

DEALINE: To be submitted through the class rep latest Monday 19th October, 2020 at 5.00 p.m

BCT 2314 – ASSIGNMENT

1. Explain the working mechanisms of the below block ciphers

- a) Serpent (10 marks)
- b) IDEA (10 marks)
- c) CAST (10 marks)

BCT 2314 - CAT

1. What requirements must a public-key cryptosystems fulfill to be a secure algorithm? (4 marks)
2. Outline the components of the RSA algorithm (4 marks)
3. Let (PU_a, PR_a) be the public and private key of Alice, and (PU_b, PR_b) are the public and private key of Bob. Let $H()$ be a hash function, $E(Key, Data)$ denote an encryption, and $D(Key, Data)$ decryption operation, \parallel denotes a concatenation and Doc be a document. Describe the digital signature algorithm performed by Alice, on the document Doc . (5 marks)
4. Let $C(Key, M)$ denote a message authentication code function, produced for the message M and a shared key Key . Let $E(Key, M)$ denote encryption of a message M with a key Key , and let \parallel denote the concatenation. If Alice send to Bob the following information: $E(K_2, M) \parallel C(K_1, E(K_2, M))$ where K_1, K_2 are shared secret keys. Describe the goals of the message. (4 marks)
5. In the Diffie Hellman Key exchange protocol between user A and B both users have a private key: $X_A = 6$ and $X_B = 35$, respectively. The public keys are $Y_A = a^{X_A} \bmod p$ and $Y_B = a^{X_B} \bmod p$. What is the common key K for $p = 71$ and $a = 7$? (4 marks)
6. The RSA system was used to encrypt the message M into the cipher-text $C = 6$. The public key is given by $n = p \cdot q = 187$ and $e = 107$. By answering the following, try to crack the system and to determine the original message M .
 - a. What parameters comprises the public key and the private key? (2 marks)
 - b. What steps are necessary to determine the private key from the public key? (2 marks)
 - c. Determine the private key for the given system. (5 marks)
 - d. What is the original message M ? (2marks)
7. Recall the ElGamal cryptosystem. A community of users share a large prime p and a primitive element a . Each user has a key pair (x, Y) , where $0 < x < p - 1$ is randomly chosen and $Y = a^x \bmod p$. Y is public and x is private. To send a message M to Alice, who has key pair (x_A, Y_A) , Bob performs the following steps:
 - i. Choose a random x_B with $0 < x_B < p - 1$.
 - ii. Compute $C_1 = a^{x_B} \bmod p$ and $C_2 = M \cdot A^{x_B} \bmod p$
 - iii. The ciphertext is (C_1, C_2) .
 - a. Explain how Alice decrypts the message, show the steps. (5 marks)

- b. Assume that prime $p = 17$ and the primitive element $a = 6$. Bob, who has a private key $x_B = 12$ wants to send a message $M = 5$ to Alice, who has a public key $Y_A = 15$. Compute the ciphertext is (C_1, C_2) . and show your steps. (5 marks)
9. A Feistel cipher is used in the DES algorithm.
- a. Describe the operation of a Feistel cipher. (5 marks)
- b. Briefly describe three modes of operation of DES. (5 marks)