



# UDAAN



**2026**

## Triangles

**MATHS**

**LECTURE-5**

**BY-RITIK SIR**



# Topics *to be covered*



**A** Questions (Part - 01)



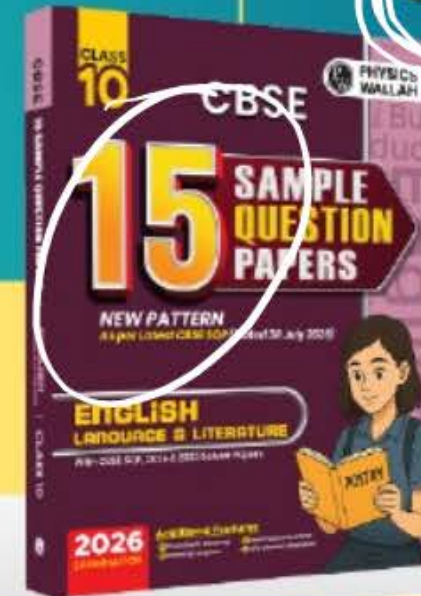
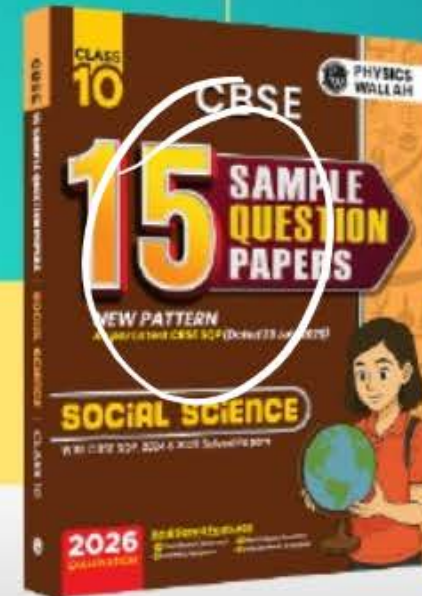
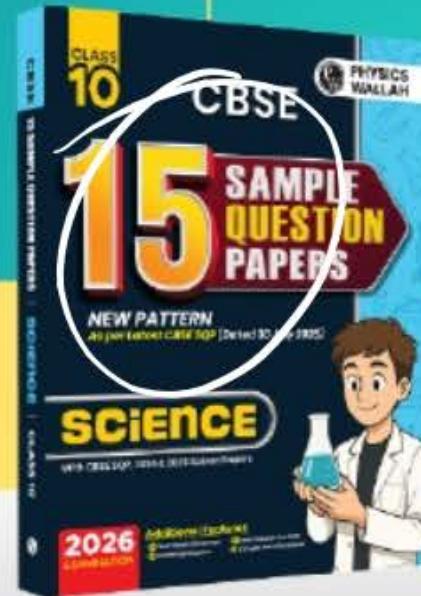
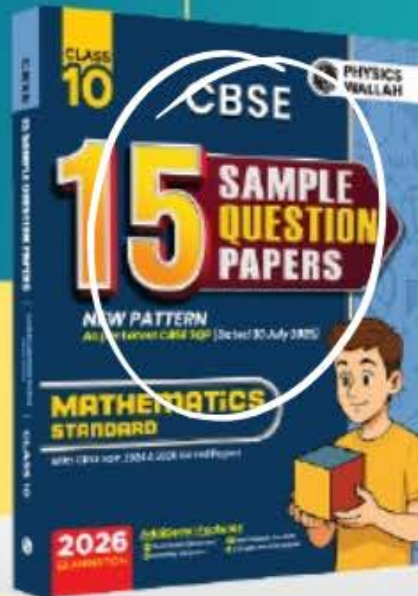
# Board Exams Mein Topper Bano

## 15 Sample Papers ke Saath Ace Karo!

1. Past Year CBSE Papers with Marks Breakdown Table
2. Chapter-wise Mind Maps & Step-wise Marking Schemes
3. 50% Competency Based Questions
4. Answering Templates & Handwritten Solutions
5. 111 Most Probable Questions

