

# artificial intelligence

\* DEVELOPING TECHNIQUES FOR FUNCTIONALITY ASSOCIATED WITH INTELLIGENCE

- GAME PLAYING
- EXPERT SYSTEMS
- NATURAL LANGUAGE PROCESSING
- ETC.

\* STUDYING INTELLIGENCE THROUGH COMPUTER MODELLING

## Turing Test

THE IMITATION GAME



\* 3 PEOPLE : A, B, INTERROGATOR

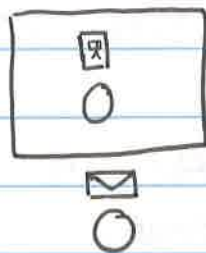
\* INTERROGATOR DOES NOT KNOW WHO IS WHO

\* BY SENDING QUESTIONS AND RECEIVING ANONYMOUS ANSWERS, CAN THE INTERROGATOR GUESS WHO IS MALE AND WHO IS FEMALE

\* IF MALE AND FEMALE WERE REPLACED BY HUMAN AND COMPUTER, WOULD THE INTERROGATOR BE MORE OR LESS CORRECT WHEN GUESSING WHICH IS WHICH

TURING'S ARGUMENT: IF THE INTERROGATOR IS NO MORE ACCURATE IN THE COMPUTER/PERSON THAN THE MALE/FEMALE, WE CONCLUDE THE COMPUTER HAS SOME DEGREE OF INTELLIGENCE

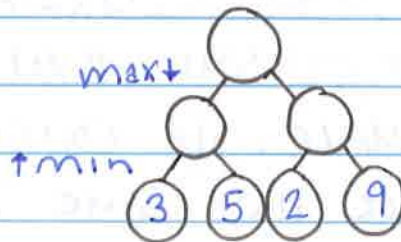
## SEARLE'S CHINESE ROOM ARGUMENT



- \* A ROOM CONTAINS A PERSON WHO DOES NOT SPEAK CHINESE AND A MAGIC BOOK CONTAINING ALL POSSIBLE CHINESE QUESTIONS AND ANSWERS
- \* WRITTEN QUESTIONS SUBMITTED TO ROOM THROUGH SLOT
- \* PERSON IN ROOM LOOKS UP QUESTION AND COPIES DOWN RESPONSE
- \* ANSWER IS SENT OUT THROUGH SLOT

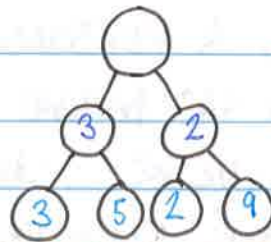
SEARLE'S ARGUMENT: NO MATTER WHAT SOMEONE OUTSIDE THE ROOM THINKS, THE PERSON IN THE ROOM CAN'T SPEAK CHINESE

## minimax game playing

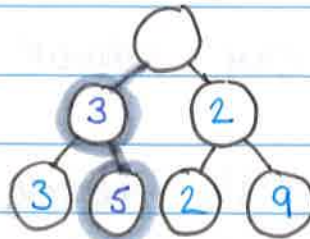


\* EACH OF THE FINAL OUTCOMES HAS A NUMBER  
THE HIGHER THE NUMBER, THE BETTER  
THE OUTCOME FOR THE COMPUTER

\* WORKING BACKWARD YOU PUT THE MIN IN THE  
BOX ABOVE



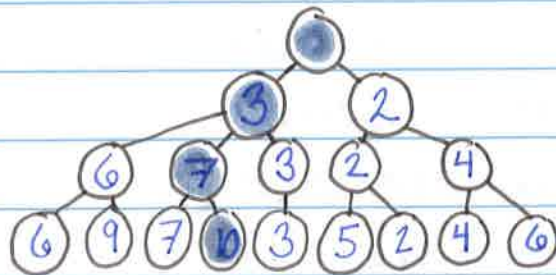
\* THEN THE MAX CHOOSES THE BEST PATH



\* THIS OUTCOMES THE "BEST" STRATEGY



ON A LARGER SCALE:



## EXPERT SYSTEMS

\* BASED ON 2 PARTS

— IF-THEN RULES

— INFERENCE ENGINE

\* START WITH A SET OF FACTS & OBSERVATIONS  
& REQUIREMENTS

\* IF A RULE WHERE KNOWN FACTS MATCH  
CONDITIONS, THE CONCLUSION IS ADDED  
TO KNOWN FACTS

\* REPEATS UNTIL FINAL ANSWER IS FOUND

# neural network

- \* INSPIRED BY HOW NEURONS ARE WIRED IN THE NERVOUS SYSTEM

- \* INFORMATION REPRESENTED IN CONNECTION WEIGHTS

- \* NEURONS MODELED BY...

$$o_i = f(\sum w_{ij} o_j)$$

- \* LEARNING ADJUSTS WEIGHTS

- \* WIDE VARIETY OF MODELS AND LEARNING RULES

## PERCEPTRONS

- \* EARLY SIMPLE NEURAL MODEL

- ROSENBLATT, 1957

- \*  $f(\cdot)$  IS A SIMPLE THRESHOLD STEP FUNCTION

$$f(x) = \begin{cases} 0, & x < \theta_i \\ 1, & x \geq \theta_i \end{cases}$$

- \* LEARNING RULE:  $\Delta w_{ij} = \alpha (d_i - o_i) o_j$

- \* PERCEPTRON LEARNING THEOREM: SHOWS COMPLETENESS OF LEARNING RULE

- \* IN 1969, MINSKY & PAPERT SHOWED PERCEPTRONS INCAPABLE OF COMPUTING XOR

- \* HIDDEN NODES ALLOW HIGHLY COMPLEX FUNCTIONS BUT NO  $d_i$  FOR LEARNING

- RULES LIKE BACK PROPAGATION GENERALIZE TO MULTIPLE LAYERS BUT NO COMPLETENESS THEOREM

## PROBABILISTIC AUTOMATA

\* STATE MACHINE WITH MULTIPLE TRANSITIONS  
SELECTED AT RANDOM

\* TWO TYPES OF LEARNING

- GROW NEW STATES
- ADJUST POSSIBILITIES ON TRANSITIONS