



SUBJECT: DATA MINING PROJECT REPORT TOPIC: PREDICT THE TERRORIST LOCATIONS IN FUTURE

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Ho Chi Minh City, June 2024



VIET NAM NATIONAL UNIVERSITY HO CHI MINH CITY UNIVERSITY OF INFORMATION TECHNOLOGY INFORMATION SYSTEM FACULTY



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FINAL PROJECT REPORT TOPIC:

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TEACHER'S COMMENTS

ACKNOWLEDGEMENT

In fact, there is no success that is not tied to the support and help, whether more or less, directly or indirectly from others. With the deepest gratitude, first of all, our group would like to express our sincere thanks to the teachers of the University of Information Technology - Vietnam National University, Ho Chi Minh City and the teachers of the Faculty of Information Systems helped the group to have the basic knowledge as a basis to carry out this topic.

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CHAPTER I: INTRODUCTION

1.1 Problems

Terrorism significantly impacts societies globally, with diverse forms and motivations across different regions. Understanding and countering terrorism requires comprehensive data analysis. The Global Terrorism Database (GTD) provides detailed information on over 180,000 terrorist attacks worldwide from 1970 to 2017. Leveraging advances in Data Science and predictive modeling, this project aims to automatically classify and analyze terrorist incidents using the GTD data to develop effective counter-terrorism strategies.

1.2 Project goal

- Develop a machine learning system to predict and analyze terrorist activities.
- Assist in identifying patterns and trends to enhance security and inform counterterrorism efforts.

1.3 Developer Tools & Technology

In the process of implementation, the group used a number of software for researching and developing the topic:

- Information collection and analysis using the Python library and programming language.
- Data sources: Global Terrorism Database | Kaggle

CHAPTER II: DATA PREPROCESSING

2.1 Description of original data

2.1.1 Data Sources

Collaborators: START Consortium (Owner), Erin Miller (Admin)

Sources: Global Terrorism Database | Kaggle

2.1.2 Data file

Total data rows: Over 180.000 rows

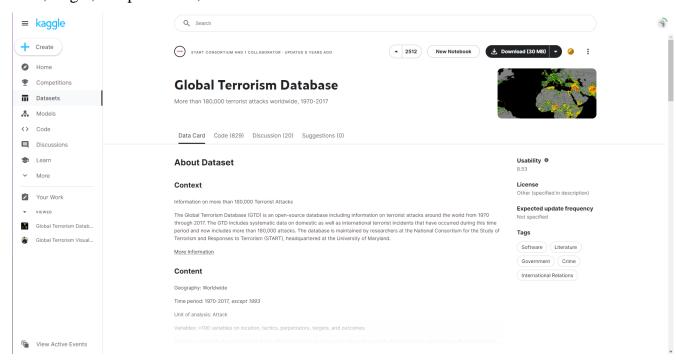
Total columns: 135

Dataset characteristics: Multivariable

Attribute number characteristics: Characters, real numbers, integers, bool

Lost value: None

Data Information: Global Terrorism Database made public in 2017 and covers over 40 years (1970-2017). The data provides information on terrorist incidents, including the time, target, weapons used, and locations of the attacks.



2.1.4 Statistics of Attribute Values

Attribute statistics table:

STT	Attribute	Data type	Meaning
1	FactID	Int	Attack number
2	dYear	Int	Year of the attack
3	dMonth	Int	Month of the attack
4	dDay	Int	Day of the attack
5	dDate	Date	Date of the attack
6	CountryID	Int	Country number
7	CountryName	Varchar(255)	Country where the attack occurred
8	RegionID		Region number
9	RegionName	Varchar(255)	Region where the attack occurred
10	City	Varchar(255)	City where the attack occurred
11	Latitude	Decimal(8,6)	Latitude of the attack location
12	Longitude	Decimal(9,6)	Longitude of the attack location
13	ProvState	Varchar(255)	Province/State where the attack occurred
14	AttackTypeID	Int	Number of the attack type
15	AttackType	Varchar(255)	Type of attack
16	TargetTypeID	Int	Number of the target type

17	TargetType	Varchar(255)	Target of the attack
18	WeaponTypeID	Int	Number of the weapon type
19	WeaponType	Varchar(255)	Weapon used in the attack
20	Kills	Int	Number of fatalities in the attack
21	Wounds	Int	Number of injuries in the attack
22	Success	Int	Successful rate of the attack
23	Suicide	Int	Whether the attack was a suicide attack
24	PropertyDamage	Int	Extent of property damage in the attack
25	GName	Varchar(255)	Name of the terrorist group responsible for the attack

2.2 Data preprocessing

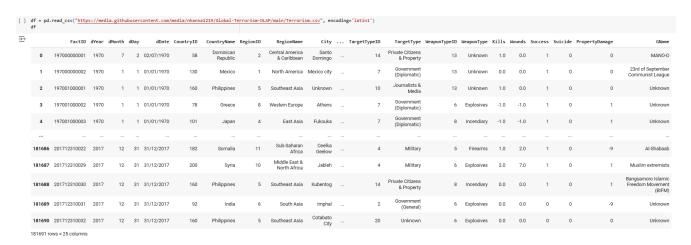
Purpose:

- DataTransformation
- Data Collection
- Data visualization and comments

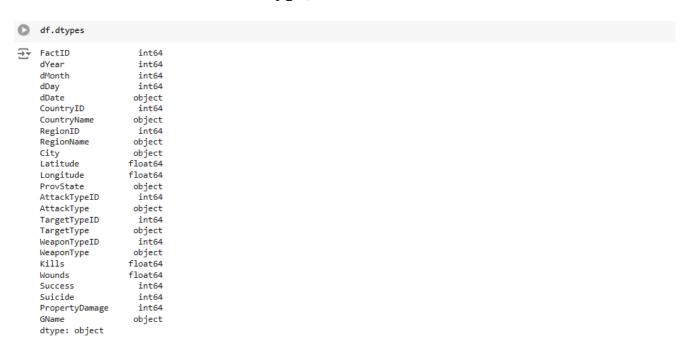
2.2.1 Import Library

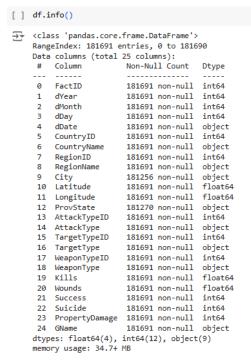
```
[ ] import pickle
  import pandas as pd
  import numpy as np
  import seaborn as sns
  from sklearn import tree
  import matplotlib.pyplot as plt
  from sklearn.tree import export_graphviz
  from sklearn.ensemble import RandomForestClassifier
  from sklearn.model_selection import train_test_split, RandomizedSearchCV
  from sklearn.metrics import classification_report, confusion_matrix, accuracy_score
```

2.2.2 Import Dataset



2.2.3 Check data type, information





2.2.4 Overview of the data

Data is a combination of string and integer values.

- **FactID:** Serial number of the attack in the dataset.
- **dYear:** Year of the attack in the dataset.
- **dMonth:** Month of the attack in the dataset.
- **dDay:** Day of the attack in the dataset.
- **dDate**: The actual date of the attack in the dataset which is shown day, month and year.
- **CountryID**: Serial number of the country in the dataset.
- **CountryName**: Name of the country where the attack occurred.
- **RegionID**: Serial number of the region in the dataset.
- **RegionName**: Name of the region where the attack occurred.
- **City**: Name of the city where the attack occurred
- **Latitude**: This value describes the latitude of the attack location.
- **Longitude:** This value describes the longitude of the attack location.
- **ProvState:** Name of the Province/State where the attack occurred.
- **AttackTypeID:** Serial number of the attack type in the dataset.

