SEM II

C Practicals

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Practical 1: WAP in C to Calculate the roots of a Quadratic Equation

```
i) x^2-x-9=0
ii) 2x^2-3x+9=0
```

```
#include<stdio.h>
#include<math.h>
int main()
{
  float a,b,c,d,x1,x2,x,xr,xim;
  printf("Enter the cooefficients of ax^2+bx+c \n");
  scanf("%f%f%f",&a,&b,&c);
  d=b*b-4*a*c;
 float e = sqrt(d);
 float f = sqrt(-d);
 if(d>0)
 {
    printf("Real and distinct roots\n");
    x1=(-b-e)/(2*a);
    x2=(-b+e)/(2*a);
    printf("Roots are x1=%f, x2=%f\n", x1,x2);
  else if (d==0)
    printf("Roots are equal\n");
    x=-b/(2*a);
    printf("Root is x=\%f\n", x);
 }
  else
 {
    printf("Roots are imaginary\n");
    xr=-b/(2*a);
    xim=f/(2*a);
    printf("Roots are xr=%0.2f + i%0.2f, xr=%0.2f - i%0.2f\n",xr, xim, xr, xim);
 }
  return 0;
}
```

```
Enter the cooefficients of ax^2+bx+c

1
-1
-9
Real and distinct roots
Roots are x1=-2.541381, x2=3.541381

------
Process exited after 13.45 seconds with return value 0
Press any key to continue . . .
```

Practical 2: WAP in C to find the real roots of the following equations using Newton Raphson Method

```
ii)
            f(x) = x^4 - x^3 + x - 1
Code:
i)
#include<stdio.h>
#include<math.h>
float f1(float x)
{
        return x^*x^*x + x^*x + x + 10;
}
float f11(float x)
{
        return 3*x*x + 2*x + 1;
}
int main()
{
        float xo,x1;
        printf("Enter the initial guess, x0:\n");
        scanf("%f",&xo);
        do
        {
                x1=xo-f1(xo)/f11(xo);
                if(fabs(x1-xo)<0.0000001)
                {
                         break;
                }
                xo=x1;
        }
        while(1);
        printf("The real root is:%.10f\n",x1);
        return 0;
}
```

 $f(x) = x^3 + x^2 + x + 10$

i)

```
ii)
```

```
#include<stdio.h>
#include<math.h>
float f1(float x)
{
        return x^*x^*x^*x - x^*x^*x + x - 1;
}
float f11(float x)
{
        return 4*x*x*x - 3*x*x + 1;
int main()
{
        float xo,x1;
        printf("Enter the initial guess, x0:\n");
        scanf("%f",&xo);
        do
        {
                x1=xo-f1(xo)/f11(xo);
                if(fabs(x1-xo)<0.0000001)
                        break;
                }
                xo=x1;
        }
        while(1);
        printf("The real root is:%.10f\n",x1);
        return 0;
}
```

```
Enter the initial guess, x0:
4
The real root is:1.0000000000

Process exited after 4.248 seconds with return value 0
Press any key to continue . . .
```

Practical 3: WAP in C to find the 95% and 99% Confidence Interval for population mean when population standard deviation is known.

```
#include<stdio.h>
#include<math.h>
int main()
{
        int n,i;
        float s_mean=0,sd,z1,z2,x=0;
        float lower_limit1,upper_limit1,lower_limit2,upper_limit2;
        sd=3;
        z1=1.96;
        z2=2.58;
        printf("Enter the sample size:\n");
        scanf("%d",&n);
        float arr[]={72,69,71,70,62,64,67,69,73,82,75,70,69,78,73,70,91,59,85,74};
       for(i=0;i<n;i++)
       {
               x=x+arr[i];
        }
        s_mean=x/n;
        printf("Sample Mean is:%f\n",s_mean);
        lower_limit1 = s_mean - z1 * (sd / sqrt(n));
        upper_limit1 = s_mean + z1 * (sd / sqrt(n));
        lower_limit2 = s_mean - z2 * (sd / sqrt(n));
        upper_limit2 = s_mean + z2 * (sd / sqrt(n));
        printf("The 95%% Confidence Interval for mean is: (%f, %f)\n", lower_limit1, upper_limit1);
        printf("The 99%% Confidence Interval for mean is: (%f, %f)\n", lower_limit2, upper_limit2);
        printf("For 95% CI:\n");
        if(lower_limit1<75 && upper_limit1>75)
        {
               printf("It is resonable to conclude that the mean exam score is 75\n");
        }
        else
        {
               printf("It is not resonable to conclude that the mean exam score is 75\n");
        }
        printf("For 99% CI:\n");
        if(lower_limit2<75 && upper_limit2>75)
        {
               printf("It is resonable to conclude that the mean exam score is 75\n");
       }
        else
        {
               printf("It is not resonable to conclude that the mean exam score is 75\n");
        }
}
```

