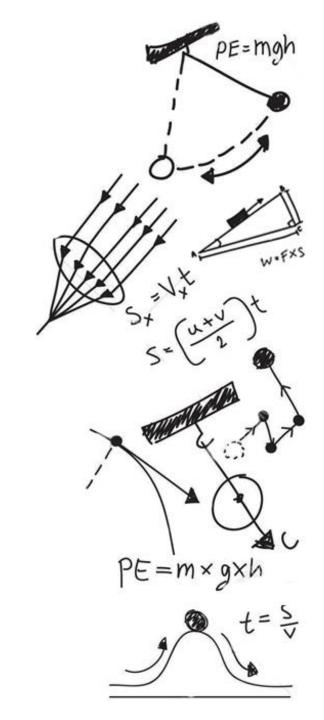
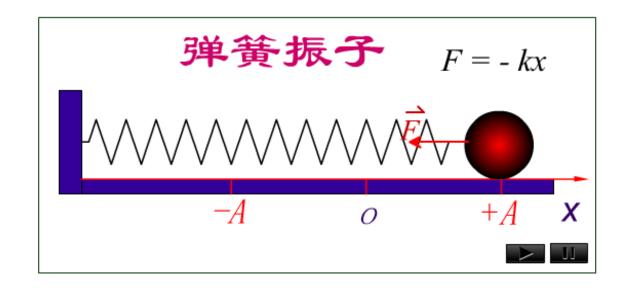


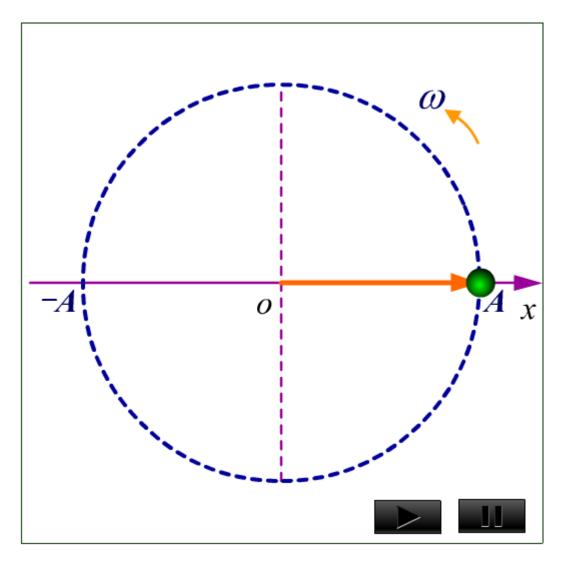
旋转矢量法





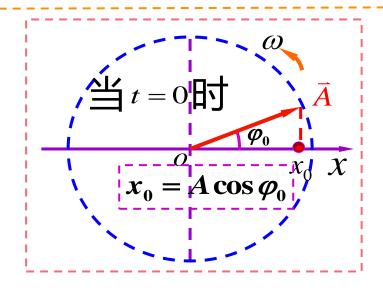
一、简谐振动

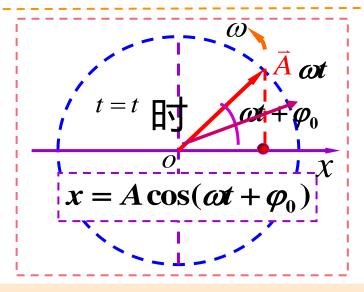






二、旋转矢量法

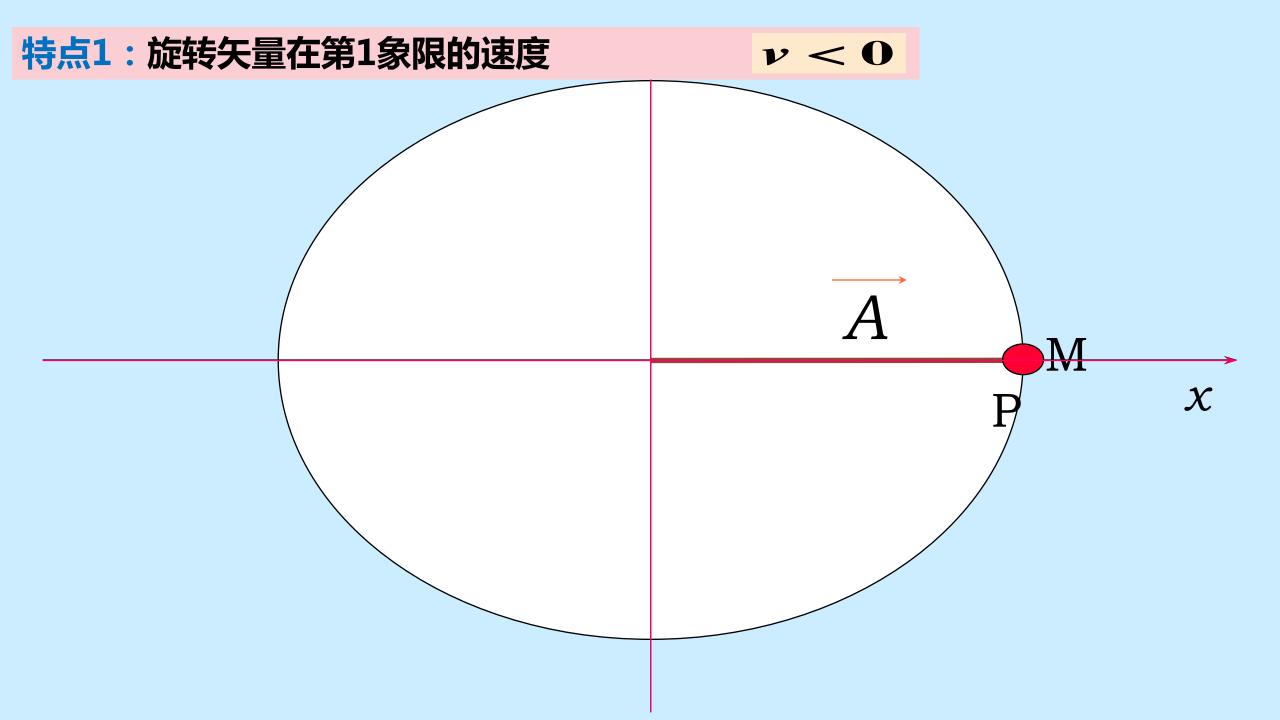


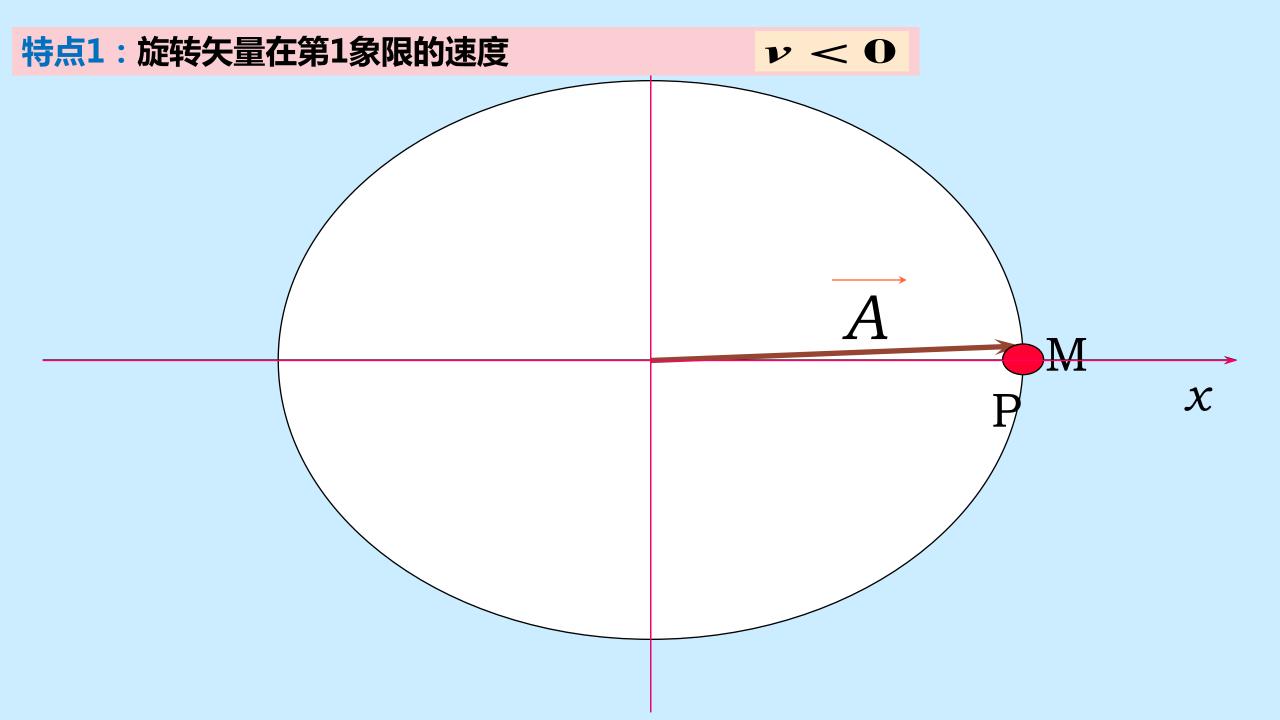


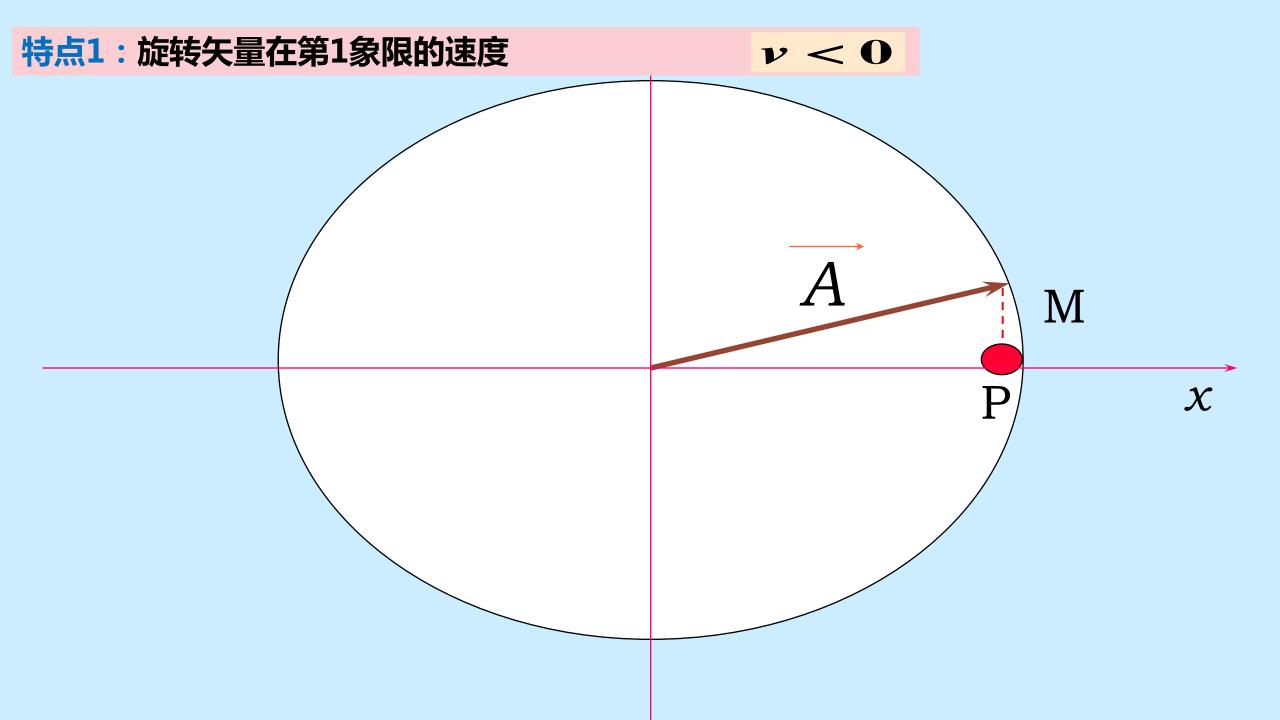
与前面得到的结果一致:

