



UDAAN



2026

Coordinate Geometry

MATHS

LECTURE-4

BY-RITIK SIR

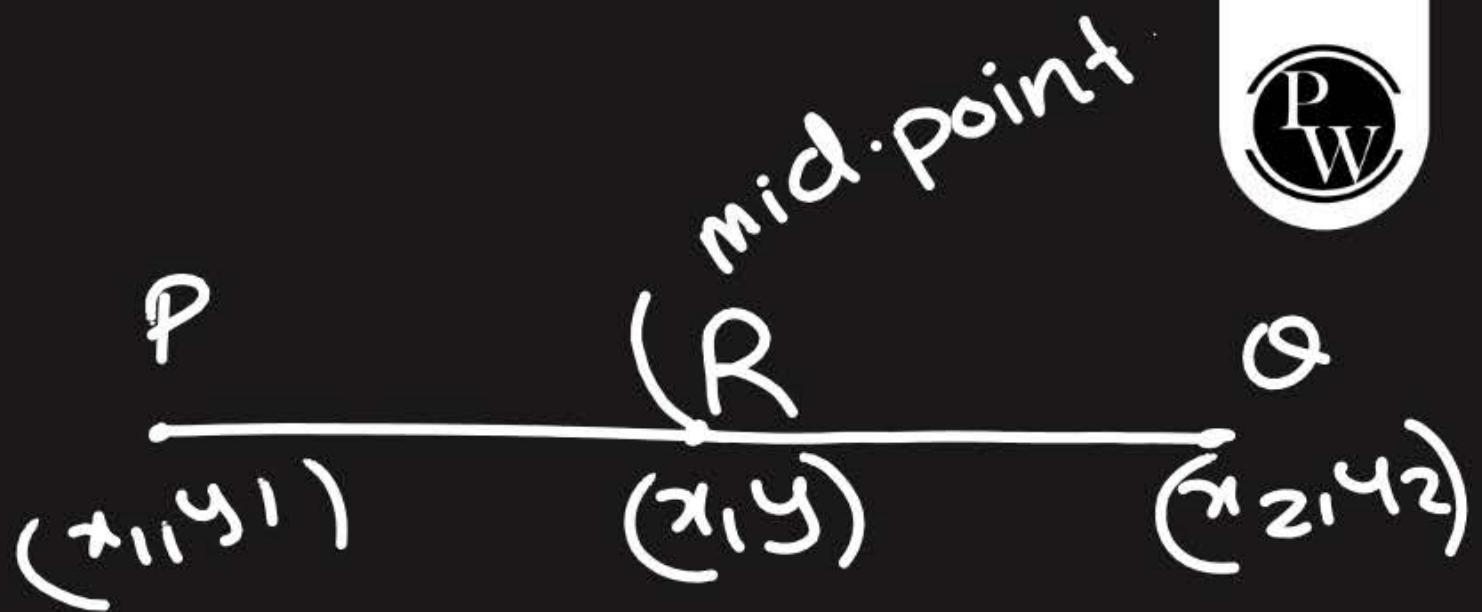
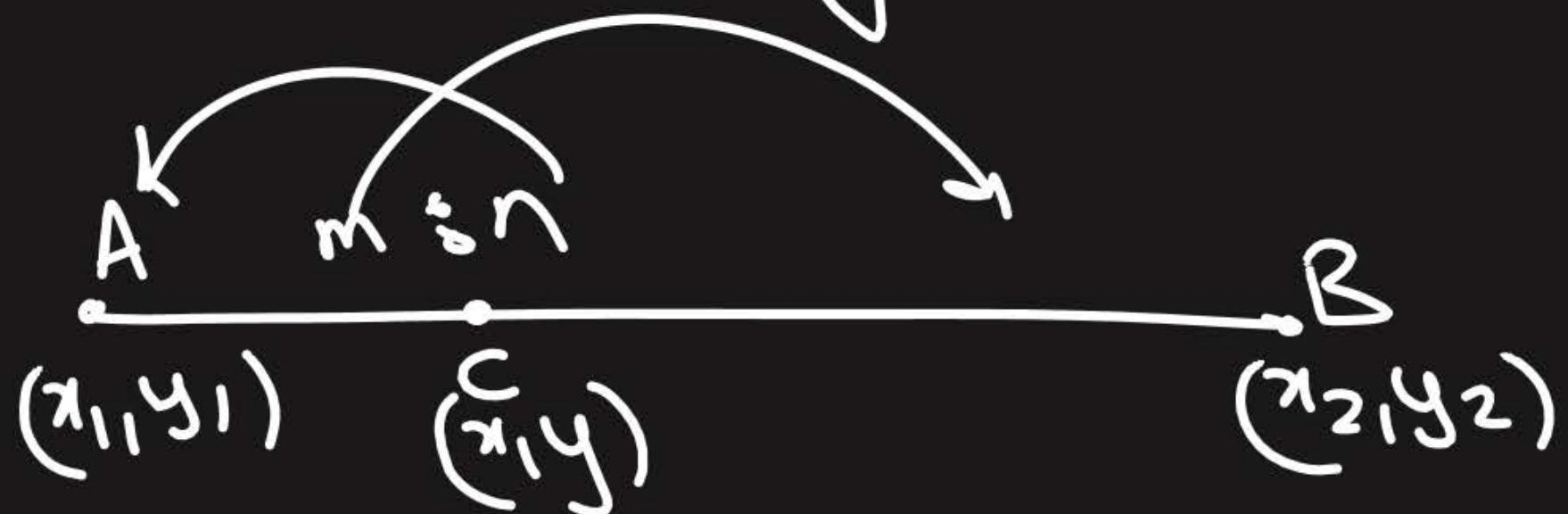


Topics

to be covered

Questions

Section formula.



$$x = \frac{x_1 + x_2}{2}$$

$$y = \frac{y_1 + y_2}{2}$$

$$x = \frac{m x_2 + n x_1}{m+n}$$

$$y = \frac{m y_2 + n y_1}{m+n}$$

→ Ratio nahi diya hai → k:1

→ x-axis → (x, 0)

→ y-axis → (0, y)

#Q. Find the ratio in which the y-axis divides the line segment joining the points (5, -6) and (-1, -4). Also, find the coordinates of the point of division.

