$$\alpha\beta\gamma\delta\Gamma\Upsilon\Lambda\Theta abcdABCD$$

$$\int_{-\infty}^{\infty} \sin\theta = \sqrt{\frac{e^{i\pi}}{\sum_{i=0} \epsilon\Gamma\Lambda \cdot i}}$$

$$\alpha aa\beta b\mathrm{b}\gamma y\mathrm{y}\delta d\mathrm{d}\zeta\xi\mathrm{z}\epsilon e\varepsilon\mathrm{n}\eta n$$

$$\theta o\vartheta oii\mathrm{i}k\kappa k\lambda ll\ell u\mu u\nu\nu v\rho p\varrho p$$

$$\sigma o\varsigma o\tau t\pi tu\upsilon v\varphi o\phi ox\chi x\omega w\varpi w$$

$$\Gamma F\Delta A\Theta O\Lambda AT\Xi E\Sigma X\Upsilon Y\ O\Phi I\Psi U\Omega O$$

$$[(\langle\{\amalg C \oint O \prod P \int S \sum E\}\rangle)]$$

$$\left[\left(\left\langle\left\{\amalg C \oint O \prod P \int S \sum E\right\}\right\rangle\right)\right]$$

$$a + \frac{2}{\pi} \neq 15 \implies A \in \Pi, \forall A \approx \nabla\wp. \wedge \vee \neg \cup \cap \in \ni \lfloor\rfloor \lceil\rceil [] ()$$

$$\alpha aa\beta b\mathrm{b}\gamma y\mathrm{y}\delta d\mathrm{d}\zeta\xi\mathrm{z}\epsilon e\varepsilon\mathrm{n}\eta n$$

$$\theta o\vartheta oii\mathrm{i}k\kappa k\lambda ll\ell u\mu u\nu\nu v\rho p\varrho p$$

$$\sigma o\sigma o\tau t\pi tu\upsilon v\varphi o\phi ox\chi x\omega w\varpi w$$

$$\Gamma F\Delta A\Theta O\Lambda AT\Xi E\Sigma X\Upsilon Y\ O\Phi I\Psi U\Omega O$$