



UDAAN



2026

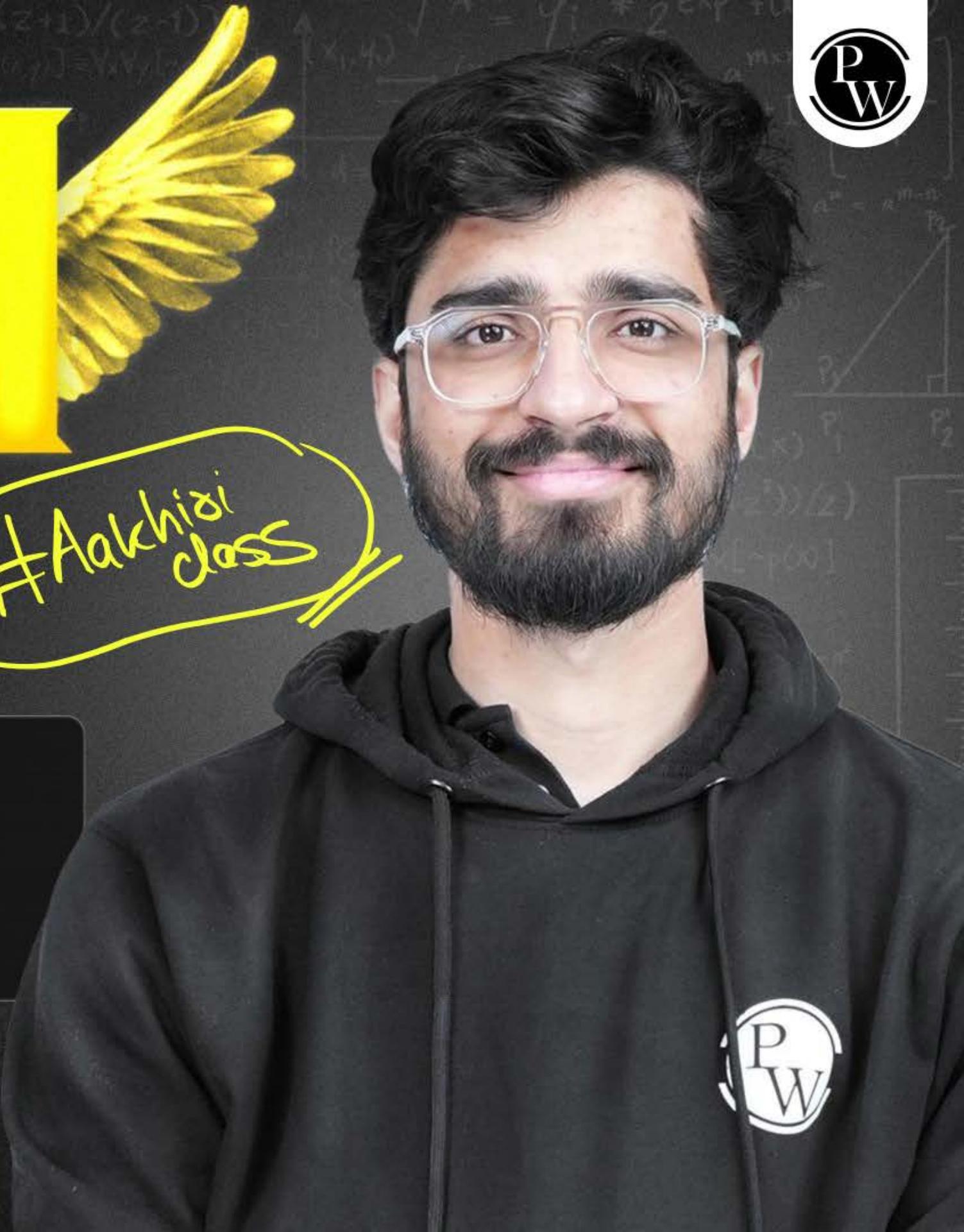
#Aakhidi
class

Triangles

MATHS

LECTURE-7

BY-RITIK SIR



Topics *to be covered*

A

Practice Questions

(Part - 03)

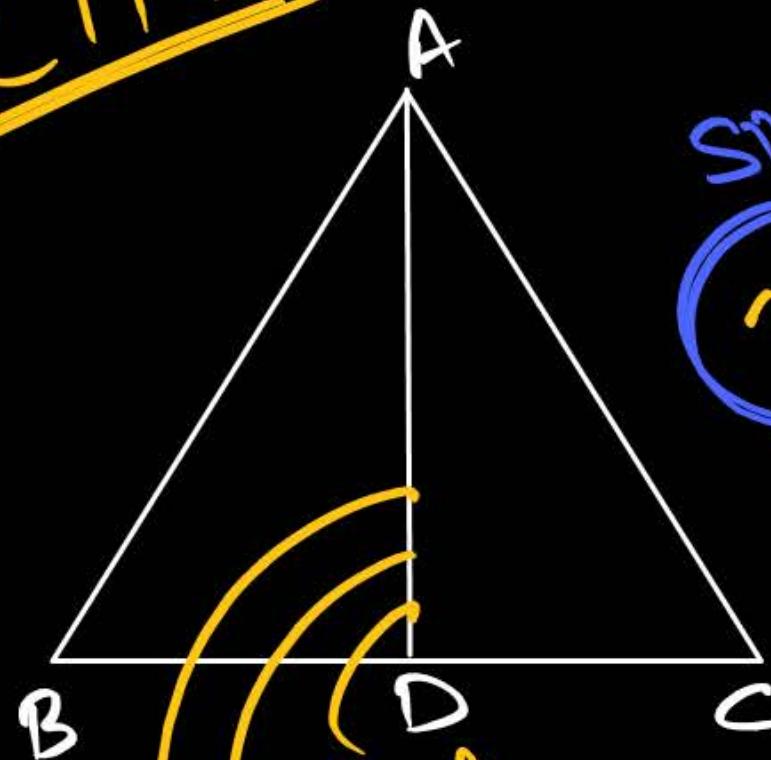
B

CBSE 2025 Questions

discussion

P
W

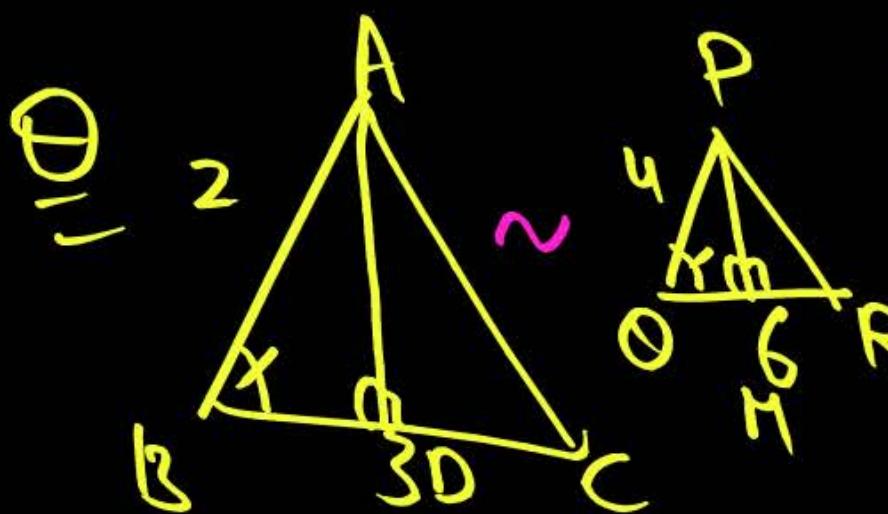
#CTR



Median
Angle bisector
Altitude



Median
Angle bisector
Altitude

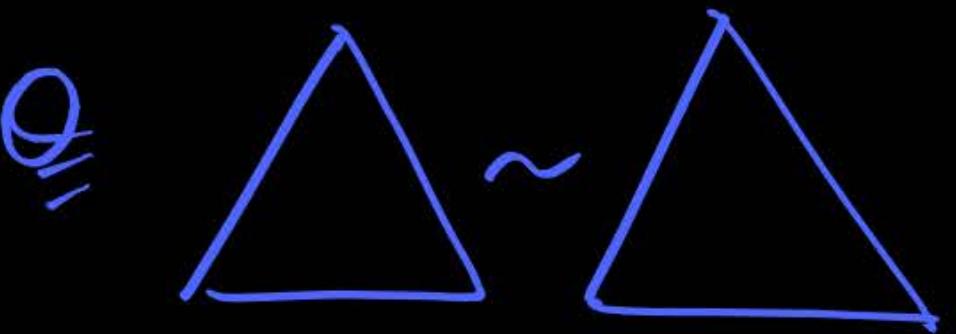


$$\frac{AD}{PM} = \frac{1}{2}$$

$\star \star \star$

$$\frac{AB}{PQ} = \frac{AC}{PR} = \frac{BC}{QR} = \frac{AD}{PM} = \frac{P \cdot \Delta ABC}{P \cdot \Delta PQR}$$

$\star \star \star$



Corresponding Side Ratio = 2:5.

