

Exam.	Regular		
Level	BE	Full Marks	80
Programme	BEL, BEX, BCT	Pass Marks	32
Year / Part	II / I	Time	3 hrs.

Subject: - Electromagnetics (EX303)

- ✓ Candidates are required to give their answers in their own words as far as practicable.
- ✓ Attempt All questions.
- ✓ The figures in the margin indicate Full Marks.
- ✓ Necessary formula are attached herewith.
- ✓ Assume suitable data if necessary.

- Transform the Vector $\vec{A} = y\vec{a}_x + x\vec{a}_y + z\vec{a}_z$ into cylindrical co-ordinates at a point $p(2, 45^\circ, 5)$ [5]
- Along the z-axis there is a uniform line of charge with $\rho_L = 4\pi \text{ Cm}^{-1}$ and in the $x = 1$ plane there is a surface charge with $\rho_s = 20 \text{ Cm}^{-2}$. Find the Electric Flux Density at $(0.5, 0, 0)$ [6]
- Define Uniqueness theorem. Assuming that the potential V in the cylindrical coordinate system is the function of 'p' only, solve the Laplacian Equation by integration method and derive the expression for the Capacitance of the co-axial capacitor using the same solution of V . [2+5]
- Define Electric Dipole and Polarization. Consider the region $y < 0$ be composed of a uniform dielectric material for which the relative permittivity (ϵ_r) is 3.2 while the region $y > 0$ is characterized by $\epsilon_r = 2$. Let the flux density in region 1 be $\vec{D}_1 = -30\vec{a}_x + 50\vec{a}_y + 70\vec{a}_z \text{ nC/m}^2$.
Find:
a) Magnitude of Flux density and Electric fields intensity at region 2.
b) Polarization (\vec{P}) in region 1 and region 2 [2+3+3]
- State Ampere's circuital law and stoke's theorem. Derive an expression for magnetic field intensity (\vec{H}) due to infinite current carrying filament using Biot Savart's Law. [1+2+5]
- Differentiate between scalar and vector magnetic potential. The magnetic field intensity in a certain region of space is given as $\vec{H} = (2\rho + z)\vec{a}_\rho + \frac{2}{z}\vec{a}_z \text{ A/m}$. Find the total current passing through the surface $\rho = 2, \pi/4 < \phi < \pi/2, 3 < z < 5$, in the \vec{a}_ϕ direction. [3+5]
- State Faraday's law and correct the equation $\nabla \times \vec{E} = 0$ for time varying field with necessary derivation. Also modify the equation $\nabla \times \vec{H} = \vec{J}$ with necessary derivations for time varying field. [1+3+4]
- Derive an expression for input intrinsic impedance using the concept of reflection of uniform plane waves. [6]

9. Find the amplitude of displacement current density inside a typical metallic conductor where $f = 1\text{kHz}$, $\sigma = 5 \times 10^7 \text{ mho/m}$, $\epsilon_r = 1$ and the conduction current density is $\vec{J} = 10^7 \sin(6283t - 444z) \hat{a}_y \text{ A/m}^2$ [4]
10. Write all the Maxwell equations for the time varying field point form as well as integral form. [4]
11. A lossless transmission line with $Z_0 = 50 \Omega$ with length 1.5 m connects a voltage $V_g = 60 \text{ V}$ source to a terminal load of $Z_L = (50 + j50) \Omega$. If the operating frequency $f = 100 \text{ MHz}$, generator impedance $Z_g = 50 \Omega$ and speed of wave equal to the speed of the light. Find the distance of the first voltage maximum from the load. What is the power delivered to the load? [4+4]
12. What are the techniques that can be taken to match the transmission line with mismatched load? Explain any one. [2]
13. Write short notes on: [2×3]
- Modes in rectangular wave guide
 - Antenna and its types

Exam.	Regular		
Level	BE	Full Marks	80
Programme	BEL, BEX, BCT	Pass Marks	32
Year / Part	II / I	Time	3 hrs.

Subject: - Electromagnetics (EX503)

- ✓ Candidates are required to give their answers in their own words as far as practicable.
- ✓ Attempt All questions.
- ✓ The figures in the margin indicate Full Marks.
- ✓ Necessary formulas are attached herewith.
- ✓ Assume suitable data if necessary.

