



Project1 Information Exposure Maximization

Phase3-Evolutionary Optimization



- A brief review of information exposure maximization
- A brief review of an estimation method for balanced information exposure
- An evolutionary algorithm for information exposure maximization
- Summary

Brief review of IEM



Given a social network G = (V, E), two initial seed sets I_1 and I_2 , and a budget k.

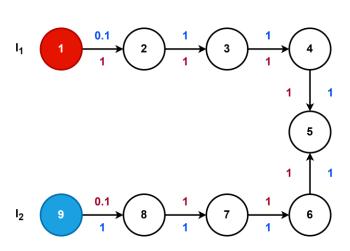
The IEM is to find two balanced seed sets S_1 and S_2 , where $|S_1| + |S_2| \le k$, and

maximize the balanced information exposure, i.e.,

$$\max \Phi(S_1, S_2) = \max \mathbb{E}[|V \setminus (r_1(I_1 \cup S_1) \triangle r_2(I_2 \cup S_2))|]$$

s.t.
$$|S_1| + |S_2| \le k$$

$$S_1, S_2 \subseteq V$$



Brief review of IEM



Finding an optimal solution of IEM is NP-hard.

Computing the balanced information exposure for a given solution is NP-hard.



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Brief review of objective function estimation



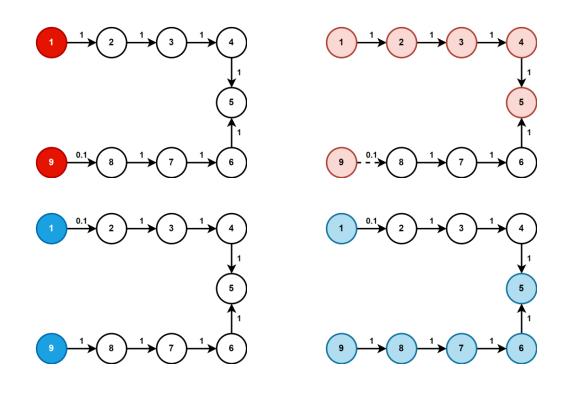
Monte Carlo simulation

 A computational algorithm that uses repeated random sampling to obtain the likelihood of a range of results of occurring

Estimate balanced

information exposure:

$$\Phi_{g \sim G}(S_1, S_2)
= |V \setminus (r_1(I_1 \cup S_1) \triangle r_2(I_2 \cup S_2))|_g
= |\{1, 2, 5, 8, 9\}| = 5$$



Brief review of objective function estimation



Monte Carlo simulation

 A computational algorithm that uses repeated random sampling to obtain the likelihood of a range of results of occurring

Estimate balanced

information exposure:

$$\max \Phi(S_1, S_2) = \max \mathbb{E}[|V \setminus (r_1(I_1 \cup S_1) \triangle r_2(I_2 \cup S_2))|]$$



$$\widehat{\Phi}(S_1, S_2) = \frac{\sum_{i=1}^{N} \Phi_{g_i}(S_1, S_2)}{N}$$



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Beyond Classical Search for IEM



Basic issues

- Solution representation
 - e.g. continuous, discrete (binary, integer, permutation, etc.)
- Fitness function
 - differ from the objective function
- Search method
 - e.g., simulated annealing, evolutionary algorithms, etc.