- " Median " = 2:5
- " Altitude " = 2:5
- " Angle bisector " = 2:5

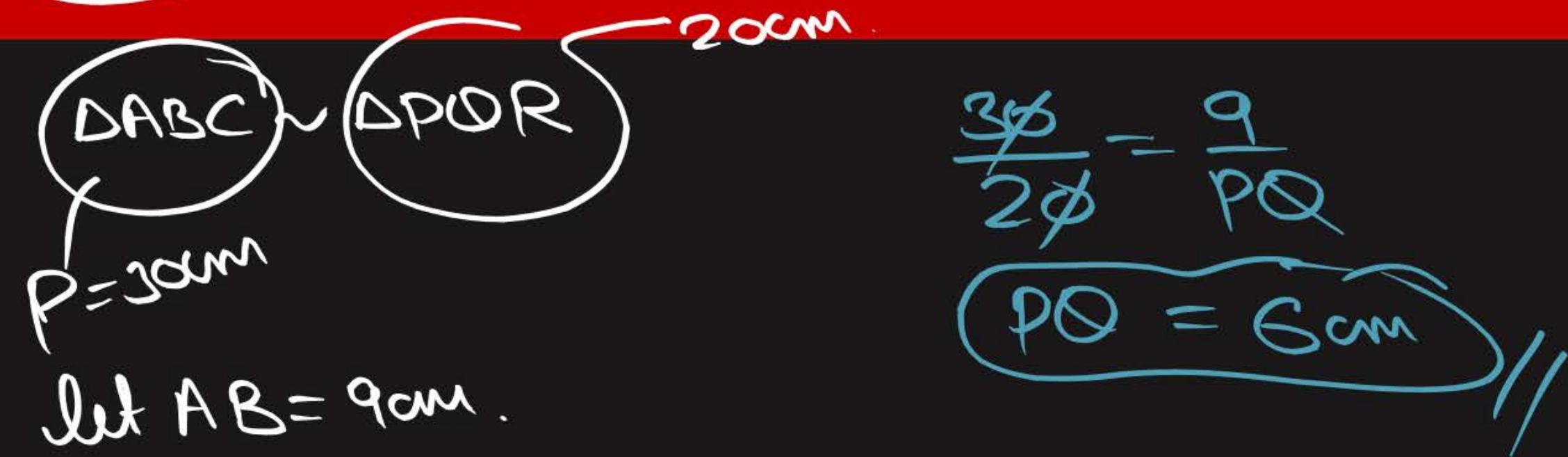


Important Points

If two triangles are equiangular, similar, the ratio of the corresponding side is same as the ratio of the:

- Corresponding medians.
- Corresponding angle bisectors segments.
- Corresponding altitude.
- Perimeters.

#Q. The perimeters of two similar triangles are 30 cm and 20 cm, respectively. If one side of the first triangle is 9 cm long, find the length of the corresponding side of the second triangle.



Corresponding sides $AB = PQ$.

$$\frac{P \cdot \Delta ABC}{P \cdot \Delta PQR} = \frac{AB}{PQ}$$

#Q. A vertical pole of a length 6 m casts a shadow 4 m long on the ground and at the same time a tower casts a shadow 28 m long. Find the height of the tower.

$$\angle PRO = \angle ACB$$

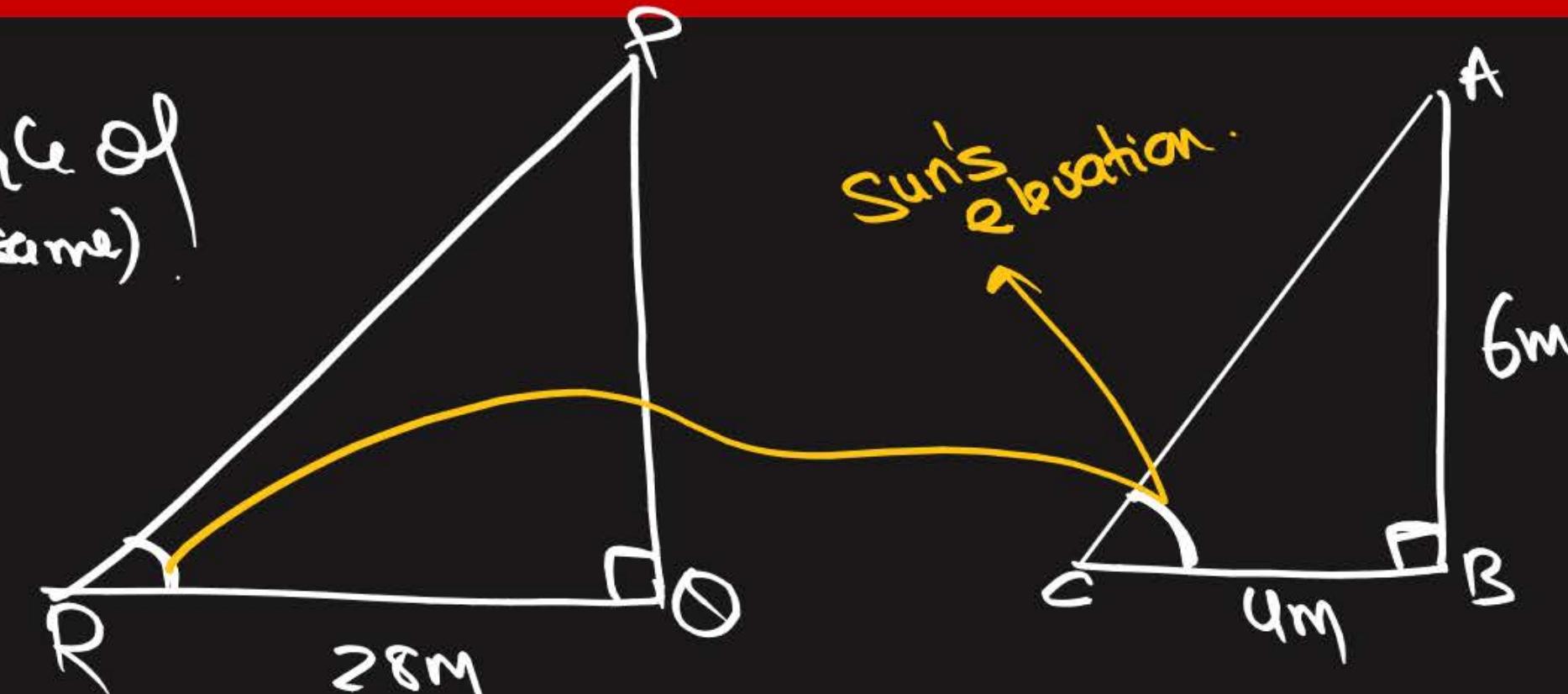
(At the same time, angle of elevation of sun is same)

$$\angle POR = \angle ABC = 90^\circ$$

(AA)

$$\triangle POR \sim \triangle ABC$$

Given, $\frac{PO}{AB} = \frac{OR}{BC} = \frac{PR}{AC}$



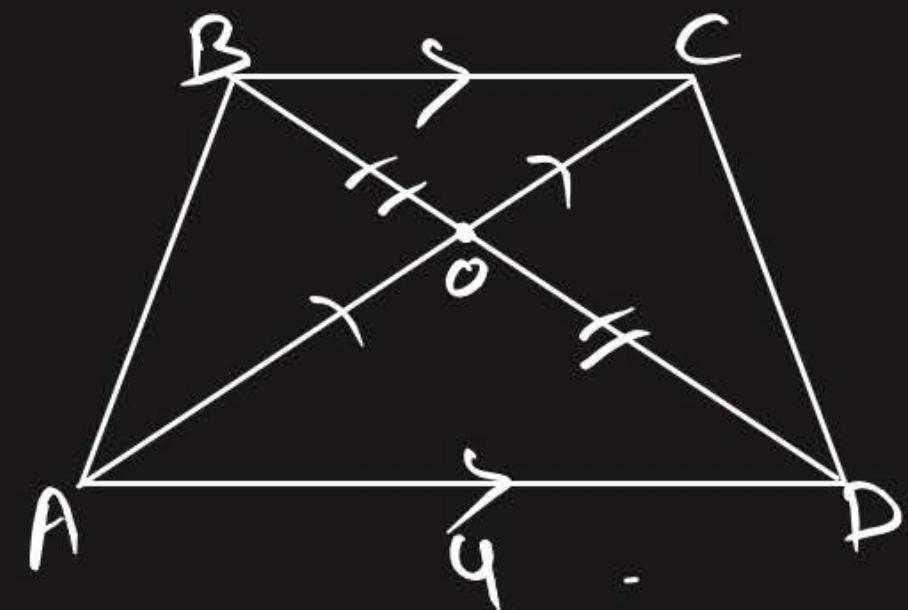
$$PO = \frac{28 \times 6}{4}$$

$$PO = 42 \text{ m}$$

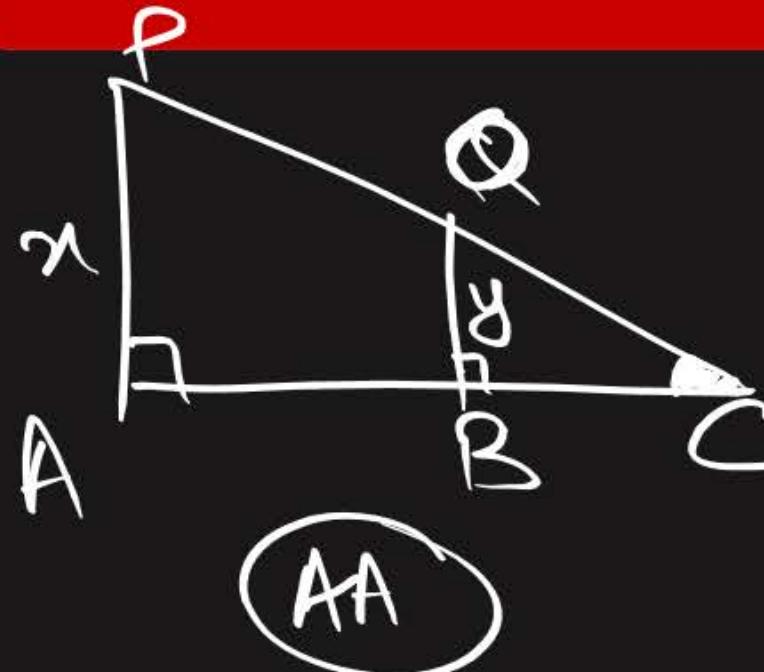
#Q. ABCD is a trapezium such that $BC \parallel AD$ and $AD = 4 \text{ cm}$. If the diagonals AC and BD intersects at O such that $\frac{AO}{OC} = \frac{DO}{OB} = \frac{1}{2}$ then BC =

- A 7 cm
- B** 8 cm
- C 9 cm
- D 6 cm

$$\begin{aligned} \Delta AOD &\sim \Delta COB \\ \frac{AO}{CO} = \frac{OD}{OB} &= \frac{AD}{CB} \quad || \\ \frac{1}{2} &= \frac{4}{CB} \\ CB &= 8 \end{aligned}$$



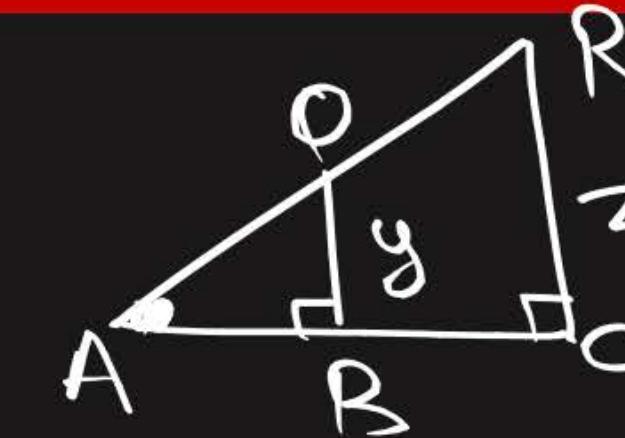
#Q. In figure, \overline{PA} , \overline{QB} and \overline{RC} are each perpendicular to \overline{AC} . Prove that $\frac{1}{x} + \frac{1}{z} = \frac{1}{y}$.



