

# Gauss Plane and Complex Function

Graphics primitives

```
b[x_]:=Map[{Re[#],Im[#]}&,x,{2}]
```

```
bl[x_]:=Map[Line,b[x]]
```

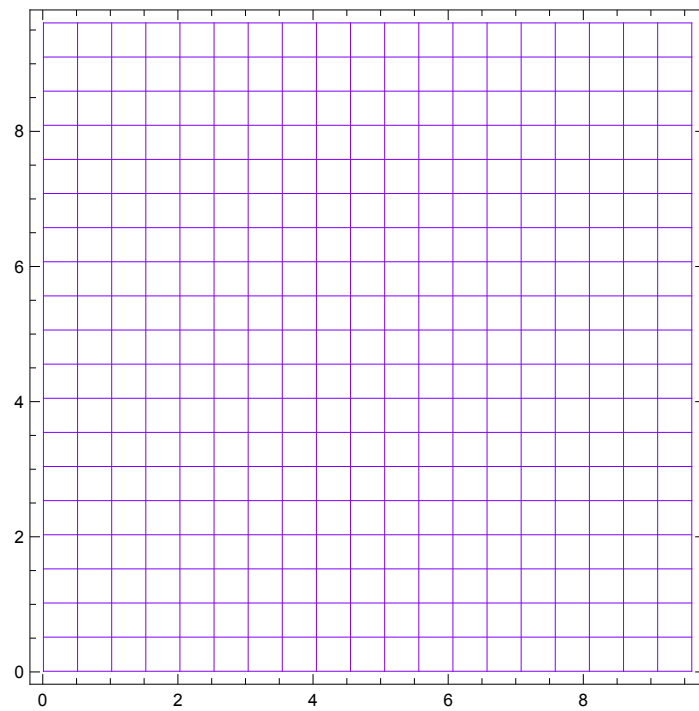
```
c[x_]:=Map[{Re[#],Im[#]}&,Transpose[x,{2}]
```

```
cl[x_]:=Map[Line,c[x]]
```

```
a = Table[N[i/10] + I N[j/10], (*I = Sqrt[-1]*){j,0.1,101,10.1/2},{i,0.1,101,10.1/2}];
```

```
plt[clr_,x_]:=Show[Graphics[{Hue[clr],bl[x]}],Graphics[{Hue[clr],cl[x]}],  
AspectRatio->Automatic,Frame->True]
```

```
plt[.75,a]
```

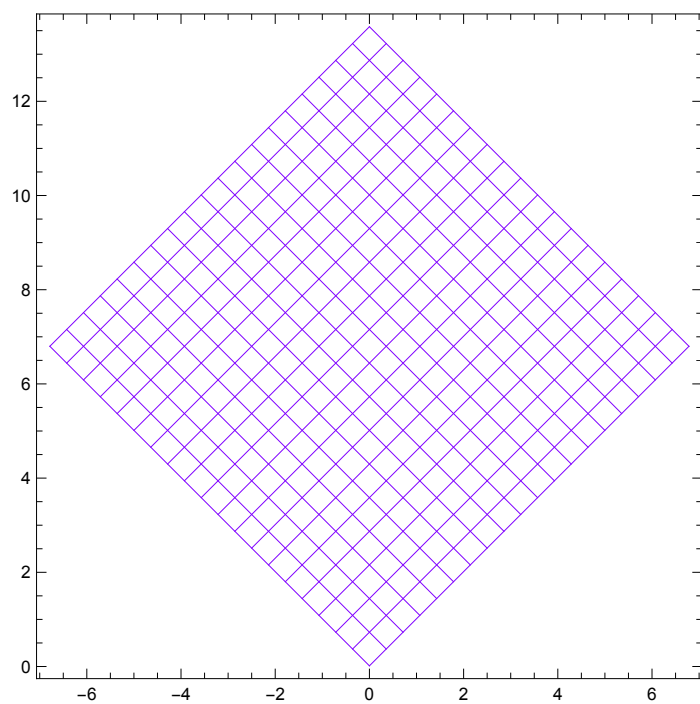


$r = \text{Exp}[I\text{Pi} * .25]$  (\* $I = \text{Sqrt}[-1]$ \*)

