

## Problem 2.16

a)

```
int n, p;
double Ts = n*n;
double Tp = n*n / p + log2(p);
double E = Ts / (p*Tp);
```

The general conclusion from the above program is:

When n is fixed, speedup and efficiency decreases as p increases.

When p is fixed, speedup and efficiency increases as n increases.

b)

$$E = \frac{1}{p} \frac{T_s}{T_p} = \frac{T_s}{p \left( \frac{T_s}{p} + T_o \right)} = \frac{T_s}{T_s + pT_o}$$

$$\frac{dE}{dn} = p \frac{T_o \frac{dT'_s}{dn} - T_s \frac{dT'_o}{dn}}{(T_s + pT_o)^2}$$

When parallel efficiency increases, it requires  $\frac{dE}{dn} > 0$ , which leads to:

$$T'_s > \frac{T_s}{T_o} T'_o$$

And when efficiency decreases:

$$T'_s < \frac{T_s}{T_o} T'_o$$

## Problem 2.19

$$E = \frac{1}{p} \frac{T_s}{T_p} = \frac{n}{n + p(\log_2 p)} = \frac{n_1}{n_1 + (kp)(\log_2 kp)}$$

By solving the equation, we have,

$$\frac{n_1}{n} = k \frac{\log_2 kp}{\log_2 p}$$

Therefore, with p=8, k=2, we get:

$$\frac{n_1}{n} = \frac{8}{3}$$

Problem 2.22

a)  $r(\text{total time}) = u(\text{user function costs}) + s(\text{system function costs})$

b)  $\text{Total time} = u + s + r$

We are able to tell how much time is spent on waiting out of the total time.

c) ???