$\triangle APC \sim \triangle BQC$

$$\frac{AP}{BQ} = \frac{PC}{QC} = \frac{AC}{BC}$$

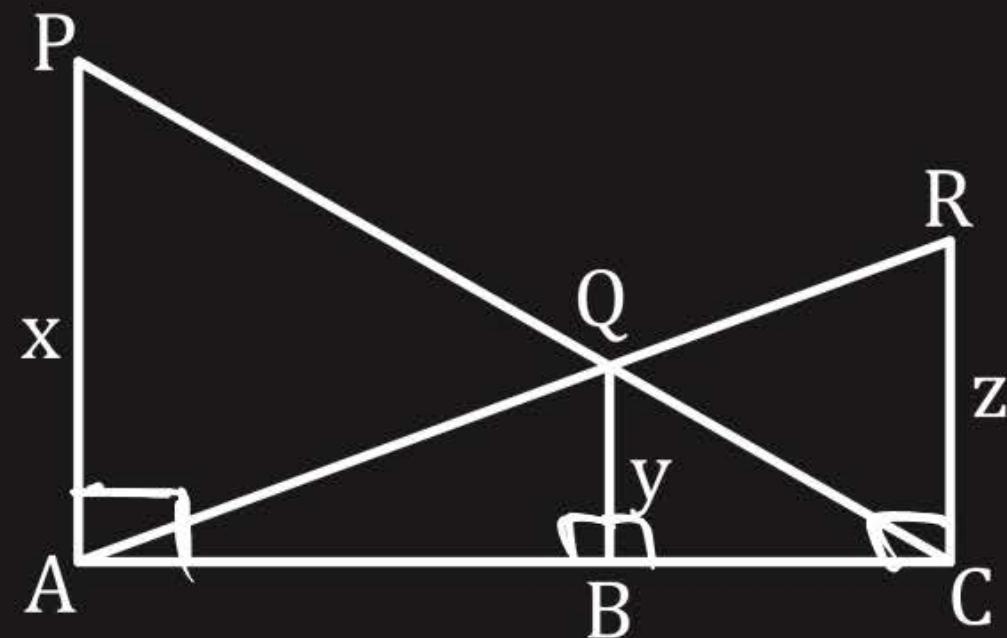
$$\frac{x}{y} = \frac{PC}{QC} = \frac{AC}{BC}$$



$\triangle RCA \sim \triangle QBA$

$$\frac{RC}{QB} = \frac{CA}{BA} = \frac{RA}{QA}$$

$$\frac{z}{y} = \frac{CA}{BA} = \frac{RA}{QA}$$



$$\frac{x}{y} = \frac{AC}{BC}$$

$$\frac{y}{x} = \frac{BC}{AC}$$

$$\frac{z}{y} = \frac{CA}{BA}$$

$$\frac{y}{z} = \frac{BA}{AC}$$

① + ②

$$\frac{y}{x} + \frac{y}{z} = \frac{BC}{AC} + \frac{BA}{AC}$$

$$\frac{y}{x} + \frac{y}{z} = \frac{\cancel{BC} + \cancel{BA}}{AC}$$

$$\frac{y}{x} + \frac{y}{z} = 1$$

$$\boxed{\frac{1}{x} + \frac{1}{z} = \frac{1}{y}}$$

#Q. In fig. \overline{OB} is perpendicular bisector of the line segment \overline{DE} , $\overline{FA} \perp \overline{OB}$ and \overline{FE} intersect \overline{OB} at the point C. Prove that

$$\frac{OA}{OB} = \frac{AC}{BC}$$

$\triangle FCA \sim \triangle ECB$

$$\frac{FC}{EC} = \frac{CA}{CB} = \frac{FA}{EB}$$

$\triangle OBD \sim \triangle OAF$

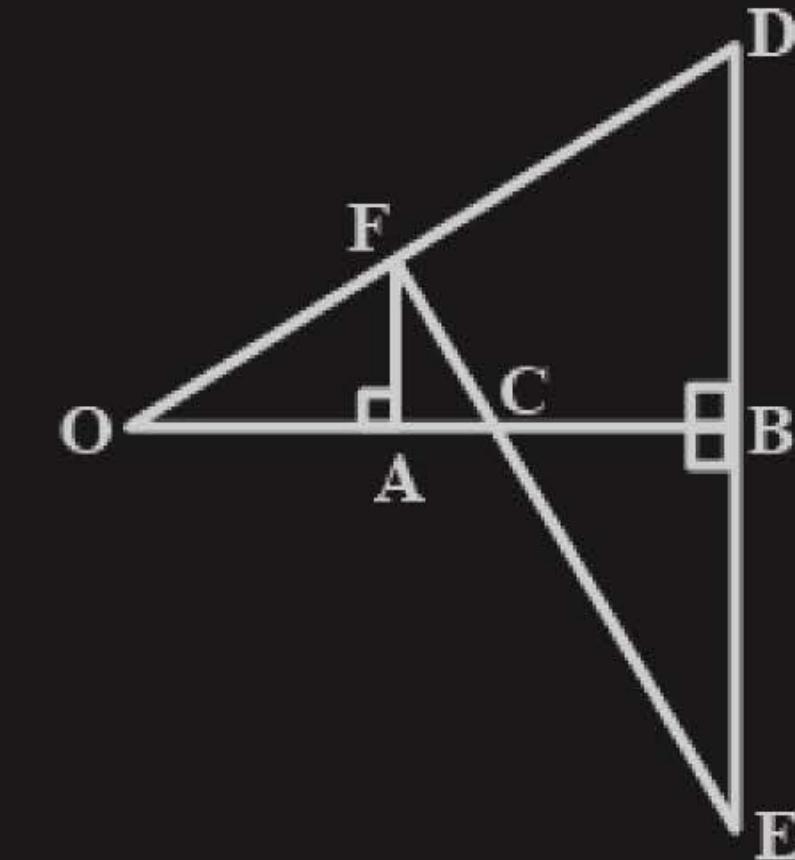
$$\frac{OB}{OA} = \frac{BD}{AF} = \frac{OD}{OF}$$

$$\frac{OA}{OB} = \frac{AF}{BD}$$

$$\frac{OA}{OB} = \frac{AF}{BE}$$

From ① and ②

$$\frac{CA}{CB} = \frac{OA}{OB}$$



#Q. Prove that: $\frac{1}{OA} + \frac{1}{OB} = \frac{2}{OC}$

$$\frac{OA}{OB} = \frac{AC}{BC}$$

$$\frac{OA}{OB} = \frac{OC - OA}{OB - OC}$$

$$OA \cdot OB - OA \cdot OC = OB \cdot OC - OA \cdot OB$$

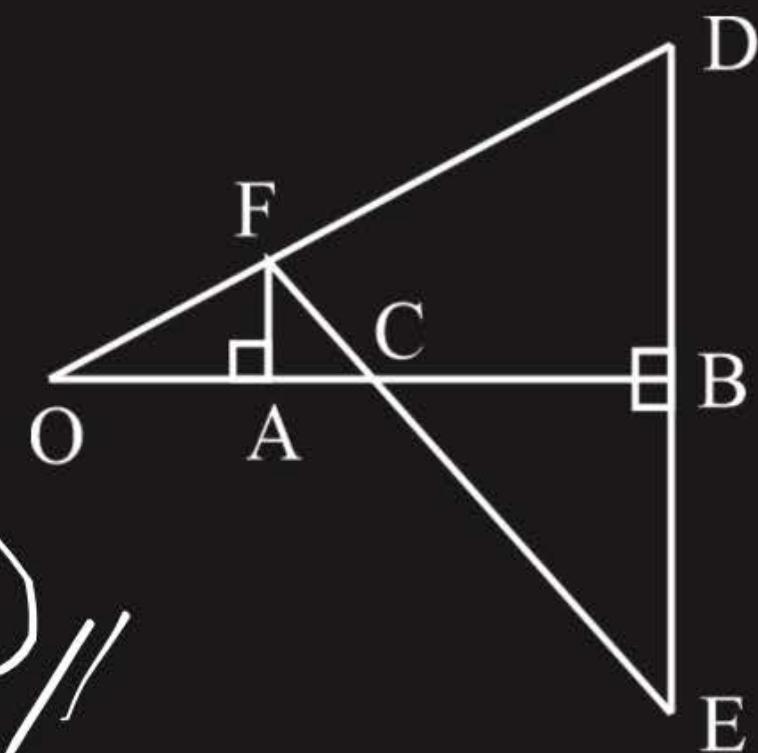
$$OA \cdot OB + OA \cdot OB = OB \cdot OC + OA \cdot OC$$

$$2OA \cdot OB = OB \cdot OC + OA \cdot OC$$

$$2 = \frac{OB \cdot OC}{OA \cdot OB} + \frac{OA \cdot OC}{OA \cdot OB}$$

$$2 = \frac{OC}{OA} + \frac{OC}{OB}$$

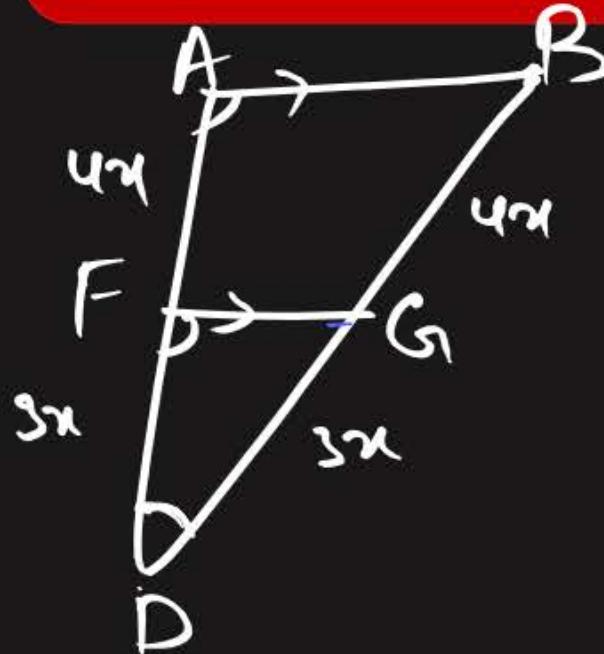
$$\frac{2}{OC} = \frac{1}{OA} + \frac{1}{OB}$$