Practical 4: WAP in C to find the 95% and 99% Confidence Interval for population mean when population standard deviation is unknown.

Code:

```
#include<stdio.h>
#include<math.h>
int main()
{
       int n,i;
       float x=0,sum=0,sumsq=0,sample_mean,sample_var,s,t1,t2;
       float lower_limit1,upper_limit1,lower_limit2,upper_limit2;
       t1=2.16;
       t2=3.012;
       printf("Enter the number of samples:\n");
       scanf("%d",&n);
       float arr[]={16,18,20,34,26,22,28,32,21,20,14,30,35,25};
       for(i=0;i<n;i++)
       {
              sum=sum+arr[i];
              sumsq=sumsq+arr[i]*arr[i];
       }
       sample_mean=sum/n;
       sample_var=(sumsq/n)-(sample_mean*sample_mean);
       s=sqrt(sample_var);
       lower_limit1=sample_mean-(t1*s/sqrt(n-1));
       upper_limit1=sample_mean+(t1*s/sqrt(n-1));
       lower_limit2=sample_mean-(t2*s/sqrt(n-1));
       upper_limit2=sample_mean+(t2*s/sqrt(n-1));
       printf("The 95%% Confidence Interval for mean is:(%f,%f)\n",lower_limit1,upper_limit1);
       printf("The 99%% Confidence Interval for mean is:(%f,%f)\n",lower_limit2,upper_limit2);
}
```

Practical 5: WAP in C to find the 95% Confidence Interval for population mean and Variance of Normal Population and coverage probability to Confidence Interval.

```
#include<stdio.h>
#include<math.h>
#include<stdlib.h>
int main()
{
       int i,j,k;
       float mu,sigma2,z,mean,var,x,countmu=0,countsigma2=0;
       float lower_limit_mu[500],upper_limit_mu[500],lower_limit_sigma2[500],upper_limit_sigma2[500];
       float sum_lower_limit_mu=0, sum_upper_limit_mu=0, sum_lower_limit_sigma2=0,
       sum_upper_limit_sigma2=0;
       printf("Enter the value of populatin mean:\n");
       scanf("%f",&mu);
       printf("Enter the value of populatin variance:\n");
       scanf("%f",&sigma2);
       for(k=0;k<200;k++)
       {
              float sum=0,sum_sq=0;
              for(j=0;j<25;j++)
              {
                     float u=0;
                     for(i=0;i<500;i++)
                     {
                             u=u+rand()/(1.0+RAND_MAX);
                     }
                     z=(u-(500.0/2))/sqrt(500.0/12);
                     x=mu+z*sqrt(sigma2);
                     sum=sum+x;
                     sum_sq=sum_sq+x*x;
              }
              mean=sum/25;
              var=sum_sq/25-mean*mean;
              lower_limit_mu[k]=mean-1.96*sqrt(var/25);
              upper_limit_mu[k]=mean+1.96*sqrt(var/25);
              lower_limit_sigma2[k]=25*var/39.364;
              upper_limit_sigma2[k]=25*var/12.401;
              sum_lower_limit_mu+=lower_limit_mu[k];
              sum_upper_limit_mu+=upper_limit_mu[k];
              sum_lower_limit_sigma2+=lower_limit_sigma2[k];
              sum_upper_limit_sigma2+=upper_limit_sigma2[k];
              if(lower_limit_mu[k] < mu && upper_limit_mu[k] > mu)
              {
                     countmu+=1;
              if(lower_limit_sigma2[k] < sigma2 && upper_limit_sigma2[k] > sigma2)
              {
                     countsigma2+=1;
              }
       }
```

```
printf("The 95%% CI for population mean is: (%f,%f)\n", sum_lower_limit_mu/200, sum_upper_limit_mu/200);

printf("The 95%% CI for population sigma2 is: (%f,%f)\n", sum_lower_limit_sigma2/200, sum_upper_limit_sigma2/200);

float coveragemu=countmu/200;
float coveragesigma2=countsigma2/200;

printf("The Coverage Probability for population mean is: %f\n", coveragemu);
printf("The Coverage Probability for population variance is: %f\n", coveragesigma2);
}
```