A $1 : 5, (0, -11/3)$

$$x = \frac{m x_2 + n x_1}{m+n}$$

B $5 : 1, (0, -13/3)$

$$0 = \frac{-k+s}{k+1}$$

C $3 : 1, (0, -5/2)$

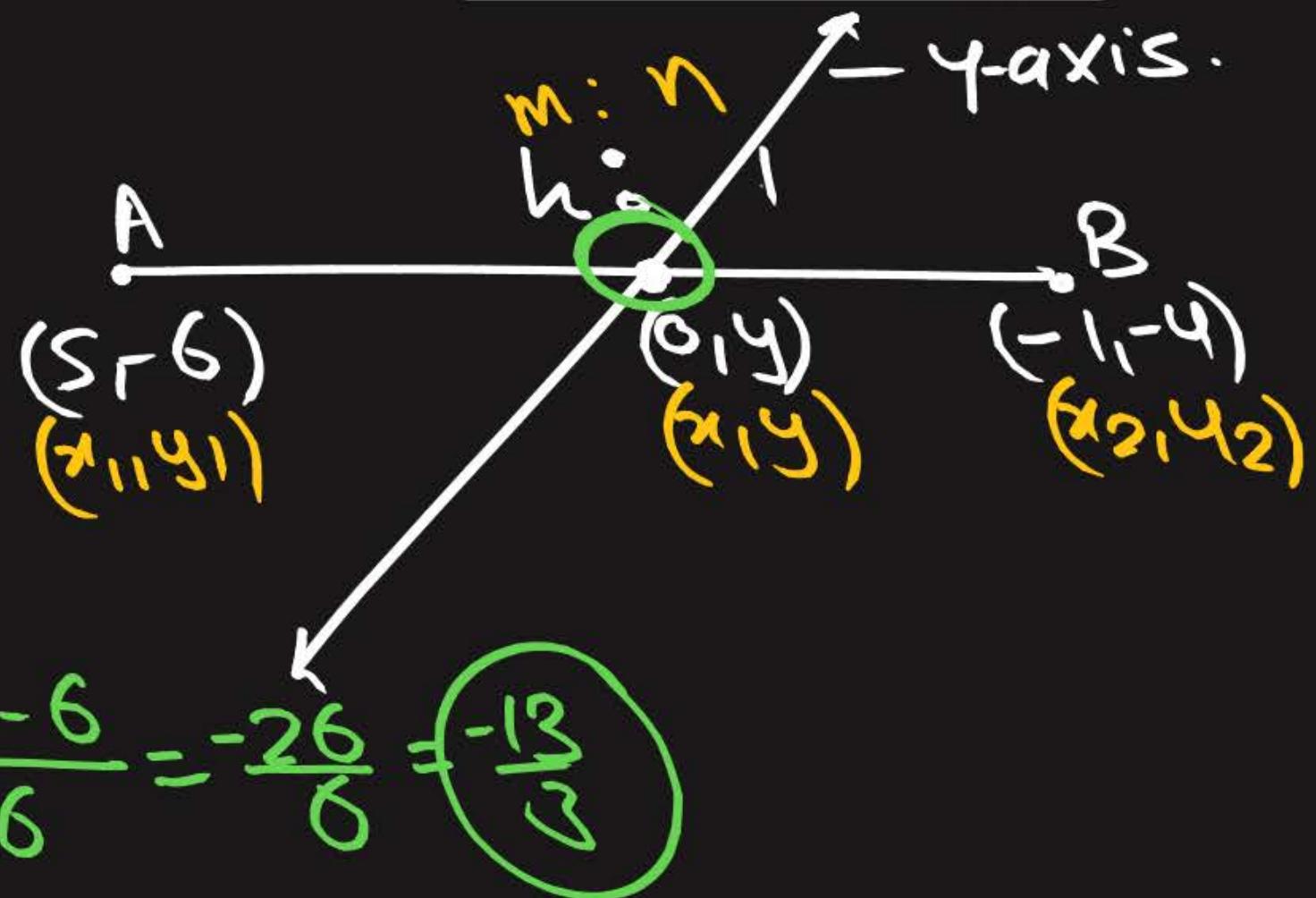
$$0 = -k+s$$

$$k=s$$

D $4 : 1, (0, -7/2)$

$$y = \frac{-4k-6}{k+1} = \frac{-20-6}{6} = \frac{-26}{6} = -\frac{13}{3}$$

CBSE 2006, 10, 16, 19, 23



#Q. Find the ratio in which the line segment joining $(-2, -3)$ and $(5, 6)$ is divided by (i) x-axis (ii) y-axis.

Also, find the coordinates of the point of division in each case.

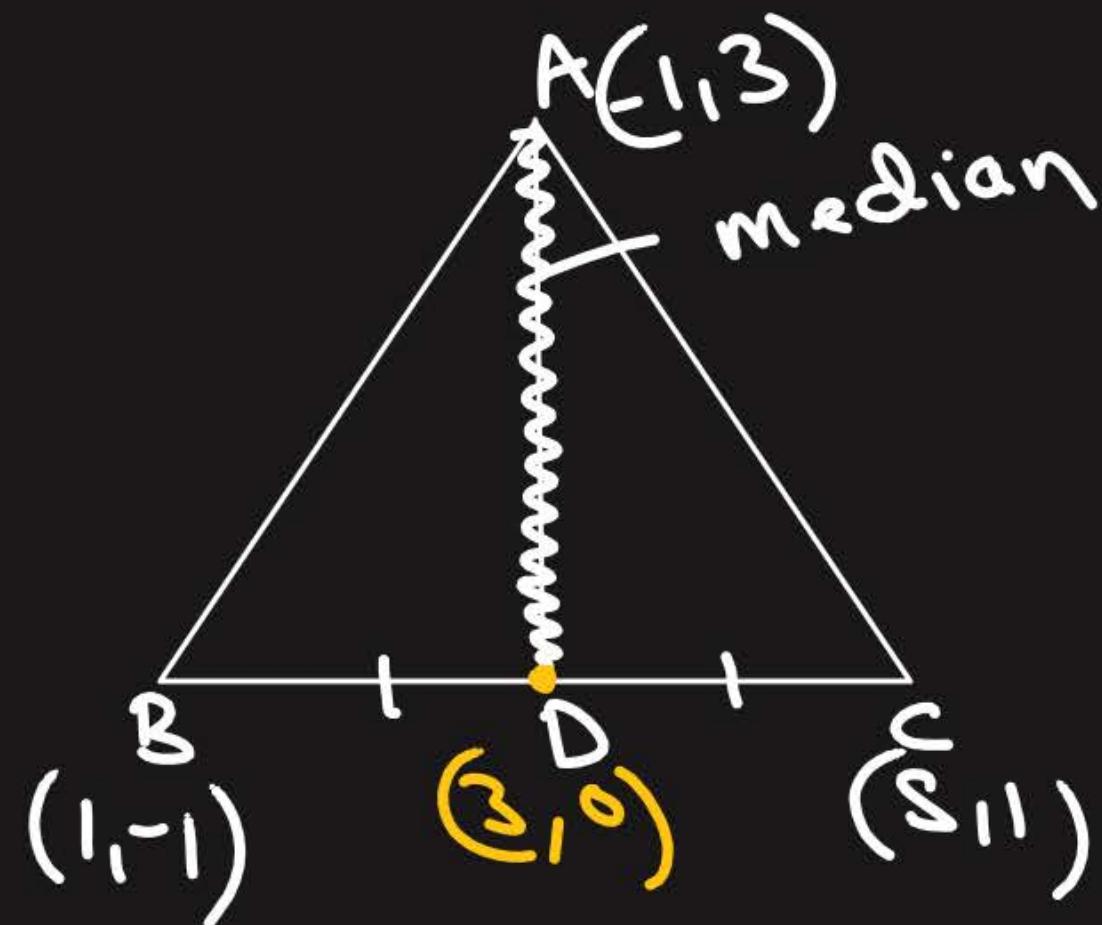
CBSE 2013, 14

#GPK

#Q. If A (-1, 3), B (1, -1) and C (5, 1) are the vertices of a triangle ABC, find the length of the median through A.