~~HOT #Dhaasu~~

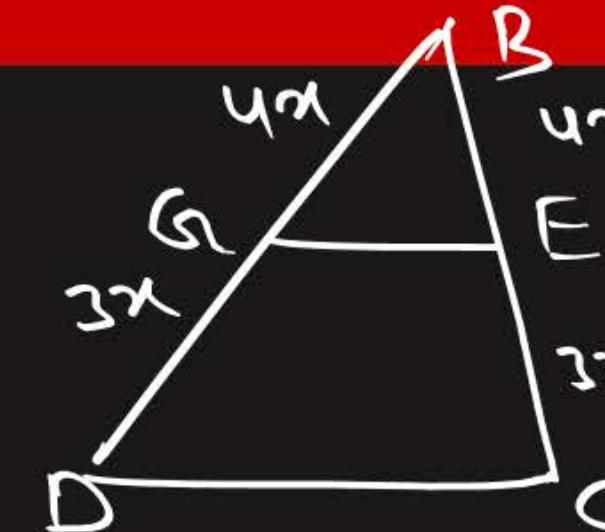
#Q. In a trapezium ABCD, $AB \parallel DC$ and $DC = 2AB$. If $EF \parallel AB$, where E and F lie on BC and AD respectively such that $\frac{BE}{EC} = \frac{4}{3}$. Diagonal DB intersect EF at G.

Prove that, $\angle EFG = 11AB$.



$$\frac{FG}{AB} = \frac{DG}{DR}$$

$\frac{FG}{AB} = \frac{3x}{7x}$	(1)
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$$\frac{GE}{DC} = \frac{BE}{BC}$$

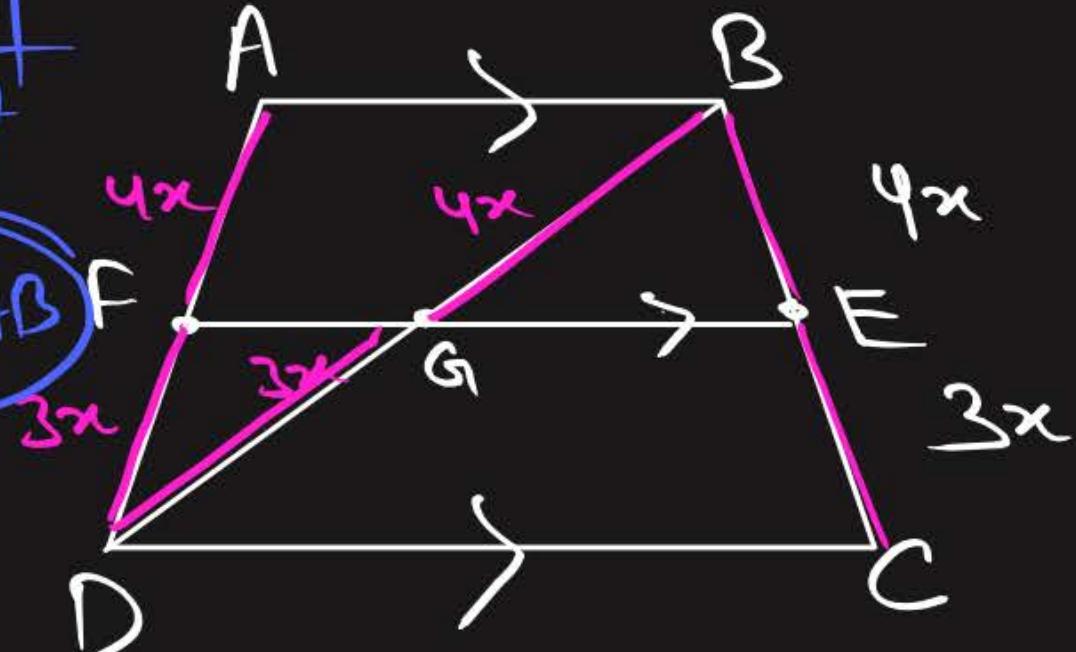
$$\frac{GE}{2AB} = \frac{4x}{7x}$$

$\frac{GE}{AB} = \frac{8}{7}$	(2)
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(1) + (2)

$$\frac{EF}{AB} = \frac{11}{7}$$

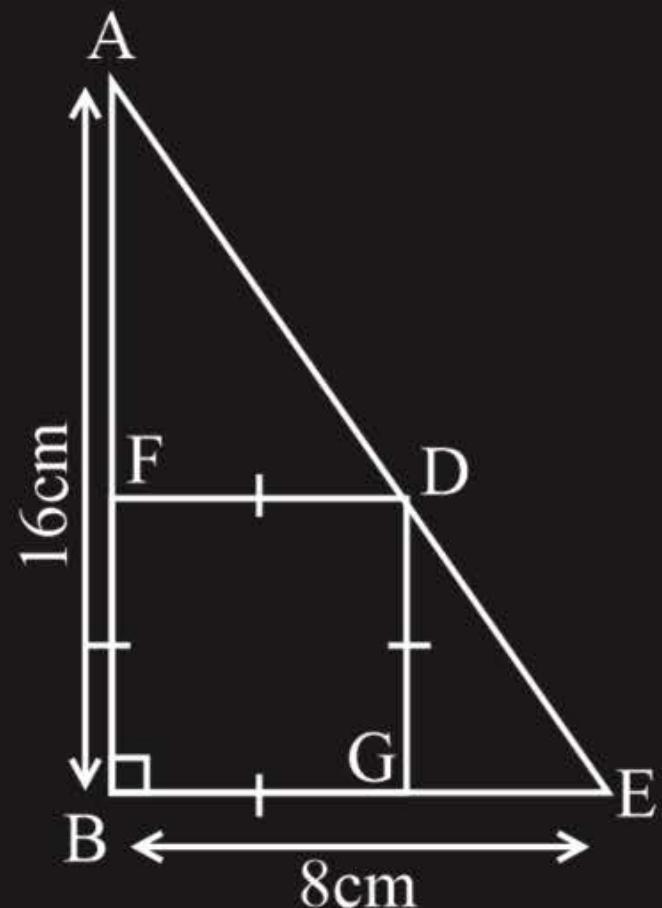
$\angle EFG = 11AB$



#Q. Sides AB and BE of a right triangle, right angled at B are of lengths 16 cm and 8 cm respectively. The length of the side of largest square FDGB that can be inscribed in the triangle ABE is

- A $32/3$ cm
- B $16/3$ cm
- C $8/3$ cm
- D $4/3$ cm

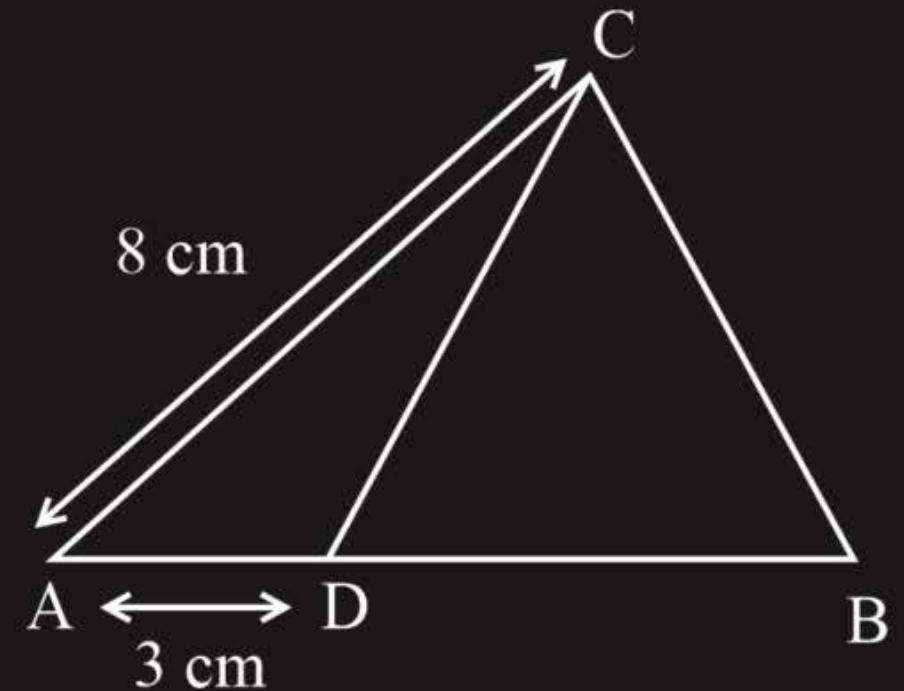
~~#GPK~~



#Q. In figure, $\angle ACB = \angle CDA$, $AC = 8 \text{ cm}$ $AD = 3 \text{ cm}$, then $BD =$

#6ph

- A $\frac{22}{3} \text{ cm}$
- B $\frac{26}{3} \text{ cm}$
- C $\frac{55}{3} \text{ cm}$
- D $\frac{64}{3} \text{ cm}$



#Q. In the adjoining figure, $\triangle CAB$ is a right triangle, right angled at A and $AD \perp BC$.
 Prove that $\triangle ADB \sim \triangle CDA$. Further if $BC = 10\text{ cm}$ and $CD = 2\text{ cm}$, find the length of AD.

