



# UDAAN



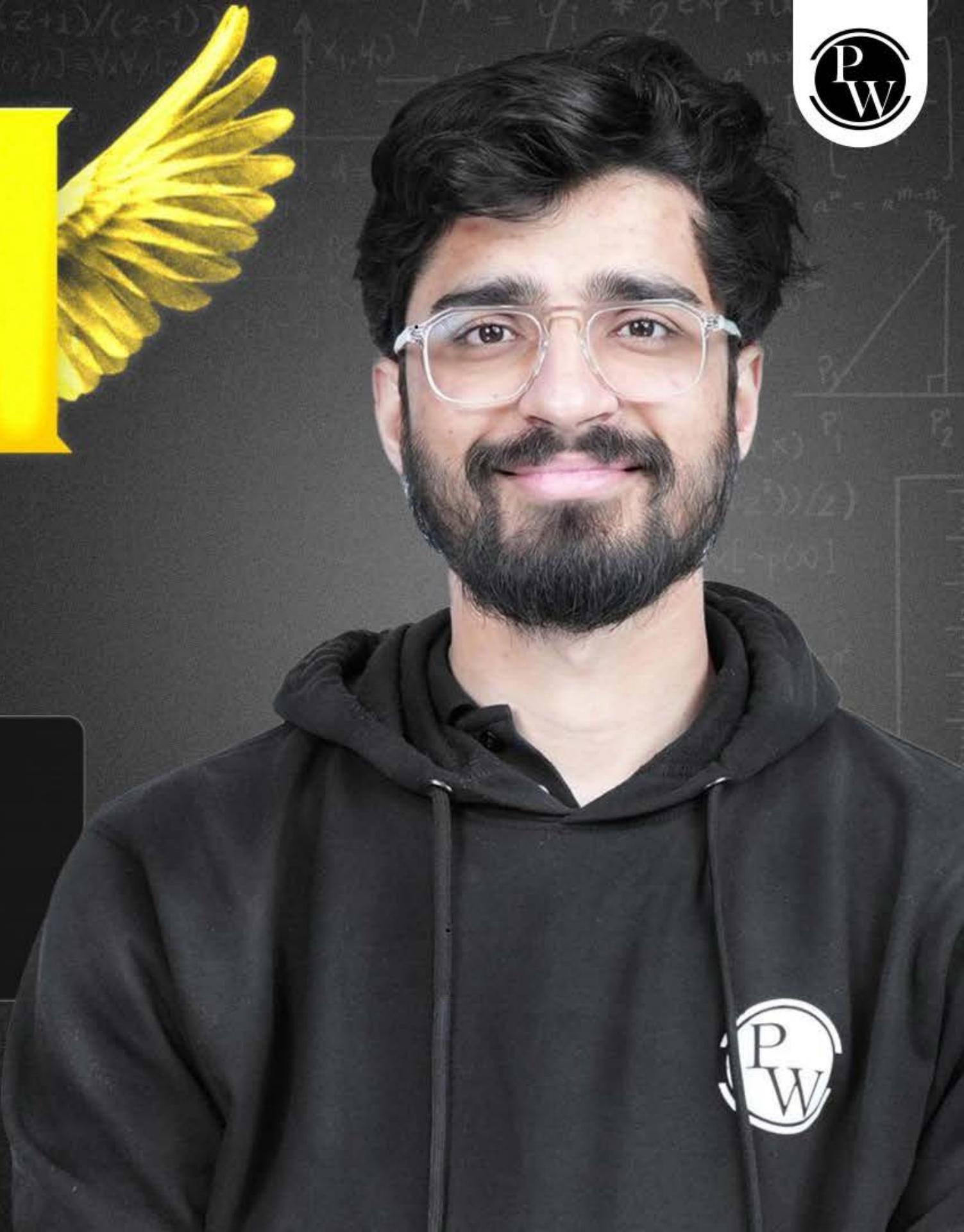
2026

## Triangles

MATHS

LECTURE-5

BY-RITIK SIR



# Topics *to be covered*

**A**

Questions

(Part - 01)

# Board Exams Mein Topper Bano

## 15 Sample Papers ke Saath Ace Karo!

1.

Past Year  
CBSE Papers with Marks  
Breakdown Table

2.

Chapter-wise Mind Maps  
& Step-wise Marking  
Schemes

3.

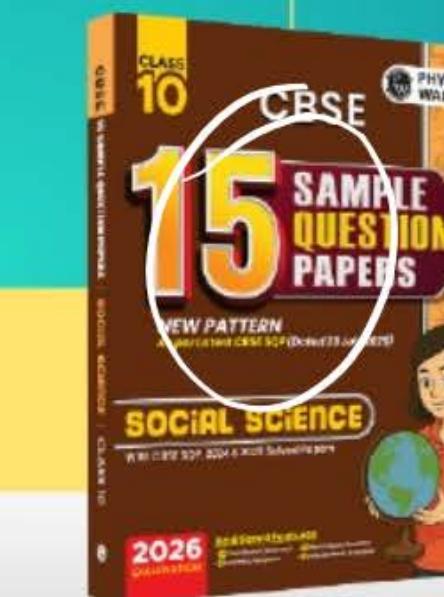
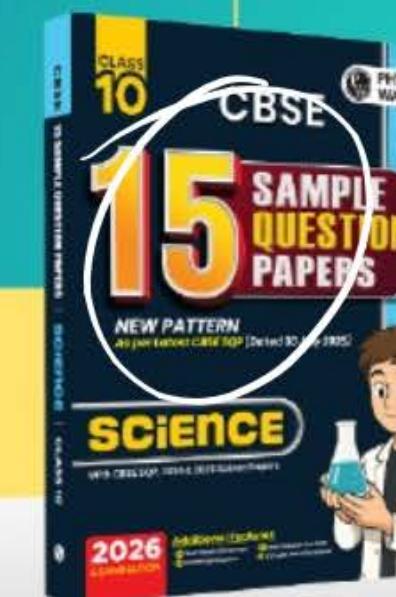
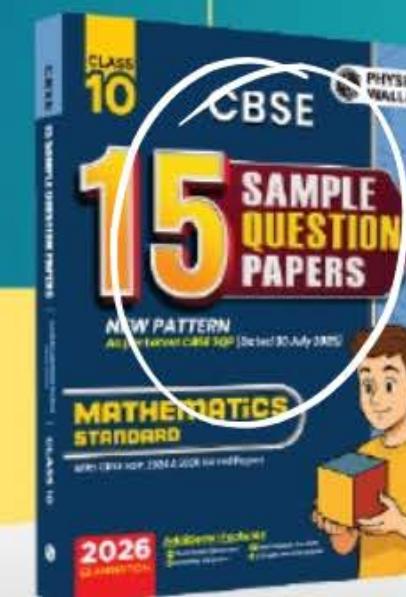
50% Competency  
Based Questions

4.

Answering Templates  
& Handwritten Solutions

5.

