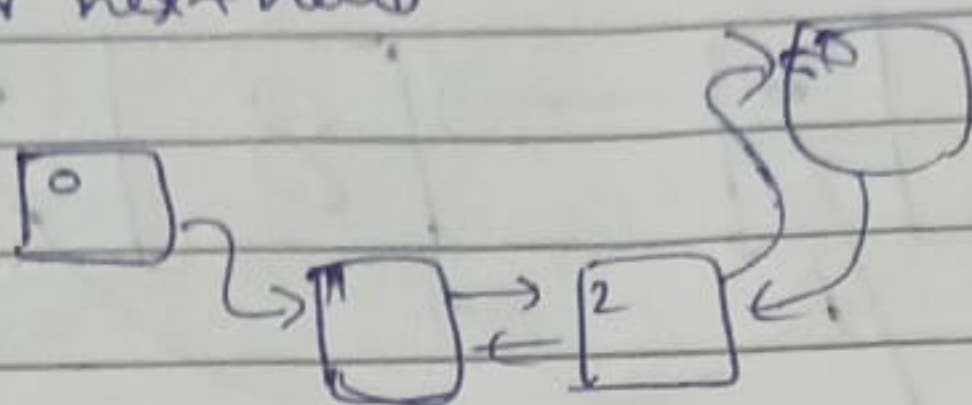
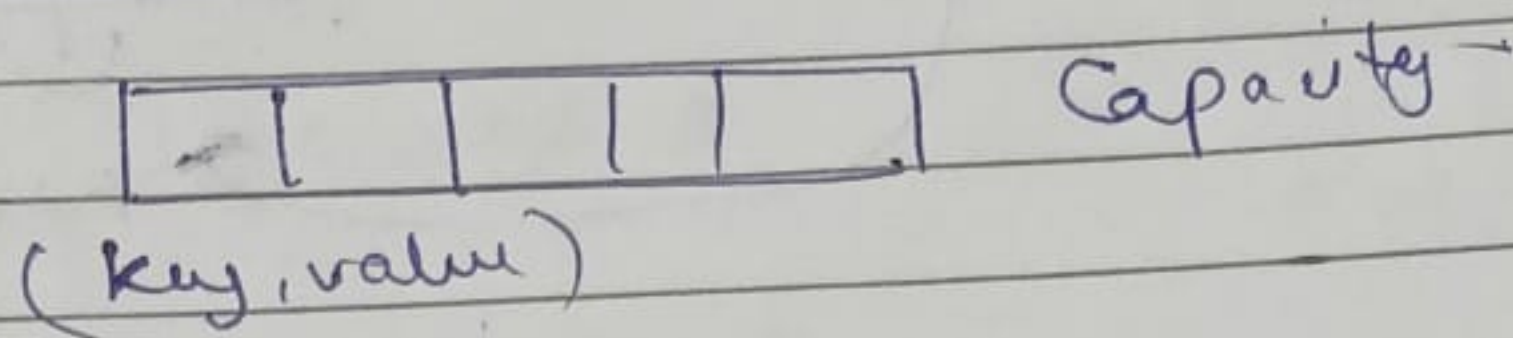


for next hello



Cycle Detection f d's proof.
 slow pointer (moves one step at a time)
 fast pointer (moves two step at a time)

(146.) LRU Cache :-



Add most recent used in front.

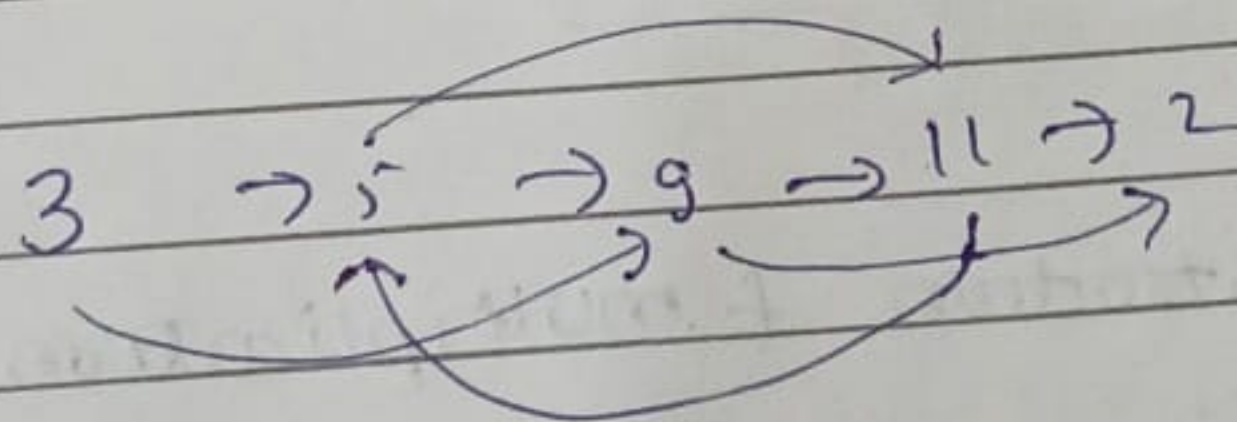
460

LFU Cache

cnt(x) =

All one + LRU Cache.

(38)

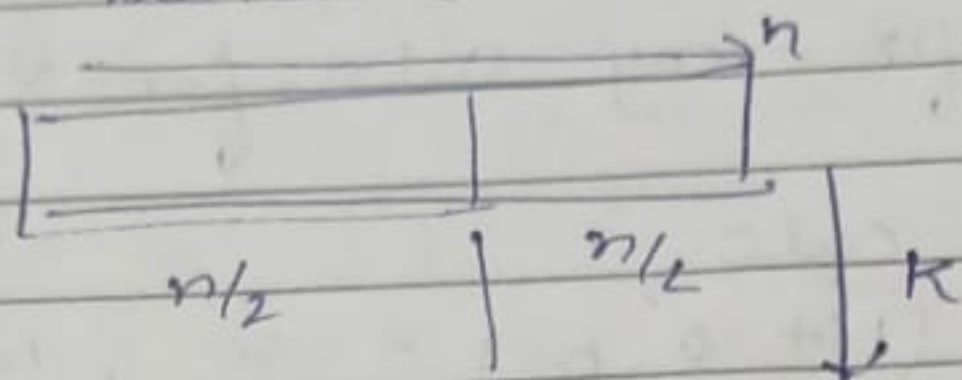


$$3 \rightarrow 5 \rightarrow 9 \rightarrow 11 \rightarrow 2$$

#

Linked list
for merging $O(N+M)$ Leetcode
23

Merge 'K' sorted LL:-



$$T(n) = 2T(n/2) + O(nk)$$

Time Complexity $O(nk \log n)$

Take dummy tail & dummy head.

25.