③ ~ ①

$$\triangle ABC \sim \triangle DAC$$

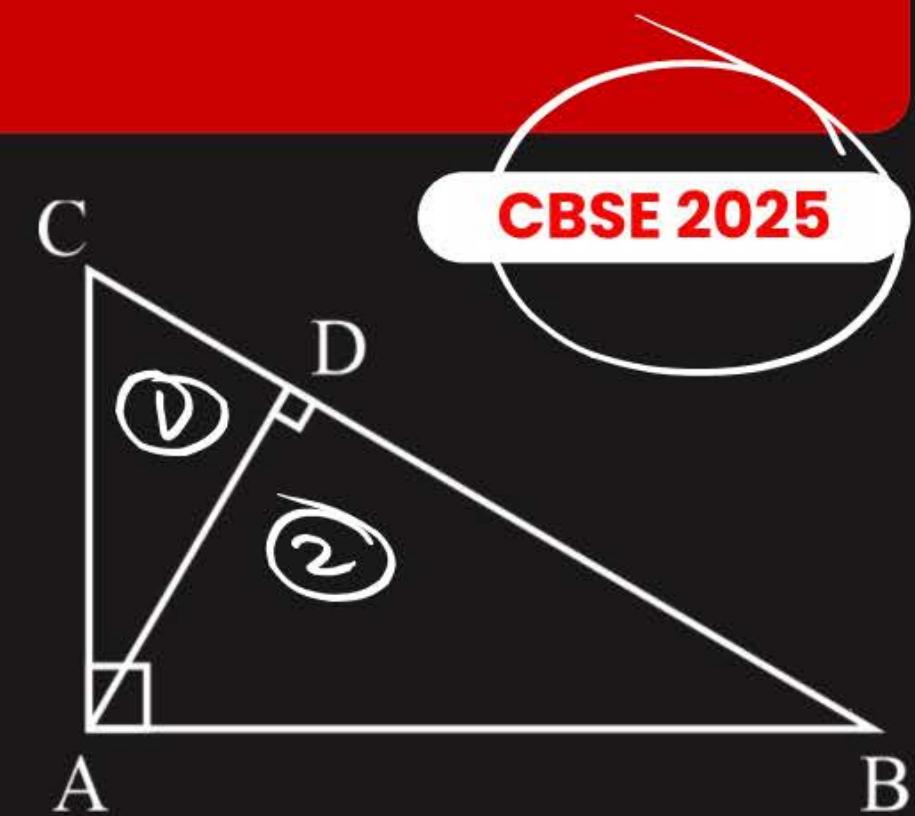
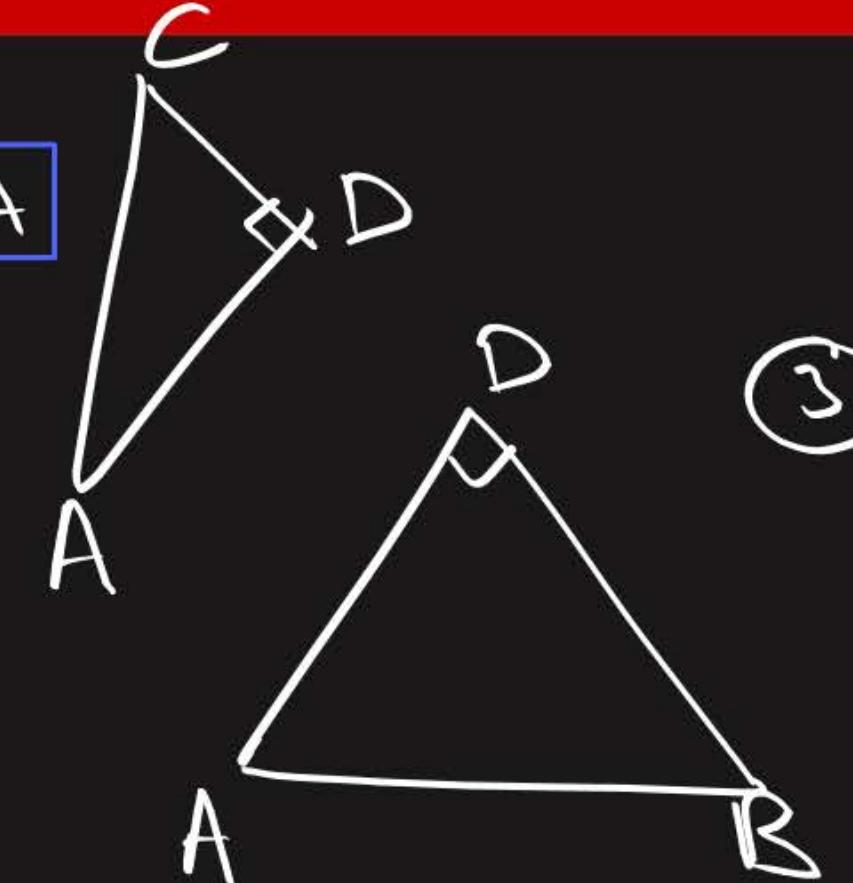
③ ~ ②

$$\triangle ABC \sim \triangle DBA$$

$$\Rightarrow \triangle DAC \sim \triangle DBA$$

CPST,

$$\frac{DA}{DB} = \frac{AC}{BA} = \frac{DC}{DA}$$



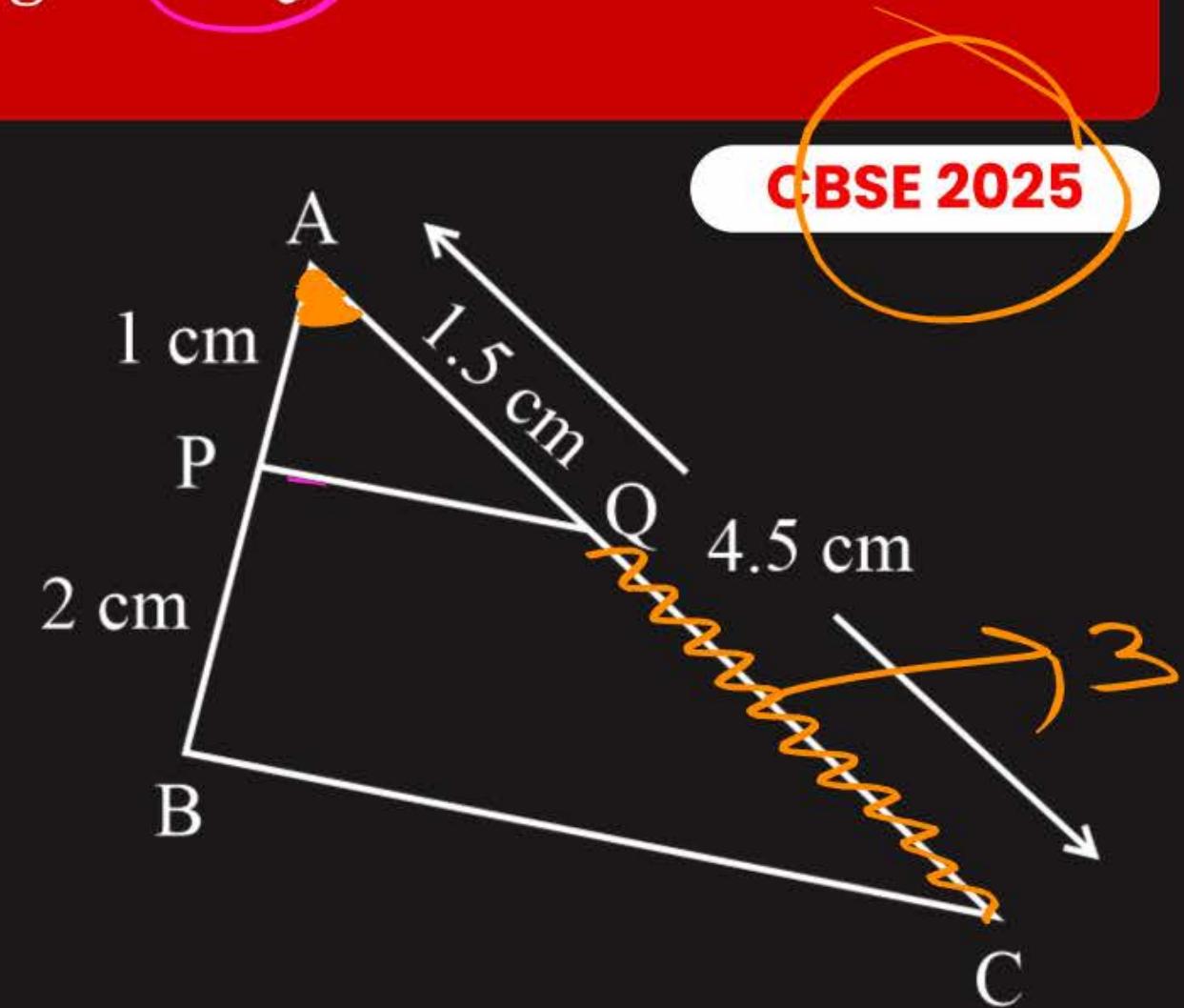
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#Q. In the adjoining figure, $AP = 1 \text{ cm}$, $BP = 2 \text{ cm}$, $AQ = 1.5 \text{ cm}$ and $AC = 4.5 \text{ cm}$.
Prove that $\triangle APQ \sim \triangle ABC$. Hence, find the length of PQ if $BC = 3.6 \text{ cm}$.

