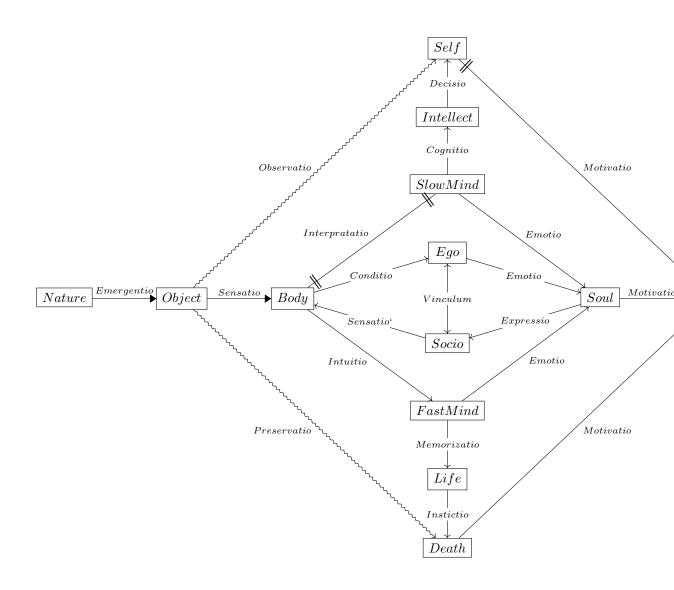
1 Notation Versions

Variable	Interval	IEM head	[restra	$[in_1]:$ A	Arrow	$: [restrain_1]$	Arrow end
m	$[0,\infty)$	→	norr	nal	>	power-set	\rightarrow
n	$[1,\infty)$	-	surjec	etive p	or	non-empty	$\rightarrow \triangleright$
1	[1,1]	-	bijec	tive	0	functional	>
ε	[0, 1]		injec	tive	0	partial	→ ▷
Variab	ole Interv	val IEM h	ead [res	$strain_1]:$	Arrov	$v : [restrain_1]$] Arrow en
\overline{m}	$[0, \infty$) — 《	< r	normal	⊳ or	power-set	\rightarrow
n	$[1, \infty$) 	∠ su	ırjective	•	non-empty	→
1	[1, 1]] -	_ b	ijective	0	functional	<i>→</i> >
ε	[0, 1]] -	_ ir	njective	0	partial	→ ▷
Notati	on IE	EM [res	$train_1$:	: [restr	$ain_1]$		
m:m	>	n	ormal	power	-set		
n:m	\	sur	surjective por		-set		
1:m	-	bi	jective	power	-set		
$\varepsilon:m$	+0-	——— in	jective	power	-set		
m:n	>>	n n	ormal	non-en	npty		
n:n	\rightarrow	su:	rjective	non-en	npty		
1:n	-	— bi	jective	non-en	npty		
$\varepsilon:n$	+0-	in in	jective	non-en	npty		
m:1	>>	n	ormal	function	onal		
n:1	\rightarrow	su:	rjective	function	onal		
1:1	:1 ###		bijective		onal		
$\varepsilon:1$	$\varepsilon:1$		injective		onal		
$m:\varepsilon$	$m: \varepsilon \longrightarrow \bigcirc$		normal		al		
$n:\varepsilon$	\rightarrow	su:	rjective	parti	al		
$1:\varepsilon$	+		jective	parti	al		

partial

injective

 $\varepsilon:\varepsilon$



 \longrightarrow

 \hookrightarrow

 \leftrightarrow

—€

→

 \leftarrow

 \rightarrow

 \leftarrow P

 \leftrightarrow (alternative)

 \leftarrow (alternative)

 \rightarrow