Practical 6: WAP in C to find the derivative of a given functions:

 $f(x)=5x + x^2$, at x=2

```
(ii)
            g(x) = 6x^4 - 2x^3 + x - 1, at x=3
            h(x) = xe^{x^2}
    (iii)
Code:
#include<stdio.h>
#include<math.h>
float fx(float x1)
{
        return(5*x1 + pow(x1,2));
}
float gx(float x2)
{
        return(6*pow(x2,4) - 2*pow(x2,3) + x2 -1);
}
float hx(float x3)
        return(x3*exp(x3*x3));
}
int main()
{
        float x1,x2,x3,d1,d2,d3,h;
        h=0.00001;
        printf("Enter the value of x1:\n");
        scanf("%f",&x1);
        d1=(fx(x1+h)-fx(x1))/h;
        printf("f'(x)=%f\n",d1);
        printf("Enter the value of x2:\n");
        scanf("%f",&x2);
        d2=(gx(x2+h)-gx(x2))/h;
        printf("g'(x)=%f\n",d2);
        printf("Enter the value of x3:\n");
        scanf("%f",&x3);
        d3=(hx(x3+h)-hx(x3))/h;
        printf("h'(x)=%f\n",d3);
}
```

Output:

(i)

Practical 7: WAP in C to evaluate the appropriate integral using Trapezoidal Rule.

```
(i) \int_0^2 e(-\frac{x^2}{2}), (ii) \int_1^6 sqrt(1+x^2), (iii) \int_{-1}^2 cos^2x \, sqrt(1+x^3)
```

```
Code:
```

```
#include<stdio.h>
#include<math.h>
float f1(float x)
{
        return(exp(-(x*x)/2));
float f2(float x)
{
        return(sqrt(1+x*x));
}
float f3(float x)
{
        return(pow(cos(x),2)*sqrt(1+x*x*x));
}
int main()
{
        int n,i,a1,b1,a2,b2,a3,b3;
        float h1,h2,h3,l1,l2,l3;
        float sum1=0,sum2=0,sum3=0;
        printf("Enter the number of subintervals:\n");
        scanf("%d", &n);
        a1=0,b1=2,a2=1,b2=6,a3=-1,b3=2;
        h1=(float)(b1-a1)/n;
        h2=(float)(b2-a2)/n;
        h3=(float)(b3-a3)/n;
        for(i=1;i<n;i++)
       {
               sum1+=2*f1(a1+i*h1);
               sum2+=2*f2(a2+i*h2);
               sum3+=2*f3(a3+i*h3);
        11=(h1/2)*(f1(a1)+f1(b1)+sum1);
        printf("The value of the first integral is:%f\n",I1);
        12=(h2/2)*(f2(a2)+f2(b2)+sum2);
        printf("The value of the second integral is:%f\n",I2);
        13=(h3/2)*(f3(a3)+f3(b3)+sum3);
        printf("The value of the third integral is:%f\n",I3);
}
```