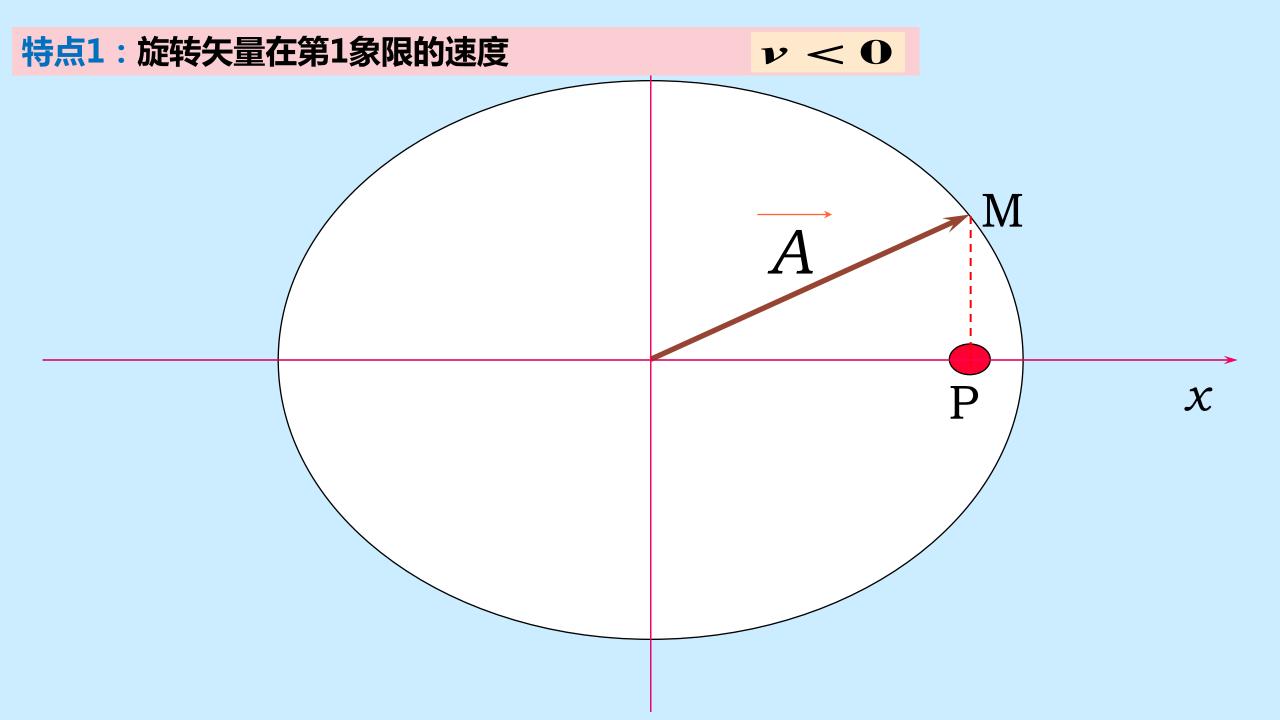
$$x = A\cos(\omega t + \varphi_0)$$

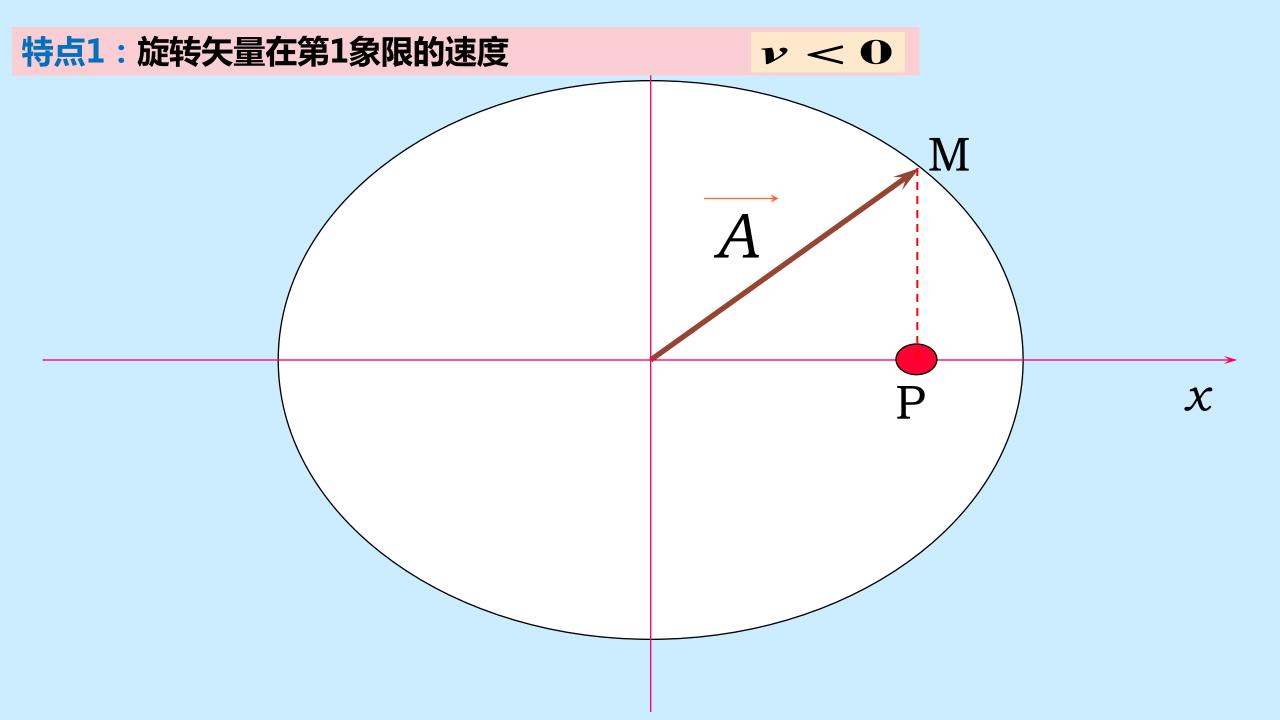
以*o*为原点,旋转矢量A的端点在*x*轴上的投影点的运动为简谐运动.