111 Most Probable  
Questions



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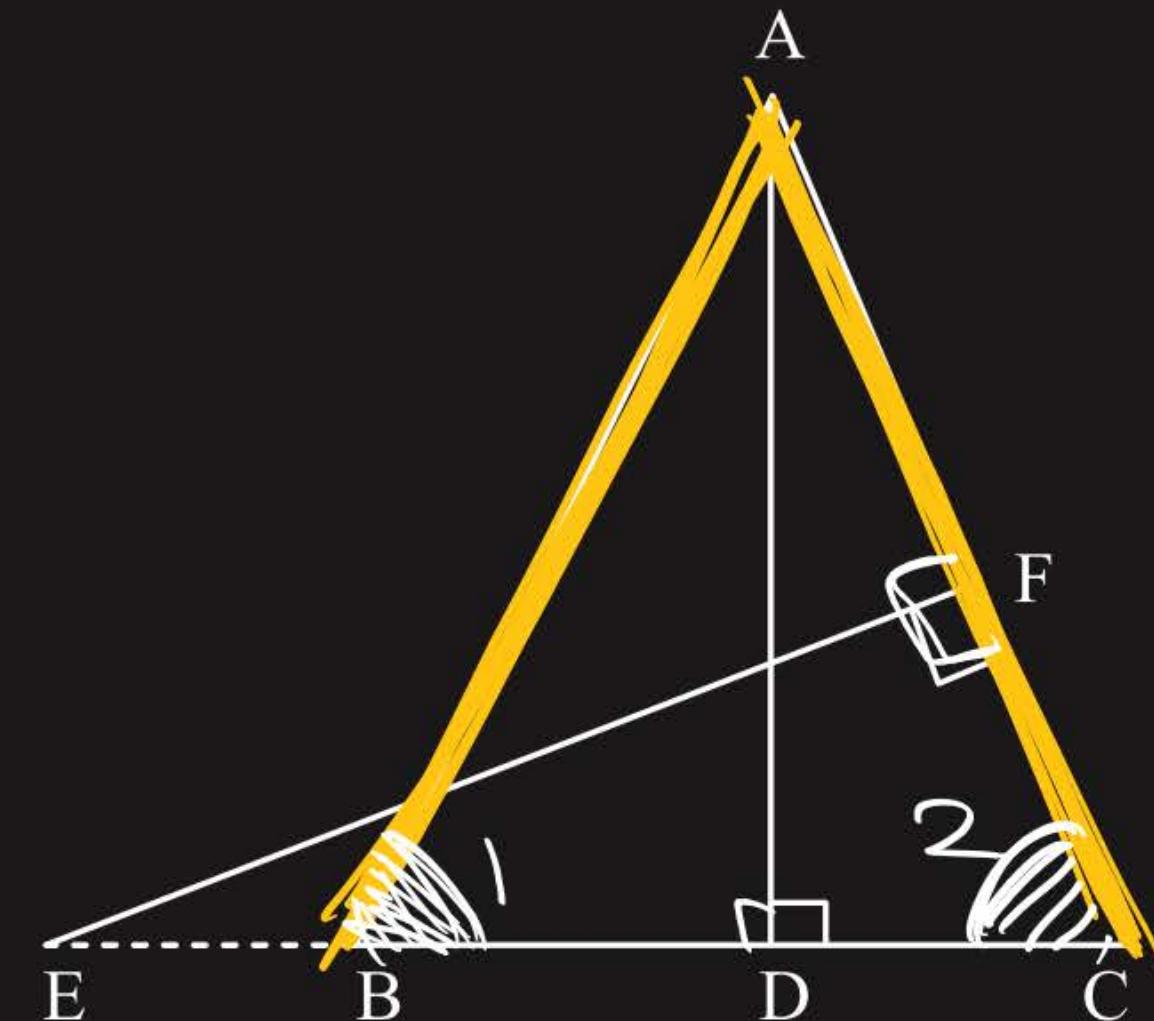
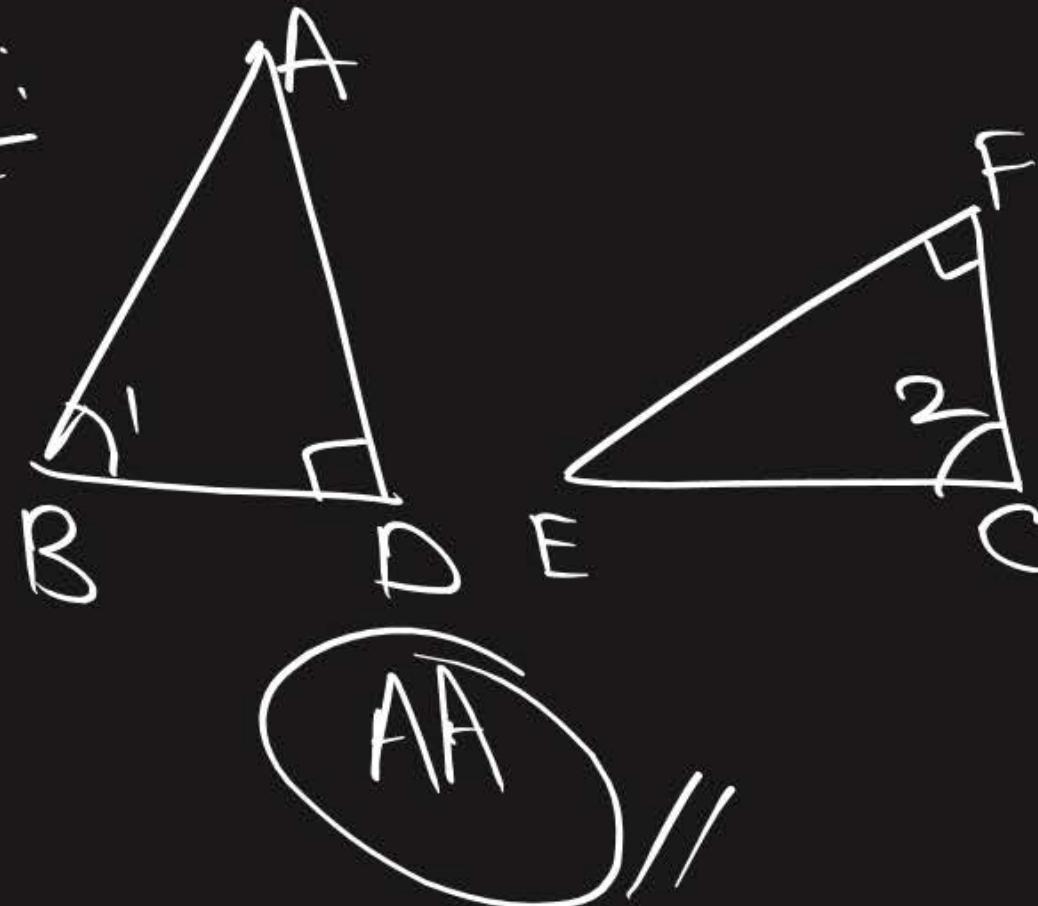
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#Q. In fig. E is a point on side CB produced of an isosceles triangle ABC with  $\underline{AB} = \underline{AC}$ . If  $AD \perp BC$  and  $EF \perp AC$ , prove that  $\Delta ABD \sim \Delta ECF$ .

