distplot(df_season3_selected["count"], hist=False,ax = ax[0])
sns.distplot(df_season3_boxcox_transformed, hist=False,ax = ax[1])
# rescaling the subplots
fig.set_figheight(5)
fig.set_figwidth(20)
```

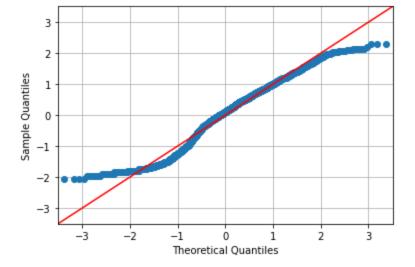




<Figure size 1080x360 with 0 Axes>

QQplot season = 3

```
In [659...
fig = sm.qqplot(df_season3_boxcox_transformed, line='45', fit=True)
plt.grid()
```



- Post transform **season** == **3** category **approximately follow** Gaussian distribution
- Need to check normality using other statistical methods such as Kolmogorov Smirnov test (kstest) or Anderson-Darling Normality Test (AD)

(STEP 1.3) Test Normality using other statistical method (As QQPlot doesn't show not conclisive evidence of Normality)

• Kolmogorov Smirnov test (kstest) - To check Normality of the distribution

```
In [660..
          stats.kstest(df weather1 boxcox transformed, 'norm')
          KstestResult(statistic=0.9385930973247315, pvalue=0.0)
Out[660]:
In [661...
          stats.kstest(df weather2 boxcox transformed, 'norm')
          KstestResult(statistic=0.9359574835229192, pvalue=0.0)
Out[661]:
In [662...
          stats.kstest(df weather3 boxcox transformed, 'norm')
          KstestResult(statistic=0.8858224081312904, pvalue=0.0)
Out[662]:
In [663...
          stats.kstest(df season1 boxcox transformed, 'norm')
          KstestResult(statistic=0.8728628209447495, pvalue=0.0)
Out[663]:
In [664...
          stats.kstest(df season2 boxcox transformed, 'norm')
          KstestResult(statistic=0.9469166155588353, pvalue=0.0)
Out[664]:
In [665...
          stats.kstest(df season3 boxcox transformed, 'norm')
          KstestResult(statistic=0.9678883811012187, pvalue=0.0)
Out[665]:
```

• Anderson-Darling Normality Test (AD) - To check Normality of the distribution

```
In [666...
          stats.anderson(df weather1 boxcox transformed, 'norm')
         AndersonResult(statistic=43.31858675187959, critical values=array([0.576, 0.656, 0.787,
Out[666]:
         0.917, 1.091]), significance level=array([15., 10., 5., 2.5, 1.]))
In [667...
          stats.anderson(df weather2 boxcox transformed, 'norm')
         AndersonResult(statistic=14.843634614999246, critical values=array([0.575, 0.655, 0.786,
Out[667]:
         0.917, 1.09 ]), significance_level=array([15. , 10. , 5. , 2.5, 1. ]))
In [668...
          stats.anderson(df weather3 boxcox transformed, 'norm')
         AndersonResult(statistic=2.1879393636947952, critical values=array([0.573, 0.653, 0.783,
Out[668]:
         0.914, 1.087]), significance level=array([15. , 10. , 5. , 2.5, 1. ]))
In [669...
          stats.anderson(df season1 boxcox transformed, 'norm')
         AndersonResult(statistic=11.083539750920863, critical values=array([0.575, 0.655, 0.786,
Out[669]:
         0.917, 1.09 ]), significance level=array([15., 10., 5., 2.5, 1.]))
In [670...
          stats.anderson(df season2 boxcox transformed, 'norm')
         AndersonResult(statistic=19.764933058189854, critical values=array([0.575, 0.655, 0.786,
Out[670]:
         0.917, 1.09 ]), significance level=array([15., 10., 5., 2.5, 1.]))
In [671...
         stats.anderson(df season1 boxcox transformed, 'norm')
         AndersonResult(statistic=11.083539750920863, critical values=array([0.575, 0.655, 0.786,
Out[671]:
         0.917, 1.09 ]), significance level=array([15., 10., 5., 2.5, 1.]))
```

Interpretation of Anderson test

- If the returned statistic is larger than these critical values then for the corresponding significance level,
- the null hypothesis that the data come from the Normal distribution can be rejected.

(STEP 1) Conclusion :

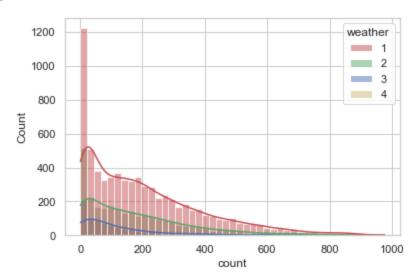
- Transformation did help to convert count distribution to follow Gaussian distribution for each groups
- None of the Groups (both weather and season) followed Gaussian
 - QQplot failed to prove the normality as there is deviation from fitted line at the ends
 - **KS Test failed to prove normality** as p-value of each group is equal to 0 i.e. less than alpha (0.05)
 - AD test failed to prove normality Returned statistic is larger than critical values for the corosponding significance level hence the null hypothesis that the data come from the Normal distribution can be rejected
- Assumption # 1 for ANOVA didn't satisfy hence can't use ANOVA

(STEP 2) Verify ANOVA Assumption # 2 - Group's variance is roughly the same or not

Weather

