

Sources of productivity dispersion in public services: Evidence from Indian police

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Motivation

- Can we increase productivity by **reallocating resources**?
 - Input misallocation - Source of productivity gap between firms (Banerjee and Duflo, 2005; Hsieh and Klenow, 2009)
 - Need to know what drives large and persistent productivity gaps (Syverson, 2011)
- Recent paper - Unobserved worker and firm heterogeneity shape wage/productivity distribution (Bonhomme et al. 2019)
- This paper
 - Added third source of heterogeneity: **Managers** (Bloom et. al 2013)
 - Used microdata from the Indian police

Research questions

- **What determines productivity dispersion in policing?**
 - Contribution of worker, manager and establishment heterogeneity
- **Can we increase the total productivity of the police department by reallocating workers?**
 - Gains from matching workers with different types of manager and establishment

Contribution

- **Novel data** : Used half a million webscraped crime reports to create the matched database of employment histories
 - Tracked the workers and managers across police stations
 - Matched the outcome of half-million cases in separate web scraping
 - Used time to submit final report/charge sheet as productivity measure
- **New estimator**: Extended standard model of how workers and firm contribute to productivity (Abowd et. al, 1999; Bonhomme et. al, 2019)
 - Added managers and the interaction between worker, manager and establishments
 - Taken two-step estimation approach
 1. Classification step (k-means clustering)
 2. Model estimation (finite mixture model)

Findings

- Worker, firm and manager heterogeneity present and important in determining productivity
- There are substantial complementarities between workers, managers, and establishment/police station
 - Low-type workers are 57% more productive when matched from low-type manager and less productive police station to high type manager and high-class police station
 - High type worker can increase productivity by 86% from better match
- If the current matching level raised using optimal matching rule (positive assortative matching)
 - Reallocation of workers could increase the aggregate productivity by 10%

Contribution

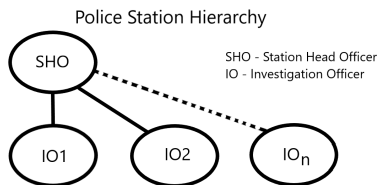
- **Estimation using employer-employee matched datasets** (Bonhomme et. al 2019; Abowd et. al 1999; Card et. al 2013)
 - Extended the model to three sided heterogeneity: worker, manager and establishment
 - Interaction between worker, manager and establishment
- **Bureaucratic efficiency due to mobility** (Rasul and Rogger 2014; Khan et al. 2019; Banerjee et al. 2012 ; Rauch 1995; Rauch and Evans 2000)
 - Reallocation of civil servants has large effects on productivity
- **Do civil servants and managers enhance worker productivity** (Chetty et al 2014; Lazear et al. 2015; Fenezia 2019)
 - Presence of worker and manager complementarities

Outline

- 1 Introduction
- 2 Background
- 3 Model
 - Identification
 - Estimation
- 4 Data
- 5 Results
- 6 Conclusion

Police structure in India

- Every district¹ is divided into field units called police stations



²A district is an administrative division of an Indian state

Crime reporting and investigation steps

- 1 A crime is reported in the police station
- 2 Details of crimes are documented in a First Information Report (FIR)
- 3 The case gets assigned to an Investigation Officer (IO) by the manager(SHO)
- 4 Investigation starts: collection of evidence, examination of witnesses, searching the property, identification of suspects, and arrests
- 5 Final report/charge sheet is submitted to a magistrate
- 6 Unsolved cases are closed after magistrate's approval and the rest go for trial

Time to submit final report/charge sheet as productivity measure

- Calculated as final report/charge sheet submission date - FIR date
- Past research has used it and has advocated its use
 - Probability of case clearance falls with passage of time
 - "Cold case" phenomenon (Regoecz et. al 2008; Addington 2007)
 - Reflects the quality of investigation carried out by police (Iyer et. al 2012; Amaral et. al 2018)
- Time to submit final report/charge sheet has consequences for the case outcome (Law commission of India, 2015)
 - Leads to delay in criminal conviction
 - Acquittals because of delay in investigation

Time to charge sheet as productivity measure

- Delay in charge sheet filing has consequences on criminal justice outcomes
- Most prominent reason for delay in criminal conviction
 - 55% of the pending cases in courts are delayed at investigation stage (charge sheet filing)
 - Law commission of India, 2015 (random sample survey; N=1630 cases)
- Does delay in filing charge sheet adversely affect the prosecution of the case?
 - 100 % of the randomly sampled Judges answered yes (N=50)
 - Report of Bureau of Police Research and Development (BPRD) on increasing acquittals in India, 2013