Practical 8: WAP in C to calculate the Sum of two matrices.

```
#include<stdio.h>
#include<math.h>
int main()
{
        int i,j,m,n,p,q;
        int A[10][10], B[10][10], C[10][10];
        printf("Enter the number of rows in 1st matrix:\n");
        scanf("%d",&m);
        printf("Enter the number of columns in 1st matrix:\n");
        scanf("%d",&n);
        printf("Enter the number of rows in 2nd matrix:\n");
        scanf("%d",&p);
        printf("Enter the number of columns in 2nd matrix:\n");
        scanf("%d",&q);
        if(m!=p && n!=q)
        {
                printf("Matrix addition is not possible.");
        }
        else
        {
                printf("Enter the elements of 1st matrix:\n");
                for(i=0;i<m;i++)
                {
                        for(j=0;j< n;j++)
                        {
                                scanf("%d",&A[i][j]);
                        }
                printf("Enter the elements of 2nd matrix:\n");
                for(i=0;i<p;i++)
                {
                        for(j=0;j<q;j++)
                        {
                                scanf("%d",&B[i][j]);
                        }
                }
                printf("The resultant matrix is:\n");
                for(i=0;i<m;i++)
                {
                        for(j=0;j<n;j++)
                        {
                                C[i][j]=A[i][j]+B[i][j];
                                printf("%d\t",C[i][j]);
                        printf("\n");
                }
        }
}
```

```
Enter the number of rows in 1st matrix:
Enter the number of columns in 1st matrix:
Enter the number of rows in 2nd matrix:
Enter the number of columns in 2nd matrix:
Enter the elements of 1st matrix:
        16
                20
16
        8
                15
        15
20
                10
Enter the elements of 2nd matrix:
       12
                18
12
        25
                17
18
        17
                2
The resultant matrix is:
20
        28
                38
28
        33
                32
38
       32
                12
Process exited after 301.7 seconds with return value 0
Press any key to continue . . .
```

```
Enter the number of rows in 1st matrix:
Enter the number of columns in 1st matrix:
Enter the number of rows in 2nd matrix:
Enter the number of columns in 2nd matrix:
Enter the elements of 1st matrix:
        -5
                8
7
        12
Enter the elements of 2nd matrix:
        17
                11
23
        -7
15
The resultant matrix is:
                19
        12
22
        5
                2
Process exited after 41.9 seconds with return value 0
Press any key to continue . . .
```

Practical 9: WAP in C to calculate the Product of two matrices.

```
#include<stdio.h>
#include<math.h>
int main()
{
        int i,j,k,m,n,p,q,s=0;
        int A[10][10], B[10][10], C[10][10];
        printf("Enter the number of rows in 1st matrix:\n");
        scanf("%d",&m);
        printf("Enter the number of columns in 1st matrix:\n");
        scanf("%d",&n);
        printf("Enter the number of rows in 2nd matrix:\n");
        scanf("%d",&p);
        printf("Enter the number of columns in 2nd matrix:\n");
        scanf("%d",&q);
        if(n!=p)
        {
                printf("Matrix Multiplication is not possible.");
        }
        else
        {
                printf("Enter the elements of 1st matrix:\n");
                for(i=0;i<m;i++)
                {
                        for(j=0;j< n;j++)
                                scanf("%d",&A[i][j]);
                        }
                printf("Enter the elements of 2nd matrix:\n");
                for(i=0;i<p;i++)
                {
                        for(j=0;j<q;j++)
                        {
                                scanf("%d",&B[i][j]);
                        }
                }
                for(i=0;i<m;i++)
                        for(j=0;j<q;j++)
                        {
                                s=0;
                                for(k=0;k<p;k++)
                                        s+=A[i][k]*B[k][j];
                                C[i][j]=s;
                        }
                printf("The resultant Matrix is:\n");
                for(i=0;i<m;i++)
                        for(j=0;j<q;j++)
                        {
                                printf("%d\t",C[i][j]);
                        }
```

```
printf("\n");
}
}
```

```
Enter the number of rows in 1st matrix:
Enter the number of columns in 1st matrix:
Enter the number of rows in 2nd matrix:
Enter the number of columns in 2nd matrix:
Enter the elements of 1st matrix:
11
                 11
        8
-20
        -5
22
                Θ
Enter the elements of 2nd matrix:
11
                2
19
                8
        5
                9
        -11
The resultant Matrix is:
350
                185
        7
-308
        -196
                -71
        191
299
                68
Process exited after 40.12 seconds with return value 0
Press any key to continue . . .
```

```
Enter the number of rows in 1st matrix:
Enter the number of columns in 1st matrix:
Enter the number of rows in 2nd matrix:
Enter the number of columns in 2nd matrix:
Enter the elements of 1st matrix:
3
        2
        6
4
Enter the elements of 2nd matrix:
        3
-3
                2
-2
        5
                -1
The resultant Matrix is:
-13
        19
                4
-24
        42
                2
-5
                1
        8
Process exited after 42.63 seconds with return value 0
Press any key to continue . . .
```