Reverse Nodes in K-group

Time $O(N)$ Space $O(n/k)$

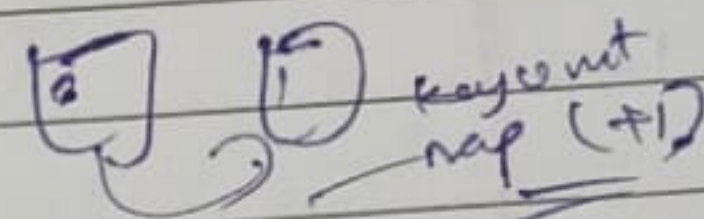
(432) All O' one Data Structure

(i) freq val

(ii) next

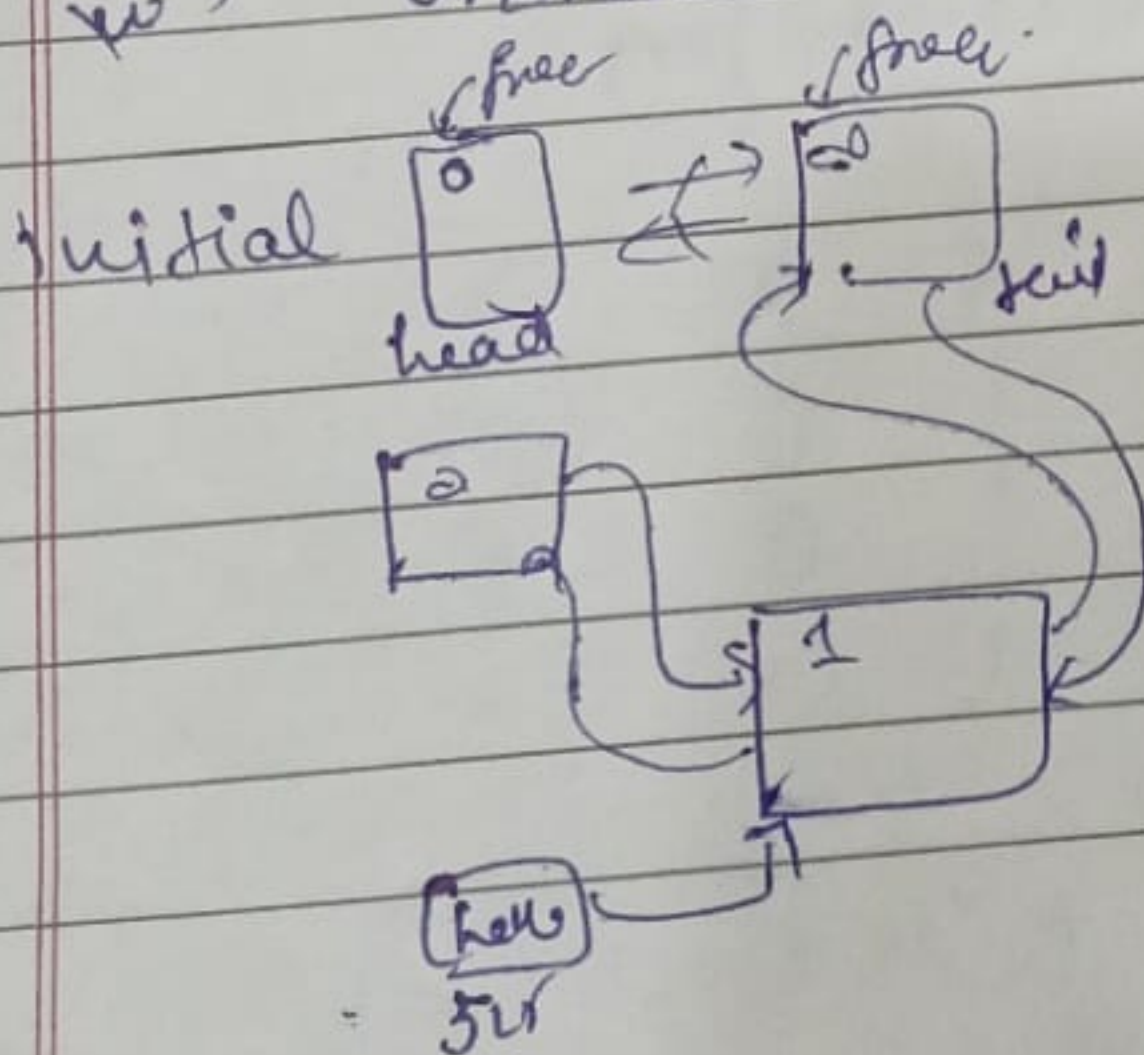
(iii) previous

(iv) Unordered Set

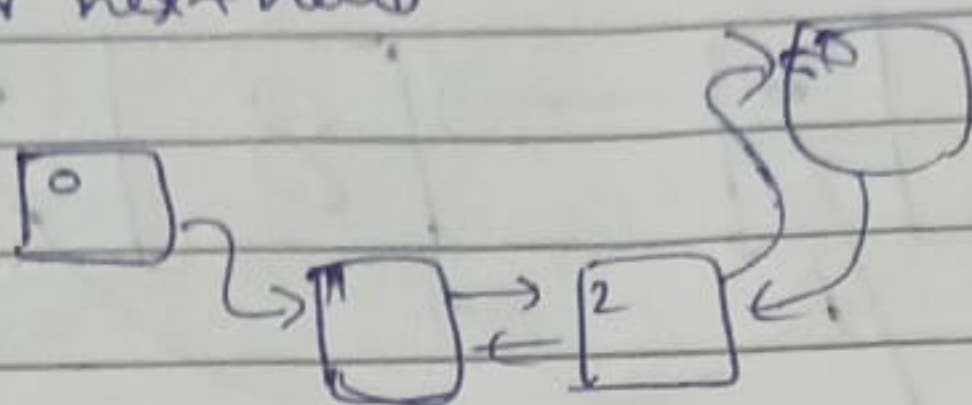


Map for address.

ex:-

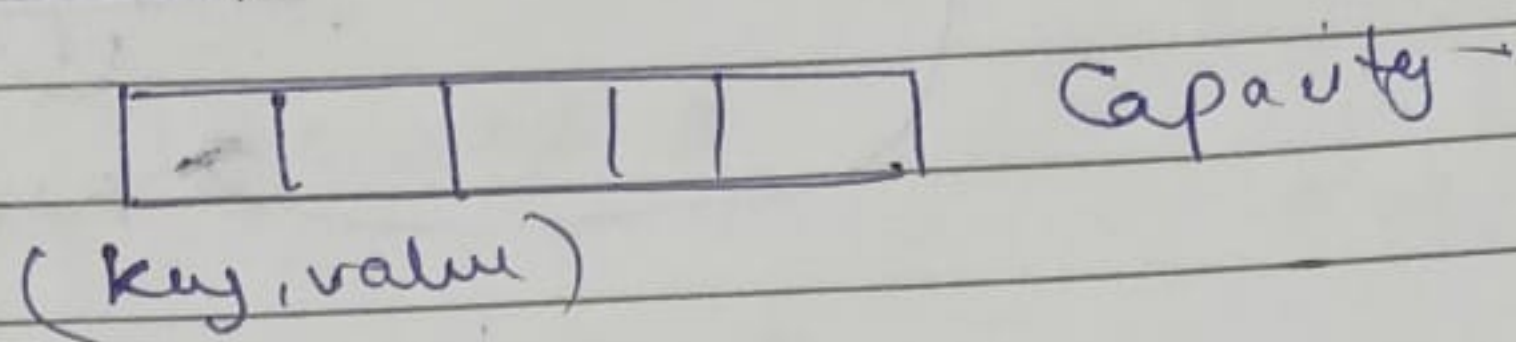
inc("hello")
inc("hello")Map
hello: 325

for next hello



Cycle Detection f d's proof.
 slow pointer (moves one step at a time)
 fast pointer (moves two step at a time)

(146.) LRU Cache :-



Add most recent used in front.