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Model

Heterogeneity is three sided

- N Workers (IOs) indexed by i
 - Discreet types: $\alpha_i \in \{1, \dots, L\}$
- H Managers (SHOs) indexed by h
 - h_{it} : worker i at time t employed with manager h
 - Classes: $m_{it} = m(h_{it}) \in \{1, \dots, M\}$
- J establishments (police station) indexed by j
 - j_{it} : worker i at time t employed in police station j
 - Classes: $k_{it} = k(j_{it}) \in \{1, \dots, K\}$

Model

- Worker draws log productivity Y_{it} from a distribution that is characterised by α_i , m_{it} and k_{it}
- Conditional CDF of log productivity Y_{it} is (*Complementarities*)

$$Pr[Y_{i1} \leq y | m_{i1} = m, k_{i1} = k, \alpha_i = \alpha] = F_{mk\alpha}(y)$$

- Proportion of type- α workers working with manager m and police station k : (*Sorting*)

$$Pr[\alpha_i = \alpha | m_{i1} = m, k_{i1} = k] = \pi_{mk}(\alpha)$$

- We will also know the transition probabilities

Assumptions

Worker moves: $s_{it} = 1$

$$\underbrace{m, k, \alpha}_{\text{period 1 } (Y_{i1})} \rightarrow \underbrace{m', k', \alpha}_{\text{period 2 } (Y_{i2})}$$

Assumption 1 (Mobility)

- Probability of moving **depends on** m , k and α but **not** on Y_{i1}

$$s_{it}, m_{it+1}, k_{it+1} \perp\!\!\!\perp Y_{it} | m_{it}, k_{it}, \alpha_{it}, s_{it-1}$$

Assumption 2 (Serial independence)

- In $T = 2$ workers draw productivity Y_{i2} from a distribution $F'_{m'k'\alpha}(Y_{i2})$ that **depends on** m' , k' and α but **not** on m , k or Y_{i1}

$$Y_{it+1} \perp\!\!\!\perp Y_{it}, m_{it}, k_{it}, s_{it-1} | m_{it+1}, k_{it+1}, \alpha_{it}$$

Link to other models

- Models where state variables (α, m_t, k_t) are first order Markow
- Models where next period productivity is determined by the current state (Fenezia 2020)
- No human capital accumulation or learning
- Similar to labour market models where wages are the outcomes of match between worker types and firm classes (Card et. al 2013; Lenz, Piyampromdee, and Robin 2020)

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Identification using manager and establishment classes

- Distribution of job movers using assumption 1 & 2

$$Pr[Y_{i1} \leq y_1, Y_{i2} \leq y_2 | m_{i1} = m, m_{i2} = m', k_{i1} = k, k_{i2} = k'] = \sum_{\alpha=1}^L p_{mm',kk'}(\alpha) F_{mk\alpha}(y_1) F'_{m'k'\alpha}(y_2)$$

- $F_{mk\alpha}(y_1)$: CDF of log-productivity in period 1
- $F'_{m'k'\alpha}(y_2)$: CDF of log-productivity in period 2
- $p_{mm',kk'}(\alpha)$: probability distribution of job movers of α_i types between manager and firm classes

Identification using manager and establishment classes

- Distribution of log-productivity in period 1

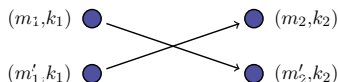
$$Pr[Y_{i1} \leq y_1, Y_{i2} | m_{i1} = m, k_{i1} = k] = \sum_{\alpha=1}^L \pi_{mk}(\alpha) F_{mk\alpha}(y_1)$$

- $\pi_{mk}(\alpha)$: distribution of α_i worker in manager class m and firm class k
- Parameters to be identified
 - $F_{mk\alpha}$ and $F'_{m'k'\alpha}(y_2) \forall (\alpha, m, k)$
 - $p_{mm',kk'}(\alpha) \forall \alpha$ and $(m, m') \times (k, k')$ pairs
 - $\pi_{mk}(\alpha) \forall (\alpha, m, k)$

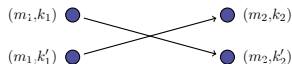
Identification: intuition

- $M = 2$ and $K = 2$

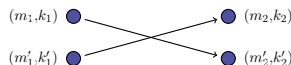
Workers move within same firm class



Moves within manager class



Moves across manager and firm classes



- Assumptions
 - Presence of connecting cycles in graph (implies connectedness)
 - Asymmetry in worker compositions while moving
 - Proof: Worker, manager and firm interaction effects identified

Identification proof

- Proof like below upcoming:

Theorem 1. *Let $T = 2$, and let Assumptions 1 and 3 hold. Suppose that firm classes are observed. Then, up to labeling of the types α , $F_{k\alpha}$ and $F_{k'\alpha}^m$ are identified for all (α, k, k') . Moreover, for all pairs (k, k') for which there are job moves from k to k' , $p_{kk'}(\alpha)$ is identified for all α , for the same labeling. Lastly, the type proportions $q_k(\alpha)$ in the first period are all identified, again for the same labeling.*