Only at ₹1,296/-

**₹1,186/-**



**JOIN NOW!**

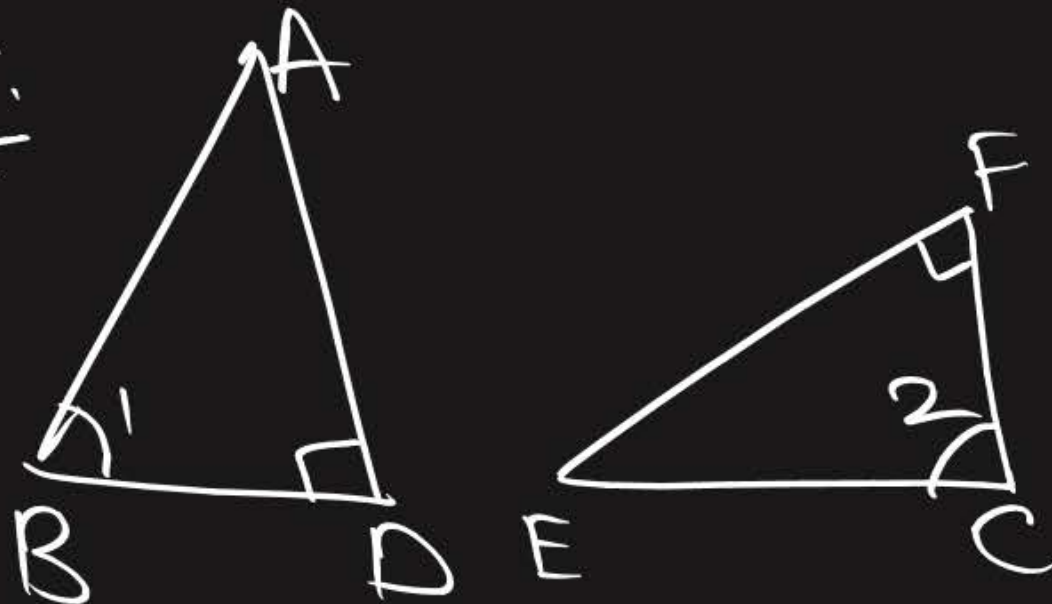
95%



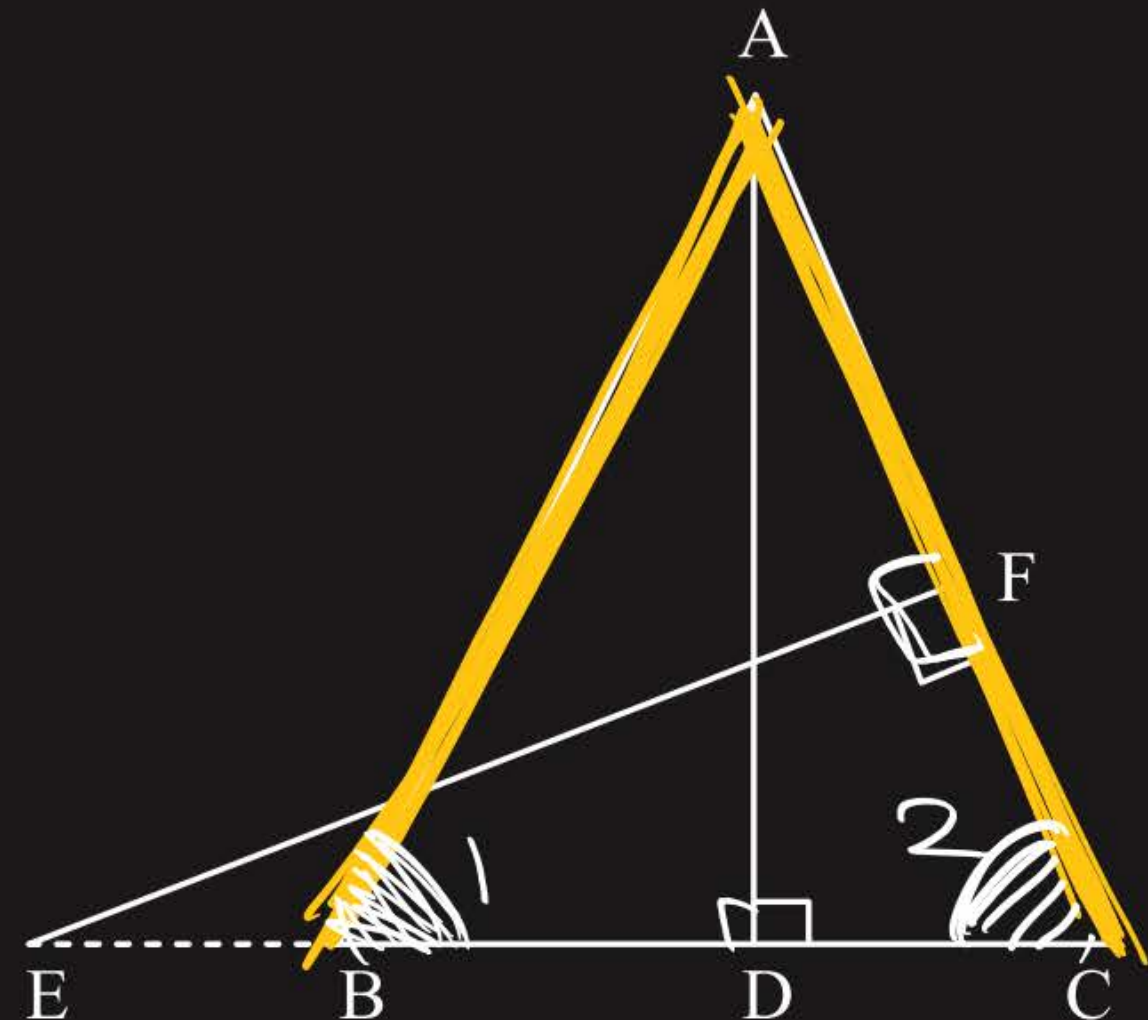
#Q. In fig. E is a point on side CB produced of an isosceles triangle ABC with  $AB = AC$ . If  $AD \perp BC$  and  $EF \perp AC$ , prove that  $\triangle ABD \sim \triangle ECF$ .

Gi:  $AB = AC$ ,  $AD \perp BC$ ,  $EF \perp AC$   
 To p:  $\triangle ABD \sim \triangle ECF$

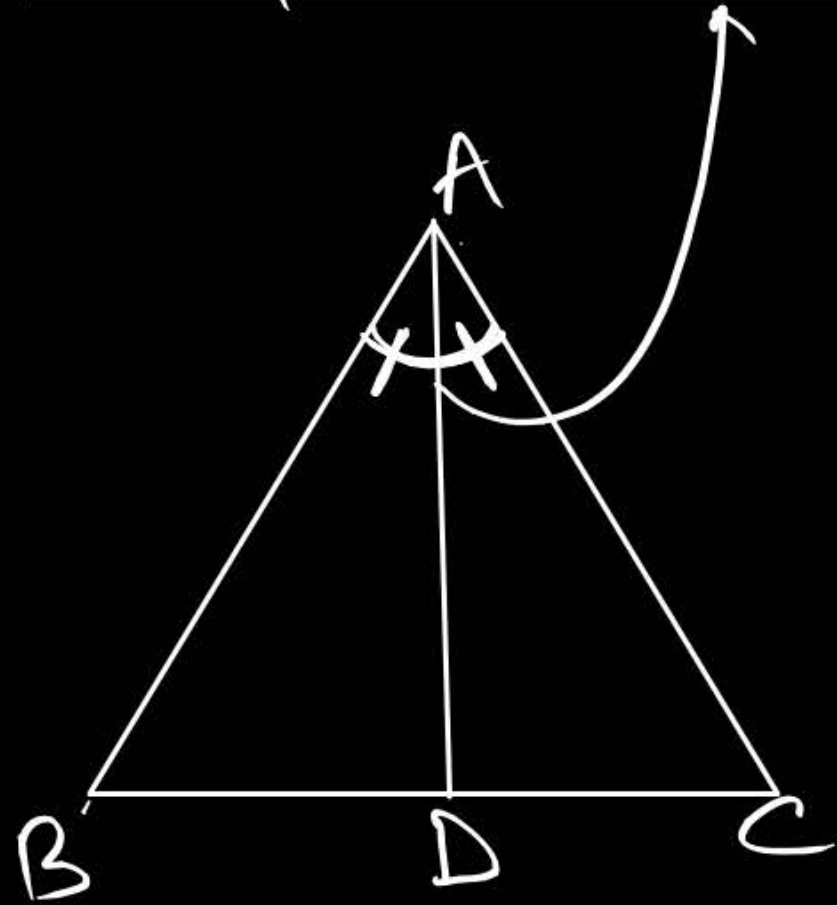
Proof:



AA



## Angle bisector

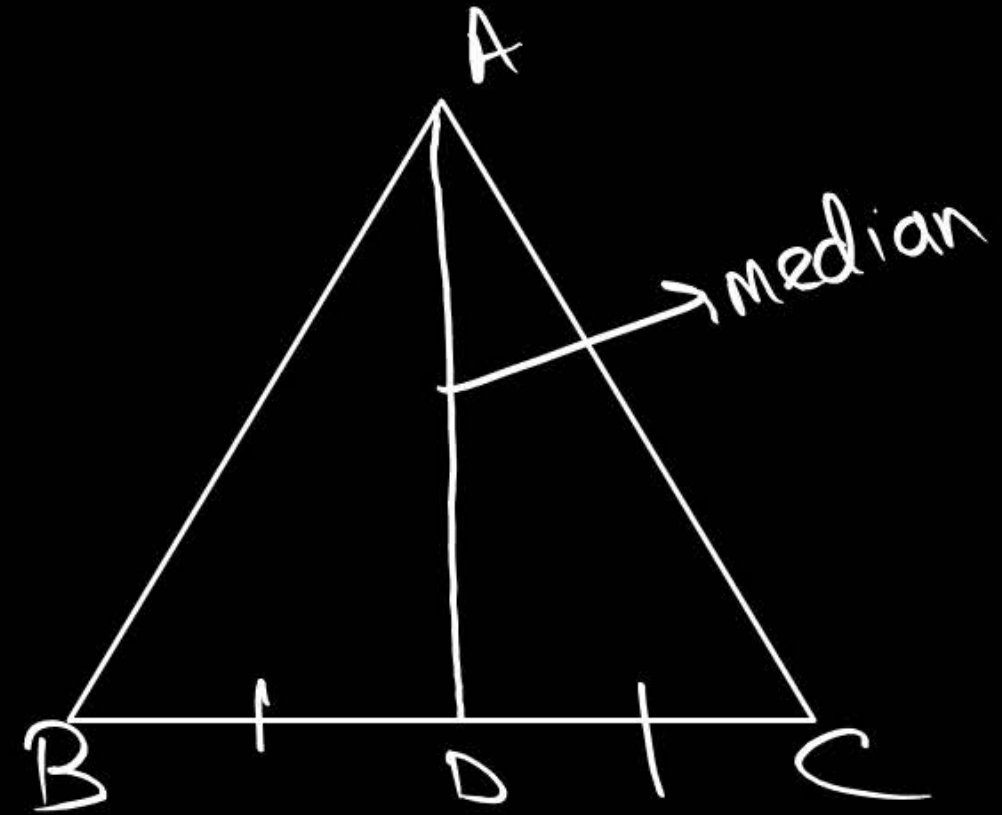


①  $\angle BAD = \angle CAD$

②  $\angle BAD = \angle CAD = \frac{1}{2} \angle BAC$

③  $\angle BAC = 2\angle BAD = 2\angle CAD$

## Median



①  $BD = DC$

②  $BD = DC = \frac{1}{2} BC$

③  $BC = 2BD = 2DC$



#Q. If  $CD$  and  $GH$  ( $D$  and  $H$  lie on  $AB$  and  $FE$ ) are respectively bisectors of  $\angle ACB$  and  $\angle EGF$  and  $\triangle ABC \sim \triangle FEG$ , prove that:

(i)  $\triangle DCA \sim \triangle HGF$

(ii)  $\frac{CD}{GH} = \frac{AC}{FG}$

G:  $\angle 1 = \angle 2, \angle 3 = \angle 4, \triangle ABC \sim \triangle FEG$

Top:

Proof:

$\triangle ABC \sim \triangle FEG$

$\angle A = \angle F$

$\angle B = \angle E$

$\angle C = \angle G$

$\frac{AB}{FE} = \frac{BC}{EG} = \frac{AC}{FG}$

(i) In  $\triangle DCA$  and  $\triangle HGF$

$\angle A = \angle F$

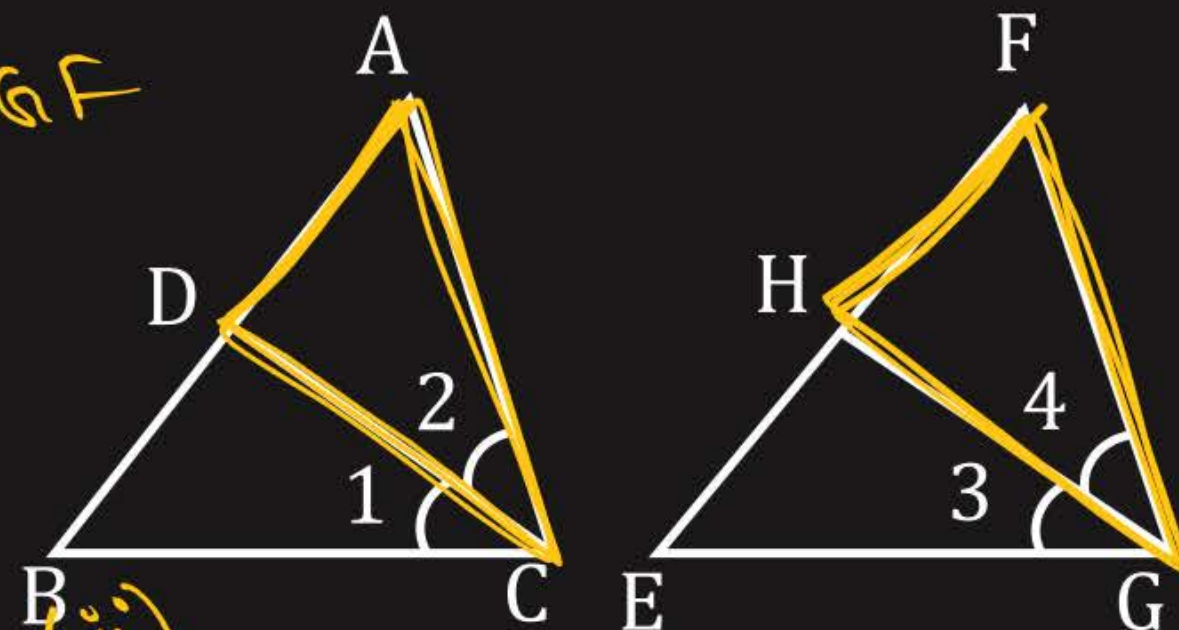
$\angle C = \angle G$

$\frac{1}{2} \angle C = \frac{1}{2} \angle G$

$\angle 2 = \angle 4$

By AA,

$\triangle DCA \sim \triangle HGF$



(ii) By C.P.S.T,

$\frac{DC}{HG} = \frac{CA}{GF}$



#Q. In figure, CD and GH are respectively the medians of  $\triangle ABC$  and  $\triangle EFG$  and  $\triangle ABC \sim \triangle FEG$ , prove that:

(i)  $\triangle ADC \sim \triangle FHG$

(ii)  $\frac{CD}{GH} = \frac{AB}{FE}$

Given: CD and GH are medians,  $\triangle ABC \sim \triangle FEG$ .