$$\begin{aligned}AD &= \sqrt{(-3)^2 + (-1)^2} \\&= \sqrt{9 + 16} \\&= \sqrt{25} \\&= 5\end{aligned}$$

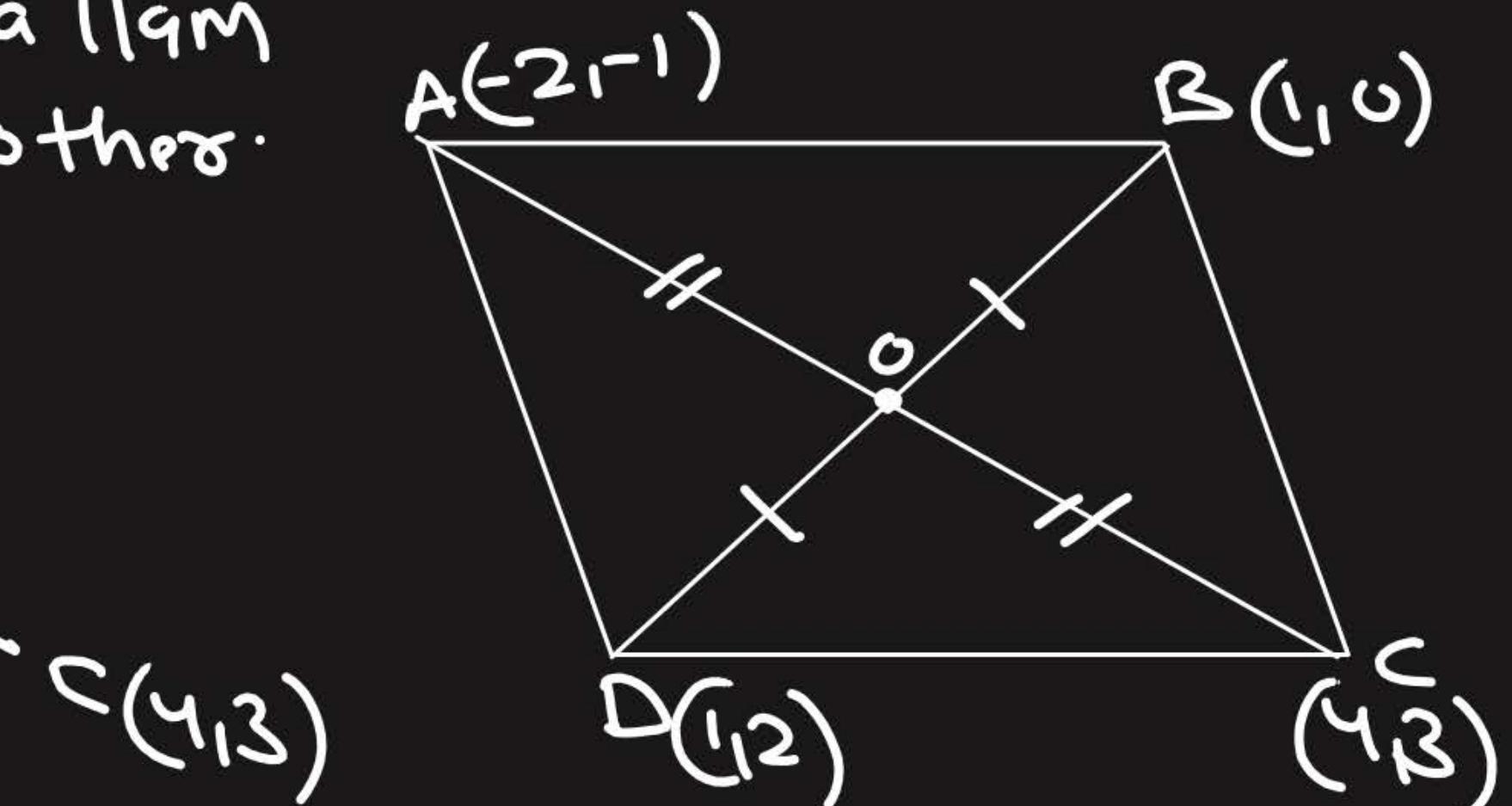
- A 2
- B 3
- C 4
- D 5



#Q. Find the coordinates of the point where the diagonals of the parallelogram formed by joining the points $(-2, -1)$, $(1, 0)$, $(4, 3)$ and $(1, 2)$ meet.

- A $(1, 1)$
- B $(2, 2)$
- C $(-1, 0)$
- D $(3, 2)$

diagonals of a ||gm
bisect each other.
 $A(-2, -1)$
 $C(4, 3)$
 $D(1, 2)$
 $O\left(\frac{-2+4}{2}, \frac{-1+3}{2}\right) = O(1, 1)$



#Q. Points A (3, 1), B (5, 1), C (a, b) and D (4, 3) are vertices of a parallelogram ABCD. Find the values of a and b.