Solution Representation

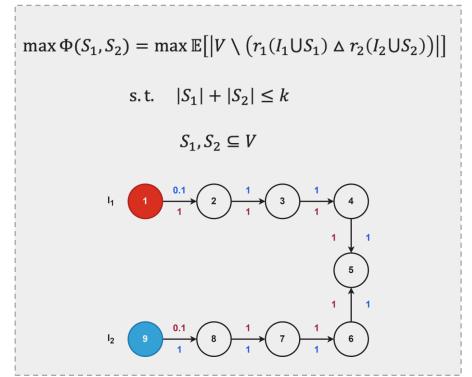
Binary representation

$$x = \{x_1, x_2, \dots, x_{|V|}, x_{|V|+1}, x_{|V|+2}, \dots, x_{|V|+|V|}\}$$

$$x_i \in \{False, True\}$$

ith node is added into S_1 , $i \in [1, |V|]$

ith node is added into S_2 , $i \in [|V+1|, |V|+|V|]$



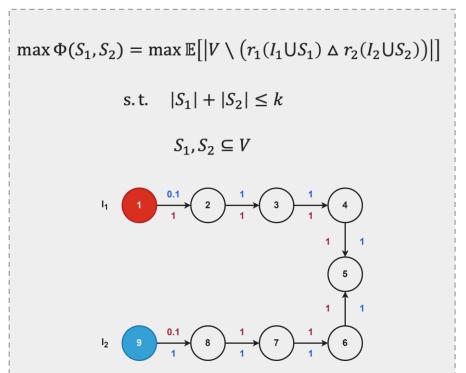


Fitness Function

Distinguish between feasible and infeasible solutions

$$fitness(S_1, S_2) = \begin{cases} \widehat{\Phi}(S_1, S_2) & \text{if } |S_1| + |S_2| \le k, \\ -(|S_1| + |S_2|) & \text{otherwise.} \end{cases}$$

Punish infeasible solutions according to the degree of violation





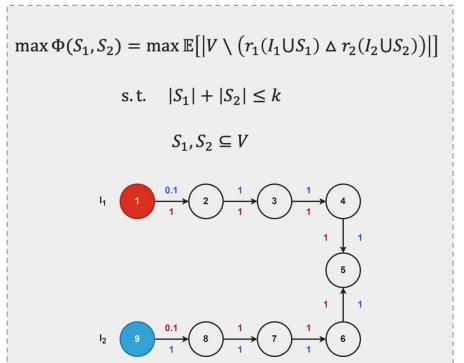
Fitness Function (differs from objective function)

Distinguish between feasible and infeasible solutions

$$fitness(x) = \begin{cases} \widehat{\Phi}(x) & \text{if } \sum x \le k, \\ -\sum x & \text{otherwise.} \end{cases}$$

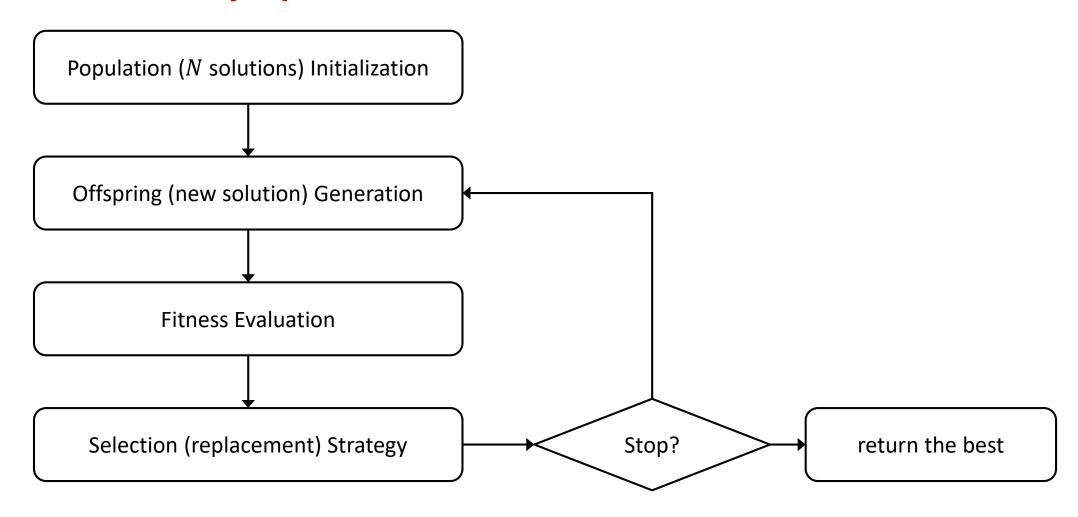
$$x = \{x_1, x_2, \dots, x_{|V|}, x_{|V|+1}, x_{|V|+2}, \dots, x_{|V|+|V|}\}$$

$$x_i \in \{False, True\}$$





General Evolutionary Optimization Framework





Parent selection

Solution	Fitness	proportion	
Α	8	7%	
В	12	10%	Wheel rotation
С	27	23%	c
D	4	3%	
E	45	39%	В
F	17	15%	D 23%
		Selection po	7% A 15% F

