Attention Models in Deep Learning

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https://chandu8542.github.io/

Slides credit

Prof. Ming Li, Deep Learning and NLP course, UoW

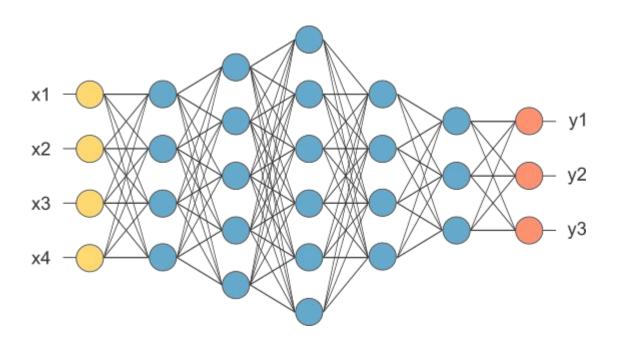
Amaia Salvador, DCU, Dublin

Prof. Chris Manning, Stanford NLP course CS 224n

CONTENT

- Introduction and Motivation
- 2. Seq-2-seq
- 3. Attention
- 4. Transformers

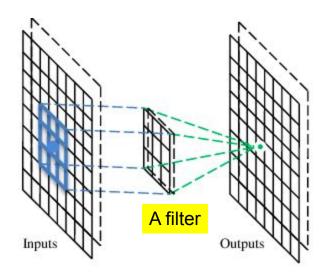
1. Fully connected network, feedforward network



To learn the weights on the edges

2. CNN

A CNN is a neural network with some convolutional layers (and some other layers). A convolutional layer has a number of filters that do convolutional operation.



Convolutional layer

1	0	0	0	0	1
0	1	0	0	1	0
0	0	1	1	0	0
1	0	0	0	1	0
0	1	0	0	1	0
0	0	1	0	1	0

Input

These are the network parameters to be learned.

1	-1	-1	
-1	~	1	
-1	-1	1	

Filter 1



Filter 2

: :

Each filter detects a small pattern (3 x 3).

Convolution Operation

1	-1	-1	
-1	1	-1	
-1	-1	1	

Filter 1

stride=1

1	0	0	0	0	1
0	1	0	0	1	0
0	0	1	1	0	0
1	0	0	0	1	0
0	1	0	0	1	0

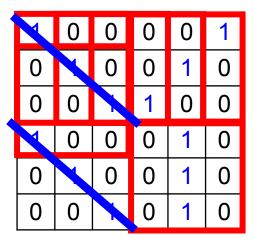
Dot produc 3 -1

Input

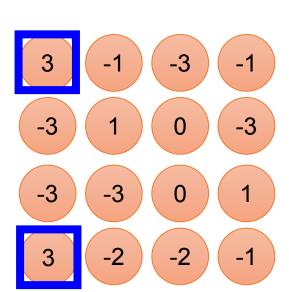
Convolution

-1 -1 Filter 1 -1 -1 1

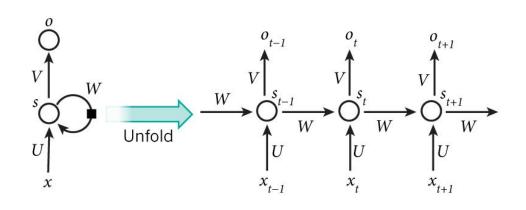
stride=1



Input

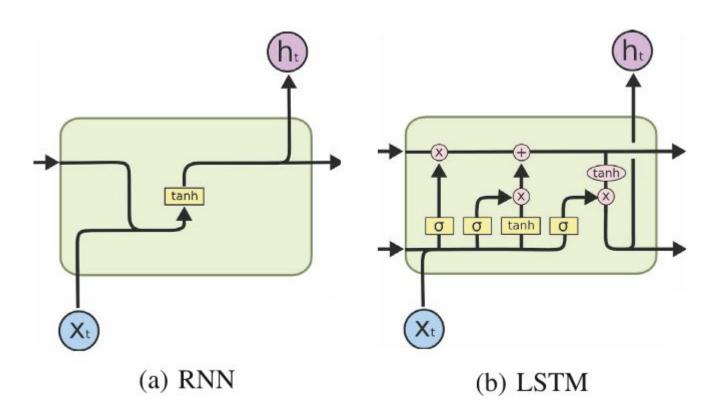


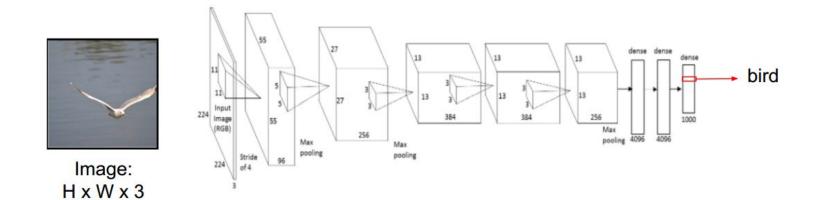
3. RNN

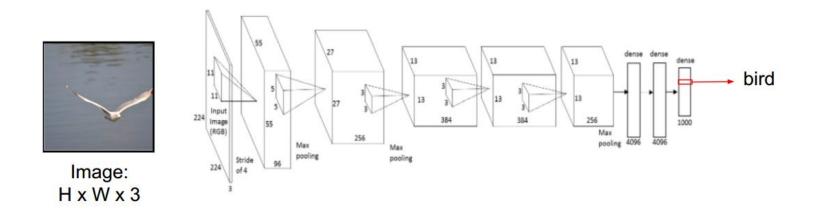


Parameters to be learned: U, V, W

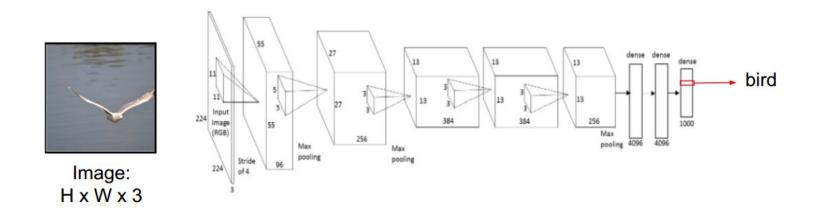
Simple RNN vs LSTM $\,$







What is wrong here?