Converges
D.P.T

$\triangle APQ$ SAS

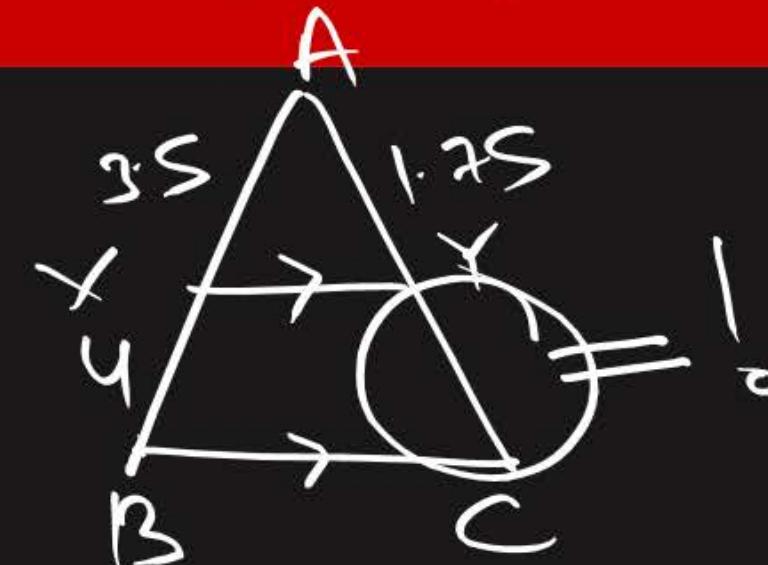
$\triangle ABC$ CPST



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#Q. In the adjoining figure, $PQ \parallel XY \parallel BC$, $AP = 2$ cm, $PX = 1.5$ cm and $BX = 4$ cm. If $QY = 0.75$ cm, then $AQ + CY =$

- A** 6 cm
- B** 4.5 cm
- C** 3 cm
- D** 5.25 cm

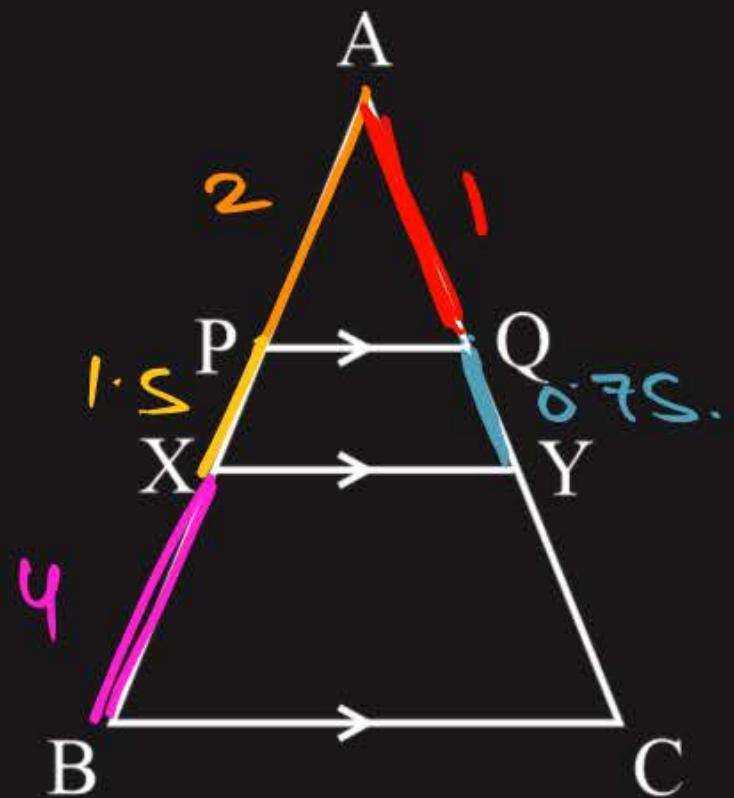


$$\frac{2}{1.5} = \frac{AO}{0.75}$$

$$10 \times 0.75 = AO$$

$$7.5 = AO$$

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#Q. Given $\Delta ABC \sim \Delta PQR$, $\angle A = 30^\circ$ and $\angle Q = 90^\circ$. The value of $(\angle R + \angle B)$ is:

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A 90° B 12° C 150° D 180°

A handwritten diagram shows three circles stacked vertically. The top circle contains the equation $A = P$ with an arrow pointing from A to P and 30° written next to it. The middle circle contains the equation $B = Q$ with an arrow pointing from B to Q and 90° written next to it. The bottom circle contains the equation $C = R$ with an arrow pointing from C to R and 60° written next to it.

#Q. A 1.5 m tall boy is walking away from the base of lamp post which is 12 m high, at the speed of 2.5 m/sec. Find the length of his shadow after 3 seconds.

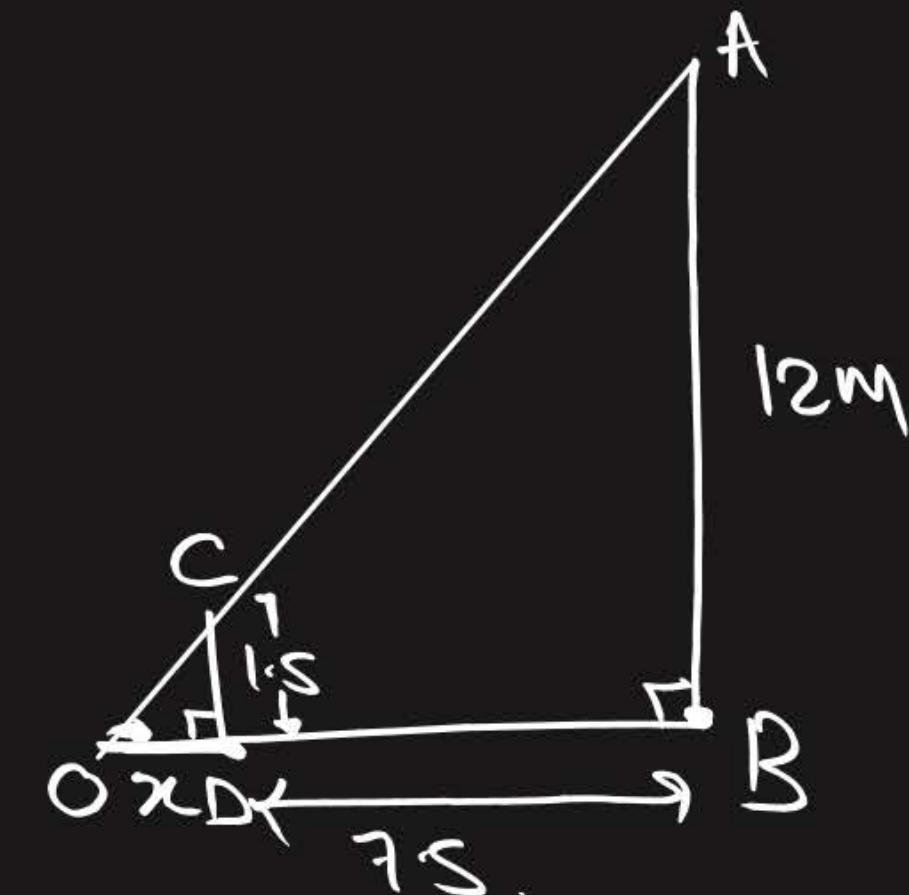
$$\begin{aligned} 2.5 \text{ m} &= 18 \text{ sec} \\ 7.5 \text{ m} &= 3 \text{ sec} \end{aligned}$$

$$\triangle CDO \sim \triangle ABO$$

$$\frac{CD}{AB} = \frac{DO}{BO} = \frac{CO}{AO}$$

$$\frac{1.5}{12} = \frac{x}{7.5 + x}$$

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#Q. The corresponding sides of $\triangle ABC$ and $\triangle PQR$ are in the ratio $3 : 5$. $AD \perp BC$ and $PS \perp QR$ as shown in the following figures:

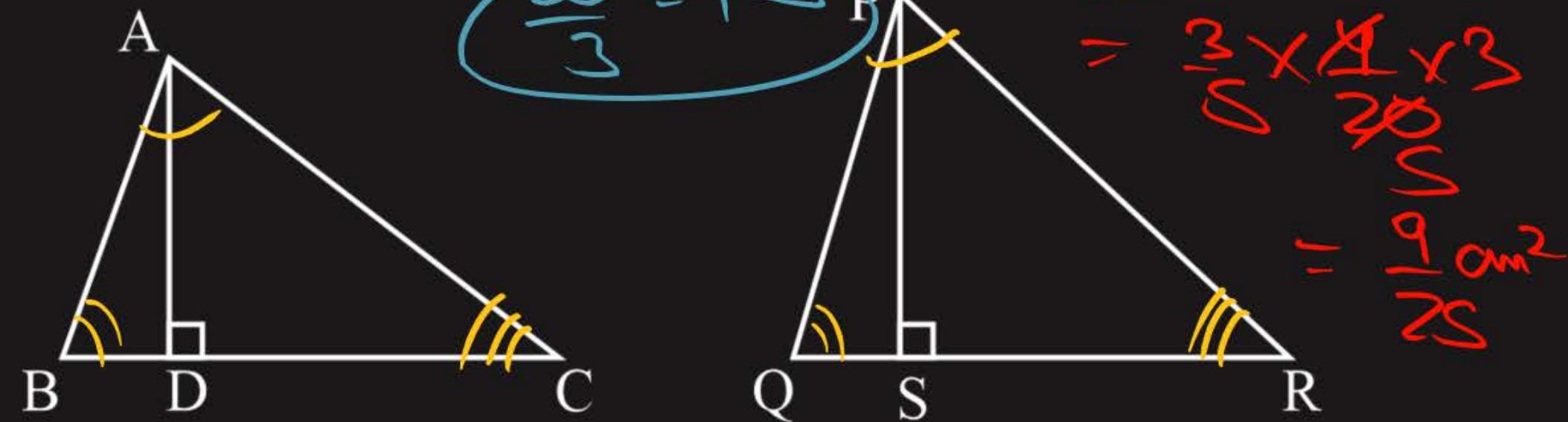
- Prove that $\triangle ADC \sim \triangle PSR$
- If $AD = 4 \text{ cm}$, find the length of PS .
- Using (ii) find $\text{ar}(\triangle ABC) : \text{ar}(\triangle PQR)$