To prove: (i), (ii)

Proof:  $\because \triangle ABC \sim \triangle FEG$

$$\frac{AB}{FE} = \frac{BC}{EG} = \frac{AC}{FG}$$

$$\angle A = \angle F$$

$$\angle B = \angle E \quad \times$$

$$\angle C = \angle G \quad \times$$

(i) In  $\triangle ADC$  and  $\triangle FHG$

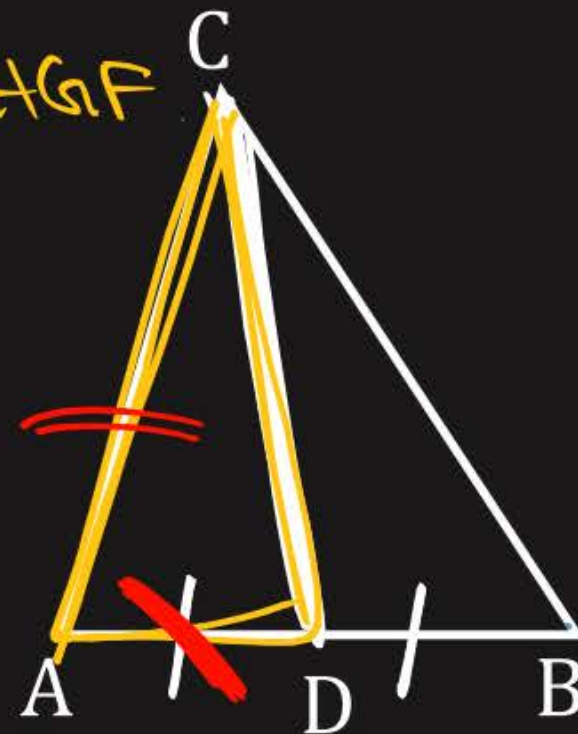
$$\frac{AB}{FE} = \frac{AC}{FG}$$

$$\frac{AD}{FH} = \frac{AC}{FG}$$

$$\angle A = \angle F$$

By SAS,

$$\triangle ADC \sim \triangle FHG$$



By CPST,

$$\frac{AD}{FH} = \frac{DC}{HG} = \frac{AC}{FG}$$

(ii)

$$\frac{CD}{GH} = \frac{AB}{FE}$$

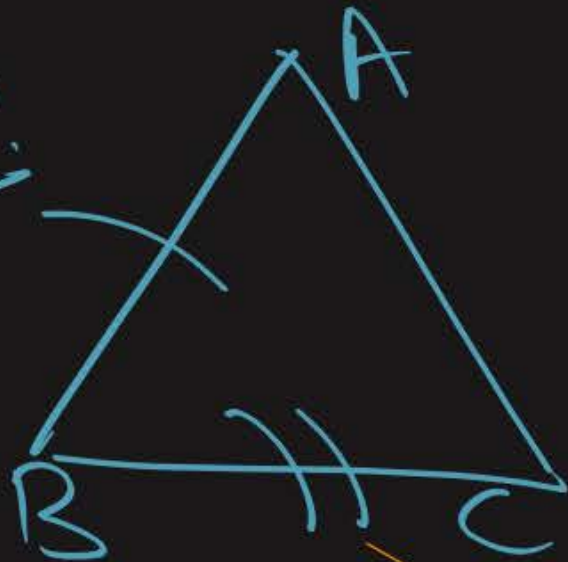


#Q. Sides  $AB$ ,  $BC$  and the median  $AD$  of  $\triangle ABC$  are respectively proportional to sides  $PQ$ ,  $QR$  and the median  $PM$  of another  $\triangle PQR$ . Prove that  $\triangle ABC \sim \triangle PQR$ .

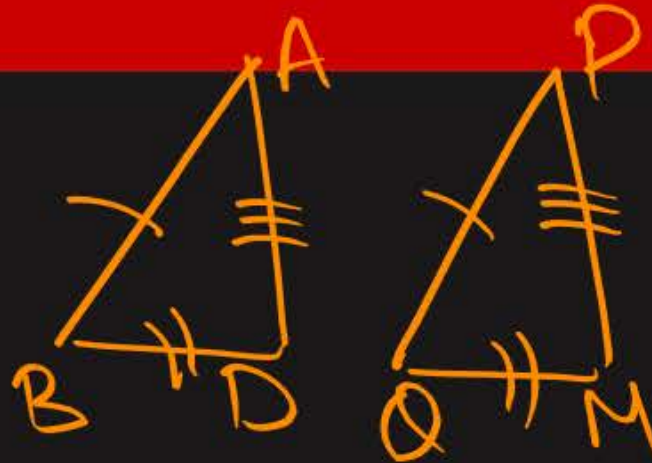
G:  $\frac{AB}{PQ} = \frac{BC}{QR} = \frac{AD}{PM}$

To p:  $\triangle ABC \sim \triangle PQR$

Proof:



SAS

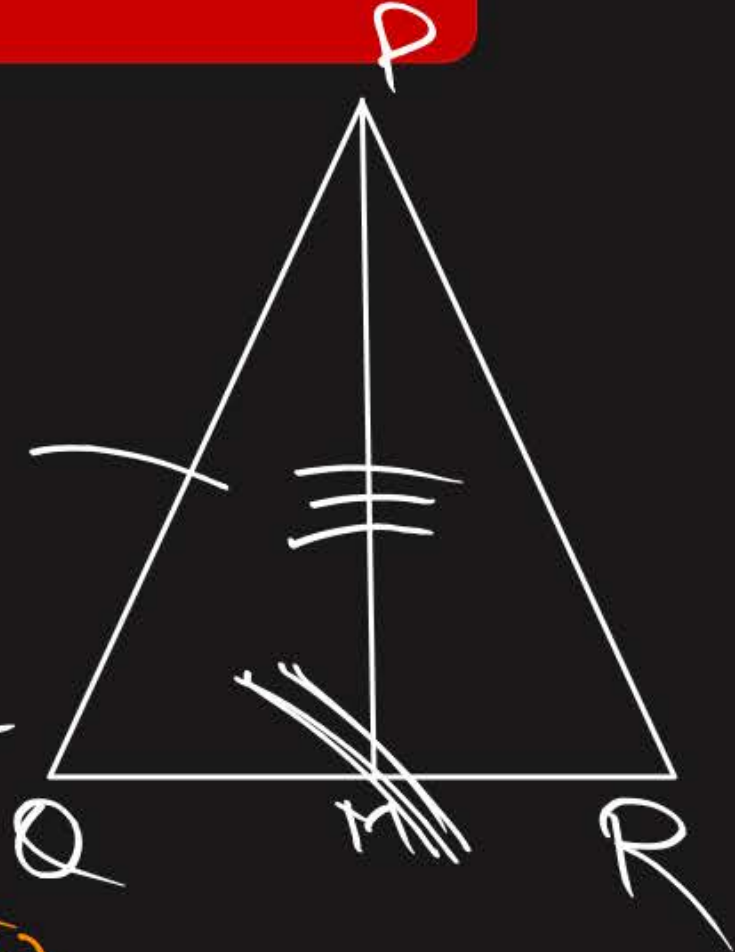
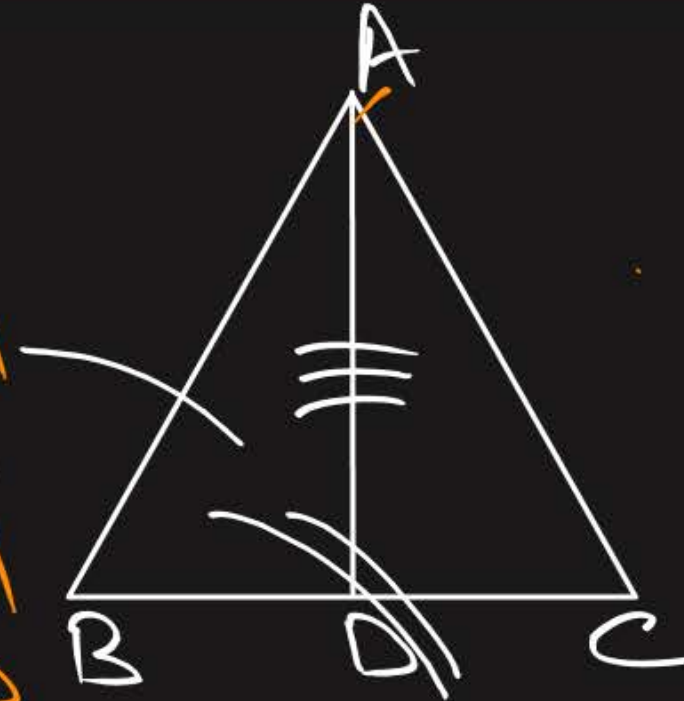