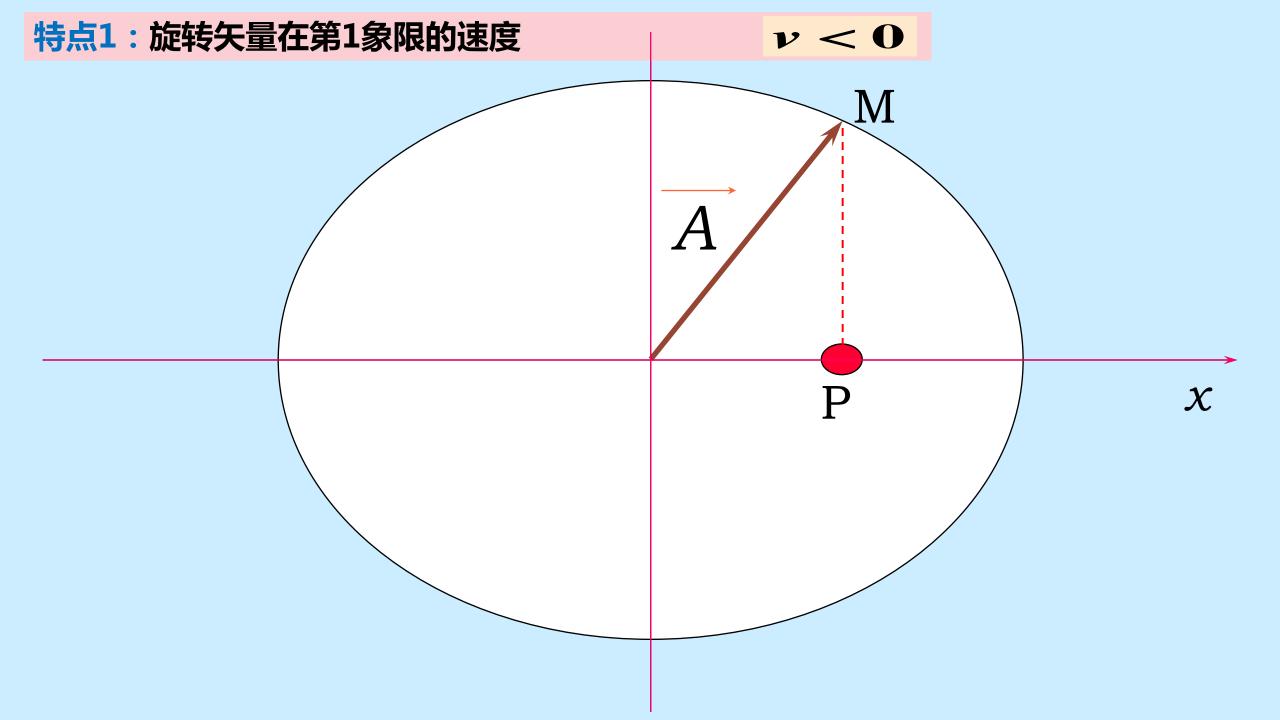


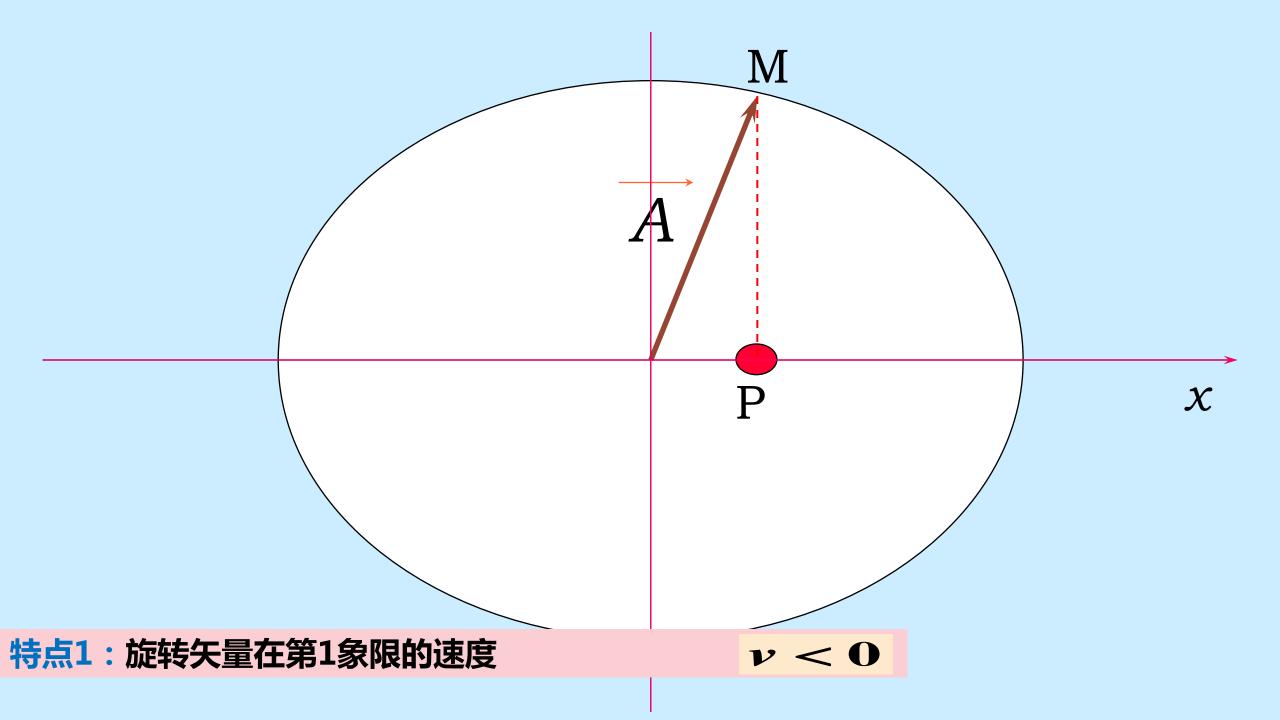


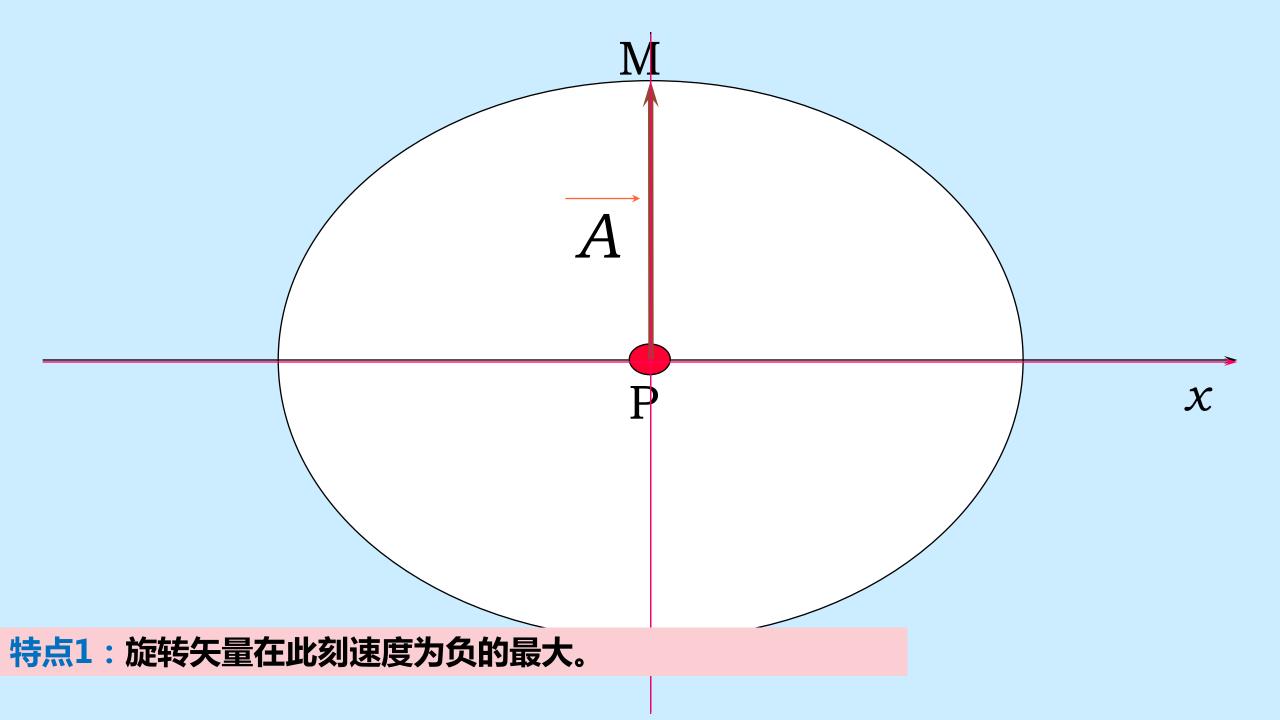


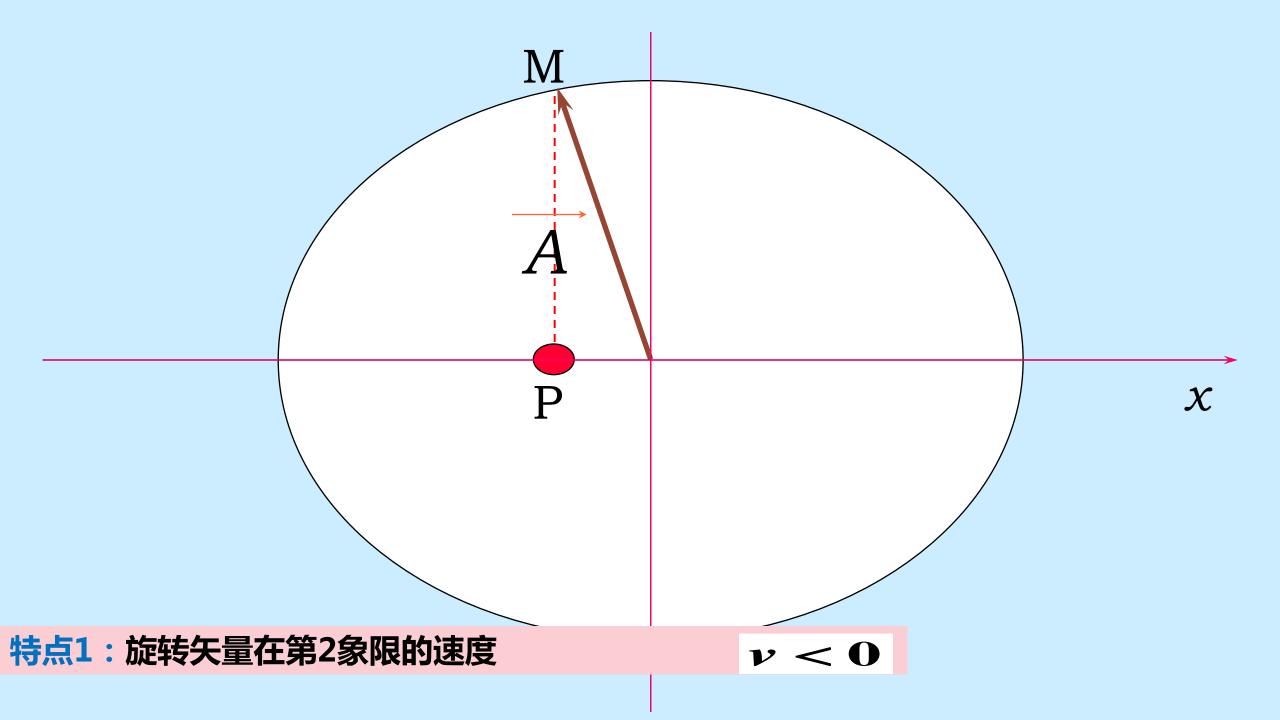


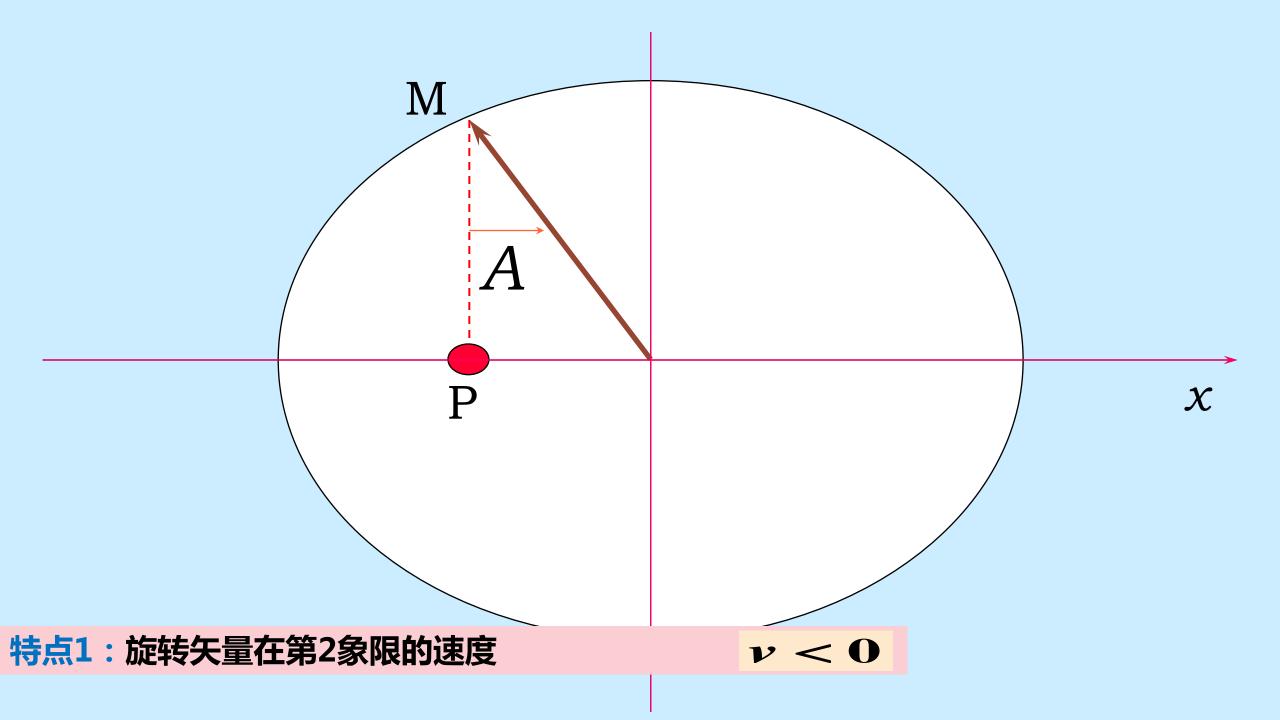


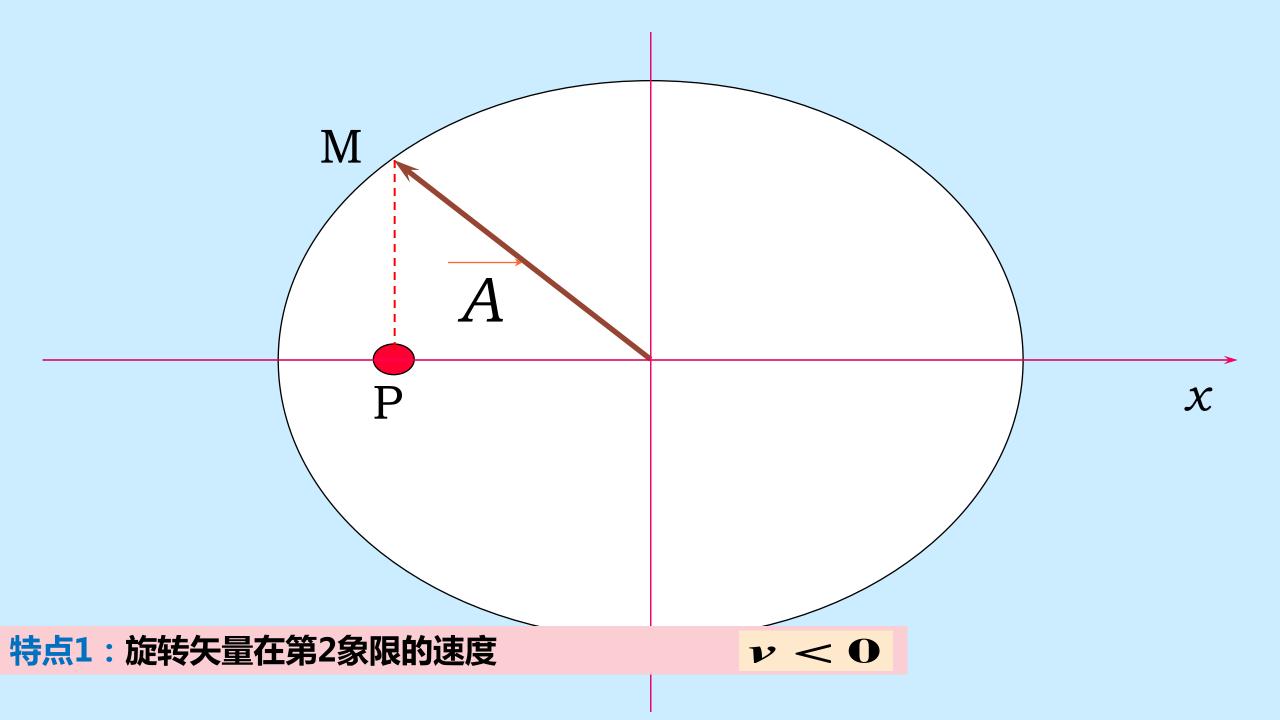


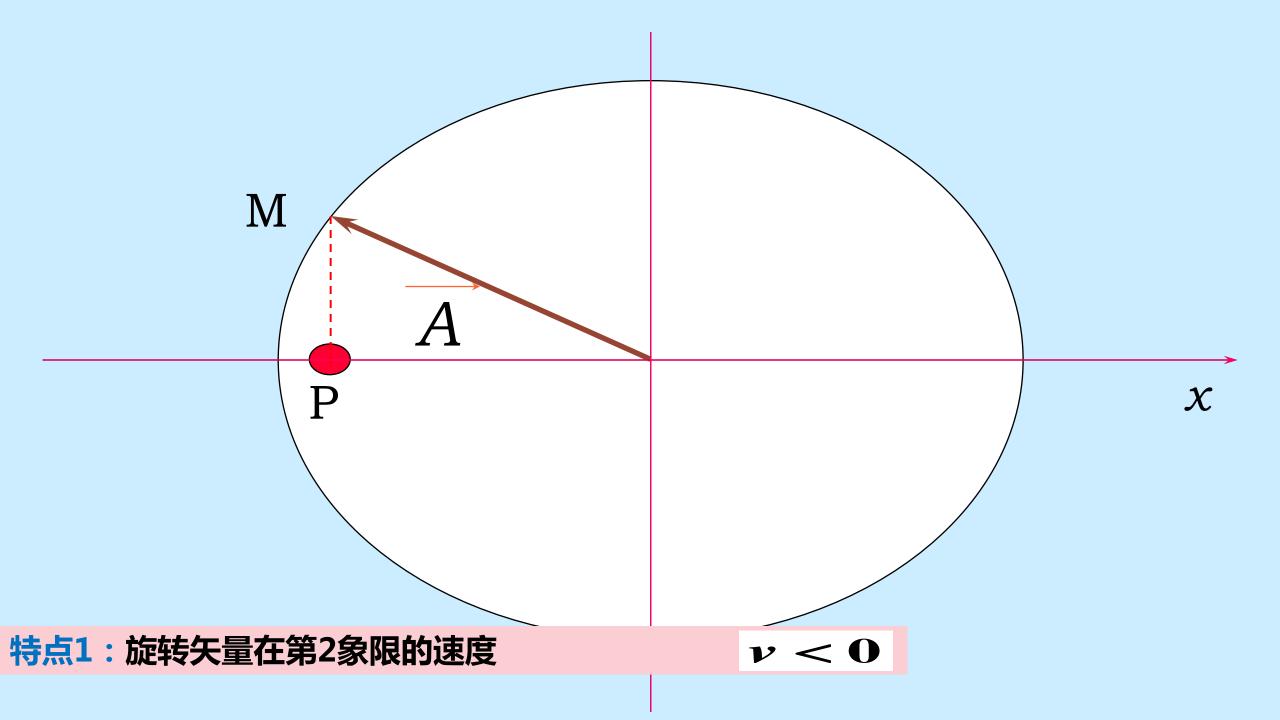


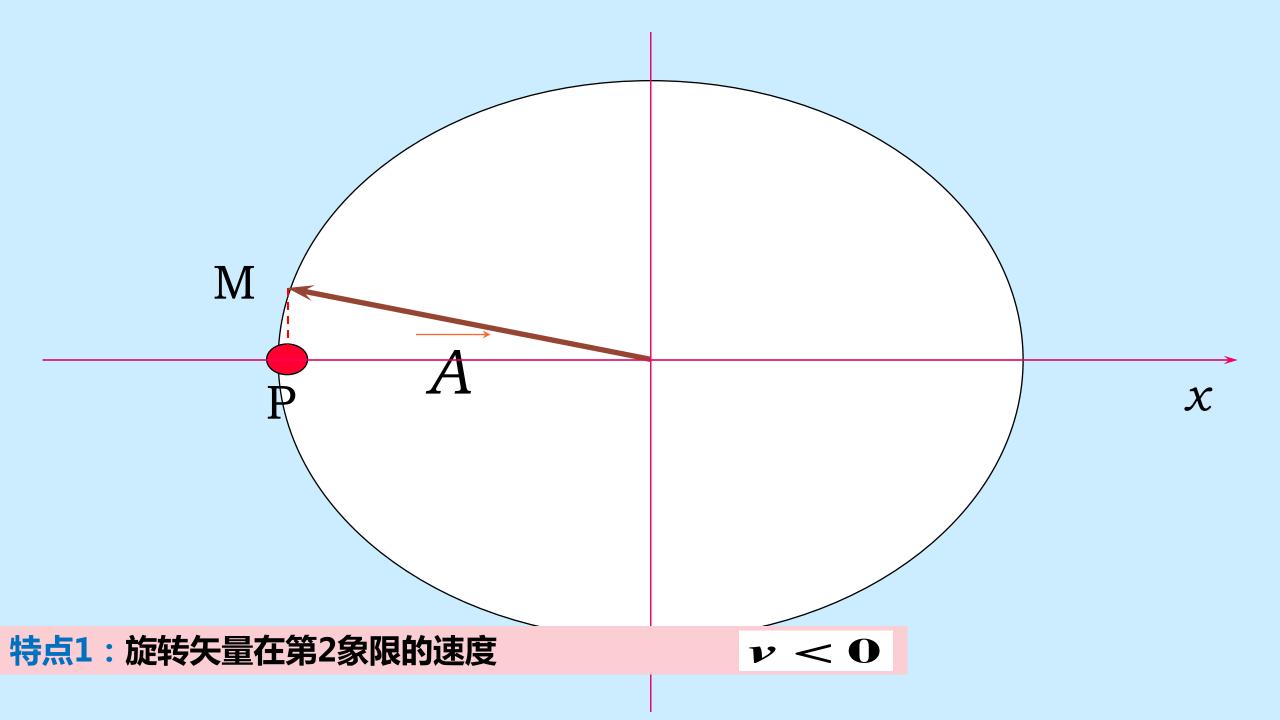


