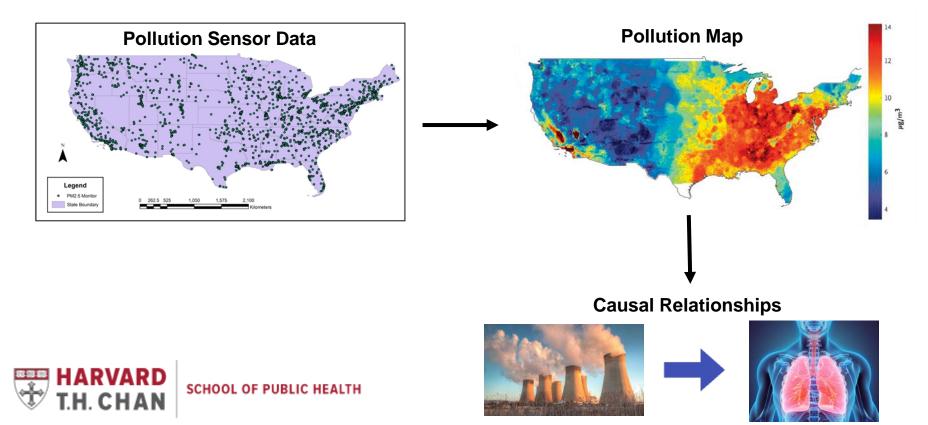
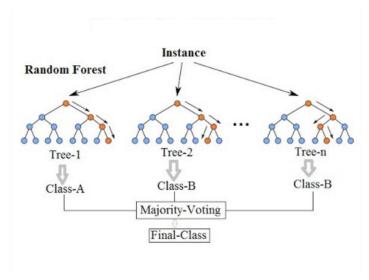


Big Picture - Problem & Motivation

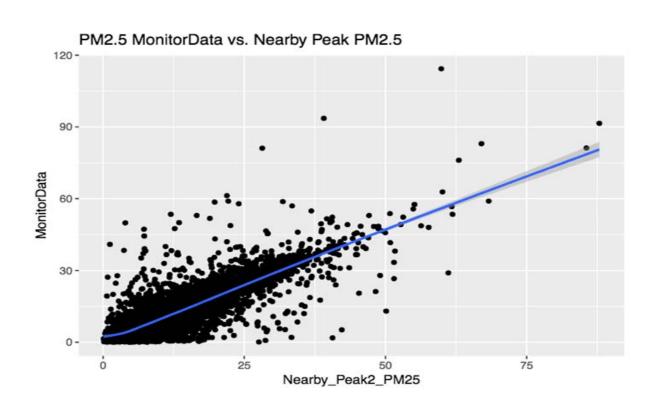


Big Picture - Missing Data

- There is a lot of missing data in both the predictors and the response
 - We have implemented the iterative "missForest" algorithm to impute missing values



Big Picture - Nearby Pollution



Full-Scale Results

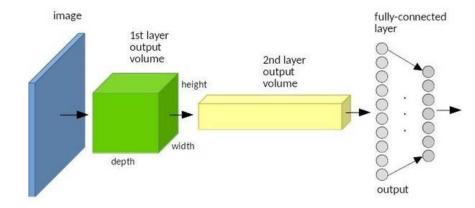
Model	Subset (1%)	Full Data
Ridge	0.76	0.75
Random Forest	0.78	0.77

Current Status - Software Package

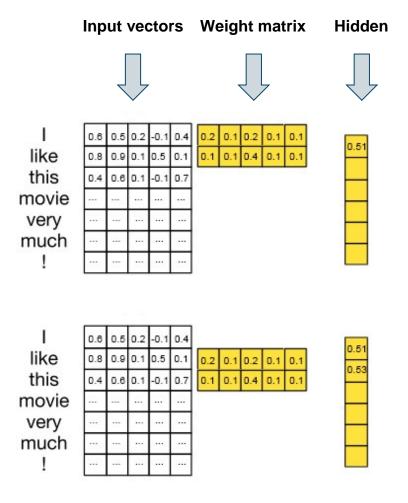
- All HPC currently done on Odyssey
- HSPH team works on Harvard/MIT Research Computing Environment (RCE)
- Work with HSPH team to determine best options for turnover and continued use as semester ends

Current Status - Modelling

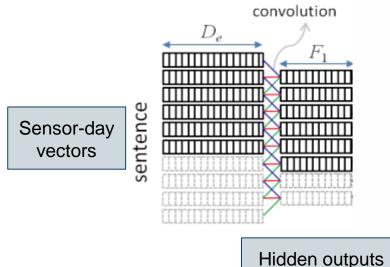
- Run and validate results of CNN on fully imputed dataset
- Implement Gaussian processes for interpolation and compare results to CNN and other methods



- CNN makes sense in this context
 - Days close together are likely to be related in ways that are relevant to pollution
- Usage of CNN in this context analogous to how CNNs used for NLP
 - 1D convolutions

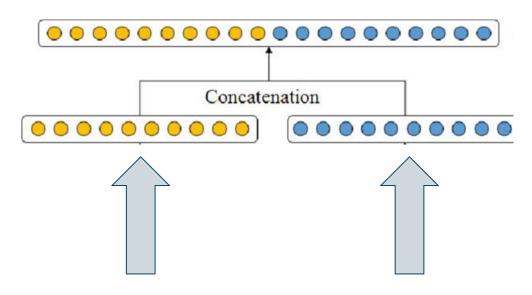


- Use kernel width of size 3 so that features from previous day, current day, day after are used for predicting pollution for current day
 - Will tune kernel width



- Inputs to convolutional layer:
 - Features that change on a daily basis within a sensor sequence