$$\frac{AB}{PQ} = \frac{BC}{QR} = \frac{AD}{PM}$$

$$\frac{AB}{PQ} = \frac{BD}{QM} = \frac{AD}{PM}$$

SSS

$\triangle ABD \sim \triangle PMQ$



By CPST,

$\angle B = \angle Q$



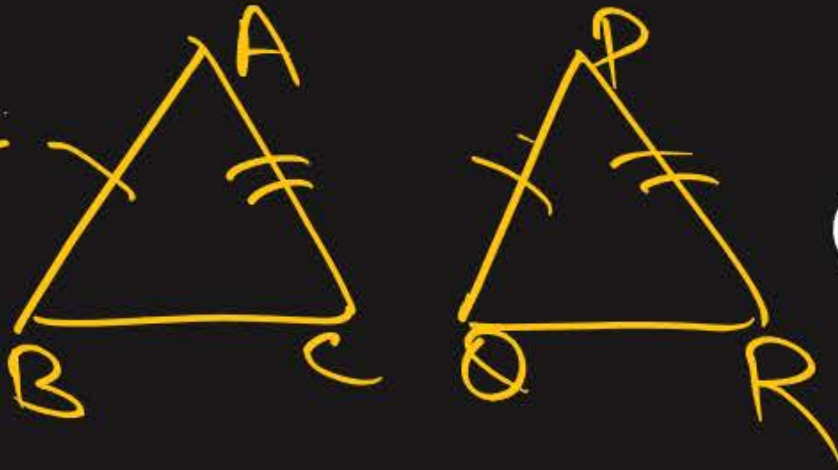


#Q. Sides AB and AC and median AD to  $\triangle ABC$  are respectively proportional to sides PQ and PR and median PM of another triangle PQR.  
Show that  $\triangle ABC \sim \triangle PQR$ .

Gi:  $\frac{AB}{PQ} = \frac{AC}{PR} = \frac{AD}{PM}$

To p:  $\triangle ABC \sim \triangle PQR$

Proof:



Const:  $DE = AD, MO = MP$ .

