

```
In[*]:= ClearAll
Out[*]=
ClearAll
```

## biological parameters

```
In[*]:= c = 299 792 458 ;
hb = 1.0545715964207855 * 10^-34;
e0 = 8.85 * 10^-12;
re = 2.82 * 10^-13 * 10^-2;
q = 1.602 * 10^-19;

In[*]:= wsig = 9 * 10^3 * q / hb;

In[*]:= λsig = 2 * Pi * c / wsig;

In[*]:= f1C = 6.01; f1N = 7.02; f1H = 1; f1O = 8.04; f1S = 16.27; f1CI = 17.31;

In[*]:= AC = 12.011; AN = 14.007; AH = 1.008; AO = 15.999; AS = 32.06; ACI = 35.45;
NA = 6.022 * 10^23;
cmCubeToMeterCube = 100^3;

In[*]:= phase[sH_, sC_, sN_, sO_, sS_, sCI_, thickness_, materialDensity_, λ_] :=
  
$$\left(\frac{2\pi}{\lambda}\right) * \text{thickness} * \left(\frac{re}{2\pi}\right) * \text{materialDensity} * NA * \\ \left(\frac{1}{sH * AH + sC * AC + sN * AN + sO * AO + sS * AS + sCI * ACI}\right) * \\ (sH * f1H + sC * f1C + sN * f1N + sO * f1O + sS * f1S + sCI * f1CI) * \lambda^2 * \text{cmCubeToMeterCube}$$


In[*]:= phase[48.6, 32.9, 8.9, 8.9, 0.6, 0, 5 * 10^-9, 1.35, λsig]
Out[*]=
0.000843499
```

## cropping functions

```
In[*]:= Clear[lowerleft]
lowerleft =
  Function[biosample, For[i = 1, i < 0.2 * Dimensions[biosample][[1]], i++, For[j = 1,
    j < 0.2 * Dimensions[biosample][[2]], j++, If[biosample[[i, j]] == 0, Break[]]];
  If[biosample[[i, j]] == 0, Break[]]];
  {i, j}] (*{minindex1,minindex2}*);

In[*]:= Clear[upperright]
upperright = Function[biosample, For[i = Floor[0.8 * Dimensions[biosample][[1]],
  i < Dimensions[biosample][[1]], i++, For[j = Floor[0.8 * Dimensions[biosample][[2]],
  j < Dimensions[biosample][[2]], j++, If[biosample[[i, j]] == 1, Break[]]]];
  {i, j}] (*{maxindex1,maxindex2}*);
```

```

In[*]:= Clear[cropping]
cropping[biosample_] := ImageData[
  ImageTake[Image[biosample], {Dimensions[biosample][[1]] - upperright[biosample][[1]] + 1,
    Dimensions[biosample][[1]] - lowerleft[biosample][[1]] + 1},
    {lowerleft[biosample][[2]], upperright[biosample][[2]]}]

```

# uploading the biological features and assigning them the biological data

upload the folded protein pattern

```

In[*]:= Clear[foldedProtein]
foldedProtein =
  Import["G:\\Haim\\SU 11 project\\papers\\Imaging\\My paper\\codes\\biological
    imaging\\biological features\\foldedProtein.JPG"];

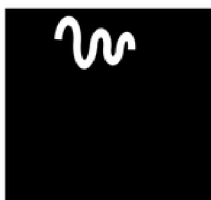
```

```

In[*]:= temp = foldedProtein;
foldedProtein = ImageResize[temp, 150] (*ImageResize[temp, 150] *)

```

Out[\*]=



```

In[*]:= Clear[temp]
temp = foldedProtein;
foldedProtein = ImageData[ColorConvert[temp, "Grayscale"]];

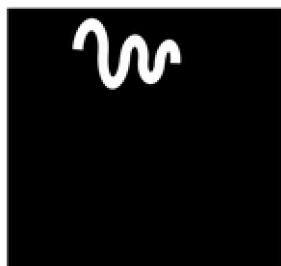
```

```

In[*]:= Image[foldedProtein]

```

Out[\*]=



```

In[ ]:= Clear[temp]
temp = cropping[foldedProtein];
Clear[foldedProtein]
foldedProtein =
  Table[temp[[i, j]], {i, 1, Dimensions[temp][[1]]}, {j, 1, Dimensions[temp][[2]]}];

```

```

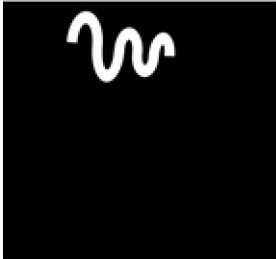
In[ ]:= Image[foldedProtein]

```

```

Out[ ]:=

```



assign corresponding refractive coefficients to the folded protein pattern

```

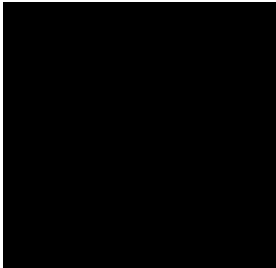
In[ ]:= Clear[temp]
temp = foldedProtein;
biosample01 = temp * phase[48.6, 32.9, 8.9, 8.9, 0.6, 0, (5 * 5 / 2) * 10^-9, 1.35, λsig];
Image[biosample01]
Image[biosample01 / Max[biosample01]]

```

```

Out[ ]:=

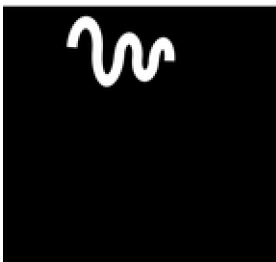
```



```

Out[ ]:=

