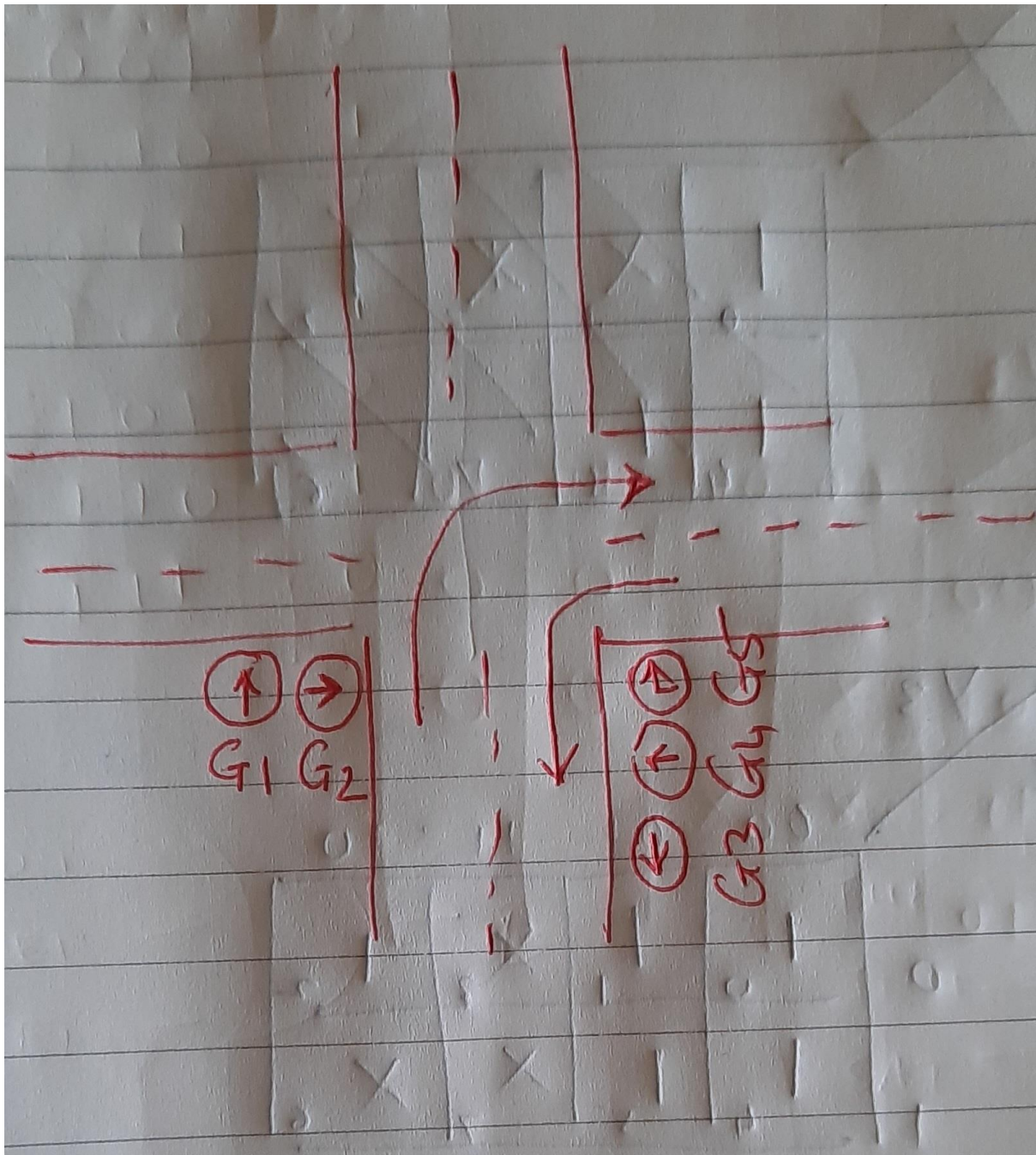


K-maps with don't care conditions

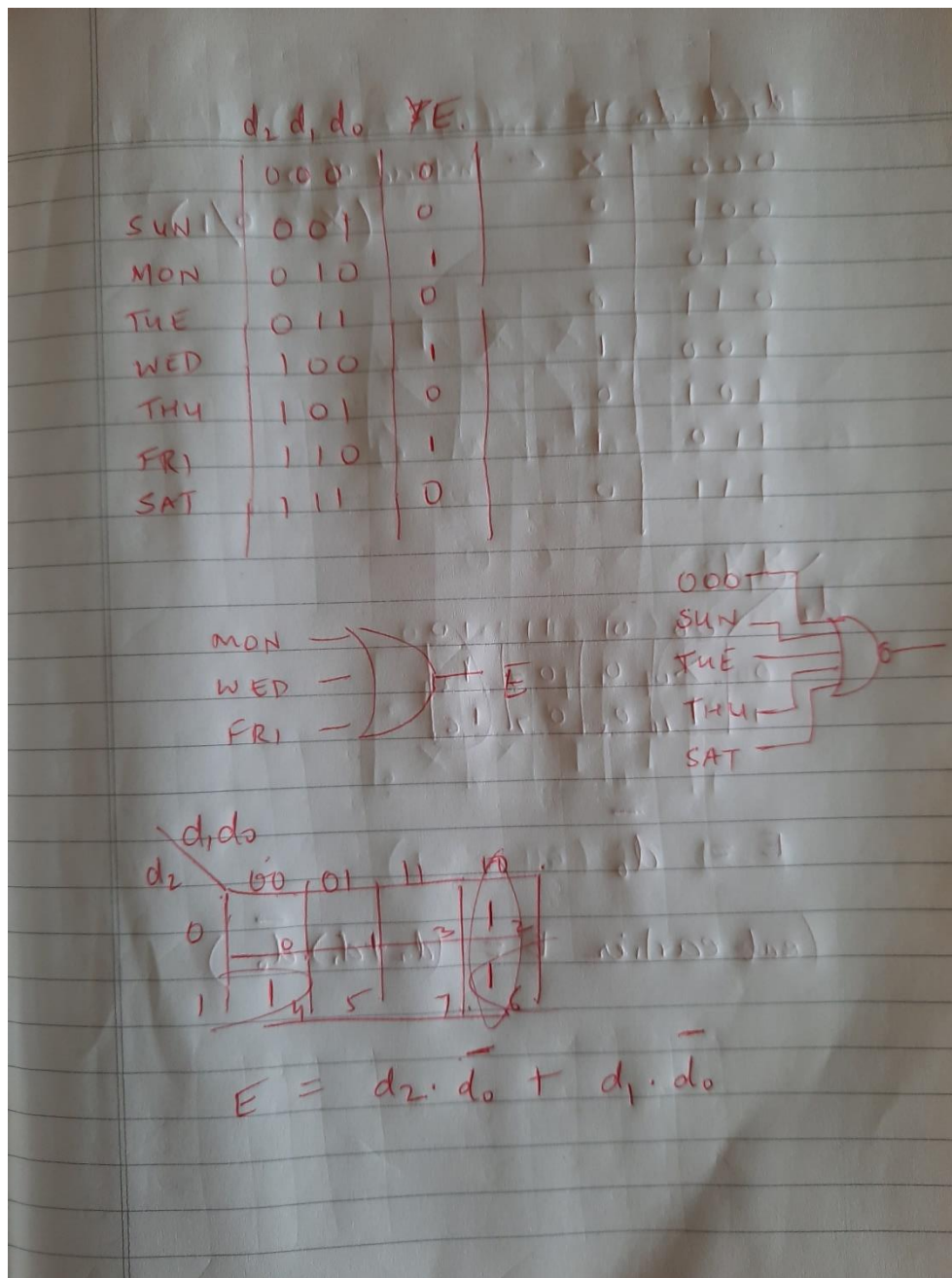
Concept of don't care

(a) Consider the traffic signal below:

G1 and G3 are independent of each other. Therefore G1 is a “don't care” as far as G3 is concerned i.e. for G3 it doesn't matter whether G1 is red or green.



(b) Consider a case where an alarm E has to be activated only on Mon, Wed and Fri. In the following diagram **d2d1d0** indicate the 3 bit day code. The logic diagram for E is shown below:



In this case $E = d_2 \cdot d_0' + d_1 \cdot d_0'$

However there are only 7 days in a week, so the condition **d2d1d0=000** will never occur. Therefore we can use this to our advantage and make this row in the truth table 0 or 1 as per our convenience.

In other words the minterm m_0 is a don't care.

d_2	d_1	d_0	E
0	0	0	X ← instead of 0 (X = 0/1)
0	0	1	0
0	1	0	1
0	1	1	0
1	0	0	1
1	0	1	0
1	1	0	1