In  $\triangle ADB$  and  $\triangle EDC$

$BD = DC$   
 $\angle 5 = \angle 6$   
 $AD = DE$

By SAS,

$\triangle ADB \cong \triangle EDC$

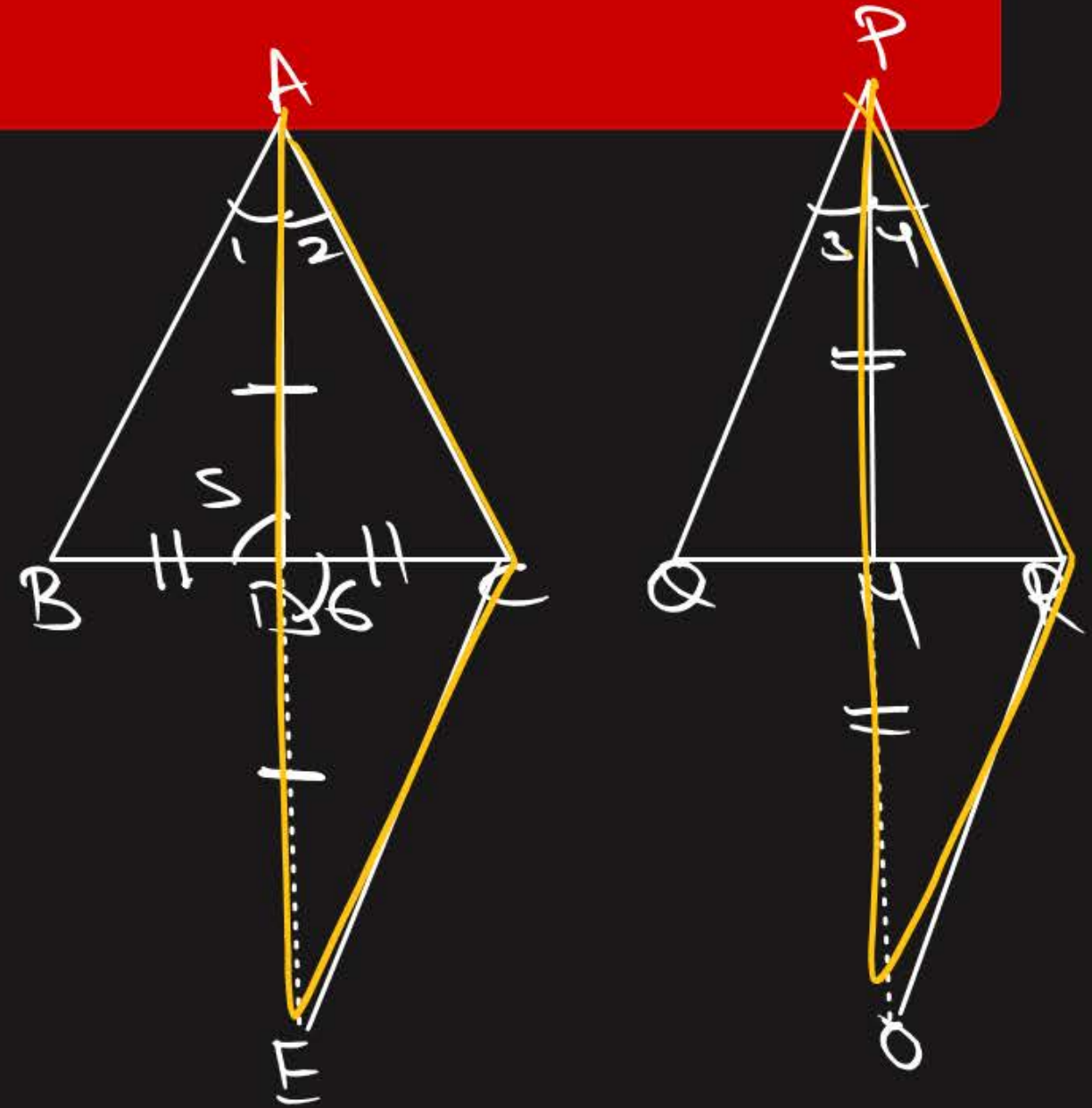
By CPCT,

$AB = CE$

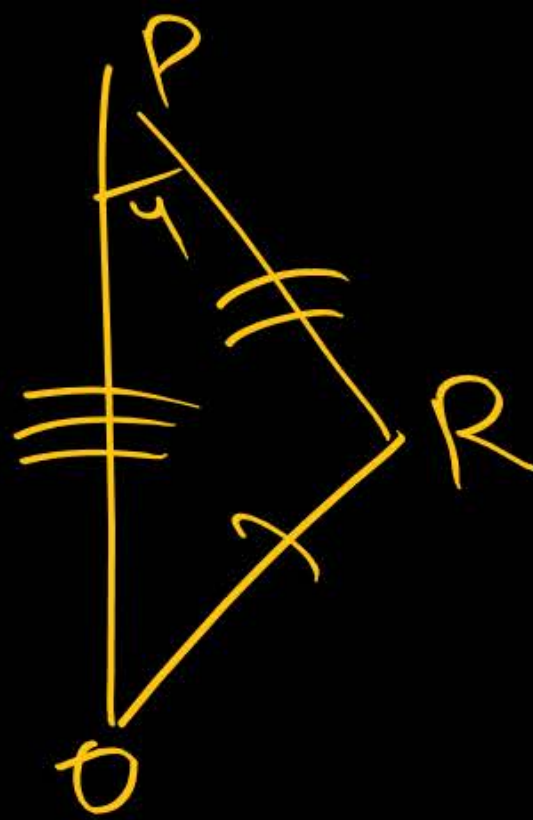
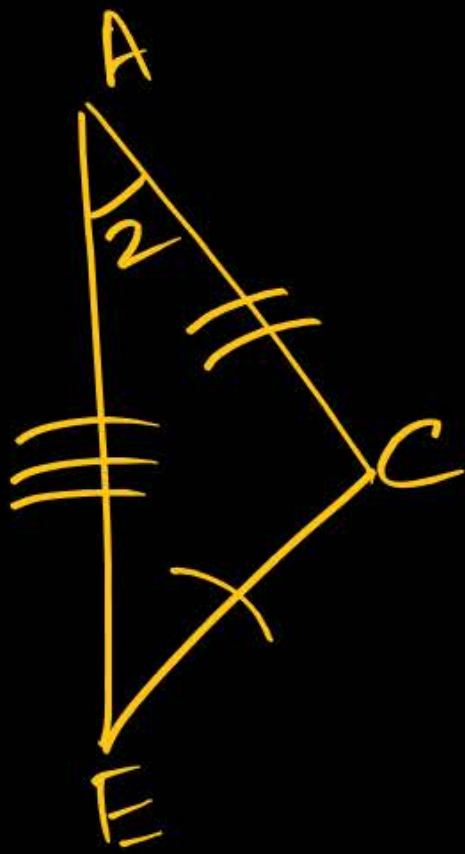
Similarly,

$\triangle PMO \cong \triangle MNR$

By CPCT,  $PQ = QR$







$$\textcircled{1} + \textcircled{2}$$

$$\angle 2 + \angle 1 = \angle 4 + \angle 3$$

$$\angle A = \angle P$$

#6pk

$$\frac{AB}{BO} = \frac{AC}{CO} = \frac{AD}{DO}$$

$$\frac{CE}{OR} = \frac{AC}{PR} = \frac{\frac{1}{2}AE}{\frac{1}{2}OP}$$

By SSS,  
 $\triangle ACE \sim \triangle PRO$

By CPST,

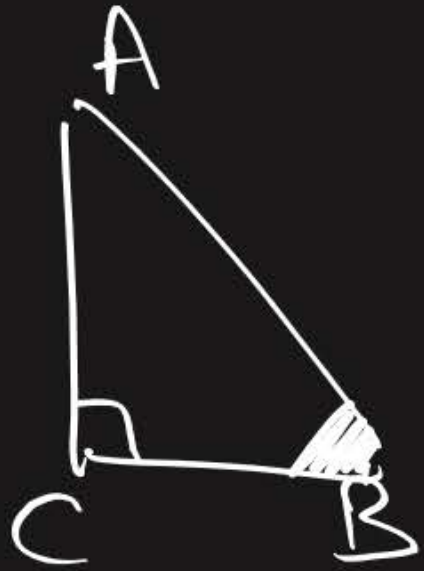
$$\angle 2 = \angle 4 \textcircled{1}$$

Similarly,  $\angle 1 = \angle 3 \textcircled{2}$



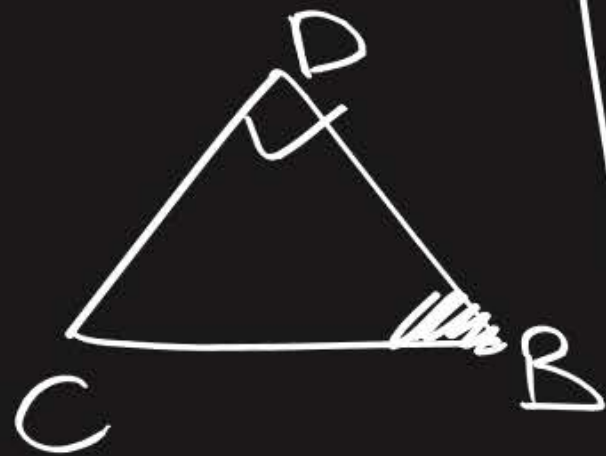
#Q.  $\triangle ABC$  is right angled at C. If p is the length of the perpendicular from C to AB and a, b, c are the length of the sides opposite to  $\angle A$ ,  $\angle B$  and  $\angle C$  respectively, then prove that  $\frac{1}{p^2} = \frac{1}{a^2} + \frac{1}{b^2}$ .