- **AttackType:** Name of the attack type where the attack occurred.
- **TargetTypeID:** Serial number of the target type in the dataset.
- **TargetType:** Name of the target type where the attack occurred.
- **WeaponTypeID:** Serial number of the weapon in the dataset.
- **WeaponType:** Name of the weapon used in the attack.
- **Kills:** The actual number of fatalities in the attack.
- Wounds: The actual number of injuries in the attack.
- Success: The actual successful rate of the attack. This is our target variable.
- **Suicide:** Whether the attack was a suicide attack.
- **PropertyDamage:** The actual property damage in the attack.
- **GName:** Name of the terrorist group responsible for the attack.

2.2.5 Description of dataset information

>	# Information description of the numeric data df.describe().T											
7		count	mean	std	min	25%	50%	75%	max			
	FactID	181691.0	2.002705e+11	1.325957e+09	1.970000e+11	1.991021e+11	2.009022e+11	2.014081e+11	2.017123e+11			
	dYear	181691.0	2.002639e+03	1.325943e+01	1.970000e+03	1.991000e+03	2.009000e+03	2.014000e+03	2.017000e+03			
	dMonth	181691.0	6.467387e+00	3.388110e+00	1.000000e+00	4.000000e+00	6.000000e+00	9.000000e+00	1.200000e+01			
	dDay	181691.0	1.551055e+01	8.805691e+00	1.000000e+00	8.000000e+00	1.500000e+01	2.300000e+01	3.100000e+01			
	CountryID	181691.0	1.319685e+02	1.124145e+02	4.000000e+00	7.800000e+01	9.800000e+01	1.600000e+02	1.004000e+03			
	RegionID	181691.0	7.160938e+00	2.933408e+00	1.000000e+00	5.000000e+00	6.000000e+00	1.000000e+01	1.200000e+01			
	Latitude	181691.0	2.290911e+01	1.869944e+01	-5.315461e+01	9.518645e+00	3.112665e+01	3.453856e+01	7.463355e+01			
	Longitude	181691.0	-4.471911e+02	2.021946e+05	-8.618590e+07	1.231572e+00	4.314357e+01	6.835734e+01	1.793667e+02			
	AttackTypeID	181691.0	3.247547e+00	1.915772e+00	1.000000e+00	2.000000e+00	3.000000e+00	3.000000e+00	9.000000e+00			
	TargetTypeID	181691.0	8.439719e+00	6.653838e+00	1.000000e+00	3.000000e+00	4.000000e+00	1.400000e+01	2.200000e+01			
	WeaponTypeID	181691.0	6.447325e+00	2.173435e+00	1.000000e+00	5.000000e+00	6.000000e+00	6.000000e+00	1.300000e+01			
	Kills	181691.0	2.210098e+00	1.124089e+01	-1.000000e+00	0.000000e+00	0.000000e+00	2.000000e+00	1.570000e+03			
	Wounds	181691.0	2.793523e+00	3.431848e+01	-1.000000e+00	0.000000e+00	0.000000e+00	2.000000e+00	8.191000e+03			
	Success	181691.0	8.895983e-01	3.133907e-01	0.000000e+00	1.000000e+00	1.000000e+00	1.000000e+00	1.000000e+00			
	Suicide	181691.0	3.650704e-02	1.875486e-01	0.000000e+00	0.000000e+00	0.000000e+00	0.000000e+00	1.000000e+00			
	PropertyDamage	181691.0	-5.445564e-01	3.122889e+00	-9.000000e+00	0.000000e+00	1.000000e+00	1.000000e+00	1.000000e+00			

92426

82782

43511

 $[\]\$ # Information description of the string data df.describe(include=['0']) ₹ dDate CountryName RegionName City ProvState AttackType TargetType WeaponType 181691 181691 181691 181691 181691 181256 181270 181691 181691 16081 unique 205 12 36673 2855 3537 21/09/2016 Iraq Middle East & North Africa Unknown Baghdad Bombing/Explosion Private Citizens & Property top Explosives Unknown

7645

88255

We can see that there are 24 features and 1 label column (Success). Out of the features, 16 are numerical and 9 are categorical.

2.2.6 Handle the null data

50474

9775

Check the null data

130

24636

)	df[df.is	null().any(axi	s=1)]																	
3		FactID	dYear	dMonth	dDay	dDate	CountryID	CountryName	RegionID	RegionName	City	 TargetTypeID	TargetType	WeaponTypeID	WeaponType	Kills	Wounds	Success	Suicide	PropertyDamage
	0	197000000001	1970	7	2	02/07/1970	58	Dominican Republic	2	Central America & Caribbean	Santo Domingo	 14	Private Citizens & Property	13	Unknown	1.0	0.0	1	0	(
	162	197003310002	1970	3	31	31/03/1970	101	Japan	4	East Asia	Fukouka	 6	Airports & Aircraft	6	Explosives	0.0	0.0	1	0	
	1229	197204040002	1972	4	4	04/04/1972	38	Canada	1	North America	Montreal	 2	Government (General)	6	Explosives	1.0	7.0	1	0	
	1568	197209280011	1972	9	28	28/09/1972	217	United States	1	North America	Washington	 7	Government (Diplomatic)	6	Explosives	0.0	0.0	0	0	
	1617	197211080002	1972	11	8	08/11/1972	130	Mexico	1	North America	Monterrey	 6	Airports & Aircraft	5	Firearms	0.0	0.0	1	0	
									***			 	***	***						
	103530	201110210005	2011	10	21	21/10/2011	93	Indonesia	5	Southeast Asia	NaN	 14	Private Citizens & Property	5	Firearms	3.0	1.0	1	0	
	103543	201110230002	2011	10	23	23/10/2011	4	Afghanistan	6	South Asia	NaN	 2	Government (General)	6	Explosives	1.0	0.0	0	1	-
	104385	201112030021	2011	12	3	03/12/2011	93	Indonesia	5	Southeast Asia	NaN	 3	Police	12	Other	2.0	0.0	1	0	(
	170978	201701070015	2017	1	7	07/01/2017	217	United States	1	North America	Hudson Bend	 15	Religious Figures/Institutions	8	Incendiary	0.0	0.0	1	0	
	171830	201702060025	2017	2	6	06/02/2017	217	United States	1	North America	Manchester	 1	Business	8	Incendiary	0.0	0.0	1	0	
8	856 rows	× 25 columns																		

There are 856 rows that contain NaN values. We'll replace the "NaN" with some suitable values such as "-1" for numberic values, "N/A" for text values.

```
[ ] # Replace null numeric values with -1
     numeric_columns = ['nkill', 'nwound']
     for column in numeric_columns:
         df[column] = df[column].fillna(-1)
     # Replace null text values with 'N/A'
     text_columns = [col for col in df.columns if col not in numeric_columns]
     for column in text_columns:
         df[column] = df[column].fillna('N/A')
     # Replace day/month/year with 0 value to default day/month/year(1/1/1900)
     df['iyear'] = df['iyear'].replace(0, 1900)
     df['imonth'] = df['imonth'].replace(0, 1)
     df['iday'] = df['iday'].replace(0,1)
     # Create the 'date' column by concatenating the string columns with dashes as separators
    df['date'] = df['iyear'].astype(str) + '/' + df['imonth'].astype(str).str.zfill(2) + '/' + df['iday'].astype(str).str.zfill(2)
df['date'] = pd.to_datetime(df['date'], format='%Y/%m/%d')
     df['date'] = df['date'].dt.strftime('%d/%m/%Y')
     # Rearrange column date
     columns = [col for col in df.columns if col != 'date']
     dDay_index = columns.index('iday') # Insert after day column
     columns.insert(dDay_index + 1, 'date')
     df = df[columns]
```

2.2.7 Check the balance data of the predictor attribute

```
[] # Check if data is balanced
df['Success'].value_counts()

Success
1 160838
0 19997
Name: count, dtype: int64
```

There are 2 kind of success with equal distribution (balanced data). This means the accuracy score will be a good metric to use.