Identification of manager and firm classes

- Distribution of log-productivity in manager h and firm j does not depend beyond it's manager class m and firm class k

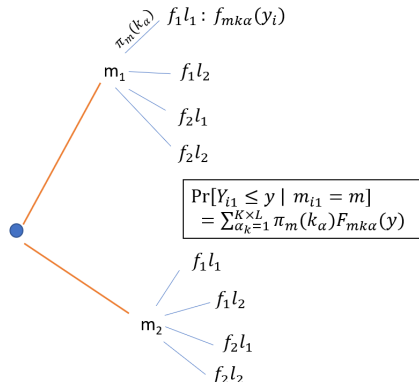
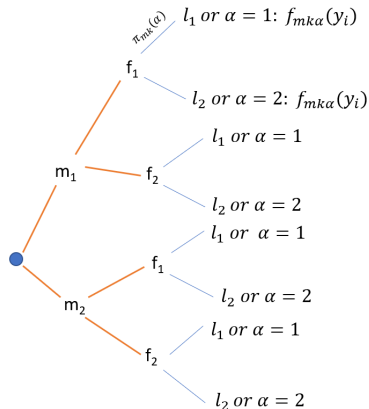
$$Pr[Y_{i1} \leq y_1 | h_{i1} = h, j_{i1} = j] = \sum_{\alpha=1}^L \pi_{mk}(\alpha) F_{mk\alpha}(y_1)$$

- Combining the firm and worker into $K \times L$ classes : Nested BLM

$$Pr[Y_{i1} \leq y_1 | h_{i1} = h] = \sum_{\alpha_k=1}^{K \times L} \pi_m(\alpha_k) F_{mk\alpha}(y_1)$$

Identification of manager and firm classes: Intuition

- Example: (No. of) manager classes (M) = 2, firm classes (K) = 2 and worker types (L) = 2



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Step 1: estimating manager and firm classes

- Manager classes estimated by combining the firm and worker to $K \times L$ classes
- Managers are clustered in M groups
- Manager classes are identified (BLM 2019) and recovered using k-means clustering below

$$\min_{m(1), \dots, m(H), H_1, \dots, H_M} \sum_{h=1}^H n_h \sum_{d=1}^D (\hat{F}_h(y_d) - H_{m(h)}(y_d))^2$$

- Minimize the least square error of the within-cluster (weighted k-means)
 - \hat{F}_h is the empirical CDF of log-productivity of manager h
 - $H_{m(h)}$ are CDF's of the manager classes

Step 1: estimating firm classes

- Similar approach :
- Firm classes estimated by combining the manager and worker to $M \times L$ classes
- Threat to identification when two manager or firm classes have same productivity distribution

Step 2: estimating model parameters

- In step 1, I estimated the manager and firm class membership : \hat{m}_{it} and \hat{k}_{it}
- Log likelihood of job movers (**L1**)

$$\sum_{i=1}^N \sum_{m=1}^M \sum_{m'=1}^M \sum_{k=1}^K \sum_{k'=1}^K \mathbf{1}\{\hat{m}_{i1} = m\} \mathbf{1}\{\hat{m}_{i2} = m'\} \mathbf{1}\{\hat{k}_{i1} = k\} \mathbf{1}\{\hat{k}_{i2} = k'\} \times$$

$$\ln \left(\sum_{\alpha=1}^L p_{mm',kk'}(\alpha; \theta_p) f_{mk\alpha}(y_1; \theta_f) f'_{m'k'\alpha}(y_2; \theta_{f'}) \right)$$

- $f_{mk\alpha}(y_1; \theta_f)$ and $f'_{m'k'\alpha}(y_2; \theta_{f'})$: first and second period productivity
- $p_{mm',kk'}(\alpha; \theta_p)$: job movers probability
- Parameter vectors : $\theta_p, \theta_f, \theta_{f'}$

Step 2: estimation method

- I estimate $\hat{\theta}_p, \hat{\theta}_f, \hat{\theta}_{f'}$ by maximising **L1**
- I use EM algorithm for mixture model estimation (Dempster et al., 1977)
- Used Conditional maximisation algorithm for fast convergence (Meng and Rubin, 1993)
 - Log-normal specification: Assumed mean and sd (θ_f) and then find optimal values of p using classical EM
 - Conditional on last parameter values (p), find the optimal values of θ_f in a sequential manner
 - Last step is unconstrained optimisation
- Estimated parameters with multiple initial values and then chosen the best model to reach global maxima. why?
 - Because EM algorithm converges to local maxima

Step 2: estimating model parameters

- Log likelihood of workers in period 1 (**L2**)

$$\sum_{i=1}^N \sum_{m=1}^M \sum_{k=1}^K \mathbf{1}\{\hat{m}_{i1} = m\} \mathbf{1}\{\hat{k}_{i1} = k\} \times \ln \left(\sum_{\alpha=1}^L \pi_{mk}(\alpha; \theta_{\pi}) f_{mk\alpha}(y_1; \theta_f) \right)$$

