



UDAAN



2026

Probability

MATHS

LECTURE-1

BY-RITIK SIR



Topics *to be covered*

- A All the basic terminologies
- B Questions

All Concepts of Probability From Basic and Important Questions



INTRODUCTION

अंग्रेजी

- The word 'probability' is commonly used in our day-to-day conversation and we generally use this word even without going into the details of its actual meaning. Generally, people have a rough idea about its meaning. In our day-to-day life we come across statements like:
 - Probably it may rain today.
 - He may possibly join politics.
 - Indian Cricket team has good chances of winning World-Cup.
 - He is probably right.

19th Nov.



INTRODUCTION

- In such statements, we generally use the terms: possible, probable, chance, likely etc. All these terms convey the same sense that the event is not certain to take place or, in other words, there is uncertainty about the occurrence (or happening) of the event in question. Thus, in layman's terminology the word 'probability', connotes that there is uncertainty about what has happened or what is going to happen? However, in the theory of probability We assign numerical value to the degree of uncertainty.

Some Terms Related To Probability

Experiment: An operation which can produce some well-defined outcomes is called an experiment. Each outcome is called an event.

Random Experiment: An experiment in which all possible outcomes are known and the exact outcome cannot be predicted in advance, is called a random experiment.



Some Experiments and their Outcomes

1.

Tossing A Coin

$S = \text{All possible outcomes} = \{H, T\}$

Sample space



Some Experiments and their Outcomes

2.

Tossing Two Coin:

$$S = \text{All possible outcomes} = \{HH, TT, HT, TH\}$$



Some Experiments and their Outcomes



3. Throwing A Die:

$$S = \{1, 2, 3, 4, 5, 6\}$$

All possible outcomes.

④ Throwing 2 dice together (one die two times)

All possible outcomes:-

$$\{(1,1), (1,2), (1,3), (1,4), (1,5), (1,6), \\(2,1), (2,2), (2,3), (2,4), (2,5), (2,6), \\(3,1), (3,2), (3,3), (3,4), (3,5), (3,6), \\(4,1), (4,2), (4,3), (4,4), (4,5), (4,6), \\(5,1), (5,2), (5,3), (5,4), (5,5), (5,6), \\(6,1), (6,2), (6,3), (6,4), (6,5), (6,6)\}$$

Total outcomes
= 36.

one die = $6 = 6^1$

two dice = $36 = 6^2$

three dice = 6^3

216



Some Experiments and their Outcomes

4. Throwing Two Dice:

$S = \{(1, 1), (1, 2), (1, 3), (1, 4), (1, 5), (1, 6)$
 $(2, 1), (2, 2), (2, 3), (2, 4), (2, 5), (2, 6)$
 $(3, 1), (3, 2), (3, 3), (3, 4), (3, 5), (3, 6)$
 $(4, 1), (4, 2), (4, 3), (4, 4), (4, 5), (4, 6)$
 $(5, 1), (5, 2), (5, 3), (5, 4), (5, 5), (5, 6)$
 $(6, 1), (6, 2), (6, 3), (6, 4), (6, 5), (6, 6)\}$



Some Experiments and their Outcomes

5. Tossing three coins.

['i coin ko' i baas toss kaso]