CHAPTER III: ALGORITHMS AND EXPERIMENTS

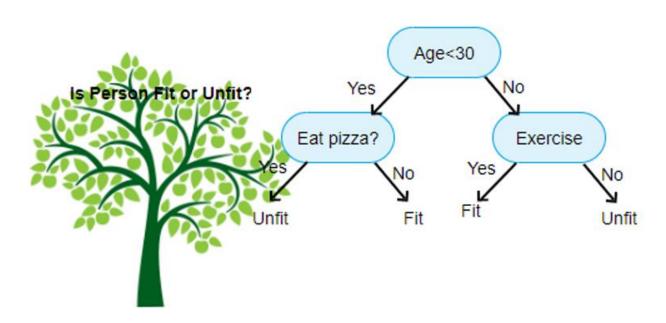
3.1 Algorithm used

3.1.1 Decision Tree

A decision tree is a tree structure such that:

- Each node in the network corresponds to a test on an attribute.
- Each branch represents the test result.
- Leaf nodes represent classes or class distributions.
- The highest node in the tree is the root node.

Decision tree shape:



Basic strategy:

- Start from a single node showing all samples.
- If the samples belong to the same class, the node becomes a leaf node and is labeled with that class.
- In contrast, using the attribute measure to select the attribute will best separate the samples into classes.

- A branch is created for each value of the selected attribute and the samples are partitioned by use the same process recursively to create a decision tree.
- The process ends only if any of the following conditions are true.
- ❖ All templates for a given node belong to the same class
- ❖ There are no more attributes that the sample can rely on for further partitioning
- ❖ No samples left at node
- ❖ ID3 is an algorithm used in decision trees. This algorithm uses information gain to build a decision tree. The largest Information Gain attribute will be selected as the root node

Information Gain:

$$Info(S) = E(S) = -\sum_{i=1}^{n} f_S(A_i) \log_2 f_S(A_i)$$

Amount of information needed to classify an element in S based on attribute $A \colon InfoA(S)$

$$Info_A(S) = -\sum_{i=1}^{v} \frac{|S_i|}{|S|} Info(S_i)$$

Information gain is the difference between the original Info(S) information value (before partitioning) and the new InfoA(S) information value (after partitioning with A)

$$Gain(A) = Info(S) - Info_A(S)$$

CART: Unlike ID3 which uses Information Cain formula, Cart algorithm uses Gini formula. The attribute with the smallest Gini value will be the root node

Gini index of the set S:

$$Gini(S) = 1 - \sum_{j} p(j|S)^{2}$$

P(i|S) is the frequency of i in S

Gini of attribute:

$$Gini_A(S) = \sum_{i=1}^k \frac{n_i}{n} Gini(i)$$

In case: ni is the number of samples in note I, n is the number of samples in note A

3.1.2 Random Forest

3.1.2.1 Random Forest explaination

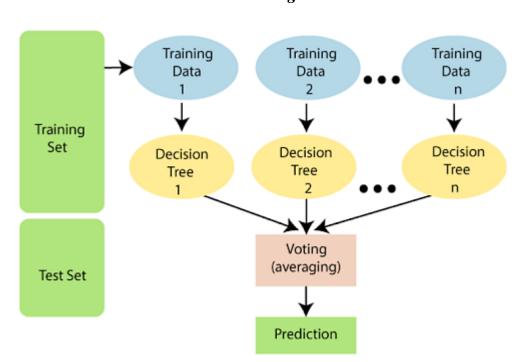
Random Forest is one of the most popular and commonly used algorithms by Data Scientists. Random forest is a Supervised Machine Learning Algorithm that is used widely in Classification and Regression problems. It builds decision trees on different samples and takes their majority vote for classification and average in case of regression.

One of the most important features of the Random Forest Algorithm is that it can handle the data set containing continuous variables, as in the case of regression, and categorical variables, as in the case of classification. It performs better for classification and regression tasks.

Steps Involved in Random Forest Algorithm

Step 1: In the Random forest model, a subset of data points and a subset of features is selected for constructing each decision tree. Simply put, n random records and m features are taken from the data set having k number of records.

- **Step 2**: Individual decision trees are constructed for each sample.
- **Step 3**: Each decision tree will generate an output.
- **Step 4**: Final output is considered based on Majority Voting or Averaging for Classification and regression, respectively.



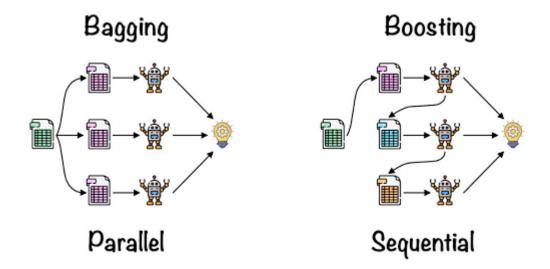
3.1.2.2 Random Forests Algorithm

The following steps explain the working Random Forest Algorithm:

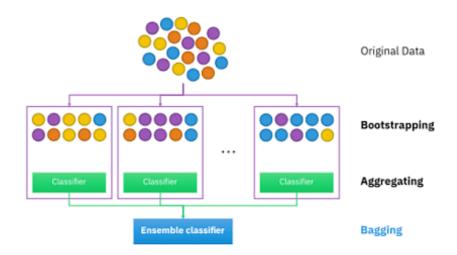
- **Step 1:** Select random samples from a given data or training set.
- **Step 2**: This algorithm will construct a decision tree for every training data.
- **Step 3**: Voting will take place by averaging the decision tree.
- **Step 4**: Finally, select the most voted prediction result as the final prediction result.

This combination of multiple models is called Ensemble. Ensemble uses two methods:

- **Bagging:** Creating a different training subset from sample training data with replacement is called Bagging. The final output is based on majority voting.
- Boosting: Combing weak learners into strong learners by creating sequential
 models such that the final model has the highest accuracy is called Boosting.
 Example: ADA BOOST, XG BOOST.



Bagging Bagging is also known as Bootstrap Aggregation used by random forest. The process begins with any original random data. After arranging, it is organised into samples known as Bootstrap Sample. This process is known as Bootstrapping. Further, the models are trained individually, yielding different results known as Aggregation. In the last step, all the results are combined, and the generated output is based on majority voting. This step is known as Bagging and is done using an Ensemble Classifier.