```
In [834... sns.histplot(data=df, x="count", hue="weather",kde=True,palette=['r', 'g', 'b', 'y'])
```

Out[934]: <AxesSubplot:xlabel='count', ylabel='Count'>



Obervations:

- All group's variance's are more or less close to each other
- Need statisctical tools to confirm that
- Need to use Levene's test to confirm if variances are same or not

• Hypothesis for **Variance test (weather)**

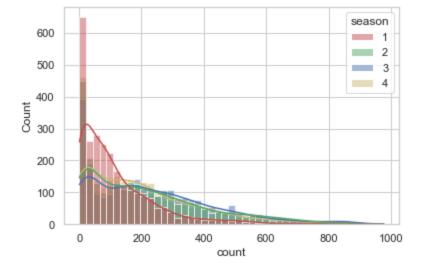
- H0 : variance of weather 1 == variance of weather 2 == variance of weather 3 come i.e. all groups comes from populations with equal variances.
- Ha: variances are not equal

```
In [673... test_stat, p_values = stats.levene(df_weather_1["count"], df_weather_2["count"], df_weat
In [674... test_stat, p_values
Out[674]: (81.67574924435011, 6.198278710731511e-36)
```

Obervations

The small p-value suggests that diff weather groups do not have equal variances

• Season



- Hypothesis for Variance test (season)
 - H0 : variance of season 1 == variance of season 2 == variance of season 3 come i.e. all groups comes from populations with equal variances.
 - Ha: variances are not equal

```
In [676...
          test stat, p values = stats.levene(df season 1["count"], df season 2["count"], df season
In [677...
          test stat, p values
          (280.90498528117473, 1.0617529673100525e-118)
Out[677]:
In [678...
          test stat, p values = stats.levene(df season 1["count"], df weather 1["count"])
          test stat, p values
          (467.07468504263414, 3.0040040199868985e-101)
Out[678]:
In [679...
          test stat, p values = stats.levene(df season 2["count"], df weather 2["count"])
          test stat, p values
          (48.66496678110432, 3.389797672560528e-12)
Out[679]:
In [680...
           test stat, p values = stats.levene(df season 3["count"], df weather 3["count"])
          test_stat, p values
          (167.43371357451045, 1.8278218136253984e-37)
Out[680]:
In [681...
          test stat, p values = stats.levene(df season 1["count"], df weather 2["count"])
          test stat, p values
          (197.40908873604647, 4.383674917936017e-44)
Out[681]:
In [682...
          test_stat, p_values = stats.levene(df_season_2["count"], df_weather_1["count"])
          test stat, p values
          (3.7333533481450663, 0.053364644150380704)
Out[682]:
```

```
test stat, p values = stats.levene(df season 3["count"], df weather 1["count"])
In [683...
          test stat, p values
          (10.934357767704045, 0.0009473257552531858)
Out[683]:
In [684...
          test stat, p values = stats.levene(df season 1["count"], df weather 3["count"])
          test stat, p values
          (1.4163330150470075, 0.2340876525014832)
Out[684]:
In [685...
          test_stat, p_values = stats.levene(df_season_3["count"], df weather 2["count"])
          test stat, p values
          (65.93847989351673, 5.680177176183706e-16)
Out[685]:
In [686...
          test stat, p values = stats.levene(df season 2["count"], df weather 3["count"])
          test stat, p values
          (150.6023240857037, 6.075104594620952e-34)
Out[686]:
```

- The small p-value suggests that diff seasons groups do not have equal variances
- There is no equal variance even for following group combinations as levene test's p-values are more than 0.05