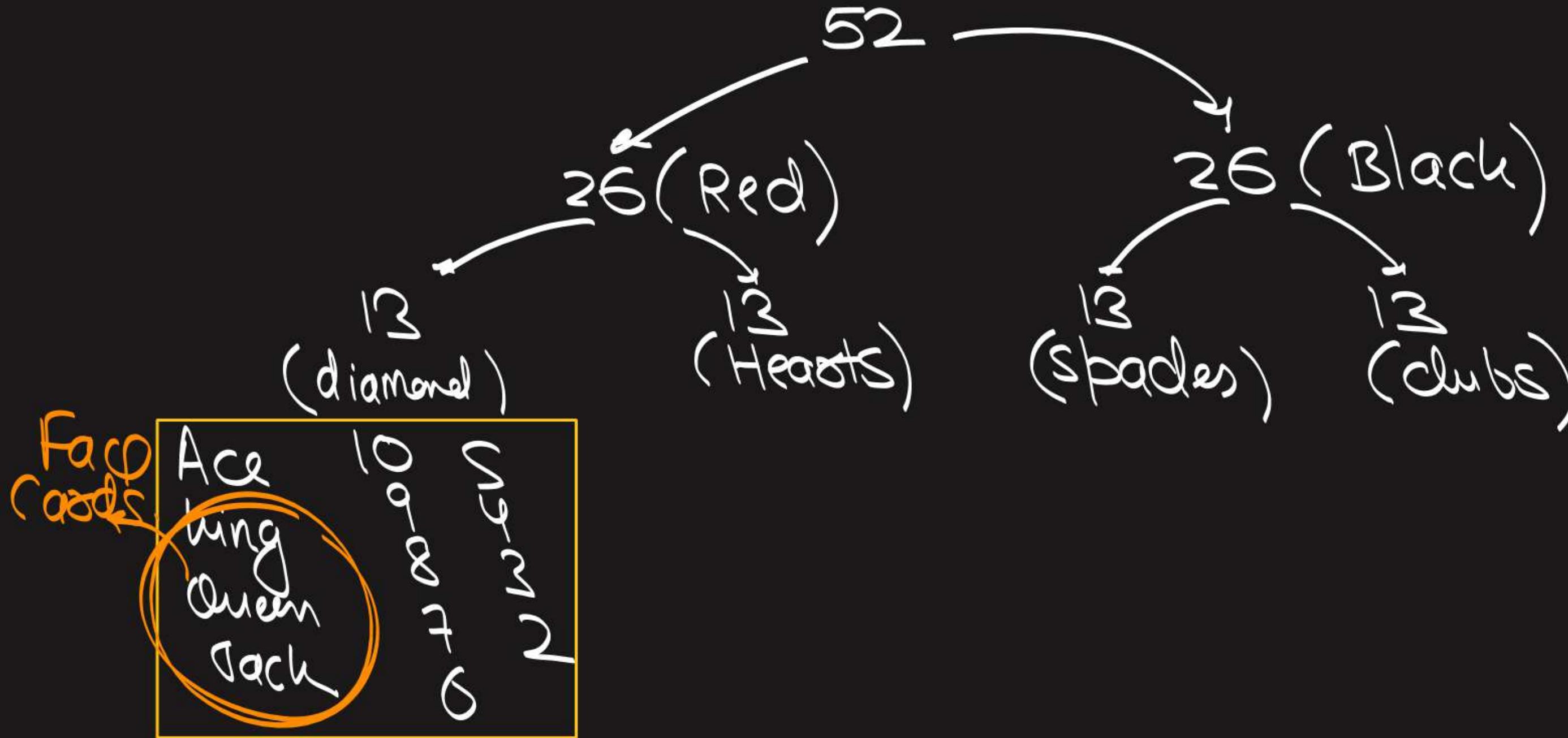
$$S = \{ HHH, HHT, HTH, THH \\ TTT, TTH, THT, HTT \}$$