Second Second S

• **Miscellany:** Each tree has a unique attribute, variety and features concerning other trees. Not all trees are the same.

- Immune to the curse of dimensionality: Since a tree is a conceptual idea, it requires no features to be considered. Hence, the feature space is reduced.
- **Parallelization:** We can fully use the CPU to build random forests since each tree is created autonomously from different data and features.
- **Train-Test split:** In a Random Forest, we don't have to differentiate the data for train and test because the decision tree never sees 30% of the data.
- **Stability:** The final result is based on Bagging, meaning the result is based on majority voting or average.

***** How Random Forest is applied?

Random Forest has a wide range of applications across various domains due to its versatility and robustness.

- Classification Problems: Random Forest is often used for classification tasks, such as spam detection, sentiment analysis, customer churn prediction, disease diagnosis, and image classification. Its ability to handle both numerical and categorical features makes it suitable for diverse datasets.
- **Regression Problems:** Random Forest can be applied to regression tasks, including predicting housing prices, stock market trends, energy consumption, and demand forecasting. It can capture complex non-linear relationships between input variables and the target variable.
- **Feature Importance**: Random Forest provides a measure of feature importance, which can be utilized for feature selection in data preprocessing. This information helps identify the most relevant features for prediction and can guide feature engineering efforts.
- **Anomaly Detection**: Random Forest can be used for anomaly detection by training on normal data and identifying instances that deviate significantly from the learned patterns. This is useful in fraud detection, network intrusion detection, and detecting unusual behaviors in various domains.
- **Ensemble Learning**: Random Forest is a type of ensemble learning method, which combines multiple models to improve overall performance. It can be used

as a base learner in ensemble techniques such as bagging, boosting, and stacking to further enhance predictive accuracy.

- Imputation of Missing Values: Random Forest can handle missing data effectively. It can be used to impute missing values in a dataset by using the available features to predict missing values, making it valuable for data preprocessing tasks.
- **Recommender Systems**: Random Forest can be employed in building recommendation systems to suggest relevant products, movies, or content to users based on their preferences and behavior.
- **Bioinformatics and Genomics**: Random Forest finds applications in analyzing DNA sequences, gene expression data, and protein-protein interactions. It can be used for tasks like gene expression classification, protein structure prediction, and identifying disease biomarkers.

3.1.3 Naïve Bayes

3.1.3.1 Bayes Theorem

Bayes' Theorem (Bayes' Theorem) is a mathematical theorem that calculates the probability of a random event A, given that the related event B has occurred.

- This theorem is named after the 18th century English mathematician Thomas Bayes.
- This is one of the extremely useful tools, a close friend of Data Scientists who work in data science.
- Bayes theorem allows to calculate the probability of a random event A given that related event B has occurred. This probability is denoted P(A|B) and read as "the probability of A if there is B". This quantity is called conditional probability or posterior probability because it is derived from a given value of B or depends on that value.

According to Bayes' theorem, the probability that A occurs when B is known will depend on 3 factors:

- ➤ The probability that A occurs on its own, regardless of B. It is denoted by P(A) and read as the probability of A. This is called the marginal probability or a priori probability, it is "a priori" " in the sense that it is not interested in any information about B.
- ➤ Probability of occurring B on its own, regardless of A. It is denoted by P(B) and read as "probability of B". This quantity is also called a normalizing constant because it is always the same, regardless of the event A is trying to know.
- ➤ Probability of B happening when A is known. It is denoted by P(B|A) and read as "probability of B if there is A". This quantity is called the likelihood that B will occur, given that A has occurred. Pay attention not to confuse the probability that B will occur when A is known and the probability that A will occur when B is known.

We can restate it with the following formula: The probability that A and B occur at the same time is:

$$P(A,B) = P(A) P(B)$$

- ❖ In case:
- \triangleright P(A)P(A) is the probability of a distinct A occurring.
- \triangleright P(B)P(B) is the probability that B occurs separately.

If A and B are two related events, and the probability that event B occurs is greater than 0, we can define the probability that A will occur, given that B occurs as follows:

$$P(A|B) = \frac{P(A,B)}{P(B)}$$

Bayes theorem is based on the definition of conditional probability above, expressed in the form of a formula as follows:

$$P(A|B) = \frac{P(B|A)P(A)}{P(B)}$$

The symbol $\neg A$ is not A (or A's complement). We have $P(A)+P(\neg A)=1$

From there:
$$P(B) = P(B,A) + P(B, \neg A) = P(B|A)P(A) + P(B|\neg A)P(\neg A)$$

Bayes' theorem is written in variant form as follows:

$$P(A|B) = \frac{P(B|A)P(A)}{P(B|A)P(A) + P(B|\neg A)P(\neg A)}$$

3.1.3.2 Naïve Bayes classification algorithm

Naïve Bayes Classification (NBC) is a classification algorithm based on probability calculation applying Bayes theorem. This algorithm belongs to the group of supervised learning algorithms.

- ➤ Each data sample is represented by X=(x1, x2,..., xn) with attributes A1, A2,..., An
- ➤ Grades C1, C2, ..., Cm. Given an unknown sample X.
- ➤ Subclassing Naive Bayes will determine that X belongs to class Ci if and only if:

$$P(C_i|X) > P(C_j|X)$$
, với mọi $1 \le i, j \le m, j \ne i$

$$P(C_i|X) = \frac{P(X|C_i) \times P(C_i)}{P(X)}$$

❖ According to Bayes' theorem

Since P(X) is constant for all classes, **only the maximum** P(X|Ci) **x** P(Ci) **is needed.** If P(Ci) is **not known, we need to assume** P(C1)=P(C2)=...=P(Cm) and **we will maximize** P(X|Ci). Otherwise, we maximize P(X|Ci) **x** P(Ci)

However, the problem of calculating P(X|Ci) is impossible!

Admit Naïve: assume attribute independence

$$P(X|C_i) = \prod_{k=1}^n P(X_k|C_i)$$

It is possible to approximate P(x1|Ci),...,P(xn|Ci) from the training samples.

If Ak is a qualitative attribute, then P(xk|Ci) = sik/si where sik is the number of training samples of Ci with the value xk for Ak and si is the number of samples belonging to class Ci If Ak is continuous, then it is assumed to have a Gaussian distribution:

$$P(X_k|C_i) = g(x_k, \mu_{C_i}, \sigma_{C_i}) = \frac{1}{\sqrt{2\pi\sigma_{C_i}}} e^{-\frac{(x_k - \mu_{C_i})^2}{2\sigma^2 C_i}}$$

3.1.4 K-Nearest Neighbors

3.1.4.1 K-Nearest Neighbors explain

The k-nearest neighbors algorithm, also known as KNN or K-NN, is a non-parametric, supervised learning classifier, which uses proximity to make classifications or predictions about the grouping of an individual data point. While it can be used for either regression or classification problems, it is typically used as a classification algorithm, working off the assumption that similar points can be found near one another.

For classification problems, a class label is assigned on the basis of a majority vote—i.e. the label that is most frequently represented around a given data point is used. While this is technically considered "plurality voting", the term, "majority vote" is more commonly used in literature. The distinction between these terminologies is that "majority voting" technically requires a majority of greater than 50%, which primarily works when there are only two categories. When you have multiple classes—e.g. four categories, you don't necessarily need 50% of the vote to make a conclusion about a class; you could assign a class label with a vote of greater than 25%.