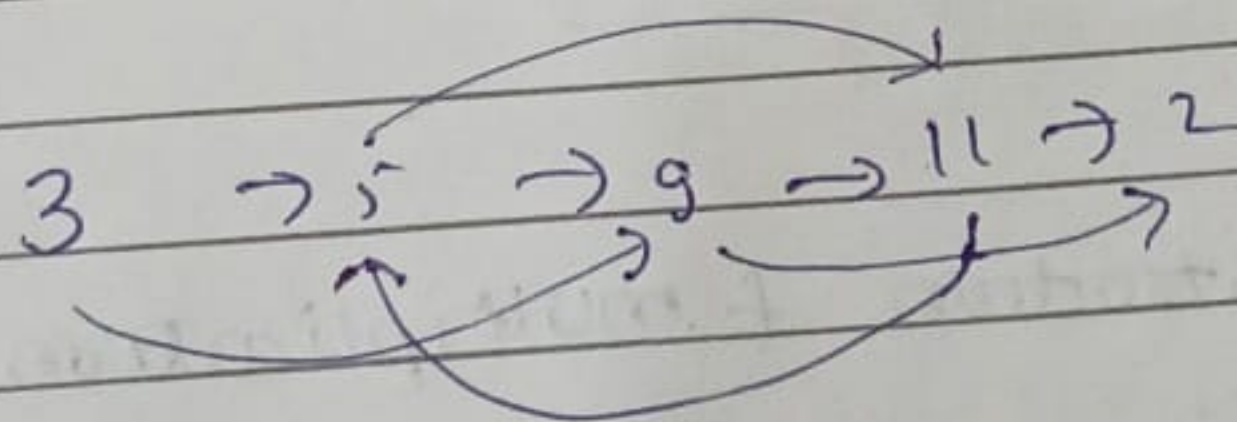
460

LFU Cache

cnt(x) =

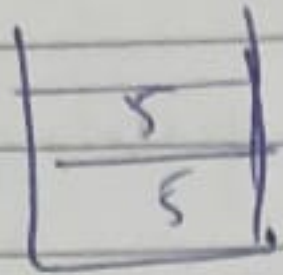
All one + LRU Cache.

(38)



3 → 5 → 9 → 11 → 2

5 is also less 6 to pop 6



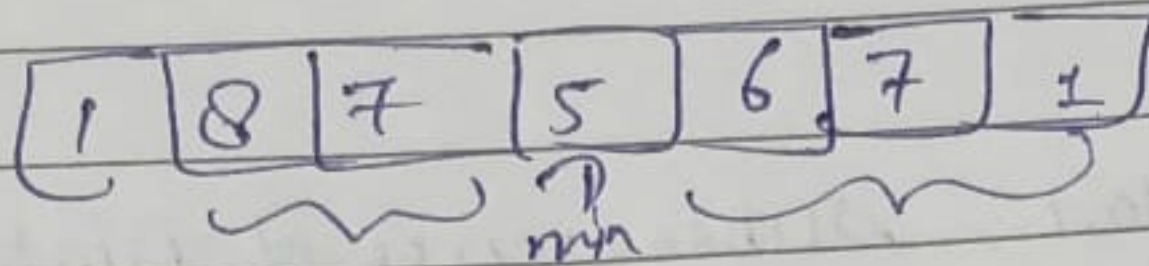
Ans next smaller element is 5.

Largest histogram area :-
some for next smaller box.



84 Lecture.

Contribution of rectangle = (prevens - nextsmalles) * (current).



$$5 \times (1 + 2 + 3 + \dots + (i - ps))$$

$$5 \times (2 + 3 + 4 + \dots + (i - ps + 1))$$

$$5 \times (3 + 4 + \dots + (i - ps + 2))$$

$$5 \times (rs - i) + rs - i + 1 + \dots$$

$$= \frac{n}{2} (a + a_n) = \frac{n}{2} (a + a_n)$$

$$5 \times \left(\frac{i - ps}{2} \right)$$

$$\text{ans}(i) \times \frac{rs}{2} \times \frac{rs}{2} (rs + 1 + rs + 1 + (n - 1) \cdot n)$$

BFS :- Levelorder Traversal
without Queue
with Arrays

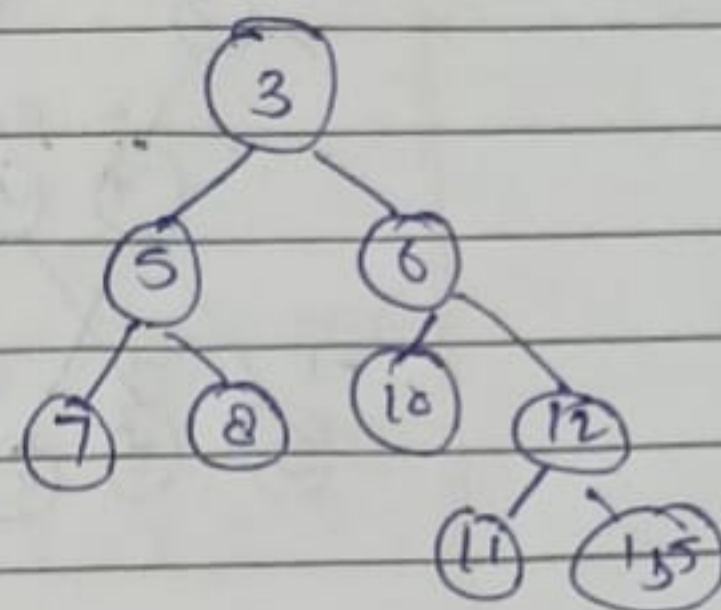
→ curlevel [root]
nextlevel []

ex:- curlevel [3]

(i) next level [5, 6]

(ii) curlevel [5, 6]

next level [7, 8, 10, 12]



Given a tree find no. of valid BFS / LOT.

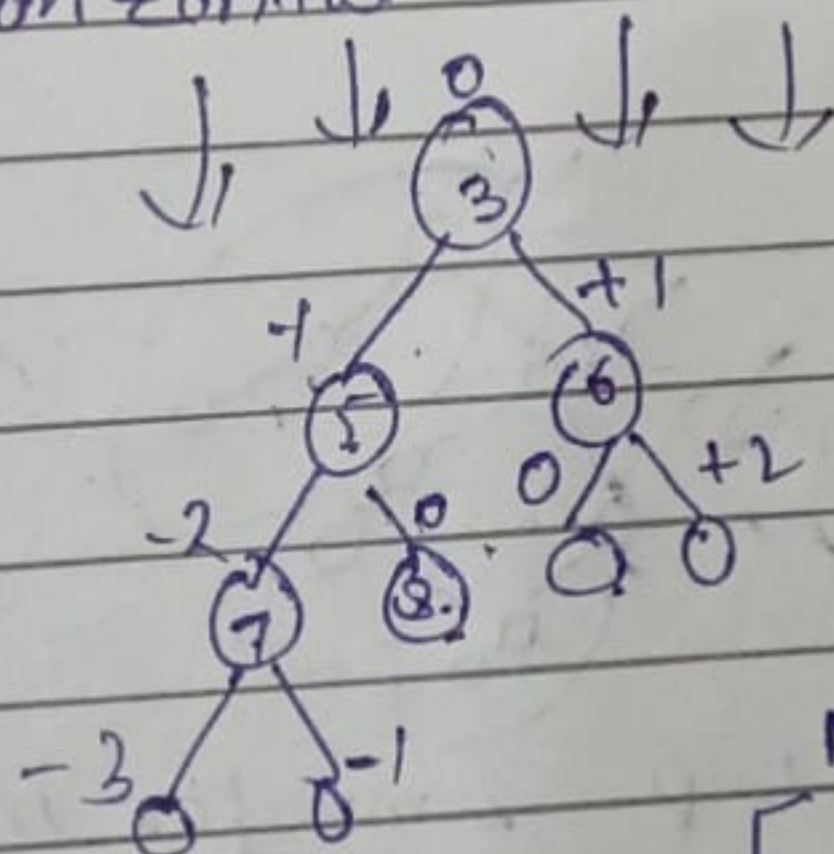
Each level pe elements ka factorial then
uska multiplication milu be answer.