A
a = 4, b = 3

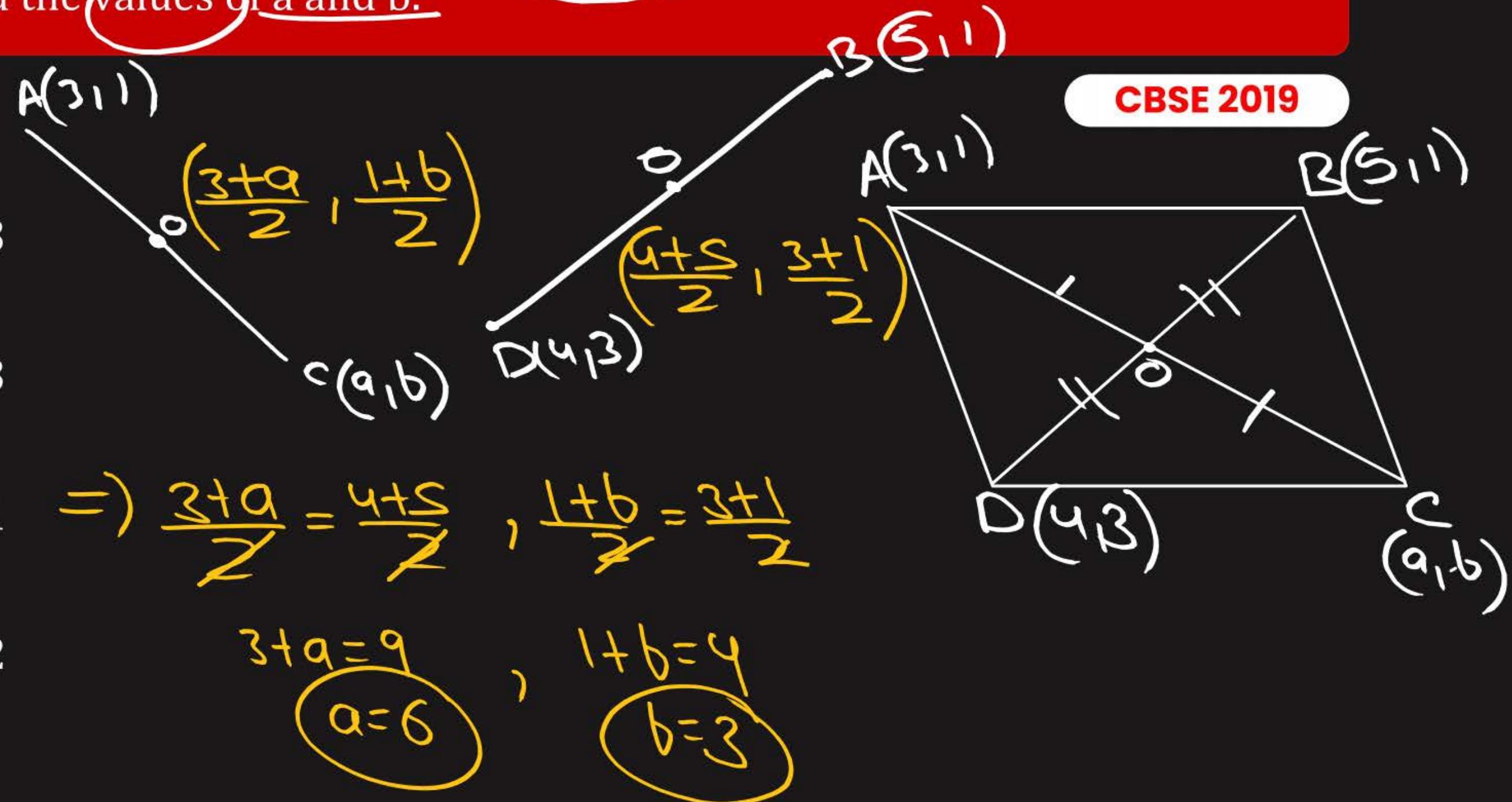
B
a = 6, b = 3

C
a = 6, b = 1 $\Rightarrow \frac{3+a}{2} = \frac{4+5}{2}, \frac{1+b}{2} = \frac{3+1}{2}$

D
a = 5, b = 2

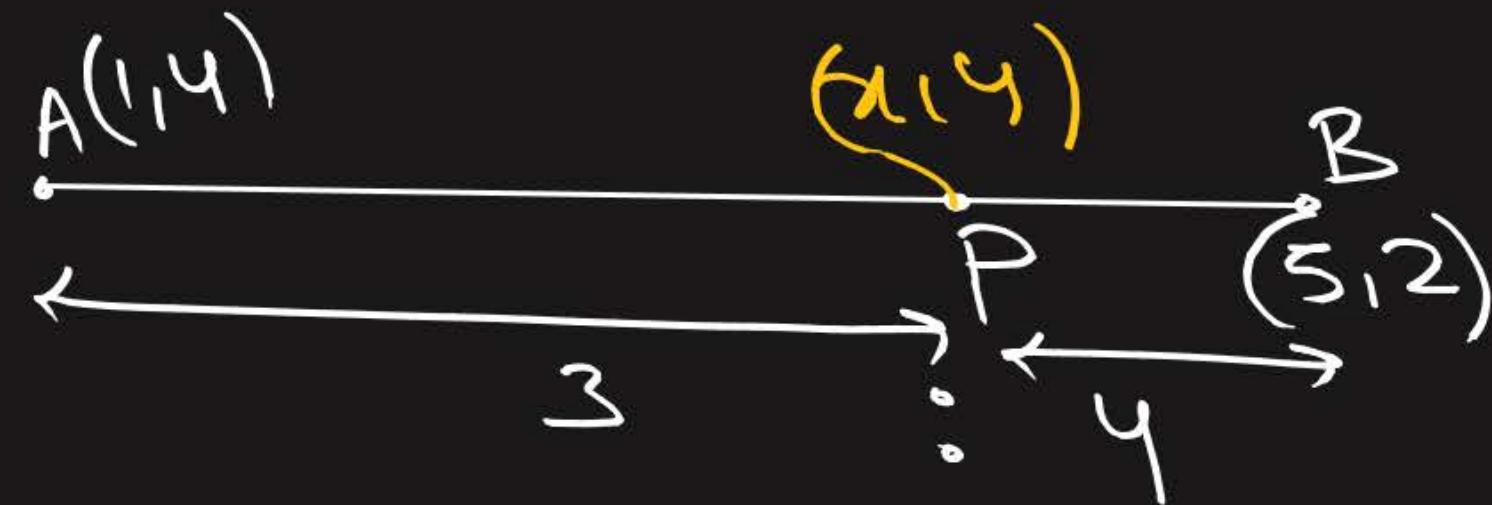
$$3+a=9, \quad a=6$$

$$1+b=4, \quad b=3$$



#Q. If A and B are (1, 4) and (5, 2) respectively, find the coordinates of P when $AP/BP = 3/4$.

- A** $(\frac{19}{7}, \frac{22}{7})$
- B** $(\frac{17}{7}, \frac{20}{7})$
- C** $(\frac{18}{7}, \frac{23}{7})$
- D** $(\frac{20}{7}, \frac{21}{7})$



$$x = \frac{15+4}{7} = \frac{19}{7}$$

$$y = \frac{6+16}{7} = \frac{22}{7}$$

#Q. Find the coordinate of the point R on the line segment joining the points P(-1, 3) and Q(2, 5) such that $PR = \frac{3}{5} PQ$.

A $(\frac{4}{5}, \frac{21}{5})$

$$\frac{PR}{PQ} = \frac{3}{5}$$

B $(\frac{3}{5}, \frac{19}{5})$

M.I

$$\frac{PR}{PR+RQ} = \frac{3}{5}$$

C $(\frac{2}{5}, \frac{17}{5})$

$$\frac{PR}{RQ} = \frac{3}{2}$$

D $(1, 4)$

$$5PR = 3PR + 3RQ$$

$$5PR - 3PR = 3RQ$$

$$2PR = 3RQ$$

$$\frac{PR}{RQ} = \frac{3}{2}$$

P(-1, 3)