3.1.4.2 K-nearest neighbors Algorithm

Compute KNN: distance metrics

To recap, the goal of the k-nearest neighbor algorithm is to identify the nearest neighbors of a given query point, so that we can assign a class label to that point. In order to do this, KNN has a few requirements.

Determine your distance metrics

In order to determine which data points are closest to a given query point, the distance between the query point and the other data points will need to be calculated. These distance metrics help to form decision boundaries, which partition query points into different regions. You commonly will see decision boundaries visualized with Voronoi diagrams.

While there are several distance measures that you can choose from, this article will only cover the following:

➤ Euclidean distance (p=2): This is the most commonly used distance measure, and it is limited to real-valued vectors. Using the below formula, it measures a straight line between the query point and the other point being measured.

$$d(x,y) = \sqrt{\sum_{i=1}^{n} (y_i - x_i)^2}$$

➤ Manhattan distance (p=1): This is also another popular distance metric, which measures the absolute value between two points. It is also referred to as taxicab distance or city block distance as it is commonly visualized with a grid, illustrating how one might navigate from one address to another via city streets.

Manhattan Distance =
$$d(x,y) = \left(\sum_{i=1}^{m} |x_i - y_i|\right)$$

➤ Minkowski distance: This distance measure is the generalized form of Euclidean and Manhattan distance metrics. The parameter, p, in the formula below, allows for the creation of other distance metrics. Euclidean distance is represented by this formula when p is equal to two, and Manhattan distance is denoted with p equal to one.

Minkowski Distance =
$$\left(\sum_{i=1}^{n} |x_i - y_i|\right)^{1/p}$$

➤ **Hamming distance:** This technique is used typically used with Boolean or string vectors, identifying the points where the vectors do not match. As a result, 27 | TEAM 13

it has also been referred to as the overlap metric. This can be represented with the following formula:

Hamming Distance =
$$D_H = \left(\sum_{i=1}^k \left|x_i - y_i\right|\right)$$

 $x = y$ $D = 0$
 $x \neq y$ $D \neq 1$

3.2 Experiments on Jupyter Notebook

- > Graph, count, and view label ratios to get an overview of terrorism Success.
- > Build decision properties, with the decision property as Success.
- > Preprocessing before training.

3.2.1 Separating train and test data

Train data accounts for 70%, test accounts for 30%

```
[ ] # Tách dữ liệu train và test
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3, random_state=42)
```

3.2.2 Decision Trees Algorithm

```
import pandas as pd
import numpy as np
import seaborn as sns
from sklearn import tree
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.metrics import classification_report, confusion_matrix, accuracy_score, precision_score, recall_score, f1_score
import time
from datetime import timedelta
from IPython.display import display
pd.set_option('display.max_columns', None)
pd.set_option('display.max_rows', None)
```

```
[ ]
     dt_model = tree.DecisionTreeClassifier(criterion="gini", random_state=0)
     start_dt = time.time()
     dt_pred = dt_model.fit(X_train,y_train).predict(X_test)
     end_dt = time.time()
     times_dt = timedelta(seconds=round(end_dt - start_dt, 4)).total_seconds()
    print("Times: ", times_dt)
    \label{eq:dt_score} dt\_score = round(accuracy\_score(y\_test, dt\_pred)*100,2~)
    accuracy_dt = dt_score
    print("Accuracy: ", accuracy_dt)
     print("Report: ")
     print(classification_report(y_test, dt_pred, digits=5))
```

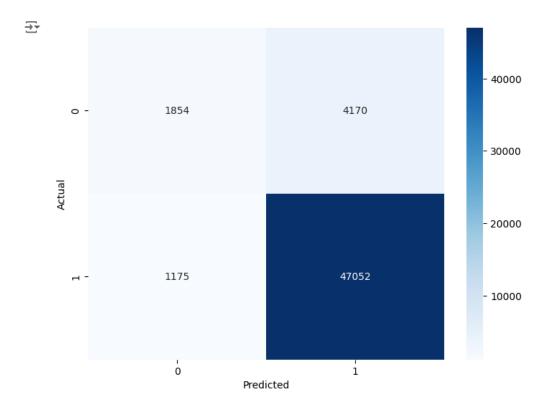
→ Times: 0.2894 Accuracy: 90.15 Report:

	precision	recall	f1-score	support
0	0.61208	0.30777	0.40959	6024
1	0.91859	0.97564	0.94625	48227
accuracy			0.90148	54251
macro avg weighted avg	0.76534 0.88456	0.64170 0.90148	0.67792 0.88666	54251 54251

➤ Algorithm accuracy: 90.15%

➤ Algorithm runtime: 0.2894s

```
# Feature importance
    feature_importance = best_rf_model.feature_importances_
    features = X.columns
    feature_df = pd.DataFrame({'Feature': features, 'Importance': feature_importance}).sort_values(by='Importance', ascending=False)
    # Plot feature importance
    plt.figure(figsize=(10, 6))
    sns.barplot(x='Importance', y='Feature', data=feature_df)
    plt.title('Feature Importance')
    plt.show()
```



Through the confused matrix of the Decision Tree algorithm picture tissue (CART), we know:

➤ Accuracy of the algorithmic Picture tissue: 90.15%

3.2.3 Random Forest algorithm

```
import time
 import pickle
 from sklearn.ensemble import RandomForestClassifier
 from sklearn.metrics import accuracy_score, precision_score, recall_score, f1_score
from datetime import timedelta # Import timedelta
with open('best_params.pkl', 'rb') as f:
    best_params = pickle.load(f)
# Train the model with best parameters
best_rf_model = RandomForestClassifier(**best_params, random_state=42)
best_rf_model.fit(X_train, y_train)
 start_rf = time.time()
 # Predictions
y_pred = best_rf_model.predict(X_test)
end_rf = time.time()
times_rf = timedelta(seconds=round(end_rf - start_rf, 4)).total_seconds()
print("Times: ", times_rf)
rf_score = round(accuracy_score(y_test, y_pred)*100,2 )
accuracy_rf = rf_score
print("Accuracy: ", accuracy_rf)
print("Report: ", classification_report(y_test, y_pred))
```

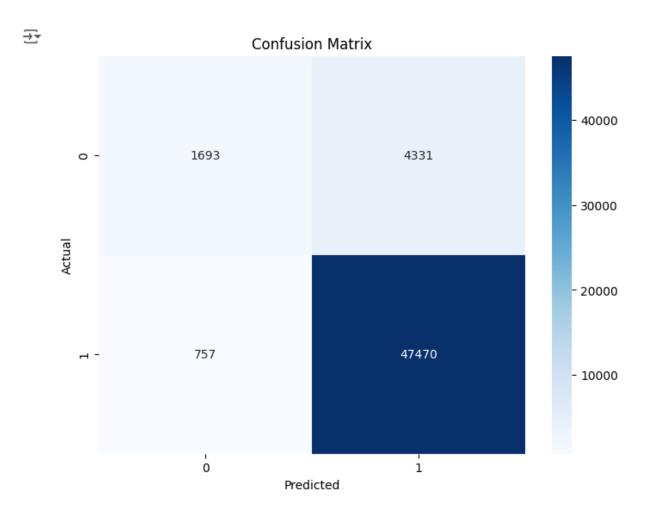
```
→ Times: 0.1707
    Accuracy: 90.62
    Report:
                        precision recall f1-score
                                                    support
                    0.69
                             0.28
                                      0.40
                                             6024
             1
                    0.92
                             0.98
                                      0.95
                                             48227
       accuracy
                                      0.91
                                              54251
      macro avg
                  0.80
                             0.63
                                      0.67
                                              54251
   weighted avg
                    0.89
                             0.91
                                      0.89
                                             54251
```