Ref + view :-

for ex:- 5, 7 in above example i.e. each level
ki first node.

Top View & Bottom View

Horizontal Distance



Map:-

0 : 3
-1 : 5
1 : 6

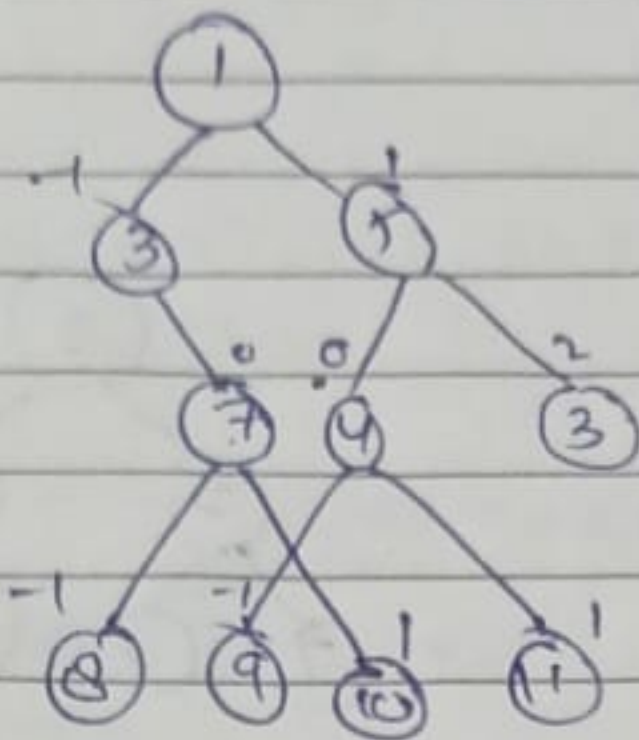
horiz.
dist.

curlevel = [0, 3]
next level = [(-1, 5), (0, 6)]
curlevel = []
next level = [(-2, 7), (0, 0)]

if not map
be cause of collision
then we can use
DU.

Bottom view

horizontal dir, level 'node'.



hd level
0 [0, 1] node
-1 [1, 3]
1 [1, 5]

for 7 remove 0,

0 [(2, 7)]

-1 [(1, 3)]

1 [(1, 5)]

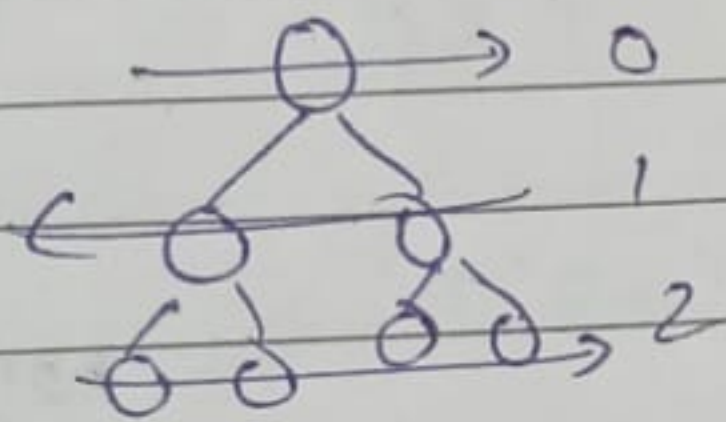
for 4 append bcs 'hd' is 0.

0 [(2, 7), (2, 4)]

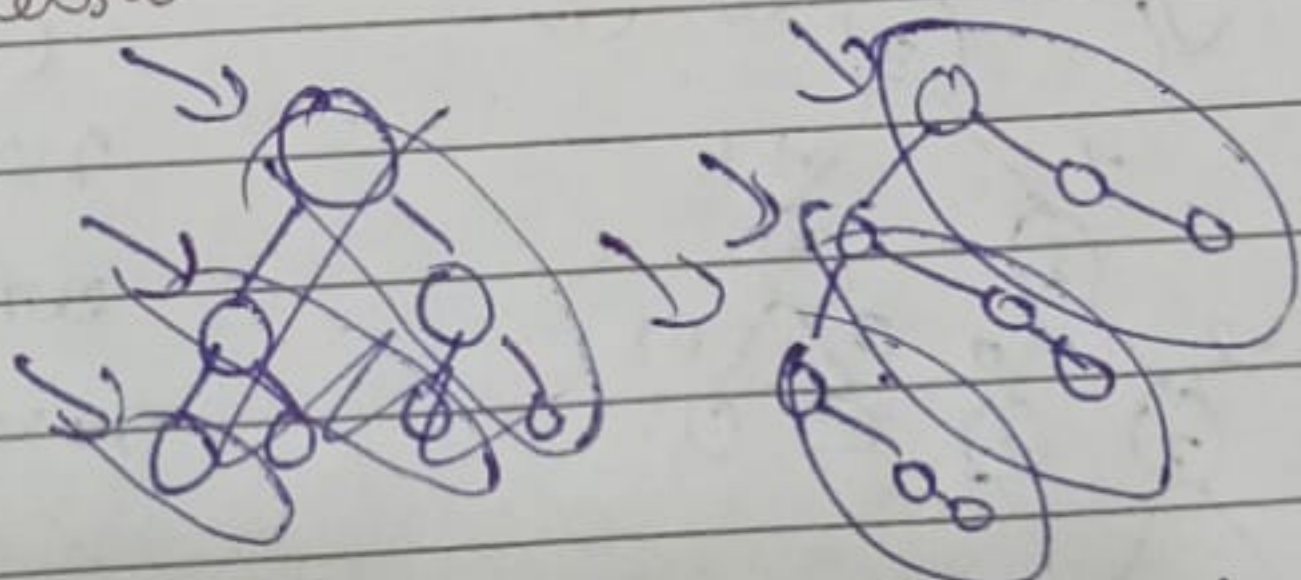
-1 [(1, 3)]

1 [(1, 5)]

Zig-Zag Traversal:-

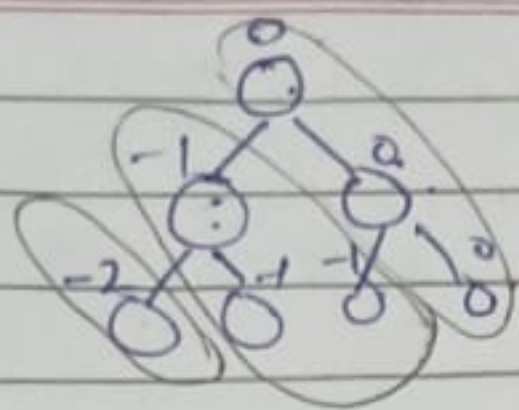


Rainy Traversal



Horizontal:- 1 for left

but keep some for right

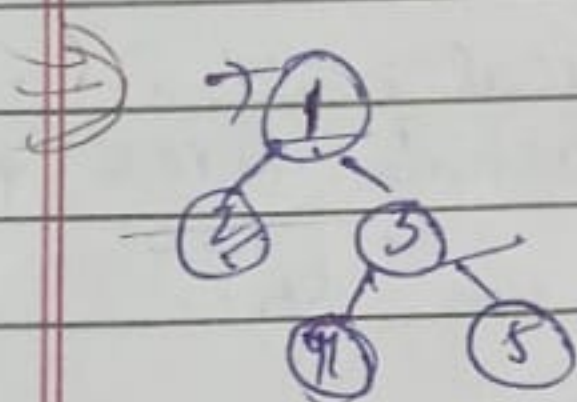


Opposite for opp side rain.