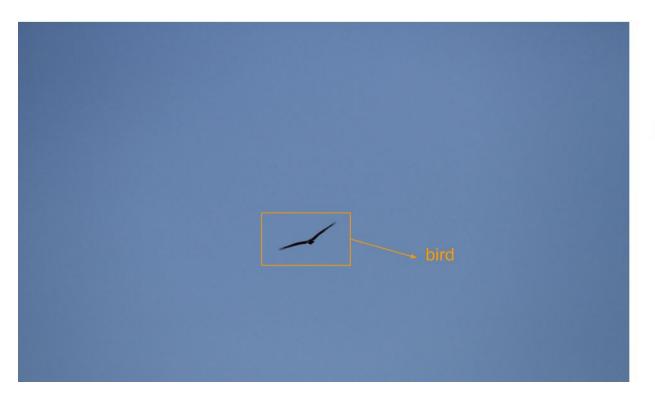


What is wrong here? The whole input volume is used to predict the output... despite the fact that not all pixels are equally important



Attention models can relieve computational burden

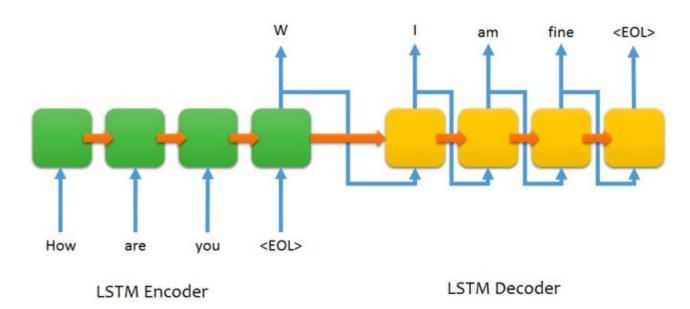
Helpful when processing big images!



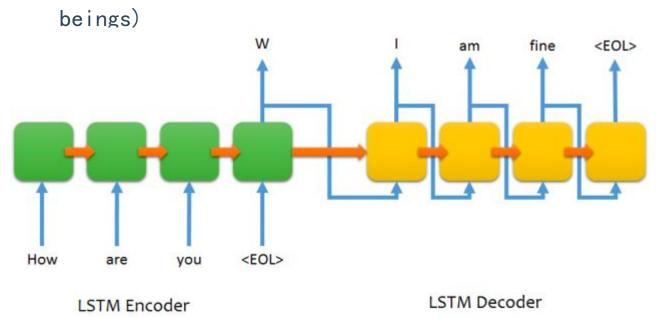
Attention models can relieve computational burden

Helpful when processing big images!

Encoder-Decoder LSTM structure for chatting (for non-intelligent beings)

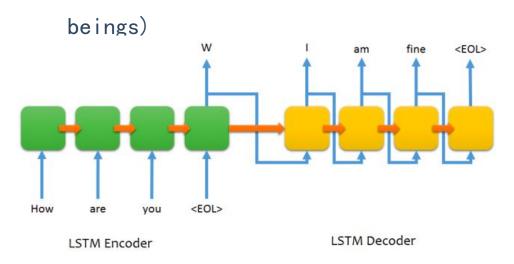


Encoder-Decoder LSTM structure for chatting (for non-intelligent



What is wrong here?

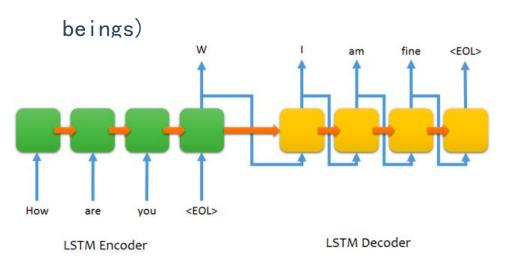
Encoder-Decoder LSTM structure for chatting (for non-intelligent



What is wrong here?

Limitation 1: The whole information is encoded in a fixed-size vector, no matter the length of the input sentence.

Encoder-Decoder LSTM structure for chatting (for non-intelligent



What is wrong here?

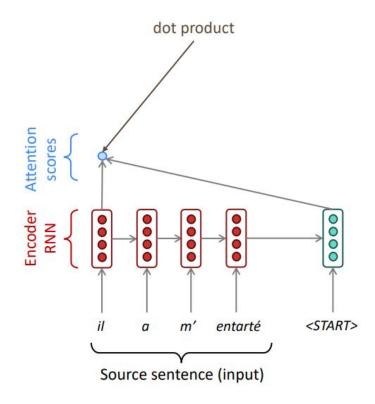
Limitation 2: All output predictions are based on the final and static recurrent state of the encoder (hT). No matter the output word being predicted at each time step, all input words are considered in an equal way.

Attention!