$0.707107 + 0.707107i$

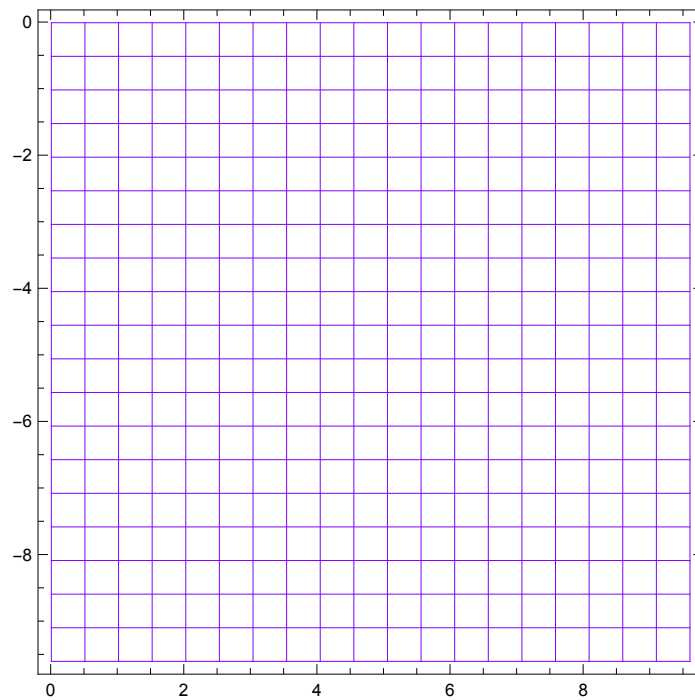
`plt[.75,  $r * a$ ]`

(\*RotateofAngle =  $\text{Pi}/4$ aroundzero.ractstoeachelementofa\*)



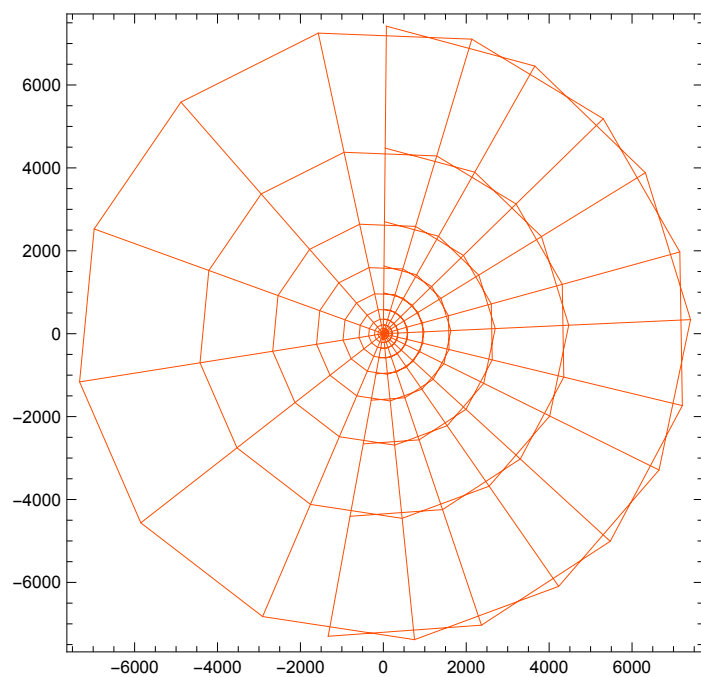
`plt[.75, Conjugate[a]]`

(\*Conjugate acts to each element of a\*)