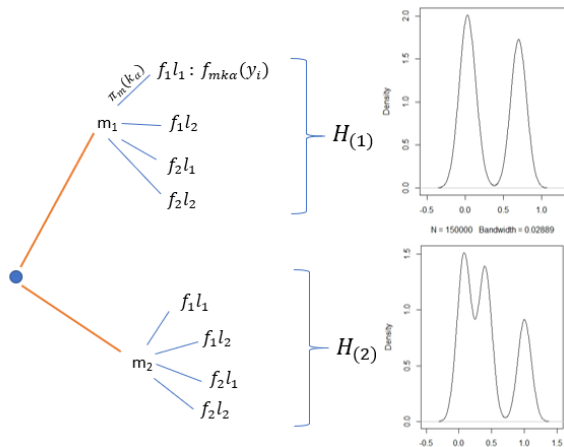
- I estimate $\hat{\theta}_{\pi}$ for all worker types in each manager class m and firm class k by maximising **L2**
- Remember earlier we used a computationally intensive modified EM algorithm
- Here I use linear programming as $f_{mk\alpha}$ is known

Experiments with simulated data

- Assumed the number of manager classes ($M = 2$) and number of firm classes ($K = 2$) and workers types ($L = 2$)
- Simulated the data using arbitrary parameter values :
 $\theta_p, \theta_\pi, \theta_f$, and $\theta_{f'}$
- Also simulated the manager and firm id's from the discrete classes
- Used the simulated data as input to my **two step three-sided** estimator
- Monte Carlo simulation technique with means of estimated parameters reported in the following slides

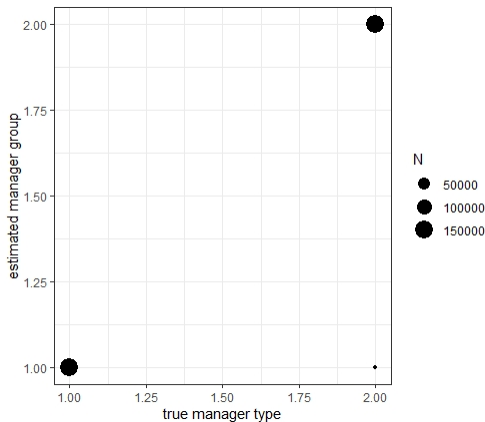
simulated data: recovering manager classes

- Manager classes estimated by combining firm and worker classes together. ($K \times L$ or 2×2)
- k-means clustering aim to group the manager id's into 2 classes



simulated data: recovering the manager classes

- Low misclassification rate ($< 1\%$)

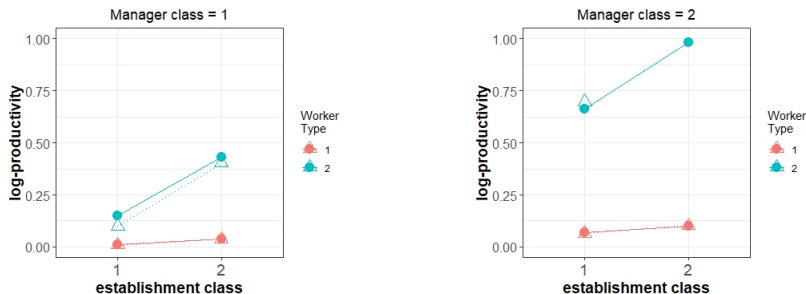


- Estimated firms classes ([link](#))

Simulated data: estimating model parameters

- Estimated of θ_f : means only for $f_{mk\alpha}(y_1; \theta_f)$

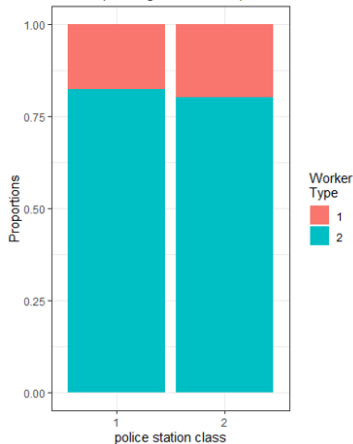
Figure: Estimates of Step 2 : Model parameters - Bold(circles) lines are true parameter values and dotted (triangles) are estimated values



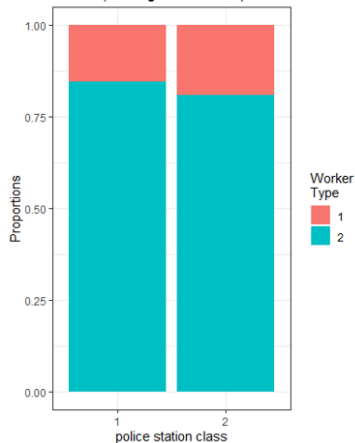
Simulated data: estimating model parameters