(297) Serialize and Deserialize Binary tree

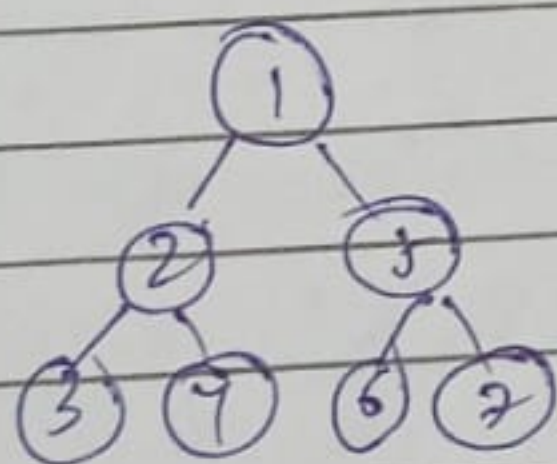
(1028)

We can retrieve a tree from only preorder traversal but they should be store in a diff. way. (like dash (-)).



[1, 2, 3, null, null, 4, 5]

1-2-3-4-5-6-7



Rec(Traversal, s, e)

Rec(Traversal, s+1, idx-1)

Rec(Traversal, idx, e)

$$T(n) = T(n-1) + O(n)$$

$$O(n^2)$$

Optimizing this :-

occurs

Occurrences store in array
then do bin search.

$$T(n) = T(N-1) + O(\log n) \\ = O(N \log n)$$

for inorder $\Rightarrow O(N)$ 3rd Approach.

Ques) $O(N)$ Height & diameter:-

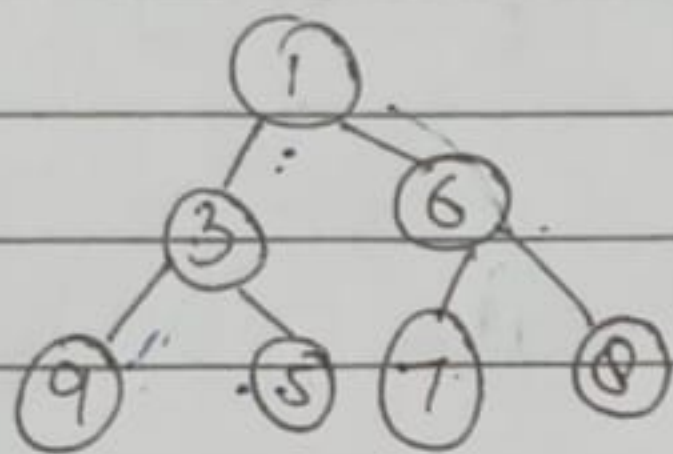
Pre

0

Ex - 124, 1443.

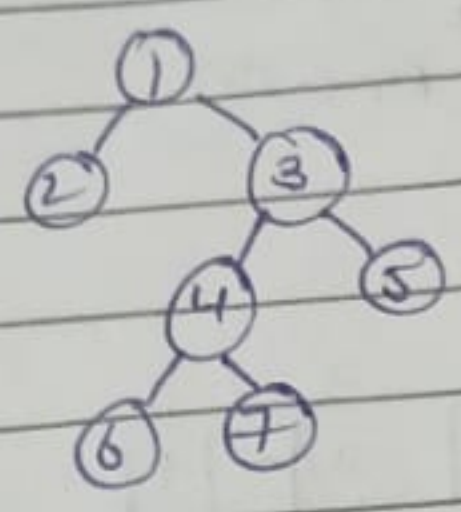
#

path score = ^{value} node^{li} count no. of vertical path.
reaching directly to root
(joint sum $\leq k$).



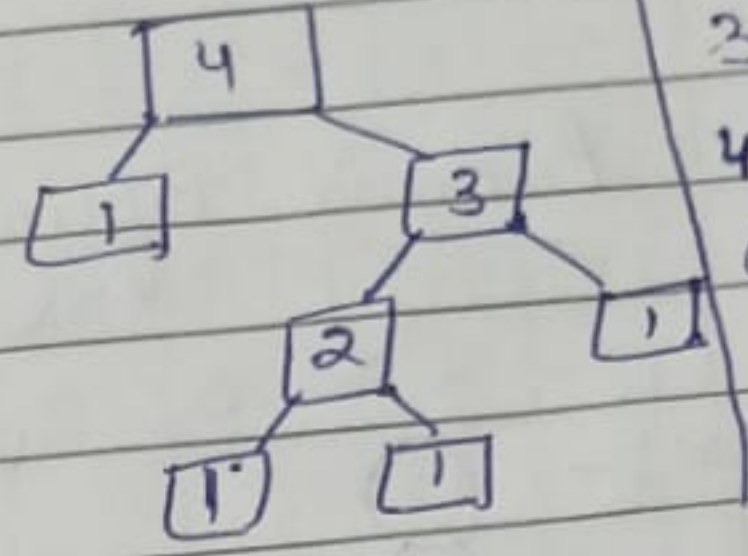
Sum of height of tree when rooted at each index.

Re-rooting DP



height
using
DFS

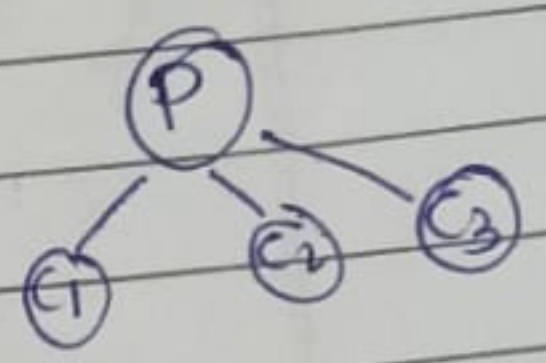
$$O(N) + O(N) = O(2N)$$



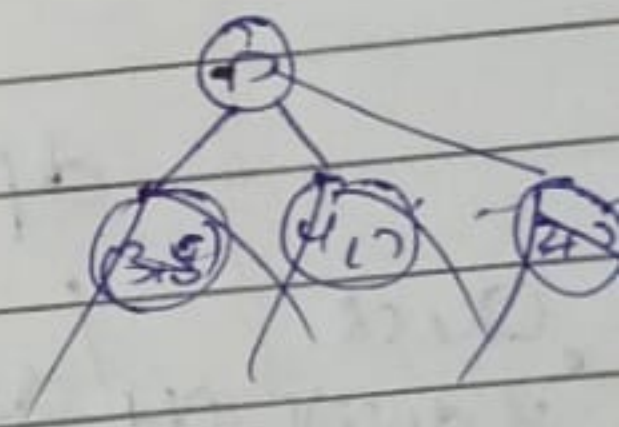
Root : Height	
1	4, 2
3	3, 3
4	4, 2
6	5, 1