- ✓ 1. Given a point P(-3, 4, 5), express the vector that extends from P to Q(2, 0, -1) in (a) Rectangular coordinates (b) Cylindrical coordinates (c) Spherical coordinates. [5]
2. Verify the divergence theorem (evaluate both sides of the divergence theorem) for the function $\vec{A} = r^2 \vec{a}_r + r \sin \theta \cos \phi \vec{a}_\phi$, over the surface of quarter of a hemisphere defined by: $0 < r < 3, 0 < \phi < \pi/2, 0 < \theta < \pi/2$. [6]
3. Given the potential field $V = 100xz/(x^2+4)$ volts in free space: [7]
 - a) Find \vec{D} at the surface, $z=0$
 - b) Show that the $z=0$ surface is an equipotential surface
 - c) Assume that the $z=0$ surface is a conductor and find the total charge on that portion of the conductor defined by $0 < x < 2, -3 < y < 0$
4. State the uniqueness theorem and prove this theorem using Poisson's equation. [2+6]
5. State Amperes circuital law with relevant examples. The magnetic field intensity is given in a certain region of space as $\vec{H} = \frac{x+2y}{z^2} \vec{a}_y + \frac{2}{z} \vec{a}_z$ A/m. Find the total current passing through the surface $z=4, 1 < x < 2, 3 < y < 5$, in the \vec{a}_z direction. [3+5]
- ✓ 6. Define scalar and vector magnetic potential. Derive the expression for the magnetic field intensity at a point due to an infinite filament carrying a dc current I , placed on the z -axis, using the concept of vector magnetic potential. [3+5]
7. Define displacement current. Assume that dry soil has conductivity equal to 10^{-4} S/m, $\epsilon = 3\epsilon_0$ and $\mu = \mu_0$. Determine the frequency at which the ratio of the magnitudes of the conduction current density and displacement current density is unity. [2+5]
- ✓ 8. Derive the expression for electric field for a uniform plane wave propagating in a free space. [7]
- ✓ 9. State Poynting's theorem. An EM wave travels in free space with the electric field component $\vec{E} = (10\vec{a}_y + 5\vec{a}_z) \cos(\omega t + 2y - 4z)$ [V/m]. Find (a) ω and λ (b) the magnetic field component (c) the time average power in the wave. [2+2+2]
- ✓ 10. A lossless transmission line with $Z_0 = 50\Omega$ is 30m long and operates at 2 MHz. The line is terminated with a load $Z_L = (60+j40)\Omega$. If velocity (v) = 3×10^8 m/s on the line. Find (a) the reflection coefficient, (b) the standing wave ratio and the input impedance. [2+2+3]
- ✓ 11. Explain the modes supported by Rectangular waveguide. Define cutoff frequency and dominant mode for rectangular waveguide. [2+2+2]
- ✓ 12. Write short notes on: [2+2]
 - a) Antenna types and properties
 - b) Quarter wave transformer

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Year / Part	II / I	Time	3 hrs.

Subject: - Electromagnetics (EX 503)

- ✓ Candidates are required to give their answers in their own words as far as practicable.
- ✓ Attempt All questions.
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- ✓ Necessary formulas are attached herewith.
- ✓ Assume suitable data if necessary.

1. Transform vector $\vec{A} = \rho \sin \phi \vec{a}_z$ at point $(1, 45^\circ, 2)$ in cylindrical co-ordinate system to a vector in spherical co-ordinate system. [5]
2. The region $X < 0$ is composed of a uniform dielectric material for which $\epsilon_1 = 3.2$, while the region $X > 0$ is characterized by $\epsilon_2 = 2$. The electric flux density at region $X < 0$ is $\vec{D}_1 = -30\vec{a}_x + 50\vec{a}_y + 70\vec{a}_z$ nC/m² then find polarization (\vec{P}) and electric field intensity (\vec{E}) in both regions. [3+3]
3. Define an electric dipole. Derive expression for electric field because of electric dipole at a distance that is large compared to the separation between charges in the dipole. [2+6]
4. Define Relaxation Time Constant and derive an expression for the continuity equation. [3+4]
5. Derive the equations for magnetic field intensity for infinite long coaxial transmission line carrying direct current I and return current $-I$ in positive and negative Z -direction respectively. [7]
6. A current carrying square loop with vertices $A(0, -2, 2)$, $B(0, 2, 2)$, $C(0, 2, -2)$ $D(0, -2, -2)$ is carrying a dc current of 20A in the direction along A-B-C-D-A. Find magnetic field intensity \vec{H} at centre of the current carrying loop. [6]
7. Elaborate the significance of a curl of a vector field. [3]
8. Derive the expressions for the electric field \vec{E} and magnetic field \vec{H} for the wave propagation in free space. [8]
9. The phasor component of electric field intensity in free space is given by $\vec{E}_e = (100 \angle 45^\circ) e^{-j50z} \vec{a}_x$ v/m. Determine frequency of the wave, wave impedance, \vec{H}_e , and magnitude of \vec{E} at $z = 10\text{mm}$, $t = 20\text{ps}$. [2+2+2+2]
10. Write short notes on: (a) Loss tangent (b) Skin depth and (c) Displacement current density. [2+2+2]
11. Explain impedance matching using both quarter wave transformer and single stub methods. [3+3]
12. Explain in brief the modes supported by rectangular waveguides. Consider a rectangular waveguide with $\epsilon_r = 2$, $\mu = \mu_0$ with dimensions $a = 1.07\text{cm}$, $b = 0.43\text{cm}$. Find the cut off frequency for TM_{11} mode and the dominant mode. [4+2+2]
13. Define antenna and list different types of antenna. [2]