- recovering $\pi_{mk}(\alpha)$: worker proportions

Proportions (true) of worker type
(Manager class = 1)



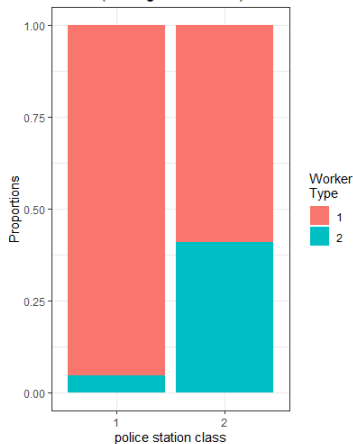
Proportions (estimated) of worker type
(Manager class = 1)



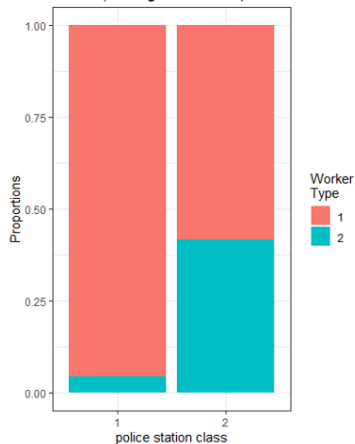
Simulated data: estimating model parameters

- recovering $\pi_{mk}(\alpha)$: worker proportions

Proportions (true) of worker type
(Manager class = 2)



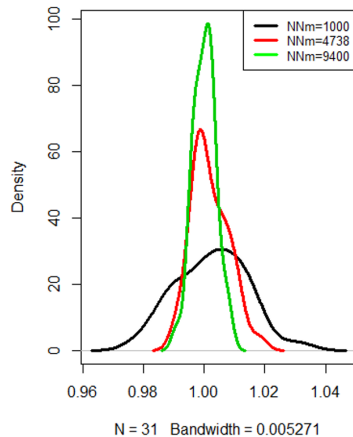
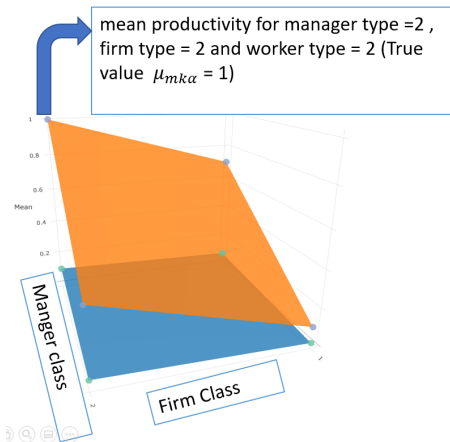
Proportions (estimated) of worker type
(Manager class = 2)



Asymptotic properties

- Asymptotic normality of the estimator
- When sample size tends to infinity, under following properties shown in BLM 2019
 - 1) Misclassification error in estimated manager and firm classes approaches zero
 - 2) Estimation in Step 2 behaves like that of Maximum likelihood estimator
- Asymptotic properties shown using Monte Carlo simulation: computational approach
- Standard errors using the parametric bootstrap method

Asymptotic properties: Monte Carlo simulations



Recap: Estimation

Step 1

- Recover manager and firm classes
 - Recover manager classes : combine firms and workers then run BLM step 1 (clustering)
 - Recover firm classes : combine managers and workers then run BLM step 1 (clustering)



Step 2

- Estimate productivity distributions
 - Three-sided estimator with productivity distribution $f_{mk\alpha}(T=1)$ and $f_{mk\alpha}^m(T=2)$
 - Mixture model where workers move across manager and firm classes
- Estimate worker proportions : $\pi_{mk}(\alpha)$

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Data: Crime reports

- I use all the web scraped crime reports for the state of Haryana between 2015-2018² (N=472,082)

FIRST INFORMATION REPORT
(Under Section 154 Cr.P.C.)
प्रथम सूचना रिपोर्ट
(पारा 154 दंड प्रक्रिया संहिता के तहत)

District Name District (ज़िला): GURUGRAM **Police Station** P.S. (थाना): SECTOR-5, GURGAON **Year** Year (वर्ष): 2015

FIR No. (प्र.सू.रि. सं.): 0060 **FIR ID** Date (दिनांक): 12/02/2015 **Date** 15:05

S.No. (क्र.सं.)	Acts (अधिनियम)	Sections (पारखर्च)	Criminal Codes
1	IPC 1860	457	
2	IPC 1860	380	

3. (a) Occurrence of offence (अपराध की घटना):

1 Day (दिने) Intervening Days Date from (दिनांक से): 30/01/2015 Date To (दिनांक तक): 31/01/2015
Time Period (समय अवधि): Time From (समय से): 10:30 hrs Time To (समय तक): 10:30 hrs