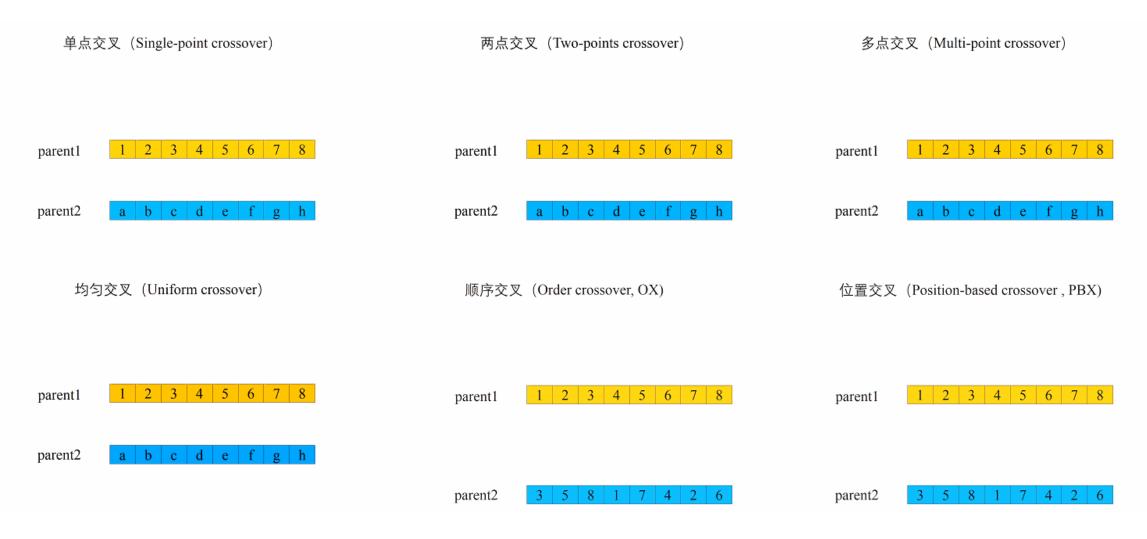


roulette wheel selection

Tournament selection



Crossover





Mutation



Flip bit mutation

Inversion mutation



Swap\Exchange mutation

Scramble mutation



Selection strategy

Elite selection

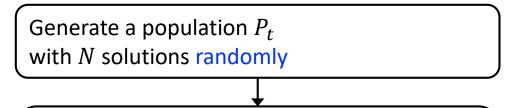
The larger the fitness, the better

Non-Elite selection

Not entirely dependent on the fitness



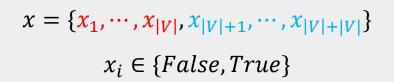
An Evolutionary Algorithm for IEM



Generate N new solutions By conducting the two-points crossover and bit-flip mutation on solutions from P_t based on the binary tournament selection

Fitness Evaluation

Sort solutions based on f in descending order and reserve the first N solutions as the next population P_{t+1}



$$\max f(x) = \{ \begin{array}{ll} \widehat{\Phi}(x) & \text{if } \sum x \leq k, \\ -\sum x & \text{otherwise.} \end{array}$$

return the best

Stop?



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Information exposure maximization is computationally complex

Monte Carlo simulations for balanced information exposure estimation

Evolutionary optimization to find balanced seed sets

Improvements in solution quality or computing efficiency are encouraged