➤ Algorithm accuracy: 90.62%

➤ Algorithm runtime: 0.1707s

```
[ ] conf_matrix = confusion_matrix(y_test, y_pred)

plt.figure(figsize=(8, 6))
sns.heatmap(conf_matrix, annot=True, fmt="d", cmap="Blues")
plt.title("Confusion Matrix")
plt.xlabel("Predicted")
plt.ylabel("Actual")
plt.show()
```



Through the confused matrix of random forest algorithm picture tissue, we know:

➤ Accuracy of the algorithmic Picture tissue: 90.62%

3.2.4 Naïve Bayes Algorithm

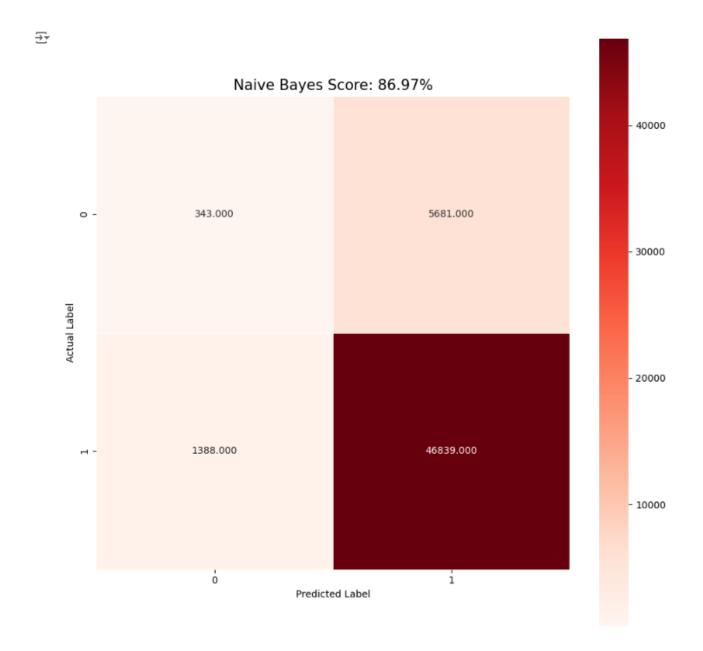
```
[ ] import pickle
  import pandas as pd
  import numpy as np
  import time
  import pickle
  from datetime import timedelta # Import timedelta
  import seaborn as sns
  from sklearn import tree
  import matplotlib.pyplot as plt
  from sklearn.tree import export_graphviz
  from sklearn.ensemble import RandomForestClassifier
  from sklearn.model_selection import train_test_split, RandomizedSearchCV
  from sklearn.metrics import classification_report, confusion_matrix, accuracy_score
```

```
[ ] # Initialize Naive Bayes Algorithms
    from sklearn.naive_bayes import GaussianNB
    nv = GaussianNB()
    start_nv = time.time()
    nv_pred = nv.fit (X_train, y_train).predict(X_test)
    end_nv = time.time()
    times_nv = timedelta(seconds=round(end_nv - start_nv,4)).total_seconds()
    print("Time Naive Bayes: ", times_nv)
    nv_score = round(accuracy_score(y_test, nv_pred)*100,2 )
    accuracy_nv = nv_score
    print("Accuracy: ", accuracy_nv)
    print("Report: ", classification_report(y_test, nv_pred))
```

→ Time Naive Bayes: 0.0383 Accuracy: 86.97 Report: precision recall f1-score support 0.20 0.06 0.09 6024 1 0.89 0.97 0.93 48227 accuracy 0.87 54251 0.54 0.51 54251 macro avg 0.51 0.87 0.84 54251 weighted avg 0.81

- ➤ Algorithm accuracy: 86.97%
- ➤ Algorithm runtime: 0.0383s

```
[ ] # Draw the confusion matrix for the Naive Bayes Algorithms
    nv_cm = confusion_matrix(y_test, nv_pred)
    plt.figure(figsize=(11,11))
    ax=sns.heatmap(nv_cm, annot=True, fmt=".3f", linewidth=.5, square=True, cmap="Reds")
    ax.set_ylabel("Actual Label")
    ax.set_xlabel("Predicted Label")
    title = 'Naive Bayes Score: {0}%'.format(nv_score)
    plt.title(title, size=15)
    plt.show()
```



Through the confused matrix of the Naive Bayes algorithmic Picture tissue, we learn :

> Accuracy of the algorithmic Picture tissue: 86.97%

3.2.5 K-Nearest Neighbors Algorithm

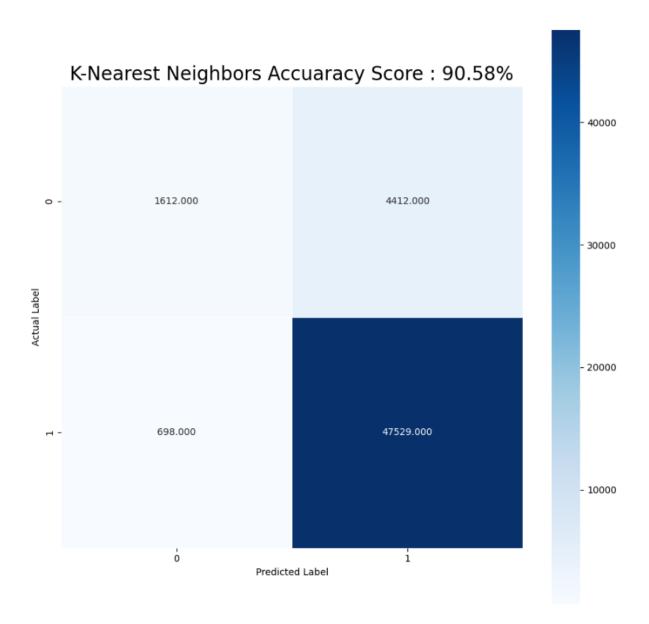
```
[ ] # Initialize KNN Algorithms
    from sklearn.neighbors import KNeighborsClassifier
    import time
    from sklearn.metrics import classification_report
    from datetime import timedelta
    import matplotlib.pyplot as plt
    import sklearn.metrics as metrics
    from sklearn.metrics import accuracy_score
     start_knn=time.time()
    knn_scores=[]
    for i in range(1,12):
        knc=KNeighborsClassifier(i)
        knn_pred=knc.fit(X_train,y_train).predict(X_test)
        knn_scores.append(metrics.accuracy_score(y_test,knn_pred))
        max_knn_score=max (knn_scores)
    knn_scores_ind=[i for i, v in enumerate(knn_scores) if v == max_knn_score]
    times knn=timedelta(seconds=round(end knn-start knn,4)).total seconds()
    print("heighest Accuracy Score : {}{\ with \ k = {}}".format(max\_knn\_score*100,list(map(lambda x:x+1,knn\_scores\_ind))))}
    print("Time", times_knn)
    knn_score=round(max_knn_score*100,2)
    accuracies_max_knn=knn_score
    print("Accuracy",accuracies_max_knn,"%")
    print("Report", metrics.classification_report(y_test,knn_pred))
```

```
\rightarrow heighest Accuracy Score: 90.58081878675047% with k = [11]
    Time 62.0339
    Accuracy 90.58 %
                           precision
                                         recall f1-score
    Report
                                                             support
                         0.70
                                              0.39
                Θ
                                   0.27
                                                         6024
                1
                         0.92
                                    0.99
                                              0.95
                                                        48227
                                              0.91
                                                        54251
         accuracy
                         0.81
                                    0.63
                                              0.67
                                                        54251
       macro avg
    weighted avg
                         0.89
                                   0.91
                                              0.89
                                                        54251
```