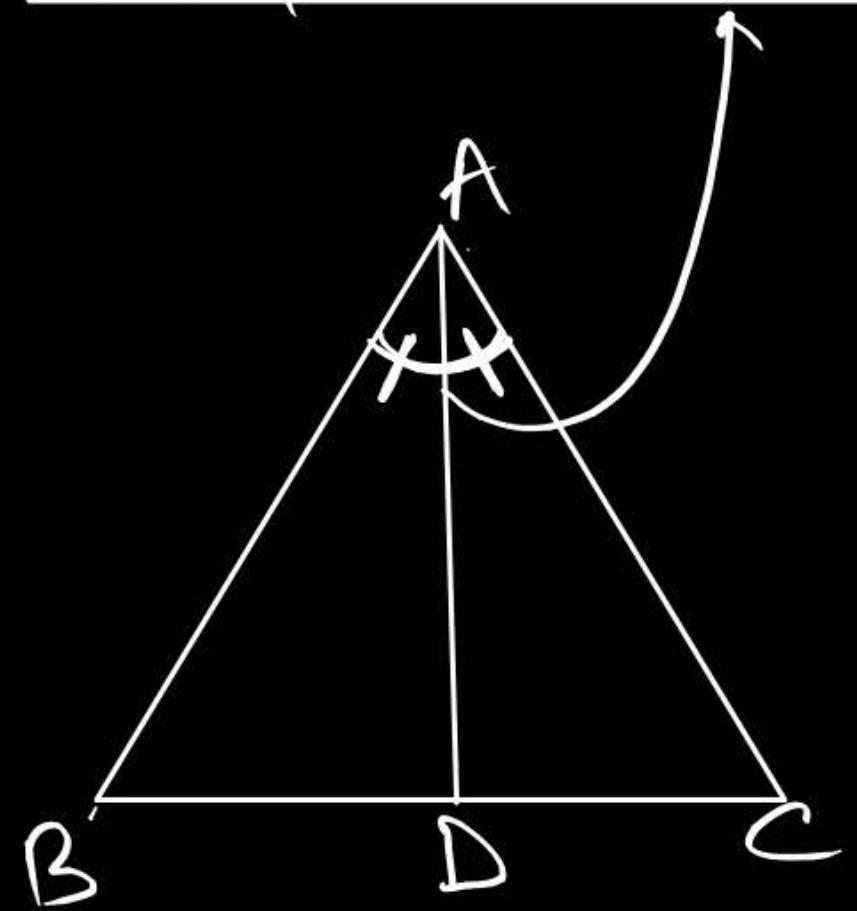
Given:  $AB = AC$ ,  $AD \perp BC$ ,  $EF \perp AC$

To Prove:  $\Delta ABD \sim \Delta ECF$

Proof:



# Angle bisector

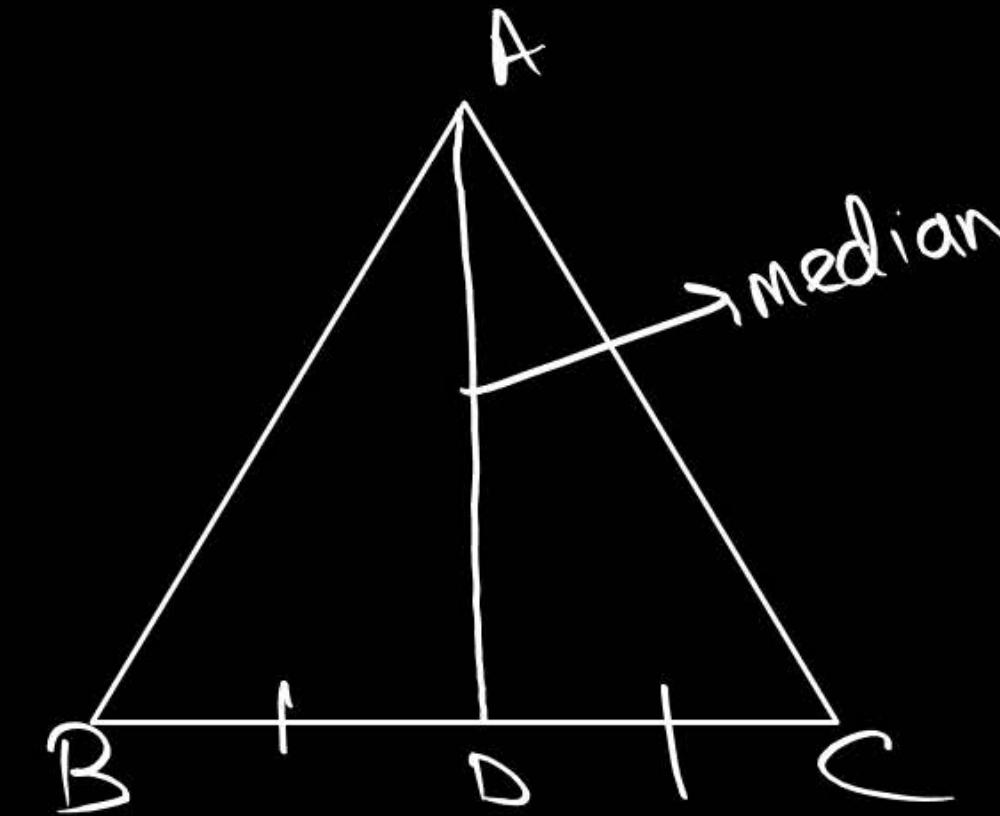


$$\textcircled{1} \quad \angle BAD = \angle CAD$$

$$\textcircled{2} \quad \angle BAD = \angle CAD = \frac{1}{2} \angle BAC$$

$$\textcircled{3} \quad \angle BAC = 2\angle BAD = 2\angle CAD$$

# Median



$$\textcircled{1} \quad BD = DC$$

$$\textcircled{2} \quad BD = CD = \frac{1}{2} BC$$

$$\textcircled{3} \quad BC = 2BD = 2DC$$

#Q. If  $\overline{CD}$  and  $\overline{GH}$  ( $D$  and  $H$  lie on  $\overline{AB}$  and  $\overline{FE}$ ) are respectively bisectors of  $\angle ACB$  and  $\angle EGF$  and  $\triangle ABC \sim \triangle FEG$ , prove that:

$$(i) \quad \triangle DCA \sim \triangle HGF$$

$$(ii) \quad \frac{CD}{GH} = \frac{AC}{FG}$$

G:  $\angle 1 = \angle 2, \angle 3 = \angle 4, \triangle ABC \sim \triangle FEG$ .

Top:

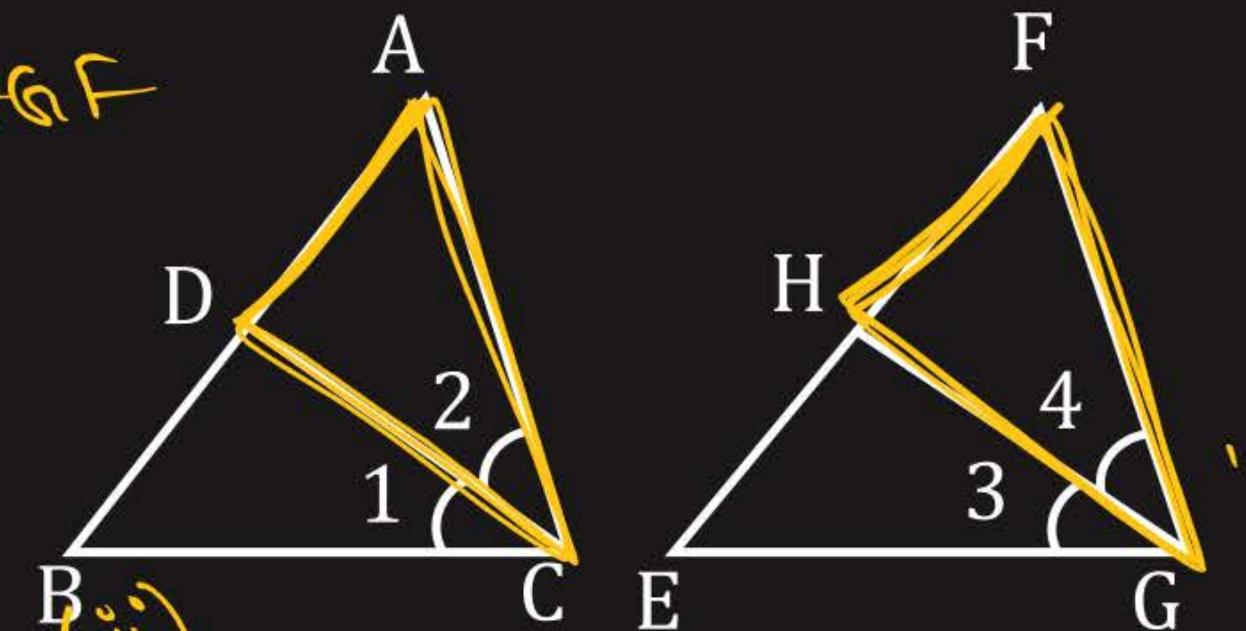
Proof:

$$\begin{aligned} &\angle A = \angle F \\ &\angle B = \angle E \\ &\angle C = \angle G \\ &\frac{AB}{FE} = \frac{BC}{EG} = \frac{AC}{FG}. \end{aligned}$$