(b) Information received at P.S. (थाना जहाँ सूचना प्राप्त हुई): Date (दिनांक): 03/02/2015 Time (समय): 13:00 hrs

(c) General Diary Reference (रोजनामगा संदर्भ): Entry No. (प्रविष्टि सं.): 049 Time (समय): 12/02/2015 14:59 hrs

4. Type of Information (सूचना का प्रकार): Written

Worker Details and took up the investigation (प्रकरण दर्ज किया गया और जांच के लिए लिया गया): or (या)

(2) **Name** Directed (Name of I.O.): (जांच अधिकारी का नाम): **Designation** Rank (पद): Asst. SI (Assistant Sub-Inspector)

ID No. (सं.): 690GGN to take up the Investigation (को जांच अपने पास में लेने के लिए निर्देश दिया गया) or (या)

(3) Refused investigation due to (जांच के लिए): or (के कारण इंकार किया या)

(4) Transferred to P.S. (थाना): District (ज़िला): on point of jurisdiction (को क्षेत्राधिकार के कारण हस्तांतरित).

F.I.R. read over to the complainant / informant, admitted to be correctly recorded and a copy given to the complainant / informant, free of cost. (शिकायतकर्ता / सूचनाकर्ता को प्राथमिकी पढ़ कर सुनाई गयी, सही दर्ज हुई माना और एक कॉपी निशुल्क शिकायतकर्ता को दी गयी)

R.O.A.C. (आर.ओ.ए.सी.)

14. Signature / Thumb impression of the complainant / informant (शिकायतकर्ता / सूचनाकर्ता के हस्ताक्षर / अंगूठे का निशान)

Manager Details

Signature of Officer in charge, Police Station (थाना प्रभारी के हस्ताक्षर)
Name (नाम):
Rank (पद): I (Inspector)
No. (सं.): F2

¹Ongoing collaboration with Bhatia, Haseeb and Joshi 2019

Crime outcomes

- In another web scraping, I match all reports to their outcomes
- Time taken to submit final report/charge sheet as productivity measure : Charge sheet date - FIR date



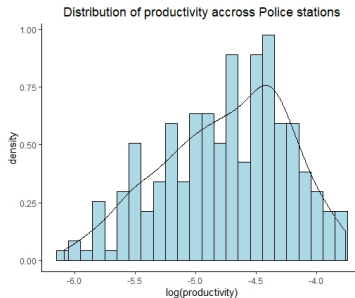
The screenshot shows the Haryana Police Citizen Portal. At the top, there is a logo with the text 'हरसमय' and 'Citizen Portal of Haryana Police'. Below the logo, there are links for 'Login' and 'Search FIR'. The 'FIR Search' section contains a form with the following fields: 'Year*' (2015), 'District*' (GURUGRAM), 'FIR Number' (0060), and 'Police Station*' (SECTOR-5, GURGAON). There are 'Search', 'Close', and 'Clear All' buttons. Below the search form, a table displays the search results. The table has columns for 'S. No.', 'FIR Number', 'FIR Date', 'Chargesheet Date', and 'View FIR'. The first row shows '1' for S. No., '0060' for FIR Number, '12/02/2015' for FIR Date, '27/04/2015' for Chargesheet Date, and a 'View FIR' link.

S. No.	FIR Number	FIR Date	Chargesheet Date	View FIR
1	0060	12/02/2015	27/04/2015	View FIR

Data: Police productivity in Haryana



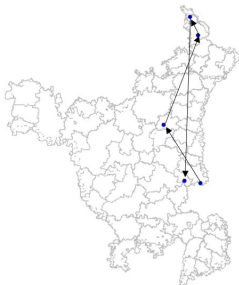
Location of police stations



Data: Inferring job mobility in Haryana police

- Created **Worker-Manager-Establishment** matched dataset
- Data mappings:
 - Investigative officer (IO) is worker (count: 9581)
 - Station Head officer (SHO) is manager (count: 1007)
 - Police station is establishment (count: 282)

Worker's (id=303) job mobility across police stations



Outline

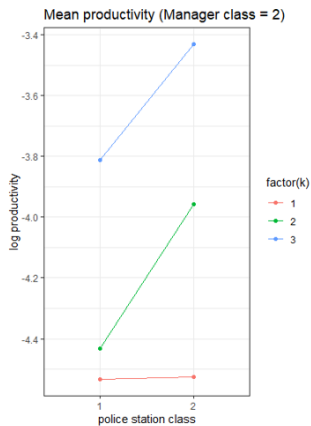
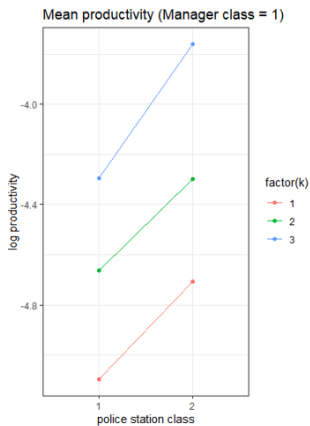
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Results