➤ Algorithm accuracy: 90.58%

➤ Algorithm runtime: 62.0339s

```
knn_cm=metrics.confusion_matrix(y_test,knn_pred)
plt.figure(figsize=(11,11))
ax= sns.heatmap(knn_cm, annot=True, fmt=".3f",linewidths=.5,square=True,cmap='Blues')
ax.set_ylabel("Actual Label")
ax.set_xlabel("Predicted Label")
title="K-Nearest Neighbors Accuaracy Score : {0}%".format(knn_score)
plt.title(title,size=20)
```



Through the confused matrix of the K-Nearest Neighbors algorithmic Picture tissue, we learn :

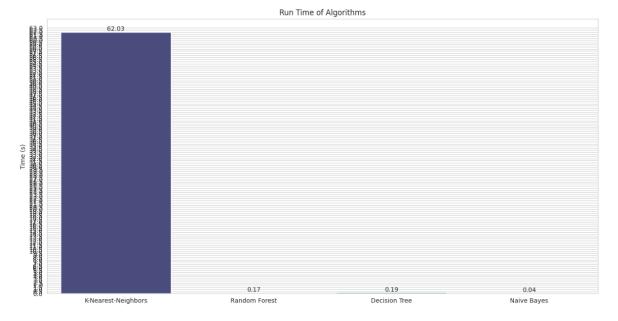
> Accuracy of the algorithmic Picture tissue: 90.58%

3.2.6 Comparison, Evaluation

Use the BarPlot graph to get an overview of runtime and accuracy between algorithms.

Draw a chart comparing the running time of algorithms

```
[ ] #Draw a chart comparing the running time of algorithms
    import seaborn as sns
    import matplotlib.pyplot as plt
    import numpy as np
    # Create a list of algorithms and their running times
    algorithms = ['K-Nearest-Neighbors', 'Random Forest', 'Decision Tree', 'Naive Bayes']
    times = [times_knn, times_rf, times_dt, times_nv]
    sns.set_style('whitegrid')
    plt.figure(figsize=(16,8))
    plt.yticks(np.arange(0, max(times) + 1, 0.5))
    plt.ylabel('Time (s)')
    plt.title('Run Time of Algorithms')
    ax = sns.barplot(x=algorithms, y=times, palette='viridis')
    # Annotate each bar with the running time
    for i, time in enumerate(times):
        ax.annotate(f'{time:.2f}', xy=(i, time), ha='center', va='bottom')
    plt.show()
```



Conclusion on the runtime chart:

- ❖ The Naïve Bayes algorithm is the algorithm with the fastest running time for datasets, with only 0.039s.
- ❖ K-NN algorithm is slowest with 62.0339s.
- Draw a chart comparing the accuracy of algorithms:

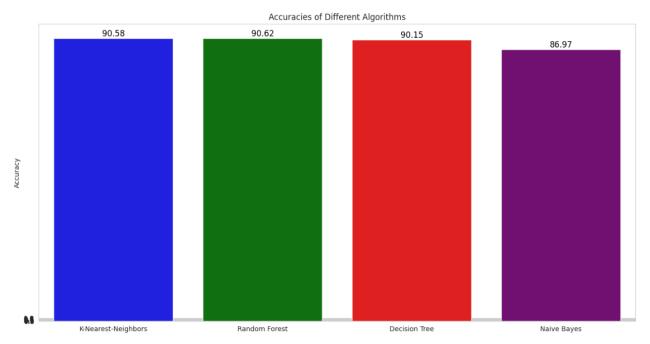
```
#Draw a chart comparing the accuracy of algorithms:

# Create a list of algorithms and their accuracies
algorithms = ['K-Nearest-Neighbors', 'Random Forest', 'Decision Tree', 'Naive Bayes']
accuracies = [accuracies_max_knn, accuracy_rf, accuracy_dt, accuracy_nv]

colors = ['blue', 'green', 'red', 'purple']
sns.set_style('whitegrid')
plt.figure(figsize=(16,8))
plt.yticks(np.arange(0, 1.1, 0.1))
plt.ylabel('Accuracy')
plt.title('Accuracies of Different Algorithms')
ax = sns.barplot(x=algorithms, y=accuracies, palette=colors)

for i, accuracy in enumerate(accuracies):
    ax.annotate(f'{accuracy:.2f}', xy=(i, accuracy), ha='center', va='bottom', fontsize=12, color='black')

plt.show()
```



Conclusion on the accuracy chart:

- ❖ The algorithms all give very high accuracy results, balanced with each other, most of which is 86~90% accuracy.
- ❖ The Naïve Bayes Neighbors algorithm has the lowest accuracy of the four algorithms, with an accuracy of 86.97%.

```
results = pd.DataFrame({
    'Model': ['K-Nearest-Neighbors', 'Random Forest', 'Decision Tree (CART)', 'Naive Bayes'],
    'Score': [ accuracies_max_knn, accuracy_rf, accuracy_dt, accuracy_nv]})
result_df = results.sort_values (by='Score', ascending=False)
result_df = result_df.set_index('Model')
result_df
```



Score

Model	
Random Forest	90.62
K-Nearest-Neighbors	90.58
Decision Tree (CART)	90.15
Naive Bayes	86.97

```
[ ] keys = f1_dict, precision_dict, recall_dict
  metrics = ['F1_Score', 'Precision', 'Recall']
  data = pd.DataFrame(keys)
  data.index = metrics
  data
```



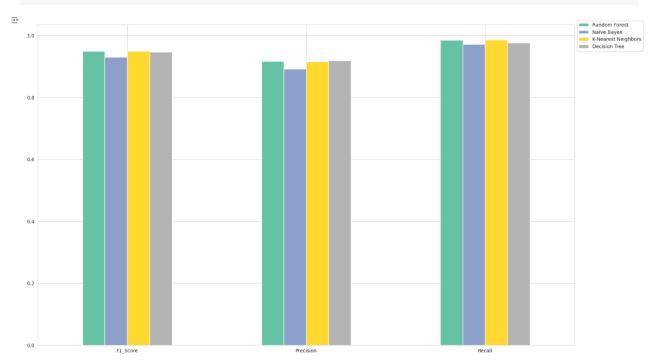
	Random Forest	Naive Bayes	K-Nearest Neighbors	Decision Tree
F1_Score	0.949134	0.929834	0.948986	0.946254
Precision	0.916392	0.891832	0.915057	0.918590
Recall	0.984303	0.971219	0.985527	0.975636

Conclusion on the F1 Score, Precision, Recall chart:

- ❖ The algorithms all give very high **F1 Score** results, balanced with each other, most of which is 92~95%.
- ❖ The algorithms all give very high **Precision** results, balanced with each other, most of which is 89~92%.
- ❖ The algorithms all give very high **Recall** results, balanced with each other, most of which is 97~99%.
- ❖ The Naïve Bayes Neighbors algorithm has the lowest **F1 Score** of the four algorithms, with percentage of 92.98%.

