Department of Computer Science & Engineering, ilal Nehru National Motilal Nehru National Institute of Technology Allahabad. (M.C.A 3rd service)

(M.C.A 3rd semester: End-Sem Examination 2018-19)
nputing (CS33102)

Max. Marks: 60

Duration: 3.0 HRS

Note: Be specific and to the point in your answers. Make assumptions wherever necessary and quote it.

All questions are compulsory and carry as the point in your answers. Make assumptions wherever necessary and quote it.

For numericals, maintain a precision up to 3 All questions are compulsory and carry equal marks. For numericals, maintain a precision up to 3 decimal places.

Q1. The fuzzy sets A, B, and C are all defined on the universe X = [0, 5] with the following membership functions: $\mu_{A}(x) = \frac{1}{1 + 5(x - 5)^{2}} :: \mu_{B}(x) = 2^{-x} :: \mu_{C}(x) = \frac{2x}{x + 5}$ (i) Sketch the membership functions

are all defined on the universe
$$x = 10^{-5}$$
 :: $\mu_{C}(x) = \frac{2\pi}{x+5}$ $\mu_{A}(x) = \frac{1}{1+5(x-5)^{2}}$:: $\mu_{B}(x) = 2^{-x}$:: $\mu_{C}(x) = \frac{2\pi}{x+5}$

- (ii) Define the intervals along the x axis corresponding to the λ-cut sets for each of the fuzzy sets A B C for the S. fuzzy sets A, B, C for the following values of λ : 0.2, 0.6 and 1.0
- Q2. Determine the crisp λ -cut relations for $\lambda=0.1j$, for $j=0,1,\ldots,10$ for the following fuzzy relation matrix R:

$$R = \begin{bmatrix} 0.2 & 0.7 & 0.4 & 1 \\ 1 & 0.9 & 0.5 & 0.1 \\ 0 & 0.8 & 1 & 0.6 \\ 0.2 & 0.5 & 1 & 0.3 \end{bmatrix}$$

03. Two fuzzy sets A and B, both defined on X, are as follows:

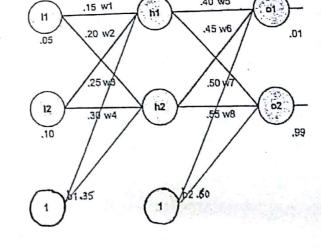
ts A and B, bo	oth defined	on X, are a	s follows:		· · · ·	
$\mu(\mathbf{x}_i)$	\mathbf{x}_1	X ₂	X3	X ₁	X ₅	0.1
P	0.1	0.7	0.8	1.0	0.7	0.1
Q	1.0	0.9	0.5	0.2	0.1	0

For the fuzzy sets: S1 and S2, find the following:

 $i) \ P \cup Q \ ii) \ P \cap Q \ iii) \ P - Q \ iv) \ P^c \ v) \ (Q^c - P) \ vi) \ (P \cup Q)^c \ vii) \ (P^c \cup Q) \ viii) \ (Q \cap Q^c)$

- Q4. As illustrated in figure in the right, input values i1, i2 are given as 0.05 and 0.10 respectively. And target values as 0.01 and 0.99 respectively. Using the back-propagation training algorithm, find:
 - the net output at the end of network.
 - updated weights.

Use learning rate $\alpha = 0.5$ with a binary sigmoidal activation



- Q5. Using the genetic algorithm, minimize the objective function $f(x) = x^2 + x + 1$. Assume the necessary operators for the process on your own. Show the work space with 10 population members, each of size 5 bits. $x \in [0,5]$
- Q6. Consider a fuzzy system of the form z = -x y, where the fuzzy inputs x and y have membership functions as shown in figures (a) and (b), below. Find the interval Z and membership function μ_Z for the fuzzy output z.