- Estimated the model assuming
 - No. of worker types: $L=3$
 - No. of manager classes: $M=2$
 - No. of police station classes: $K=2$
 - Gaussian finite mixture model
- I estimated the productivity distribution and proportion of job movers of different types
- Finally, I estimated the worker proportions
- Estimation involves multiple starting points (typically 100) done using parallel computation because Maximum likelihood estimation of finite mixture models is often subject to local maxima
- *The results are subjected to change as done using 2 starting point on local machine! (Orac was on maintenance)*

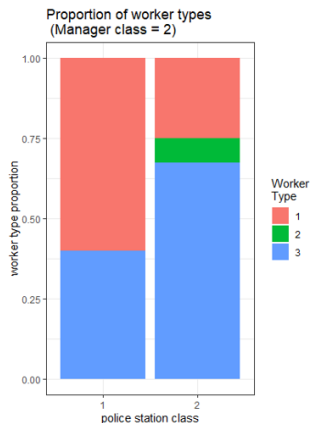
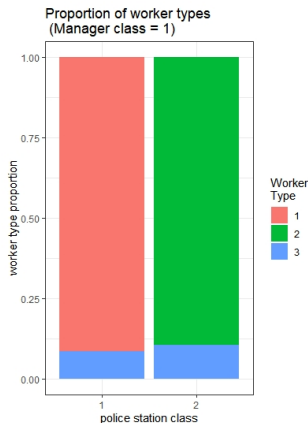
Results

- Evidence of worker-manager-firm heterogeneity
- Complementarity



Results

- Sorting patterns shows scope of benefit from re-allocations



Variance-Covariance decomposition

- Wage literature: Variance decomposition (Abowd et al. 1990, Card et al. 2013)
- Classical way to relate variance of log productivity and heterogeneity (Fenezia 2019)
- Linear projection of non linear model : BLM 2019

$$\begin{aligned} Var(Y_{it}) = & Var(\alpha_i) + Var(m_{it}) + Var(k_{it}) + \\ & 2Cov(\alpha_i, m_{it}) + 2Cov(\alpha_i, k_{it}) + 2Cov(m_{it}, k_{it}) \end{aligned}$$

• -

Variance-Covariance decomposition



Variance decomposition exercise

	Variance share
Var(Worker)	57.3
Var(Manager)	6.2
Var(Police station)	6.4
2Cov(Worker, Manager)	10.3
2Cov(Worker, Police station)	10.6
2Cov(Manager, Police station)	9.1
Corr(Worker, Manager)	27.4
Corr(Worker, Police station)	27.9
Corr(Manager, Police station)	72.1
R squared	31.9

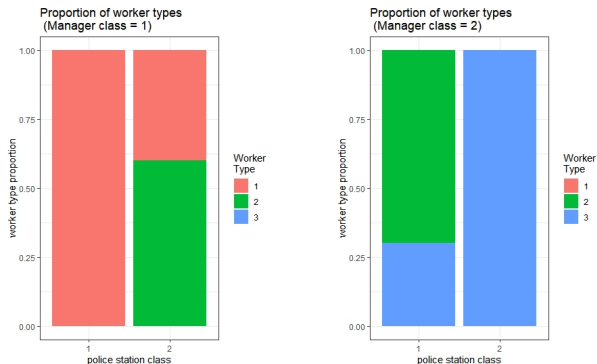
Notes: Linear regression $Y_{it} = \alpha_i + m_{it} + k_{it} + \epsilon_{it}$ on the estimated values of model

Revisiting research question 2

- What determines productivity dispersion in policing?
 - Contribution of worker, manager and establishment heterogeneity
- **Can we increase the total productivity of police department by reallocating workers?**

Counterfactual reallocations

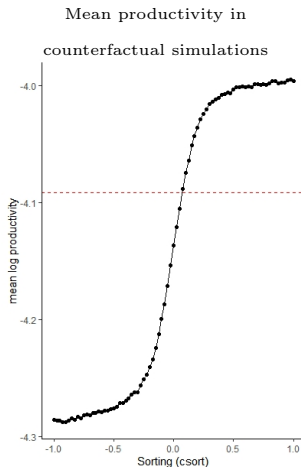
- Allocating worker using pure assignment (Eg. PAM below)



- I generate intermediate sorting patterns using an algorithm
 - Choose the proportion of workers in each type
 - Randomly allocate each worker type to manager-establishment class

Optimization results

- 9.2% increase in productivity of police department by reallocating police officers