- ❖ The Naïve Bayes Neighbors algorithm has the lowest **Precision** of the four algorithms, with percentage of 89.18%.
- ❖ The Naïve Bayes Neighbors algorithm has the lowest **Recall** of the four algorithms, with percentage of 97.12%.

```
result = data.plot(kind='bar', rot=0, figsize=(20, 12), cmap='Set2');
result.legend(bbox_to_anchor=(1, 1.02), loc='upper left');
```



CHAPTER IV: CONCLUSION

4.1 Advantages and limitations of each algorithm

4.1.1 Decision Tree

Advantages

- The algorithm is simple, intuitive, not too complicated to understand the first time.
- The training dataset doesn't have to be too large to build an analytical model.
- Some decision tree algorithms are capable of processing missing data and faulty data without applying methods such as "imputing missing values" or removing.
 Less affected by the exception data.
- There is no need to make initial assumptions about the laws of distribution as in statistics, and as a result the results of the analysis obtained are the most objective, "natural".
- It can help us classify data objects according to multi-layered, multi-class classifications, especially if the target variable is a complex quantitative distortion.
- Can be applied flexibly to target variables, target variables.
- Delivers highly accurate forecast results, easy to implement, fast in training, no need to switch variables.
- Easy to interpret or explain to listeners, viewers who want to understand the results of analysis but have no knowledge of data science.
- Articulate the connection between variables and data attributes in the most intuitive way.
- In addition to economics, finance, decision tree algorithms can be applied in the fields of health, agriculture, biology.

***** Limitations

• The decision tree algorithm works effectively on a simple dataset that has few data variables that relate to each other, and vice versa if applied to complex datasets.

- When applied with complex datasets, many different variables and attributes can lead to overfitting patterns, which are too consistent with training data leading to the problem of not giving accurate classification results when applied to test data, and new data.
- The variance value is high, when there is a small change in the dataset can affect the structure of the model.
- The tree algorithm decides to apply only to classification trees if misclassification can lead to serious mistakes.
- The tree algorithm decides whether it is likely to be "biased" or biased if the dataset is not balanced.
- Training and testing datasets must be perfectly prepared, good quality must be balanced in layers, groups in target variables.
- There is no technical "support" or "reverse query" capability.

4.1.2 Random Forest

Advantages

Random Forest has several advantages that contribute to its popularity and effectiveness in machine learning tasks.

Robustness: Random Forest is robust against overfitting, which occurs when a model performs well on training data but fails to generalize to new, unseen data. The algorithm's ensemble approach, combined with bootstrapping and feature randomness, helps to reduce overfitting and improve generalization performance.

Versatility: Random Forest can handle a wide range of data types, including numerical and categorical features. It can also handle missing values and outliers without requiring extensive data preprocessing.

Feature Importance: Random Forest provides a measure of feature importance, indicating the relative contribution of each feature to the model's predictions. This information can be used for feature selection, dimensionality reduction, and gaining insights into the underlying data.

Non-linearity and Interactions: Random Forest can capture non-linear relationships between features and the target variable. It can also handle interactions between features, allowing for more complex and expressive modeling capabilities.

Scalability: Random Forest can efficiently handle large datasets with a high number of features. The algorithm's parallelizability makes it suitable for parallel and distributed computing environments, enabling faster training and prediction times.

Resistance to Noise: Random Forest is less affected by noisy data compared to individual decision trees. By aggregating predictions from multiple trees, the impact of noise is mitigated, leading to more reliable results.

& Limitations:

Model Interpretability: Random Forest models can be less interpretable compared to individual decision trees. As the algorithm combines multiple trees, understanding the exact decision-making process can be more challenging.

Computationally Intensive: Training a Random Forest model can be computationally expensive, especially for large datasets with numerous features. The algorithm constructs multiple decision trees, which increases the overall training time and memory requirements.

Memory Usage: Random Forest models consume more memory compared to simpler algorithms. As each decision tree is stored separately, the memory footprint of the model can become substantial, particularly when dealing with a large number of trees or complex datasets.

Overfitting in Noisy Data: While Random Forest is generally robust to overfitting, it can still be affected by noise or outliers in the data. Noisy features can lead to overfitting, where individual trees capture spurious patterns in the data.

Biased Class Distribution: Random Forest may struggle with imbalanced class distributions, where one class is significantly more prevalent than others. The algorithm can have a bias towards the majority class, resulting in poorer performance for minority classes.

Training Time Sensitivity: Random Forest training can be sensitive to the choice of hyperparameters, such as the number of trees or the depth of each tree. Finding the optimal set of hyperparameters can require some experimentation and tuning.

4.1.3 Naïve Bayes

Advantages

- Independent assumptions: works well for multiple problems/data domains and applications.
- Simple but good enough to solve many problems such as text layering, spam filtering
- Easy to use and fast when it comes to guessing the label of test data. It's pretty good in multi-class prediction (test later).
- When assuming that the features of the data are independent of each other, Naive Bayes runs better than other algorithms such as logistic regression and also needs less data.
- Allows the succession of prior knowledge and observed data.
- It is good that there is a numerical difference between the classification classes.
- Model training (parameter estimation) is easy and fast.

\Delta Limitations:

- The accuracy of Naive Bayes compared to other algorithms is not high.
- In the real world, it is almost impossible when the features of test data are independent of each other.
- Problem zero (stated how to solve it above).
- The model is not trained by a strong and rigorous optimization method.
- The parameters of the model are estimates of the probability of single conditions.
 Do not take into account the interaction between these estimates.

4.1.4 K-Nearest Neighbors

Advantages

Easy to implement: Given the algorithm's simplicity and accuracy, it is one of the first classifiers that a new data scientist will learn.

Adapts easily: As new training samples are added, the algorithm adjusts to account for any new data since all training data is stored into memory.

Few hyperparameters: KNN only requires a k value and a distance metric, which is low when compared to other machine learning algorithms.

! Limitations

Does not scale well: Since KNN is a lazy algorithm, it takes up more memory and data storage compared to other classifiers. This can be costly from both a time and money perspective. More memory and storage will drive up business expenses and more data can take longer to compute. While different data structures, such as Ball-Tree, have been created to address the computational inefficiencies, a different classifier may be ideal depending on the business problem.

Curse of dimensionality: The KNN algorithm tends to fall victim to the curse of dimensionality, which means that it doesn't perform well with high-dimensional data inputs. This is sometimes also referred to as the peaking phenomenon (PDF, 340 MB), where after the algorithm attains the optimal number of features, additional features increases the amount of classification errors, especially when the sample size is smaller.

Prone to overfitting: Due to the "curse of dimensionality", KNN is also more prone to overfitting. While feature selection and dimensionality reduction techniques are leveraged to prevent this from occurring, the value of k can also impact the model's behavior. Lower values of k can overfit the data, whereas higher values of k tend to "smooth out" the prediction values since it is averaging the values over a greater area, or neighborhood. However, if the value of k is too high, then it can underfit the data.

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