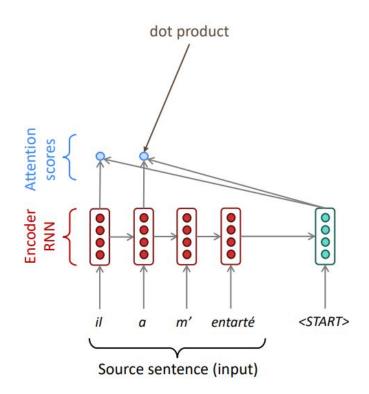
- Attention provides a solution to the bottleneck problem.
- Core idea: on each step of the decoder, use direct connection to the encoder to focus
 on a particular part of the source sequence



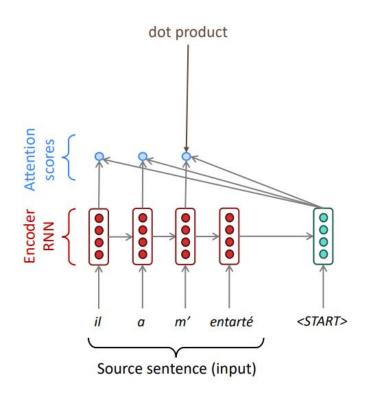
First, we will show via diagram (no equations), then we will show with equations



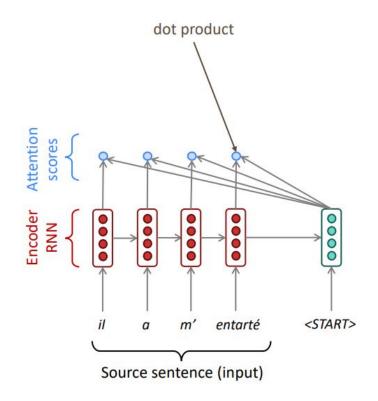
Decoder RNN



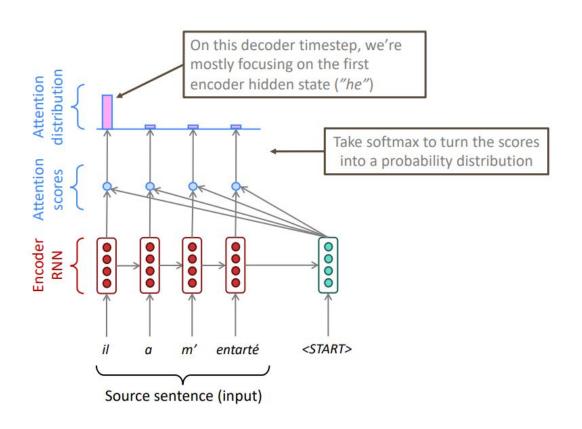




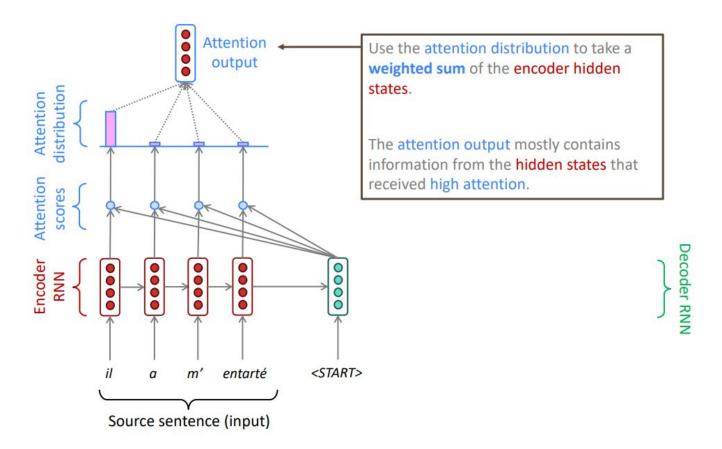


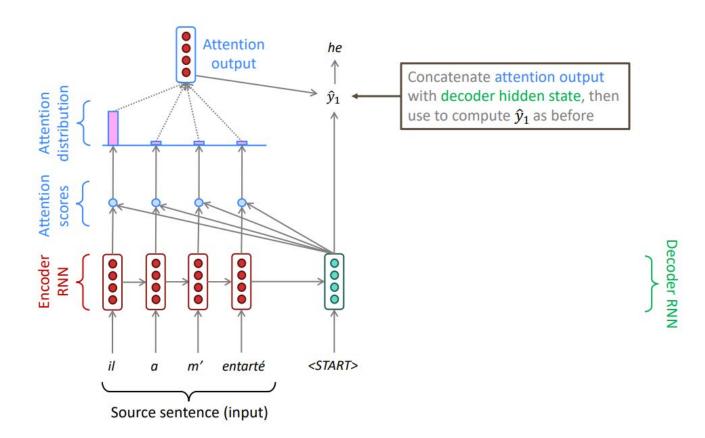


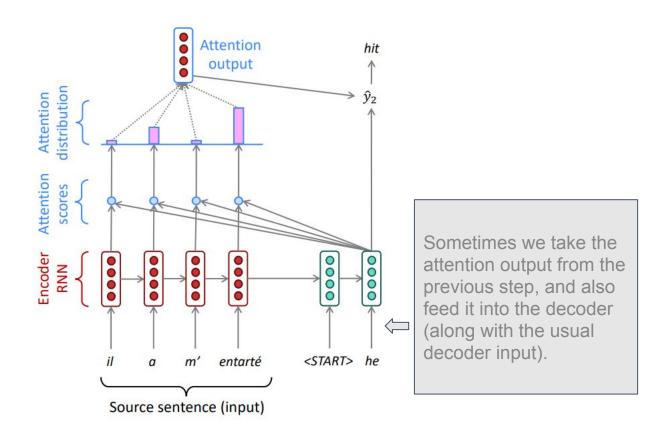


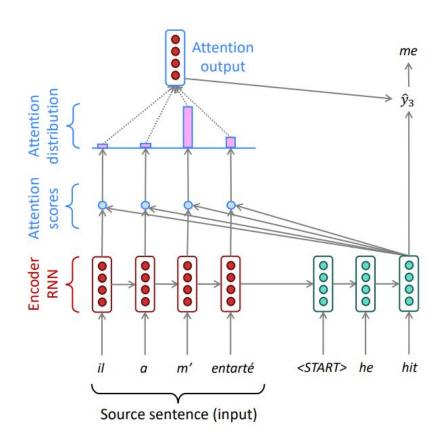


Decoder RNN

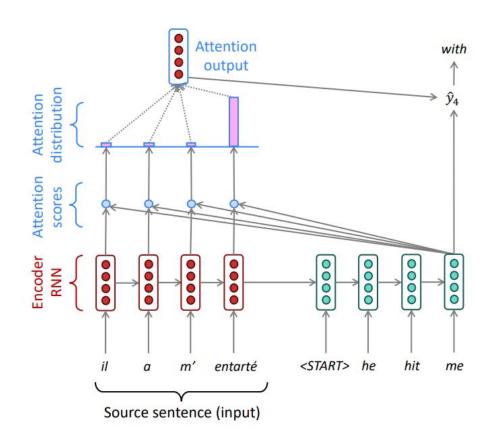




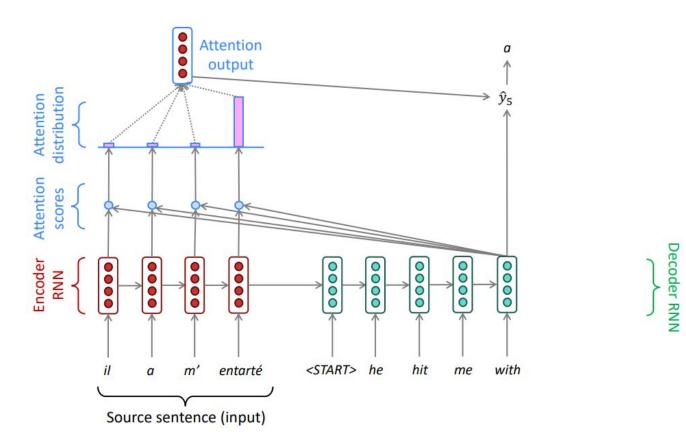


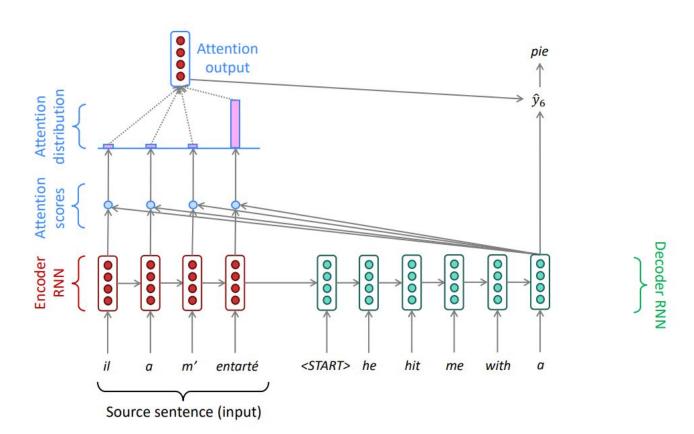


Decoder RNN



Decoder RNN





Attention: in equations

- We have encoder hidden states $h_1, \ldots, h_N \in \mathbb{R}^h$
- On timestep t, we have decoder hidden state $s_t \in \mathbb{R}^h$
- We get the attention scores e^t for this step:

$$oldsymbol{e}^t = [oldsymbol{s}_t^T oldsymbol{h}_1, \dots, oldsymbol{s}_t^T oldsymbol{h}_N] \in \mathbb{R}^N$$

• We take softmax to get the attention distribution α^t for this step (this is a probability distribution and sums to 1)

$$\alpha^t = \operatorname{softmax}(\boldsymbol{e}^t) \in \mathbb{R}^N$$

• We use $\, lpha^t \,$ to take a weighted sum of the encoder hidden states to get the attention output $\, m{a}_t \,$

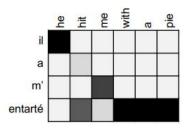
$$oldsymbol{a}_t = \sum_{i=1}^N lpha_i^t oldsymbol{h}_i \in \mathbb{R}^h$$

• Finally we concatenate the attention output a_t with the decoder hidden state s_t and proceed as in the non-attention seg2seg model

$$[oldsymbol{a}_t; oldsymbol{s}_t] \in \mathbb{R}^{2h}$$

Attention is Great