```



```

(*1. Import, Resize, and Convert to Grayscale*)
ClearAll[foldedProtein];
SetDirectory["G:\\Haim\\SU 11 project\\papers\\Imaging\\My
  paper\\codes\\biological imaging\\biological features"];

(*Import the image and resize it to 150 pixels width*)
foldedProtein = Import["foldedProtein.JPG"] // ImageResize[#, 150] &;

(*Convert to Grayscale and extract numerical ImageData for mathematical processing*)
foldedProteinData = ImageData[ColorConvert[foldedProtein, "Grayscale"]];

(*2. Dimension Checks (if needed for subsequent steps)*)
Print["Dimensions: ", Dimensions[foldedProteinData]];
(*Example:{143,150}*)

(*3. Cropping*)
(*Apply the pre-defined 'cropping' function and update the main variable*)
foldedProteinData = cropping[foldedProteinData];

(*Print["Cropped Dimensions: ", Dimensions[foldedProteinData]];
Image[foldedProteinData] (*Display the cropped image*)
*)

(*4. Create the Bio Sample*)
(*Multiply the image data by the pre-defined 'phase' function*)
biosample01 =
  foldedProteinData * phase[48.6, 32.9, 8.9, 8.9, 0.6, 0, (5 * 5 / 2) * 10^-9, 1.35,  $\lambda$ sig];

(*Display the processed sample image*)
Image[biosample01]
(*Display the normalized image for better visualization*)
Image[biosample01 / Max[biosample01]]

```

## upload the small protein pattern

```

In[ ]:= Clear[twoSmallProteins]
twoSmallProteins =
  Import["G:\\Haim\\SU 11 project\\papers\\Imaging\\My paper\\codes\\biological
    imaging\\biological features\\twoSmallProteins.JPG"];

In[ ]:= Clear[temp]
temp = twoSmallProteins;
twoSmallProteins = ImageResize[temp, 150] (*ImageResize[temp, 150] *)

```

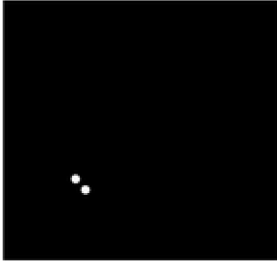
Out[ ]:=



```
In[*]:= Clear[temp]
temp = twoSmallProteins;
twoSmallProteins = ImageData[ColorConvert[temp, "Grayscale"]];
```

```
In[*]:= Image[twoSmallProteins]
```

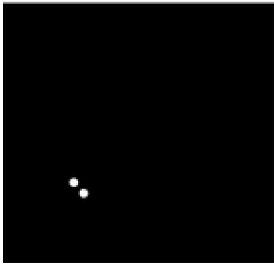
Out[\*]=



```
In[*]:= Clear[temp]
temp = cropping[twoSmallProteins];
Clear[twoSmallProteins]
twoSmallProteins =
  Table[temp[[i, j]], {i, 1, Dimensions[temp][[1]]}, {j, 1, Dimensions[temp][[2]]};
```

```
In[*]:= Image[twoSmallProteins]
```

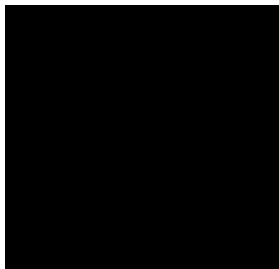
Out[\*]=



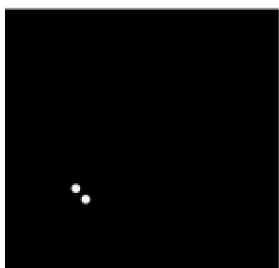
## assign corresponding refractive coefficients to the small protein pattern

```
In[ ]:= Clear[temp]
temp = twoSmallProteins;
biosample02 = temp * phase[48.6, 32.9, 8.9, 8.9, 0.6, 0, (3 * 5 / 2) * 10^-9, 1.35, λsig];
Image[biosample02]
Image[biosample02 / Max[biosample02]]
```

Out[ ]:=



Out[ ]:=



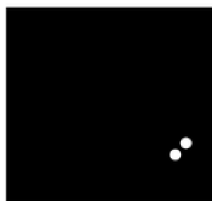
## upload the large protein pattern

```
In[ ]:= Clear[twoLargeProteins]
twoLargeProteins =
  Import["G:\\Haim\\SU 11 project\\papers\\Imaging\\My paper\\codes\\biological
    imaging\\biological features\\twoLargeProteins.JPG"];

```

```
In[ ]:= Clear[temp]
temp = twoLargeProteins;
twoLargeProteins = ImageResize[temp, 150] (*ImageResize[temp, 150] *)
```

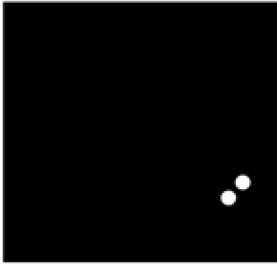
Out[ ]:=



```
In[ ]:= Clear[temp]
temp = twoLargeProteins;
twoLargeProteins = ImageData[ColorConvert[temp, "Grayscale"]];
```

```
In[ ]:= Image[twoLargeProteins]
```

```
Out[ ]:=
```



```
In[ ]:= Clear[temp]
```

```
temp = cropping[twoLargeProteins];
```

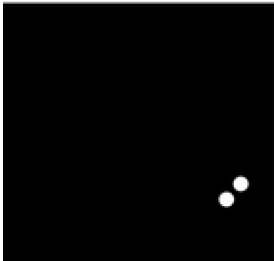
```
Clear[twoLargeProteins]
```

```
twoLargeProteins =
```

```
Table[temp[[i, j]], {i, 1, Dimensions[temp][[1]]}, {j, 1, Dimensions[temp][[2]]};
```

```
In[ ]:= Image[twoLargeProteins]
```

```
Out[ ]:=
```



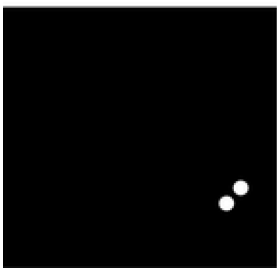
assigncorrespondingrefractivecoefficients to the largeprotein  
pattern

```
In[ ]:= Clear[temp]
temp = twoLargeProteins;
biosample03 = temp * phase[48.6, 32.9, 8.9, 8.9, 0.6, 0, (5 * 5 / 2) * 10^-9, 1.35, λsig];
Image[biosample03]
Image[biosample03 / Max[biosample03]]
```