(i) In  $\triangle DCA$  and  $\triangle HGF$

$$\begin{aligned} &\angle A = \angle F \\ &\angle C = \angle G \\ &\frac{1}{2}\angle C = \frac{1}{2}\angle G \\ &\angle 2 = \angle 4 \end{aligned}$$

By AA,  
 $\triangle DCA \sim \triangle HGF$



(ii) By C.P.S.T,

$$\frac{DC}{HG} = \frac{CA}{GF}$$

#Q. In figure, CD and GH are respectively the medians of  $\triangle ABC$  and  $\triangle EFG$  and  $\triangle ABC \sim \triangle FEG$ , prove that:

(i)  $\triangle ADC \sim \triangle FHG$

(ii)  $\frac{CD}{GH} = \frac{AB}{FE}$

Giv: CD and GH are medians,  $\triangle ABC \sim \triangle FEG$ .

Tob: (i), (ii)

Proof:

$$\triangle ABC \sim \triangle FEG$$

$$\frac{AB}{FE} = \frac{BC}{EG} = \frac{AC}{FG}$$

$$\angle A = \angle F$$

$$\angle B = \angle E$$

$$\angle C = \angle G$$

(i) In  $\triangle ADC$  and  $\triangle FHG$

$$\frac{AB}{FE} = \frac{AC}{FG}$$

$$\frac{\angle A}{\angle F} = \frac{AC}{FG}$$

$$\angle A = \angle F$$

By SAS,

$$\triangle ADC \sim \triangle FHG$$



By CPST,

$$\frac{AD}{FH} = \frac{DC}{HG} = \frac{AC}{FG}$$



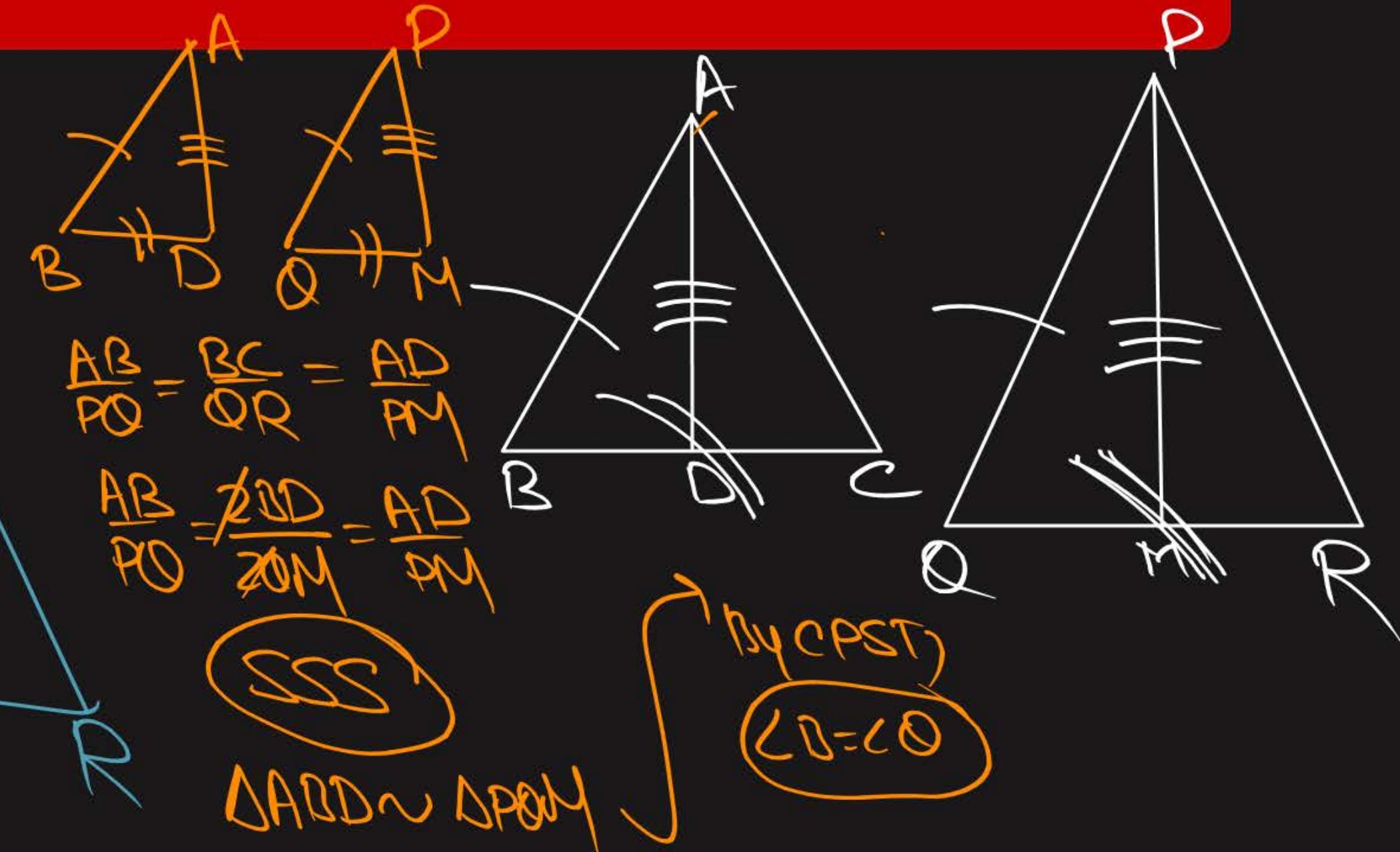
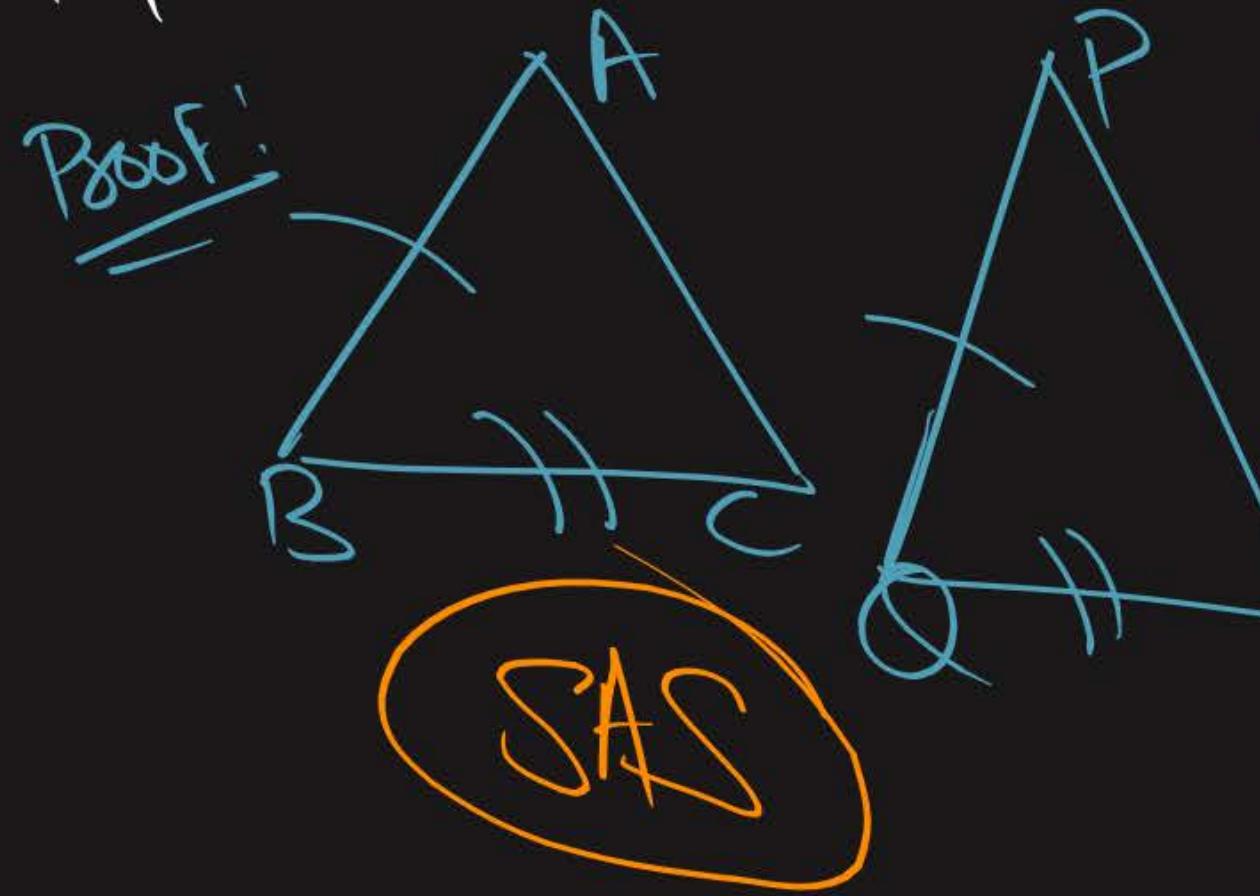
$$\frac{AC}{FG} = \frac{AB}{FE}$$

