Chapter 4 Extensions to Demand

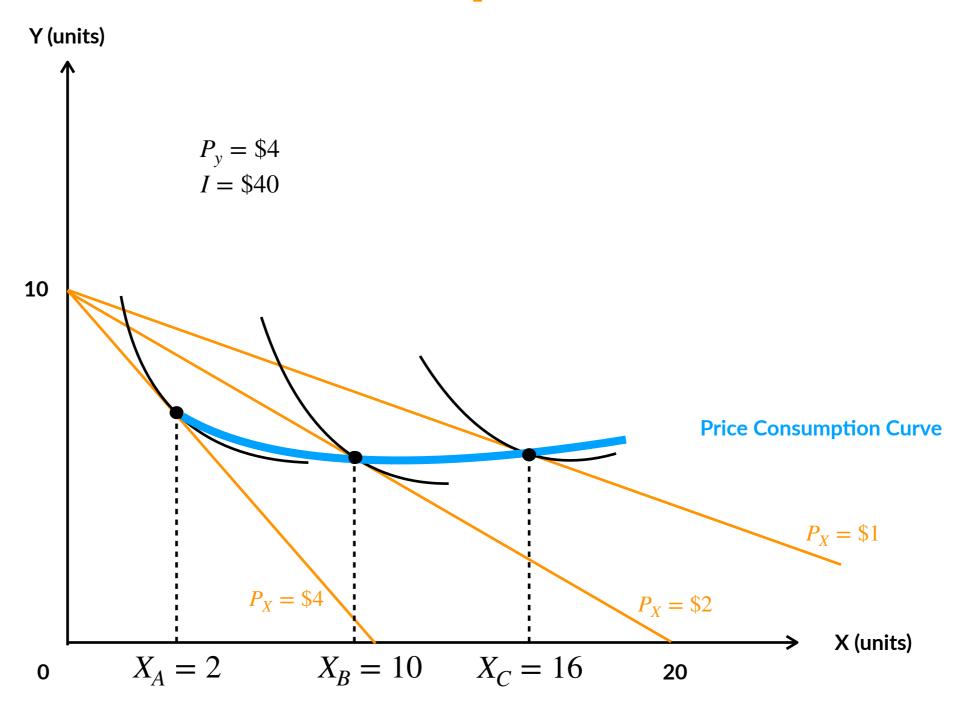
Individual Demand Curves

- In Chapter 3, the consumer's optimal basket of goods was determined
- We can now tell how much a consumer will demand of good X for a given price of X (also given income and price of other goods)
- Can find all the points on a demand curve by changing the price of X and determining how much the consumer will demand

