## **ASSIGNMENT 5**

Name: Chandranshu Bhardwaj

Roll Number: 102203797

## Q1)->FORD FULKERSION

```
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main.cpp
 3 using namespace std;
 4 class Graph
 6 int V; list<int> *adj;
 7 public:Graph(int V) {this->V = V; adj = new list<int>[V]; }
8 *Graph() { delete [] adj; } void addEdge(int
 9 v, int w); int isEulerian();
 10 bool isConnected();
 void DFSUtil(int v, bool visited[]);
 12 };
 13 void Graph::addEdge(int v, int w)
 15 adj[v].push_back(w);
 16 adj[w].push_back(v);
 18 void Graph::DFSUtil(int v, bool visited[])
 20 visited[v] = true; list<int>::iterator i;
 21 for (i = adj[v].begin(); i != adj[v].end(); ++i) if (!visited[*i])
 23 DFSUtil(*i, visited);
 25 }
 26 bool Graph::isConnected()
 28 bool visited[V];
 29 int i; for (i = 0; i < V; i++)
 30 visited[i] = false; for (i = 0; i < V;
31 i++)
32 if (adj[i].size() != 0)
 35 if (i == V)
 36 return true;
 37 DFSUtil(i, visited);
 38 for (i = 0; i < V; i++)
 39 if (visited[i] == false && adj[i].size() > 0) return false;
```

```
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main.cpp
  44 if (isConnected() == false) return 0;
  45 // Count vertices with odd degree
  46 int odd = 0;
  47 for (int i = 0; i < V; i++)
  48 if (adj[i].size() & 1)
  49 odd++;
  51 if (odd > 2)
  53 return (odd)? 1 : 2;
  55 void test(Graph &g)
  57 int res = g.isEulerian();
  58 if (res == 0)
  59 cout << "graph is not Eulerian\n";</pre>
  60 else if (res == 1)
  61 cout << "graph has a Euler path\n";
  63 cout << "graph has a Euler cycle\n";
  65 int main()
  67 Graph g1(5); g1.addEdge(1, 0);
  68 g1.addEdge(0, 2); g1.addEdge(2, 1);
  69 g1.addEdge(0, 3); g1.addEdge(3, 4);
  70 test(g1);
  71 Graph g2(5); g2.addEdge(1, 0);
  72 g2.addEdge(0, 2); g2.addEdge(2, 1);
  73 g2.addEdge(0, 3); g2.addEdge(3, 4);
  74 g2.addEdge(4, 0);
  75 test(g2);
  76 Graph g3(5); g3.addEdge(1, 0);
  77 g3.addEdge(0, 2); g3.addEdge(2, 1);
  78 g3.addEdge(0, 3); g3.addEdge(3, 4);
  79 g3.addEdge(1, 3);
  80 test(g3);
  81 Graph g4(3); g4.addEdge(0, 1);
  82 g4.addEdge(1, 2); g4.addEdge(2, 0);
  83 test(g4);
 84 Graph g5(3);

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graph has a Euler path
graph has a Euler cycle
graph is not Eulerian
```

graph has a Euler cycle graph has a Euler cycle

```
35 for (int start = 0; start < n; start++) {</pre>
36 path[0] = start;
37 if (hamiltonianPathHelper(graph, path, 1, n)) {
39 }
40 }
43 int main() {
44 int graph[MAXN][MAXN] = {
45 {0, 1, 1, 0, 0},
46 {1, 0, 1, 1, 0},
47 {1, 1, 0, 1, 1},
48 {0, 1, 1, 0, 1},
49 {0, 0, 1, 1, 0}
50 };
51 int n = 5;
52 if (hasHamiltonianPath(graph, n)) {
53 cout << "Yes" <<endl;
54 } else {
55 cout << "No" <<endl;
56 }
58
```

Q3) Write a program for finding the Hamiltonian Cycle or Hamiltonian Circuit in a graph using backtracking?

