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Sectfon-Ds 1
                              ROII NO: 37
1 - Linear Search (posude code)
   u'n' din-cearch (in' * or, int p, int ky)
        2 $00 (i>=0 in n=1)
                Eif com[1] = key)
                         return i;
              3 return -1;
2 - Hurative insurtion sost
    (n bni, [] so this tsoe treen's bior
        ij, grust, i bris
          902 i= 1 to n
              temp = 00 [i]
               j = i-1
             (qmet < [i] ro and 0 = < i) show
                ar [1] 80 = [+] ro
             ar[j+]= temp
   Recursive Presention 808+
   void insurt = sox (Int ox (I, int n)
        if (n <=1)
            retwen
       insut = sost (ar, n-1)
         last = ar [n-1]
            1 = N-5
      while 1 >= 0 60 00 [ ] > lus 2)
         08 [j +1] = an [j]
```

Name-CHAKSH

Qucick

Meep

Bubble

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5- Herative Binary Search
   int bin search [ Int ar [ ], Int d, Int r, int x)
    3 (x=xb) oldw 3
       int = (1+8) 12;
       (x=[m] & a) fi
            return m;
       (as [m] eas fi
                                           T \cdot C
          d= m+1;
                                        Rest case = O(1)
       ulse
on=m-1;
                                        Aug. care = 0 ( Logn)
                                       Woost case = O(dogn)
       3 return -1;
    ય
  Recursive Binary search
  (xhi, & hi, L thi, [] Tro bor) Hornest nid fine
      £ 3f, (x>=1) g
          is (8+7) = pim ton
         or [mid=x)
           return mid:
       else of (as [mid]>2)
          return bin search [ar 1, mid-1, oc);
       elle
          return bin search (ar, mid + 1, 2,00)
       3
ruturn-1;
                                              T.C
                                         Bust are - 6 (1)
                                         Aug. cose = O(Logn)
                                        Worst can = o [dag n)
```

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6 - Recurrence Relation for binary recursive search
         T(n)= T(n/2)+C
8 - which soot I way is used practically?
  Quick sost Ps the fastest general purpose soot. In most
  Practical situation, quick sort is the method of choice.
  If stability is impostant and space is available, merge
  sout might be best.
9- What is inversion count for an array?
  How far (03 close) the array is from being started. If the array
  is already softed, then the inversion count is 0, but if array
 Is solved in survers order, the inversion count is max...
  400 following avoray ar[]= £7,21,31,8,10,1,20,6,4,53
  # include < blas / Star +4. h>
  using namespace std;
 (Held to Cognet to1, Com toil toospren toil
 it their his, the trie ( Ignate this (I am this) sprum this
 (typis in 1, the mi, C] quest tois, C] so tois léos egrem tois
     g and mid, inv-count =0;
      of ( the < 1 des) bu
      mid=(right t left)/2;
       inv-count t = -murgesoot (ar, Hunp, lift, mia);
       inv-count += _murge sost (or, tump, mid+1, right);
      inv-count t = murge (or, limp, left, mid + 1, oright);
     I return in - count;
```

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chapter this, bim to is, that one, C3 and top, C3 no top) somm the
   & sind 1,j.k;
    Jut 720 - comp =0;
    J = Left;
    i = m'a;
    K= deft;
  while ( u <=mid-1)& (j k= vujght)
     ( if larly Jearly )
        temp[|x+t]= ar[1++];
   عدله
        { temp [k++] = ar [;++];
       1'nv - count = 2'nv - count + (mid-i);
   myr (a < = wig-1)
        demp [k++]=or [a++];
   while (j <= right)
      domp (k++) = or (j++);
     (++ i; tripur => i; tell = i) 60 f
      or (1)= lomp (1);
      ruturn invount;
 snt main ()
  { snt or [] = {7,21,31,8,10,1,20,6,4,5}
   int n = size of land) (size of lan LOJ);
  int, and - notinge soot-(an in);
   cont-22" No. of inversion ore "22 ars;
   vieturin 0;
 3
```

10-The woodst case time complexity of quick soft is $O(n^2)$ the woodst case occurs when the picked plant is always on extreme (smallest of largest) itement. This happened when input array is solved and within first of last itement is picked as pivol. The best case of quick soft 95 when we will select pivot as a mean itement.

11) Recoverance relation of:

@ murge 5081 -> T(n) = 2T(n/2)+n

@ Quick soot -> T(n) = aT (n/2)+n

-) murge soot is more effecient 8 wookes faisted than quick soot in one of darger array.

-) woset case complexity for quick soft is O(n2) where O(ndogn)

\$00 muray 500f.

12) Stable Selection Soot

wing namuspace;

[(n tni, C] a sni) - teoche-date but

\$ 03 (Int i=0; i < n-1; i +1) &

int min=1;

(+ti, azi; 1ti = i mi) solu

([Jo<[min] o) gu }

g nu = j')

Int key = a [min];

while (min >i)

[a(min) = a(min-1);

3 a [i] = ky;

4

Ē,

- 13- The easiest way to do this is to use external sorting. We divide our source the into temporary files of size equal to the size of RAM and first sort thus files-
 - •) External Sosting: Af the input data is such that it cannot adjust in the memory untirely at once, it needs to be stored in hard disk bloppy disk etc. This is external sorting.
- in the main memory at once, it is called internal sorting.