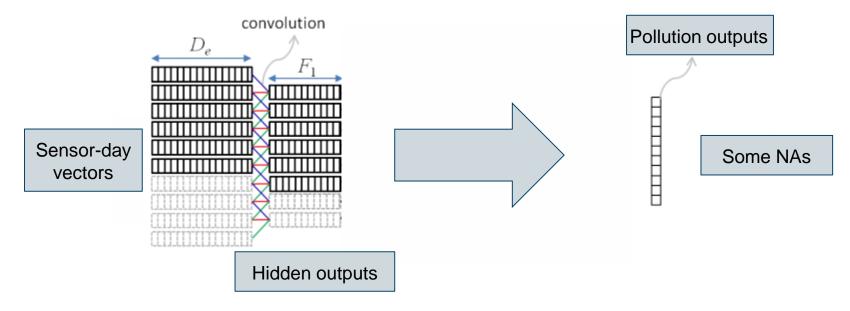
- Features that are constant throughout a sensor sequence:
 - Concatenated with hidden outputs from convolutions



Hidden output from convolution applied to window of days

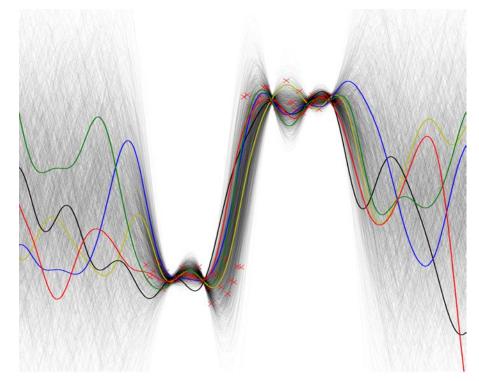
Features constant over a sensor sequence

- Many days with missing pollution response within each sensor sequence
 - Have to extract hidden outputs for which there exists a pollution response

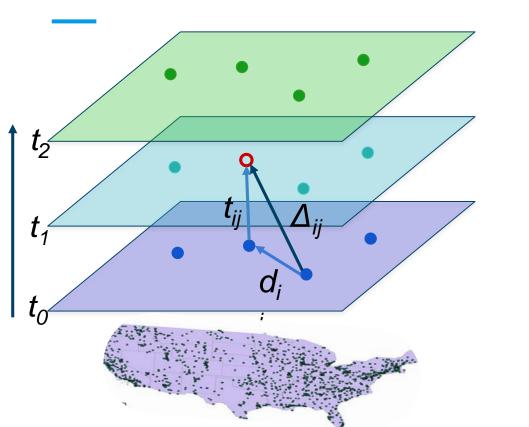


Using Nearby Terms - Gaussian Processes

- Use strong spatial & temporal correlations
- New strategy for predicting in sensorless areas
- Inherent error estimates

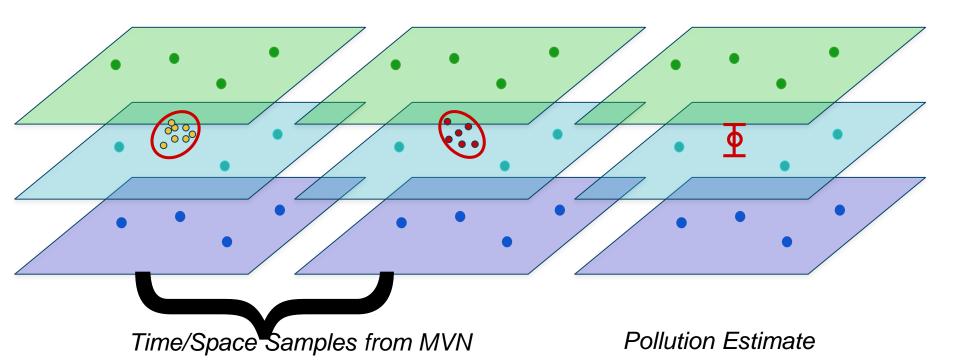


Correlations in Time & Space

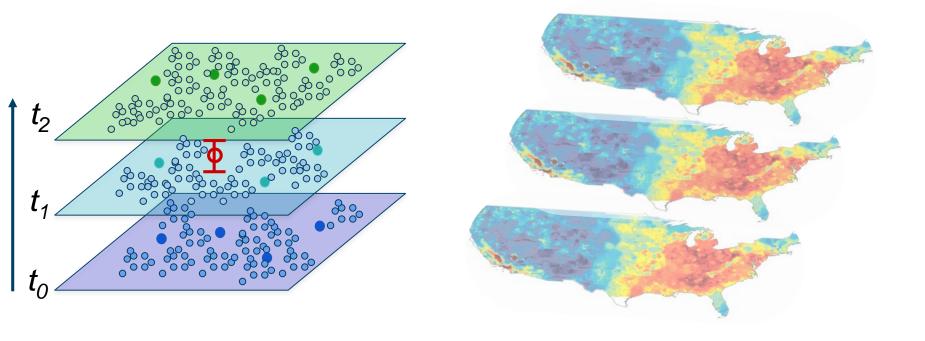


$$\Sigma_{ij} = \sigma^2 e^{-\frac{\Delta_{ij}^2}{2l^2}}$$

Sampling Provides Pollution Estimates



Sampling Also Estimates Uncertainty



But, Requires Herculean Matrix Inversion

$$\Sigma^{-1} = \begin{bmatrix} \dots & \dots & \dots \\ \vdots & \ddots & \vdots \\ \vdots & \ddots & \vdots \end{bmatrix} D_{\text{days}} \times N_{\text{sensors}}$$