

## Shortest-Job-First (SJF) Scheduling

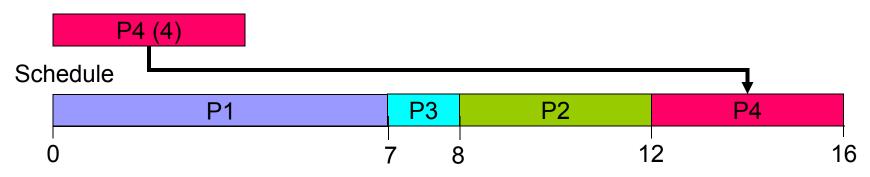
- Associate with each process the length of its next CPU burst
- A process with shortest burst length gets the CPU first
- SJF provides the minimum average waiting time (optimal!)
- Two schemes
  - Non-preemptive once CPU given to a process, it cannot be preempted until its completion
  - Preemptive if a new process arrives with shorter burst length, preemption happens



## Non-Preemptive SJF Example

Process	<b>Arrival Time</b>	<b>Burst Time</b>
P1	0	7
P2	2	4
P3	4	1
P4	5	4

Ready queue: t=12



Wait time = completion time - arrival time - run time (burst time)

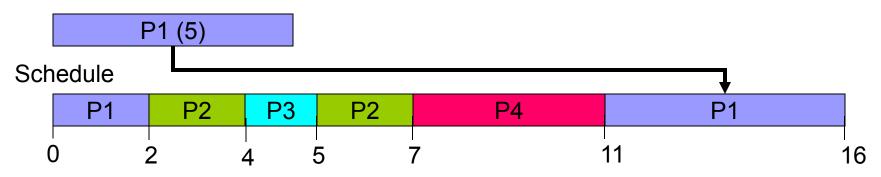
$$AWT = [(7-0-7)+(12-2-4)+(8-4-1)+(16-5-4)]/4 = (0+6+3+7)/4 = 4$$

Response Time: P1=0, P2=6, P3=3, P4=7



Process	<b>Arrival Time</b>	<b>Burst Time</b>
P1	0	7
P2	2	4
P3	4	1
P4	5	4

Ready queue: t=11



Wait time = completion time - arrival time - run time (burst time)

$$AWT = [(16-0-7)+(7-2-4)+(5-4-1)+(11-5-4)]/4 = (9+1+0+2)/4 = 3$$

Response Time: P1=0, P2=0, P3=0, P4=2



## Approximate Shortest-Job-First (SJF)

- SJF difficulty: no way to know length of the next CPU burst
- Approximate SJF: the next burst can be predicted as an exponential average of the measured length of previous CPU bursts

$$\tau_{n+1} = \alpha t_n + (1-\alpha)\tau_n \longrightarrow \text{history}$$
new one

Commonly, 
$$= \alpha t_n + (1 - \alpha)\alpha t_{n-1} + (1 - \alpha)^2 \alpha t_{n-2} + \dots$$

$$= (\frac{1}{2})t_n + (\frac{1}{2})^2 t_{n-1} + (\frac{1}{2})^3 t_{n-2} + \dots$$