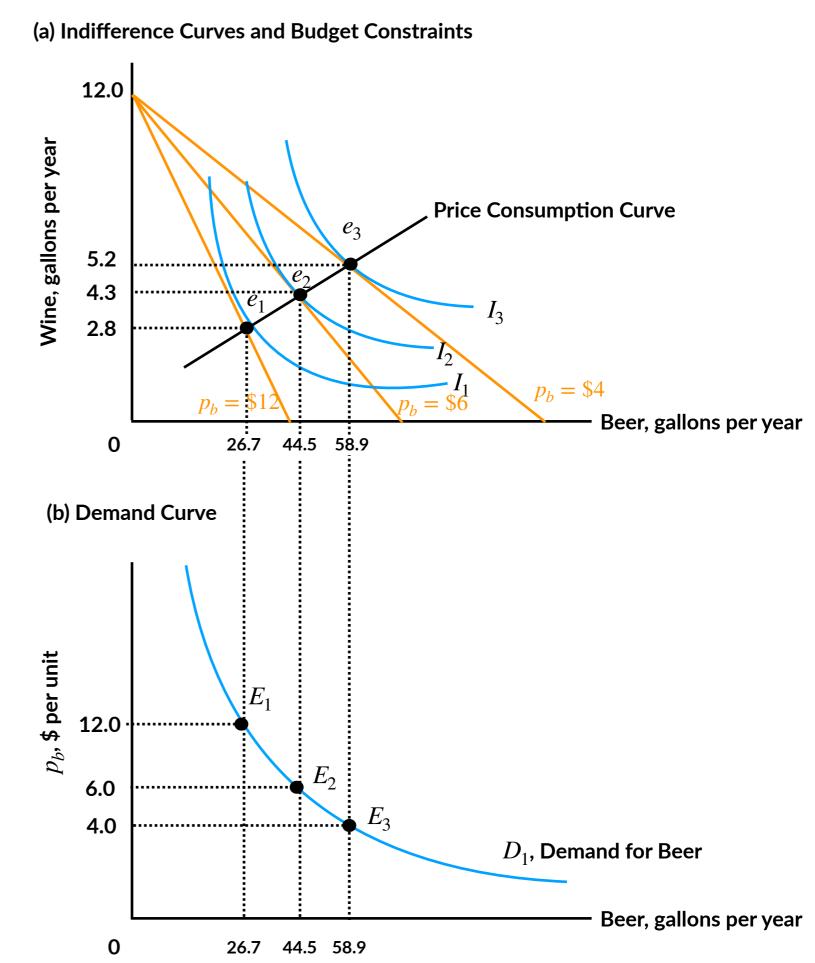
Individual Demand Curves

- The Price Consumption Curve of Good X: the set of optimal baskets for every possible price of good X, holding all other prices and income constant
 - Can be written as the quantity consumed of good X for any price of X — this is the individual's demand curve for good X

Price Consumption Curves



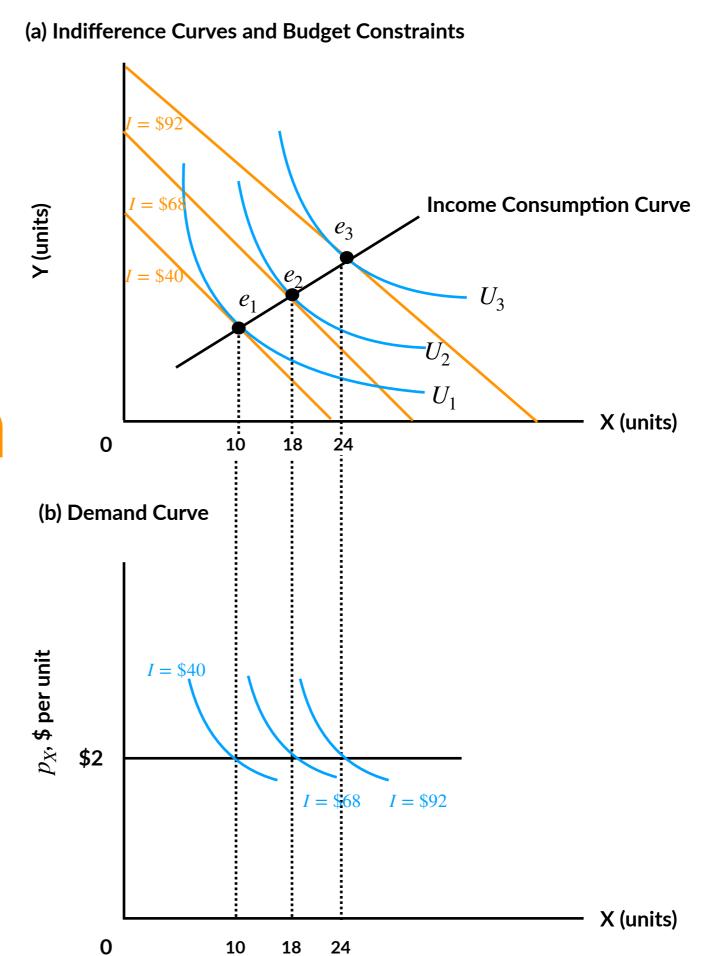
Deriving an Individual's Demand Curve



Income Consumption Curve

- The Income Consumption Curve of good X is the set of optimal baskets for every possible level of income
- We can graph the points on the income consumption curve as points on a shifting demand curve