M.II

$$\frac{PR}{PQ} = \frac{3}{5}$$

Let, $PR = 3k$

$$PQ = 5k$$

$$RQ = PQ - PR$$

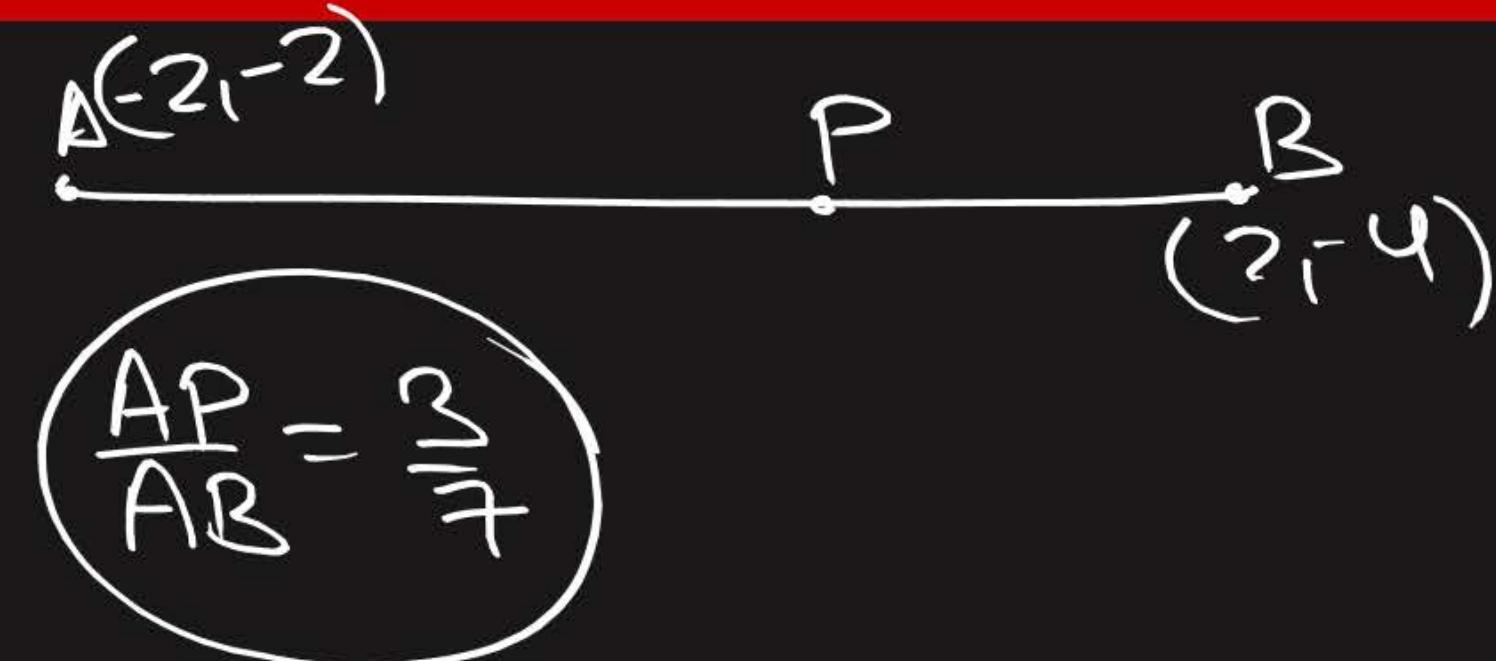
$$= 5k - 3k$$

$$2k$$

$$\frac{PR}{RQ} = \frac{3k}{2k}$$

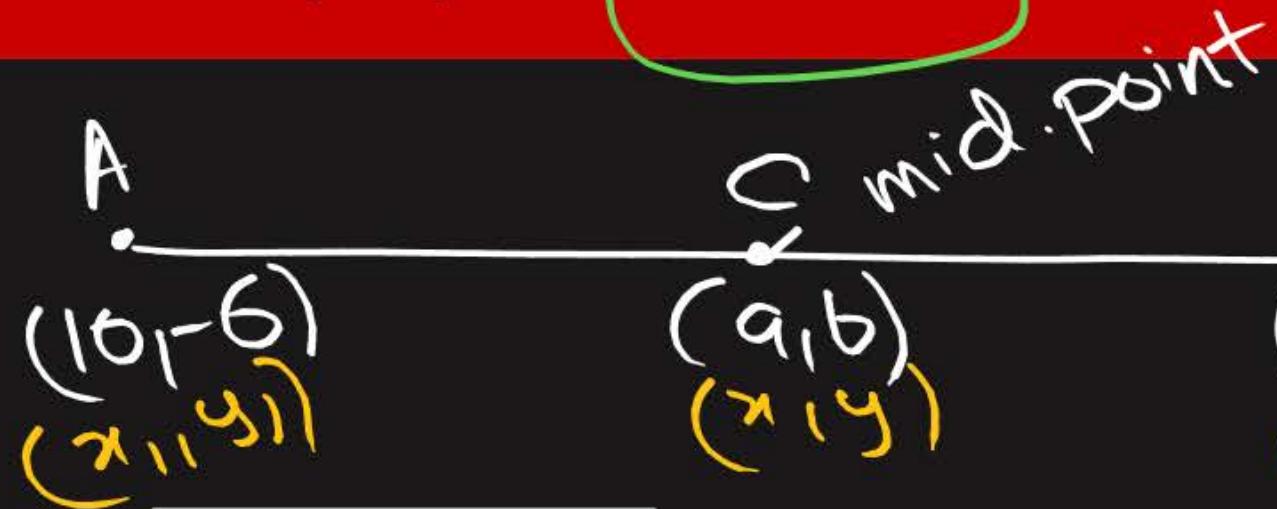
#Q. If A and B are two points having coordinates $(-2, -2)$ and $(2, -4)$ respectively, find the coordinates of P such that $AP = \frac{3}{7} AB$.

- A $(-2/7, -20/7)$
- B $(2/7, -18/7)$
- C $(-1/7, -19/7)$
- D $(1/7, -20/7)$



CBSE 2008, 09

#Q. If (a, b) is the mid-point of the line segment joining the points A (10, -6), B (k, 4) and $a - 2b = 18$, find the value of k and the distance AB.



$$a = \frac{10+k}{2}$$

$$b = \frac{-6+4}{2} = \frac{-2}{2} = -1$$

$$a - 2b = 18$$

$$\frac{10+k - 2(-1)}{2} = 18$$

$$\frac{10+k + 2}{2} = 18$$

$$\frac{10+k}{2} = 16$$

$$10+k = 32$$

$$k = 22$$

#Q. The line joining the points $(2, 1)$ and $(5, -8)$ is trisected at the points P and Q. If point P lies on the line $2x - y + k = 0$. Find the value of k.

CBSE 2005, 19

A -6

B 6

C -8

D 8

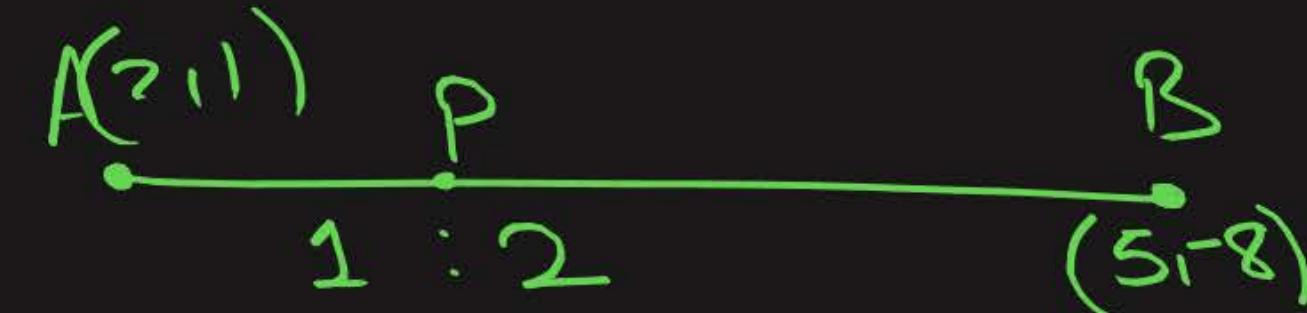


Point P will satisfy

$$\text{the eqn } 2x - y + k = 0$$

$$\therefore 2(3) - (-2) + k = 0$$

$$k = -8$$



$$P_x = \frac{5+4}{3} = \frac{9}{3} = 3$$

$$P_y = \frac{-8+2}{3} = \frac{-6}{3} = -2$$

~~HOT~~

- #Q. Find the ratio in which the line $2x + 3y - 5 = 0$ divides the line segment joining the points $(8, -9)$ and $(2, 1)$.
 Also, find the coordinates of the point of division.