- Attention significantly improves NMT performance
 - It's very useful to allow decoder to focus on certain parts of the source
- Attention solves the bottleneck problem
 - Attention allows decoder to look directly at source; bypass bottleneck
- Attention helps with vanishing gradient problem
 - Provides shortcut to faraway states
- Attention provides some interpretability
 - By inspecting attention distribution, we can see what the decoder was focusing on
 - · We get (soft) alignment for free!
 - This is cool because we never explicitly trained an alignment system
 - The network just learned alignment by itself



Attention is a general Deep Learning technique

- We've seen that attention is a great way to improve the sequence-to-sequence model for Machine Translation.
- However: You can use attention in many architectures (not just seq2seq) and many tasks (not just MT)
- More general definition of attention:
 - Given a set of vector values, and a vector query, attention is a technique to compute
 a weighted sum of the values, dependent on the query.
- We sometimes say that the query attends to the values.
- For example, in the seq2seq + attention model, each decoder hidden state (query)
 attends to all the encoder hidden states (values).

Attention is a general Deep Learning technique

More general definition of attention:

Given a set of vector *values*, and a vector *query*, <u>attention</u> is a technique to compute a weighted sum of the values, dependent on the query.

Intuition:

- The weighted sum is a selective summary of the information contained in the values, where the query determines which values to focus on.
- Attention is a way to obtain a fixed-size representation of an arbitrary set of representations (the values), dependent on some other representation (the query).