G:  
TOP:  
PROOF:



AA

$$\triangle ABC \sim \triangle CBD$$



By CPST,

$$\frac{AB}{CB} = \frac{BC}{BD} = \frac{AC}{CD}$$

$$\left(\frac{c}{a}\right) = \frac{a}{p} = \left(\frac{b}{p}\right)$$

$$\frac{c}{a} = \frac{b}{p}$$

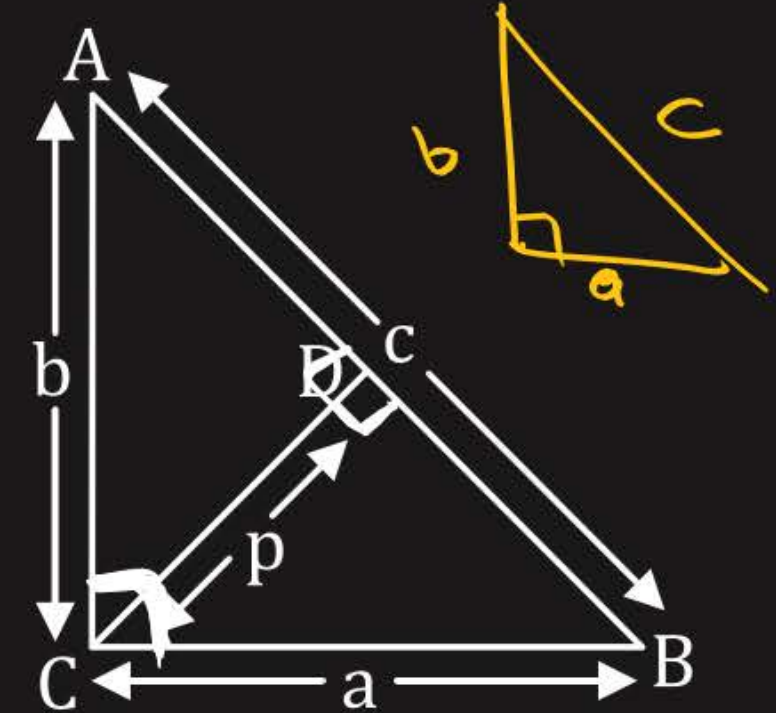
$$p = \frac{ab}{c}$$

$$p^2 = \frac{a^2 b^2}{c^2}$$

$$\frac{1}{p^2} = \frac{c^2}{a^2 b^2}$$

$$\frac{1}{p^2} = \frac{a^2 + b^2}{a^2 b^2}$$

$$\frac{1}{p^2} = \frac{1}{b^2} + \frac{1}{a^2} \quad \text{H.P}$$





#Q. In the given figure, DEFG is a square and  $\angle BAC = 90^\circ$ .  
Show that  $FG^2 = BG \times FC$ .

G: DEFG is a square,  $\angle BAC = 90^\circ$

To p:  $FG^2 = BG \times FC$ .

Proof:

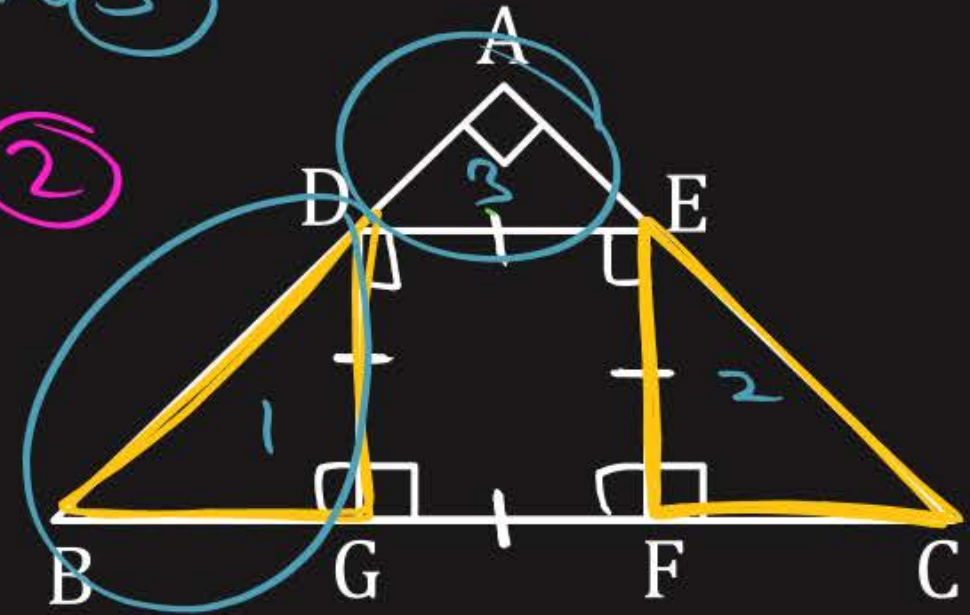
CPST

#Gp

① ~ ③

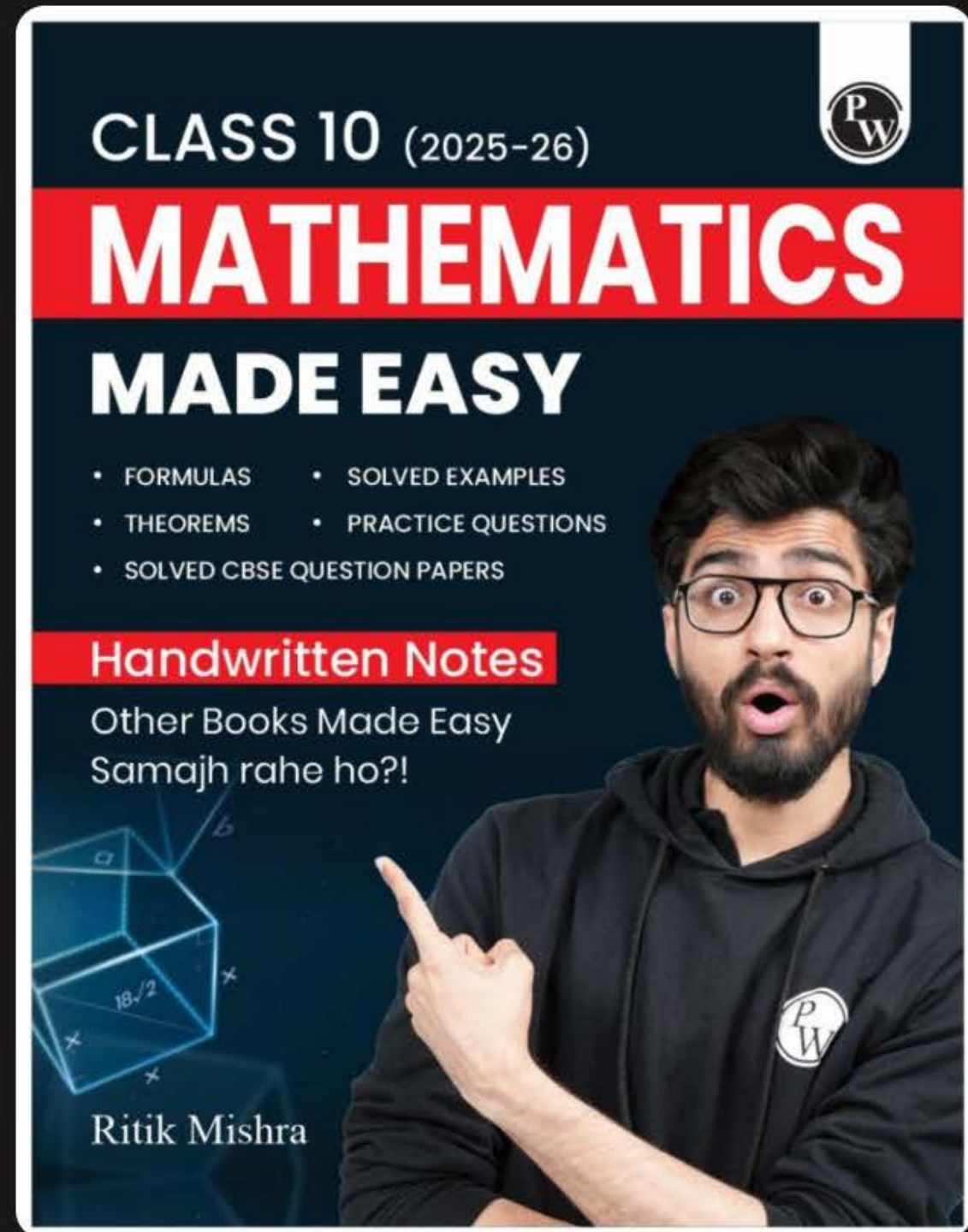
② ~ ③

① ~ ②



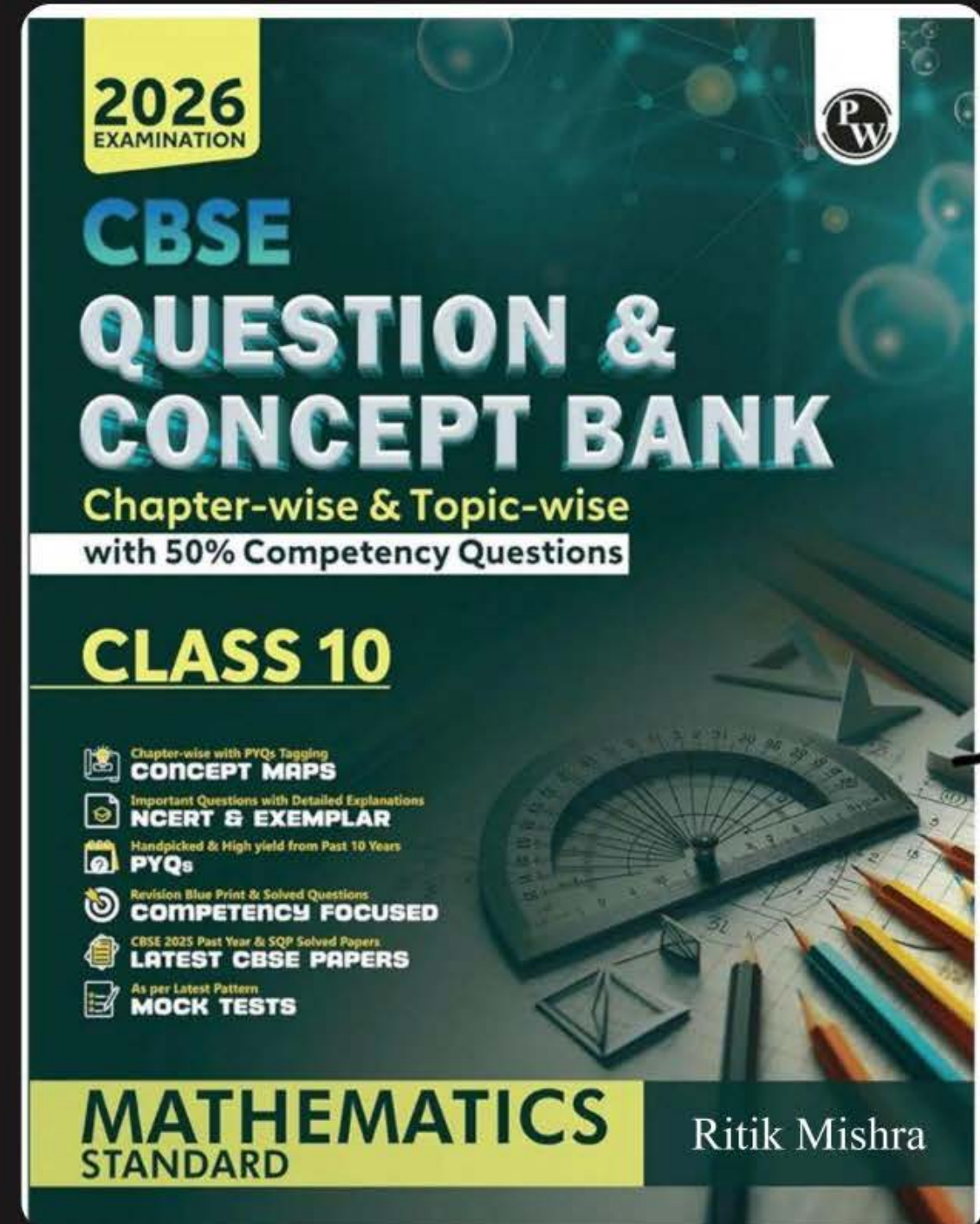


**Available on PW Store, Amazon, Flipkart**





**Available on PW Store, Amazon, Flipkart**







**WORK HARD**

**DREAM BIG**

**NEVER GIVE UP**







# RITIK SIR

**JOIN MY OFFICIAL TELEGRAM CHANNEL**





# Thank You Babuaas ❤️👥



**Work Hard  
Dream Big  
Never Give Up**