

FrugalGPT: How to Use Large Language Models While Reducing Cost and Improving Performance

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GPT4的API也是很花錢的

• 輸入: 0.03\$ / 1000 tokens

• 輸出: 0.06\$ / 1000 tokens

假設每次使用輸入 1000 tokens 、輸出 1000 tokens

每次使用需要 0.03\$ + 0.06\$ = 0.09\$ (2.78 新台幣)

桃市府試驗以ChatGPT分析1999陳情案件

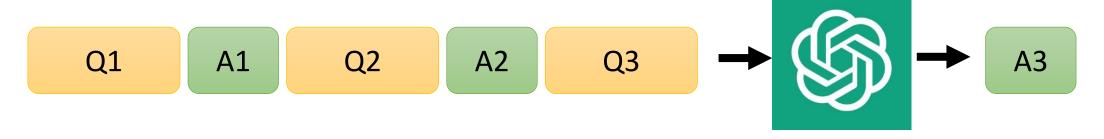
https://news.ltn.com.tw/news/politics/breakingnews/4273981

「1999臺北市民當家熱線」平均每月服務 15 萬 7,522 通電話

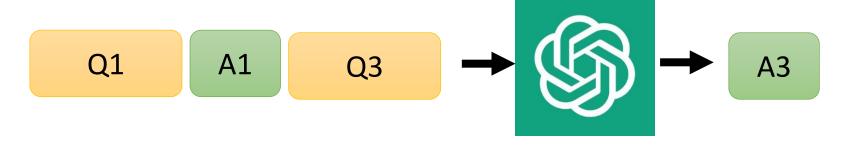
https://rdec.gov.taipei/cp.aspx?n=EE54BD6678096F88

方法一: Prompt Adaptation (縮短輸入)

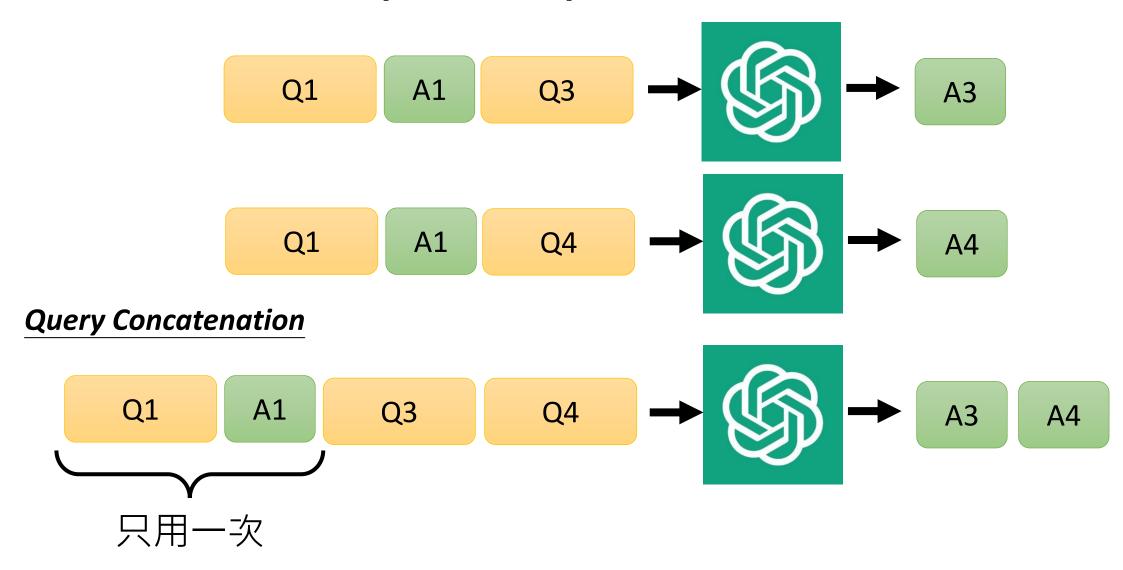
In-context learning



Prompt Selection



方法一: Prompt Adaptation (縮短輸入)



方法二: LLM Approximation (自建模型)