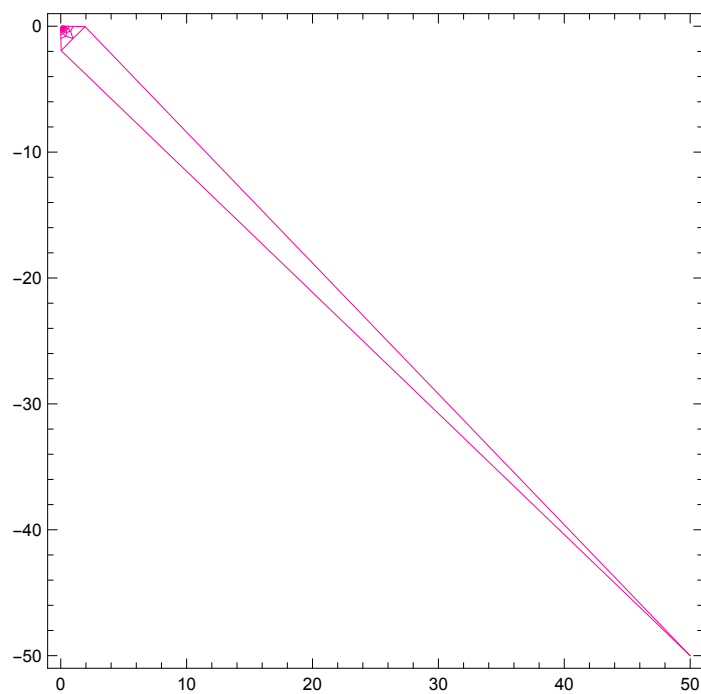


Function acts to each element of List .

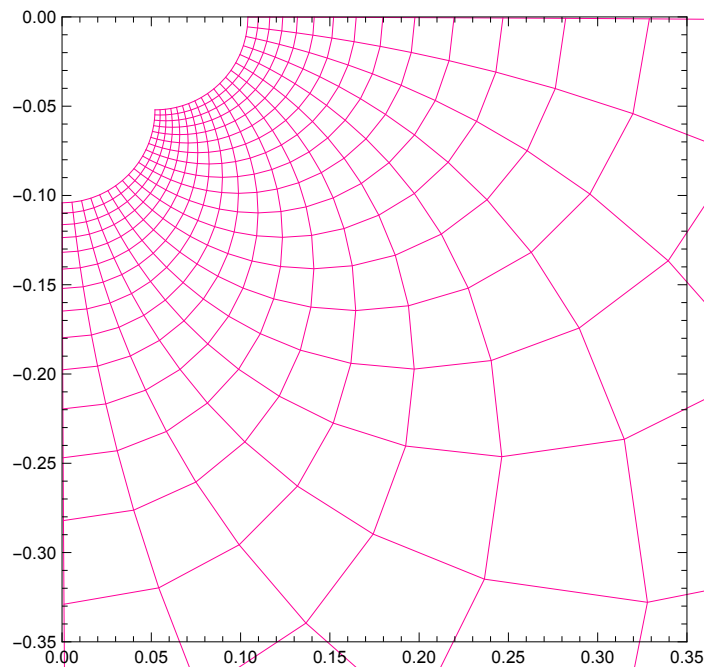
`plt[.05, Sin[a]]` (\*sine function\*)



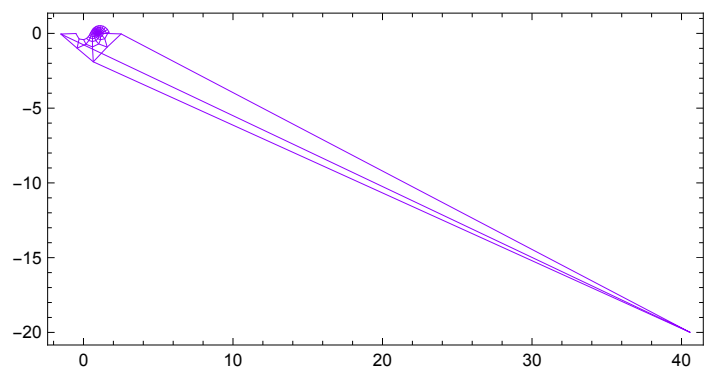
**$g1 = \text{plt}[:, 1/a]$  (\*1/a is inverse of each element of a\*)**



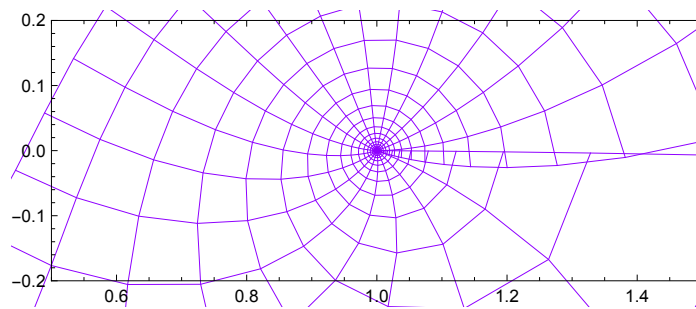
Show[g1, PlotRange->{{0, 0.35}, {-0.35, 0}}]



g2 = plt[.76, Zeta[a]] (\*Riemann's Zetafunction\*)