$$\frac{AB}{PQ} = \frac{AC}{PR} = \frac{BC}{QR} = \frac{3}{5}$$

SSS

$\triangle ABC \sim \triangle PQR$

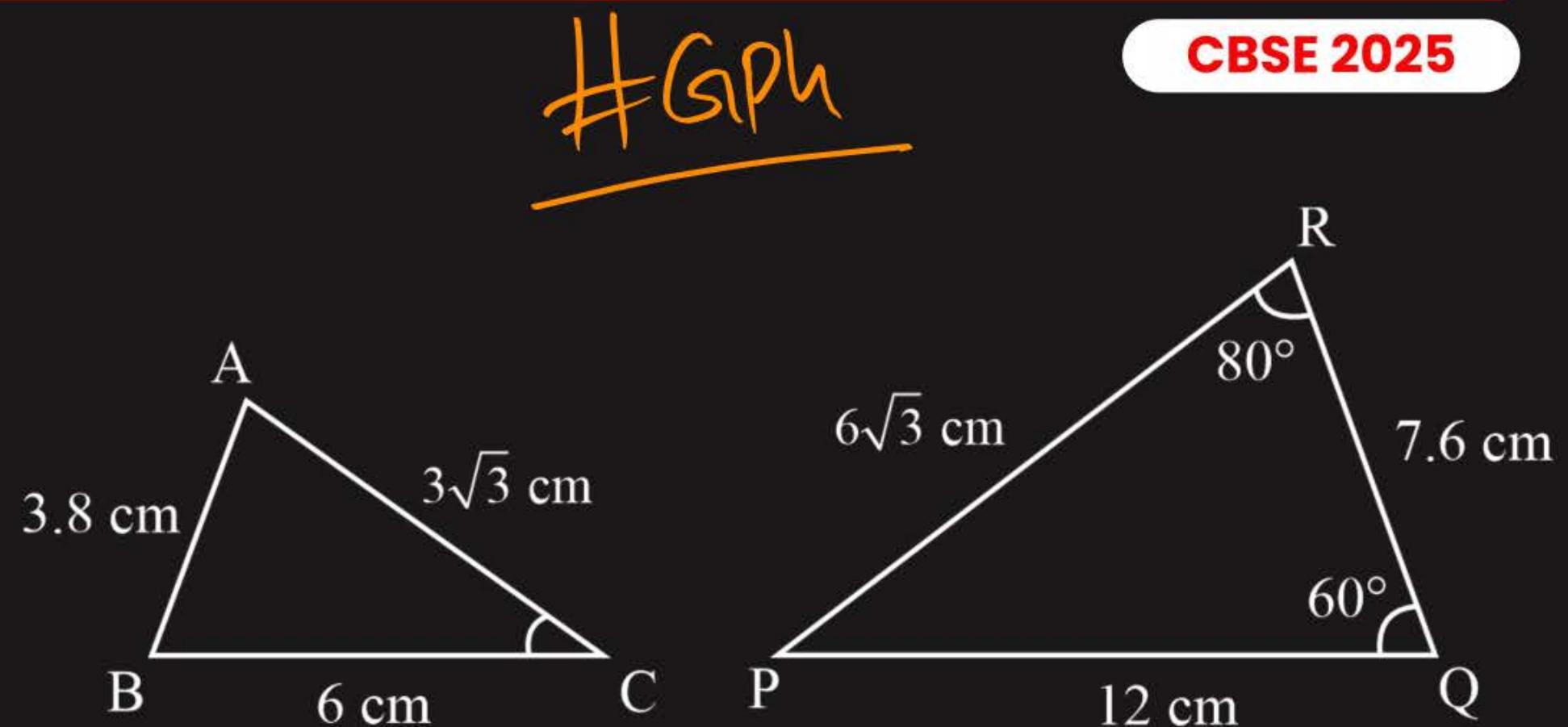
By CPST,



#Q. $\triangle ABC$ and $\triangle PQR$ are shown in the adjoining figures. The measure of $\angle C$ is :

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- A 140°
- B 80°
- C 60°
- D 40°



#Q. E and F are points on the sides AB and AC respectively of a ΔABC such that

$$\frac{AE}{EB} = \frac{AF}{FC} = \frac{1}{2}$$

Which of the following relation is true?

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#6PM

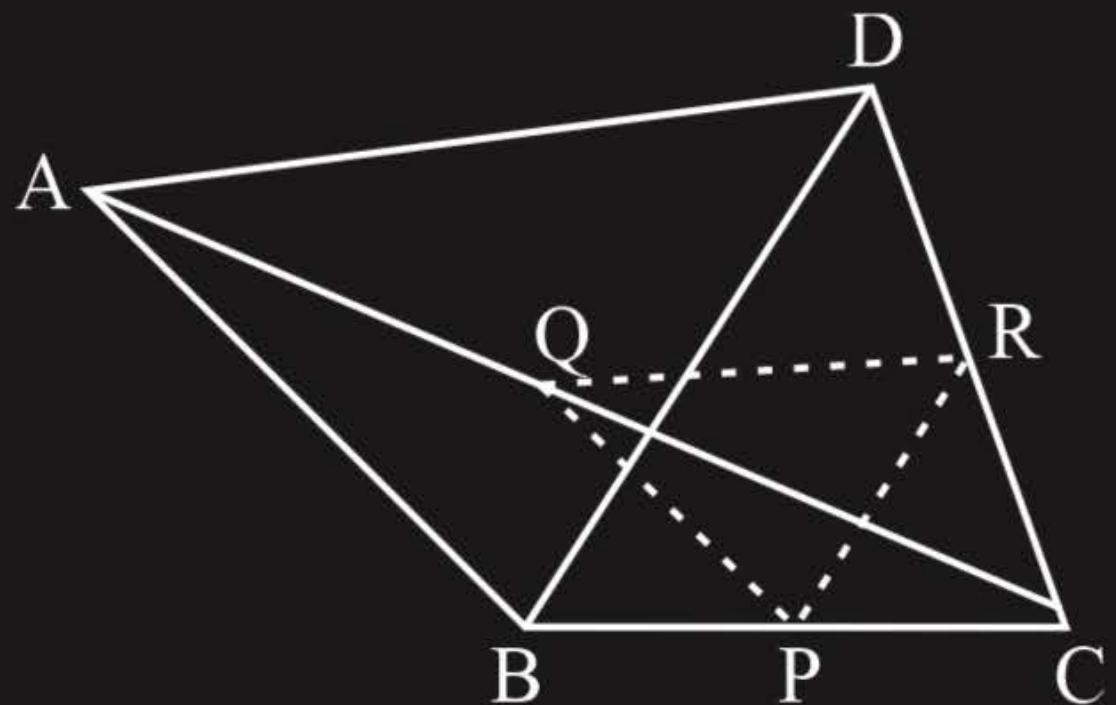
A $EF = 2 BC$

B $BC = 2 EF$

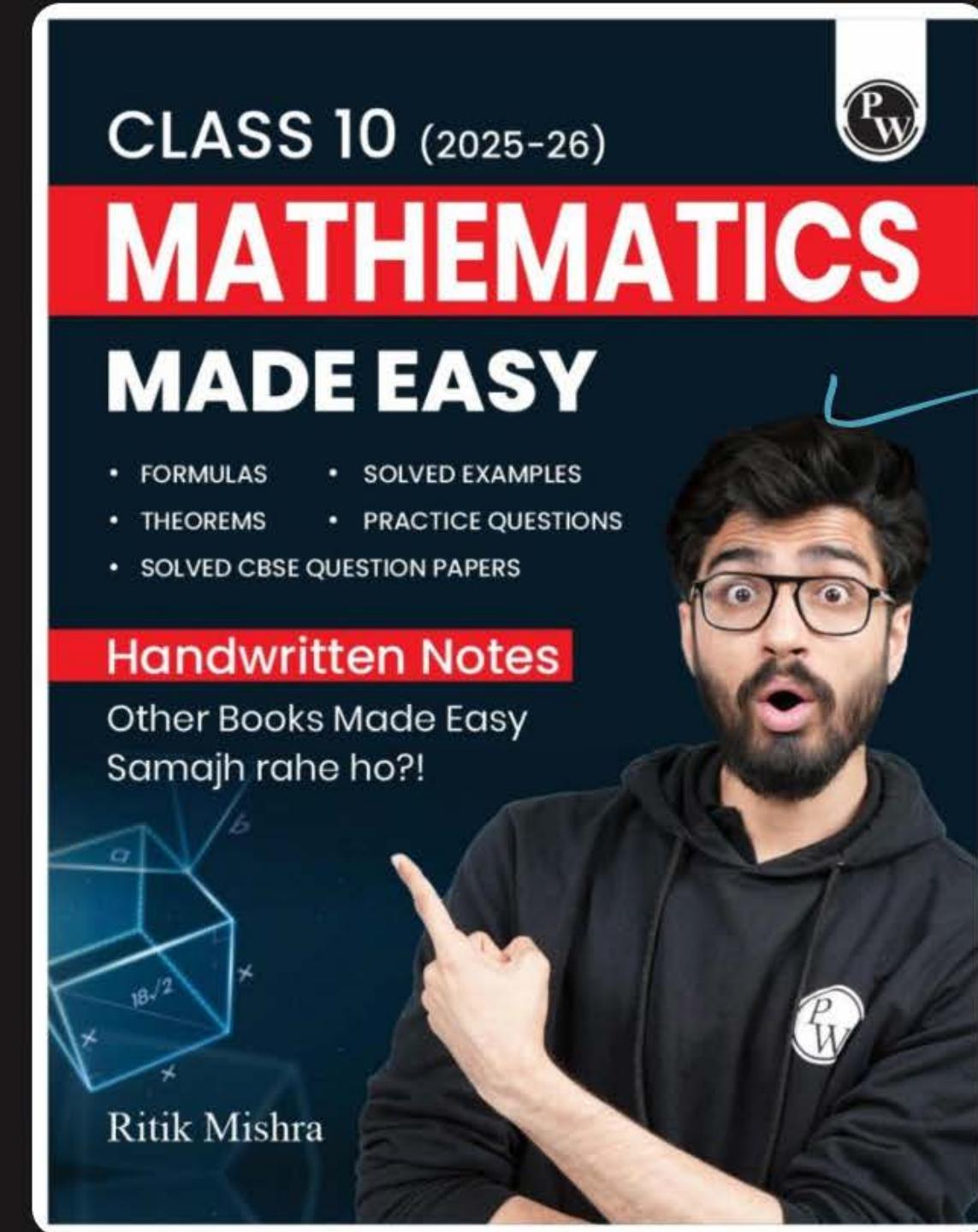
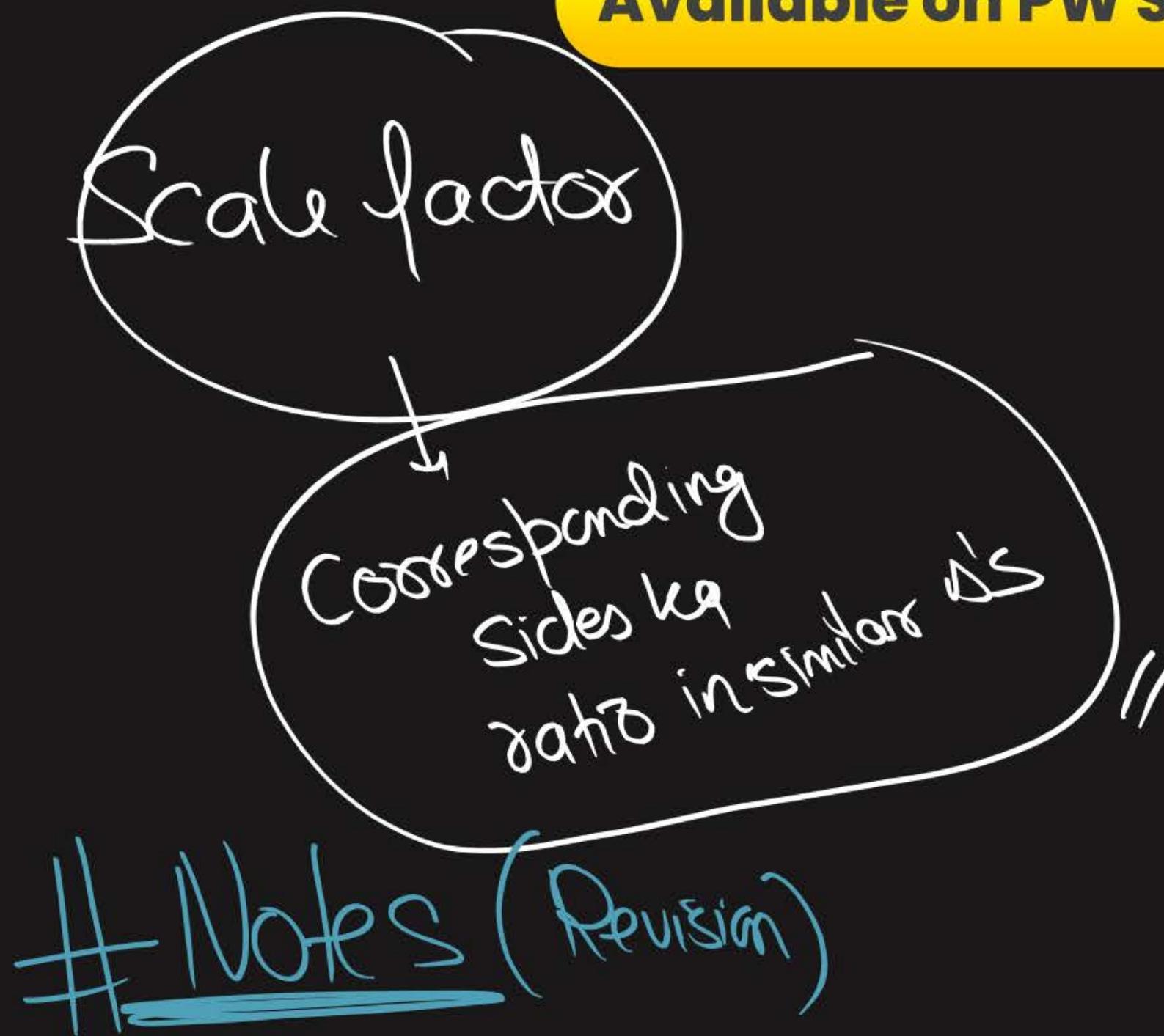
C $EF = 3 BC$