Divergence

Cartesian: $\nabla \cdot \vec{A} = \frac{\partial A_x}{\partial x} + \frac{\partial A_y}{\partial y} + \frac{\partial A_z}{\partial z}$

Cylindrical: $\nabla \cdot \vec{A} = \frac{1}{r} \frac{\partial}{\partial r} (r A_r) + \frac{1}{r} \frac{\partial A_\phi}{\partial \phi} + \frac{\partial A_z}{\partial z}$

Spherical: $\nabla \cdot \vec{A} = \frac{1}{R^2} \frac{\partial}{\partial R} (R^2 A_R) + \frac{1}{R \sin \theta} \frac{\partial}{\partial \theta} (A_\theta \sin \theta) + \frac{1}{R \sin \theta} \frac{\partial A_\phi}{\partial \phi}$

Gradient

Cartesian: $\nabla A = \frac{\partial A}{\partial x} \hat{a}_x + \frac{\partial A}{\partial y} \hat{a}_y + \frac{\partial A}{\partial z} \hat{a}_z$

Cylindrical: $\nabla A = \frac{\partial A}{\partial r} \hat{a}_r + \frac{1}{r} \frac{\partial A}{\partial \phi} \hat{a}_\phi + \frac{\partial A}{\partial z} \hat{a}_z$

Spherical: $\nabla A = \frac{\partial A}{\partial R} \hat{a}_R + \frac{1}{R} \frac{\partial A}{\partial \theta} \hat{a}_\theta + \frac{1}{R \sin \theta} \frac{\partial A}{\partial \phi} \hat{a}_\phi$

Curl

Cartesian: $\nabla \times \vec{A} = \left(\frac{\partial A_z}{\partial y} - \frac{\partial A_y}{\partial z} \right) \hat{a}_x + \left(\frac{\partial A_x}{\partial z} - \frac{\partial A_z}{\partial x} \right) \hat{a}_y + \left(\frac{\partial A_y}{\partial x} - \frac{\partial A_x}{\partial y} \right) \hat{a}_z$

Cylindrical: $\nabla \times \vec{A} = \left(\frac{1}{r} \frac{\partial A_z}{\partial \phi} - \frac{\partial A_\phi}{\partial z} \right) \hat{a}_r + \left(\frac{\partial A_r}{\partial z} - \frac{\partial A_z}{\partial r} \right) \hat{a}_\phi + \frac{1}{r} \left(\frac{\partial}{\partial r} (r A_\phi) - \frac{\partial A_r}{\partial \phi} \right) \hat{a}_z$

Spherical:

$$\nabla \times \vec{A} = \frac{1}{R \sin \theta} \left(\frac{\partial}{\partial \theta} (A_\phi \sin \theta) - \frac{\partial A_\theta}{\partial \phi} \right) \hat{a}_R + \frac{1}{R} \left(\frac{1}{\sin \theta} \frac{\partial A_R}{\partial \phi} - \frac{\partial}{\partial R} (R A_\phi) \right) \hat{a}_\theta + \frac{1}{R} \left(\frac{\partial}{\partial R} (R A_\theta) - \frac{\partial A_R}{\partial \theta} \right) \hat{a}_\phi$$