Practical 10: WAP in C to find the Determinant of a Square Matrix.

```
#include<stdio.h>
#include<math.h>
int main()
{
        int n,i,j,k,s=0,count;
        float A[10][10],det,f,temp;
        printf("Enter the one dimension of the square matrix:\n");
        scanf("%d",&n);
        printf("Enter the elements of A are:\n");
        for(i=0;i<n;i++)
        {
                for(j=0;j<n;j++)
                {
                        scanf("%f",&A[i][j]);
                }
        }
        det=1;
        count=0;
        for(j=0;j<n;j++)
                if(A[j][j] == 0)
                {
                        s=j+1;
                        while(s \le A[s][j] == 0)
                                s=s+1;
                        }
                        if(s==n)
                        {
                                printf("A is Singular Matrix and |A| = 0");
                                return 0;
                        for(k=0;k<n;k++)
                        {
                                temp=A[j][k];
                                A[j][k]=A[s][k];
                                A[s][k]=temp;
                        count+=1;
                }
                for(i=j+1;i<n;i++)
                {
                        f=A[i][j]/A[j][j];
                        for(k=0;k<n;k++)
                        {
                                A[i][k]=A[i][k]-f*A[j][k];
                        }
                }
        }
        for(i=0;i<n;i++)
        {
                det*=A[i][i];
        if(count%2!=0)
        {
```

```
det=-det;
}
printf("The determinant of matrix A is:%0.2f",det);
}
```

```
Enter the one dimension of the square matrix:
Ц
Enter the elements of A are:
12
                7
                         5
19
        0
                1
-5
                2
                         7
        1
        10
                12
                         9
11
The determinant of matrix A is:-1860.00
Process exited after 61.43 seconds with return value 0
Press any key to continue . .
```

Practical 11: WAP in C to find the Determinant of a Square Matrix.

```
#include<stdio.h>
#include<math.h>
int main()
{
        int n,i,j,k;
        float A[100][100],I[100][100],var,f;
        printf("Enter the dimension of matrix A:\n");
        scanf("%d",&n);
        printf("Enter the elements of A:\n");
        for(i=0;i<n;i++)
        {
                 for(j=0;j<n;j++)
                         scanf("%f",&A[i][j]);
                         if(i==j)
                         {
                                  I[i][j]=1;
                         }
                         else
                         {
                                  I[i][j]=0;
                         }
                 }
        }
        for(i=0;i<n;i++)
                 var=A[i][i];
                 for(j=0;j<n;j++)
                 {
                         A[i][j]=A[i][j]/var;
                         I[i][j]=I[i][j]/var;
                 for(k=0;k< n;k++)
                         if(k!=i)
                         {
                                  f=A[k][i];
                                  for(j=0;j<n;j++)
                                  {
                                           A[k][j]=A[k][j]-f*A[i][j];
                                           I[k][j]=I[k][j]-f*I[i][j];
                                  }
                         }
                 }
        }
        printf("The Inverse of Matrix A is:\n");
        for(i=0;i<n;i++)
        {
                 for(j=0;j<n;j++)
                 printf("%0.3f\t", I[i][j]);
                 printf("\n");
```

```
}
```

```
Enter the dimension of matrix A:
Enter the elements of A:
         0
                   2
1
-1
          1
                   -2
                             1
3
         11
                   3
                             1
4
                   10
         1
The Inverse of Matrix A is:
49.000 26.000 -2.000 -4.000

    -7.600
    -4.000
    0.400
    0.600

    -24.000
    -13.000
    1.000
    2.000

                 -0.400 -0.600
8.600 5.000
Process exited after 46.59 seconds with return value 0
Press any key to continue . . .
```

```
Enter the dimension of matrix A:
Enter the elements of A:
               -4
       2
       12
0
               8
3
       -5
               17
The Inverse of Matrix A is:
      -0.032 0.147
0.560
0.055 0.067 -0.018
-0.083 0.025 0.028
Process exited after 6.526 seconds with return value 0
Press any key to continue . . .
```