Out[ ]:=



Out[ ]:=

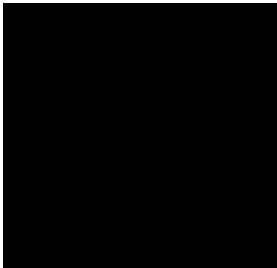


assigncorrespondingrefractivecoefficients to the lipidlayer

```
In[ ]:= lipid =
Table[phase[62.5, 31.5, 0, 6.3, 0, 0, 45 * 10^-9, 1, λsig], {i, 1, 139}, {j, 1, 144}];
```

```
In[ ]:= Image[lipid]
```

Out[ ]:=



assigncorrespondingrefractivecoefficients to the licecube

```
In[ ]:= water = Table[phase[2, 0, 0, 1, 0, 0, 5 * 10^-6, 0.92, λsig], {i, 1, 139}, {j, 1, 144}];
```



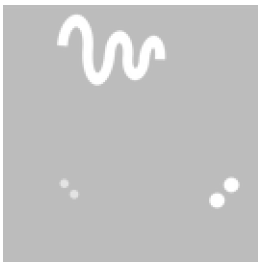
```
In[ ]:= Image[water]
Out[ ]=
```



## creating the total biological sample

```
In[ ]:= Clear[totalbiosample]
totalbiosample = biosample01 + biosample02 + biosample03 + lipid(*+water*);

In[ ]:= Clear[totalbiosample]
totalbiosample = ImageData[%292];
Image[totalbiosample / Max[totalbiosample]]
Out[ ]=
```



```
In[ ]:= Image[1 - (totalbiosample / Max[totalbiosample])]
Out[ ]=
```



```
In[ ]:= Clear[totalimageBG]
totalimageBG = Table[phase[2, 0, 0, 1, 0, 0, 5 * 10^-6, 0.92, λsig],
  {i, 1, Dimensions[totalbiosample][[1]]}, {j, 1, Dimensions[totalbiosample][[2]]}]
(* this is for 5 micron water *);

In[ ]:= Clear[temp]
temp = totalbiosample;
totalbiosample = temp + totalimageBG;
```

```
In[*]:= Image[totalbiosample]
```

```
Out[*]=
```



```
In[*]:= totalbiosample
```

```
Out[*]=
```

```
{ { 0.605691, 0.605691, 0.605691, 0.605691, ... 126 ... ,
  0.605691, 0.605691, 0.605691, 0.605691 }, ... 132 ... , { ... 1 ... } }
```

[large output](#)
[show less](#)
[show more](#)
[show all](#)
[set size limit...](#)

```
In[*]:= Image[totalbiosample / Max[totalbiosample]]
```

```
Out[*]=
```

```
In[*]:= Image[1 - (totalbiosample / Max[totalbiosample])]
```

```
Out[*]=
```



# creating a matrix for the signal (“S”) angular deviations

the object pixel size must be smaller than the imaging resolution →

$$\frac{\text{FOV\_sig}}{\text{minimal resolution}} = \frac{10^{-6}}{10^{-9}} = 10^3 < \text{number of object 1D pixels}$$

```

In[ ]:=  $\sigma_{\theta 0} = 4.13 \times 10^{-6}$ 
        (*  $\sigma_{\theta}$  should be of the order of  $0.77 \times \text{objXpixel}$  to achieve the Rayleigh limit *)
 $\theta_{p0} = -1.1556175944769262`$ ;
 $k_s = 4.559401012488846` \times 10$ ;
 $k_p = 4.560414567875652` \times 10$ ;
 $k_i = 2.446282748793892` \times 7$ ;

In[ ]:=  $f_s = 0.003$ ;

In[ ]:=  $\text{res} = \frac{f_s k_p \sigma_{\theta 0}}{k_s \times \text{Sec}[\theta_{p0}]}$ 

Out[ ]:=
 $4.99866 \times 10^{-9}$ 

In[ ]:=  $\text{pixelsize} = 0.5 \times \text{res}$  (* the smallest separation in my image is 2 pixels than
        we need to multiply by 0.5 for that separation to correspond to 5 nm *)

Out[ ]:=
 $2.49933 \times 10^{-9}$ 

In[ ]:=  $\text{angularPixel} = 0.5 \times \text{res} / f_s$ 

Out[ ]:=
 $8.3311 \times 10^{-7}$ 

In[ ]:=  $2 \times \text{angularPixel} / \sigma_{\theta 0}$ 

Out[ ]:=
0.403443

In[ ]:=  $\text{angularPixel} \times (\text{Dimensions}[\text{totalbiosample}][[1]])$ 

Out[ ]:=
0.000111637

In[ ]:=  $\delta s_{\theta \text{min}} = -\text{angularPixel} \times (\text{Dimensions}[\text{totalbiosample}][[1]]) / 2$ 
 $\delta s_{\theta \text{max}} = \text{angularPixel} \times (\text{Dimensions}[\text{totalbiosample}][[1]]) / 2$ 

Out[ ]:=
-0.0000558184

Out[ ]:=
0.0000558184

In[ ]:=  $\text{ScientificForm}[\delta s_{\theta \text{max}}]$ 

Out[ ]//ScientificForm=
 $5.58184 \times 10^{-5}$ 

```

```

In[*]:=  $\delta s_{\theta y_{\min}} = -\text{angularPixel} * (\text{Dimensions}[\text{totalbiosample}][[2]]) / 2$ 
 $\delta s_{\theta y_{\max}} = \text{angularPixel} * (\text{Dimensions}[\text{totalbiosample}][[2]]) / 2$ 
Out[*]=
-0.0000558184

Out[*]=
0.0000558184

In[*]:= jmax = Dimensions[totalbiosample][[2]];
jmin = 1;
imax = Dimensions[totalbiosample][[2]];
imin = 1;

In[*]:=  $(\delta s_{\theta x_{\max}} - \delta s_{\theta x_{\min}}) / (imax - imin + 1)$ 
Out[*]=
 $8.3311 \times 10^{-7}$ 

In[*]:= objXpixel =  $(\delta s_{\theta x_{\max}} - \delta s_{\theta x_{\min}}) / (imax - imin + 1)$ 
(* this should TURN OUT TO BE EQUAL to angularPixel *)
Out[*]=
 $8.3311 \times 10^{-7}$ 

In[*]:= N[objXpixel]
Out[*]=
 $8.3311 \times 10^{-7}$ 

In[*]:= objYpixel =  $(\delta s_{\theta y_{\max}} - \delta s_{\theta y_{\min}}) / (jmax - jmin + 1)$ 
(* this should TURN OUT TO BE EQUAL to angularPixel *)
Out[*]=
 $8.3311 \times 10^{-7}$ 

In[*]:= N[objYpixel]
Out[*]=
 $8.3311 \times 10^{-7}$ 

In[*]:=  $\delta s_{\theta x} = \text{Range}[\delta s_{\theta x_{\min}} * 0.995, \delta s_{\theta x_{\max}} * 0.995, \text{objXpixel}];$ 
Dimensions[ $\delta s_{\theta x}$ ]
Out[*]=
{134}

In[*]:=  $\delta s_{\theta y} = \text{Range}[\delta s_{\theta y_{\min}} * 0.995, \delta s_{\theta y_{\max}} * 0.995, \text{objYpixel}];$ 
Dimensions[ $\delta s_{\theta y}$ ]
Out[*]=
{134}

In[*]:= N[ $129 * (5 * 10^{-9}) / 2$ ] (* this is the FOV of this image in meters *)
Out[*]=
 $3.225 \times 10^{-7}$ 