$$\frac{CD}{GH} = \frac{AB}{FE}$$

#Q. Sides  $\overline{AB}$ ,  $\overline{BC}$  and the median  $\overline{AD}$  of  $\triangle ABC$  are respectively proportional to sides  $\overline{PQ}$ ,  $\overline{QR}$  and the median  $\overline{PM}$  of another  $\triangle PQR$ . Prove that  $\triangle ABC \sim \triangle PQR$ .

$$G: \frac{\overline{AB}}{\overline{PQ}} = \frac{\overline{BC}}{\overline{QR}} = \frac{\overline{AD}}{\overline{PM}}$$

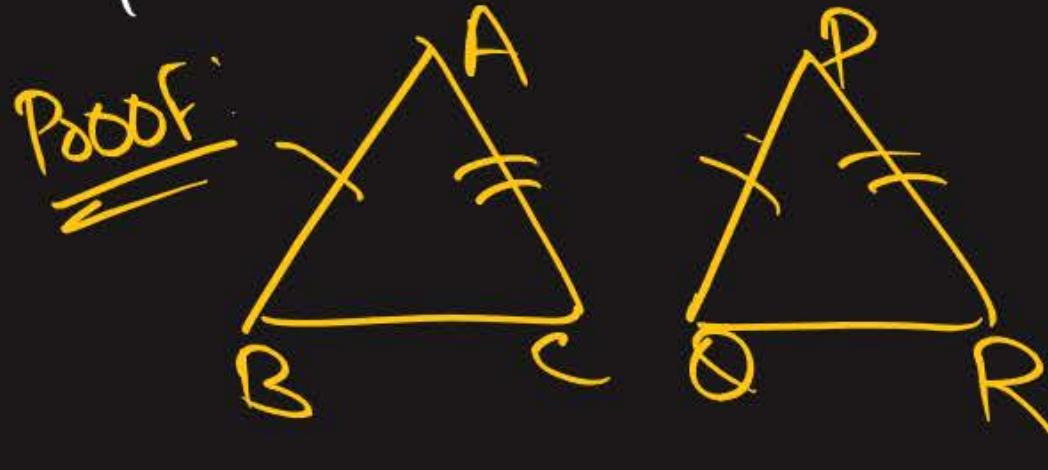
To P:  $\triangle ABC \sim \triangle PQR$



#Q. Sides  $AB$  and  $AC$  and median  $AD$  to  $\triangle ABC$  are respectively proportional to sides  $PQ$  and  $PR$  and median  $PM$  of another triangle  $PQR$ .  
 Show that  $\triangle ABC \sim \triangle PQR$ .

Given:  $\frac{AB}{PQ} = \frac{AC}{PR} = \frac{AD}{PM}$

To Prove:  $\triangle ABC \sim \triangle PQR$



Constr:  $DE = AD$ ,  $MS = MP$ .      Similarly,  
 $\triangle ADM \cong \triangle PMQ$   
 By CPCT,  $PQ = OR$