$$\text{Height}(\text{Parent}) = \text{Max}(\text{ht of childrens} + 1);$$

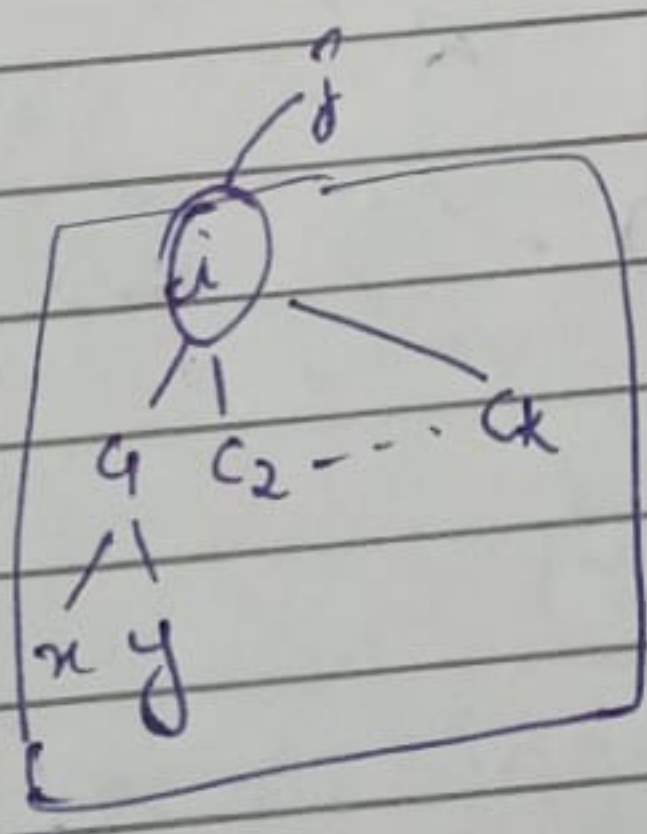
$$\text{Height}(C_3) = \text{Max}(\text{children of } C_3,$$



	1	2	3	4	5	6
dp	(1, 2)	(1, 1)	(3, 2)	(2, 2)	(1, 1)	(1, 1)
par dp	(4, 2)		(3, 3)	(4, 2)		



- adjacency list
- add edge in it.
- dfs (finding height of subtrees).



Subordinates

$$\text{subs}(i) = \sum_{j=1}^k (1 + \text{subs}(C_j))$$

2458

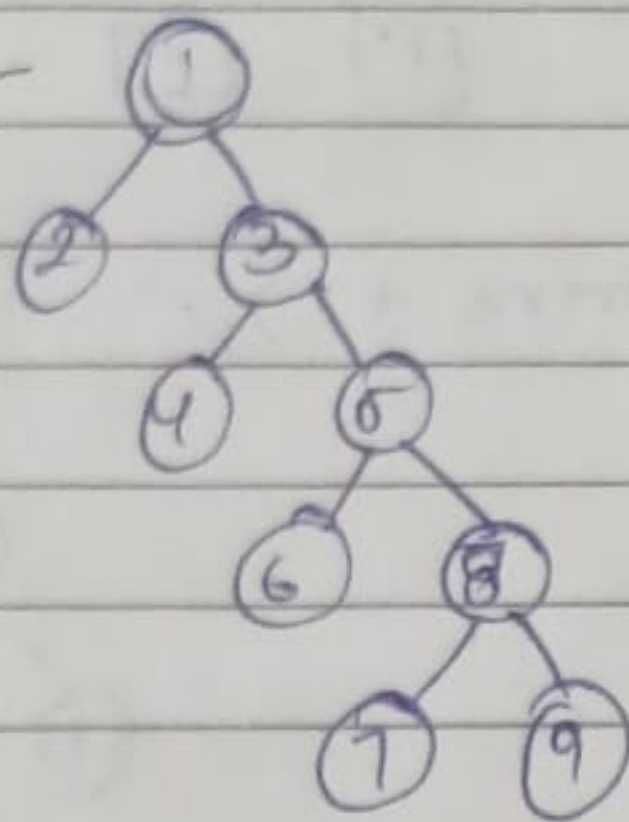
834

Sum of Distances in Tree

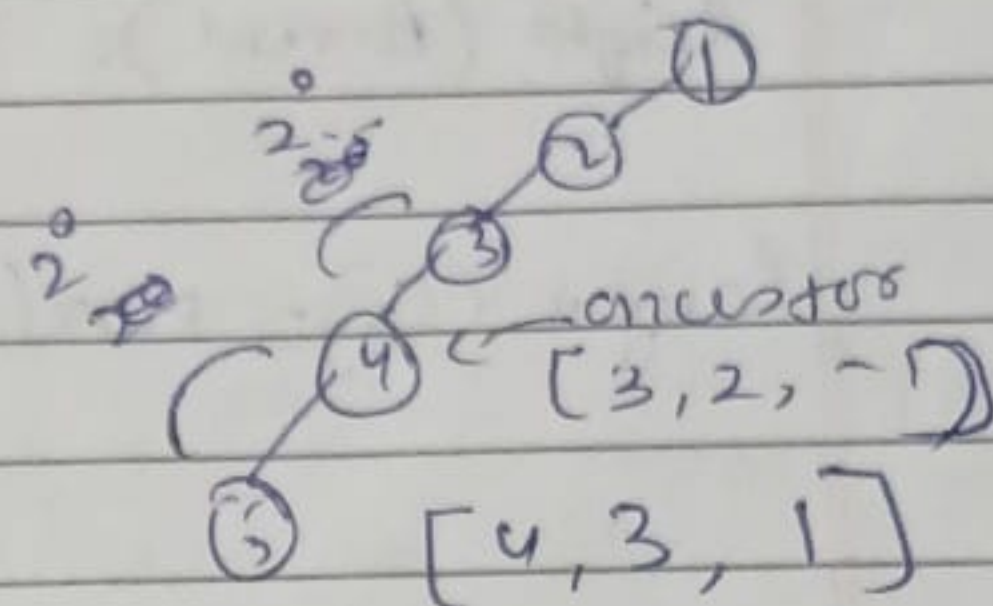
Binary Lifting

node
(X, K) Ancestor

ex:-



0	1	2	3	4	5
-1	-1	-1	-1	-1	-1

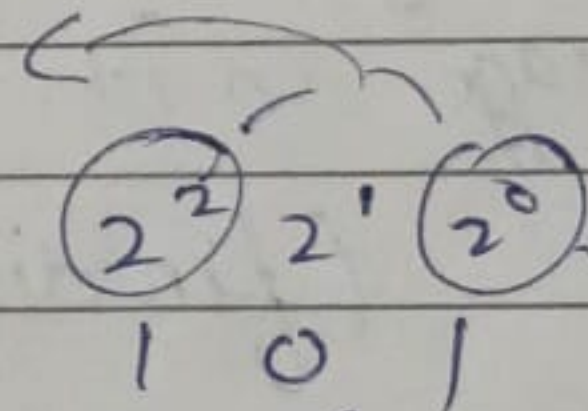


$dp[i][j] = 2^{j^{th}}$ ancestor of node i

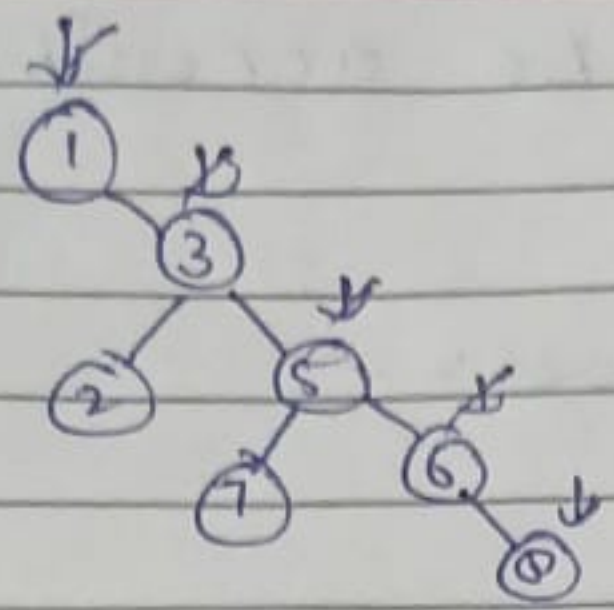
Check if $dp[i][j] = dp(dp(i) \times j - 1) (j-1)$