```

creating a matrix for the idelr (“I”) angular

## deviations

```

In[*]:=  $\delta i_{xmin} = \delta s_{\theta xmin} * k_s / k_i$ 
          $\delta i_{xmax} = \delta s_{\theta xmax} * k_s / k_i$ 
          $\delta i_{ymin} = \delta s_{\theta ymin} * k_s / k_i$ 
          $\delta i_{ymax} = \delta s_{\theta ymax} * k_s / k_i$ 

Out[*]=
-0.104035

Out[*]=
0.104035

Out[*]=
-0.104035

Out[*]=
0.104035

In[*]:=  $imageXpixel = (\delta i_{xmax} - \delta i_{xmin}) / (imax - imin + 1)$ 

Out[*]=
0.00155276

In[*]:=  $\delta i_{\theta} = \text{Range}[\delta i_{xmin} * 0.995, \delta i_{xmax} * 0.995, imageXpixel];$ 
          $\text{Dimensions}[\delta i_{\theta}]$ 

Out[*]=
{134}

In[*]:=  $imageYpixel = (\delta i_{ymax} - \delta i_{ymin}) / (jmax - jmin + 1)$ 

Out[*]=
0.00155276

In[*]:=  $\delta i_{\theta y} = \text{Range}[\delta i_{ymin} * 0.995, \delta i_{ymax} * 0.995, imageYpixel];$ 
          $\text{Dimensions}[\delta i_{\theta y}]$ 

Out[*]=
{134}

In[*]:=  $\text{Dimensions}[\delta i_{\theta y}][[1]]$ 

Out[*]=
134

```

## writing the input pump function

writing the matrix of the idler angular deviations based on the pump beam width

```

In[*]:= Clear[func]

func[ $\sigma_{\theta p}$ _, i_, j_, m_, n_] := (*  $\frac{1}{\sqrt{2 * \pi} \sigma_{\theta p}}$  **) e $-\frac{((k_i \delta i_{\theta x}[n] + k_s \delta s_{\theta x}[i])^2 + (k_i \delta i_{\theta y}[n] + k_s \delta s_{\theta y}[j])^2) \text{Sec}[\theta p]^2}{k_p^2 \sigma_{\theta p}^2}}$ 

```

## writing the matrix of the idler image

part 1:

```

In[*]:= (* nij = (#nPDC per unit area)*(area of the ENTIRE object) *)


In[*]:= Dimensions[ $\delta i \theta y$ ]


Out[*]=
{134}

In[*]:= Clear[normalization]
normalization[ $\sigma \theta p$ _] := ParallelTable[
  Sum[func[ $\sigma \theta p$ , i, j, m, n], {i, 1, Dimensions[ $\delta s \theta x$ ][[1]]}, {j, 1, Dimensions[ $\delta s \theta y$ ][[1]]},
    {m, 1, Dimensions[ $\delta i \theta x$ ][[1]]}, {n, 1, Dimensions[ $\delta i \theta y$ ][[1]]}];

In[*]:= Clear[sf]
sf[ $\sigma \theta p$ _] := (1 / normalization[ $\sigma \theta p$ ]) *
  ParallelTable[Sum[(*2* $\frac{nPDC}{objarea}$ **)Sin[totalbiosample[[i, j]] * func[ $\sigma \theta p$ , i, j, m, n],
    {i, 1, Dimensions[ $\delta s \theta x$ ][[1]]}, {j, 1, Dimensions[ $\delta s \theta y$ ][[1]]}],
    {m, 1, Dimensions[ $\delta i \theta x$ ][[1]]}, {n, 1, Dimensions[ $\delta i \theta y$ ][[1]]}];

In[*]:= Image[Abs[1 - totalimageBG]]
Image[Abs[totalimageBG]]
Clear[sbg]
sbg[ $\sigma \theta p$ _] := (1 / normalization[ $\sigma \theta p$ ]) *
  ParallelTable[Sum[(*2* $\frac{nPDC}{objarea}$ **)Sin[totalimageBG[[i, j]] * func[ $\sigma \theta p$ , i, j, m, n],
    {i, 1, Dimensions[ $\delta s \theta x$ ][[1]]}, {j, 1, Dimensions[ $\delta s \theta y$ ][[1]]}],
    {m, 1, Dimensions[ $\delta i \theta x$ ][[1]]}, {n, 1, Dimensions[ $\delta i \theta y$ ][[1]]}];

Out[*]=


Out[*]=


```

```

In[*]:= Clear[addΔtotal]
addΔtotal[q_, n1_, objarea_] :=
  ParallelTable[RandomVariate[NormalDistribution[0, Sqrt[2 * (1 + q) *  $\frac{n1}{objarea}$ ]]],
    {m, 1, Dimensions[δiex][[1]]}, {n, 1, Dimensions[δiex][[1]]}] (*  $e^{-(x-\mu)^2/(2\sigma^2)}$ ),
    x→noisesf[[m,n]], μ[[m,n]]=0, σ2=Δ2sf[[m,n]]+Δ2sbg[[m,n]]=2* $\frac{nPDC}{objarea}$  + 2* $\frac{nPDC}{objarea}$  *) ;