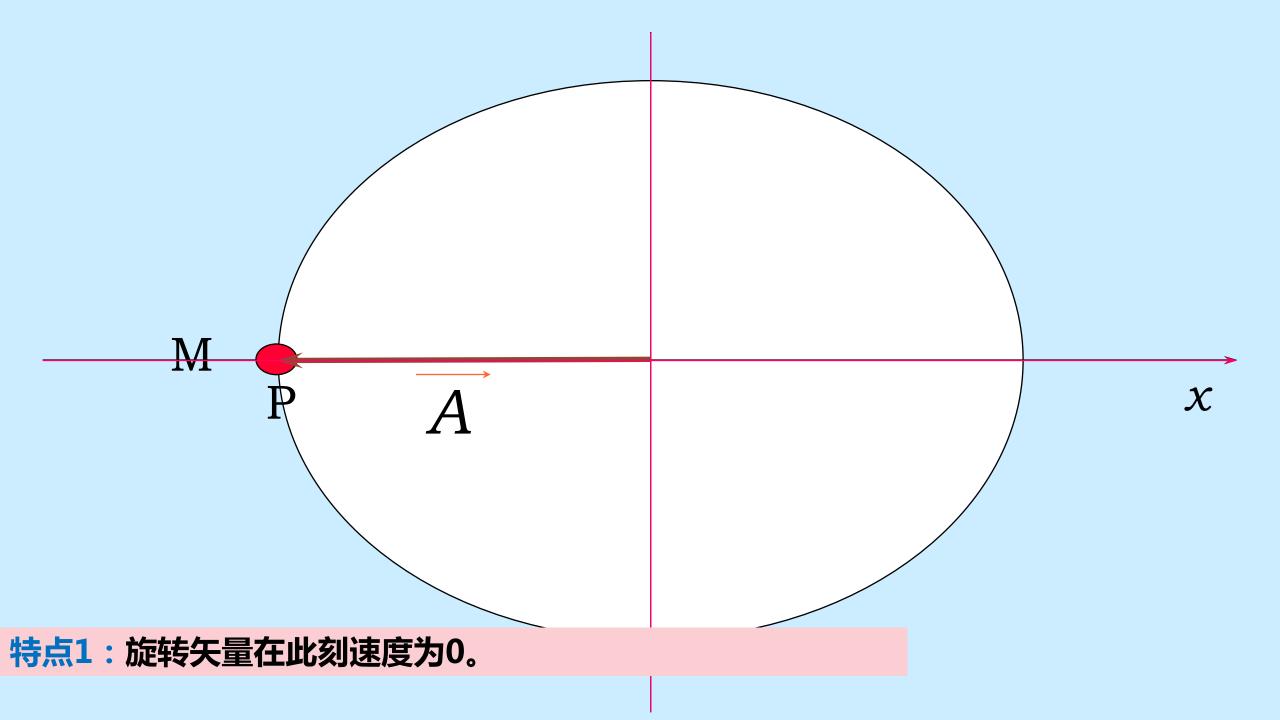


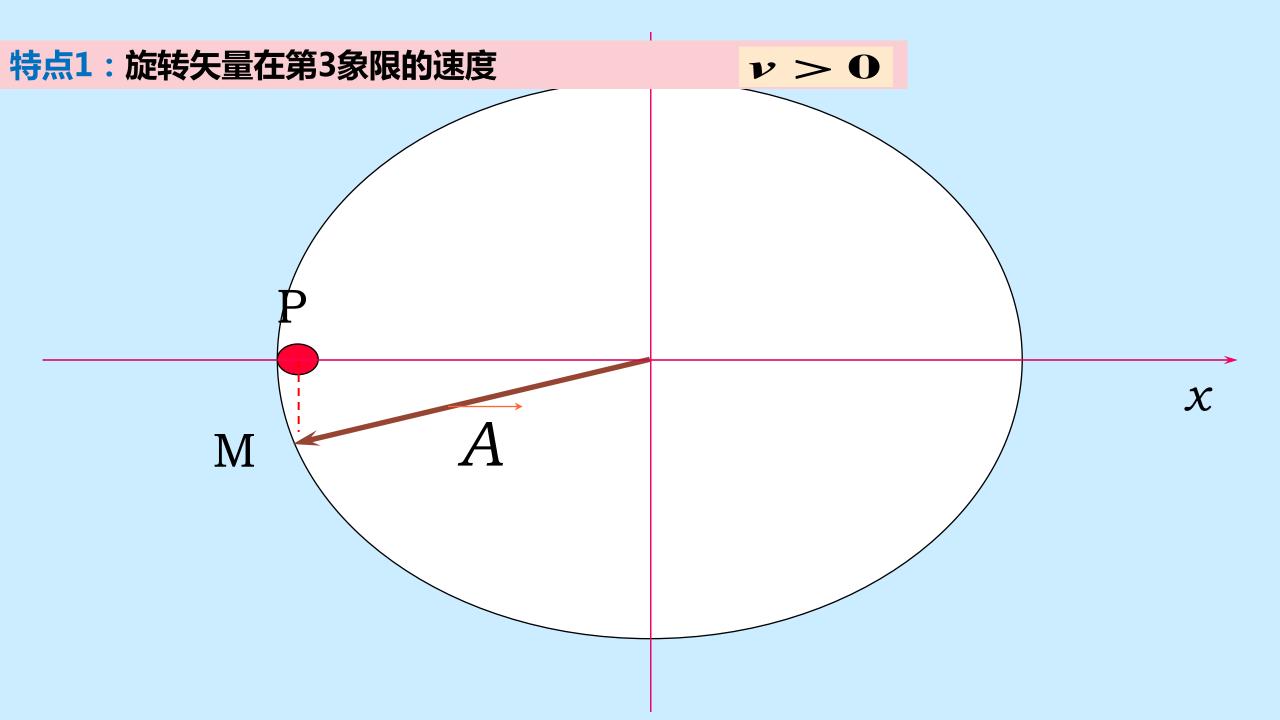


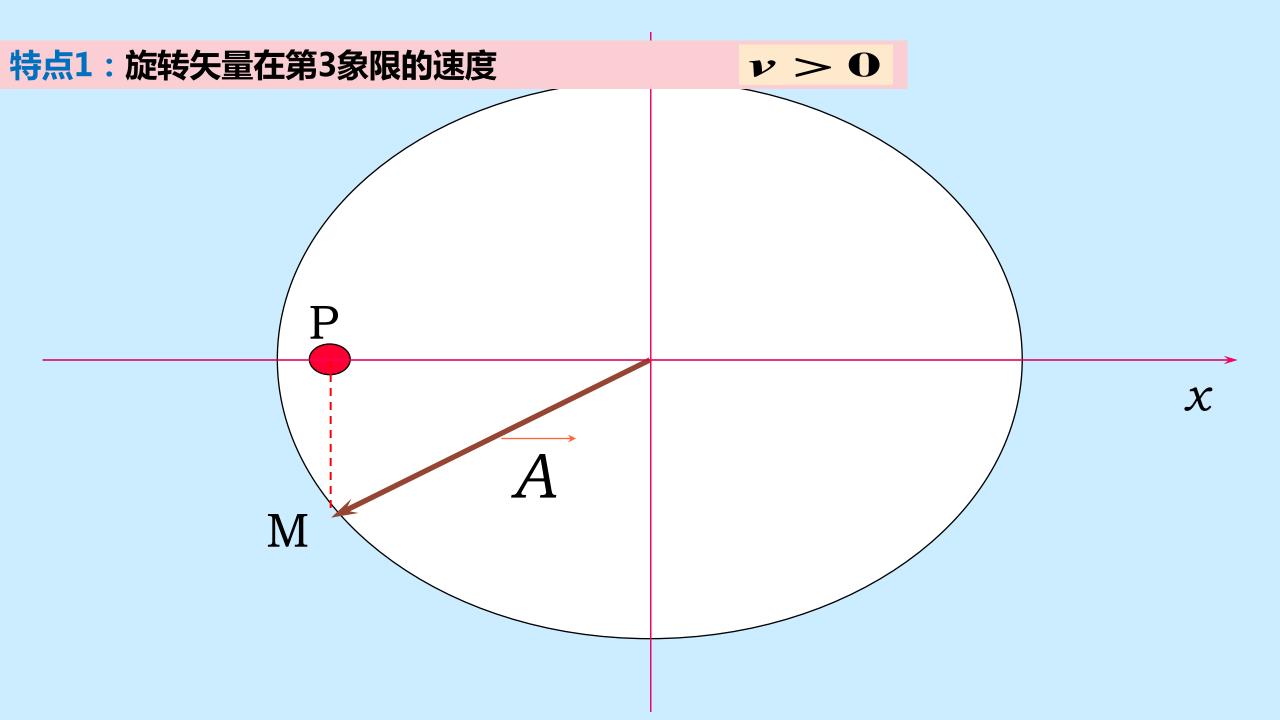


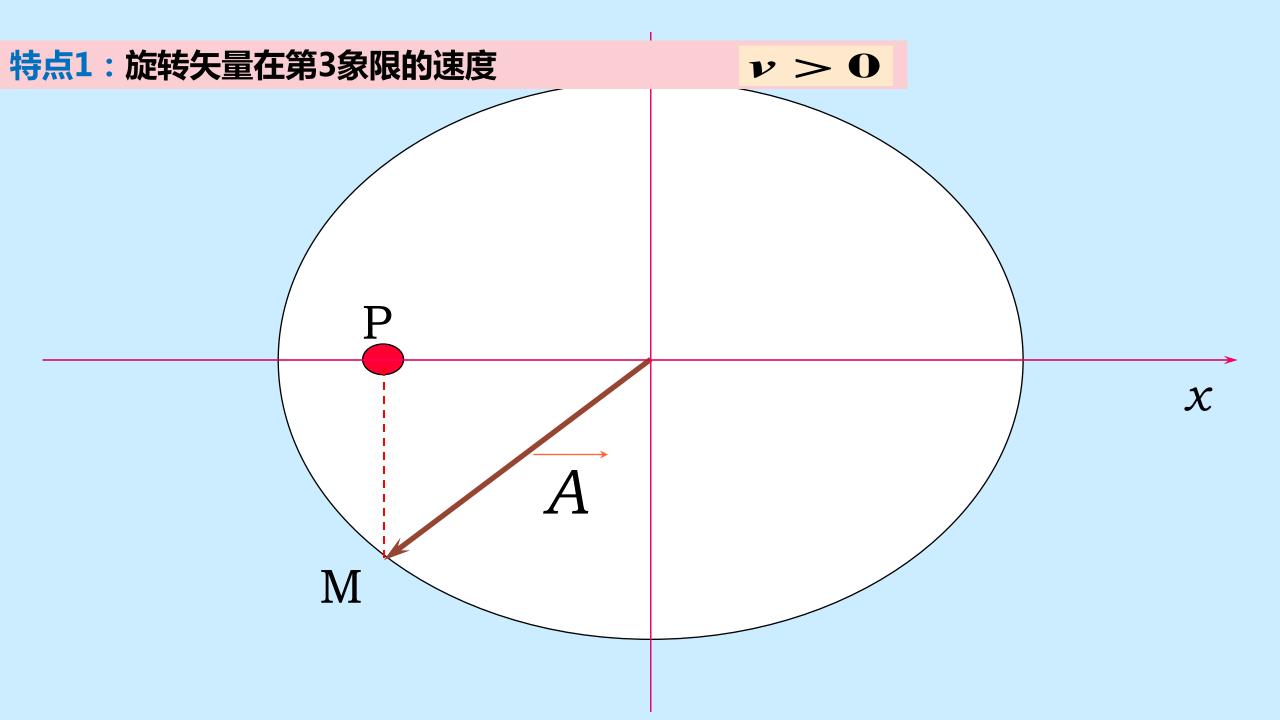


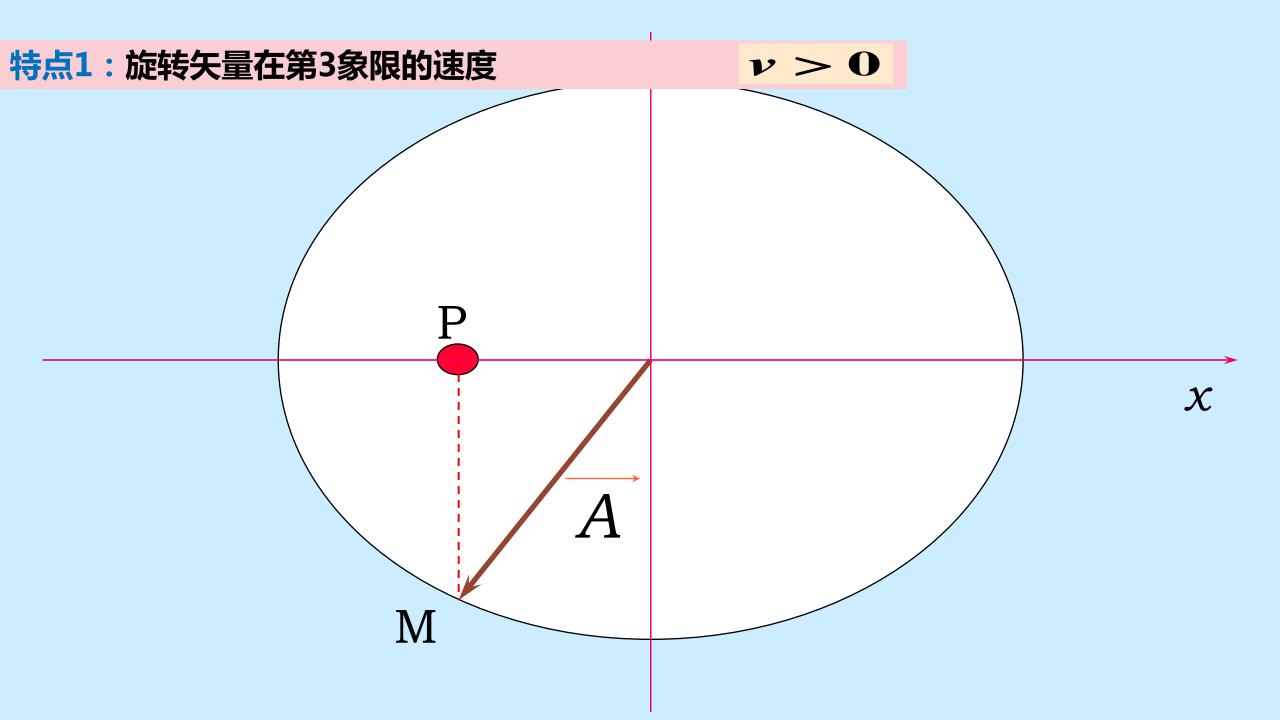


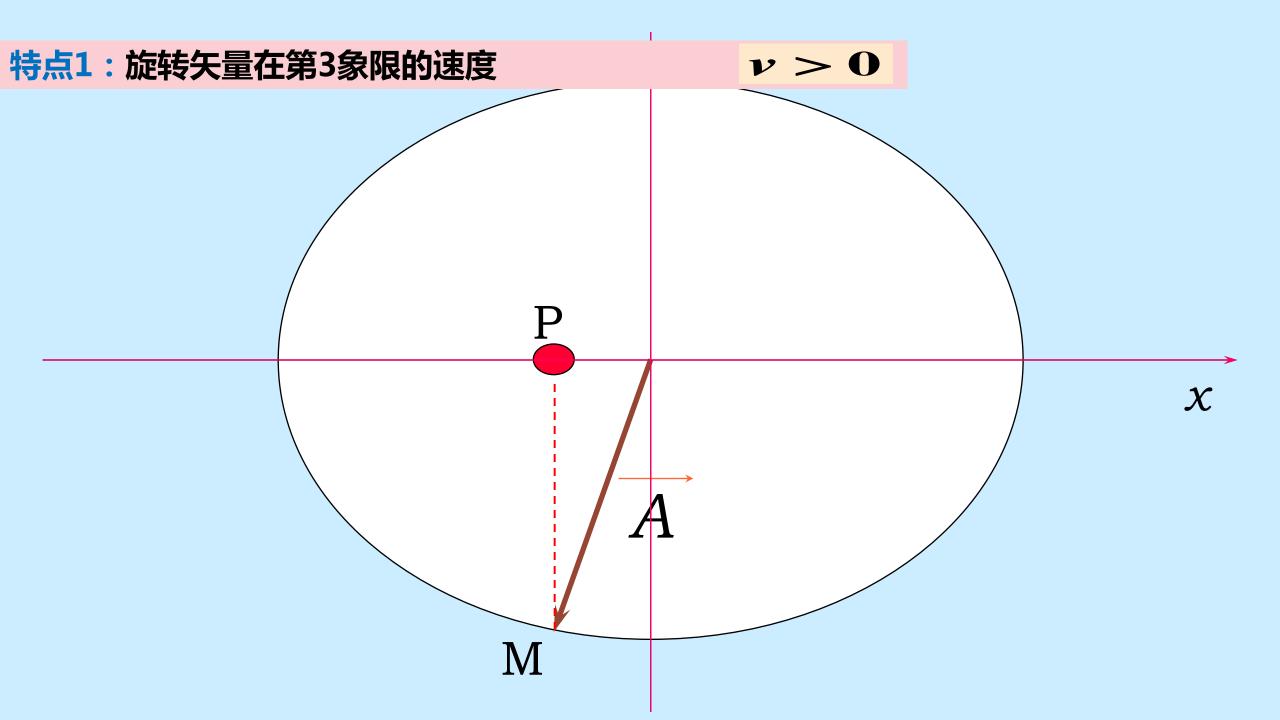


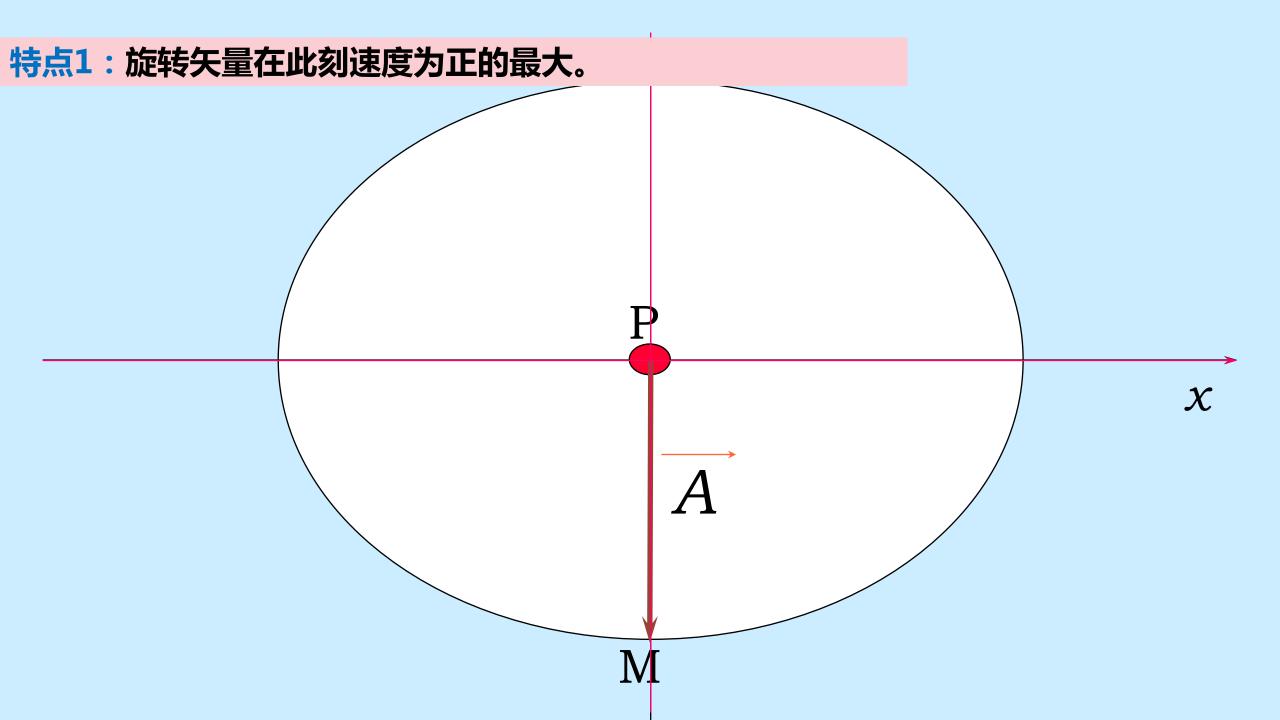


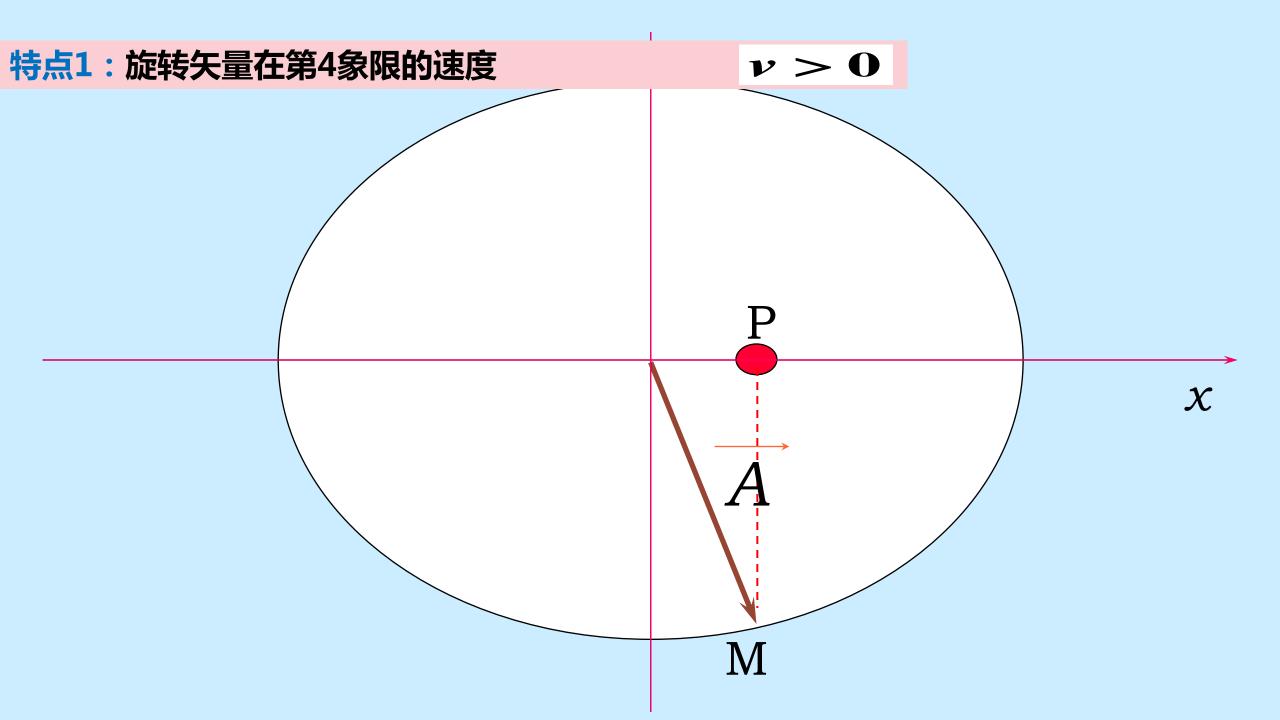


