

PROJECT

Predicting Boston Housing Prices

A part of the Machine Learning Engineer Nanodegree Program

PROJECT REVIEW

CODE REVIEW

NOTES

share your accomplishment! Requires Changes

3 SPECIFICATIONS REQUIRE CHANGES

Dear student,

well done with your good submission. There are only a few issues to be addressed in order to meet requirements, please refer to my comments in the appropriate section for some hints. I've left some Pro Tips as well in case you might be interested in learning more about some specific topics.

Keep up your good work!

Data Exploration

All requested statistics for the Boston Housing dataset are accurately calculated. Student correctly leverages NumPy functionality to obtain these results.

Student correctly justifies how each feature correlates with an increase or decrease in the target variable.

Please provide a rationale for your answers, please discuss specifically why an increase in each feature could increase or decrease the target variable. This is a mandatory requirement to meet specifications as in the question it is stated: "Justify your answer for each."

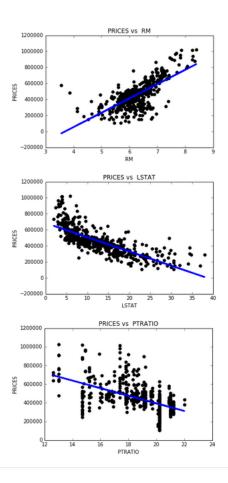
Pro tip: Visually inspecting correlations.

In this question you are required to provide a rationale for your conclusions, plotting the actual variables against the prices, and adding a trendline, could help you visually inspect the correlations and therefore assess the validity of your very conclusions.

```
import matplotlib.pyplot as plt
import numpy as np

for col in features.columns:

    fig, ax = plt.subplots()
    fit = np.polyfit(features [col], prices, deg=1) # We use a linear fit to compute the trendline
    ax.scatter(features [col], prices)
    plt.plot(features [col], prices, 'o', color='black')
    ax.plot(features[col], fit[0] * features[col] + fit[1], color='blue', linewidth=3) # This plots a trendline with the regression par
ameters computed earlier. We should plot this after the dots or it will be covered by the dots themselves
    plt.title('PRICES vs '+ str(col)) # title here
    plt.xlabel(col) # label here
    plt.ylabel('PRICES') # label here
```



Developing a Model

Student correctly identifies whether the hypothetical model successfully captures the variation of the target variable based on the model's R^2 score. The performance metric is correctly implemented in code.

Student provides a valid reason for why a dataset is split into training and testing subsets for a model. Training and testing split is correctly implemented in code.

Analyzing Model Performance

Student correctly identifies the trend of both the training and testing curves from the graph as more training points are added. Discussion is made as to whether additional training points would benefit the model.

I'm not sure about the rationale behind the statement: "No, it would not be beneficial to have more training points because the model is not complex enought to make good predictions, it is biased." You correctly assess, further on, that 4 is the optimal max depth, therefore it is not clear why a max depth of 6, which is bigger, should not be complex enough to make good predictions.

Student correctly identifies whether the model at a max depth of 1 and a max depth of 10 suffer from either high bias or high variance, with justification using the complexity curves graph.

 $Student\ picks\ a\ best-guess\ optimal\ model\ with\ reasonable\ justification\ using\ the\ model\ complexity\ graph.$

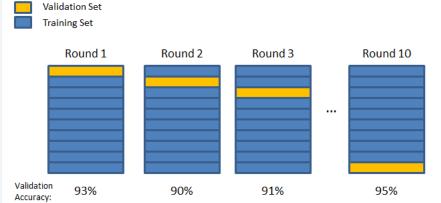
Evaluating Model Performance

Student correctly describes the grid search technique and how it can be applied to a learning algorithm.

Pro tip: There are other techniques that could be used for hyperparameter optimization in order to save time like RandomizedSearchCV, in this case instead of exploring the whole parameter space just a fixed number of parameter settings is sampled from the specified distributions. This proves useful when we need to save time but is not necessary in cases in cases like ours where the data set is relatively small.

Student correctly describes the k-fold cross-validation technique and discusses the benefits of its application when used with grid search when optimizing a model.

Please discuss more in detail how K fold cross validation works.



Final Accuracy = Average(Round 1, Round 2, ...)

Student correctly implements the fit_model function in code.

Student reports the optimal model and compares this model to the one they chose earlier.

Student reports the predicted selling price for the three clients listed in the provided table. Discussion is made for each of the three predictions as to whether these prices are reasonable given the data and the earlier calculated descriptive statistics.

Pro tip: To assess if your prediction is reasonable, besides from comparing it with the median, the mean and checking if it is included in one standard deviation range, you could use SKlearn to find the nearest neighbours of the feature vector. You can then contrast your results with the closest neighbours, the ones that have similar characteristics.

```
from sklearn.neighbors import NearestNeighbors
num_neighbors=5
def nearest_neighbor_price(x):
                  def find_nearest_neighbor_indexes(x, X): # x is your vector and X is the data set.
                                  neigh = NearestNeighbors( num_neighbors )
                                  neigh.fit(X)
                                 distance, indexes = neigh.kneighbors( x )
                                  return indexes
                 indexes = find_nearest_neighbor_indexes(x, features)
                 sum_prices = []
                  for i in indexes:
                                    sum_prices.append(prices[i])
                  neighbor_avg = np.mean(sum_prices)
                   return neighbor_avg
for i in client_data:
                 val=nearest_neighbor_price(i)
                  index += 1
                   print "The predicted {} \} nearest neighbors price for home {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".format(num\_neighbors,index, val) \} . The predicted {} \} is: $\{:,.2f\}".forma
```

http://scikit-learn.org/stable/modules/neighbors.html # finding-the-nearest-neighbors

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Student thoroughly discusses whether the model should or should not be used in a real-world setting.

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