Laplacian

Cartesian: $\nabla^2 A = \frac{\partial^2 A}{\partial x^2} + \frac{\partial^2 A}{\partial y^2} + \frac{\partial^2 A}{\partial z^2}$

Cylindrical: $\nabla^2 A = \frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial A}{\partial r} \right) + \frac{1}{r^2} \frac{\partial^2 A}{\partial \phi^2} + \frac{\partial^2 A}{\partial z^2}$

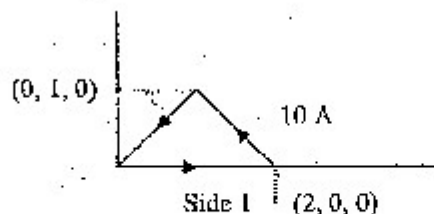
Spherical: $\nabla^2 A = \frac{1}{R^2} \frac{\partial}{\partial R} \left(R^2 \frac{\partial A}{\partial R} \right) + \frac{1}{R^2 \sin \theta} \frac{\partial}{\partial \theta} \left(\sin \theta \frac{\partial A}{\partial \theta} \right) + \frac{1}{R^2 \sin^2 \theta} \frac{\partial^2 A}{\partial \phi^2}$

Exam.	Regular / Back
Level	DE Full Marks 80
Programme	BEL, BEX, Pass Marks 32
Year / Part	II / I Time 3 hrs.

Subject: - Electromagnetics

- ✓ Candidates are required to give their answers in their own words as far as practicable.
- ✓ Attempt All questions.
- ✓ The figures in the margin indicate Full Marks.