There are several attention variants

- We have some values $m{h}_1,\dots,m{h}_N\in\mathbb{R}^{d_1}$ and a query $m{s}\in\mathbb{R}^{d_2}$
- Attention always involves:
 - 1. Computing the attention scores



2. Taking softmax to get attention distribution α :

$$\alpha = \operatorname{softmax}(\boldsymbol{e}) \in \mathbb{R}^N$$

3. Using attention distribution to take weighted sum of values:

$$oldsymbol{a} = \sum_{i=1}^N lpha_i oldsymbol{h}_i \in \mathbb{R}^{d_1}$$

thus obtaining the attention output a (sometimes called the context vector)

There are several attention variants

There are several ways you can compute $e \in \mathbb{R}^N$ from $h_1, \dots, h_N \in \mathbb{R}^{d_1}$ and $s \in \mathbb{R}^{d_2}$:

- Basic dot-product attention: $oldsymbol{e}_i = oldsymbol{s}^T oldsymbol{h}_i \in \mathbb{R}$
 - Note: this assumes $d_1 = d_2$
 - This is the version we saw earlier
- Multiplicative attention: $oldsymbol{e}_i = oldsymbol{s}^T oldsymbol{W} oldsymbol{h}_i \in \mathbb{R}$
 - Where $oldsymbol{W} \in \mathbb{R}^{d_2 imes d_1}$ is a weight matrix
- Additive attention: $oldsymbol{e}_i = oldsymbol{v}^T anh(oldsymbol{W}_1 oldsymbol{h}_i + oldsymbol{W}_2 oldsymbol{s}) \in \mathbb{R}$
 - Where $W_1 \in \mathbb{R}^{d_3 \times d_1}$, $W_2 \in \mathbb{R}^{d_3 \times d_2}$ are weight matrices and $v \in \mathbb{R}^{d_3}$ is a weight vector.
 - d_3 (the attention dimensionality) is a hyperparameter

Image caption generation using attention

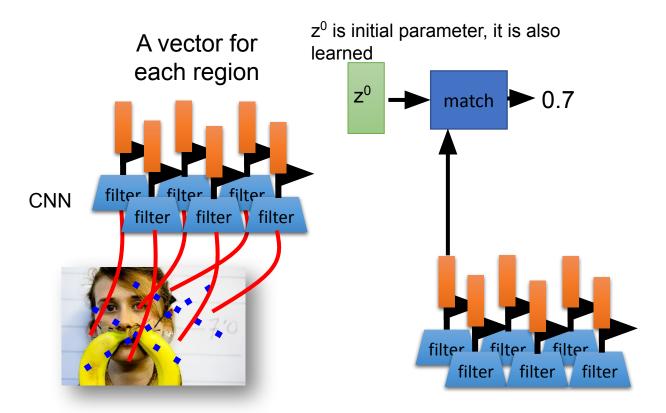
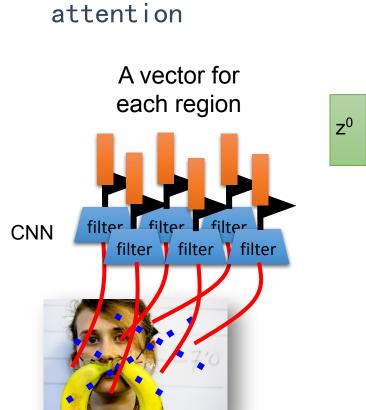
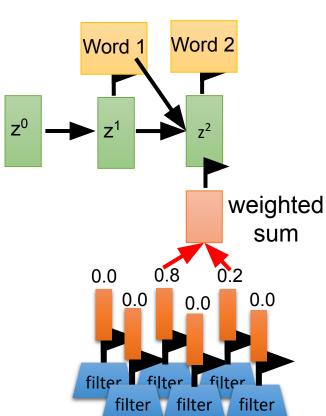


Image caption generation using

attention Word 1 A vector for each region Attention to weighted a region filter filter filter **CNN** sum filter | filter | filter 0.0 0.0 filter filter filter filter filter filter

Image caption generation using





Compute alignments scores (scalars):

$$e_{t,i,j} = f_{att} (h_{t-1}, z_{i,j})$$

 $f_{att}(.)$ is an MLP

Normalize to get attention weights:

$$a_{t,:,:} = softmax(e_{t,:,:})$$

 $0 < a_{t,:,j} < 1$,
attention values sum
to 1

Image caption generation using attention



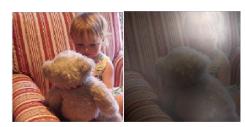
A woman is throwing a frisbee in a park.



A dog is standing on a hardwood floor.



A <u>stop</u> sign is on a road with a mountain in the background.



A little <u>girl</u> sitting on a bed with a teddy bear.



A group of <u>people</u> sitting on a boat in the water.



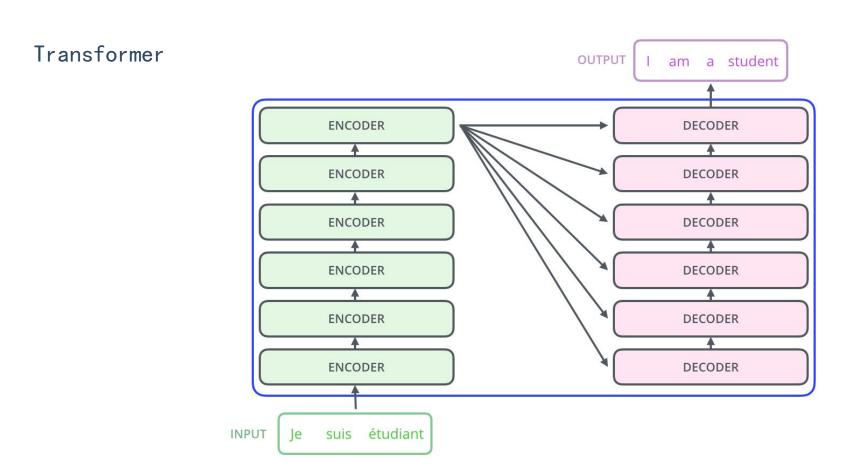
A giraffe standing in a forest with trees in the background.