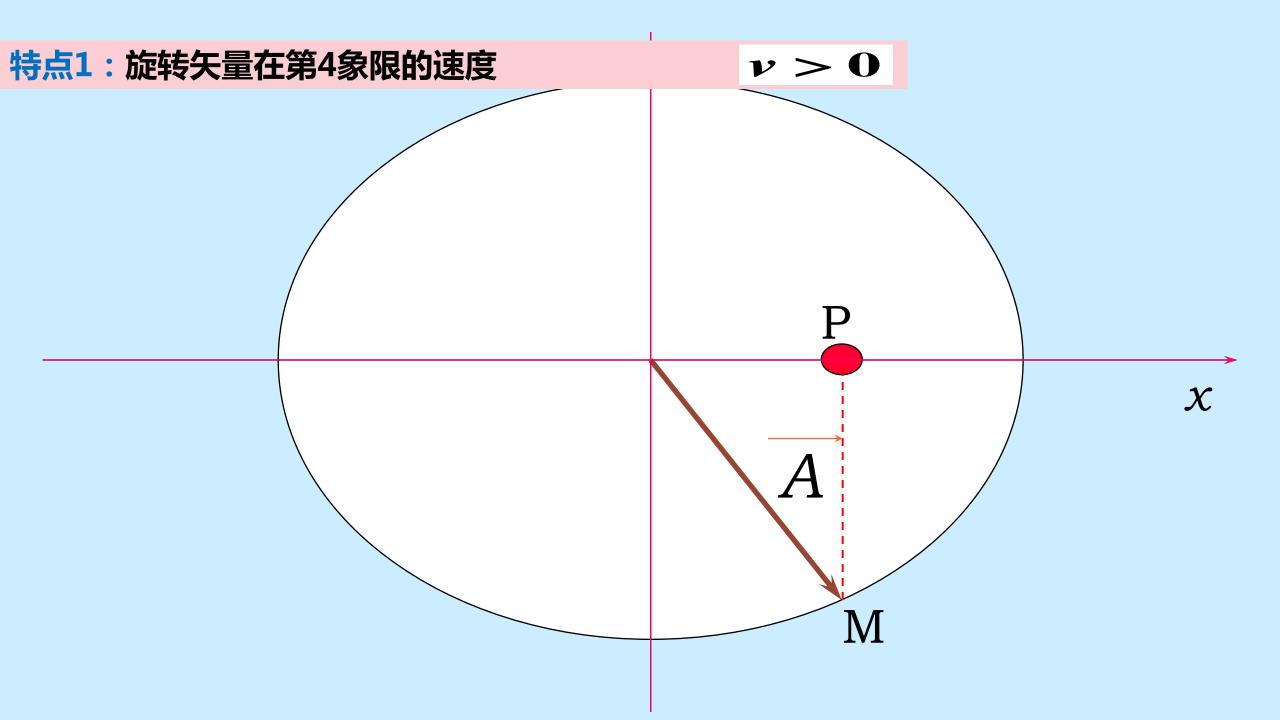


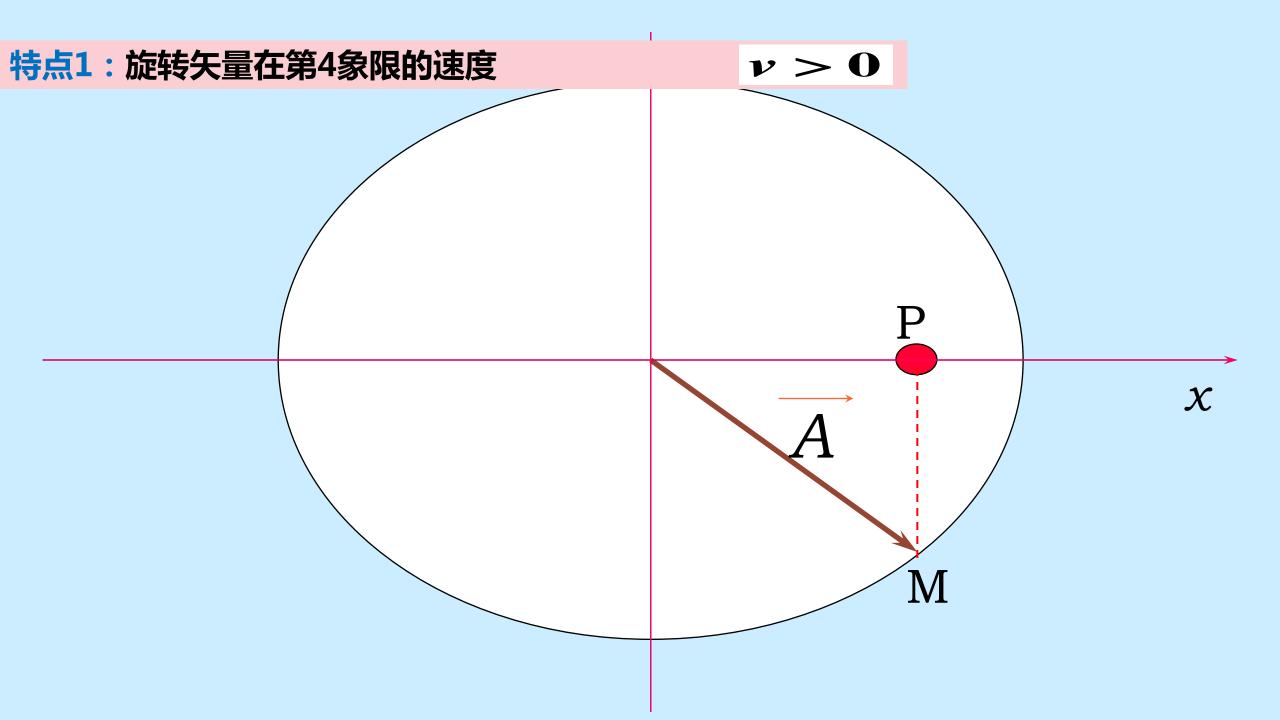


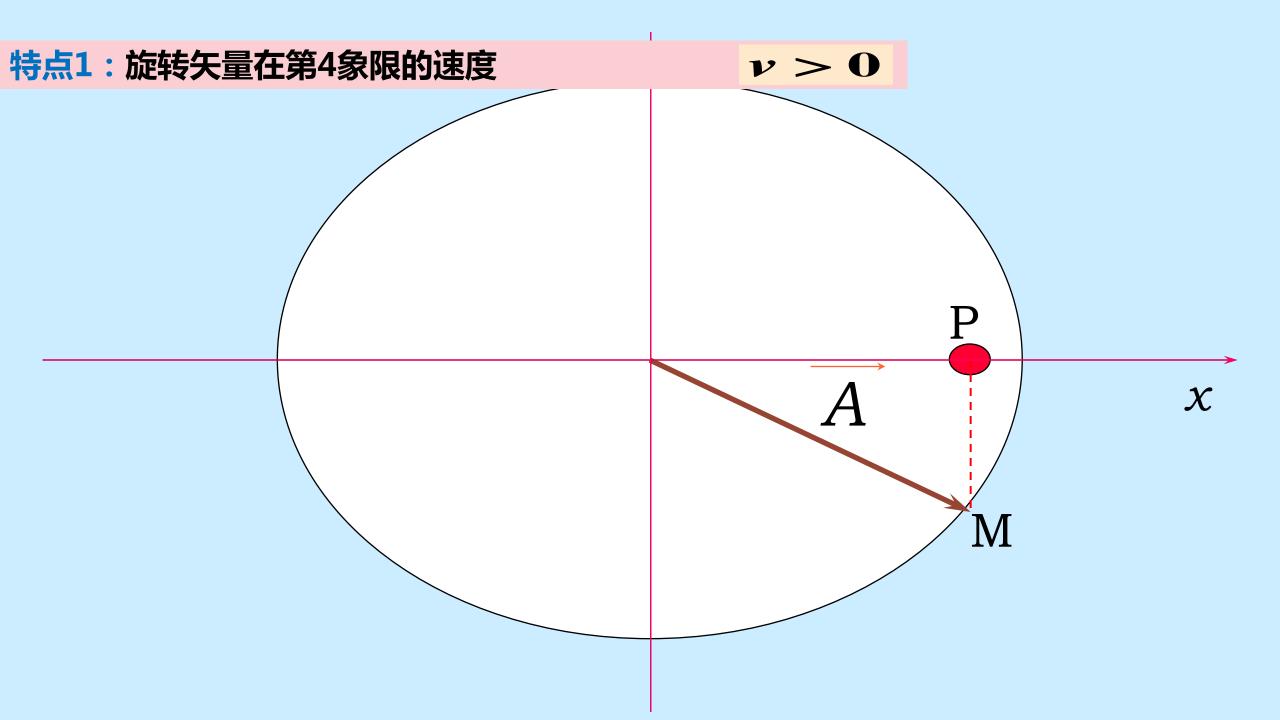


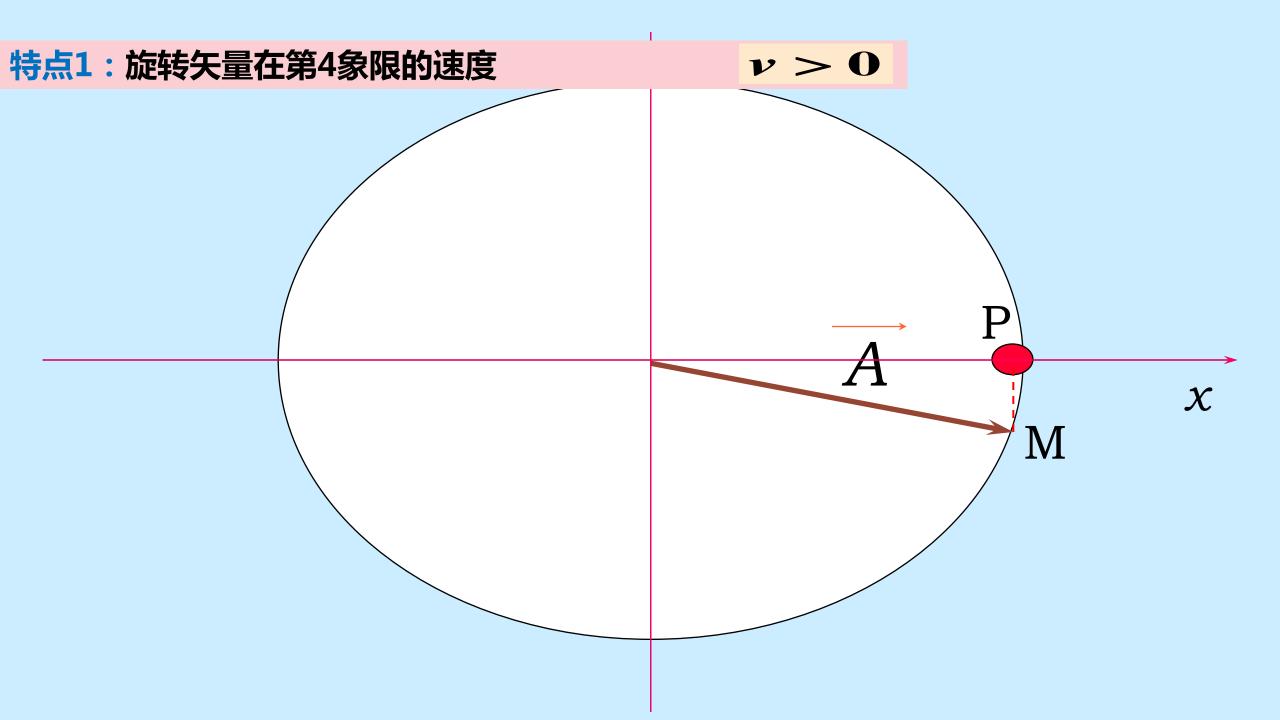


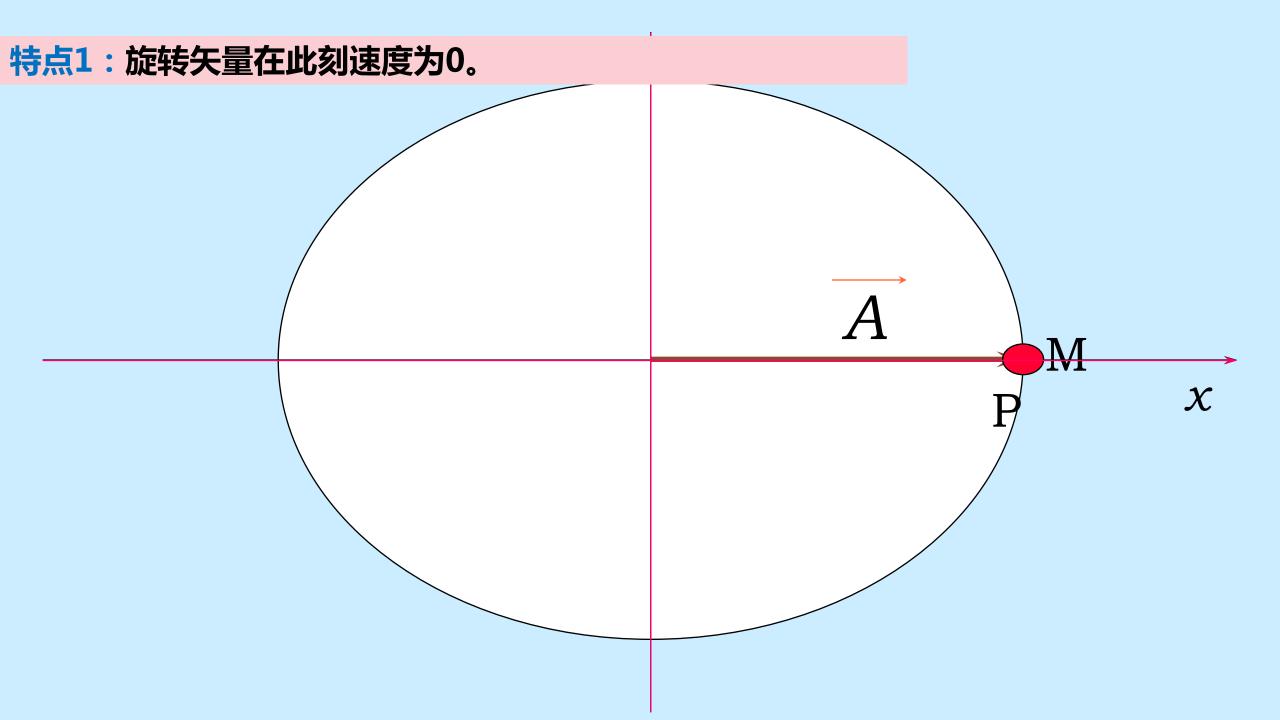


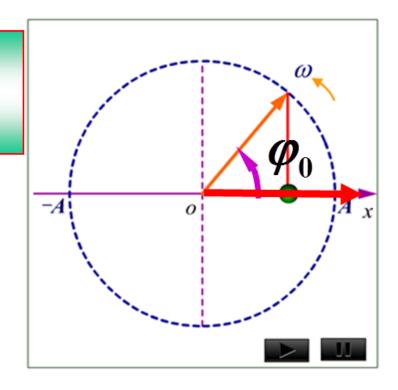


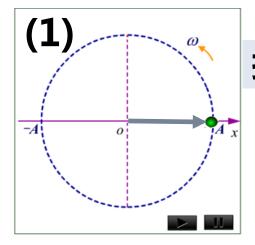






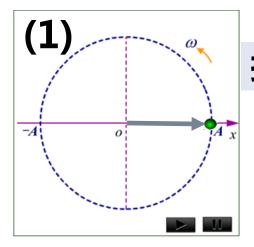