- ✓ Necessary Smith Chart is attached herewith.
- ✓ Assume that the **bold faced** letter represents a vector and $a_{\text{subscript}}$ represents a unit vector.
- ✓ Assume suitable data if necessary.

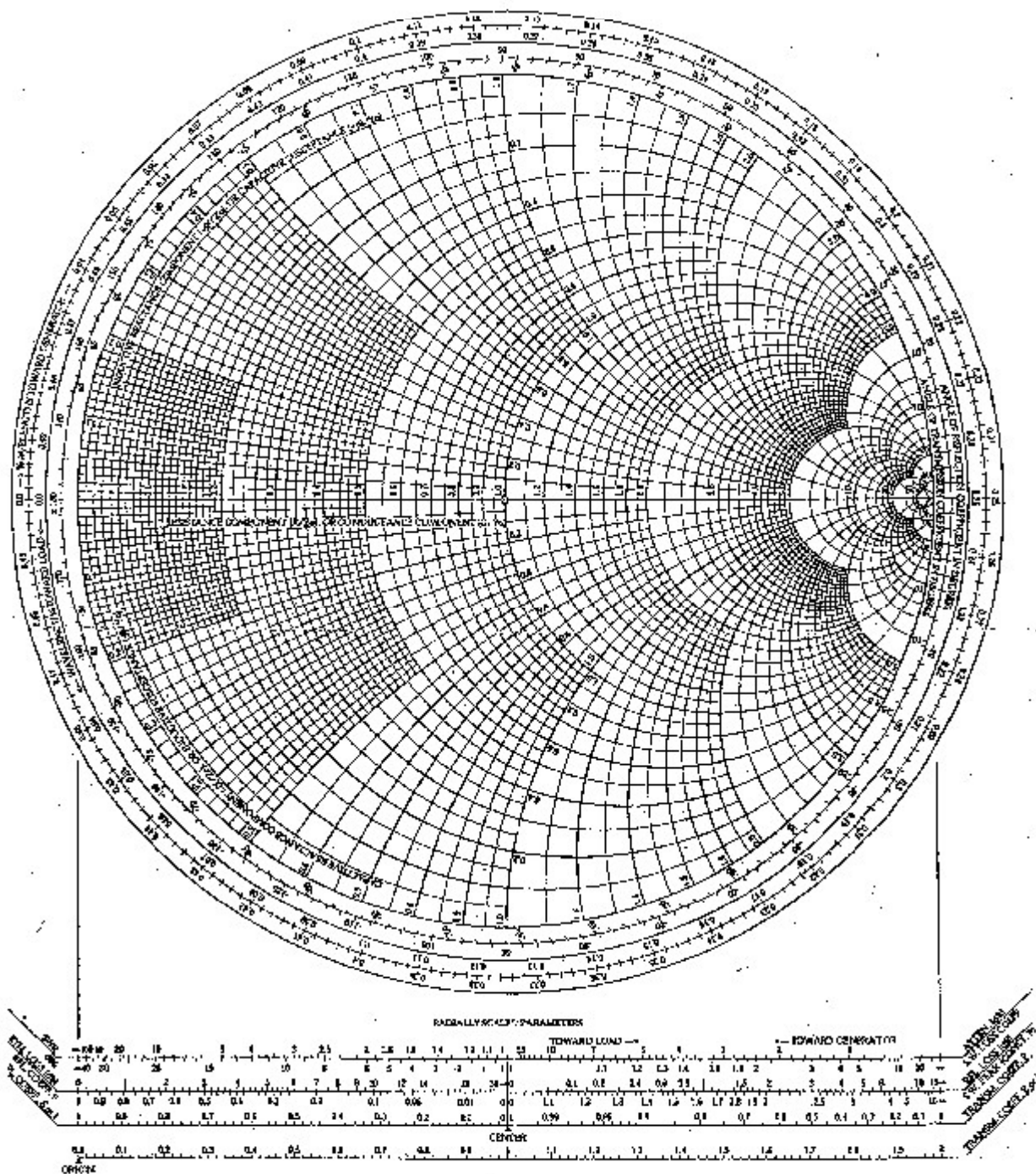
- Express the vector field $\mathbf{W} = (x - y) \mathbf{a}_y$ in cylindrical and spherical co-ordinates. [5]
- Find the equations for energy density in electrostatic field. [8]
- A uniform sheet of charge $\rho_s = 40\epsilon_0 \text{ C/m}^2$ is located in the plane $x = 0$ in free space. A uniform line charge $\rho_L = 0.6 \text{ nC/m}$ lies along the line $x = 9, y = 4$ in free space. find the potential at point P (6, 8, 3) if $V = 10\text{V}$ at A (2, 9, 3). [8]
- What is physical significance of $\text{div } \mathbf{D}$? Explain the importance of potential in the electrostatic field. [4]
- What are the differences between curl and divergence? [4]
- The condition triangle loop (shown in figure below) carries a current of 10A. Find \mathbf{H} at (0, 0, 5) due to side 1 of the loop. [8]