A $1 : 8, (8/9, -1/3)$

B $7 : 2, (3, -1/2)$

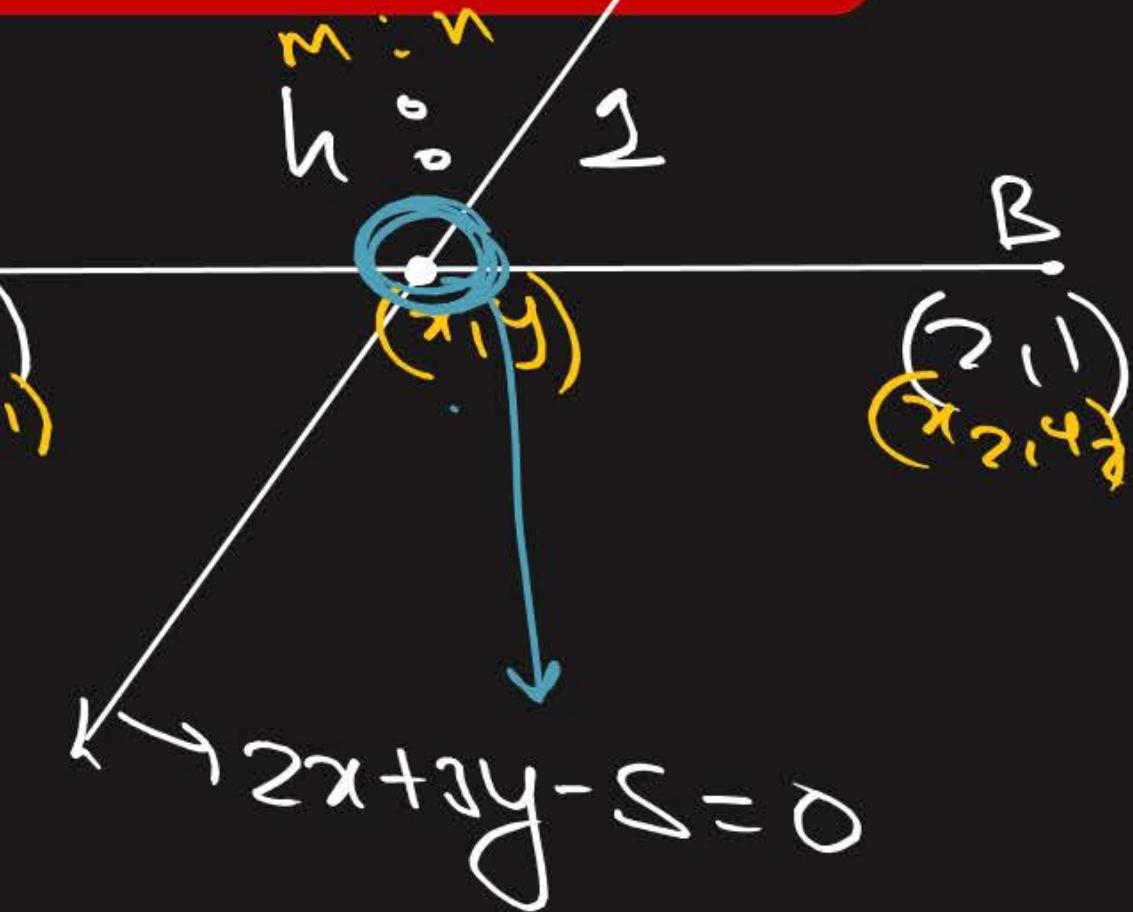
C $2 : 7, (16/9, -2/3)$

D $8 : 1, (8/3, -1/9)$

$$x = \frac{2k+8}{k+1}$$

$$y = \frac{k-9}{k+1}$$

(x_1, y_1) will satisfy the eqn of line.



$$2x + 3y - 5 = 0$$

$$2\left(\frac{2k+8}{k+1}\right) + 3\left(\frac{k-9}{k+1}\right) = 5$$

$$\frac{4k+16}{k+1} + \frac{3k-27}{k+1} = 5$$

$$\frac{4k+16+3k-27}{k+1} = 5$$

$$7k-11 = 5(k+1)$$

$$7k-11 = 5k+5$$

$$2k = 16$$

$$k=8$$

Ratio $\Rightarrow 8 : 1 //$

#Q. A point P divides the line segment joining the points A (3, -5) and B (-4, 8)

such that $\frac{AP}{PB} = \frac{k}{1}$. If P lies on the line $x + y = 0$, then find the value of k.

#Gpu

CBSE 2012

- A 1/2
- B 2/3
- C 3/4
- D NOTA



Homework From Question Bank

Page 198 - Long Answer 4

Page 199 - Case based 1, Case based 3

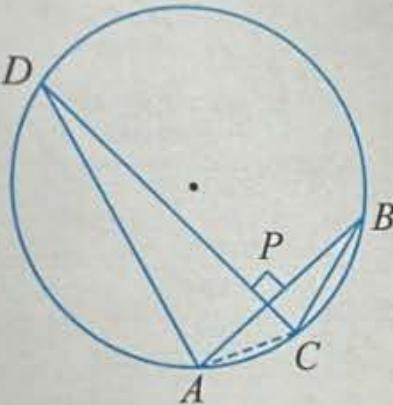
Page 200 - Case based 5

Page 195 - 4, 5

Page 194 - 4

4. AB and CD are two chords of a circle intersecting at P . Choose the correct statement from the following:

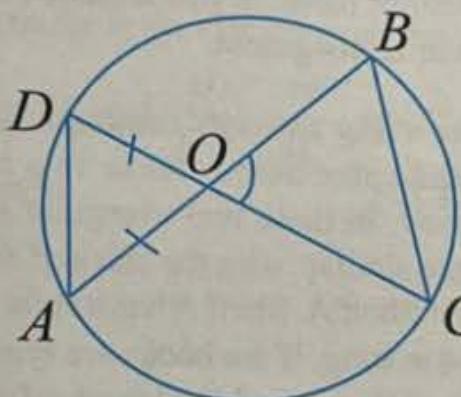
(CBSE ODL, 2024)



- (a) $\triangle ADP \sim \triangle CBA$
- (b) $\triangle ADP \sim \triangle BPC$
- (c) $\triangle ADP \sim \triangle BCP$
- (d) $\triangle ADP \sim \triangle CBP$

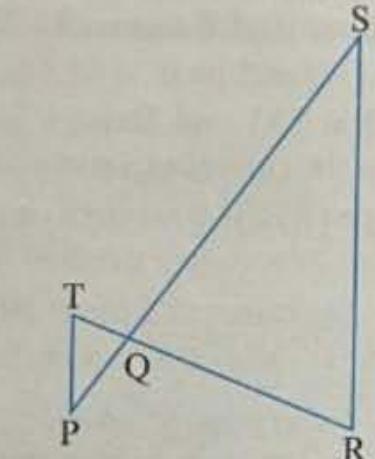
5. O is the point of intersection of two chords AB and CD of a circle.