Estimates of productivity at optimal matching rule

Reallocation exercise ($\times 100$)			
Mean	Median	10% quantile	90% quantile
Positive Assortative matching			
9.2	6.7	-3.9	30.7

Differences in the means, quantiles of log productivity between two samples: counterfactual sample where workers are reallocated optimally, and the original sample

Conclusion

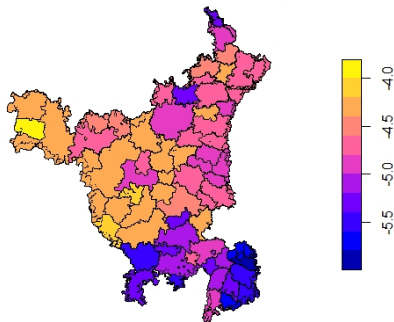
- Uncovered the heterogeneous effects of workers, managers and police stations on productivity using:
 - Novel microdata from the Indian police
 - New estimator (two-step approach)
- Findings
 - There are substantial complementarities between workers, managers and establishment
 - Gains from **reallocation** are possible by matching **high type** worker with **high type** of manager and police station

Appendix

Data: Police productivity in Haryana

- Variation in productivity across sub-districts

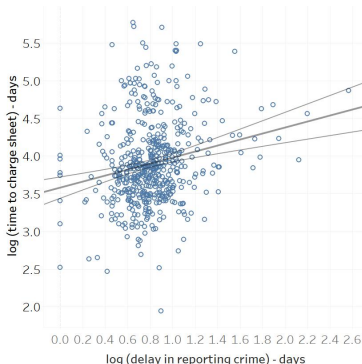
Police productivity (log) in Haryana



Managers/SHOs matter

- SHOs have authority to decide when to record crime as FIR
 - Local manager (SHOs) cooperation is necessary for the implementation of police reforms (Banerjee et. al 2019)

Plot showing the manager (SHO) wise relationship between delay in reporting crime and time to charge sheet (2017) t-value = 4.75



Mean transfer rates

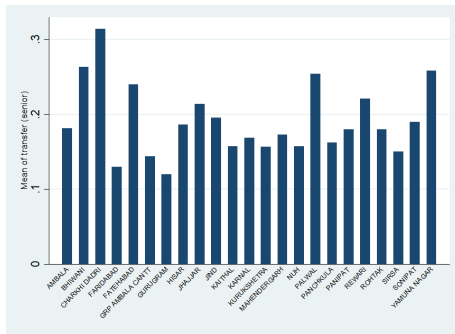


Figure: Mean transfer rate of police officers (SHO) district wise

Internal transfer orders (sample)

WAN/FAX MESSAGE

From: Police Haryana, Panchkula
To: 1) DG/SVB (H) PKL
2) CPJ/BD
3) RGP/CID (H) PKL
4) All District S&P in Haryana

Copy to: 1. ADGP/Ambala Range, Ambala
All Range 1&G in Haryana

No. 6252-81/(III)-3 Dated 6th June, 2018. The following inspectors are transferred with immediate effect.)

Sr. No.	Rank	Name and Number	From	To
1.	Insp.	[REDACTED] HAP/17	Yamuna Nagar	Ambala
2.	Insp.	[REDACTED]	Sonapat	Fatehabad
3.	Insp.	[REDACTED] H/34	Jind	Fatehabad
4.	Insp.	[REDACTED] AP/76	Narnaul	Fatehabad
5.	Insp.	[REDACTED] 150/TBD	Rohatak	Fatehabad
6.	Insp.	[REDACTED] RR/50	Fatehabad	Panchkula
7.	Insp.	[REDACTED] 51/SR (SR/26)	Fatehabad	Palwal
8.	Insp.	[REDACTED] 04/CPJ	CID	Hisar
9.	Insp.	[REDACTED] 10/CPJ	SVB	Yamuna Nagar
10.	Insp.	[REDACTED] 08/CPJ	SVB	Karnal
11.	Insp.	[REDACTED] SR/112	Karnal	Narnaul
12.	Insp.	[REDACTED]	His transfer from Yamuna Nagar to Panchkula issued vide No. 4864-05/(II)-2, Dated 21.05.2018 stands cancelled.	
13.	Insp.	[REDACTED] 92/HAP	Hansi	CID

They may be relieved immediately with the direction to report at their new posting, without awaiting joining time under information to this effect. Please ensure that by virtue of their transfer they may not reach their base district. It may also be ensured that no departmental requisitioned case is pending or re-opened against them. They will continue to maintain their seniority with their parent units.

B. Sen 06/6/18
(Bajjit Singh Sandhu)
Director General of Police, Haryana

Figure: Internal transfer order of police officers

Map of Police stations



Figure: Location of police stations (Circle)

Data: Crime rate

- Haryana has high crime rate - 802 per 100,000 population when compared with India's average of 302

Reported crime in 2015 per 100,000 persons

