## **Load Packages**

# Forward Mode Automatic Differentiation

1 md"# Forward Mode Automatic Differentiation"

1 using ForwardDiff, Plots, PlutoUI

## **Define Function**

f (generic function with 1 method)

y = 0.019992

## **Find Derivative**

$$f'(x) = \lim_{h o 0} rac{f(x+h) - f(x)}{h}$$

where x is a fixed value of the function f(x) and h is a number close to zero.

dydx = -0.9988

$$y = mx + b$$

where m is the slope and b is the y-intercept

```
b = 1.599999999998654e-5
```

```
1 b = y - slope * x
```

#### $x_left = -1.02$

$$1 x_left = x -1$$

#### $x_right = 0.98$

$$1 x_right = x + 1$$

#### y\_left = 1.0187920000000001

1 
$$y_{eft} = slope * x_{eft} + b$$

#### $y_right = -0.978808$

```
1 y_right = slope * x_right + b
```

## **Control Planel**

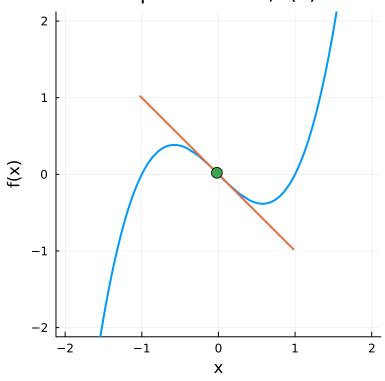
```
1 md"## Control Planel"
```

```
x: -0.02 | f(x): 0.019992 | f'(x): -0.9988
```

```
1 md"""
```

- 2 x: \$(x) | f(x): \$(y) | f'(x): \$(dydx)
- 7 11111

### Relationship between x, f(x) and f'(x)



```
1 begin
        #plot f(x)
 2
 3 \text{ plot}(\underline{\mathbf{f}},
        linewidth = 2,
 4
 5
        legend = false,
        title = "Relationship between x, f(x) and f'(x)",
 6
        xaxis = "x",
 7
        yaxis = "f(x)",
 8
        formatter = :plain,
10
        widen = true,
        xlims = (-2, 2),
11
12
        ylims = (-2, 2),
13
        aspect_ratio = 1
14 )
        #plot tangent line
16 plot!([x_left, x_right], [y_left, y_right], linewidth = 2)
17
        #plot x-y point
        scatter!((x,y), markersize = 6)
18
19 end
```