```

part 2:

```

In[*]:= Clear[Sidler]
Sidler[σep_] := sf[σep] - sbg[σep];

```

## choosing Region Of Interest (ROI):

```

In[*]:= SidlerNσep0 = Sidler[σep0];

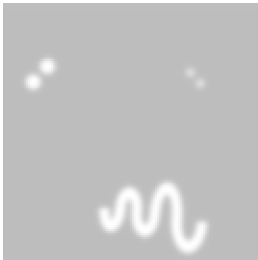
```

```

In[*]:= Image[SidlerNσep0 / Max[Image[SidlerNσep0]]]

```

Out[\*]=



```

In[*]:= Clear[SidlerROIIn]
SidlerROIIn[i1_, i2_, j1_, j2_] :=
  ImageData[ImageTake[Image[SidlerNσep0 (* / Max[SidlerNσep0] *)],
    {Dimensions[δiex][[1]] - i2 + 1, Dimensions[δiex][[1]] - i1 + 1},
    {Dimensions[δiex][[1]] - j2 + 1, Dimensions[δiex][[1]] - j1 + 1}]]

```

```

In[*]:= Clear[addΔtotalROIIn]
addΔtotalROIIn[q_, n1_, i1_, i2_, j1_, j2_] :=
  ImageData[ImageTake[Image[addΔtotal[q, n1, 1]],
    {Dimensions[δiex][[1]] - i2 + 1, Dimensions[δiex][[1]] - i1 + 1},
    {Dimensions[δiex][[1]] - j2 + 1, Dimensions[δiex][[1]] - j1 + 1}]]

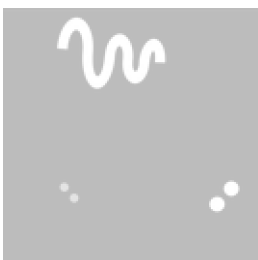
```

```

In[*]:= Image[(totalbiosample - totalimageBG) / Max[totalbiosample - totalimageBG]]

```

Out[\*]=



```

In[*]:= Clear[i1Folded, i2Folded, j1Folded, j2Folded, rowMinFolded, rowMaxFolded]

In[*]:= rowMinFolded = 69;
rowMaxFolded = 134;

i1Folded = Dimensions[ $\delta i \otimes x$ ][[1]] - rowMaxFolded + 1
i2Folded = Dimensions[ $\delta i \otimes x$ ][[1]] - rowMinFolded + 1
j1Folded = 24; (* the most left column *)

In[*]:= Clear[foldedProteinData]
foldedProteinData = ImageData[ImageTake[Image[(totalbiosample - totalimageBG)],
    {i1Folded, i2Folded}, {j1Folded, j2Folded}]];

Image[foldedProteinData / Max[foldedProteinData]]

```

Out[\*]=



## Fourier transforming the folded protein

```

In[*]:= Clear[SidlerROInFolded]
SidlerROInFolded = SidlerROIn[i1Folded, i2Folded, j1Folded, j2Folded];

Clear[qj]
qj = Table[q, {q, {1, 5, 25}}];

Clear[n1]
n1 = Table[NPDC, {NPDC, 10^5, 1 * 10^8, 1.999 * 10^6}];

In[*]:= Clear[a1folded]
a1folded = ParallelTable[Fourier[2 * n1[[j]] * Sqrt[qj[[i]]] * SidlerROInFolded +
    add $\Delta$ totalROIn[qj[[i]], n1[[j]], i1Folded, i2Folded, j1Folded, j2Folded],
    FourierParameters  $\rightarrow$  {1, 1}], {i, 1, Dimensions[qj][[1]]}, {j, 1, Dimensions[n1][[1]]}]

```

Out[\*]=

{ ... 1 ... }

large output
show less
show more
show all
set size limit...



```
In[ ]:= a1folded = ParallelTable[RotateRight[a1folded[[i]][j], Floor[
  ({Dimensions[foldedProteinData][2], Dimensions[foldedProteinData][1]} - 1) / 2]],
  {i, 1, Dimensions[qj][1]}, {j, 1, Dimensions[n1][1]}]
```

Out[ ]:=

{ ... 1 ... }				
large output	show less	show more	show all	set size limit...

```
In[ ]:= Clear[a2folded]
a2folded = ParallelTable[Fourier[2 * n1[[j]] * Sqrt[qj[[i]]] * SidlerROInFolded +
  addDeltaTotalROIn[qj[[i]], n1[[j]], i1Folded, i2Folded, j1Folded, j2Folded],
  FourierParameters -> {1, 1}], {i, 1, Dimensions[qj][1]}, {j, 1, Dimensions[n1][1]}]
```

Out[ ]:=

{ ... 1 ... }				
large output	show less	show more	show all	set size limit...

```
In[ ]:= a2folded = ParallelTable[RotateRight[a2folded[[i]][j], Floor[
  ({Dimensions[foldedProteinData][2], Dimensions[foldedProteinData][1]} - 1) / 2]],
  {i, 1, Dimensions[qj][1]}, {j, 1, Dimensions[n1][1]}]
```

Out[ ]:=

{ ... 1 ... }				
large output	show less	show more	show all	set size limit...