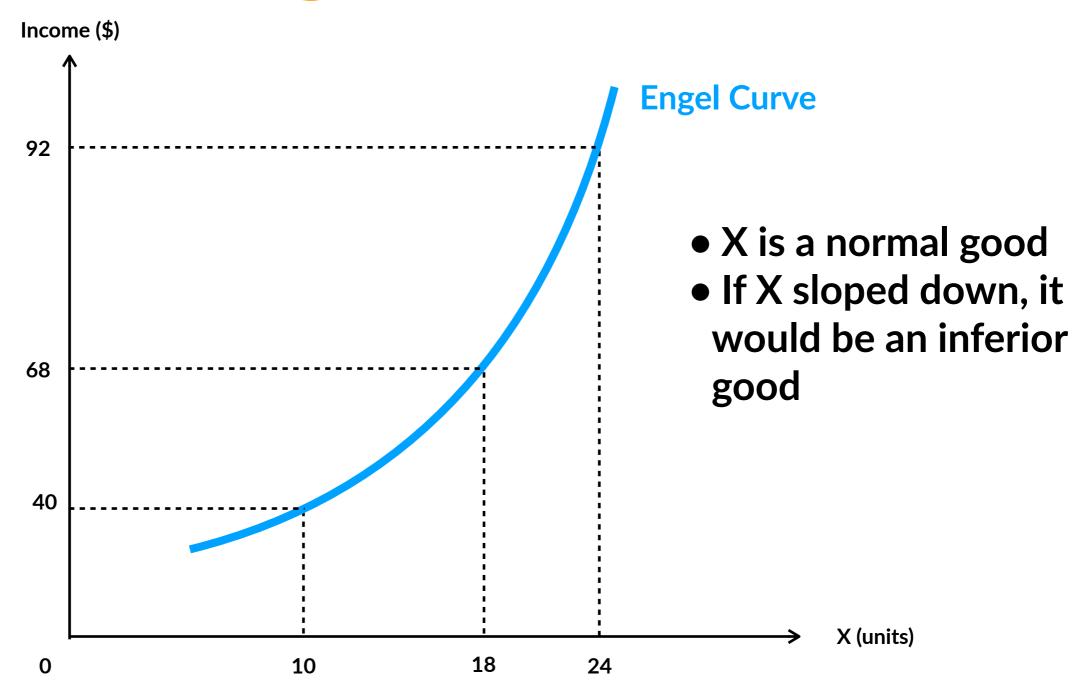
Income Consumption Curve



Engel Curves

- Demand curves show the price and quantity relationship, but what about the income (Y) and quantity relationship?
- Engel Curves show the relationship between a consumer's income level and their quantity demanded of a good
- Let's examine the demand curve to Engel curve linkage