Practical 12: WAP in C to verify the Cayley Hamilton theorem of the matrix.

```
#include<stdio.h>
#include<math.h>
void matrix_multiplication(float A[100][100],int m,int n,float B[100][100],int p,int q,float C[100][100])
{
        int i,j,k;
        if(n!=p)
        {
                printf("Matrix Multiplication is not possible");
        }
        else
        {
                for(i=0;i<m;i++)
                {
                        for(j=0;j<q;j++)
                        {
                                C[i][j]=0;
                                for(k=0;k< p;k++)
                                         C[i][j]+=A[i][k]*B[k][j];
                                }
                        }
                }
        }
}
int main()
{
        int n,i,j,k,count=0;
        float A[100][100],A2[100][100],A3[100][100],A4[100][100],I[100][100],sol[100][100];
        printf("Enter the order of the matrix A:\n");
        scanf("%d",&n);
        printf("Enter the elements of Matrix A:\n");
        for(i=0;i<n;i++)
        {
                for(j=0;j<n;j++)
                {
                        scanf("%f",&A[i][j]);
                        if(i==j)
                        {
                                I[i][j]=1;
                        }
                        else
                        {
                                I[i][j]=0;
                        }
                }
        matrix\_multiplication(A,n,n,A,n,n,A2);
        matrix_multiplication(A,n,n,A2,n,n,A3);
        matrix_multiplication(A2,n,n,A2,n,n,A4);
        printf("\nMatrix (A^4-8A^3+21A^2-20A+5I)\n");
        for(i=0;i<n;i++)
        {
```

```
for(j=0;j<n;j++)
                        sol[i][j]=A4[i][j]-8*A3[i][j]+21*A2[i][j]-20*A[i][j]+5*I[i][j];
                        if(sol[i][j]==0)
                        {
                                count+=1;
                                 printf("%f\t",sol[i][j]);
                }
                printf("\n");
        }
        if(count==n*n)
        {
                printf("Cayley Hamilton Theorem has been verified");
        }
        else
        {
                printf("Cayley Hamilton Theorem has not been verified");
        }
}
```

```
Enter the order of the matrix A:
Enter the elements of Matrix A:
2
                        0
        -1
                0
                -1
-1
        2
                        0
0
        -1
                        -1
                2
                        2
0
        0
                -1
Matrix (A^4-8A^3+21A^2-20A+5I)
0.000000
                0.000000
                                 0.000000
                                                 0.000000
0.000000
                0.000000
                                 0.000000
                                                 0.000000
0.000000
                0.000000
                                 0.000000
                                                 0.000000
0.000000
                0.000000
                                 0.000000
                                                 0.000000
Cayley Hamilton Theorem has been verified
Process exited after 25.84 seconds with return value 0
Press any key to continue . . .
```

Practical 13: WAP in C to solve the System of Linear Equation using Gauss Elimination Method.

```
#include<stdio.h>
#include<math.h>
int main()
{
        int n,i,j,k,s=0,count;
        float A[10][10],x[10],det,f,temp;
        printf("Enter the one dimension of the square matrix:\n");
        scanf("%d",&n);
        printf("Enter the elements of augmented matrix A|b:\n");
        for(i=0;i<n;i++)
        {
                for(j=0;j<=n;j++)
                {
                        scanf("%f",&A[i][j]);
                }
        }
        det=1;
        count=0;
        for(j=0;j<n;j++)
                if(fabs(A[j][j]) < 1e-6)
                {
                        s=j+1;
                        while(s < n \&\& fabs(A[s][j]) < 1e-6)
                                s=s+1;
                        }
                        if(s==n)
                        {
                                 printf("A is Singular Matrix and |A| = 0");
                                 return 0;
                        for(k=0;k<n;k++)
                        {
                                temp=A[j][k];
                                A[j][k]=A[s][k];
                                A[s][k]=temp;
                        count+=1;
                }
                for(i=j+1;i<n;i++)
                {
                        f=A[i][j]/A[j][j];
                        for(k=0;k<=n;k++)
                        {
                                A[i][k]=A[i][k]-f*A[j][k];
                        }
                }
        }
        // Back Substitution
 for(i=n-1; i>=0; i--)
 {
    x[i]=A[i][n];
    for(j=i+1; j<n; j++)
    {
```

```
x[i]=x[i]-A[i][j]*x[j];
}
x[i]=x[i]/A[i][i];
}
printf("\nThe solution of the system is:\n");
for(i=0; i<n; i++)
{
    printf("x[%d] = %f\n",i+1,x[i]);
}
return 0;
}</pre>
```

```
Enter the one dimension of the square matrix:

3
Enter the elements of augmented matrix A|b:

2 -1 3 9
1 -3 -2 0
3 2 -1 -1

The solution of the system is:
x[1] = 1.000000
x[2] = -1.000000
x[3] = 2.000000

Process exited after 6.329 seconds with return value 0
Press any key to continue . . .
```

```
Enter the one dimension of the square matrix:
Enter the elements of augmented matrix A|b:
2
               -1
-3
       -1
                2
                        -11
                        -3
-2
                2
The solution of the system is:
x[1] = 2.000000
x[2] = 3.000000
x[3] = -1.000000
Process exited after 45.76 seconds with return value 0
Press any key to continue . . .
```