$dp[i][j] = 1$

k^{th} ancestor = 5



for sparse table $O(N \log N)$
for binary rep. $O(\log N)$



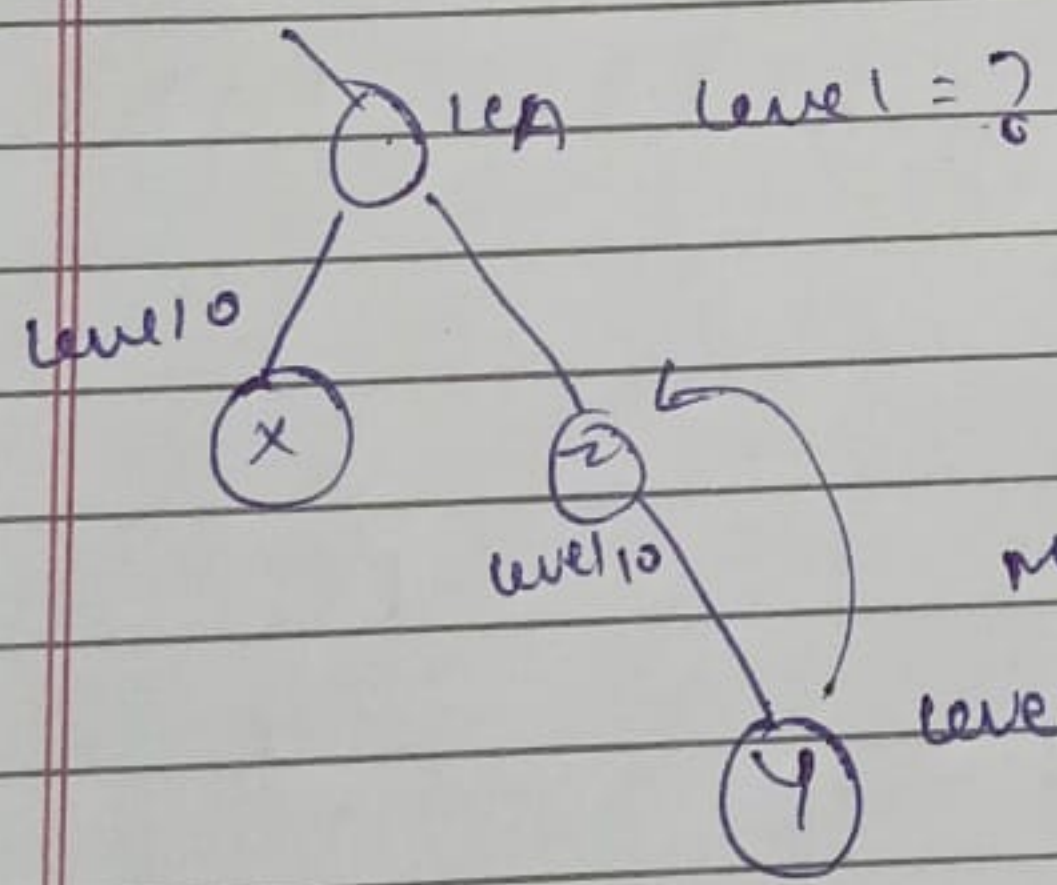
	0	1	2	3	4
1	-1	-1	-1	-1	-1
2		-1	-1	-1	-1
3	1	-1	-1	-1	-1
4					
5	3	1	-1	-1	-1
6	5	3	-1	-1	-1
7					
8	6	5	1	1	1

ex for 8th parent
ie. 0100
 2^2 (in table)
 2^2 is 1.

Ans = 1.

1483 K^{th} ancestor of a tree node!-

Lowest Common Ancestor (LCA).
Normally $O(NQ)$ $Q \rightarrow$ Queries.
With binary lifting $O(\log N)$
Query: (x, y)



Now binary search use bus. LCA keep upper level be x & y will have same ancestor. That is monotonic search space.

* level of each node should be accessible
in $O(1)$ ~~by spa.~~

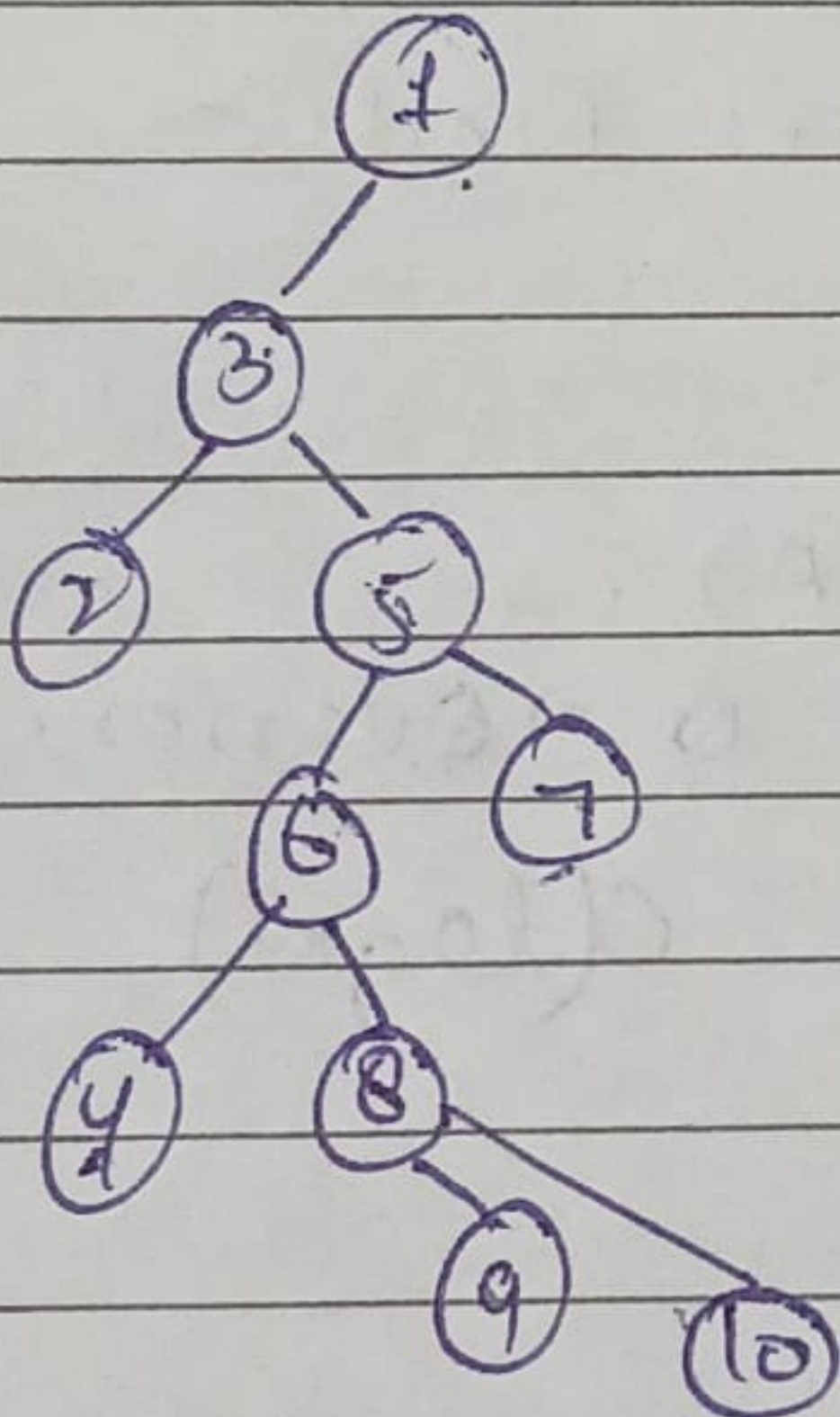
* Sparse table should be made.