Kelvin Xu, Jimmy Ba, Ryan Kiros, Kyunghyun Cho, Aaron Courville, Ruslan Salakhutdinov, Richard Zemel, Yoshua Bengio,

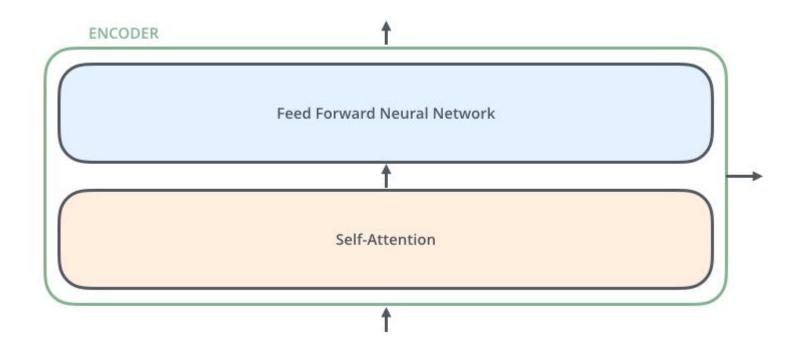
"Show, Attend and Tell: Neural Image Caption Generation with Visual Attention", ICML, 2015

Many new ideas

- 1. ULM-FiT, pre-training, transfer learning in NLP
- 2. Recurrent models require linear sequential computation, hard to parallelize. ELMo, bidirectional LSTM.
- 3. In order to reduce such sequential computation, several models based on CNN are introduced, such as ConvS2S and ByteNet. Dependency for ConvS2S needs linear depth, and ByteNet logarithmic.
- 4. The transformer is the first transduction model relying entirely on self-attention to compute the representations of its input and output without using RNN or CNN.



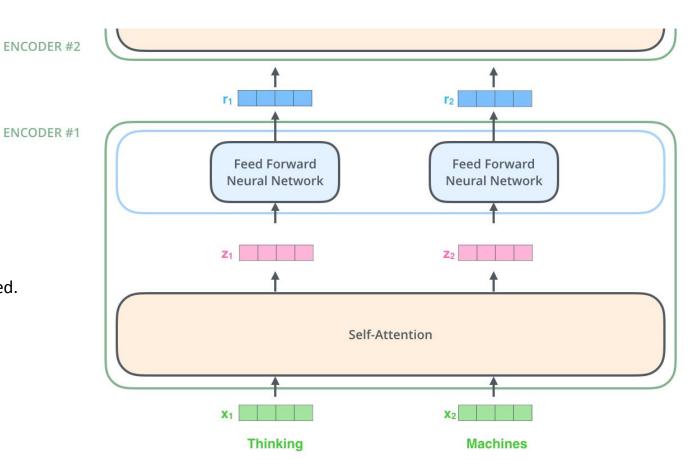
An Encoder Block: same structure, different parameters



Encoder

ENCODER #1

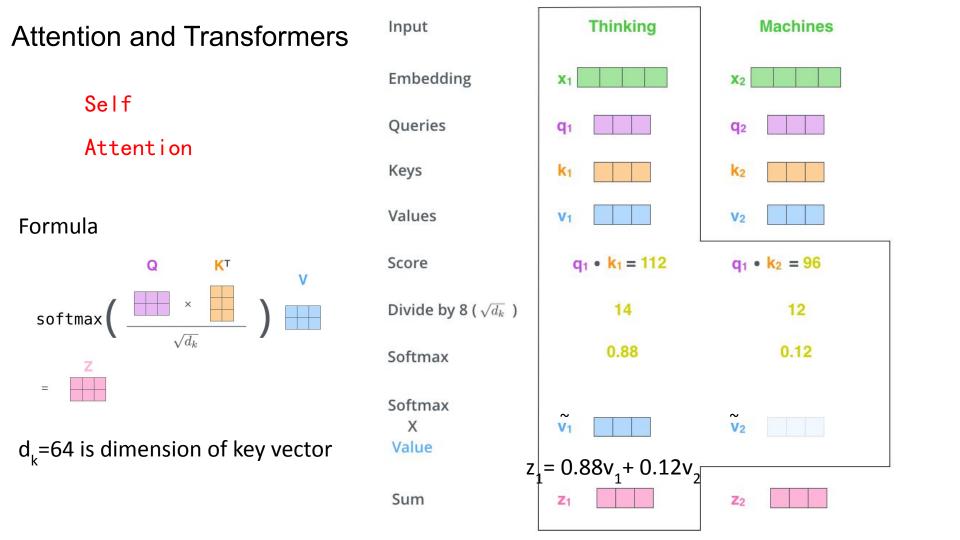
Note: The ffnn is independent for each word. Hence can be parallelized.



Self	Input	Thinking	Machines	
Attention	Embedding	X ₁	X ₂	
	Queries	q ₁	q ₂	Wa
First we create three vectors by multiplying input embedding (1x512) x _i with three matrices (64x512):	Keys	k ₁	k ₂	Wĸ
$q_i = x_i W^Q$ $K_i = x_i W^K$	Values	V ₁	V ₂	W

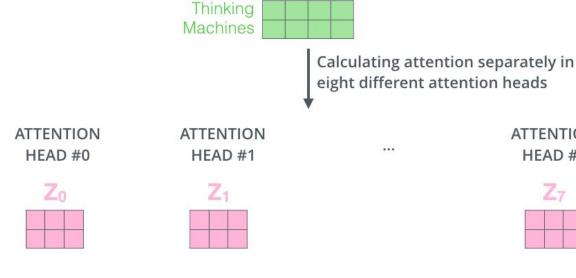
Self

Thinking Machines Input Attention Embedding X₁ Now we need to calculate Queries q1 q2 a score to determine how much focus to place on Keys k1 K2 other Parts of the input. Values V₁ V₂ Score $q_1 \cdot k_2 = 96$



