

# HW2

Friday, February 11, 2022      4:26 PM

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## Information and Database Management Systems I

**(CIS 4301)**

Spring 2022

Instructor: Dr. Markus Schneider

TA: Kyuseo Park

### Homework 2

Name:	Charles Richardson
UFID:	73112398
Email Address:	crichardson5@ufl.edu

Pledge (Must be signed<sup>1</sup> according to UF Honor Code)

On my honor, I have neither given nor received unauthorized aid in doing this assignment.



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Student signature

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<sup>1</sup>Each student is obliged to print out this page, fill in the requested information in a handwritten and readable manner, make the *handwritten* signature, scan this page into PDF, and put this page as the first page of the PDF submission.

Q3

$$a) \pi_{studentID}(\text{Enroll}) - \pi_{studentID}(\sigma_{grade \neq A}(\text{Enroll}))$$

$$b. P_{LeeStu}(\pi_{studentID}(\text{Enroll} \div \pi_{coID}(\sigma_{lecturer = 'Lee'}(\text{ClassOffer}_7s))))$$

$$\pi_{name, major}(\text{Student} \div \text{LeeStu})$$

c.

$$P_{CODB}(\pi_{coID}(\text{ClassOffering} \div \pi_{classID}(\sigma_{name = 'DB'}(\text{Class}))))$$

$$P_{StuDB}(\pi_{studentID}(\text{Enroll} \div CODB))$$

$$\pi_{name}(\sigma_{major = 'CISE'}(\text{Students} - \text{StuDB}))$$

$$d. P_{CPoffers}(\sigma_{01.coID \neq 02.coID}(P_{01}(\text{ClassOfferings}) \times P_{02}(\text{ClassOfferings})))$$

$$P_{multilect}(\pi_{lecturer}(\sigma_{01.lecturer = 02.lecturer}((CPoffers)))$$

$$\pi_{lecturer}(\text{ClassOfferings} - \text{multilect})$$

~~QUESTION~~

Q4 a) No, this operation is not correct. Since the projections are made independently, the innermost projection only projects the  $n^{\text{th}}$  attribute set (& removes duplicates), therefore the subsequent projection would be operating on a relation with 1 attribute & attempting to project a different attribute. A restriction to "make the statement true would be to project all attributes.  $a_1, \dots, a_n$  in the same operation.

b)

$$\forall T \quad F = \text{name} = "A"$$

$$\pi_A(\sigma_F(R))$$

$$F \subseteq A$$

R	name	age	in other
A	2		
B	3		
C	1		
A	3		

b.  $\{ \forall x \leq F \mid x \leq A \wedge |A| = 0 \}$ ; In other words, the variables in the predicate  $F$  must be a subset of the attribute  $A$

c.

$$1) \min: A = C \wedge |A| = |C| = 1 \wedge |T| = 1 \wedge R \neq T \\ \Rightarrow \min = 0$$

$$\max: A \neq C \wedge |A| \leq |C| = r \wedge |T| = t \wedge (R \subseteq T \vee T \subseteq R) \quad T = R \\ \Rightarrow \max = \min(R, T)$$

a)  $\min = 0$ , no similar B entities in relations  $S$  &  $R$

$$\max: (R \subseteq S \vee S \subseteq R) \vee (|R.B| = |S.B| = 1) \\ \Rightarrow \max = \min(R, S)$$

3)  $\min \delta$

$$\text{Case 1: } R \subseteq S \Rightarrow R.B \cup S.B = R \cup S \quad [r=s]$$

$$\text{Case 2: } R \subseteq S \Rightarrow R.B \cup S.B = S \quad [r \leq s]$$

$$\text{Case 3: } S \subseteq R \Rightarrow R.B \cup S.B = R \quad [s \leq r]$$

Overall:  $\min: \max(r, s)$

$$\max: R \cap S = \emptyset \Rightarrow R.B \cup S.B = r+s$$

$$\Rightarrow \max: r+s$$