Practical 14: WAP in C to calculate the Transition Probability Matrix and determine the number of students doing Mathematics and English work over subsequent periods using Multiplication.

```
#include<stdio.h>
#include<math.h>
void matrix_multiplication(float A[1][2],int m,int n,float B[2][2],int p,int q,float C[1][2])
{
        int i,j,k;
        for(i=0;i<m;i++)
        {
                for(j=0;j < q;j++)
                {
                        C[i][j]=0;
                        for(k=0;k< p;k++)
                        {
                                 C[i][j]+=A[i][k]*B[k][j];
                        }
                }
        }
}
int main()
{
        int i,j;
        float TPM[2][2],ISV[1][2],S_after[1][2],S_temp[1][2];
        printf("Enter the elements of the Transition Probability Matrix:\n");
        for(i=0;i<2;i++)
        {
                for(j=0;j<2;j++)
                {
                        scanf("%f",&TPM[i][j]);
                }
        printf("Enter the Initial State Vector:\n");
        for(i=0;i<1;i++)
        {
                for(j=0;j<2;j++)
                {
                        scanf("%f",&ISV[i][j]);
                }
        matrix_multiplication(ISV,1,2,TPM,2,2,S_temp);
        matrix_multiplication(S_temp,1,2,TPM,2,2,S_after);
        printf("The Transition Probability Matrix is:\n");
        for(i=0;i<2;i++)
        {
                for(j=0;j<2;j++)
                {
                        printf("%f\t",TPM[i][j]);
                }
                printf("\n");
        printf("The number of students doing Mathematics after two periods are %f\n", 100*S_after[0][0]);
        printf("The number of students doing English after two periods are %f\n", 100*S_after[0][1]);
        return 0;
}
```

```
Enter the elements of the Transition Probability Matrix:
0.8
       0.2
0.7
       0.3
Enter the Initial State Vector:
      0.4
The Transition Probability Matrix is:
0.800000
               0.200000
0.700000
               0.300000
The number of students doing Mathematics after two periods are 77.599998
The number of students doing English after two periods are 22.400002
Process exited after 28.29 seconds with return value 0
Press any key to continue . . .
```

