Stat 598W: Homework 2

Due Saturday Feb 14 (sveinno@purdue.edu). Include a word/pdf document with your code and relevant output.

Problem 1

- (a) Write an integeter Stack class with bounded capacity, similar to the one in Lecture 4. Add a method *peek* that returns the value of the first element without removing it from the stack, a method *reverse* that reverses the order of the elements in the stack (using only Stack objects), and a method *expand* that should be called when the Stack is full and allocate more memory to it. As before, include overloaded versions of the copy and assignment operators, as well as the << operator to print out the content of the stack. Test your implementation.
- (b) Implement a simple Queue class using your Stack class (Hint: You need to maintain 2 stack objects, an in-stack and an out-stack). Besides a constructor and a destructor, it should at least contain the member functions enqueue, dequeue, reverse, and peek, as well as the same overloaded operators as the Stack class. Test your implementation.
- (c) Use your Stack class to implement a simple calculator the evaluates expressions in Reverse Polish Notation (RPN). For simplicity, it only should accept the following operators: +, -, *, /, %, and only deal with integers. Also assume the user enters the expression terminated with the \$ sign, e.g. 15 + 3 * 4 3 should be entered as $15 \ 3 \ 4 * + 3 \$$ by the user. For more information on RPN, see Wikipedia.

Problem 2

Assume the node structure

```
struct node{
  int value;
  node* next;
};
```

and write code for AT LEAST three of the following:

- (a) Check whether a list is a palindrome, i.e. reads the same from the front and the back. For example, $3, 1 \rightarrow 5 \rightarrow 7 \rightarrow 5 \rightarrow 1$, and $2 \rightarrow 1 \rightarrow 1 \rightarrow 2$, are examples of palindromes. The function should have signature **bool** palindrome (node* list)
- (b) For a given value of x, partition the list around that value, such that all nodes less than x come before all nodes greater than or equal to x. The function should have signature

```
void partition (node * &list)
```

(c) Remove duplicates from a linked lists. The function should have signature

```
\mathbf{void} \hspace{0.2cm} \texttt{removeDuplicates} \hspace{0.1cm} (\hspace{0.1cm} \texttt{node*} \hspace{0.1cm} \hspace{0.1cm} \texttt{list} \hspace{0.1cm})
```

(d) Weave the reverse of the list into the original. For example, if list is $1 \to 4 \to 2$, it becomes $1 \to 2 \to 4 \to 4 \to 2 \to 1$. If list is 3, it becomes $3 \to 3$. If list is $1 \to 3 \to 6 \to 10 \to 15$, it becomes $1 \to 15 \to 3 \to 10 \to 6 \to 6 \to 10 \to 3 \to 15 \to 1$. The function should have the signature

```
void braid(node* list)
```

(e) Given two sorted linked lists of potentially different lengths, merge the two into a single list (You shouldn't allocate any new memory, but instead use the nodes making up the two originals). The function should have signature

```
node* merge(node *list1, node* list2)
```

(f) Given a linked list, return the node at the beginning of a cycle (a cycle occurs when a node's next pointer points to an earlier node which creates a cycle). If no cycle exists, it should return a NULL pointer. The function should have signature

```
node* cycle(node* list)
```

Problem 3

Write a simple class for European options. It should handle both put and call options, contain a default constructor and a constructor that accepts values from the user (S, K, T, σ, r) , a destructor, and functions that compute the price of the option, implied volatility, and Delta and Gamma (Greeks). To compute the implied volatility (given the options price) you should implement a simple root-finding algorithm such as the bisection method or Newton's method (you may find it useful to use pointers to functions, explained in simple terms on the following page: http://www.cplusplus.com/doc/tutorial/pointers/). Also overload the << operator to print out the options information.