## creating a search ring filter in the Fourier space

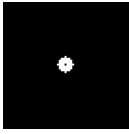
```
In[ ]:= Clear[sign]
sign[i_, j_, min_, max_] := If[(i - (Floor[Dimensions[foldedProteinData][1] / 2]))^2 +
  (j - (Floor[Dimensions[foldedProteinData][2] / 2]))^2 >= min^2 &&
  (i - (Floor[Dimensions[foldedProteinData][1] / 2]))^2 +
  (j - (Floor[Dimensions[foldedProteinData][2] / 2]))^2 <= max^2, 1, 0]
```

```
In[ ]:= Clear[pp]
pp = Table[0, {i, 1, Dimensions[foldedProteinData][1]},
  {j, 1, Dimensions[foldedProteinData][2]}];
```

```
For[i = 1, i <= Dimensions[foldedProteinData][1],
  i++, For[j = 1, j <= Dimensions[foldedProteinData][2],
    j++, pp[[i, j]] = (*ppp[[i, j]]**) sign[i, j, 1, 4]]]
```

```
In[ ]:= Image[pp]
```

```
Out[ ]:=
```



```
In[ ]:= Clear[numpix, halfBit]
```

```
In[ ]:= numpix[min_, max_] := Floor[Pi * (max^2 - min^2)];
```

```
halfBit[min_, max_] :=
```

```
(0.2071 + 1.9102 / (Sqrt[numpix[min, max]])) / (1.2071 + 0.97102 / (Sqrt[numpix[min, max]]));
```

```
halfBitTable = Table[halfBit[min, min + Δr],
```

```
{min, 1, Floor[Dimensions[foldedProteinData][[2]] / 2]}, {Δr, 1, 4}];
```

## plotting at different exposures

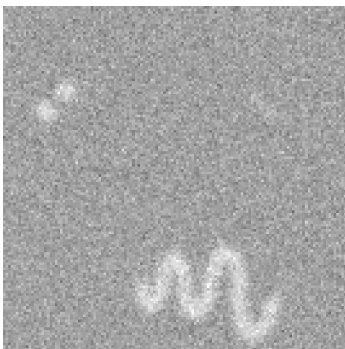
```
In[ ]:= NPDCs = Table[NPDC, {NPDC, {5 * 10^6, 5 * 10^8, 7.07143 * 10^7}}];
```

```
In[ ]:= image1 = NPDCs[[1]] * SidlerNoise0 + addΔtotalROIIn[NPDCs[[1]],
```

```
1, Dimensions[SidlerNoise0][[1]], 1, Dimensions[SidlerNoise0][[2]]];
```

```
Image[image1 / Max[image1]]
```

```
Out[ ]:=
```

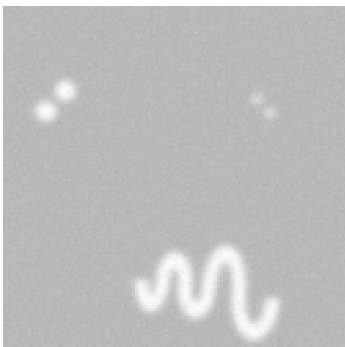


```
In[ ]:= image4 = NPDCs[[4]] * SidlerNoise0 + addΔtotalROIIn[NPDCs[[4]],
```

```
1, Dimensions[SidlerNoise0][[1]], 1, Dimensions[SidlerNoise0][[2]]];
```

```
Image[image4 / Max[image4]]
```

```
Out[ ]:=
```

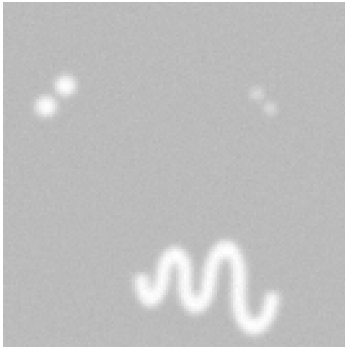


```

In[ ]:= image7 = NPDCs[[7]] * SidlerNσep0 + addΔtotalROIIn[NPDCs[[7]],
    1, Dimensions[SidlerNσep0][[1]], 1, Dimensions[SidlerNσep0][[2]]];
Image[image7 / Max[image7]]

```

Out[ ]:=



showing the ROI image of the the proteins:

```

In[ ]:= Image[SidlerROIIn[i1Folded, i2Folded, j1Folded, j2Folded] /
    Max[SidlerROIIn[i1Folded, i2Folded, j1Folded, j2Folded]]]