Multiple

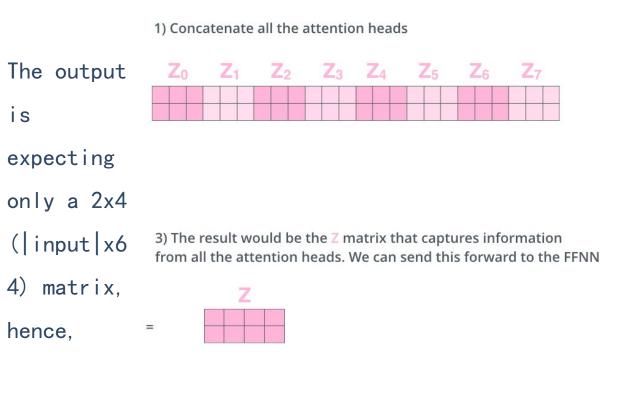
- heads 1. It expands the model's ability to focus on different positions.
- It gives the attention layer multiple "representation subspaces"



ATTENTION

HEAD #7

Z₇



2) Multiply with a weight matrix W° that was trained jointly with the model

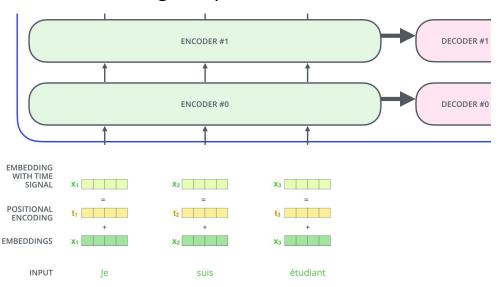
X



Representing the input order (positional

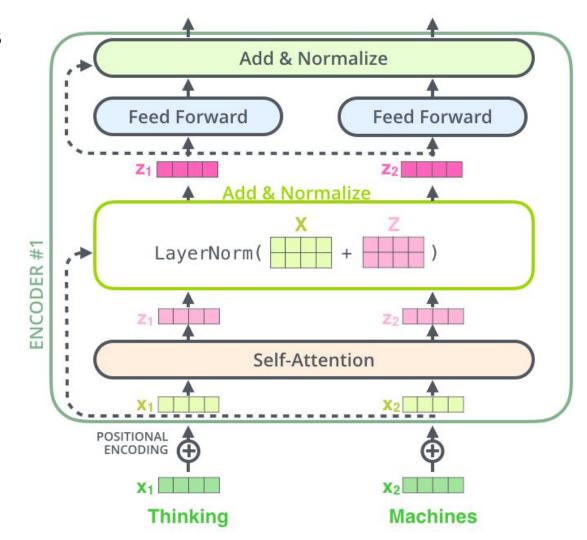
The transformer adds a vector to each input embedding. These vectors follow a specific pattern that the model learns, which helps it determine the position of each word, or the distance between different words in the sequence. The intuition here is that adding these values to the embeddings provides meaningful distances between the embedding vectors once they're projected into Q/K/V vectors and during dot-product attention.

Can somebody present positional encoding following https://kazemnejad.com/blog/transformer_ar chitecture_positional_encoding/



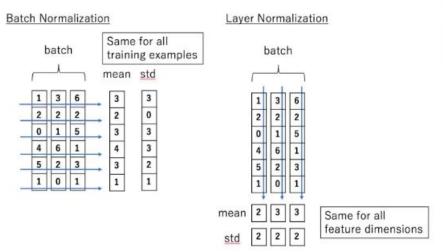
Add and Normalize

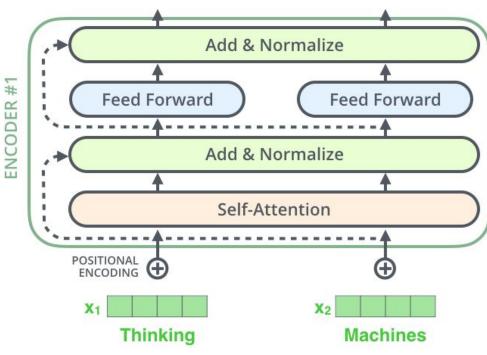
In order to regulate the computation, this is a normalization layer so that each feature (column) have the same average and deviation.



Layer Normalization

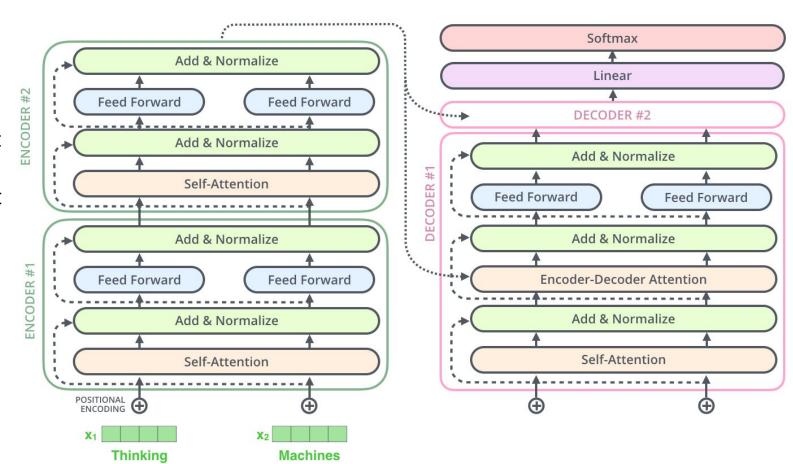
(Hinton)
Layer normalization normalizes the inputs across the features.