- State Maxwell's fourth equation. [2]
- State and prove the Stokes theorem. [3]
- For a non-magnetic materials having $\epsilon_r = 2.25$ and $\sigma = 10^{-4} \text{ mho/m}$, find the numeric values at 5MHz for : [8]
 - The loss tangent
 - The attenuation constant
 - The phase constant
 - The intrinsic impedance
- A load of $100 + j 150 \text{ Ohm}$ is connected to a 75 ohm lossless line. Find using Smith Chart: [10]
 - Reflection coefficient
 - VSWR
 - The load admittance
 - Z_m at 0.4λ from the load
 - Z_m at generator if line is 0.6λ long
- Distinguish between conduction and displacement currents. [4]
- Explain the term skin depth. Using pointing vector, deduce the time average power density for a dissipative medium. [7]
- Write short notes on: [3x3]
 - Antenna and its type
 - TEM
 - Waveguides

The Complete Smith Chart

Black Magic Design



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1. Transform $\vec{A}_c = x\hat{a}_x + xy\hat{a}_y$ at point (1,2,3) in Cartesian co-ordinate system to \vec{A}_{cy} in cylindrical co ordinate system. [6]
2. Use Gauss's law to determine electric field intensity because of infinite line charge with uniform charge density ρ_l . [6]
3. Find potential at a point P(2,3,3) due to a 1nC charge located at Q(3,4,4), 1nC/m uniform line charge located at $x = 2$, $y = 1$ if potential at (3,4,5) is 0V. [6]
4. Use the boundary condition to find \vec{E}_2 in the medium 2 with boundary located at plane $y = 0$. Medium 1 is perfect dielectric characterized by $\epsilon_{r1} = 3$, medium 2 is perfect dielectric characterized by $\epsilon_{r2} = 5$, electric field in medium 1 is $\vec{E}_1 = 3\hat{a}_x + 2\hat{a}_y + \hat{a}_z$. [6]
5. Use two dimensional Laplace equation to determine potential distribution for the following boundary condition: $V = 0$ at $x = 0$, $V = V_0$ at $x = a$, $V = 0$ at $y = 0$ and $V = 0$ at $y = b$. [8]
6. State and explain Biot -- Savart's law. [4]
7. For a given co - axial cable with inner conductor of radius 'a', outer conductor with inner radius 'b' and outer radius 'c' with current in the inner conductor 'I' and current in the outer conductor - 'I', determine $\nabla \times \vec{H}$ for $0 \leq r \leq a$, $a \leq r \leq b$, $b \leq r \leq c$. [10]
8. Consider a wave propagating in lossy dielectric with propagation constant, $\gamma = \alpha + j\beta$. Derive expressions for α and β if medium is characterized by permittivity ϵ , permeability μ and conductivity σ . [8]
9. A uniform plane wave propagating in free space has $\vec{E} = 2 \cos(10^7 \pi t - \beta z) \hat{a}_x$, determine β and \vec{H} . [6]
10. A z-polarized uniform plane wave with frequency 100MHz propagates in air in the positive x-direction and impinges normally on a perfectly conducting plane at $x = 0$. Assuming the amplitude of the electric field vector to be 3mV/m, determine phasor and instantaneous expressions for
 - a) Incident electric and magnetic field vectors
 - b) Reflected electric and magnetic field vectors
11. Derive the expression for input impedance of a transmission line with characteristic impedance, Z_0 excited by source, V with source impedance Z_s and terminated in load Z_L . [6]
12. Define transverse magnetic mode. A rectangular waveguide has dimensions, $a = 5\text{cm}$ and $b = 3\text{cm}$. The medium within the waveguide has $\epsilon_r = 1$, $\mu_r = 1$, $\sigma = 0$ and conducting walls of wave guide are perfect conductors. Determine the cutoff frequency for TM_{11} mode. [6]

Divergence

Cartesian: $\nabla \cdot \vec{A} = \frac{\partial A_x}{\partial x} + \frac{\partial A_y}{\partial y} + \frac{\partial A_z}{\partial z}$

Cylindrical: $\nabla \cdot \vec{A} = \frac{1}{r} \frac{\partial}{\partial r}(r A_r) + \frac{1}{r} \frac{\partial A_\phi}{\partial \phi} + \frac{\partial A_z}{\partial z}$

Spherical: $\nabla \cdot \vec{A} = \frac{1}{R^2} \frac{\partial}{\partial R}(R^2 A_R) + \frac{1}{R \sin \theta} \frac{\partial}{\partial \theta}(A_\theta \sin \theta) + \frac{1}{R \sin \theta} \frac{\partial A_\phi}{\partial \phi}$

Gradient

Cartesian: $\nabla A = \frac{\partial A}{\partial x} \hat{a}_x + \frac{\partial A}{\partial y} \hat{a}_y + \frac{\partial A}{\partial z} \hat{a}_z$

Cylindrical: $\nabla A = \frac{\partial A}{\partial r} \hat{a}_r + \frac{1}{r} \frac{\partial A}{\partial \phi} \hat{a}_\phi + \frac{\partial A}{\partial z} \hat{a}_z$

Spherical: $\nabla A = \frac{\partial A}{\partial R} \hat{a}_R + \frac{1}{R} \frac{\partial A}{\partial \theta} \hat{a}_\theta + \frac{1}{R \sin \theta} \frac{\partial A}{\partial \phi} \hat{a}_\phi$

Curl

Cartesian: $\nabla \times \vec{A} = \left(\frac{\partial A_z}{\partial y} - \frac{\partial A_y}{\partial z} \right) \hat{a}_x + \left(\frac{\partial A_x}{\partial z} - \frac{\partial A_z}{\partial x} \right) \hat{a}_y + \left(\frac{\partial A_y}{\partial x} - \frac{\partial A_x}{\partial y} \right) \hat{a}_z$

Cylindrical: $\nabla \times \vec{A} = \left(\frac{1}{r} \frac{\partial A_z}{\partial \phi} - \frac{\partial A_\phi}{\partial z} \right) \hat{a}_r + \left(\frac{\partial A_r}{\partial z} - \frac{\partial A_z}{\partial r} \right) \hat{a}_\phi + \frac{1}{r} \left(\frac{\partial}{\partial r}(r A_\phi) - \frac{\partial A_r}{\partial \phi} \right) \hat{a}_z$