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Run  

Debug  

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main.cpp
 46 }
 51 bool hamCycle(bool graph[V][V])
52 {
53    int *path = new int[V];
54    for (int i = 0; i < V; i++)
55    path[i] = -1;
 57 path[0] = 0;
 58 if (hamCycleUtil(graph, path, 1) == false )
 60 cout << "\nSolution does not exist";
 64 printSolution(path);
 66 }
67 void printSolution(int path[])
 69 cout << "Solution Exists:"
 71 " Following is one Hamiltonian Cycle \n";
 73 for (int i = 0; i < V; i++)
74 cout << path[i] << " ";
 76 cout << path[0] << " ";
77 cout << end1;
 81 int main()
 84 bool graph1[V][V] = \{\{0, 1, 0, 1, 0\},
86 {1, 0, 1, 1, 1},
87 {0, 1, 0, 0, 1},
88 {1, 1, 0, 0, 1},
89 {0, 1, 1, 1, 0}};
90
 91 hamCycle(graph1);
 93 bool graph2[V][V] = {{0, 1, 0, 1, 0},
```

v ¿ o s input

Solution does not exist

```
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main.cpp
  2 using namespace std;
3 vector<int> topologicalSort(vector<vector<int> >& adj,
  5 int V)
  8 vector(int) indegree(V);
  9 for (int i = 0; i < V; i++) {
 10 for (auto it : adj[i]) {
 11 indegree[it]++;
 14 queue<int> q;
 15 for (int i = 0; i < V; i++) {
 16 if (indegree[i] == 0) {
 17 q.push(i);
 20 vector(int) result;
 21 while (!q.empty()) {
22 int node = q.front();
 23 q.pop();
24 result.push_back(node);
 25 for (auto it : adj[node]) {
 26 indegree[it]--;
 27 if (indegree[it] == 0)
 28 q.push(it);
 32 if (result.size() != V) {
33 cout << "Graph contains cycle!" << endl;
 34 return {};
 37 return result;
 40 int main()
 42 int n = 4;
 44 vector<vector<int> > edges
 45 = \{ \{ 0, 1 \}, \{ 1, 2 \}, \{ 3, 1 \}, \{ 3, 2 \} \};
 46 vector<vector<int> > adj(n);
 47 for (auto i : edges) {
 48 adj[i[0]].push_back(i[1]);
                                                                                                               input
```

Copological sorting of the graph: 0 3 1 2

Q5)Write a program to implement Ford-Fulkerson algorithm for Maximum Flow Problem?

```
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main.cpp
    2 #include <queue>
3 #include <cstring>
4 using namespace std;
    6 const int MAXN = 10;
    8 bool bfs(int graph[MAXN][MAXN], int n, int source, int sink, int parent[]) {
              bool visited[MAXN];
memset(visited, false, sizeof(visited));
              queue<int> q;
              q.push(source);
             visited[source] = true;
parent[source] = -1;
while (!q.empty()) {
  int current = q.front();
                   q.pop();
for (int i = 0; i < n; i++) {
    if (!visited[i] && graph[current][i] > 0) {
        rush(i);
}
                               parent[i] = current;
if (i == sink) {
    return true;
                    }
        int fordFulkerson(int graph[MAXN][MAXN], int n, int source, int sink) {
   int residual[MAXN][MAXN];
              memcpy(residual, graph, sizeof(residual));
int parent[MAXN];
              int max_flow = 0;
              while (bfs(residual, n, source, sink, parent)) {
                    int path_flow =
                    for (int v = sink; v != source; v = parent[v]) {
  int u = parent[v];
                          path_flow = min(path_flow, residual[u][v]);
                    for (int v = sink; v != source; v = parent[v]) {
                         int u = parent[v];
residual[u][v] -= path_flow;
residual[v][u] += path_flow;
                    max_flow += path_flow;
```

```
return max_flow;
}
int main() {
    int graph[MAXN][MAXN] = {
        {0, 16, 13, 0, 0, 0},
        {0, 0, 10, 12, 0, 0},
        {0, 4, 0, 0, 14, 0},
        {0, 0, 9, 0, 0, 20},
        {0, 0, 0, 0, 0, 0}
    };
    int n = 6;
    int source = 0;
    int sink = 5;
    int max_flow = fordFulkerson(graph, n, source, sink);
    cout << "Maximum flow: " << max_flow << endl;
    return 0;
}</pre>
```

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Maximum flow: 23

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Process exited after 0.007281 seconds with return value 0

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