* $x \ y$

* $lvl[x] \quad lvl[y]$

if $(lvl[x] > lvl[y]) \rightarrow \text{swap}(x, y)$
this ensures $lvl[x]$
will always be greater.

$z \rightarrow lvl[y] - lvl[x]$. Ancestor.



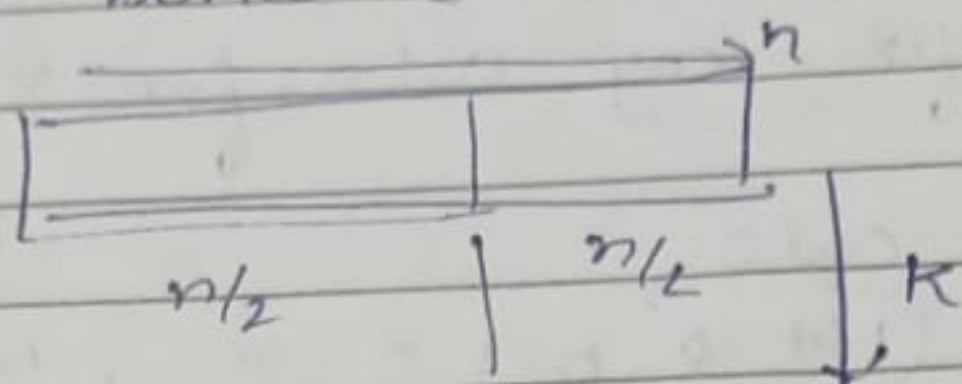
Query $(7, 4)$
ans = 5

Query $(3, 9)$
ans = 3

Query $(4, 10)$
ans = 6

Linked list
for merging $O(N + m)$

Merge 'K' Sorted LL:-



$$T(n) = 2T(n/2) + O(nk)$$

Time Complexity $\rightarrow O(nk \log n)$

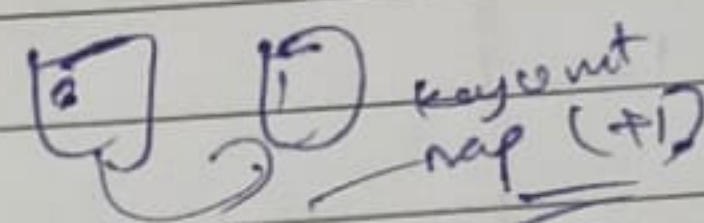
Take dummy tail & dummy head.

25. Reverse Nodes in k-Group

Time $O(N)$

space $O(n \log k)$

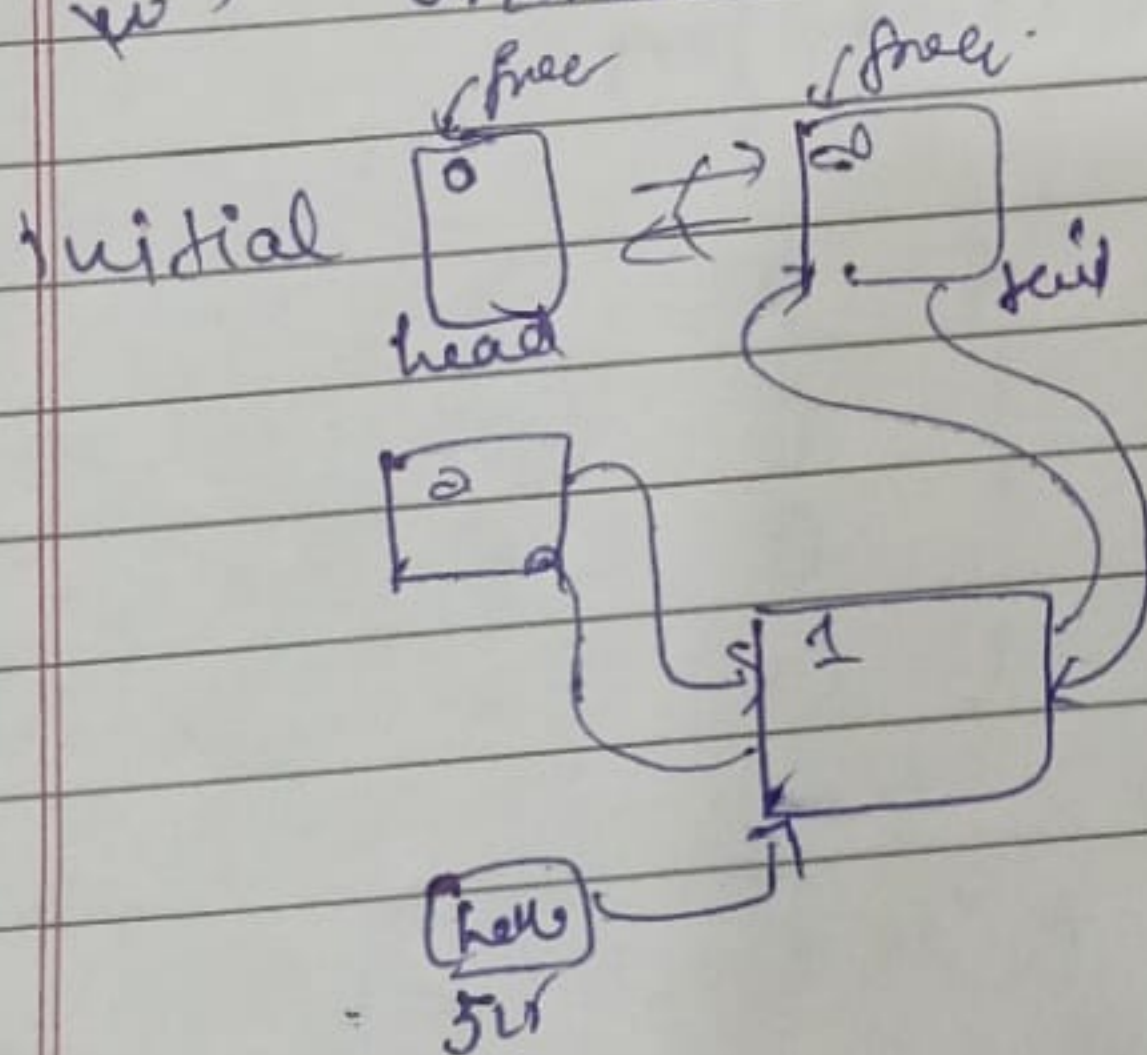
(432) All O' one Data Structure



- (i) freq val
- (ii) next
- (iii) previous
- iv) Unordered Set

Map for address.

ex/



```
inc("hello")
inc("hello")
```

map
Hello! 325