In  $\triangle ABD$  and  $\triangle EDC$ ,

$$BD = DC$$

$$\angle S = \angle G$$

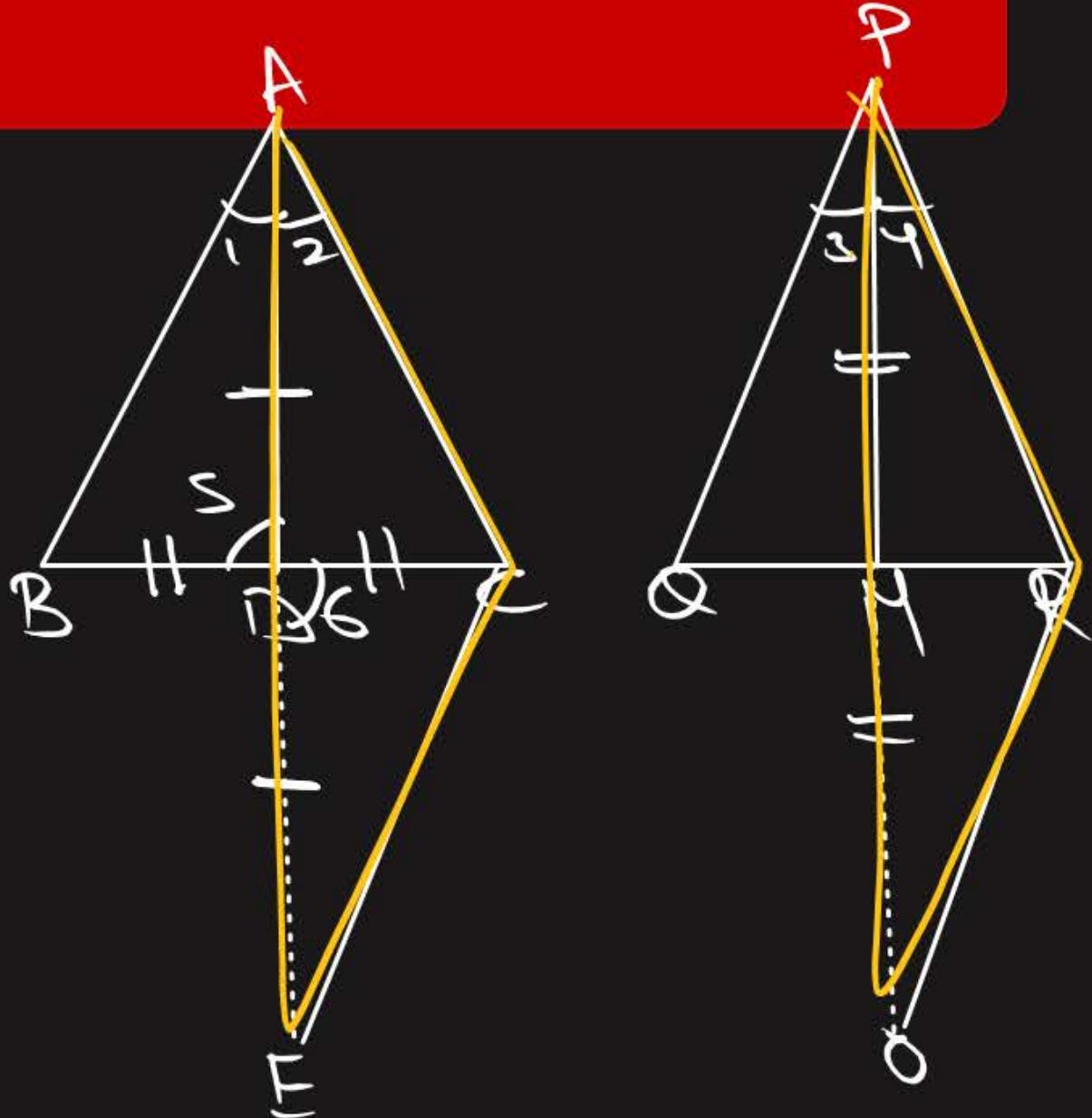
$$AD = DE$$

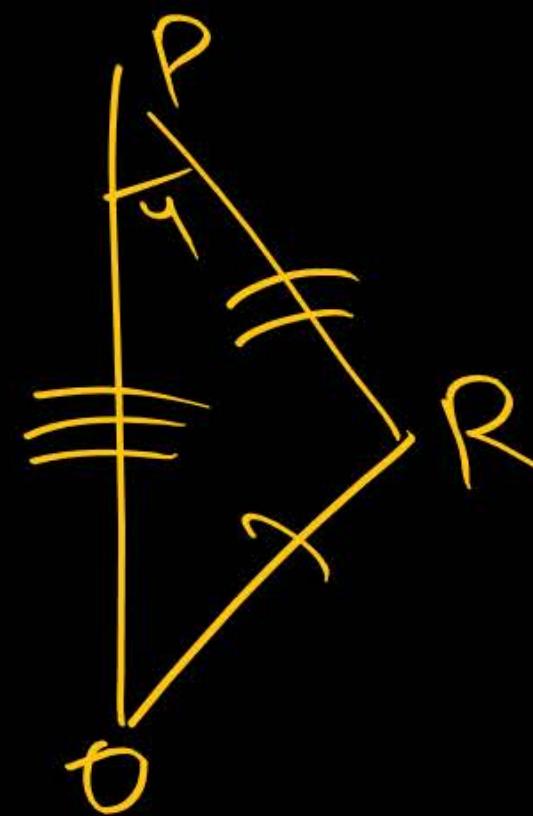
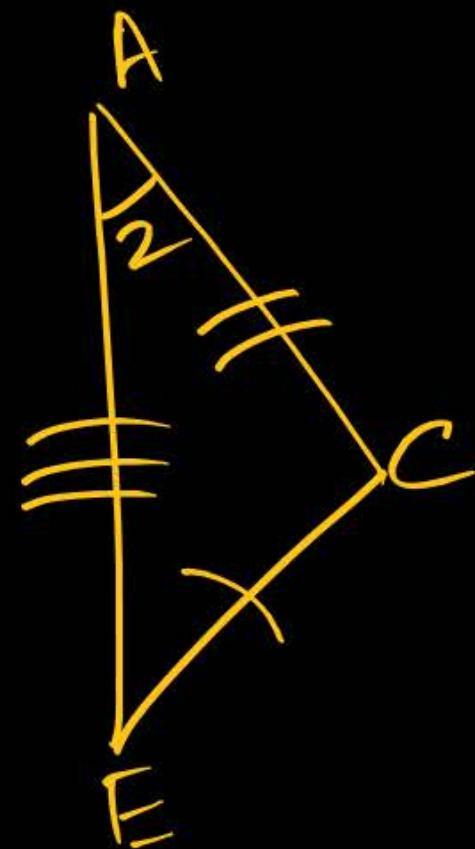
By SAS,

$$\triangle ADB \cong \triangle EDC$$

By CPCT

$$AB = CE$$





$$\frac{AB}{PO} = \frac{AC}{PR} = \frac{AD}{PM}$$

$$\frac{CE}{OR} = \frac{AC}{PR} = \frac{\angle A E}{\angle O P}$$

By SSS,  
 $\triangle ACE \sim \triangle PRO$   
 By CPST  
 $\angle 2 = \angle 4$  ①  
 Similarly,  $\angle 1 = \angle 3$  ②