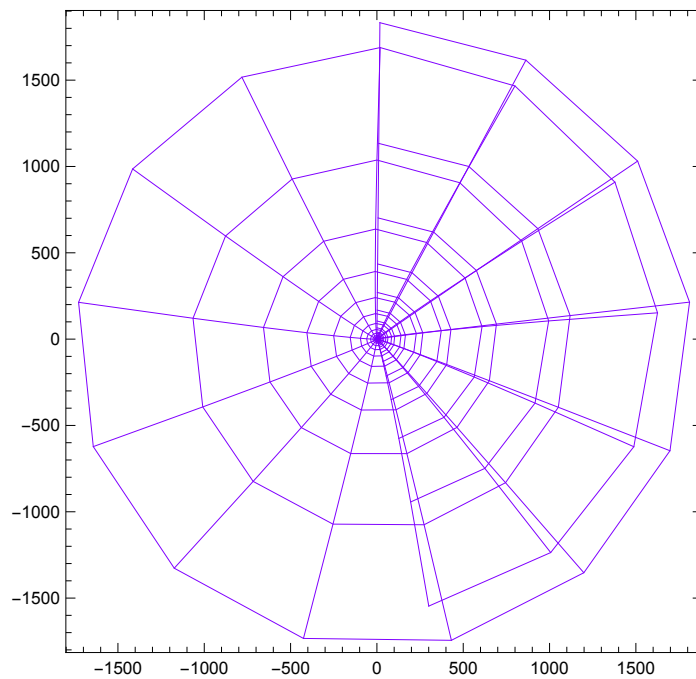
Show[g2, PlotRange->{{0.5, 1.5}, {-0.2, 0.2}}]