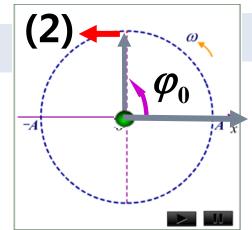
振幅最大位置

$$\varphi_0 = 0$$



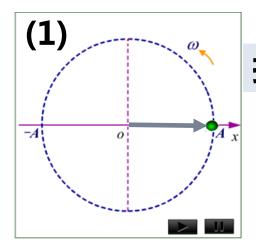
振幅最大位置

$$\varphi_0 = 0$$



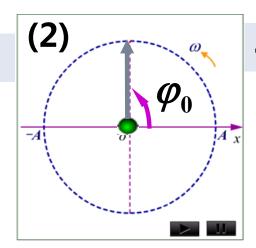
平衡位置,负方向运动

$$\varphi_0 = \frac{\pi}{2}$$



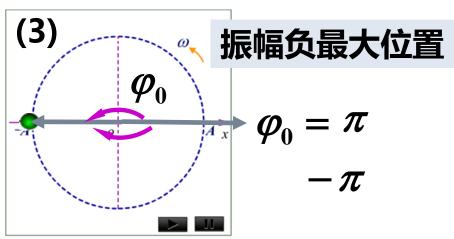
振幅最大位置

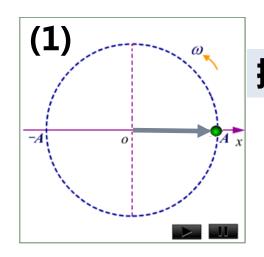
$$\varphi_0 = 0$$