① + ②

$$\angle 2 + \angle 1 = \angle 4 + \angle 3$$

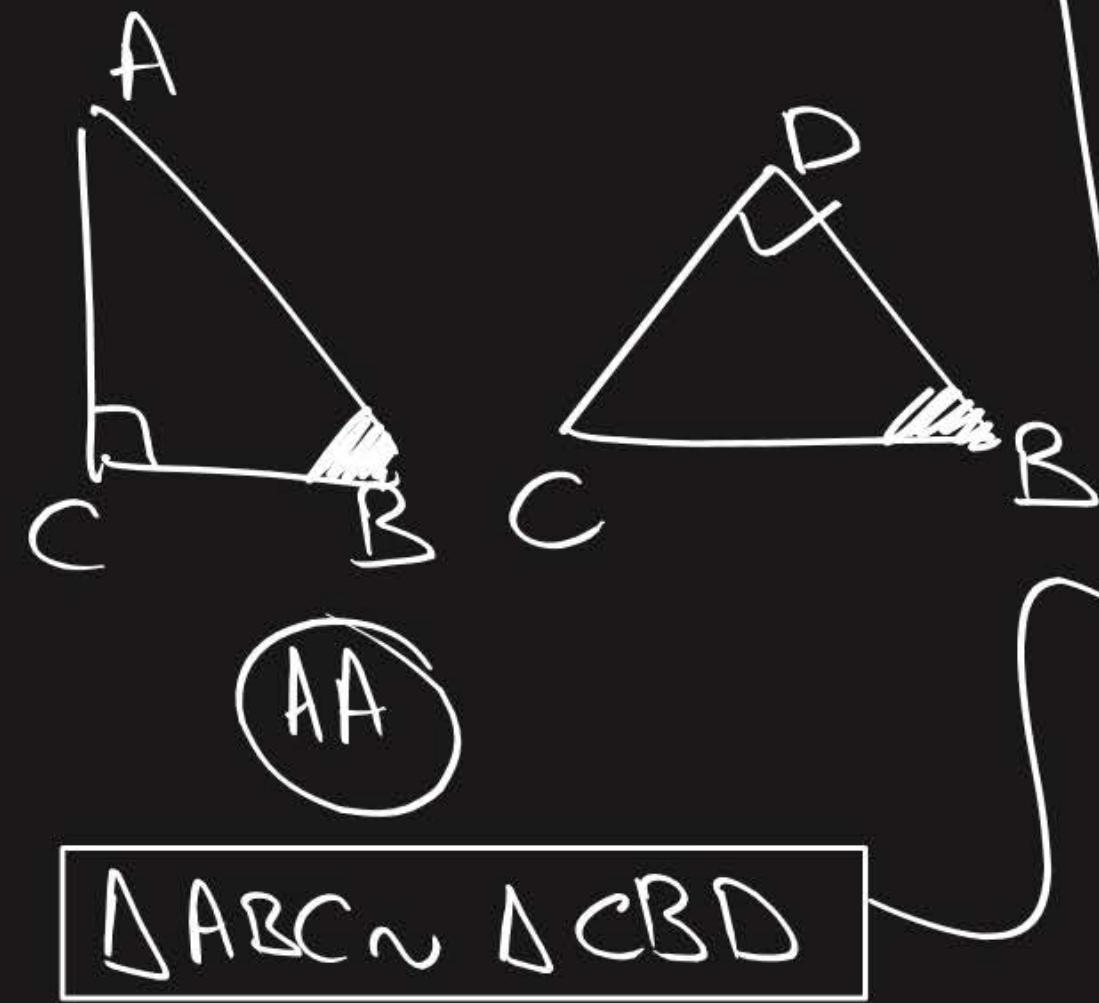
$\angle A = \angle P$

#GPK

#Q.  $\triangle ABC$  is right angled at  $C$ . If  $p$  is the length of the perpendicular from  $C$  to  $AB$  and  $a, b, c$  are the length of the sides opposite to  $\angle A, \angle B$  and  $\angle C$  respectively,

then prove that  $\frac{1}{p^2} = \frac{1}{a^2} + \frac{1}{b^2}$ .

G.  
TOP:  
Proof:



by CPST

$$\frac{AB}{CB} = \frac{BC}{BD} = \frac{AC}{CD}$$

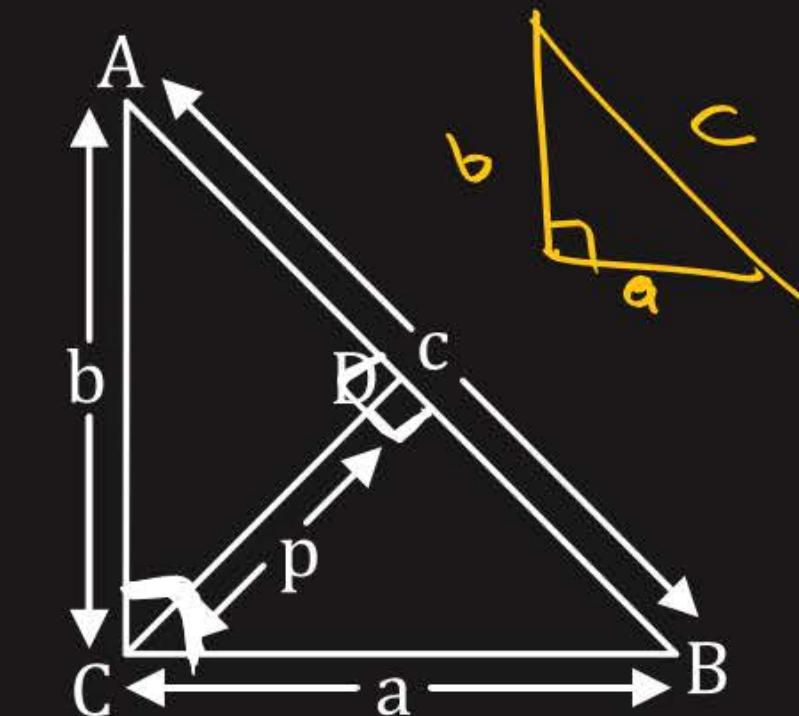
$$\frac{c}{a} = \frac{b}{p}$$

$$\frac{a}{b} = \frac{p}{b}$$

$$\frac{c}{a} = \frac{b}{p}$$

$$p = \frac{ab}{c}$$

$$p^2 = \frac{a^2 b^2}{c^2}$$



$$\frac{1}{p^2} = \frac{c^2}{a^2 b^2}$$

$$\frac{1}{p^2} = \frac{a^2 + b^2}{a^2 b^2}$$

$$\frac{1}{p^2} = \frac{1}{b^2} + \frac{1}{a^2}$$

H.P

#Q. In the given figure,  $\square DEFG$  is a square and  $\angle BAC = 90^\circ$ .

Show that  $FG^2 = BG \times FC$ .

Given:  $\square DEFG$  is a square,  $\angle BAC = 90^\circ$

To Prove:  $FG^2 = BG \times FC$ .

Proof:

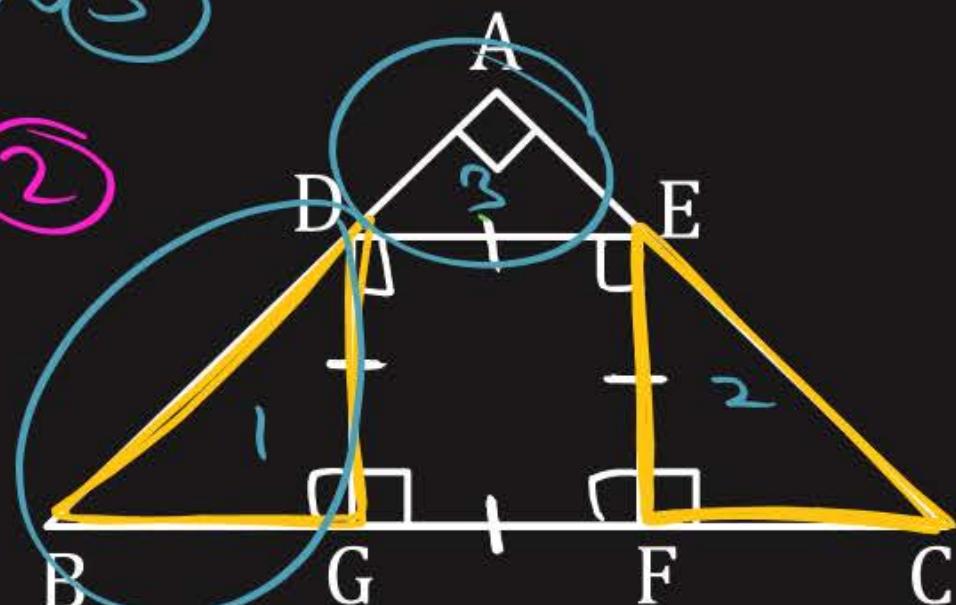
~~CPCT~~

~~#GSP~~

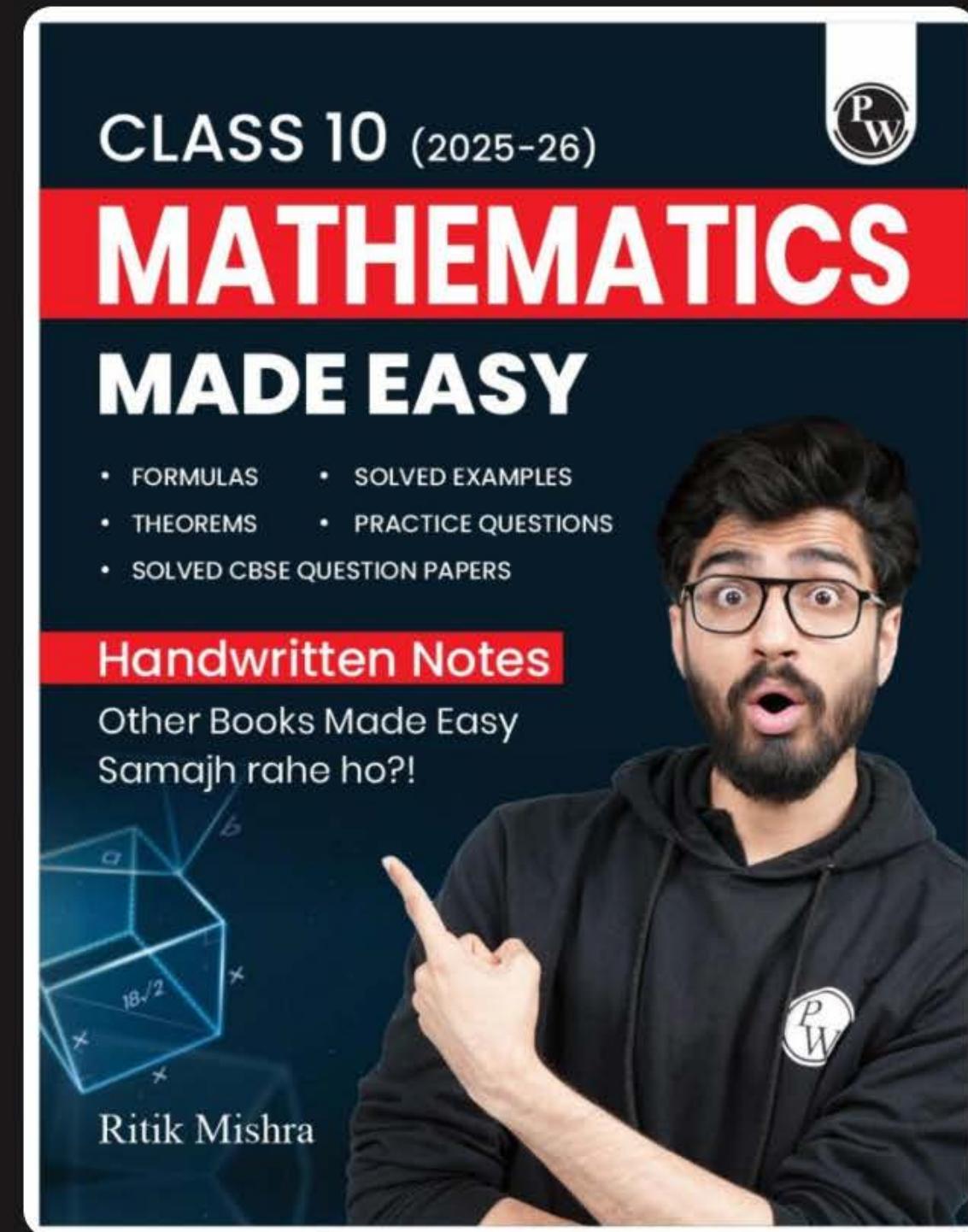
① ~ ②

① ~ ③

② ~ ③

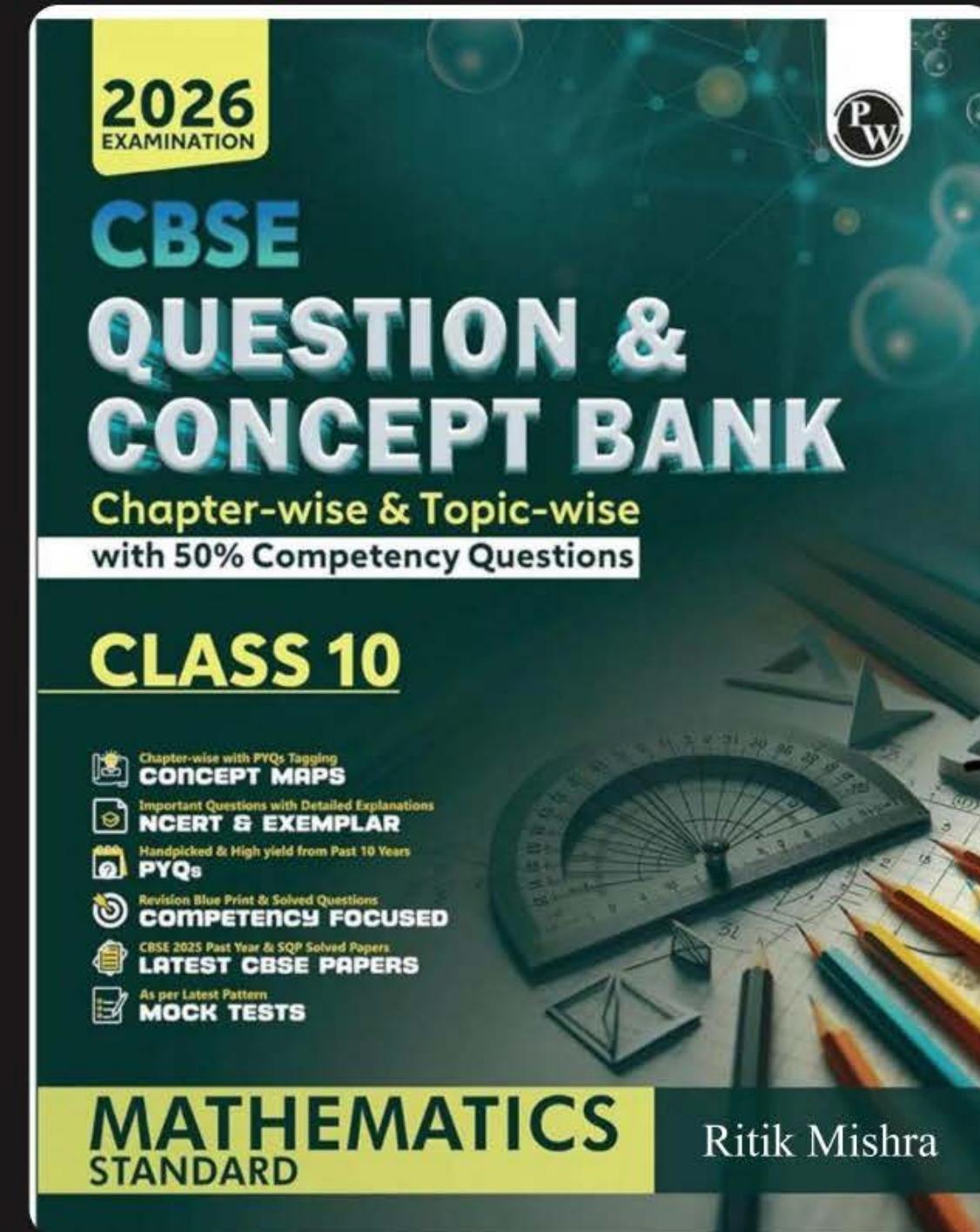


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**WORK HARD  
DREAM BIG  
NEVER GIVE UP**



# RITIK SIR

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# Thank You Babuaas ❤️🤗



Message sent

**Work Hard  
Dream Big  
Never Give Up**