Spherical:

$$\nabla \times \vec{A} = \frac{1}{R \sin \theta} \left(\frac{\partial}{\partial \theta}(A_\phi \sin \theta) - \frac{\partial A_\phi}{\partial \phi} \right) \hat{a}_r + \frac{1}{R} \left(\frac{1}{\sin \theta} \frac{\partial A_R}{\partial \phi} - \frac{\partial}{\partial R}(R A_\phi) \right) \hat{a}_\theta + \frac{1}{R} \left(\frac{\partial}{\partial R}(R A_\theta) - \frac{\partial A_R}{\partial \theta} \right) \hat{a}_\phi$$

Laplacian

Cartesian: $\nabla^2 A = \frac{\partial^2 A}{\partial x^2} + \frac{\partial^2 A}{\partial y^2} + \frac{\partial^2 A}{\partial z^2}$

Cylindrical: $\nabla^2 A = \frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial A}{\partial r} \right) + \frac{1}{r^2} \frac{\partial^2 A}{\partial \phi^2} + \frac{\partial^2 A}{\partial z^2}$

Spherical: $\nabla^2 A = \frac{1}{R^2} \frac{\partial}{\partial R} \left(R^2 \frac{\partial A}{\partial R} \right) + \frac{1}{R^2 \sin \theta} \frac{\partial}{\partial \theta} \left(\sin \theta \frac{\partial A}{\partial \theta} \right) + \frac{1}{R^2 \sin^2 \theta} \frac{\partial^2 A}{\partial \phi^2}$

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1. a) Transform a point (x, y, z) in rectangular co-ordinates to a point (r, θ, ϕ) in spherical co-ordinate and vice-versa. [3]
- b) Transform the vector $\vec{B} = y\hat{a}_x - x\hat{a}_y + z\hat{a}_z$ into cylindrical co-ordinates. [4]
2. a) State Coulomb's law with an example. Derive an expression for electric field intensity (\vec{E}) at a point due to an infinite line charge having uniform charge density. [1+6]
- b) An infinitely long uniform line charge is located at $y = 3, z = 5$. If $\rho_L = 30 \text{ nC/m}$, find \vec{E} at (i) $P_A(0, 0, 0)$ (ii) $P_B(0, 6, 1)$ (iii) $P_C(5, 6, 1)$. [6]
3. a) State and explain Gauss's law. Define divergence and write down its physical significance as it applies to electric fields. [2+3]
- b) Consider a co-axial cable of length 50cm having inner radius of 1mm and an outer radius of 4mm with the space between the conductors filled with air. Total charge on the inner conductor is 30 nC. Find (i) the charge density on the inner conductor and outer conductor (ii) \vec{D} (iii) \vec{E} . [5]
4. a) Deduce how potential gradient can be used to determine the electric field intensity. What do you understand by electric dipole moment? [5+1]
- b) Given the potential field $V = 2x^2y - 5z$ and a point $P(-4, 3, 6)$, find at P (i) V (ii) \vec{E} (iii) \hat{a}_E (iv) \vec{D} (v) ρ_v . [5]
5. Explain how the conductivity of metals and semi-conductor changes with increase in temperature. Derive the point form of continuity equation. [3+3]
6. a) State Bio-Savart's law. Derive the equation for magnetic field intensity due to a co-axial cable carrying a uniformly distributed dc current I in the inner conductor and $-I$ in the outer conductor. [2+6]
- b) Given $\vec{H} = (3r^2 / \sin \theta)\hat{a}_\theta + 54r \cos \theta \hat{a}_\phi$ A/m in free space. Find the total current in the \hat{a}_θ direction through the conical surface $\theta = 20^\circ, 0 \leq \phi \leq 2\pi, 0 \leq r \leq 5$. [6]

7. a) Explain how displacement current differs from conduction current. What do you understand by the term magnetization? What does the relative permeability of a substance indicate? [2+1+1]
- b) A 9.4 GHz uniform plane wave is propagating in polyethylene ($\epsilon_r = 2.25$, $\mu_r = 1$). If the magnitude of the magnetic field intensity is 7 mA/m and the material is lossless, find (i) velocity of propagation (v_p) (ii) the wavelength (λ) (iii) the phase constant (β) (iv) the intrinsic impedance (η) (v) the magnitude of electric field intensity. [6]
8. a) What is a distortionless transmission line? Why are telephone lines required to be distortionless? [2+1]
- b) A radar dish antenna is needed to be covered with a transparent plastic ($\epsilon_r = 2.25$, $\mu_r = 1$) to protect it from weather without any reflection of the signal back to the antenna. What should be the minimum thickness of the plastic cover if the operating frequency of antenna is 10 GHz? [6]

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