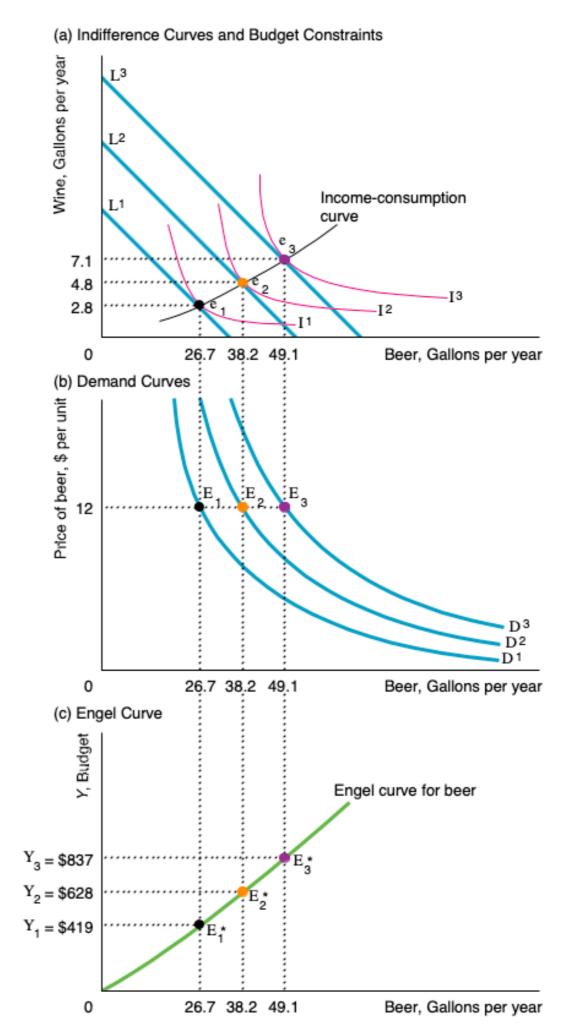
Engel Curve



Definition of Goods

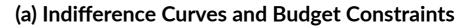
- If the income consumption curve shows that the consumer purchases more of good X as her income rises, good X is a normal good
- Equivalently, if the slope of the Engel curve is positive, then the good is a normal good
- If the income consumption curve shows that the consumer purchases less of good X as her income rises, good X is an inferior good
- If the slope of the Engel curve is negative, then the good is an inferior good

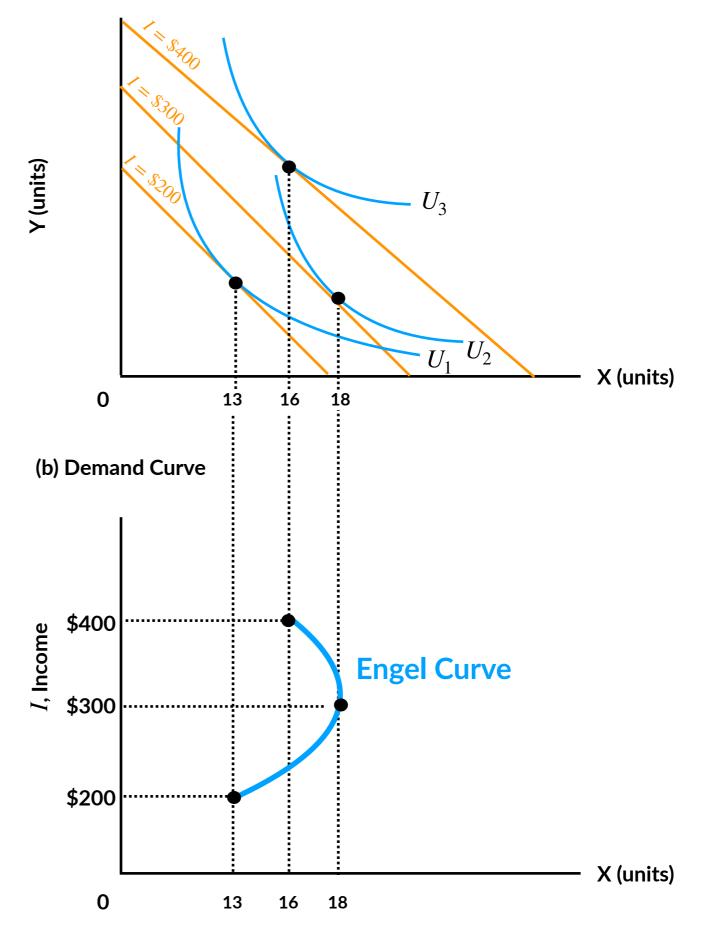
Effect of a Budget Increase on an Individual's Demand Curve



Backwards Bending Engel Curve

- A good can be normal over some ranges and inferior over others
- As income goes up, the Engel curve bends back and the good has not become inferior
- What's an example?





