

Pipeline

① Load all 600 images in HSV format

Let I_n = nth image in Dataset I

$$I = \{ I_0, I_1, I_2, \dots, I_{599} \}$$

Each image's size $224 \times 224 \times 3$

② Decompose ~~image~~ each image I_n in I into hue, saturation, value channels

~~Let h_n = hue saturation, value channel~~

Let h_n = hue channel of nth image in I

Let s_n = Saturation channel of nth image in I

Let v_n = value channel of nth image in I

For each image k in I , standardize each channel.

1) $h_k / 180$

2) $s_k / 180$

3) $v_k / 180$

③ For each image K in I , flatten I_K from $219 \times 360 \times 3$ to 657×360

Flatten image, vertically stack each channel

$$\begin{bmatrix} h_K \\ s_K \\ v_K \end{bmatrix} \text{ for each image } K \text{ in } I$$

Horizontally stack the image such that final matrix

is

$$I = \begin{bmatrix} I_0, I_1, I_2, \dots, I_{599} \end{bmatrix} \begin{matrix} \uparrow \\ 219 \end{matrix}$$

$\underbrace{\hspace{15em}}_{216000 \text{ (} 360 \times 600 \text{)}}$

④ For each column C in I , calculate

1) Calculate Covariance matrix

2) Let $C = \begin{bmatrix} c_0 \\ c_1 \\ \vdots \\ c_{656} \end{bmatrix}$ $\mu_C = \frac{\sum C}{657}$

Let $A = C - \mu_C$, the deviation score

3) Compute $\frac{A^T A}{657}$, resulting 657×657 matrix

4) Calculate eigen values and eigenvectors

657 ~~657~~ eigenvalues

where

Let $Av = \lambda v$

$A =$ Covariance matrix

$v =$ eigenvector

$\lambda =$ eigenvalue

$$Av = \lambda I_{657} v$$

$$(A - \lambda I_{657}) = 0$$

where C_k is the k th coefficient

This leads to $C_0 \lambda^{657} + C_1 \lambda^{656} + \dots + C_{656} \lambda + C_{657} = 0$

Solving for λ leads to 657 eigen values and 657 eigenvectors

Order eigenvector ^{based on} into numeric value of

keep first 6 columns and discard the rest

\Rightarrow Feature Vector $\begin{bmatrix} \end{bmatrix}_{657 \times 6}$

$$\begin{aligned} \text{5) Final data set} &= \text{Feature Vector}^T \times C \\ &\quad \begin{matrix} 6 \times 657 & 657 \times 1 \end{matrix} \\ &= 6 \times 1 \end{aligned}$$

b) Send the Reduced Matrix into Gauss-Jordan ~~Matrix~~
Process to predict final value