

BU CS320 Assignment 6: Context Free Grammars

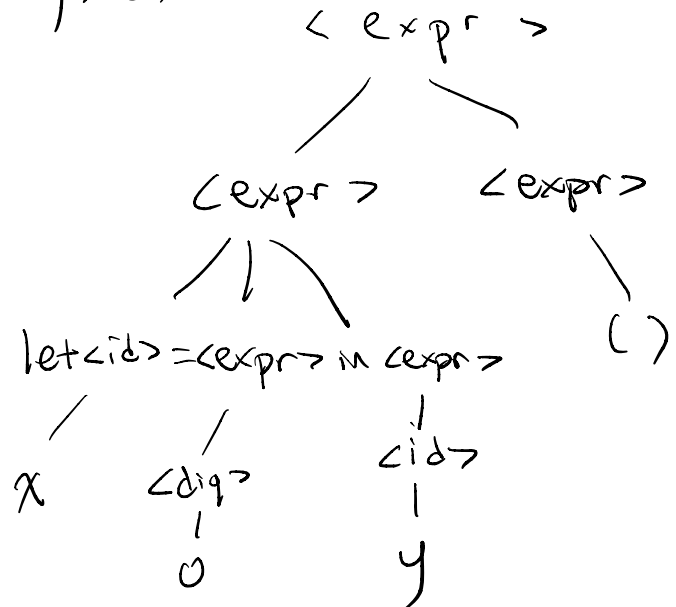
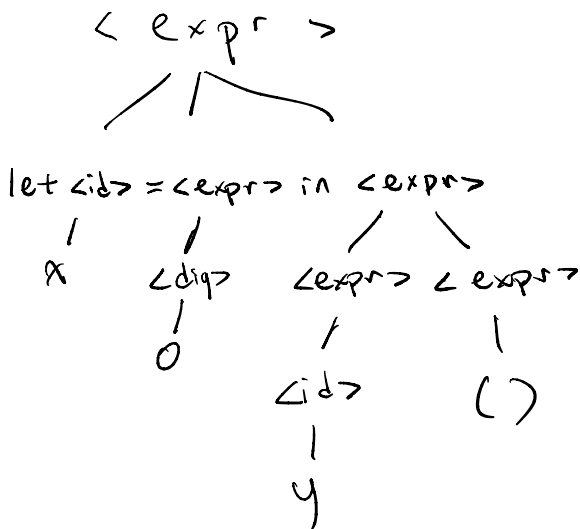
November 6, 2023

1. Given the following grammar where $\langle expr \rangle$ is the starting symbol:

$\langle id \rangle$	$::= a \mid b \mid c \mid \dots \mid z$
$\langle dig \rangle$	$::= 0 \mid 1 \mid 2 \mid \dots \mid 9$
$\langle expr \rangle$	$::= () \mid \langle dig \rangle \mid \langle id \rangle$
	$\mid \text{let } \langle id \rangle = \langle expr \rangle \text{ in } \langle expr \rangle$
	$\mid \langle expr \rangle ; \langle expr \rangle$
	$\mid \text{begin } \langle expr \rangle \text{ end}$

Demonstrate the grammar above is ambiguous.

let $x = 0$ in $y; ()$



2 parse trees to evaluate
expression:

let $x = 0$ in $y; ()$

2. Modify the grammar (reproduced below) to be unambiguous. Hint: There is not just one way.

```
 $\langle id \rangle ::= a \mid b \mid c \mid \dots \mid z$   
 $\langle dig \rangle ::= 0 \mid 1 \mid 2 \mid \dots \mid 9$   
 $\langle expr \rangle ::= () \mid \langle dig \rangle \mid \langle id \rangle$   
           $\mid \text{let } \langle id \rangle = \langle expr \rangle \text{ in } \langle expr \rangle$   
           $\mid \langle expr \rangle ; \langle expr \rangle$   
           $\mid \text{begin } \langle expr \rangle \text{ end}$ 
```

$\langle id \rangle ::= a \mid b \mid c \mid \dots \mid z$

$\langle dig \rangle ::= 0 \mid 1 \mid 2 \mid \dots \mid 9$

$\langle expr \rangle ::= () \mid \langle dig \rangle \mid \langle id \rangle$

$\mid \text{let } \langle id \rangle = \langle expr \rangle \text{ in } \langle expr \rangle$

$\mid \text{begin } \langle expr \rangle \text{ end}$

$\mid () ; \langle expr \rangle$

$\mid \langle dig \rangle ; \langle expr \rangle$

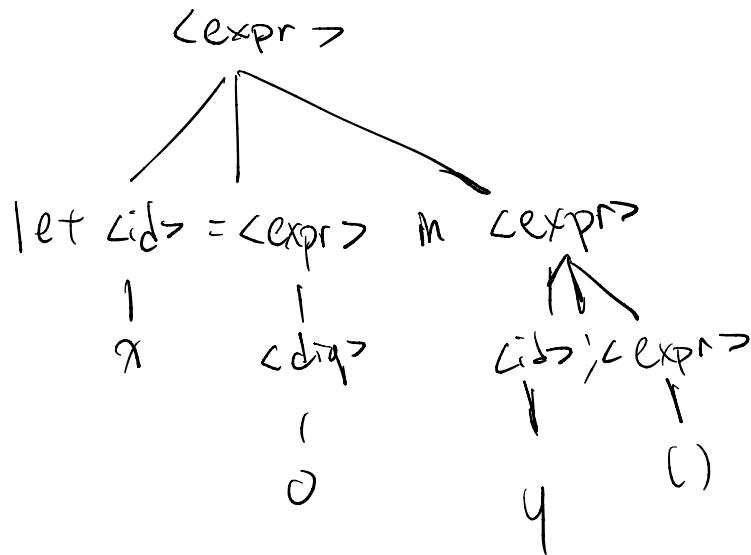
$\mid \langle id \rangle ; \langle expr \rangle$

$\mid \text{begin } \langle expr \rangle \text{ end} ; \langle expr \rangle$

making the
grammar left recursive

3. Demonstrate your modified grammar fixes the previously shown ambiguity.

let $x = 0$ in y ; $()$



Only 1 way to construct the expression

let $x = 0$ in y ; $()$

No more ambiguity.