# 1 Physics: What the heck am I learning?

$$\underbrace{\frac{\text{Math}}{\int \frac{df}{dx} \, \mathrm{d}x = f}} \quad \text{Position change over time linearly with no acceleration} \quad \underbrace{\frac{\text{Quantitative}}{\sum \vec{F} = m\vec{a}}}_{\vec{Q}}$$

$$\vec{a} = \frac{d\vec{v}}{df}$$

$$\vec{x} = \frac{d\vec{v}}{df}$$

## 2 4 Fields of Physics

There 4 kinds of physics:

classical mechanics	quantum mechanics
relativity	QFT

All related to E&M.

## 3 The 4 Basic Forces

- 1. Strong force:
  - (a) Bring neutron, proton, electron away, together
- 2. Electromagnectic force:
  - (a) Drive electric motor, magnets, give us friction, air resistance, normal forces
- 3. Weak:
  - (a) Nuclear decay. beta and gamma.
- 4. Gravity
  - (a) Weaker than all of them. Behave like E&M so use almost the same eugation

### 4 Scalars and Vectors

- 1. Scalars
  - (a) unit-less
  - (b) magnitude

- (c) mass
- (d) time
- (e) count

#### 2. Vectors

- (a) Length(magnitude) and direction
- (b) Know the representation of a Vectors
- (c) Addition and multiplication is the typical operator
- (d) You can add Vectors, scalar product
  - i. dot product and cross product does scalar computation
- (e) Displacement
- 3. vector addition/subtraction
- 4. dot product and cross product to manipulate vectors

#### 5 Dot Product and Cross Product

order of operation don't matter

- 1. If a double in size, then dot product double in size.
- 2. If you a double in size, then cross product double in size.
- 3. For cosine term, 0 degree give 1, 90 degree give 0, 180 degree give -1, and so on.
  - (a) Therefore, the dot product is maximized when the 2 vector point to the same direction (or how parallel they are)
- 4. For sine term, 0 degree give 0, 90 degree give 1, 180 degree give 0.
  - (a) Therefore, the cross product is maximized when the 2 vectos are perpendiculr to each other

## 5.1 The Dirac Delta Function

The divergence of  $\frac{\dot{r}}{r^2}$ 

$$\Delta \cdot \vec{v} = \frac{1}{r^2} \frac{\partial}{\partial r} (r^2 * \frac{1}{r^2}) = 0 \quad \text{The divergence is } 0$$

$$\int_{volume} \Delta \cdot \vec{v} \, \mathbf{x} = \oint_{surface} v \, \tilde{\mathbf{a}}$$

Gauss's theorem (1)