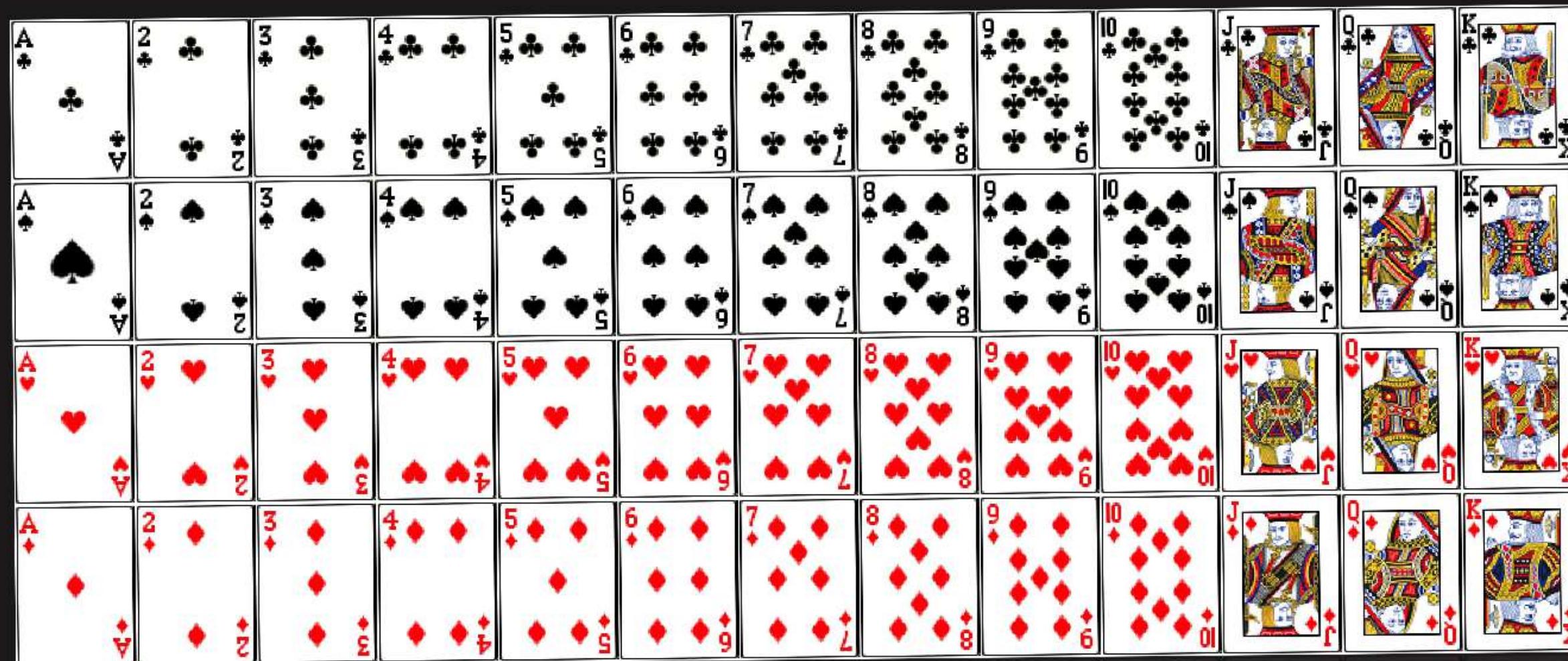
$$S = \text{All possible outcomes} = \{ HHH, HHT, HTH, THH \\ TTT, TTH, THT, HTT \}$$



Some Experiments and their Outcomes

6. Drawing a card from a deck of 52 cards:





Total Face cards = 12

Total Ace's = 4

no. of Red coloured Queen = 2



Events

R.E. → Rolling a die

$$S = \{1, 2, 3, 4, 5, 6\}$$

$$E_1 = \text{Prime no.} = \{2, 3, 5\} = P(E_1) = \frac{3}{6} = \frac{1}{2}$$

$$E_2 = \text{Even Prime no.} = \{2\} = P(E_2) = \frac{1}{6}$$

$$E_3 = \text{Multiple of 3} = \{3, 6\} = P(E_3) = \frac{2}{6} = \frac{1}{3}$$

$E = \text{die shows a '2'}$

$E' = \text{die does not show '2'}$

$$P(E) = \frac{\text{no. of favourable outcomes}}{\text{Total no. of outcomes}}$$

★ $0 \leq P(E) \leq 1$

★ $P(E) = 0 \rightarrow$ impossible event.

★ $P(E) = 1 \rightarrow$ Sure event / certain event.

Q T/F.

$$\textcircled{1} P(E) = \frac{1}{5}$$

$$\textcircled{2} P(E_1) = 0.8 \quad \textcircled{3} P(E_2) = 1.9 \quad \textcircled{4} P(E_3) = 1.05$$

⑤ $P(E_S) = \frac{50}{100} \cdot \frac{1}{T}$

$E_1 = \text{less than } 7$

$$\{1, 2, 3, 4, 5, 6\}$$

$$P(E_1) = \frac{6}{6} = 1$$

$$\frac{50}{100} = \frac{1}{2} \rightarrow 0.5$$



Events

R.E. → Tossing two coins

$$S = \{HH, TT, HT, TH\}$$

E_1 = getting two heads = {HH}

E_2 = atleast two tails = {TT}

Kam seuk kam.

E_3 = atmost two tails = {HH, TT, HT, TH} = $P(E_3) = \frac{4}{4} = 1$

Zada gya zada (\geq seuk chalega) [0, 1, 2]



Negation of an Event

- Corresponding to every event A associated with a random experiment we define an event "not A" which occurs when and only when A does not occur. The event "not A" is called the negation of event A and is denoted by \bar{A} .
Clearly, event A occurs if and only if \bar{A} does not occur.

