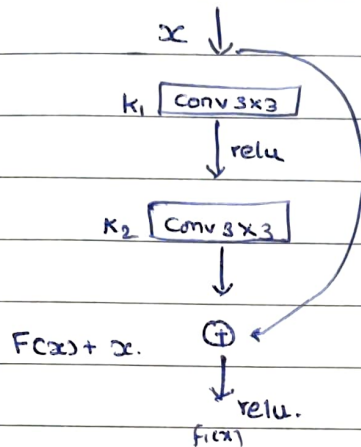


Assignment-31) Residual-Block :

Let us go with basic residual Block without batch-norm to understand the gravity of the resnets.



Forward prop :

$$h(x) = \gamma(x * K_1) \quad (\text{Kernel } K_1) \quad \left[\text{ReLU}(x) = \begin{cases} x & x > 0 \\ 0 & x < 0 \end{cases} \quad (\text{ReLU function}) \right]$$

$$F(x) = K_2 * h(x)$$

Backprop :

The backprop which we are interested about is

$\frac{\partial f(x)}{\partial x}$ as x contains contributions of previous layers.

$$\frac{\partial f(x)}{\partial x} = \frac{\partial F(x)}{\partial x} + 1$$

$$= 1 + \frac{\partial F(x)}{\partial x} \quad (\because \text{assuming they are '+' ve})$$

By this process we are ensuring that the gradients are not dying off as they have their contribution of it

2) To find the support the one way is to back track things so one thing let us assume the final pixel is 1×1 image of 4th conv layer.

For $n \times n$ image $\xrightarrow{\text{conv}}$ $(n-2) \times (n-2)$ image

\therefore By Back tracking

$1 \times 1 \leftarrow 3 \times 3 \leftarrow 5 \times 5 \leftarrow 7 \times 7 \leftarrow 9 \times 9$

\therefore The support is from 81 pixels to this one.

3) Adding more units increases (may) number of regions that affect the output. This indeed decreases the bias as more are contributing but increases the variance which can lead to be overfit with the data. A general rule of thumb to remember is if the network becomes complex the bias would decrease but variance would increase.

4) Given,

$$\tanh(a) = \frac{e^a - e^{-a}}{e^a + e^{-a}}$$

We know that that the relationship between tanh and sigmoid.

$$\tanh(a) = 2\sigma(2a) - 1$$

$$\Rightarrow \sigma(2a) = \frac{\tanh(a) + 1}{2}$$

\Rightarrow

$$\sigma(a) = \frac{\tanh(a/2) + 1}{2}$$

So By this we can make the weights of input to sigmoid function of $1/2$ and make weight of that neuron $1/2$ and add a $1/2$ to the bias function. So this is a linear transformation so that it can be achieved.

5) Given,

$$E(w) \approx E(w^*) + \frac{1}{2} (w - w^*)^T \cdot H (w - w^*)$$

Now we are interested in contours of constant error and let it be C^0

$$\therefore C = \frac{1}{2} (w - w^*)^T \cdot H (w - w^*)$$

Given that $w - w^* = \sum \alpha_i u_i$ ($\because u_i$ is base system of weight space) — (1)

$$\Rightarrow C = \frac{1}{2} (\sum \alpha_i u_i^T) \cdot (\sum \alpha_j^T \lambda_j u_j) \quad (\because H u_i = \lambda u_i)$$

$$\Rightarrow C = \frac{1}{2} (\sum \alpha_i^2 \lambda_i) \Rightarrow C = (\sum \alpha_i^2 \lambda_i) \quad \text{--- (2)}$$

$$\text{From (1)} \quad (w - w^*)(w - w^*)^T = \sum \alpha_i^2 \Rightarrow w_r \cdot w_r^* = \sum \alpha_i^2$$

\therefore From (1) and (2) we can state that they are ellipse with length proportional to $1/\sqrt{\text{eigenvalues}}$

6) The issue with Kazinga National park is they have less amount of data to train a CNN so they should deploy the technique called transfer-learning

They should take the trained model of Olympic national park and replace fc layers accordingly and train/tune the parameters of fc layers only.