

$$\alpha\beta\gamma\delta\Gamma\Upsilon\Lambda\Theta a b c d A B C D$$

$$\int_{-\infty}^{\infty}\sin\theta=\sqrt{\frac{e^{i\pi}}{\sum_{i=0}\epsilon\Gamma\Lambda\cdot i}}$$

$$\alpha a \alpha \beta b b \gamma y y \delta d d \zeta \xi z e e e n \eta n$$

$$\theta o \vartheta o i i k \kappa k \lambda l \ell u \mu \nu \nu \nu r r p q r$$

$$\sigma \varsigma \sigma \tau \tau \pi t u \nu \nu \rho \phi \phi \mathbf{x} x w w \varpi w$$

$$\Gamma \mathrm{F} \Delta \mathrm{A} \Theta \mathrm{O} \Lambda \mathrm{T} \Xi \mathrm{E} \Sigma \mathrm{X} \Upsilon \Upsilon \mathrm{O} \Phi \mathrm{I} \Psi \mathrm{U} \Omega \mathrm{O}$$

$$[\langle (\{ \sqcup C \oint O \prod P \int S \Sigma E \}) \rangle]$$

$$\Big[\Big(\Big\langle\Big\{\sqcup^C\oint^O\prod^P\int^S\Sigma^E\Big\}\Big\rangle\Big)\Big]$$

$$a+\frac{2}{\pi}\neq 15\Longrightarrow A\in \Pi, \forall A\approx \nabla_{\wp}.\wedge \vee\neg\cup\cap\in\exists\sqcup\sqcap\sqcup\sqcap()$$

$$\alpha a \alpha \beta b b \gamma y y \delta d d \zeta \xi z e e e n \eta n$$

$$\theta o \vartheta o i i k \kappa k \lambda l \ell u \mu \nu \nu \nu r r p q r$$

$$\sigma \varsigma \sigma \tau \tau \pi t u \nu \nu \rho \phi \phi \mathbf{x} x w w \varpi w$$

$$\Gamma \mathrm{F} \Delta \mathrm{A} \Theta \mathrm{O} \Lambda \mathrm{T} \Xi \mathrm{E} \Sigma \mathrm{X} \Upsilon \Upsilon \mathrm{O} \Phi \mathrm{I} \Psi \mathrm{U} \Omega \mathrm{O}$$