Annotated PW codes (more or less ...)

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1 PWGrid version 1

```
type PWGrid
  Ns::Array{Int64}
  LatVecs::Array{Float64,2}
  RecVecs::Array{Float64,2}
  Npoints::Int
  \Omega::Float64
  r::Array{Float64,2}
  G::Array{Float64,2}
  G2::Array{Float64}
function PWGrid( Ns::Array{Int,1},LatVecs::Array{Float64,2} )
  Npoints = prod(Ns)
  RecVecs = 2*pi*inv(LatVecs')
  \Omega = \det(\text{LatVecs})
  R,G,G2 = init_grids( Ns, LatVecs, RecVecs )
  return PWGrid( Ns, LatVecs, RecVecs, Npoints, Ω, R, G, G2 )
end
function mm_to_nn(mm::Int,S::Int)
  if mm > S/2
    return mm - S
  else
    return mm
  end
end
function init_grids( Ns, LatVecs, RecVecs )
  Npoints = prod(Ns)
  r = Array (Float64, 3, Npoints)
  ip = 0
  for k in 0:Ns[3]-1
  for | in 0:Ns[2]-1
  for i in 0:Ns[1]-1
    ip = ip + 1
    r[1,ip] = LatVecs[1,1]*i/Ns[1] + LatVecs[2,1]*j/Ns[2] +
 \rightarrow LatVecs[3,1]*k/Ns[3]
    r[2,ip] = LatVecs[1,2]*i/Ns[1] + LatVecs[2,2]*j/Ns[2] +
 \rightarrow LatVecs[3,2]*k/Ns[3]
    r[3,ip] = LatVecs[1,3]*i/Ns[1] + LatVecs[2,3]*j/Ns[2] +
 \rightarrow LatVecs[3,3]*k/Ns[3]
  end
  end
  end
  G = Array(Float64, 3, Npoints)
```

```
G2 = Array(Float64, Npoints)
  ip = 0
  for k in 0:Ns[3]-1
  for j in 0:Ns[2]-1
  for i in 0:Ns[1]-1
   gi = mm_to_nn(i, Ns[1])
   gj = mm_to_nn(j, Ns[2])
   gk = mm_to_nn(k, Ns[3])
   ip = ip + 1
   G[1,ip] = RecVecs[1,1]*gi + RecVecs[2,1]*gj + RecVecs[3,1]*gk
   G[2,ip] = RecVecs[1,2]*gi + RecVecs[2,2]*gj + RecVecs[3,2]*gk
   G[3,ip] = RecVecs[1,3]*gi + RecVecs[2,3]*gj + RecVecs[3,3]*gk
   G2[ip] = G[1,ip]^2 + G[2,ip]^2 + G[3,ip]^2
  end
  end
 end
 return r, G, G2
end
```

2 Solving Poisson equation

```
include("../common/PWGrid_v01.jl")
#include("../common/wrappers_fft_v01.jl")
include("../common/wrappers_fft.jl")
include("gen_dr.jl")
include("gen_rho.jl")
include("solve_poisson.jl")
function test main()
 const Ns = [64, 64, 64]
 const LatVecs = 16.0*diagm( ones(3) )
 pw = PWGrid( Ns, LatVecs )
  const Npoints = pw.Npoints
  const \Omega = pw.\Omega
  const r = pw.r
  const Ns = pw.Ns
  # Generate array of distances
  center = sum(LatVecs, 2)/2
  dr = gen_dr(r, center)
  # Generate charge density
  const \sigma1 = 0.75
  const \sigma2 = 0.50
  rho = gen_rho(dr, \sigma1, \sigma2)
  # Solve Poisson equation and calculate Hartree energy
  phi = solve_poisson( pw, rho )
  Ehartree = 0.5*dot(phi, rho)*\Omega/Npoints
  Uanal = ( (1/\sigma 1 + 1/\sigma 2)/2 - \text{sqrt}(2) / \text{sqrt}(\sigma 1^2 + \sigma 2^2) ) / sqrt(pi)
```

3 Solving Schrodinger equation