$$\alpha\beta\gamma\delta\Gamma\Upsilon\Lambda\Theta abcd ABCD$$

$$\int_{-\infty}^{\infty} \sin\theta = \sqrt{\frac{e^{i\pi}}{\sum_{i=0} \epsilon\Gamma\Lambda \cdot i}}$$

$$\alpha a a \beta b b \gamma y y \delta d d \zeta \xi z \epsilon e e \varepsilon \eta \eta n$$

$$\theta o \vartheta o i \iota i k \kappa k \lambda l l \ell u \mu \upsilon \nu \nu \nu \rho \rho \varrho \rho$$

$$\sigma o \varsigma o \tau t \pi t u \upsilon \upsilon \varphi o \phi o x \chi x \omega w \varpi w$$

$$\Gamma F \Delta A \Theta O \Lambda A T \Xi E \Sigma X \Upsilon Y\ O \Phi I \Psi U \Omega O$$

$$[(\langle\{\bigsqcup C \oint O \prod P \int S \sum E\})\rangle)]$$

$$\left[\left(\left\langle\left\{\bigsqcup C \oint O \prod P \int S \sum E\right\}\right\rangle\right)\right]$$

$$a + \frac{2}{\pi} \neq 15 \implies A \in \Pi, \forall A \approx \nabla \wp. \wedge \vee \neg \cup \cap \in \ni \ \bigsqcup \prod [] ()$$

$$\alpha a a \beta b b \gamma y y \delta d d \zeta \xi z \epsilon e e \varepsilon \eta \eta n$$

$$\theta o \vartheta o i \iota i k \kappa k \lambda l l \ell u \mu u \nu \nu \nu \rho \rho \varrho \rho$$

$$\sigma o \varsigma o \tau t \pi t u \upsilon \upsilon \varphi o \phi o x \chi x \omega w \varpi w$$

$$\Gamma F \Delta A \Theta O \Lambda A T \Xi E \Sigma X \Upsilon Y\ O \Phi I \Psi U \Omega O$$