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Assignment 2 : PART 1

$$1. \pi_{\text{ename}, \text{age}} (\text{Emp} \bowtie (\text{WORKS} (\sigma_{\text{dname} = \text{'hardware'}, (\text{dept})})) \cap \text{Emp} \bowtie (\text{WORKS} (\sigma_{\text{dname} = \text{'software'}, (\text{dept})})))$$

$$2. p(\text{Temp}, \text{Emp} \bowtie \text{WORKS} \bowtie \text{Dept})$$

$$\pi_{\text{ename}}^{(\text{Emp})} - \pi_{\text{Temp.ename}} (\sigma_{\text{Temp.salary} < d.\text{budget}} (\sigma_{\text{Temp.eid} = d.\text{eid}} (\text{Temp} \times p(d, \text{Temp}))))$$

$$3. \pi_{\text{managerid}} (\text{Emp} \bowtie \text{WORKS} \bowtie (\sigma_{\text{Dept.budget} > 1000000}^{(\text{Dept})}))$$

$$4. p(\text{Temp}, \text{Emp} \bowtie \text{WORKS} \bowtie \text{Dept})$$

$$\pi_{\text{ename}}^{(\text{Emp})} - \pi_{\text{Temp.ename}} (\sigma_{\text{Temp.budget} < d.\text{budget}} (\sigma_{\text{Temp.eid} = d.\text{eid}} (\text{Temp} \times p(d, \text{Temp}))))$$

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Assignment 2 : PART 2

1. $\pi_{\text{airline}} (\pi_{\text{airline, to}} (\text{Flight}) / \pi_{\text{code}} (\text{Can Airport}))$

2. $\pi_{\text{airline}} (\pi_{\text{airline, to}} (\text{Flight}) / \pi_{\text{code}} (\text{can Airport})) -$
 $(\pi_{\text{airline, to}} (\text{Flight}) / \pi_{\text{code}} (\text{Can Airport} \bowtie \text{US Airport}))$

3. $p(\text{Temp 1}, \pi_{\text{from}} (\pi_{\text{from, to}} (\text{Flight}) / \pi_{\text{code}} (\sigma_{\text{location} = \text{'New York'}} (\text{Can Airport}))))$
 $p(\text{Temp 2}, \pi_{\text{from}} (\pi_{\text{from, to}} (\text{Flight}) / \pi_{\text{code}} (\sigma_{\text{location} = \text{'New York'}} (\text{USA Airport}))))$
 $\pi_{\text{location}} (\text{Temp 1} \bowtie \text{Can Airport}) \cup \pi_{\text{location}} (\text{Temp 2} \bowtie \text{USA Airport})$

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Assignment 2 : PART 3

1. $\pi_{name} (characters) \bowtie \pi_{characterName, PlanetName} (TimeTable) /$

$\pi_{PlanetName} (\sigma_{Affiliation='Neutral'} (planet))$

2. $\pi_{PlanetName} (TimeTable) \bowtie \sigma_{Race='human'} (\sigma_{Affiliation='empire'} (characters))$

3. $p (Temp1, \sigma_{characterName='Luke'} (TimeTable))$

$p (Temp2, \sigma_{characterName='Darth Vader'} (TimeTable))$

$\pi_{Temp1.PlanetName, Temp1.movie} (\sigma_{Temp1.PlanetName = Temp2.PlanetName} ($

$(\sigma_{Temp1.TimeOfArrival < Temp2.TimeOfDeparture} (Temp1 \times Temp2)) \cup$

$(\sigma_{Temp1.TimeOfDeparture > Temp2.TimeOfArrival} (Temp1 \times Temp2))$

4. $\pi_{movie, TimeOfArrival, TimeOfDeparture, CharacterName} ($

$(\sigma_{type='desert'} (Planets \bowtie TimeTable) \bowtie \sigma_{Race='human'} (characters)) \cup$

$(\sigma_{type='Swampy'} (Planets \bowtie TimeTable) \bowtie \sigma_{Race='droids'} (characters))$