R.E → Rolling a die.

$$E = \text{less than } 4 \text{ aana. } \{1, 2, 3\} = P(E) = \frac{3}{6} = \frac{1}{2}$$

$$E_1 = \text{More than } 3 \text{ aana. } \{4, 5, 6\} = P(E_1) = \frac{3}{6} = \frac{1}{2}$$

$$E = \text{3 aana} = P(E) = \frac{1}{6}$$

$$E' = \text{3 nahi aana} = P(E') = \frac{5}{6}$$

E dash

E complement

Negation of E'

$$P(E) + P(E') = 1$$

E = Shaadi hona

E' = Shaadi nahi hona .

$$P(E) + P(E') = 1$$

$$0.5 + P(E') = 1$$

$$P(E') = 1 - 0.5 = 0.5$$

- Two events A and B are said to be complementary to each other if the sum of their probabilities is 1.
- ~~Probability~~ of an event E, denoted as $P(E)$, is given by:

$$P(E) = \frac{\text{No. of outcomes favourable to } E}{\text{Total possible number of outcomes}}$$

- For an event E, $P(\bar{E}) = 1 - P(E)$, where the event \bar{E} representing 'not E' is the complement of the event E.
- For A and B two possible outcomes of an event,
 - (i) If $P(A) > P(B)$, then event A is more likely to occur than event B.
 - (ii) If $P(A) = P(B)$, then events A and B are equally likely to occur.

- Outcome associated with an experiment is called an event. e.g.,
 - (i) Getting a head on tossing a coin,
 - (ii) Getting a face card when a card is drawn from a pack of 52 cards.
- The events whose probability is one are called sure/certain events.
- The events whose probability is zero are called impossible events.
- An event with only one possible outcome is called an elementary event.

- In a given experiment, if two or more events are equally likely to occur or have equal probabilities, then they are called equally likely events.

- Probability of an event always lies between 0 and 1.

- Probability can never be negative and more than one.

- +
□ The sum of the probabilities of all elementary events of an experiment is 1.

#Q. An unbiased die is thrown. What is the probability of getting:

- (i) an even number (E_1) = $\frac{3}{6} = \frac{1}{2}$
- (ii) a multiple of 3 (E_2) = $\frac{2}{6} = \frac{1}{3}$
- (iii) an even number or a multiple of 3 (E_3) = $\frac{5}{6} = \frac{2}{3}$
- (iv) an even number and a multiple of 3 (E_4) = $\frac{1}{6}$
- (v) a number between 3 and 6. (E_5) = $\frac{2}{6} = \frac{1}{3}$

All possible outcomes :-
 $\{1, 2, 3, 4, 5, 6\}$

#Q. Two unbiased coins are tossed simultaneously. Find the probability of getting

Kam Sun head

2, 2

- (i) two heads - E_1
- (iii) at least one head - E_3
- (v) no head - E_5



Sun 2020

- (ii) one head - E_2
- (iv) at most one head - E_4

CBSE 2010, 13

All possible outcomes = {HH, HT, TH, TT}

$$(i) E_1 = \{HH\}$$

$$P(E_1) = 1/4$$

$$(iii) E_3 = \{HH, HT, TH\}$$

$$P(E_3) = 3/4$$

$$(ii) E_2 = \{HT, TH\}$$

$$P(E_2) = 2/4 = \frac{1}{2}$$

$$(iv) E_4 = \{HT, TH, TT\}$$

$$P(E_4) = 3/4$$

$$(v) E_5 = \{TT\}$$

$$P(E_5) = 1/4$$

#Q. Three unbiased coins are tossed together. Find the probability of getting:

(i) all heads - E_1

(iii) one head - E_3

(ii) two heads - E_2

(iv) at least two heads - E_4

CBSE 2015

All possible outcomes:

{HHH, HHT, HTT, TTT, TTH, THT, HTH, THH}

(iii) $E_3 = \{TTH, THT, HTT\}$

$$P(E_3) = 3/8$$

(ii) $E_2 = \{HHT, HTT, THH\}$

$$P(E_2) = 3/8$$

(iv) $E_4 = \{HHH, HHT, HTT, THH\}$

$$P(E_4) = 4/8 = \frac{1}{2}$$

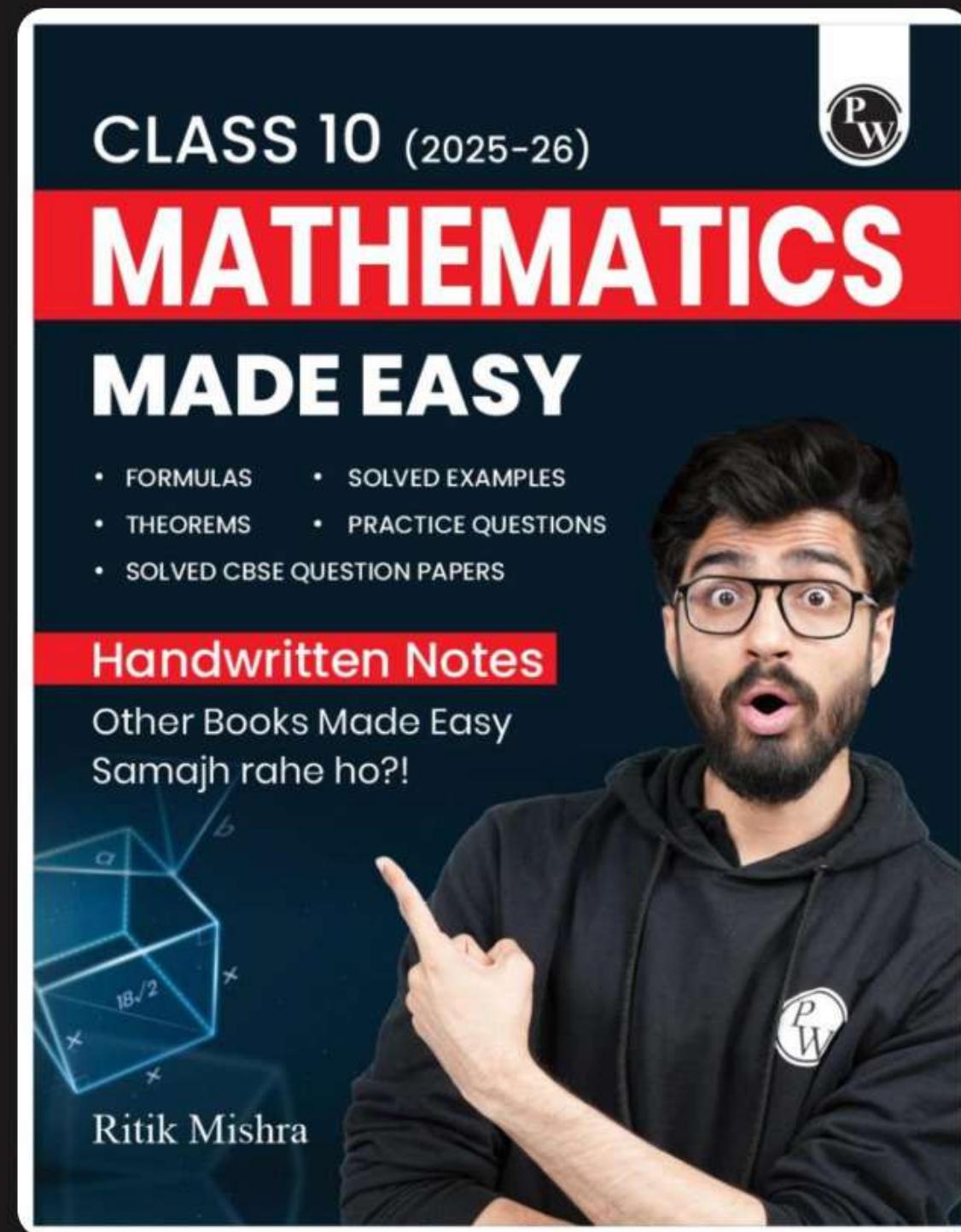
✓ atmost
tails.