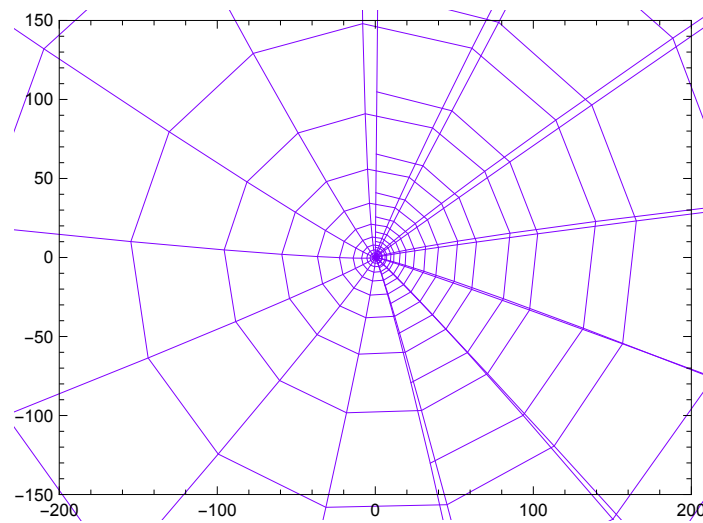
**?BesselJ**

□

**g3 = plt[.75, BesselJ[1, a]]**

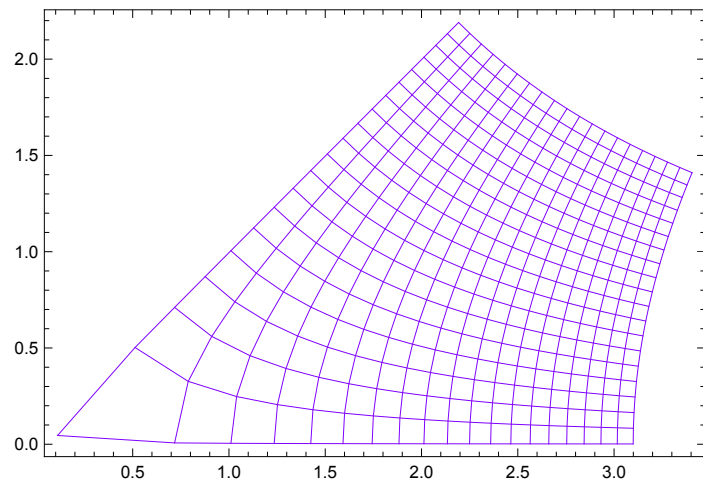


**Show[g3, PlotRange->{{-200, 200}, {-0150, 150}}]**



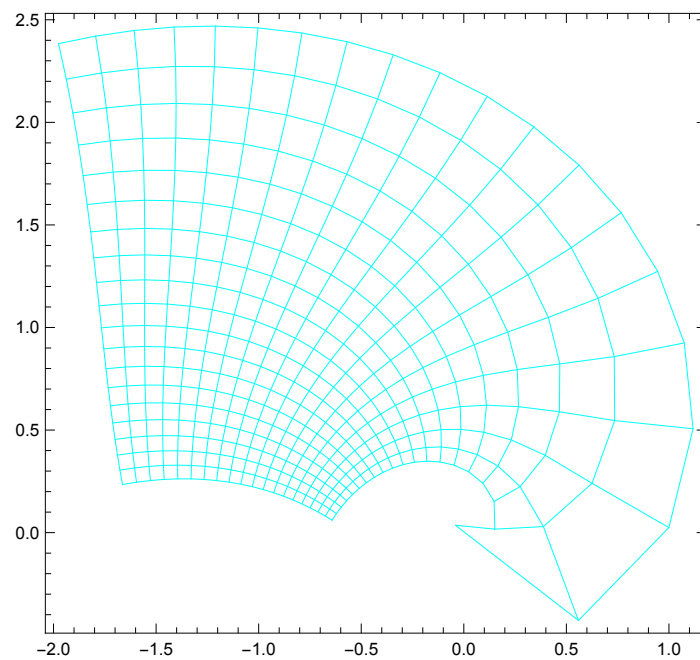
`plt[.75,Sqrt[a]]`

(\*Square Root of each element of a\*)



`plt[.5, a^(.5 + I)]` (\*Power by "1/2 + Sqrt[-1]"\*)

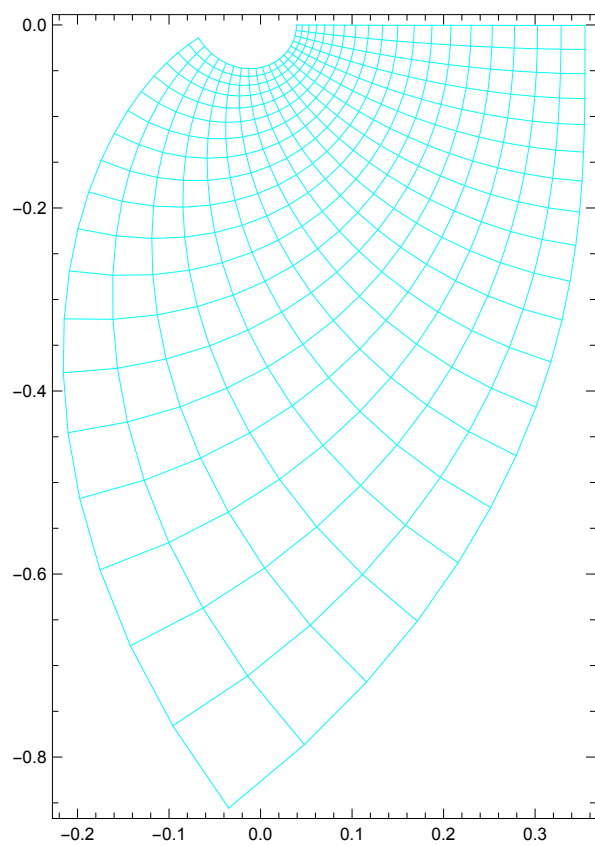




**?AiryAi**

□

**plt[.5, AiryAi[Evaluate[a/5]]]**



$$\mathbf{a1} = 4 + 4I$$

$$4 + 4i$$

$$\mathbf{a2} = 6 + 7I$$

$$6 + 7i$$

$$\mathbf{plt}[\mathbf{.25}, (\mathbf{a} - \mathbf{a1})/(\mathbf{a} - \mathbf{a2})]$$