D $BC = 3 EF$

#Q. Two triangles ABC and DBC lie on the same side of the base BC. From a point P on BC, $PQ \parallel AB$ and $PR \parallel BD$ are drawn. They meet AC in Q and DC in respectively. Prove that $QR \parallel AD$.



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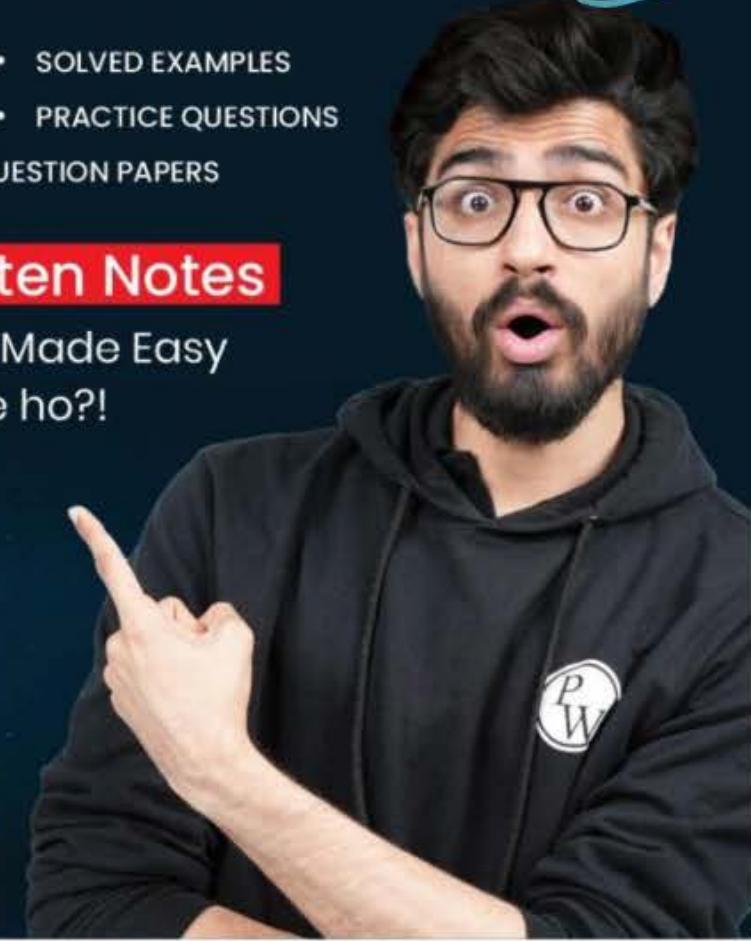
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Samajh rahe ho?!

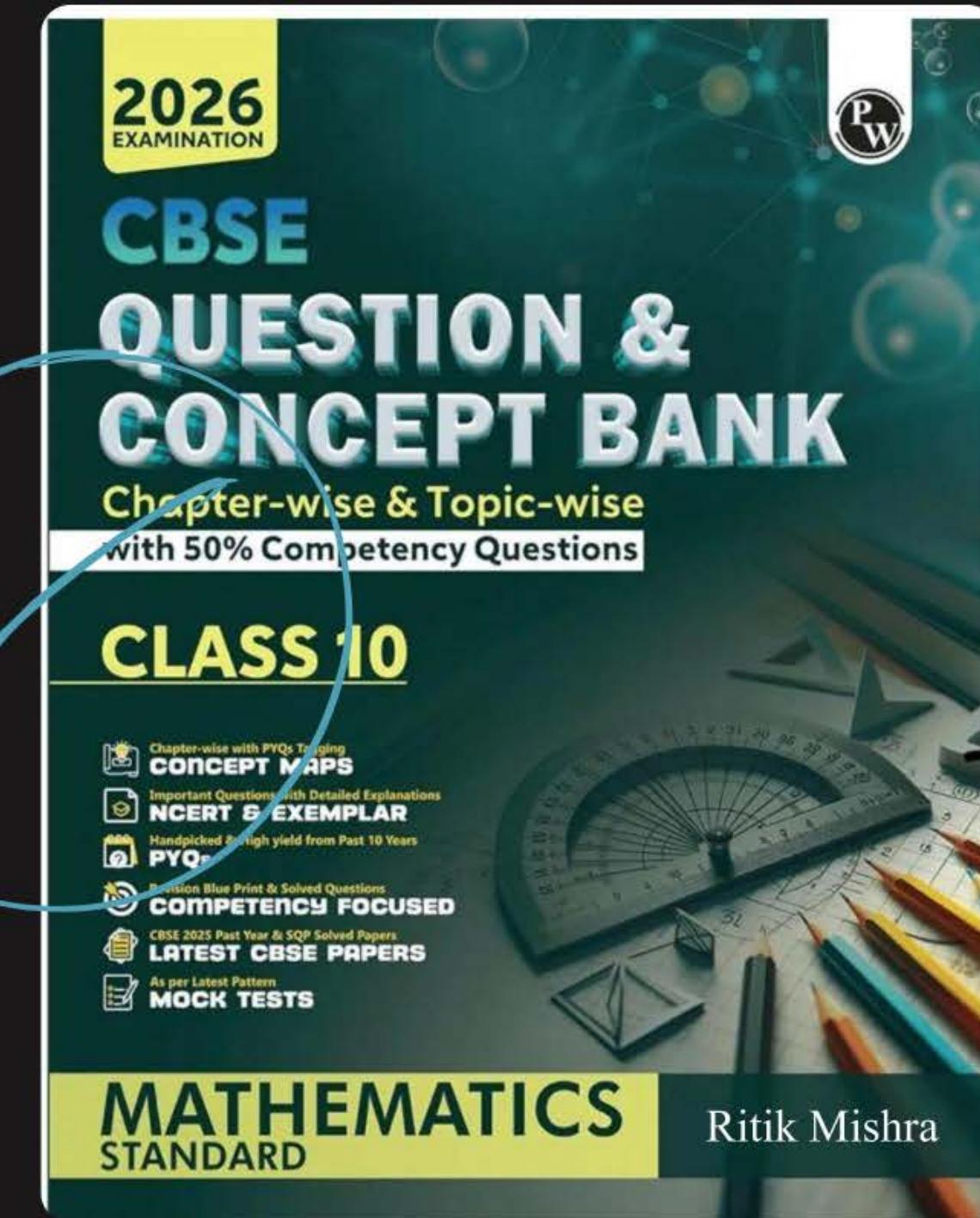


Ritik Mishra





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DREAM BIG
NEVER GIVE UP**



RITIK SIR

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Thank
You