

T1. -114 的原码 1 1 1 0 0 1 0
补码 1 0 0 0 1 1 1 0

+81 的原码 0 1 0 1 0 0 1
补码 0 1 0 1 0 0 1

2. 0011 0010 $\rightarrow 2^1 + 2^4 + 2^5 = +50$

$$1111 \ 1101 \rightarrow (10000011)_2 = -3$$

T_2 , the largest 127

the smallest -128

$$2. \quad -2^n \sim 2^{n-1}$$

the largest

the smallest

$$T_3 = -128$$

2's complement number 1 0000 000

original code 10000000

T₄

4. $a-b > 2^{31}-1$ 或 $a-b < -2^{31}$ $a-b$ 结果溢出

2. $b=0$ 时.

Ts

1. 000 0000 000 | 0000 0000
| 000

$$\begin{array}{r} 0 \ 1000 \ 1011 \\ \hline 139 \end{array} \quad \begin{array}{r} 0000 \ 0000 \ 0000 \ 10000 \ 0000 \ 1000 \end{array}$$

捐費 $139 - 127 = 12$

$$x = (-1)^0 \times (1, 000\ 0000\ 0001\ 0000\ 0001)_2 \times 2^{12}$$

$$= 1000\ 0000\ 000\ 10.000\ 000\ 1$$

$$= 4098.0078125$$

T6

smallest number

$$s = 1 \quad e = 254 - 127 = 127.$$

层数 $M = \begin{matrix} ||| & ||| & ||| & ||| & ||| & ||| \\ ||| & ||| & ||| & ||| & ||| & ||| \\ ||| & ||| & ||| & ||| & ||| & ||| \end{matrix}$

机器码 1 111 1110 11 111 111 111 111 111 111

$$\text{Neg Min} = (-1)' \times (1, 111 \ 111 \ 111 \ 111 \ 111 \ 111)_2 \times 2^{127}$$

= 控制形式 - 1111 1111 1111 1111 1111 1111 0. --- 0

the smallest positive number
 $S=0$ $E=1$ $e=1-127=-126$ $M=0$

机器码

0 0000 0001 000 0000 0000 0000 0000 0000

$$\text{PosMin} = (-1)^0 \times (1.000\ 0000\ 0000\ 0000\ 0000\ 0000) \times 2^{-126}$$

$$= 0.0 \underbrace{\dots\dots\dots 0}_{125} 1$$

T_7

```
PS C:\Users\2
-834214802
0
1318926965
```

-834214802

0

1318926965

T_8

$$1. *a = *a \wedge *b$$

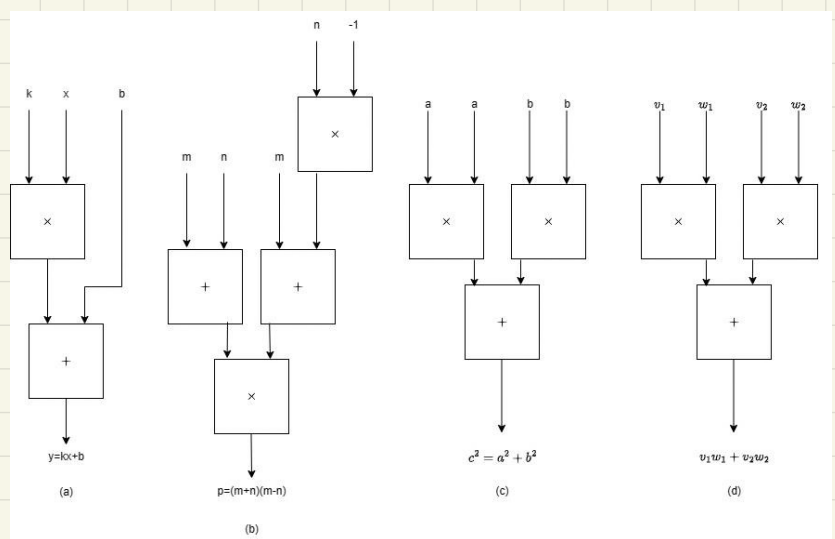
$$*b = *a \wedge *b$$

$$*a = *a \wedge *b$$

2.

```
void sort(int *a, int n) {
    // sort a[0] ~ a[n - 1]
    for (int i = 0; i < n - 1; i++) {
        int min = i, flag = 0;
        for (int j = i; j < n; j++) {
            if (a[j] < a[min]) {
                min = j;
                flag = 1;
            }
        }
        if(flag) swap(a + i, a + min);
    }
}
```

T₉



T₁₀

$$126 + 26 + 10 + 2 = 64$$

可用 6 位

2. $6 \times N$ bits.

3. H 8

e 30

l 37

o 40 \Rightarrow

W 22

r 43

d 29

空格 62

. 63

001000	011110	100101	100101	101000	111110
010110	101000	101011	100101	011101	111111