Practical 15: WAP in C to calculate the Dominant Eigen Value using Power Method.

```
#include<stdio.h>
#include<math.h>
int n;
void mat_vec_mult(float mat[100][100],float vec[100],float res[100])
{
       int i,j;
        for(i=0;i<n;i++)
        {
               res[i]=0;
               for(j=0;j<n;j++)
                       res[i]+=mat[i][j]*vec[j];
               }
       }
}
float vec_mag(float vec[100])
{
       int i;
       float sum=0;
       for(i=0;i<n;i++)
       {
               sum+=vec[i]*vec[i];
       }
        return(sqrt(sum));
}
void norm_vec(float vec[100])
{
        float mag=vec_mag(vec);
        for(int i=0;i<n;i++)
       {
               vec[i]=vec[i]/mag;
}
float dom_eig_val(float mat[100][100],float ini_vec[100],float eig_vec[100])
{
        float new_vec[100];
        float eig_val=0;
        for(int i=0;i<n;i++)
       {
               new_vec[i]=ini_vec[i];
        for(int iter=0;iter<1000;iter++)
       {
               mat_vec_mult(mat,new_vec,eig_vec);
               eig_val=vec_mag(eig_vec);
               norm_vec(eig_vec);
               float error=0;
               for(int i=0;i<n;i++)
               {
                       error+=fabs(new_vec[i]-eig_vec[i]);
               if(error<0.000001)
                       break;
```

```
}
                for(int i=0;i<n;i++)
                {
                        new_vec[i]=eig_vec[i];
                }
        }
        return eig_val;
}
int main()
{
        int i,j;
        float mat[100][100],ini_vec[100],eig_vec[100],eig_val;
        printf("Enter the size of the Matrix:\n");
        scanf("%d",&n);
        printf("Enter the elements of the Matrix:\n");
        for(i=0;i<n;i++)
        {
                for(j=0;j<n;j++)
                {
                        scanf("%f",&mat[i][j]);
                }
        printf("Enter the elements of the Initial Vector:\n");
        for(i=0;i<n;i++)
        {
                scanf("%f",&ini_vec[i]);
                eig_vec[i]=0;
        }
        eig_val=dom_eig_val(mat,ini_vec,eig_vec);
        printf("The Dominant Eigen Value is:%f\n",eig_val);
        printf("The corresponding Eigen Vector is:\n");
        for(i=0;i<n;i++)
        {
                printf("%f\n",eig_vec[i]);
        }
        return 0;
}
```

```
Enter the size of the Matrix:
Enter the elements of the Matrix:
2
                0
                        0
        -1
        2
                -1
                        0
-1
        -1
                2
0
                        -1
        0
                -1
Enter the elements of the Initial Vector:
                1
The Dominant Eigen Value is:2.618034
The corresponding Eigen Vector is:
0.601501
-0.371748
-0.371748
0.601501
Process exited after 11.37 seconds with return value 0
Press any key to continue . . .
```

Practical 16: WAP in C to find the Generalised Inverse of a matrix.

```
#include<stdio.h>
#include<math.h>
int main()
{
        int m,n,i,j;
        float A[100][100],B[2][2],B_det,B_inv[2][2],G[100][100];
        printf("Enter the number of rows of Matrix A:\n");
        scanf("%d",&m);
        printf("Enter the number of columns of Matrix A:\n");
        scanf("%d",&n);
        printf("Enter the elements of Matrix A:\n");
        for(i=0;i<m;i++)
        {
                for(j=0;j<n;j++)
                         {
                                 scanf("%f",&A[i][j]);
                        }
        for(i=0;i<2;i++)
                for(j=0;j<2;j++)
                         {
                                 B[i][j]=A[i][j];
                         }
        B_det=B[0][0]*B[1][1]-B[1][0]*B[0][1];
        B_{inv}[0][0]=(B[1][1]/B_{det});
        B_{inv[1][0]=-(B[1][0]/B_{det});
        B_{inv[0][1]=-(B[0][1]/B_{det});
        B_{inv[1][1]=(B[0][0]/B_{det});
        for(i=0;i<m;i++)
        {
                for(j=0;j<n;j++)
                         {
                                 G[i][j]=0.0;
                         }
        }
        for(i=0;i<2;i++)
        {
                for(j=0;j<2;j++)
                         {
                                 G[i][j]=B_inv[i][j];
                         }
        }
        printf("The Generalised Inverse of A is:\n");
        for(i=0;i<m;i++)
        {
                for(j=0;j<n;j++)
                         {
                                 printf("%0.3f\t",G[i][j]);
                         printf("\n");
        return 0;
}
```

```
Enter the number of rows of Matrix A:
Enter the number of columns of Matrix A:
Enter the elements of Matrix A:
       1
4
               5
       3
1
       0
               2
The Generalised Inverse of A is:
1.500 -0.500 0.000
-2.000 1.000 0.000
0.000 0.000 0.000
Process exited after 29.52 seconds with return value 0
Press any key to continue . . .
```

```
Enter the number of rows of Matrix A:
Enter the number of columns of Matrix A:
Enter the elements of Matrix A:
       2
                      1
      4
3
             1
                     -1
       4
              0
                      2
The Generalised Inverse of A is:
-2.000 1.000 0.000 0.000
1.500 -0.500 0.000 0.000
0.000 0.000 0.000 0.000
Process exited after 34.71 seconds with return value 0
Press any key to continue . . .
```