```

Out[ ]:=



## FRC of the folded protein:

```

Clear[p1, p2]
p1 = {50, 29, 8};
p2 = {30, 18, 5};

Clear[Δr]
Δr = 3;

```

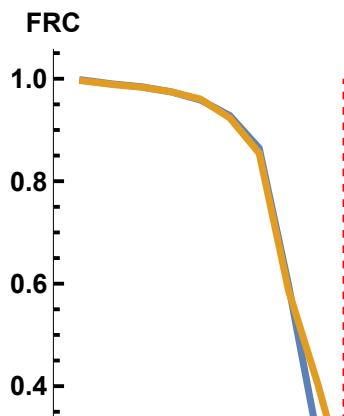
```

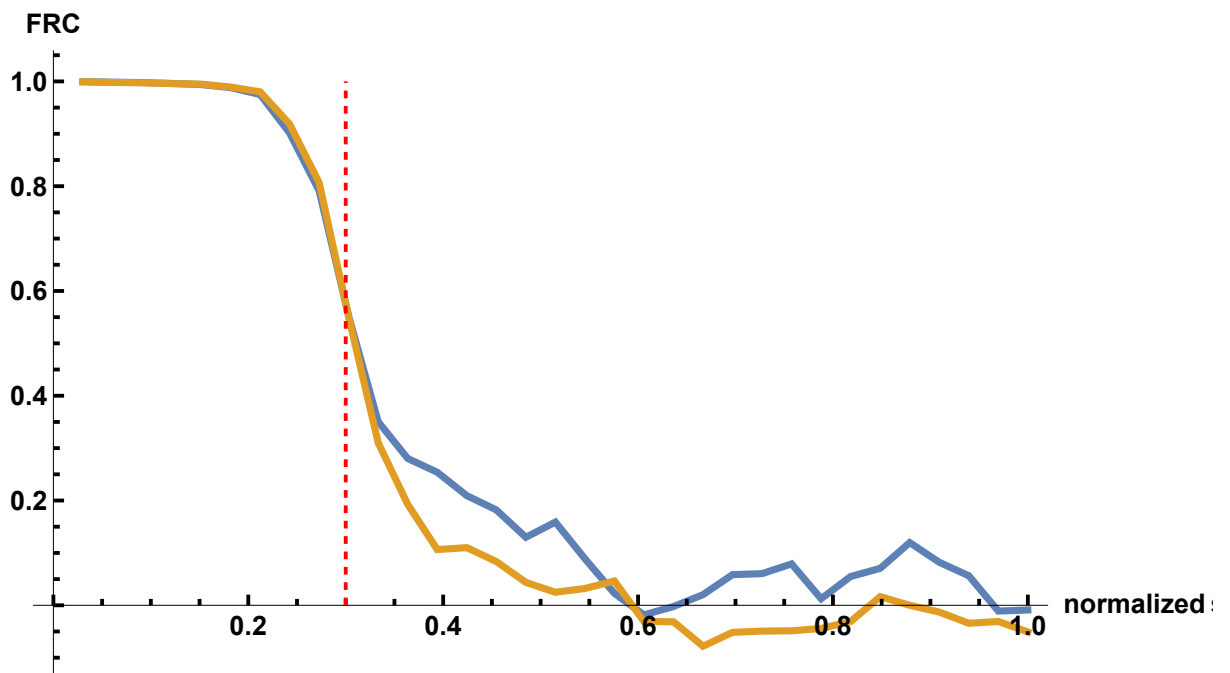
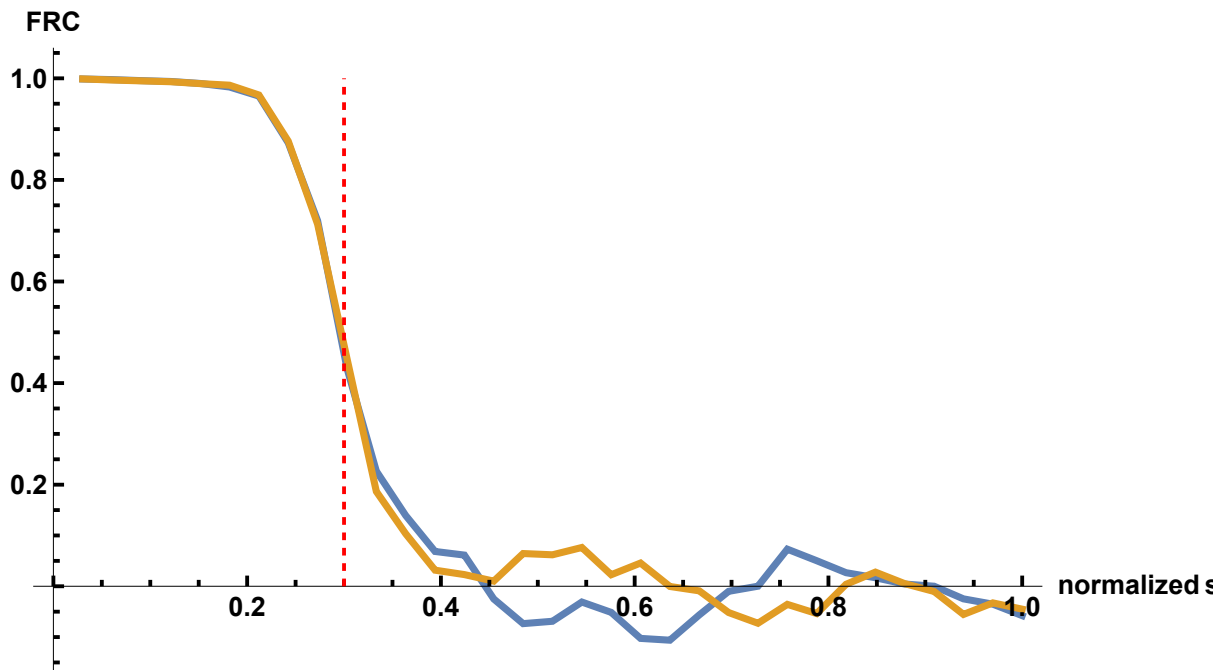
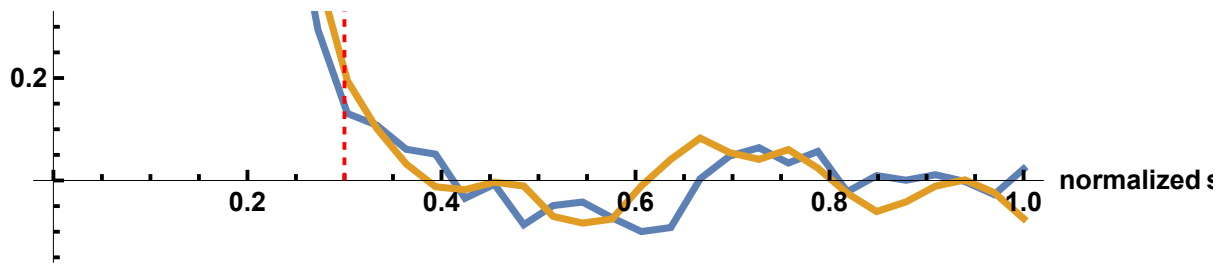
Table[Clear[frcDatan1, frcDatanq];
frcDatan1 = ParallelTable[
  (Sum[Re[a1folded[[1]][p1[[k1]][i, j]] * Conjugate[a2folded[[1]][p1[[k1]][i, j]] *
    sign[i, j, min, min + Δr]], {i, 1, Dimensions[foldedProteinData][[1]],
    {j, 1, Dimensions[foldedProteinData][[2]]}) /
  (Sqrt[(Sum[sign[i, j, min, min + Δr] * (Abs[a1folded[[1]][p1[[k1]][i, j]])^2,
    {i, 1, Dimensions[foldedProteinData][[1]],
    {j, 1, Dimensions[foldedProteinData][[2]]}) *
  (Sum[sign[i, j, min, min + Δr] * (Abs[a2folded[[1]][p1[[k1]][i, j]])^2,
    {i, 1, Dimensions[foldedProteinData][[1]],
    {j, 1, Dimensions[foldedProteinData][[2]]})])],
  {min, 1, Floor[Dimensions[foldedProteinData][[2]] / 2]}];

frcDatanq = ParallelTable[
  (Sum[Re[a1folded[[2]][p2[[k2]][i, j]] * Conjugate[a2folded[[2]][p2[[k2]][i, j]] *
    sign[i, j, min, min + Δr]], {i, 1, Dimensions[foldedProteinData][[1]],
    {j, 1, Dimensions[foldedProteinData][[2]]}) /
  (Sqrt[(Sum[sign[i, j, min, min + Δr] * (Abs[a1folded[[2]][p2[[k2]][i, j]])^2,
    {i, 1, Dimensions[foldedProteinData][[1]],
    {j, 1, Dimensions[foldedProteinData][[2]]}) *
  (Sum[sign[i, j, min, min + Δr] * (Abs[a2folded[[2]][p2[[k2]][i, j]])^2,
    {i, 1, Dimensions[foldedProteinData][[1]],
    {j, 1, Dimensions[foldedProteinData][[2]]})])],
  {min, 1, Floor[Dimensions[foldedProteinData][[2]] / 2]}];

Show[
  ListPlot[{Table[{i / (Floor[Dimensions[foldedProteinData][[2]] / 2)], frcDatan1[[i]]},
    {i, 1, Floor[Dimensions[foldedProteinData][[2]] / 2]}],
    Table[{i / (Floor[Dimensions[foldedProteinData][[2]] / 2)], frcDatanq[[i]]},
    {i, 1, Floor[Dimensions[foldedProteinData][[2]] / 2]}], Joined → True,
    PlotStyle → Thickness[0.007], LabelStyle → {13, GrayLevel[0], Bold},
    TicksStyle → Thick],
  AxesLabel → {HoldForm[ $\frac{1}{2.5 \text{ nm}}$ ], HoldForm[FRC]},
  PlotLabel → None, LabelStyle → {14, GrayLevel[0], Bold},
  Epilog → {Dashed, Red, AbsoluteThickness[2], Line[{0.3, 0}, {0.3, 1}]}],
  {k1, 1, Length[p1]}, {k2, 1, Length[p2]}]

