

Digital Image Processing Learning

# Digital Image Processing Learning The third section

常琳

CVBIOUC

http://vision.ouc.edu.cn/~zhenghaiyong

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# Purpose

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We want to:

Contrast manipulation and image thresholding Intensity
Transformation

Performing operations Spatial filtering



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linear Image Negatives, s = L - 1 - r.

Enhance white or gray detail embedded in dark regions of an image.

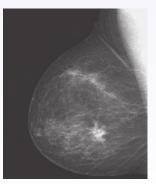


Figure1(a), Original picture

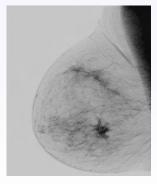


Figure 1(b), Using the negative transformation



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Logarithmic Log transformation, s = clog(1 + r).

We use this type to expand the values of dark pixels in an image while compressing the higher-level values.



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Power-law Power-Law(Gamma) transformstions,  $s=cr^{\gamma}$ . Depend on  $\gamma$ .



Figure2(a), Original picture



Figure 2(b),  $\gamma=0.5$ 



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Piecewise-Linear Transformationn Functions Advantage:
can be arbitrarily complex.
Disadvantage: their specification requires
considerably more user input.



#### Histogram Processing

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For image enhancement.

Normallize a histogram:  $p(r_k) = n_k/MN$ , for  $k = 0, 1, .... L - 1, p_k$  is an estimate of the probability of occurrence of intensity level  $r_k$  in an image. The sum of all components of a normalized histogram is equal to 1.



# Histogram Equalization

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Spread the histogram of the input image so that the intensity levels of the equalized image span a wider range of the intensity scale. The net result is contrast enhancement. The results are predictable and method is simple to implement.

Equations:

$$p_r(r_k) = \frac{n_k}{MN}, k = 0, 1, 2 \dots, L - 1$$
 (1)

$$s_k = T(r_k) = (L-1) \sum_{j=0}^k p_r(r_j) = \frac{(L-1)}{MN} \sum_{j=0}^k n_j, k = 0, 1-2 \dots, L-$$



# Histogram Equalization

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Figure3(a), Original picture



Figure 3(b), Equalization



 $\begin{array}{l} Figure 3(c), \ Original \\ histogram \end{array}$ 



Figure 3(d), Histogram after equalizing



#### Histogram matching

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The method used to generate a processed image that has a specified histogram.

Major equations:

$$s_k = T(r_k) = (L-1) \sum_{j=0}^k p_r(r_j) = \frac{(L-1)}{MN} \sum_{j=0}^k n_j, k = 0, 1, 2 \dots, L-1$$
(3)

$$G(z_q) = (L-1) \sum_{i=0}^{q} p_z(z_i)$$
 (4)



#### Histogram matching

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$$G(z_q) = s_k (5)$$

 $p_z(z_i)$  is the *i*th value of the specified histogram.

$$z_q = G^{-1}(s_k) \tag{6}$$



#### Local Histogram Processing

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Enhance details over small areas in an image.



#### Using Histogram Statistics for Image Enhancement

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The mean and variance are used as the basis for making changes.



#### Fundamentals of Spatial Filtering

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Spatial filters can be used also for nonlinear filtering, something we cannot do in the frequency domain. Linear spatial filtering of an image of size M\*N with a filter of size m\*n is given by the expression:

$$g(x,y) = \sum_{s=-a}^{a} \sum_{t=-b}^{b} w(s,t) f(x+s,y+t)$$
 (7)



#### Smoothing Linear Filters

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Smoothing filters are used for blurring and for noise reduction.

The output(response) of a smoothing, linear spatial filter is the average of the pixels contained in the neighborhood of the filter mask.

Sometimes are called averaging filters. Refer to a lowpass filters.

A major use of averaging filters is in the reduction of "irrelevant" detail in an image.



#### Order-Statistic(Nonlinear) Filters

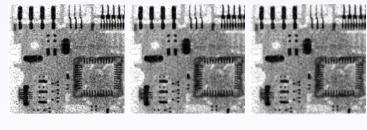
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> The best-known filter is the medium filter. Median Filters are particularly effective in the presence of impulse noise, also called salt-and pepper noise.



#### Dealing with noise

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Original image

 ${\bf Median\ filter}$ 

Average filter



# Sharpening Spatial Filters

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Highlight transitions in intensity.

Using the Laplacian for Image Sharpening

$$\frac{\partial^2 f}{\partial x^2} = f(x+1) + f(x-1) - 2f(x)$$
 (8)

$$\frac{\partial^2 f}{\partial y^2} = f(y+1) + f(y-1) - 2f(y) \tag{9}$$

$$\nabla^2 f = f(x+1, y) + f(x-1, y) + f(x, y+1) + f(x, y-1) - 4f(x, y)$$
(10)

$$g(x,y) = f(x,y) + c[\nabla^2 f(x,y)]$$
(11)



# Sharpening Spatial Filters

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The Laplacian is used for highlights intensity discontinuities in an image. This will tend to produce images that have grayish edge lines and other discontinuities, all superimposed on a dark, featureless background. Background features can be "recovered" while still preserving the sharpening effect of the Laplacian simply by adding the Laplacian image to the original.



# Unsharp Masking and Highboost Filtering

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A process that has been used to sharpen images consists of subtracting an unsharp(smoothed) version of an image from the original image. Then add the difference.



#### Combining Spatial Enhancement Methods

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 ${\bf Combine\ several\ approaches.}$ 



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#### 汇报:

- 1 对于内容的理解。
- 2 形式的展示,觉得需要的内容就放上,但可以快速讲过, 最好是加上个人的理解与体会而不是照搬书本。汇报如 何吸引人?
- **3** 发现问题,寻找解决问题的上路,方法,发现问题后深入思考下去。

#### 平时:

- 1 把不会的表达出来。
- 2 学习内容上的深度交流。
- 3 报告形式上多学习,多问。