1	1	1	0

d_2	d_1	d_0	
0	0	0	X
0	0	1	0
0	1	0	1
0	1	1	0
1	0	0	1
1	0	1	0
1	1	0	1
1	1	1	0

$$E = \overline{d_0}$$

(earlier $E = (d_2 + d_1) \cdot \overline{d_0}$)

Note that by making $m_0 = x$ (don't care) we have simplified the logic for E to $E = d_0'$.

Some examples are solved; others have been discussed in class.

$F(w, x, y, z) = \pi M(2, 3, 6, 7) + \pi d(4, 5, 12, 13)$

	y_3	00	01	11	10
x_2	00			0	0
	01	x	x	0	0
	11	x	x		
	10				

$$F(w, x, y, z) = \sum m(1, 3, 7, 11, 15) + \sum d(0, 2, 5)$$

$wx \backslash yz$
 yz

	00	01	11	10
00	X ₀	1	1 ₃	X ₂
01	4	X ₅	7	6
11	12	13	1	14
10	8	9	11	10

$$F = \bar{w}\bar{x} + yz$$

$$F(x, y, z) = \sum m(0, 1, 2, 4, 5) + d(3, 6, 7)$$

X

1	X	X	1
0	1	3	2
1	4	5	7
			6

Y3
X

	00	01	11	10
0	1 ₀	1 ₁	X ₃	1 ₂
1	1 ₄	1 ₅	X ₇	X ₆

$$F = 1 \text{ if } (y \text{ or } x = 1)$$

$$F(w, x, y, z) = \pi M(0, 2, 8, 10) + \pi d(1, 3)$$

		y3			
wx		00	01	11	10
	00	0	x	x	0
	01				
	11				
	10	0			0