平衡位置,负方向运动

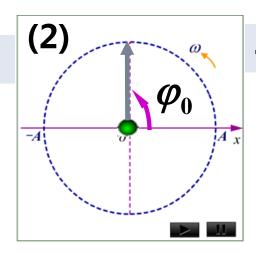
$$\varphi_0 = \frac{\pi}{2}$$





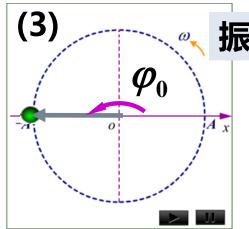
振幅最大位置

$$\varphi_0 = 0$$



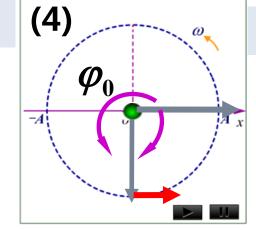
平衡位置,负方向运动

$$\varphi_0 = \frac{\pi}{2}$$



振幅负最大位置

$$oldsymbol{arphi}_0 = \pi \ -\pi$$



平衡位置,正方向运动

$$\varphi_0 = \frac{3\pi}{2}$$
$$-\frac{\pi}{2}$$

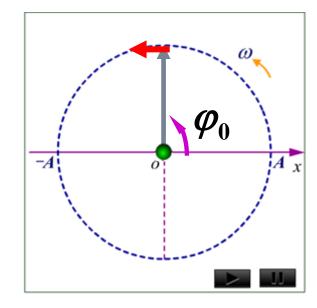


$$x = A\cos(\omega t + \varphi_0)$$

再讨论
$$\begin{cases} x = A\cos(\omega t + \varphi_0) \\ v = -A\omega\sin(\omega t + \varphi_0) \end{cases}$$

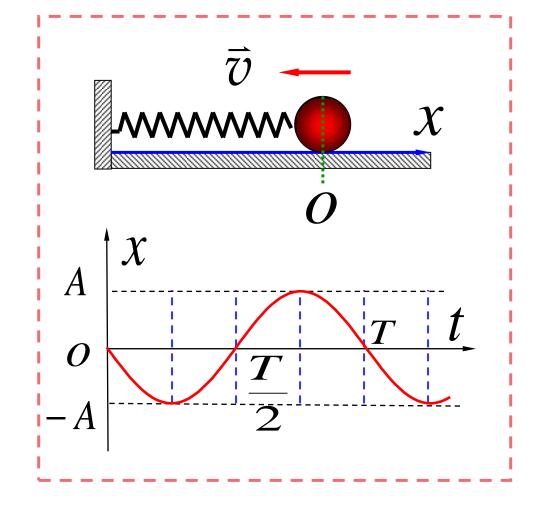


已知
$$t = 0, x = 0, v < 0 求 \varphi_0$$



$$\varphi_0 = \frac{\pi}{2}$$

简便、准确。





Thanks!