(CBSE SQP, 2024)



- If $\angle BOC = 80^\circ$ and $OA = OD$ then $\triangle ODA$ and $\triangle OBC$ are
- (a) equilateral and similar (b) isosceles and similar
 - (c) isosceles but not similar (d) not similar

4. In a mathematics class, a teacher drew the following figure where $\frac{TQ}{QR} = \frac{1}{3}$. She then asked, "What is the sufficient condition required to prove that $\triangle TQP \sim \triangle RQS$?"



- Darsh said that it is sufficient if it is given that $\frac{TP}{SR} = \frac{1}{3}$.
- Bhargav said that it is sufficient if it is given that $\angle P = \angle S$.
- Tanvi said that it is sufficient if it is given that $\frac{PQ}{QS} = \frac{1}{3}$.

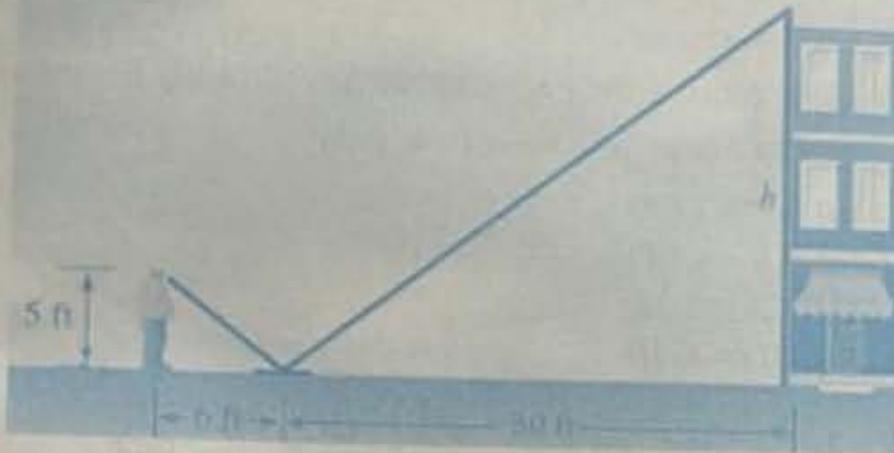
Examine whether each of their responses is correct or incorrect. Give reasons.

(CBSE CFPQ, 2023)

4. If AD and PM are medians of triangles ABC and PQR ,

respectively where $\triangle ABC \sim \triangle PQR$, prove that $\frac{AB}{PQ} = \frac{AD}{PM}$.

Case Based-I: Aruna visited to her uncle's house. From a point A, where Aruna was standing, a bus and building come in a straight line as shown in the figure.



Based on the above information, answer the following questions.

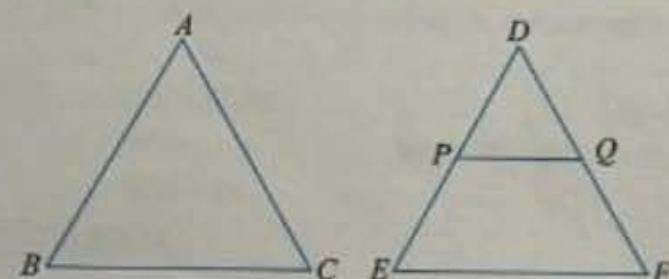
- Which similarity criteria can be seen in this case, if bus and building are considered in a straight line?
- If the distance between Aruna and the bus is twice as much as the height of the bus, then find the height of the bus.

OR

If the distance of Aruna from the building is twelve times the height of the bus, then find the ratio of the heights of bus and building.

- What is the ratio of the distance between Aruna and the top of the bus to the distance between the tops of the bus and the building?

Case Based-III:



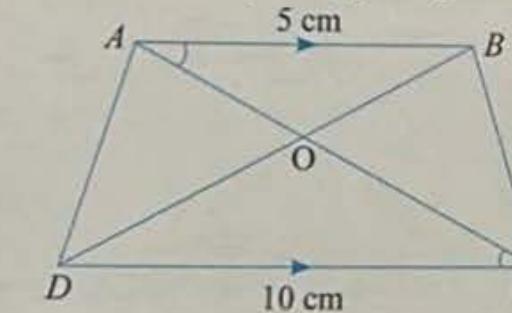
Triangle is a very popular shape used in interior designing. The picture given above shows a cabinet designed by a famous interior designer.

(CBSE SQP, 2024)

Here the largest triangle is represented by $\triangle ABC$ and smallest one with shelf is represented by $\triangle DEF$. PQ is parallel to EF .

- Show that $\triangle DPQ \sim \triangle DEF$.
- If $DP = 50$ cm and $PE = 70$ cm then find $\frac{PQ}{EF}$.
- (a) If $2AB = 5DE$ and $\triangle ABC \sim \triangle DEF$ then show that $\frac{\text{perimeter of } \triangle ABC}{\text{perimeter of } \triangle DEF}$ is constant.
OR
(b) If AM and DN are medians of triangles ABC and DEF respectively then prove that $\triangle ABM \sim \triangle DEN$.