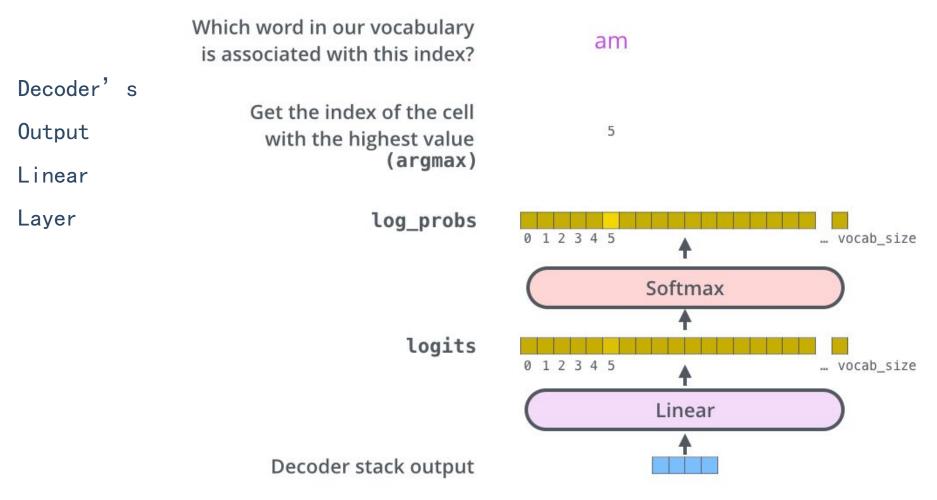




The complete transformer

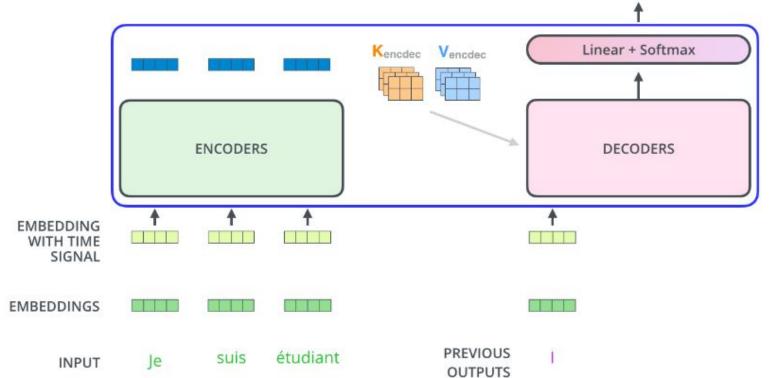
The encoder-decode r attention is just like self attention, except it uses K, V from the top of encoder output, and its own Q





How it works

Decoding time step: 1 2 4 5 6 OUTPUT | am



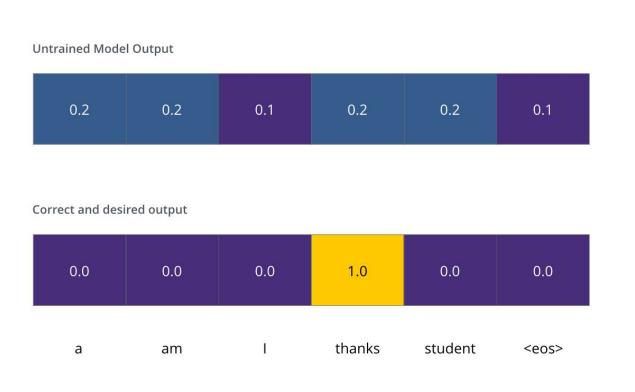
But what about Self-attention?

But what about self-attention when the input is "incomplete"?

The solution is to set future unknown values with "-inf".

The same for Encoder-Decoder Attention.

Training and the Loss Function



We can use cross Entropy.

We can also optimize two words at a time: using BEAM search: keep a few alternatives for the first word.

Cross Entropy and KL (Kullback-Leibler) divergence

- Entropy: $E(P) = -\Sigma_i P(i) \log P(i)$ expected code length (also optimal)
- Cross Entropy: $C(P) = -\Sigma_i P(i) \log Q(i) \text{expected coding}$ length using optimal code for Q
- KL divergence:

$$D_{KI}(P \parallel Q) = \Sigma_i P(i) log[P(i)/Q(i)] = \Sigma_i P(i) [logP(i) - logQ(i)],$$
 extra bits

•JSD(P||Q) = $\frac{1}{2}$ D_{KI} (P||M)+ $\frac{1}{2}$ D_{KI} (Q||M), M= $\frac{1}{2}$ (P+Q), symmetric KL

* JSD = Jensen-Shannon Divergency

Transformer Results

Table 2: The Transformer achieves better BLEU scores than previous state-of-the-art models on the English-to-German and English-to-French newstest2014 tests at a fraction of the training cost.

BLEU		Training Cost (FLOPs)	
EN-DE	EN-FR	EN-DE	EN-FR
23.75			
	39.2		$1.0 \cdot 10^{20}$
24.6	39.92	$2.3 \cdot 10^{19}$	$1.4 \cdot 10^{20}$
25.16	40.46	$9.6 \cdot 10^{18}$	$1.5 \cdot 10^{20}$
26.03	40.56	$2.0 \cdot 10^{19}$	$1.2 \cdot 10^{20}$
	40.4	1111	$8.0 \cdot 10^{20}$
26.30	41.16	$1.8 \cdot 10^{20}$	$1.1 \cdot 10^{21}$
26.36	41.29	$7.7 \cdot 10^{19}$	$1.2 \cdot 10^{21}$
27.3	38.1	$3.3 \cdot 10^{18}$ $2.3 \cdot 10^{19}$	
28.4	41.8		
	EN-DE 23.75 24.6 25.16 26.03 26.30 26.36 27.3	EN-DE EN-FR 23.75 39.2 24.6 39.92 25.16 40.46 26.03 40.56 40.4 26.30 41.16 26.36 41.29 27.3 38.1	EN-DE EN-FR EN-DE 23.75 39.2 24.6 39.92 2.3 · 10 ¹⁹ 25.16 40.46 9.6 · 10 ¹⁸ 26.03 40.56 2.0 · 10 ¹⁹ 40.4 26.30 41.16 1.8 · 10 ²⁰ 26.36 41.29 7.7 · 10 ¹⁹ 27.3 38.1 3.3 ·

Thank you!

Q?