```





```
In[ ]:= minF
Out[ ]:=
{13, 14, 15, 16, 18}
```

```
In[ ]:= bla = {1 / 13, 1 / 14, 1 / 15, 1 / 16, 1 / 18}
```

```
Out[ ]:=
```

$$\left\{ \frac{1}{13}, \frac{1}{14}, \frac{1}{15}, \frac{1}{16}, \frac{1}{18} \right\}$$

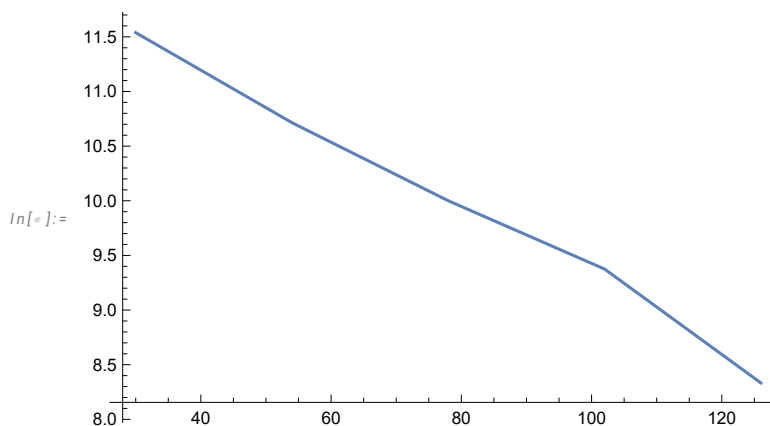
```
In[ ]:= bla2 = Table[NPDC, {NPDC, 30, 140, 24}]
```

```
Out[ ]:=
```

```
{30, 54, 78, 102, 126}
```

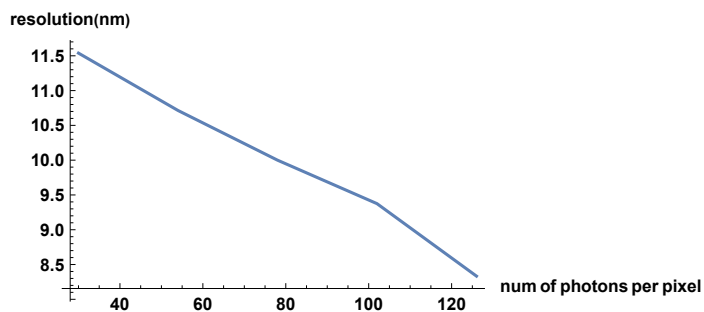
```
In[ ]:= ListPlot[
```

```
ParallelTable[{bla2[[i]], (5 (**10^-9*) / (1 / 30) * bla[[i]]}, {i, 1, 5}], Joined -> True]
```



```
In[ ]:= Show[%111, AxesLabel -> {HoldForm[num of photons per pixel], HoldForm[resolution[nm]]},  
PlotLabel -> None, LabelStyle -> {GrayLevel[0], Bold}]
```

```
Out[ ]:=
```



```
In[ ]:= 1 / ((1 / 18) * (5) / (1 / 30))
```

```
Out[ ]:=
```

$$\frac{3}{25}$$

```
In[ ]:= (1 / 18) * (5) / (1 / 30)
```

```
Out[ ]:=
```

$$\frac{25}{3}$$

```
In[ ]:= N[1 / ((1 / 18) * (5) / (1 / 30))]
```

```
Out[ ]:=
```

```
0.12
```

In[\*]:=  $0.12 \times 10^9$

Out[\*]=

$1.2 \times 10^8$

In[\*]:=  $N[(1/18) * (5) / (1/30)]$

Out[\*]=

8.33333

In[\*]:=  $N[(1/18) * (5 * 10^{-9}) / (1/30)]$

Out[\*]=

$8.33333 \times 10^{-9}$

In[\*]:= frcMinusBit =

```
Table[(Re[(Sum[a1[[5]][[i, j]] * Conjugate[a2[[5]][[i, j]]] * sign[i, j, min, min + Δr],
{i, 1, 61}, {j, 1, 61}]] / (Sqrt[
(Sum[sign[i, j, min, min + Δr] * (Abs[a1[[5]][[i, j]])^2, {i, 1, 61}, {j, 1, 61}]) *
(Sum[sign[i, j, min, min + Δr] * (Abs[a2[[5]][[i, j]])^2, {i, 1, 61}, {j, 1, 61}]]))
(* -0.5*halfBit[min, min + Δr] *), {min, 1, 30}];
ListPlot[Table[{i, frcMinusBit[[i]]}, {i, 1, 30}], Joined → True]
```

Out[\*]=