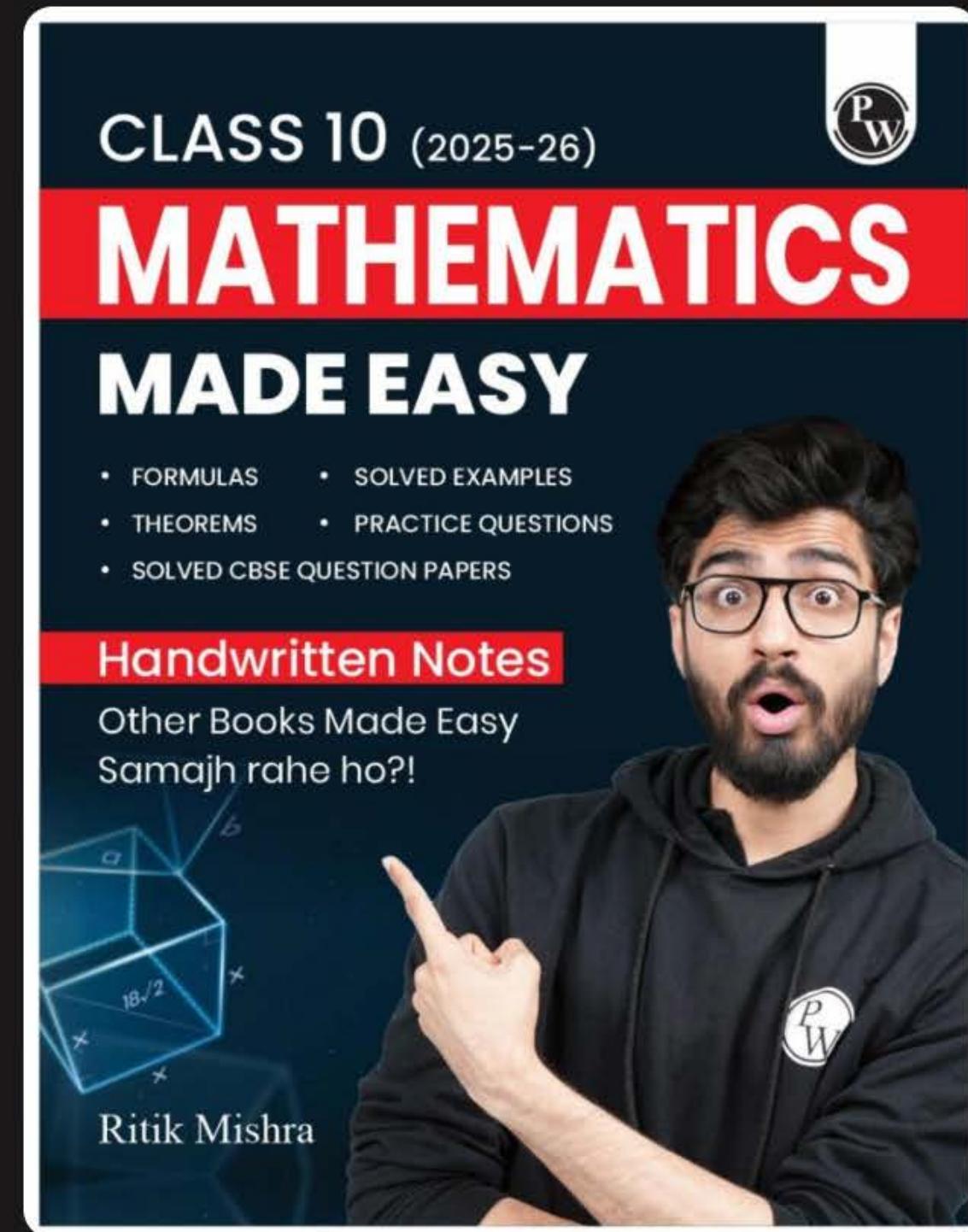
Case Based-V: A farmer has a field in the shape of trapezium, whose map with scale $1 \text{ cm} = 20 \text{ m}$, is given below: The field is divided into four parts by joining the opposite vertices.



Based on the above information, answer any four of the following questions:
(CBSE Term-I, 2022)

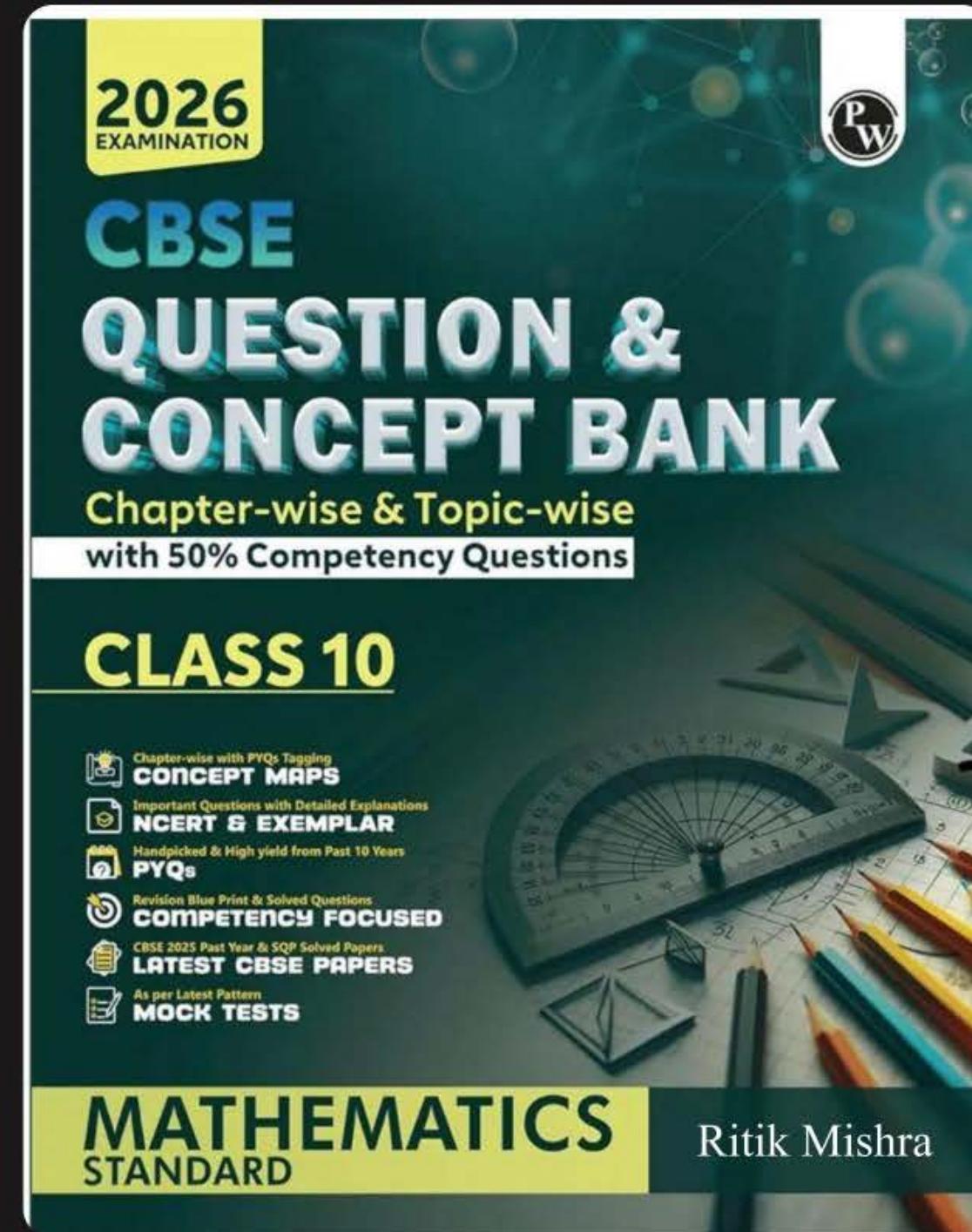
- The two triangular regions $\triangle AOB$ and $\triangle COD$ are
 - Similar by AA criterion
 - Similar by SAS criterion
 - Similar by RHS criterion
 - Not similar
- If the ratio of the perimeter of $\triangle AOB$ to the perimeter of $\triangle COD$ would have been $1 : 4$, then
 - $AB = 2 CD$
 - $AB = 4 CD$
 - $CD = 2 AB$
 - $CD = 4 AB$
- If in $\triangle AOD$ and $\triangle BOC$, $\frac{AO}{BC} = \frac{AD}{BO} = \frac{OD}{OC}$, then
 - $\triangle AOD \sim \triangle BOC$
 - $\triangle AOD \sim \triangle BCO$
 - $\triangle ADO \sim \triangle BCO$
 - $\triangle ODA \sim \triangle OBC$

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