```
season = 1, weather = 1
season = 2, weather = 2
season = 3, weather = 3
season = 1, weather = 3
season = 3, weather = 1
season = 1, weather = 2
season = 2, weather = 1
```

 There is equal variance for following group combinations as levene test's p-values are more than 0.05

```
season = 3, weather = 2season = 2, weather = 3
```

• (STEP 2) Conclusion:

Assumption # 2 for ANOVA didn't satisfy hence can't use ANOVA

(STEP 3) Verify ANOVA Assumption # 3 - Observations are independent or not

Chi-square Test - Non-prametric test doesn't have any assumptions

- Chi-square Test to check if Weather is dependent on the season
 - Define H0 and Ha
 - Null hypothesis (H0): Weather is in-dependent of the season

- Alternate hypothesis (Ha): There is a dependency between Weather and season
- Define experiment and "sensible" (i.e. distribution of test under H0) test statistics
 - Chi-square Test .
- Decide One sided / two-sided tail test
 - Right tail test always as it's going to be positive
- Define alfa (significance level)
 - Let's assume significance level(alpha value) as 5%
- Calculate p-value

```
In [687...
          crosstab = pd.crosstab(df['season'], df['weather'])
Out[687]: weather
                   1
                        2 3 4
          season
               1 1759 715 211 1
               2 1801 708 224 0
               3 1930 604 199 0
               4 1702 807 225 0
In [688...
          chi2 tstats, p value, dof, expected frequencies = stats.chi2 contingency(crosstab)
In [689...
          chi2 tstats, p value, dof, expected frequencies
          (49.158655596893624,
Out[689]:
          1.549925073686492e-07,
          array([[1.77454639e+03, 6.99258130e+02, 2.11948742e+02, 2.46738931e-01],
                  [1.80559765e+03, 7.11493845e+02, 2.15657450e+02, 2.51056403e-01],
                  [1.80559765e+03, 7.11493845e+02, 2.15657450e+02, 2.51056403e-01],
                  [1.80625831e+03, 7.11754180e+02, 2.15736359e+02, 2.51148264e-01]]))
```

- (STEP 3) Conclusion(Chi-square Test):
 - p-value is much less than 0.05, hence we failed to accept H0
 - Overall weather and season are dependent
 - Assumption # 3 for ANOVA didn't satisfy hence can't use ANOVA
 - Mean based satistical methods are not being useful because of large number of outliers present in each groups
 - Hence median based statistical tools would come into play

(STEP 4) Use The Kruskal–Wallis test, a nonparametric alternative approach as we can't use one-way ANOVA

- Kruskal-Wallis test to check if population median of all of the groups are equal
 - Define H0 and Ha
 - Null hypothesis (H0): Population median of all of the weather groups are equal
 - Alternate hypothesis (Ha): Population median of all of the weathers are not equal

- Define experiment and "sensible" (i.e. distribution of test under H0) test statistics
 - The Kruskal-Wallis test.
- Decide One sided / two-sided tail test
 - Right tail test always as it's going to be positive
- Define alfa (significance level)
 - Let's assume significance level(alpha value) as 5%
- Calculate p-value
- Assumptions
 - It's non-parametric test, hence no assumptions
 - The test works on 2 or more independent samples, which may have different sizes.

```
In [694... stats.kruskal(df_weather_1["count"], df_weather_2["count"], df_weather_3["count"], nan_po:
Out[694]: KruskalResult(statistic=204.95566833068537, pvalue=3.122066178659941e-45)
In [695... stats.kruskal(df_season_1["count"], df_season_2["count"], df_season_3["count"], df_season_
Out[695]: KruskalResult(statistic=699.6668548181988, pvalue=2.479008372608633e-151)
```

- (STEP 4) Conclusion(Kruskal-Wallis test):
 - p-value is much less than 0.05, hence we failed to accept H0
 - weather and season groups medians are not equal
 - Hence both weather and season have contribution to number of No. of cycles rented