

WHY BCD?

Suppose we want to store the time 09:30

09 → 00001001

30 → 00011110

09:30 → 00001001 : 00011110

To display 09:30 on a digital display:- 

Step1: Convert 0001001 to 09 (using powers of 2 i.e.  $0 \cdot 2^7 + 0 \cdot 2^6 + 0 \cdot 2^5 + 1 \cdot 2^4 + \dots$ )

Step2: Separate the decimal digits 0 and 9

Step3: Display 0 then display 9

Step4: Convert 001110 to 30 (using powers of 2 i.e.  $0 \cdot 2^7 + 0 \cdot 2^6 + 1 \cdot 2^5 + 1 \cdot 2^4 + \dots$ )

Step5: Separate the decimal digits 3 and 0

Step6: Display 3 then display 0

Step7: Repeat steps 1-6 whenever time changes.

There has got to be an easier way! ⇒ BCD

Step1: Store the time 09:30 as 0000 1001 : 0011 0000

Step2: Display 0000 as 0, 1001 as 9, 0011 as 3 and 0000 as 0.

When we store each decimal digit separately in binary form,  
that format is nothing but BCD.

(BCD = Binary Coded Decimal)

Step3: Whenever time changes only update required part of binary number

**Suppose we want to increment the hour i.e. change 09:30 to 10:30.**

But if we increment 9, it gives us 10, so 09:30 becomes 00:30

WHY?

- When we increment 09, we increment only 9 and not the zero, because 0 and 9 are stored separately.
- 9 becomes 10 and we store only one (the lower) digit.
- The upper 0 remains as it is. So we get 00:30.
- But we want 10:30

**Solution - BCD addition!**

**Example1:**

$$8 + 7 = 15$$

1000

+ 0111

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1111

+ 0110

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1 0101

**Example2:**

$$9 + 8 = 17$$

1001

+ 1000

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1 0001

0110

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1 0111 = (17)bcd

$$89 + 79 = 168$$

1000 1001

+ 0111 1001

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1 0000 0010

0110 0110

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1 0110 1000 = 168

$$279 + 781 = 1060$$

0010 0111 1001

+ 0111 1000 0001

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1001 1111 1010

+ 0110 0110 0110

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1 0000 0110 0000

0001 0000 0110 0000 → 1060