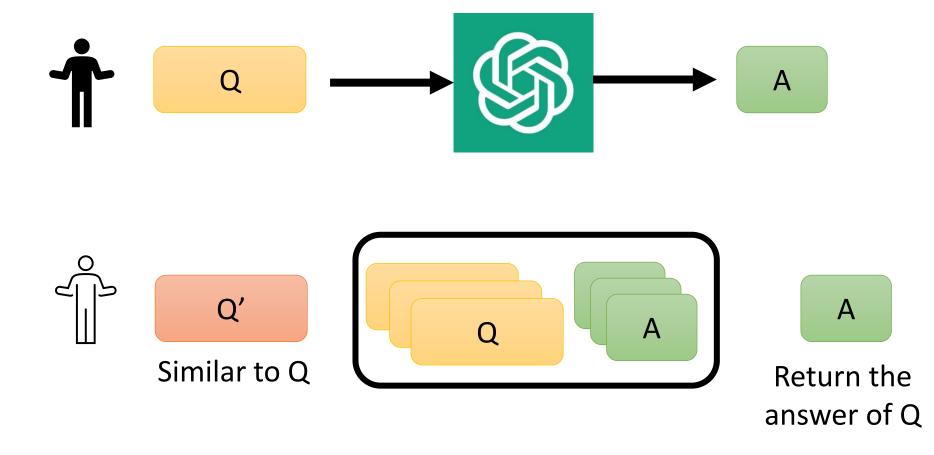


【生成式AI】窮人如何低資源復刻自己的 ChatGPT

https://youtu.be/rK_rZFew1yc

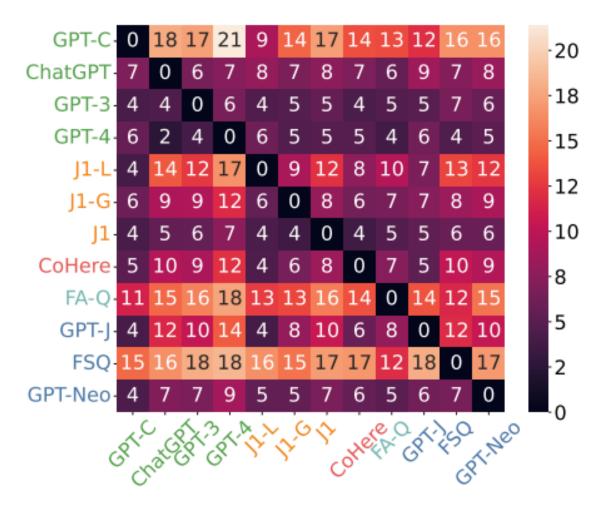
方法二: LLM Approximation (自建模型)

Completion Cache

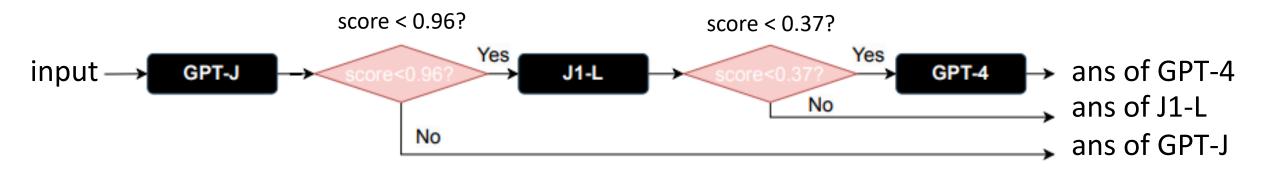


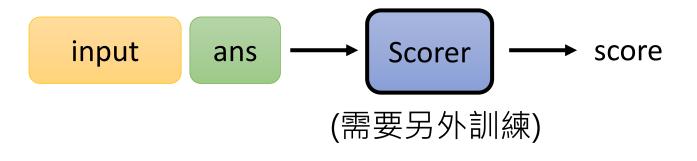
| Provider | API | Size/B | Cost (USD) | | |
|-------------|-----------|--------|-----------------|------------------|---------|
| | | | 1M input tokens | 1M output tokens | request |
| OpenAI | GPT-Curie | 6.7 | 2 | 2 | 0 |
| | ChatGPT | NA | 2 | 2 | 0 |
| | GPT-3 | 175 | 20 | 20 | 0 |
| | GPT-4 | NA | 30 | 60 | 0 |
| AI21 | J1-Large | 7.5 | 0 | 30 | 0.0003 |
| | J1-Grande | 17 | 0 | 80 | 0.0008 |
| | J1-Jumbo | 178 | 0 | 250 | 0.005 |
| Cohere | Xlarge | 52 | 10 | 10 | 0 |
| ForeFrontAI | QA | 16 | 5.8 | 5.8 | 0 |
| Textsynth | GPT-J | 6 | 0.2 | 5 | 0 |
| | FAIRSEQ | 13 | 0.6 | 15 | 0 |
| | GPT-Neox | 20 | 1.4 | 35 | 0 |

- 殺雞不用牛刀
 - 簡單的問題交給比較弱 (比較便宜) 的模型
 - 只有難的問題才給比較強 (比較貴) 的模型
- 不同模型的能力可能可以互補

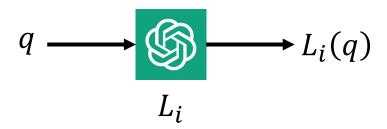


HEADLINES





| Approch | Accuracy | Cost (\$) | |
|-----------|----------|-----------|--|
| GPT-4 | 0.857 | 33.1 | |
| FrugalGPT | 0.872 | 6.5 | |



 $r(a, L_i(q))$: performance of L_i

 $s(q, L_i(q))$: score from scorer

Cost of each request:

$$c_{L_{i},1}||q|| + c_{L_{i},2}||L_{i}(q)|| + c_{L_{i},3}$$

$$\mathcal{L} = \{L_1, L_2, \dots, L_k\}$$

$$\mathcal{T} = \{\lambda_1, \lambda_2, \dots, \lambda_{k-1}\}$$

$$\max_{\mathcal{L},\mathcal{T}} \sum_{q,a} r(a, L_z(q))$$

z is the minimum i such that $s\big(q,L_i(q)\big)>\lambda_i$

$$\sum_{q} \sum_{i=1}^{2} \left[c_{L_{i},1} \|q\| + c_{L_{i},2} \|L_{i}(q)\| + c_{L_{i},3} \right]$$

$$< B$$
(budget)

