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### Description

A sum-of-squares (SOS) integer is an integer that can be written as the sum of the squares of precisely two integers. For example,  $n = 5$  is a SOS integer because  $5 = 1^2 + 2^2$ . Even 1 is a SOS integer because  $1 = 0^2 + 1^2$ .

But 7 is not a SOS integer, you can see that adding any two integers of the form  $0^2$ ,  $1^2$ , or  $2^2$  will not give you 7. Notice we did not have to try  $3^2$ ,  $4^2$ , or anything larger because these squares already exceed 7.

Given an integer, tell me if it is an SOS integer.

### A Potentially Helpful Function

We have included a function to compute square roots of integers (rounded down):

**unsigned int integer\_sqrt(unsigned int x);**

This will return the greatest integer  $d$  such that  $d*d \leq x$ . In particular, if the parameter  $x$  is a perfect square (like 0, 1, 4, 9, 16, etc.) then it returns the square root of  $x$ . This is already in `soln/sos.cpp` from `sos.tar.gz` that you download from eClass. You may choose to use it or ignore it.

### Input

Input consists of a single line containing a single integer  $n$ . Here,  $0 \leq n \leq 4,000,000,000$ .

### Output

Output a single line consisting of the text **sum of squares** or **not sum of squares**, indicating the answer for  $n$ .

### Sample Input 1

3

### Sample Output 1

not sum of squares

**Explanation:** It is easy to check that 3 is not a SOS integer. If  $3 = a^2 + b^2$  for some integers  $a, b$ , then  $a, b < 2$  because  $2^2 > 3$ . But any choice of  $a$  and  $b$  being 0 or 1 does not equal 3.

### Sample Input 2

29

### Sample Output 2

sum of squares

**Explanation:**  $29 = 2^2 + 5^2$

**Sample Input 3**

3999999999

**Sample Output 3**

not sum of squares

**Explanation:** You will have to take my word for it, or check it with your own program!

**Sample Input 4**

4000000000

**Sample Output 4**

sum of squares

**Explanation:**  $4000000000 = 36000^2 + 52000^2$

**Sample Input 5**

0

**Sample Output 5**

sum of squares

**Explanation:**  $0 = 0^2 + 0^2$