Some Definitions

Recall that we defined Income Elasticity as:

$$\xi = \frac{\Delta Q/Q}{\Delta Y/Y} = \frac{\Delta Q}{\Delta Y} \times \frac{Y}{Q} = \frac{\delta Q}{\delta Y} \times \frac{Y}{Q}$$

- Inferior good: a good for which income elasticity is negative
- Normal good: a good for which income elasticity is positive
- Luxury good: a good for which income elasticity is great than one
- Necessity good: a good for which the income elasticity is positive but less than one
- Note: these differ from person to person

Income Elasticity Application

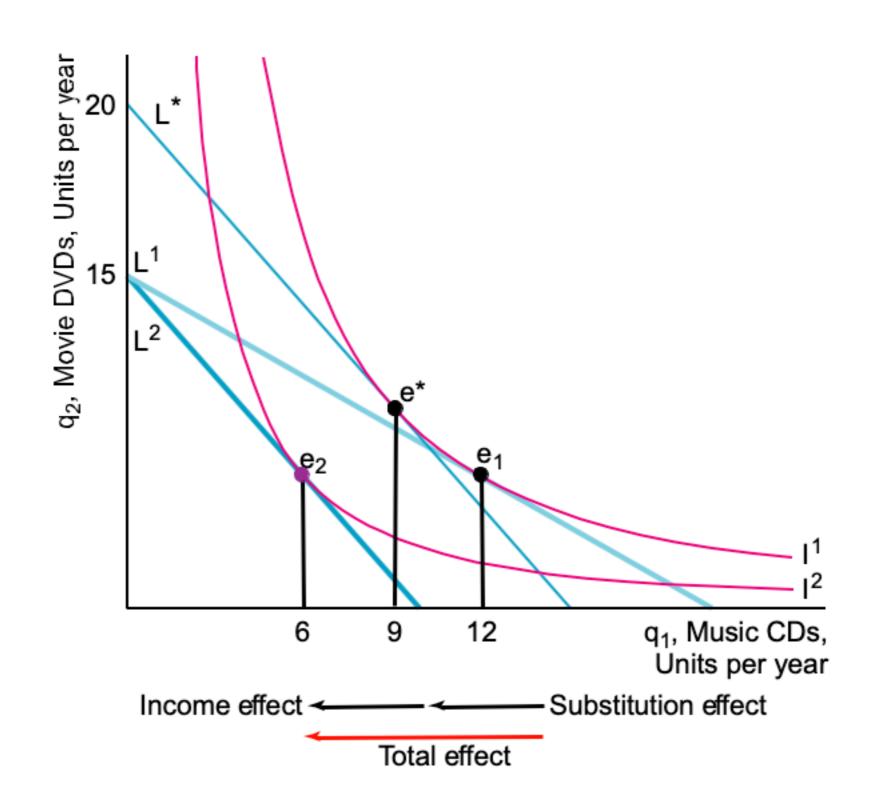
 Consumption levels at the top and bottom quintile of the U.S. income distribution:

	High-Income Expenditures
Item	Low-Income Expenditures
Tobacco	1.2
Food at home	2.1
Health care	2.5
Apparel and services	3.6
Housing	3.7
Education	3.7
Food away from home	4.3
All Items	4.4
Alcoholic beverages	4.6
Entertainment	6.4
Cash contributions	7.8
Life and other personal insurance	7.8
Pensions and Social Security	37.8

Substitution and Income Effects of a Price Change

- Substitution Effect: the portion of the change in a consumer's Q_d due to a relative change in the price of a good, holding all other prices and the consumer's utility constant
- Income Effect: the portion of the change in a consumer's Q_d due to a relative change in their income level, holding all prices constant
- Important point: when the price of a good changes, you observe a combination of the two effects!

Substitution and Income Effects with Normal Goods



Compensated Demand Curve

- Marshallian (Uncompensated) Demand Curve: reflects both the substation effect and the income effect
- Hicksian (Compensated) Demand Curve: measures the substitution effect only
- Hicksian Demand: $q_1 = H(p_1, p_2, \bar{U})$

The Slutsky Equation

 The elasticity of demand also registers both the income and substitution effects (like Marhsallian Demand)

total effect = substitution effect + income effect
$$\varepsilon = \varepsilon^* + (-\theta \xi)$$

- \bullet θ = the share of the budget spent of the good in question
- Question: what sorts of markets would we expect ε and ε^* to differ the most?

Not Covered in Chapter 4

- Cost of living adjustments, inflation adjustments, and the consumer price index (CPI)
- Revealed preferences working the utility maximization problem in the opposite direction, back to the utility function