0, 1, 2, 3

8/8 = 1



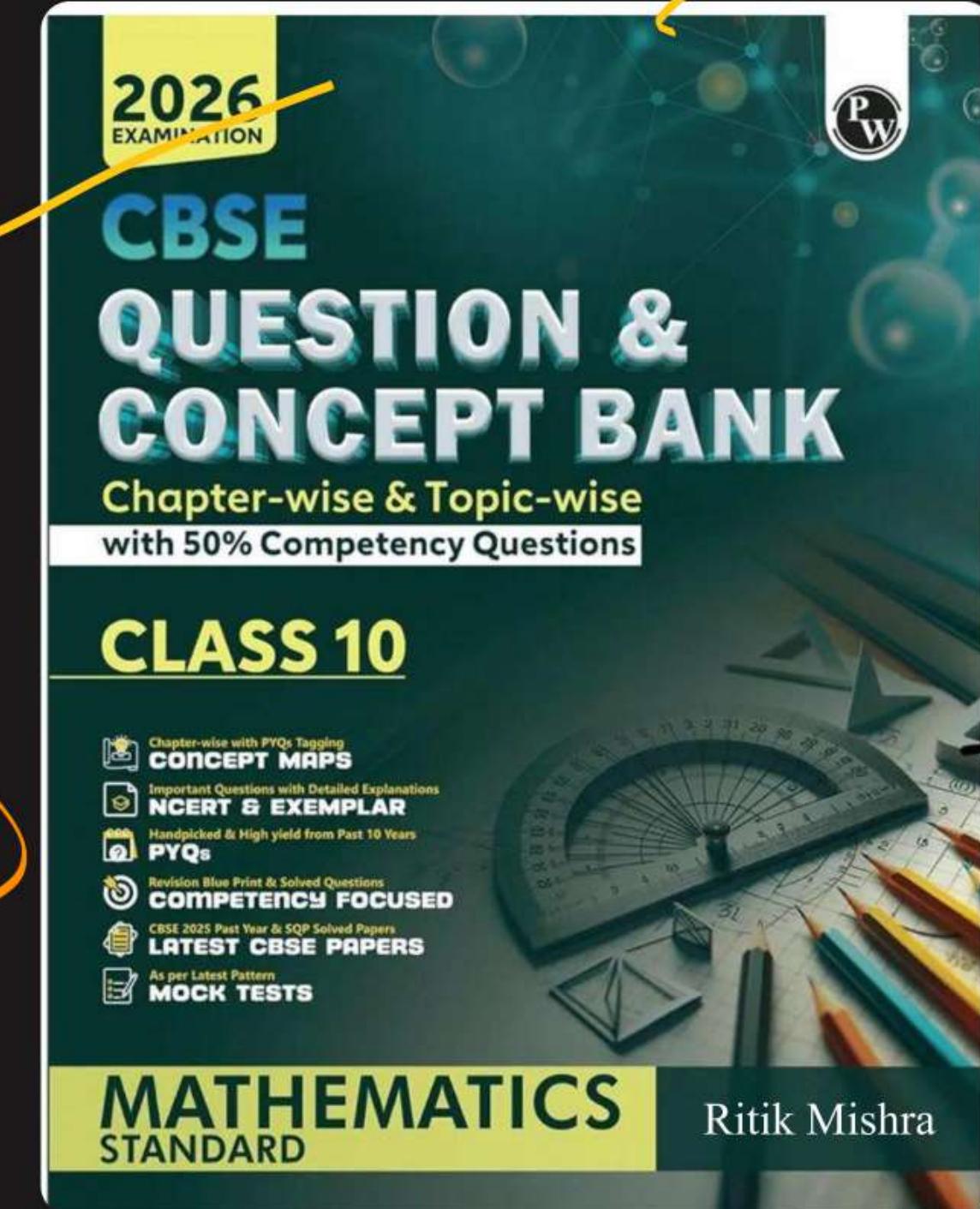
Available on PW Store, Amazon, Flipkart



Available on PW Store, Amazon, Flipkart



- H.W → Question Bank
- 22 → 3, 4
- 123 → 1, 6
- 82 → short answers - 6, 9
- long 11 - 1, 4, 6



**WORK HARD
DREAM BIG
NEVER GIVE UP**





RITIK SIR

JOIN MY OFFICIAL TELEGRAM CHANNEL



Thank You Babuaas ❤️



**Work Hard
Dream Big
Never Give Up**



Thank
You